# A Table of Relative Abundances of Nuclear Species

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A new table of relative abundances of nuclear species existing in nature has been prepared based upon the best available data on the compositions of the sun, stars, and meteorites. The general methods utilized in compiling the table are explained.

## I. INTRODUCTION

S long ago as 1917 it became apparent that  $\Lambda$  relationships exist between nuclear properties and relative abundances.<sup>1</sup> In recent years increasing thought has been given by physicists to such relationships, and in particular to the question of the origin of the elements.<sup>2-19</sup> To date, the only reasonably adequate table of relative abundances of nuclear species available for comparing theory with experiment has been that of V. M. Goldschmidt, compiled in 1937.<sup>20</sup> Goldschmidt utilized primarily chemical data obtained on meteorites, coupled with data derived from stellar spectra. Since that time new developments have warranted re-evaluation of existing information. Significant changes from Goldschmidt's original table result from the following developments:

1. More extensive and accurate stellar data

2. More precise linking of stellar abundances to meteoritic abundances

3. More accurate evaluation of the ratio of metal to silicate phase in meteorites and in the inner planets

4. Statistical evaluation of standard deviations of elemental abundances in meteorites

5. Development of a general background guiding the use of meteoritical data in the compilation of such a table

6. The existence of more precisely determined isotope ratios

Ideally, values for the relative abundances of elements in the visible universe would be derived entirely

<sup>1</sup> W. D. Harkins, J. Am. Chem. Soc. 39, 856 (1917)

References 2-19 represent only a partial listing of papers on the origin of elements:

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- 2 T. E. Sterne, Mon. Not. R. Astr. Soc. 73, 736, 767, 770 (1933).<br>
<sup>2</sup> T. E. Sterne, Mon. Not. R. Astr. Soc. 73, 736, 767, 770 (1933).<br>
<sup>4</sup> S. Chandrasekhar and L. R. Henrich, Astrophys. J. 95, 288

<sup>4</sup> S. Chandrasekhar and L. R. Henrich, Astrophys. J. 95, 288<br>
(1942).<br>
<sup>5</sup> G. Gamow, Phys. Rev. 70, 572 (1946).<br>
<sup>6</sup> G. Wataghin, Phys. Rev. 70, 430 (1946).<br>
<sup>7</sup> O. Klein, G. Beskow and L. Treffenberg, Arkiv. f. Mat.<br>
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- <sup>14</sup> Gehenian, Prigogine, and Demeurs, Physica, 's Grav. 13, 429  $(1947).$ 
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1947).<br>
<sup>14</sup> Alpher, Bethe, and Gamow, Phys. Rev. 73, 803 (1948).<br>
<sup>16</sup> R. A. Alpher, Phys. Rev. 74, 1577 (1948).<br>
<sup>17</sup> R. A. Alpher and R. Herman, Phys. Rev. 74, 1737 (1948).<br>
<sup>13</sup> M. G. Mayer and E. Teller, Phys. Rev. 7 Elemente und der Atom-arten. IX Oslo (1938).

from stellar spectra. However, two main difficulties stand in the way of such an achievement:

1. The difficulty of converting spectral intensities to atomic abundances

2. The uncertainty as to whether or not elements are distributed homogeneously through stellar interiors

The first difficulty requires no comment here. The reader is referred to various papers on the derivation of abundances from stellar data.<sup>21-31</sup> The second difficulty is nearly as serious as the first. Arguments have been presented supporting both the concept of mixing, and of non-mixing, in stellar interiors. If it is correct that lithium and boron exist in the sun's atmosphere<sup>22-24</sup> then, in view of the short half-lives of these elements at

TABLE I. Stellar abundances of the lighter elements (atoms per atom of oxygen).

