

Phonon-Activated Collective Hopping in a Superionic Phase

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Superionic conductors are fascinating systems representing a state of matter intermediate between solids and liquids, yet their underlying physics remain poorly understood. Correlations in jump dynamics have been theoretically proposed as a key mechanism underlying superionic diffusion, but a direct experimental demonstration remains elusive. Here, we report the direct observation of collective cation hopping in the argyrodite compound Cu_7PS_6 , using single-crystal neutron scattering to access the full four-dimensional space-time correlations of ionic motion. By leveraging the rarely used coherent scattering channel in quasielastic neutron scattering, together with diffuse scattering, we reveal pronounced short-range dynamical correlations between diffusing Cu ions, providing direct experimental evidence of collective hopping in a superionic phase. Machine-learned molecular dynamics simulations quantitatively reproduce all our measurements and pinpoint the dominant collective hopping mechanism. Furthermore, we establish through both experiments and simulations that the collective diffusive hops originate from the breakdown of low-energy phonons dominated by the Cu motions in the parent ordered phase, demonstrating a key link between phonon precursors and the activation of facile collective hops. This work presents the first direct experimental evidence of collective hopping in superionic argyrodites and identifies wave-vector-resolved soft phonons as its physical origin, advancing the microscopic understanding of ionic transport in superionic solids.

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I. INTRODUCTION

Superionic conductors (SICs) constitute a unique class of condensed matter systems in between liquids and solids, featuring highly mobile ions with liquidlike diffusivity within a rigid framework [1,2]. SICs could enable a wide

range of important technologies, from all-solid-state batteries to fuel cells and ionotronic devices [3–5]. Yet, a deeper understanding of the microscopic mechanisms underlying the emergence of the superionic regime is needed for the rational design of next-generation SICs [6–8]. Among many proposed mechanisms, collective diffusion has emerged as a core paradigm enabling superionic conductivities [9–14]. Concerted ionic hopping could help lower migration barriers, thereby facilitating diffusion [10–12], and could also increase charge diffusivity compared to tracer diffusivity, directly improving the conductivity [13]. Collective ionic diffusion could be a

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widespread phenomenon, as suggested by recent systematic machine-learning analyses of a variety of fast ion conductors [14]. However, the direct experimental probing and assessment of these theoretical predictions has remained a formidable challenge, requiring the selective measurement of four-dimensional (4D) space-time correlations in the motions of mobile ions.

Commonly used experimental techniques, such as nuclear magnetic resonance and electrochemical impedance spectroscopy, typically probe only single-particle dynamics or macroscopic transport properties and lack the spatial (or wave-vector) resolution to resolve spatially correlated ionic diffusion [15]. While dielectric and optical experiments have been used to suggest temporally correlated hops in ionic conductors, these methods rely on indirect signatures and provide limited information about ion-ion correlations [16,17]. In contrast, neutron scattering offers a powerful approach to probe ionic diffusion, as well as crystal structure and lattice dynamics, by directly accessing 4D spatiotemporal correlations of atomic motions. These correlations are encoded in the Van Hove correlation function [18], defined as

$$G(\mathbf{r}, t) = \frac{1}{N} \left\langle \sum_{i,j} \delta(\mathbf{r} - \mathbf{R}_j(t) + \mathbf{R}_i(0)) \right\rangle, \quad (1)$$

which gives the probability of finding a particle at position $\mathbf{r}$ at time t , given that a reference particle was located at the origin at $t = 0$. The Van Hove correlation can be decomposed into self and distinct contributions:

$$G(\mathbf{r}, t) = G_s(\mathbf{r}, t) + G_d(\mathbf{r}, t), \quad (2)$$

where the self ($i = j$) and distinct ($i \neq j$) contributions describe individual atomic motion and correlations between different atoms, respectively, and are selectively accessed via incoherent and coherent neutron scattering channels [19,20]. Revealing the full details of collective ionic diffusion, however, requires measuring coherent scattering channels on single crystals with wave-vector ($\mathbf{Q}$)-resolved information, which is orientationally scrambled in more common measurements on powders [21,22]. Even in rare single-crystal quasielastic neutron scattering (QENS) studies, the focus has predominantly been on self-diffusion through incoherent scattering [23,24]. Comprehensive coherent QENS (c-QENS) studies on superionic crystals are thus highly desirable to resolve the microscopic physics underpinning the collective diffusion mechanism. This demands state-of-the-art neutron spectroscopy measurements on large, high-quality single crystals, complemented with thorough analysis of the complex 4D $S(\mathbf{Q}, E)$, to probe and rationalize the key dynamical timescales and spatial correlations.

Argyrodites with the general composition $A_7\text{PCh}_6$ ($A = \text{Li, Cu, Ag}$; $\text{Ch} = \text{S, Se}$) have emerged as a widely

studied class of superionic compounds, owing to their remarkable ionic diffusivity, but their structural complexity and multiple diffusion pathways have challenged both experiments and simulations [25–29]. Computational studies have predicted that ion diffusion in argyrodites is highly correlated, yet direct experimental evidence remains lacking [28,30–32]. Beyond collective ion hops, further dynamical correlations between the hops of mobile ions and phonon modes of the framework lattice could also enable fast ion transport [33,34]. These included considerations of soft lattice [35,36], phonon anharmonicity [37–39], and a so-called paddle-wheel scenario [40]. However, it remains highly debated which dynamical correlations are key for ionic transport, with controversy surrounding the paddle-wheel effect [33,41,42]. Indeed, atomistic simulations point to the absence of a paddle-wheel mechanism in argyrodites, suggesting that other dynamical correlations are at play [26,27]. Inelastic neutron scattering (INS) measurements on powder samples of several argyrodites found softening and broadening of low-energy phonons across the superionic transition, suggesting that some particularly soft and anharmonic phonon modes may act as precursors to ionic hopping [26–29]. Recent work on $\text{Li}_6\text{PS}_5\text{Cl}$ [27] further showed that overdamped low-energy phonons lead to a linear DOS, the characteristic signature of liquid diffusion described by the instantaneous normal mode framework [43–45]. These findings reveal the presence of liquidlike dynamics in superionic argyrodites and point to their intrinsic origin in strongly anharmonic phonons. However, powder-based measurements inherently obscure mode-resolved information, leaving open the central question of which specific phonon modes are most strongly involved in the emergence of a superionic phase. Moreover, although low-energy phonons have been proposed to encode minimum energy pathways for ion migration, whether collective vibrational modes are the origin of correlated ion hopping has remained unclear [46–48].