Ele- ment	Sun (Menzel and Goldberg) <sup>3</sup>	Sun (Unsöld) <sup>b</sup>	Planetary nebulae (Aller and Menzel) <sup>o</sup>	$\tau$ -Scorpii (Unsolid) <sup>d</sup>	$\gamma$ -Pegasi (Aller)
н	2.700	560	$1.400*$	1,000	10,000
He	595		400	182	2,000
	0.10	0.37	2.4	0.17	0.05 0.23
	0.32	0.76	$0.25*$	0.39	1.00
C NOF	1.00	1.00	1.00	1.00	
			0.0004		
Ne			0.04	1.1	
Na	0.010	0.0035			0.31
Mg	0.65	0.062		0.058	
	0.0065	0.0040		0.0037	0.011
$\frac{\text{Al}}{\text{Si}}$	0.20	0.037		0.064	0.09
	0.10	0.016	0.14		0.04
C1			0.008		0.02?
A			0.0060		0.10
K	0.0032	0.00029			
Ca	0.010	0.0031			
Ti	0.00010	0.00017			
v	0.000032	0.000021			

\* L. H. Aller, private communication.

• L. H. Aller, private communication.<br>
• D. H. Menzel: See Goldberg and Aller, "Atoms, Stars and Nebulae"<br>
• D. H. Menzel: See Goldberg and Aller, "Atoms, Stars and Nebulae"<br>
• L. H. Aller and D. H. Menzel, Astrophys. 24

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References 21-31 represent only a partial listing of publications References 21–31 represent only a partial listing of publications<br>on stellar spectra and the determination of stellar abundances:<br><sup>21</sup> C. H. Payne, *Stellar Atmospheres*, Harvard Observatory<br>Monographs, No. 1 (1925).<br><sup>22</sup>

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- $(1940).$ 
	- <sup>27</sup> A. Unsöld, Zeits. f. Astrophys. 21, 1 (1941).
- <sup>21</sup> E. H. Aller and D. H. Menzel, Astrophys. J. 102, 239 (1946).<br><sup>28</sup> L. H. Aller and D. H. Menzel, Astrophys. J. 102, 239 (1946).<br><sup>29</sup> A. Unsöld, Zeits. f. Astrophys. 24, 323 (1948).<br><sup>30</sup> J. L. Greenstein, Astrophys. J.
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TABLE II. Abundances of elements in meteoritic phases (percent by weight).

#### TABLE II. (Continued}.

Metal

Sulfide

Silicate



 $^t$ H. Brown and C. Patterson, J. Geol. 55, 405 (1947).<br>  $\epsilon$ I. and W. Noddack, Svensk. Kemisk Tidskrift 46, 173 (1934).<br>  $^b$ V. M. Goldschmidt, Skrifter Norske Videnskaps-Akad. Oslo. I. Mattury. Klasse (1938).<br>
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(1926).<br>
"O. C. Farrington, Field Columbian Museum Publ. No. 120 (1907).<br>
"O. C. Farrington, Field Columbian Museum Publ. No. 120 (1907).<br>
"I. Noddack, Zeits. f. anorg. u. allgem. Chemie 225, 337 (1935).<br>
"V. M. Goldschmi

the central temperature of the sun, it is possible that concentration gradients exist which cannot be neglected. If this is true, measurements of abundances of elements on stellar atmospheres would not be representative of the interior abundances.

Goldschmidt and others circumvented these difficulties by utilizing, wherever possible, data derived from the composition of meteoritic matter. The use of such data requires assumptions which are reasonable, but as yet not entirely proved. The primary assumption necessary is that the sum total of meteoritic matter is representative of the composition of stellar matter, with the exception of those elements which are extremely volatile (such as the rare gases) and those elements which probably existed in the form of volatile compounds at the time of planet condensation (such as  $CH<sub>4</sub>$  and  $H<sub>2</sub>O$ ).

Recent developments in the theory of planet forma-



aa T. V. Fellenberg, Biochem. Zeits. 187, <sup>1</sup> (1927). bb G. Hevesy and K. Wurstlin, Zeits. f. anorg. allgem. Chem. 216, 312

 $(1934)$ .<br><sup>ec</sup> K. Rankama, Science 106, 13 (1947).

dd H. Brown and E. Goldberg, Science (in press).<br><sup>ee</sup> H. Brown and E. Goldberg, unpublished.

<sup>ff</sup> K. Rankama, Bull. Comm. Geol. Finlande No. 133 (1944).<br> **ss H. Brown and E.** Goldberg, unpublished.<br> **is H. S. Sandell, Ind. Eng. Chem. (An. Ed.) 16, 342 (1944).**<br>
<sup>is</sup> E. B. Sandell, Ind. Eng. Chem. (An. Ed.) 16, 34

tion make it appear reasonable that the planets are representative of the sun in composition, excepting the volatile constituents, which are probably responsible for the marked differences in physical characteristics that exist between the outer and inner planets. Lately the trend of thought has been directed more and more in the direction of planet condensation at relatively low<br>temperatures.<sup>32, 33</sup> If this concept is correct, the line of temperatures. If this concept is correct, the line of demarcation between "volatile" and "non-volatile" constituents can be clearly drawn.

It is possible that meteorites had their origin in a planet very similar to the earth in general physicochemical characteristics, and a gross composition very

 $^{32}$  C. von Weizsächer: see S. Chandrasekhar; Rev. Mod. Phys.<br>18, 94 (1946).

<sup>&</sup>lt;sup>33</sup> D. ter Haar, Kgl. Danske Vid. Sels. Math. Fys. Medd. 25, No. 3 (1948}.

similar to that of the earth. $34,35$  It further appears reasonable that the inner planets have similar compositions, the marked differences in density among them arising almost entirely from their differing masses, and<br>as a result, their differing internal compressions.<sup>36</sup> as a result, their differing internal compressions. $36$ 

If the inner planets in reality have nearly identical compositions, and gross meteoritic matter corresponds to the composition of the inner planets, then the composition of meteoritic matter should correspond to the gross composition of the sun with respect to nonvolatile constituents. How closely this might represent the relative abundances of the same constituents in gross cosmic matter is not clear. Data derived from stellar spectra do not permit many precise comparison<br>between the sun and other stars. Greenstein,<sup>30</sup> wh between the sun and other stars. Greenstein,<sup>30</sup> who studied the abundances of the elements in a group of F stars of a wide range of luminosity found that no well-established abundance differences by a factor of 2 exist, except in the peculiar star  $\tau$ -Ursae Majoris. In the mean, the stellar and solar abundances appear to be identical.

Most available data are consistent with the picture of stellar bodies being similar in composition to one another in all respects except for those elements which can be consumed or formed by thermonuclear reactions at stellar temperatures (primarily hydrogen, helium, lithium, beryllium, boron, carbon, and nitrogen). However, Unsöld's analysis of the spectrum of  $\tau$ -Scorpii<sup>26</sup> indicates that major differences might exist between some stellar bodies insofar as the abundances of some elements of intermediate mass are concerned. \*

# II. METHOD OF COMPILING TABLE

Wherever possible, elemental abundance data have been derived from meteoritic sources. Solar and stellar data have been used for all elements where the use of meteoritic data is not warranted (H, He, C, N, 0, Ne, A) and in borderline cases where the use of meteoritic data might be dubious or.where the meteoritic data are not sufficiently precise (F, S, Cl). Data for lithium, beryllium, and boron are not given in the final abundance table because of the short half-lives of those elements at stellar interior temperatures. Data for five elements (Kr, Te, Xe, Hg, Tl) are either nonexistent or of such poor quality as to justify their exclusion.