To directly assess the extent of cooperativity of ionic hops and identify the key dynamical correlations underlying facile ionic transport, we performed extensive neutron scattering measurements and large-scale machine-learned molecular dynamics (MLMD) simulations on the argyrodite Cu_7PS_6 , which becomes superionic above an order-disorder transition at 510 K [49,50]. Copper ions present a unique advantage for neutron scattering investigations, possessing both incoherent ($\sigma_{\text{inc}} = 0.55$ b) and coherent ($\sigma_{\text{coh}} = 7.485$ b) scattering cross sections, which provides access to both single-particle and collective ionic dynamics [51]. By leveraging the full capability of neutron scattering, here we report the first direct observation of collective hopping in superionic argyrodites and trace its origin to strongly anharmonic phonons. Our measurements on high-quality single crystals reveal prominent $\mathbf{Q}$ -dependent

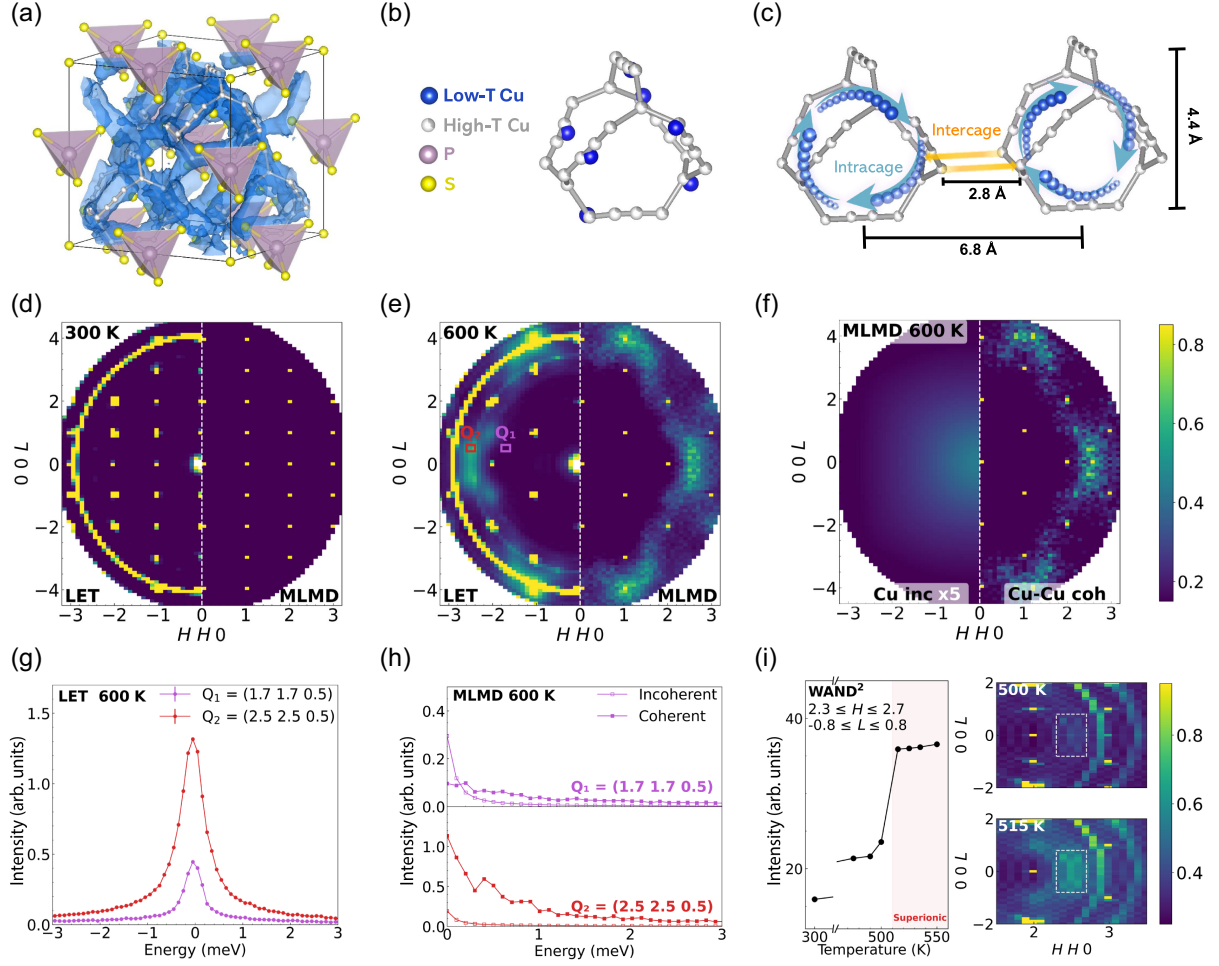


FIG. 1. Coherent QENS revealing collective hopping in the superionic Cu_7PS_6 . (a) Crystal structure of Cu_7PS_6 in the superionic phase, with Cu probability density (blue clouds) visualized from 600 K MLMD trajectories. (b) Overlay of Cu sites in the normal phase and partially occupied Cu sites in the superionic phase for a representative cage. (c) Schematic illustration of intracage and intercage pathways in Cu_7PS_6 . Intracage jump in argyrodites is predicted to be highly correlated. (d), (e) Elastic intensity maps in the $(H H L)$ plane ($|E| \leq 1$ meV) from LET measurements (left) and MLMD simulations (right) at (d) 300 and (e) 600 K, showing the emergence of diffuse scattering lobes in the superionic phase, particularly around $\mathbf{Q} = (2.5 \ 2.5 \ 0)$ and $(1 \ 1 \ 4)$. The ring in LET data is from diffraction by the aluminum sample holder. (f) $S(\mathbf{Q})$ maps in the $(H H L)$ plane for $|E| \leq 1$ meV from the Cu incoherent contribution (left) and the Cu-Cu coherent contribution (right), calculated from 600 K MLMD trajectories. The intensity of the Cu incoherent contribution is multiplied by 5 to highlight the feature. (g) Representative $S(E)$ spectra at 600 K from LET at $\mathbf{Q}_1 = (1.7 \ 1.7 \ 0.5)$, off the diffuse lobes, and $\mathbf{Q}_2 = (2.5 \ 2.5 \ 0.5)$, on the diffuse lobes, revealing a stronger QENS response at $\mathbf{Q}_2$. (h) Corresponding MLMD-simulated $S(E)$ spectra at the same $\mathbf{Q}$ points, separated into coherent and incoherent components, showing the strong coherent QENS contribution at $\mathbf{Q}_2 = (2.5 \ 2.5 \ 0.5)$. (i) Temperature-dependent intensity of diffuse lobes around $(2.5 \ 2.5 \ 0)$ from WAND² measurements, with maps at selected temperatures just below and above the T_c , highlighting the sharp emergence of diffuse scattering upon entering the superionic phase.

dynamic diffuse scattering intensity between Bragg peaks, emerging in the superionic phase, from which we are able to directly resolve the nature of spatial correlations between diffusive Cu ions. Furthermore, our QENS measurements resolve the single-ion dynamics via incoherent QENS (dominant at low $|\mathbf{Q}|$) probing the self Van Hove function, $G_s(\mathbf{r}, t)$, and the pairwise cooperative diffusive dynamics for larger $\mathbf{Q}$ associated with local processes [coherent QENS probing the distinct Van Hove function, $G_d(\mathbf{r}, t)$]. Our extensive atomistic simulations reproduce the experimental observations of all QENS components and further

provide real-space insights into the collective hopping mechanism, showing that cations hop in concert while maintaining a short-ranged Cu-Cu ordering pattern. Finally, we reveal that this behavior originates from the breakdown of phonon quasiparticles, establishing a direct connection between soft anharmonic collective vibrations of the parent phase and concerted ionic hopping in the superionic regime. Together, these results establish the crucial dynamical correlations underpinning superionic transport in crystals, offering a fundamental framework for understanding and designing novel SICs.

II. COLLECTIVE HOPPING PROBED BY COHERENT QENS

The crystal structure of Cu_7PS_6 has been investigated by x-ray diffraction [49,50]. At room temperature, Cu_7PS_6 crystallizes in the normal cubic P2_13 phase, comprising a framework of PS_4^{3-} tetrahedra and free S^{2-} ions, with Cu ions fully occupying the Wyckoff 4a and 12b sites. Above the phase transition at $T_c = 510$ K into the superionic $F\bar{4}3m$ phase, the Cu ions become disordered and hop through three partially occupied sites (48h, 48h, and 16e) [50]. Importantly, the spatial probability density of Cu ions is very broad, forming an extended continuum as illustrated in Fig. 1(a), evidence of a shallow underlying potential energy surface. The partially occupied Cu sites in the superionic phase form cagelike clusters, with each unit cell of Cu_7PS_6 containing four such cages. Additional structural renderings are provided in Figs. S3 and S4 [52]. Figure 1(b) compares the ordered Cu sites in the normal phase with the partially occupied sites in the superionic phase for a representative cage. Each cage has a truncated tetrahedral geometry with six edges yet accommodates seven Cu ions. This arrangement prevents all Cu ions from occupying equivalent or equidistant sites, resulting in a geometrically frustrated configuration, with the shortest Cu-Cu distance being around 2.9 Å [Figs. S3(b) and S5 [52]]. As shown schematically in Fig. 1(c), two main pathways are combined to achieve long-range facile diffusion in argyrodites, with intracage process referring to mobile ions exploring multiple sites within a single cage and intercage process describing hops between cages. Previous computational studies of argyrodites suggested that intracage hops are highly correlated [30,31].

A. Emergence of diffuse scattering and coherent QENS in superionic phase

We first report the experimental signature of collective hopping in superionic Cu_7PS_6 from single-crystal neutron scattering. Figures 1(d) and 1(e) show elastic maps measured on the LET spectrometer at the ISIS Neutron and Muon Source at 300 K in the normal phase and at 600 K in the superionic phase. The data confirm the high quality of our crystal and clearly capture the structural transition from simple cubic to face-centered cubic (only all-even or all-odd Miller indices allowed above T_c). Importantly, a clear $\mathbf{Q}$ -dependent diffuse scattering signal emerges in-between Bragg peaks in the superionic phase, forming several lobes including local intensity maxima around (1 1 4) and (2.5 2.5 0) in the horizontal scattering plane, as well as in vertical planes (Fig. S7 [52]). To rationalize these observations, we performed large-scale MLMD simulations with machine-learned potentials trained on *ab initio* data. This approach enables larger and longer simulations while maintaining near density-functional-theory-level accuracy. The simulations were run on a $10 \times 10 \times 10$ supercell (56 000

atoms) to achieve the momentum resolution of 0.1 in reciprocal lattice units (r.l.u.), allowing direct comparison with the neutron measurements. Our MLMD simulations successfully reproduce the diffuse scattering lobes [see Figs. 1(d), 1(e), S6(a), and S7 [52]] and further reveal that this signal originates exclusively from Cu-Cu pair correlations (Fig. S8 [52]). Consistent diffuse signals are seen in energy-integrated neutron diffraction measurements performed over an extended $\mathbf{Q}$ range and for additional temperatures with WAND² at the high flux isotope reactor (HFIR), which show the same diffuse lobes as LET in the horizontal plane [Figs. 1(i) and S9 [52]]. Furthermore, the WAND² data show a decay of diffuse intensity at higher $|\mathbf{Q}|$, consistent with angstrom-scale correlations, and reveal an abrupt temperature dependence, with diffuse lobes suddenly appearing in the superionic phase.

The diffuse lobes in the superionic phase reflect the existence of prominent short-range Cu-Cu correlations, despite Cu ions hopping dynamically across many sites. Indeed, these correlations are dynamic in nature, unlike the static short-range disorder often discussed in diffraction measurements. Figure S10 [52] shows the $S(\mathbf{Q})$ maps with different E -integration ranges from LET data, demonstrating the dynamic nature of the diffuse signal, which exhibit a finite energy component extending beyond the elastic channel. These results indicate dynamically correlated disorder and suggest that Cu-Cu pairs tend to hop collectively while preserving short-range spatial correlations. Since coherent scattering arises from interference between neutron wavelets scattered by different atoms, it is sensitive to relative atomic positions and produces structured $\mathbf{Q}$ -dependent intensity in reciprocal space. In contrast, incoherent scattering probes only the self-correlation of individual atoms and therefore produces smoothly varying intensity distribution. Therefore, the intensity maxima observed for $\mathbf{Q}$ vectors on diffuse lobes, with their associated quasielastic response, demonstrate the presence of coherent QENS, as expected from the dominantly coherent scattering length of Cu [19,63]. This interpretation is supported by the MLMD calculations shown in Fig. 1(f), where the Cu incoherent and Cu-Cu coherent contributions to the $S(\mathbf{Q})$ maps are presented separately (the intensity of the Cu incoherent contribution is multiplied by 5 to make the feature more visible; for the same intensity scale, see Fig. S11 [52]). These demonstrate that the observed $\mathbf{Q}$ -dependent diffuse intensity originates predominantly from the Cu-Cu coherent contribution. To further illustrate this, we compare the spectra at two representative $\mathbf{Q}$ points $\mathbf{Q}_1 = (1.7 \ 1.7 \ 0.5)$, away from the diffuse lobes, and at $\mathbf{Q}_2 = (2.5 \ 2.5 \ 0.5)$, on a diffuse lobe, respectively. As shown in Fig. 1(g), the QENS signal extends up to a few meV at both $\mathbf{Q}$ at 600 K. This broadening, which significantly exceeds the instrumental resolution of 0.28 meV [Figs. 2(c) and 2(d)], reflects rapid relaxational dynamics of Cu ions from stochastic hopping in the