Among those elements for which solar and stellar values must be used, Unsöld's solar values have been used wherever possible. In the cases of carbon, nitrogen,

<sup>35</sup> H. Brown and C. Patterson, J. Geol. 56, 85 (1948).<br><sup>36</sup> H. Brown, paper presented at the Chicago meeting of the<br>AAAS, Dec. 27, 1947.<br>\* The expression "neon star" which is frequently applied to

r-Scorpii appears to be something of a misnomer. The neon content of  $\tau$ -Scorpii as determined by Unsold differs from the "interpolated" abundance of neon (see Table V) by an amount which does not appear to be very much greater than the experimental error involved in the determination,

oxygen, and neon, where substantial differences exist in the sources of data, the most reliable values have been chosen. The planetary nebulae data of Aller and Menzel have been used for deriving the abundances of fluorine and chlorine. The argon value was derived from Aller's results on  $\gamma$ -Pegasi. Table I gives the stellar abundances of the lighter elements as determined by various observers. The table has been calculated on the basis of the number of atoms of a given element present per atom of oxygen. As the hydrogen and helium contents of stars are in general determined by means other than of stars are in general determined by means other than<br>spectroscopic,  $37-39$  considerable divergence exists as to the best ratios of "Russell mixture" to hydrogen and helium. The results of Greenstein and Harrison were adopted in final compilation.

Meteorites in general are classified into two main categories: irons and stones. Iron meteorites consist of approximately ninety percent metallic iron, eight percent nickel and two percent minor constituents. Stony meteorites are composed primarily of magnesium and iron silicates. Most stony meteorites possess finely divided metal distributed throughout their masses. The average metal-phase content of stony meteorites is approximately eleven percent, but the quantity of metal may vary from nearly zero to well over fifty percent. A third and less abundant meteoritic phase, known as troilite and composed primarily of FeS, exists in both stony and iron meteorites, usually distributed throughout the mass, but frequently collected into pockets of substantial size. Table II gives the relative abundances of elements in the three main meteoritic phases as experimentally determined in various laboratories.

In order to calculate the composition of gross meteoritic matter it is necessary to determine the proportion of iron meteorites which fall relative to stony meteorites. This ratio cannot be readily determined experimentally



FIG. 1.The density of iron as a function of pressure as calculated by Jensen compared with the pressure-density relationship within the earth's core as determined by Sullen.

<sup>&#</sup>x27;4C. Bauer, paper presented at the Chicago meeting of the AAAS Dec. 26, 1947.

<sup>&</sup>lt;sup>37</sup> S. Chandrasekhar, Au Introduction to the Study of Stellar Structure (University of Chicago Press, Chicago, 1939).<br><sup>38</sup> M. Schwarzchild, Astroph. J. 104, 203 (1946).<br><sup>39</sup> M. Harrison, Astrophys. J. 108, 310 (1948).

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TABLE III, Elemental abundances (atoms per 10,000 atoms of Si).

TABLE III. (Continued).