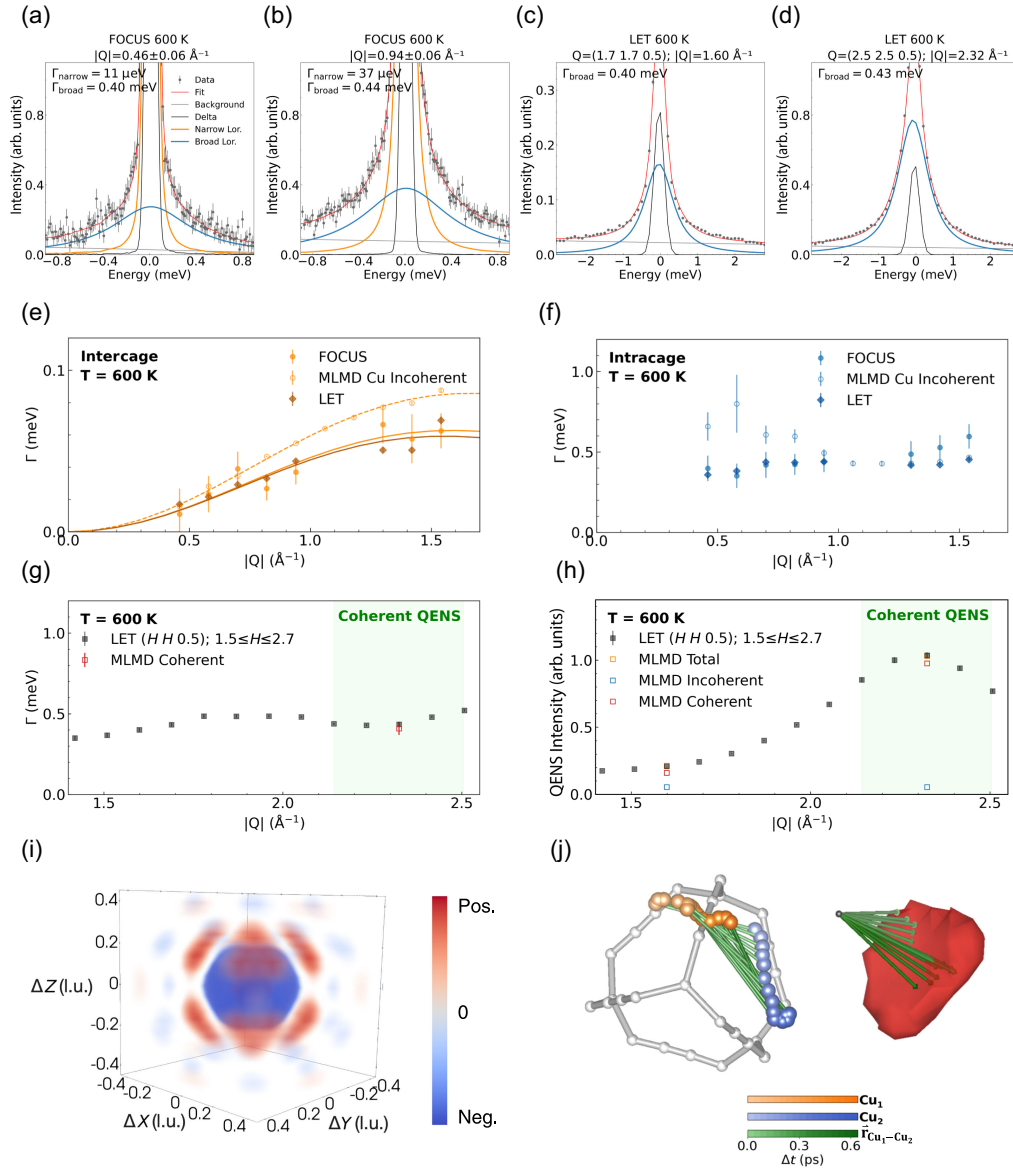


FIG. 2. Resolving the diffusion processes in Cu_7PS_6 including long-range intercage jump, restricted intracage jump, and collective behavior emerging during intracage jump. (a)–(d) Representative QENS spectral fits at 600 K. QENS widths are reported as half width at half maximum (HWHM). (a),(b) High-resolution powder QENS measurements at low- $|Q|$ region with FOCUS resolve two QENS components with distinct timescales, corresponding to slow and fast hopping processes. (c),(d) LET single-crystal measurements at higher Q around the diffuse scattering capture the broader component. (e),(f) The slow and fast components extracted from FOCUS exhibit (e) $|Q|$ -dependent broadening following the Chudley-Elliott model (curves), consistent with long-range intercage diffusion, and (f) $|Q|$ -independent broadening, indicative of localized intracage motion. MLMD simulations reproduce these features and confirm that the QENS broadening in the low- $|Q|$ region arises primarily from incoherent scattering due to Cu self-diffusion. The two distinct QENS components are likewise observed in the LET single-crystal measurements with $E_i = 1.91$ meV. (g) QENS widths extracted from LET measurements along the $[HH0.5]$ direction, with the green shading indicating the region where diffuse scattering and coherent QENS are observed. LET measurements yield the same $|Q|$ -independent width as in (f), confirming that the observed dynamics are associated with intracage process, but further reveal coherent QENS features at specific Q points, highlighting the presence of collective hopping. (h) QENS intensity along the $[HH0.5]$ direction at 600 K from LET measurements and MLMD simulations, showing a clear Q dependence with stronger intensity at specific Q regions arising from coherent QENS. The QENS intensity from LET is obtained from the integrated area of the fitted Lorentzian components shown in Fig. S35 [52]. The intensity from MLMD is obtained from the integrated area of $S(E)$ in the quasielastic region shown in Fig. 1(h), excluding the elastic line. (i) Calculated 3D Δ -PDF from 600 K MLMD reveals strong positive Cu-Cu correlations along specific bond vectors near $[0.15\ 0.15\ 0.25]$, indicating spatially correlated hopping. (j) MLMD trajectories confirm that Cu ions undergo collective intracage jump while preserving a specific set of Cu-Cu bond vectors. Left: a representative two-ion collective hop from 600 K MLMD. Only frames corresponding to a correlated hop are shown for clarity (time step between frames shown is 0.04 ps). Right: temporal evolution of the Cu-Cu bond vector during this event, overlaid on the strong correlation feature in the 3D Δ -PDF.

superionic phase. Importantly, the QENS intensity at (2.5 2.5 0.5), where diffuse scattering is observed, is much stronger. MLMD simulations reproduce the observed phenomenon and allow us to separate the incoherent and coherent contributions [Figs. S6(b) [52] and 1(h)]. Pronounced coherent QENS is observed at (2.5 2.5 0.5), in contrast to (1.7 1.7 0.5). This confirms that the stronger QENS intensity at (2.5 2.5 0.5), which is the dynamic component of the diffuse signal, originates from c-QENS.

Generally, ion diffusion is studied by incoherent QENS, which provides microscopic information about self-diffusion alone. The observation of coherent QENS in ionic hopping systems reflects spatially correlated ionic jumps, indicative of a collective hopping mechanism [19,22,64–68]. It should be noted, however, that coherent QENS reflects overdamped correlated dynamics and is not *a priori* associated with collective hopping (see discussion in Appendix B). Yet, in the present case of Cu_7PS_6 , the coherent QENS signal emerges specifically in the superionic phase, concomitant with the onset of rapid Cu-ion hopping. We further show that the coherent QENS observed with INS matches, in both $\mathbf{Q}$ and E , the MLMD simulations. The signal arises from spatial correlations associated with the cooperative Cu hopping process. Additional discussion of the interpretation of coherent QENS as a signature of collective hopping behavior is provided in Appendix B. Together, our neutron scattering measurements and MLMD simulations reveal $\mathbf{Q}$ -dependent diffuse scattering with coherent QENS in superionic Cu_7PS_6 , providing experimental evidence of its collective hopping behavior. We note that polarized neutron measurements can, in principle, provide a separation of coherent and incoherent scattering contributions [64,69]. However, such measurements remain extremely slow and therefore impractical to map $S(\mathbf{Q}, E)$ on single crystals while maintaining the resolution needed for QENS. Here, by leveraging a single crystal with Cu as a strong coherent neutron scatterer, we identify c-QENS through its pronounced $\mathbf{Q}$ dependence without requiring polarization analysis [see intensity difference in calculated $S(\mathbf{Q})$ from Cu incoherent and Cu-Cu coherent contributions in Fig. 1(f)]. Our measurements represent the first comprehensive mapping of $S(\mathbf{Q}, E)$ in a high-quality superionic argyrodite crystal, unambiguously revealing diffuse scattering features associated with correlated dynamic disorder in the superionic phase.

III. REAL-SPACE INSIGHTS INTO COLLECTIVE HOPPING

A. Resolving the diffusion processes from incoherent and coherent QENS

We next demonstrate that the observed fast coherent QENS arises from collective behavior during intracage process, while a slower incoherent QENS at low $|\mathbf{Q}|$

TABLE I. Hopping distances, residence time, and diffusion coefficients of the intercage process at 600 K. These values are extracted based on the Chudley-Elliott fit of QENS spectra.

	FOCUS	MLMD
d_{jump} (Å)	2.8 ± 0.3	2.7 ± 0.1
τ (ps)	12.8 ± 1.2	9.3 ± 0.2
D ($\times 10^{-5}$ cm ² /s)	1.04 ± 0.32	1.31 ± 0.14

captures the long-range self-diffusion. To resolve slower diffusion processes in Cu_7PS_6 , we performed QENS measurements on a powder sample using FOCUS at Swiss Spallation Neutron Source, with an instrumental energy resolution of 80 μeV at a series of temperatures. The T -dependent spectra from FOCUS (Fig. S12 [52]) show a clear QENS broadening upon warming above T_c . Figures 2(a) and 2(b) show representative fits of FOCUS spectra measured at 600 K. A delta function represents elastic scattering, and two Lorentzian components are used to capture QENS contributions, with all fit components convolved with the instrument resolution. Notably, the spectra are well described by two Lorentzian components with distinctly different widths, indicating the presence of two separate diffusion processes. The width of the broad component does not vary substantially with increasing $|\mathbf{Q}|$, while the narrow one broadens, consistent with localized vs long-range diffusion [19,20]. Our MLMD simulations reproduce these observations and further establish that the FOCUS data primarily reflect the self-diffusion of Cu ions (Supplemental Material [52] Sec. IV). Figures 2(e) and 2(f) summarize the $|\mathbf{Q}|$ -dependent QENS widths of the two processes identified in the FOCUS measurements and simulations. The narrower component follows a Chudley-Elliott jump diffusion model, consistent with long-range diffusion on a periodic lattice [70]. The corresponding jump distance, residence time, and diffusivity are summarized in Table I. The extracted jump length of approximately 2.8 Å matches the shortest intercage Cu-Cu distance (Fig. S5 [52]), and the diffusivity, on the order of 10^{-5} cm²/s, is consistent with previous reports in argyrodites [26–29]. We therefore infer that this slower process is being limited by intercage process. In contrast, the width of the broader component is approximately 0.4 meV, corresponding to a timescale of about 1.6 ps, which is about 10 times faster than the slower process, and exhibits no $|\mathbf{Q}|$ dependence, a characteristic of localized motions within a confined volume [19,20,71]. This broader component is therefore assigned to fast intracage jump, where Cu ions rapidly explore multiple sites within a single cage, but sensed through the incoherent scattering process from individual ions. The two distinct diffusion processes can be clearly illustrated by the calculated $G_s(r, t)$ for Cu ions from 600 K MLMD trajectories

(Fig. S14 [52]). At short timescales (within 2 ps), Cu ions hop by around 3 Å, the characteristic jump length of the intracage hopping process. The correlation remains at 3–4 Å over longer times, meaning that the ion remains confined within the same cage. After about 20 ps, a new component appears around 6 Å, separated by a gap from the intracage regime, indicating the onset of intercage hopping onward to long-range transport. We note that the QENS signal from FOCUS is in quantitative agreement with our LET single-crystal measurements ($E_i = 1.91$ meV, resolution = 60 μ eV) after powder averaging, further strengthening our analysis. Additional details regarding QENS analysis and diffusive characteristics are provided in Supplemental Material [52] Sec. V.

After establishing the diffusive characteristics of intercage and intracage processes from FOCUS data and MLMD, we now analyze the QENS widths from LET measurements to determine which process gives rise to the coherent signal. Figure 2(g) shows the $|\mathbf{Q}|$ dependence of the QENS width from LET data along the $[H H 0.5]$ direction across the diffuse lobes. The QENS width shows little $|\mathbf{Q}|$ dependence (constant ~ 0.4 meV), matching the broad component associated with intracage jump observed with FOCUS. Notably, the QENS intensity exhibits a clear $\mathbf{Q}$ dependence, with stronger response at specific $\mathbf{Q}$, a signature of coherent QENS [Fig. 2(h)]. This is further supported by our MLMD simulations, which clearly show that the coherent QENS intensity peaks at the locations of the diffuse lobes, leading to the observed $\mathbf{Q}$ -dependent QENS intensity, whereas the incoherent QENS exhibits only weak $\mathbf{Q}$ dependence, with little intensity in the high- $\mathbf{Q}$ region where the diffuse lobes are observed [see Fig. 1(f), which shows that the incoherent QENS intensity is much stronger at low $\mathbf{Q}$]. The same QENS width is observed in $\mathbf{Q}$ regions where coherent QENS emerges, indicating that the coherent QENS originates from the intracage process. This is further supported by the calculated distinct Van Hove correlation function $G_d(\mathbf{r}, t)$, which captures the rapid decay of Cu-Cu pair correlations consistent with collective intracage jump (see Supplemental Material [52] Sec. VI). We further characterized the temperature dependence of the coherent QENS at (2.5 2.5 0.5) from CTAX measurements at HFIR, yielding an activation energy of around 90 meV for the collective hopping process (Supplemental Material [52] Sec. VII). We note that the intracage process is reflected in both incoherent and coherent QENS channels. The incoherent signal provides the observation of single-particle dynamics of Cu ions, while the coherent part captures correlations in Cu hops within cages. Our single-crystal QENS measurements thus directly reveal the collective nature of intracage jump, providing the first experimental confirmation of prior computational predictions. Importantly, our findings are distinct from the de Gennes narrowing scenario, often discussed in coherent QENS theory, where QENS widths narrow at wave vectors with

strong $S(\mathbf{Q})$ intensity, reflecting long-lived metastable correlated configurations [68,72,73]. In superionic Cu₇PS₆, the coherent QENS spectra at diffuse lobes remains broad, reflecting very fast and continuous spatially correlated hopping dynamics. Such collective hopping is believed to underpin the facile ion transport in argyrodites, making them attractive SICs [10,30,32].

B. Spatial correlation of collective hopping

To gain real-space insight into Cu-Cu spatial correlations during the hopping process, we calculate the 3D Δ -PDF at 600 K, obtained from our diffuse scattering simulations over a large reciprocal space, up to 10 r.l.u. in each direction (Fig. S19 [52]). The 3D Δ -PDF encodes real-space ion-ion correlations, and its maxima reflect preferred bond vectors—it is the Fourier transform of the diffuse scattering observed in $\mathbf{Q}$ space with the correlations of the average crystal lattice subtracted [74–76]. We note that our measurements clearly capture the diffuse scattering features, providing experimental evidence for the underlying spatial correlations. However, limited $\mathbf{Q}$ coverage and background artifacts in neutron scattering measurements prevent a robust reconstruction of the 3D Δ -PDF, and we therefore resort to simulations. The resulting 3D Δ -PDF exhibits strong positive correlations along bond vectors forming a triangular patch, with local maxima at around [0.15 0.15 0.25] in lattice unit (l.u.), and permuted coordinates [red patches in Fig. 2(i)]. Eight such patches, following the local symmetry of the cages, are located approximately 3 Å from the origin. These indicate the preferred Cu-Cu distance and bond directions maintained during hopping process. Consistently, the diffuse lobe at (2.5 2.5 0.5) has a wave-vector magnitude $|\mathbf{Q}| = 2.32 \text{ \AA}^{-1}$, corresponding to $d \approx 2.7 \text{ \AA}$ in real space, matching the strong positive correlations revealed in the 3D Δ -PDF. From MLMD trajectories, we further identify collective intracage events for pairs of Cu ions moving along adjacent edges of a cage, while maintaining bond vectors consistent with the spatial correlations predicted by the 3D Δ -PDF [Fig. 2(j)]. Together, these findings reveal the dominant spatial correlations underlying collective hopping in Cu₇PS₆, which give rise to the observed diffuse scattering and coherent QENS. We also computed the correlation factor related to the Haven ratio from MLMD trajectories, yielding a value of 2.8 for Cu ions at 600 K, indicating that, on average, about three Cu ions hop collectively (Supplemental Material [52] Sec. VIII). Additional collective hopping events identified in our MLMD trajectories, including multi-ion hops, are shown in Fig. S20 [52].

IV. CONNECTION TO ANHARMONIC PHONONS

Next, we show how specific phonons activate fast collective hopping. Figures 3(a) and 3(b) compare the slices of $S(\mathbf{Q}, E)$ from LET along the $[2.5 2.5 L]$ direction,

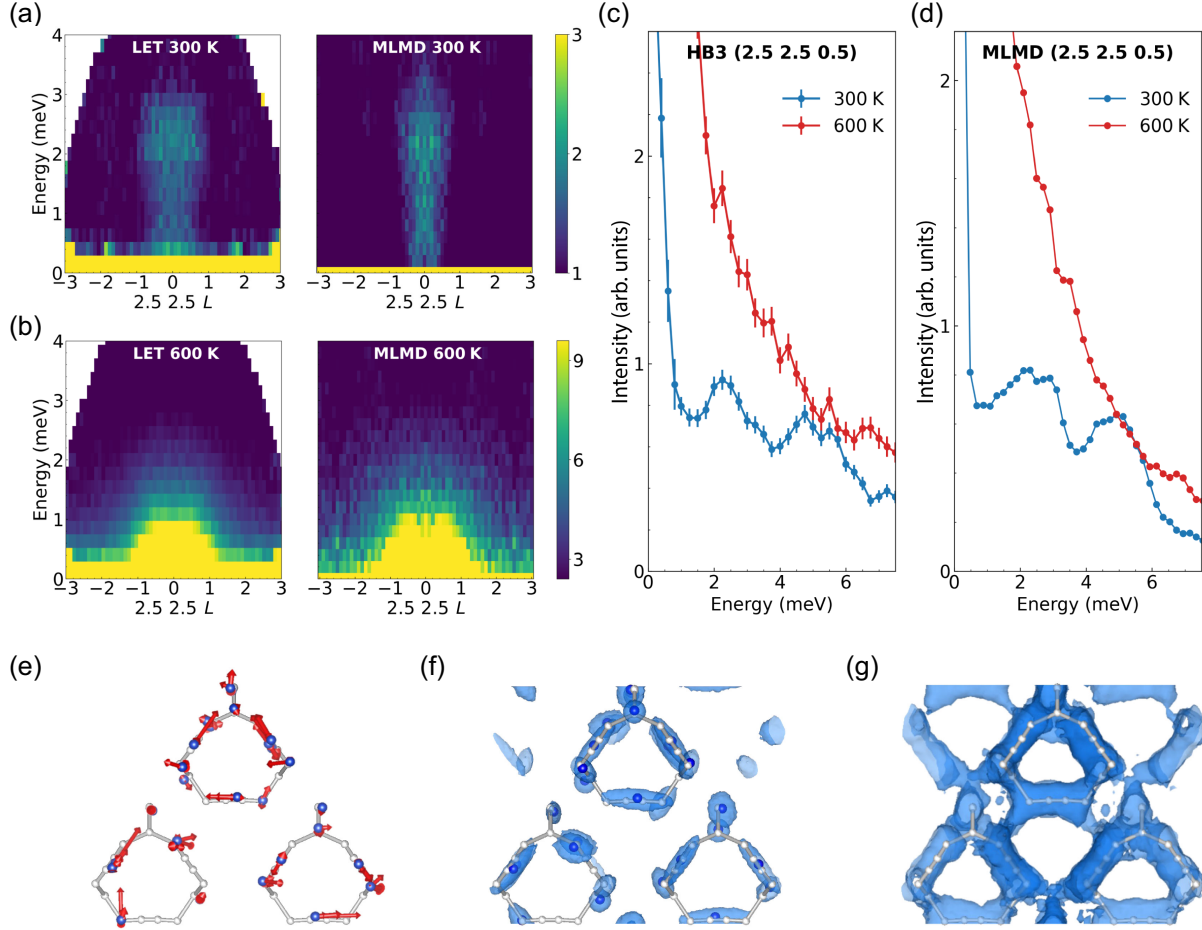


FIG. 3. Evolution from phonon vibrations to collective hopping across the superionic transition in Cu_7PS_6 . (a)–(d) INS measurements and MLMD simulations reveal that the coherent QENS originates from the breakdown of low-energy optical phonons. $S(\mathbf{Q}, E)$ slices along the $[2.5, 2.5, L]$ direction, measured by LET and simulated by MLMD at (a) 300 and (b) 600 K, together with energy spectra at $\mathbf{Q} = (2.5, 2.5, 0.5)$ from (c) HB3 measurements and (d) MLMD simulations. (e) Eigenvectors of the soft optical mode at $\mathbf{q} = (0.5, 0.5, 0.5)$ with 3.36 meV in the P2_13 phase. The phonon eigenvectors (red arrows) strongly overlap with the intracage pathway. (f) Probability density of Cu ions from configurations generated by the low-energy phonon modes. (g) Cu probability map from 600 K MLMD for comparison.

across the diffuse lobes, at 300 and 600 K. A broad maximum of intensity centered at about 2.5 meV at around $(2.5, 2.5, 0)$ is observed at 300 K, reflecting that this phonon mode is already very soft and damped even at room temperature. This broad phonon evolves into the coherent QENS response in the superionic phase at 600 K, becoming overdamped as the vibrational dynamics become relaxational from stochastic jumps in time. Again, our MLMD simulations successfully capture this behavior. A clear evolution from low-energy phonons to coherent QENS is also observed in the energy spectra measured at $(2.5, 2.5, 0.5)$ using HB3 at HFIR. As shown in Figs. 3(c) and 3(d), the low-energy phonon peak around 2.5 meV seen at 300 K evolves into a quasielastic response at 600 K. Figure S22 [52] compares the data from LET and HB3, cross-validating our observations.

We further trace these phonon modes to lower temperatures with HB3 and characterize their temperature

evolution. Figure S23(a) [52] shows $S(E)$ spectra at $\mathbf{Q} = (2.5, 2.5, 0.5)$ from 50 to 600 K. At 50 K, well-defined low-energy optical phonon peaks are observed at approximately 3.5 and 6 meV, consistent with estimates from a heat capacity analysis [50]. As T increases, these phonon modes soften and broaden, eventually breaking down in the superionic phase. Notably, spectra of the 3.5 meV modes change dramatically even in the low-temperature range, reflecting the extremely soft bonding of the Cu ions with very shallow and anharmonic potentials. These lower-energy modes therefore correspond to large-amplitude vibrations of the Cu ions that approach the migration saddle points, evolving into the c-QENS response upon warming. The spectral weight transfer from low-energy phonons to diffusive dynamics across the superionic transition is reminiscent of prior investigations on other SICs based on powder-averaged $S(E)$ [26–29] and is also observed in our powder measurements [Fig. S23(b) [52]].

Beyond previous findings, here we identify the key phonon modes coupling to the superionic transition based on single-crystal INS and observe the breakdown of these modes as they evolve into coherent QENS and diffuse intensity in the superionic regime. These results highlight the intrinsic connection between phonon vibrations and collective hopping, with low-energy optical phonons of the parent normal phase representing precursor collective hopping modes. These soft phonons correspond to correlated Cu motions that align with the softest directions of the potential energy surface, enabling superionic diffusion via correlated hopping. The evolution from low-energy phonons to coherent QENS is further demonstrated in the computed $S(\mathbf{Q}, E)$ slices based on quasiharmonic approximation (QHA) and MLMD simulations at multiple T (Fig. S24 [52]). Importantly, MLMD allows us to separate the contributions from different ion pairs and establish that these dynamics are predominantly driven by cooperative motions of Cu cations.

Moreover, we can see that the phonon-activated collective hopping process is strongly modulated by the host lattice dynamics and contributes to long-range diffusion (see Supplemental Material [52] Sec. IX). This highlights the key role of lattice flexibility in ionic diffusion processes, supporting materials-design strategies based on tuning host-lattice dynamics [8,77]. In parallel, we also observe the emergence of a linear phonon DOS, $g(\omega) \sim \omega$, in the superionic phase, indicative of liquidlike dynamics (Fig. S26 [52]) [43,44]. This behavior echoes our recent observation in the Li argyrodite $\text{Li}_6\text{PS}_5\text{Cl}$ (in powder samples) that revealed liquidlike dynamics via an excess low-energy spectral weight, although the specific overdamped phonons could not be identified [27]. The coherent QENS observed in Cu_7PS_6 underlies this spectral weight enhancement and pinpoints the origin of the liquidlike DOS.

Lastly, we establish the specific phonon modes that act as precursors to intracage jump in Cu_7PS_6 using on phonon eigenvector analysis. Figure 3(e) visualizes the eigenvectors of the lowest-energy phonon modes with 3.36 meV at the reduced $\mathbf{q}$ point (0.5 0.5 0.5) calculated by QHA. These modes correspond to the low-energy phonons observed at (2.5 2.5 0.5) in the LET and HB3 measurements. We find that the atomic displacements from these modes strongly overlap with the intracage pathways of Cu ions. By projecting the MLMD trajectories onto these modes and computing the mode-projected power spectrum, we clearly observe a well-defined phonon peak at low temperatures, which gradually broadens and eventually breakdowns upon warming across the superionic transition (Fig. S27 [52]). To further validate that these phonon modes act as a precursor to intracage jump, we generate Cu configurations compatible with these eigenvectors and compute the resulting Cu probability density. The resulting distribution closely resembles the intracage Cu density calculated from the

600 K MLMD simulations [Figs. 3(f) and 3(g)], further supporting our identification of the precursor phonons that facilitate intracage concerted jump.

V. CONCLUSION

Our study firmly establishes the prevalence of collective hopping in superionic argyrodites and traces its origin to specific low-frequency phonons, by combining comprehensive neutron scattering experiments with large-scale MLMD simulations resolving 4D spatiotemporal correlations of ionic motions. We decisively reveal the emergence of $\mathbf{Q}$ -dependent diffuse scattering and coherent QENS in superionic Cu_7PS_6 , providing experimental evidence of spatially correlated cation hops. Our results clearly reveal collective Cu ion hops along the edges of clusters, preserving a preferred bond distance and a set of bond vectors. Furthermore, we demonstrate that these collective intracage hops originate from the breakdown of specific phonon modes in the parent phase, establishing a microscopic connection between soft phonons along a shallow saddle point in the potential energy surface and concerted ionic migration. The cooperative hopping behavior identified herein goes beyond prior predictions and directly measures the key dynamic correlations enabling facile diffusion in argyrodites. Taken together, these results resolve prior controversies and reveal the dynamical origin of ionic diffusion, going beyond conventional considerations of static potential energy surfaces. The definite link established between precursor phonons and facile collective hops advances the fundamental understanding of ion transport and provides a physical basis for tuning relevant vibrational modes to shape transport properties in superionic materials.

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O. D. and H.-M. L. designed the research. A. P. grew and characterized the single crystal. M. T. R. and A. Z. synthesized and characterized the powder sample. H.-M. L., T. W., J. R. S., F. J., T. H., Y. W., S. C., and D. L. A. performed neutron scattering measurements. H.-M. L., M. K. G., and N. O. performed simulations. H.-M. L. analyzed data. H.-M. L. and O. D. wrote the paper.

The authors declare that they have no competing interests.

DATA AVAILABILITY

All data needed to evaluate the conclusions in the paper are present in the paper and/or Supplemental Material [52]. Additional data related to this paper may be requested from the authors. The numerical data for the figures are available from the Duke open research repository [81]. The data from the LET experiments are available [82].

APPENDIX A: RESOLVING THE ATOMIC DYNAMICS THROUGH NEUTRON SCATTERING AND MOLECULAR DYNAMICS

The fundamental quantity describing atomic dynamics and correlations is the Van Hove correlation function $G(\mathbf{r}, t)$, defined in Eqs. (1) and (2) in the main text. The Van Hove correlation function can be decomposed into a self part $G_s(\mathbf{r}, t)$ and a distinct part $G_d(\mathbf{r}, t)$, describing single-particle motion and spatial correlations between different atoms, respectively.

In neutron scattering experiments, the measured quantity is the dynamical structure factor $S(\mathbf{Q}, E)$, which is the double Fourier transform of the Van Hove function in both time and space:

$$S(\mathbf{Q}, E) = \frac{1}{2\pi\hbar} \int_{-\infty}^{\infty} e^{iEt/\hbar} dt \int e^{-i\mathbf{Q}\cdot\mathbf{r}} G(\mathbf{r}, t) d\mathbf{r}. \quad (\text{A1})$$

The measured $S(\mathbf{Q}, E)$ has contributions from both the coherent dynamical structure factor $S_{\text{coh}}^{IJ}(\mathbf{Q}, E)$, which probes the correlated dynamics between the I th and J th elements, and the incoherent dynamical structure factor $S_{\text{inc}}^I(\mathbf{Q}, E)$, which probes the self-dynamics of the I th element. They are defined as

$$S_{\text{coh}}^{IJ}(\mathbf{Q}, E) = \frac{1}{2\pi} \int_0^{\infty} \sum_{i,j} e^{-i\mathbf{Q}\cdot[\mathbf{R}_{I,i}(0)-\mathbf{R}_{J,j}(t)]} e^{iEt/\hbar} dt, \quad (\text{A2})$$

$$S_{\text{inc}}^I(\mathbf{Q}, E) = \frac{1}{2\pi} \int_0^{\infty} \sum_i e^{-i\mathbf{Q}\cdot[\mathbf{R}_{I,i}(0)-\mathbf{R}_{I,i}(t)]} e^{iEt/\hbar} dt, \quad (\text{A3})$$

where $\mathbf{R}_{I,i}(t)$ is the i th atom position of element type I at time t and the summation indices i and j represent the sum over the I th and J th types of elements, respectively. The indices I and J may be equal, in which case $S_{\text{coh}}^{IJ}(\mathbf{Q}, E)$ describes correlations between different atoms of the same element. The total measured neutron scattering intensity is thus proportional to

$$S_{\text{tot}}(\mathbf{Q}, E) \propto \sum_{I,J} b_{\text{coh}}^I b_{\text{coh}}^J S_{\text{coh}}^{IJ}(\mathbf{Q}, E) + \sum_J (b_{\text{inc}}^J)^2 S_{\text{inc}}^J(\mathbf{Q}, E), \quad (\text{A4})$$

where b_{coh}^I and b_{inc}^I are the coherent and incoherent scattering lengths of the I th element, respectively, and the summation indices I and J run over different elements in the unit cell.

In addition to neutron scattering experiments, we performed large-scale molecular dynamics simulations, from which $S(\mathbf{Q}, E)$ [or $G(\mathbf{r}, t)$] can be directly computed from atomic trajectories, enabling direct comparison with neutron scattering measurements. For a detailed description of the methodology, see Supplemental Material [52].

APPENDIX B: COHERENT QENS AS A SIGNATURE OF COLLECTIVE HOPPING

Generally, coherent QENS reflects overdamped dynamics arising from spatially correlated displacements. It is not uniquely associated with collective hopping. It may also originate from damped structural fluctuations, as reported for metal halide perovskites even in the absence of ionic hopping [78,79]. In the present case of Cu_7PS_6 , however, the coherent QENS signal emerges only in the superionic phase, when Cu ions begin to hop rapidly. This indicates that the observed signal originates from spatial correlations associated with the hopping process, namely, cooperative hopping of mobile ion pairs between different sites while maintaining short-range dynamical correlations. Similar coherent QENS signatures have previously been used to investigate collective hopping behavior in bulk water, ionic liquid systems, quasicrystals, and fluoride conductors [64–68]. In the case of purely uncorrelated self-diffusion, the relative phases of the scattered neutron wavelets would become randomized and therefore would not produce the constructive interference responsible for the observed $\mathbf{Q}$ modulation of diffuse intensity maxima and coherent QENS.

Furthermore, the simultaneous observation of diffuse scattering and a QENS response in a superionic system does not by itself imply collective diffusion, since diffuse scattering may arise from static disorder of the host lattice [80], while incoherent QENS may originate from self-diffusion in a disordered system [22]. Here, the $\mathbf{Q}$ -dependent diffuse intensity arises from a coherent QENS response associated specifically with the mobile ions, reflecting short-range dynamic Cu-Cu correlations. We stress that the diffuse pattern observed in $S(\mathbf{Q})$ in Fig. 1(e) originates from the coherent QENS response, since the signal is integrated over the energy window $|E| \leq 1$ meV, which includes the quasielastic contribution and therefore reflects the underlying dynamic correlations.

Taken together, our single-crystal neutron scattering measurements directly resolve both the spatial and temporal aspects of the correlated Cu-ion dynamics in superionic Cu_7PS_6 . The observed coherent QENS response provides access to both the hopping characteristics and the underlying correlation vectors. As discussed in Sec. III, we match the observed coherent QENS signal to the intracage hopping process, evidencing cooperative hopping of Cu ions within the cage.

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