		(atoms per $10,000$ atoms of $50$ ).					
				Z	Element	Abundance	Source
Ζ	${\bf Element}$	Abundance	Source	46	P <sub>d</sub>	0.032	$\cal M$
1	$\mathbf H$	$3.5\times10^8$	$S^\ast$	47	Ag	0.027	$\cal M$
	He	$3.5\times10^7$	$S^*$	48	Cď	0.026	$\boldsymbol{M}$
$\begin{smallmatrix}2\3\3\4\end{smallmatrix}$	Li			49	In	0.01	M
				50	Sn	0.62	$\boldsymbol{M}$
	Be						
$\frac{5}{6}$	B			51	Sb	0.017	M
	$\overline{C}$	80,000	S S S	$5\overline{2}$	Te		
7	N	160,000			I	0.018	
8	$\mathbf 0$	220,000		$\frac{5}{5}$ 53	Xe		$\begin{matrix} M \\ \dagger \end{matrix}$
9	F	90	$\overline{P}$	55	Cs	0.001	$\overline{M}$
10	${\rm Ne}$	9,000-240,000	$P, Sc$ †		Ba	0.039	M
11	Na	$462 + 36$	M	$\frac{56}{57}$	La	0.021	$\boldsymbol{M}$
12	Mg	8,870±250	M	58	Ce	0.023	$\boldsymbol{M}$
13	Al	$882 + 81$	M	59	Pr	0.0096	$\cal M$
				60	Nd		M
14	Si	10,000	M			0.033	
15	$_{\rm S}^{\rm P}$	130	$\cal M$	61	$\mathbf{Pm}$		
16		3500	$\boldsymbol{S}$	62	Sm	0.012	M
17	C1	170	$\overline{P}$	63	Eu	0.0028	$\boldsymbol{M}$
18	A		$P.$ $Pet$	64	Gd	0.017	$\boldsymbol{M}$
19	$\overline{\mathbf{K}}$	$130 - 2,200$ $69.3 + 7.5$	М	65	Tb	0.0052	$\cal M$
20	$\overline{c}$ <sub>a</sub>	$670 + 74$	$M, S^{**}$	66	Dy	0.020	M
21	Sc	0.18	M	67	Ho	0.0057	$\cal M$
22	Ti	$26.0 + 9.0$	М	68	Er	0.016	$\boldsymbol{M}$
23	V	2.5	$\boldsymbol{M}$	69	Tm	0.0029	$\boldsymbol{M}$
			$\boldsymbol{M}$	70	Yb	0.015	$\boldsymbol{M}$
24	Cr	95					
25	Mn	77	$\cal M$	71	Lu	0.0048	$\boldsymbol{M}$
26	Fe	18,300	$\boldsymbol{M}$	$\overline{72}$	Hf	0.007	$\cal M$
27	Co	99	$\cal M$	$7\overline{3}$	Ta	0.0031	$\cal M$
28	Ni	1,340	$\boldsymbol{M}$	$\overline{74}$	W	0.17	$\cal M$
29	Cu	4.6	М	75	Re	0.0041	$\boldsymbol{M}$
30	Zn	1.6	$\cal M$	76	Os	0.035	$\boldsymbol{M}$
31	Ga	0.65	M	77	Ir	0.014	$\cal M$
32	Ge	$2.5^{\circ}$	$\boldsymbol{M}$	78	Pt	0.087	$\boldsymbol{M}$
33	As	4.8	$\cal M$	79	Au	0.0082	M
34	Se	0.25	$\boldsymbol{M}$	80	Hg		M
	Br	0.42	$\cal M$	81	TĪ		$\cal M$
35							
36	Kr		t	82	Pb	0.27	$\cal M$
37	Rb	0.071	$\overline{M}$	83	Bi	0.0021	М
38	Sr	0.41	M	90	Th	0.012	$\cal M$
39	$\mathbf Y$	0.10	M	92	U	0.0026	$\cal M$
40	Zr	1.5	$\boldsymbol{M}$				
41	C <sub>b</sub>	0.009	$\boldsymbol{M}$				
42	Mo	0.19	M				
43	Tc					In order to circumvent these difficulties, an indirect	
44	Ru	0.093	$\boldsymbol{M}$			method must be used for determining the ratio of meta	

\* The hydrogen-helium ratio and the ratio of hydrogen and helium to the "oxygen group" elements  $(C, N, O, N\epsilon, F\epsilon)$  are those computed by  $\uparrow$ . The and reported by M. Harrison, Astrophys. J. 108, 310 (1948).  $\uparrow$  See Table

0.035

 $\overline{M}$ 

† See Table v.<br>\*\* Stellar and meteoritic values have been combined by equalizing the<br>calcium abundances.

because of the following differences in behavior of the two species.<sup>40</sup>

1. Stony meteorites tend to break into fragments while passing through the atmosphere, thus producing more spectacular displays than do iron meteorites. This creates a situation whereby more stony than iron meteorites are seen to fall.

2. Many meteorites are found on the ground without actually having been observed to fall. As stony meteorites appear to the untrained eye to be "rocks," many of them are never collected. Iron meteorites, being more unusual, are picked up more frequently.

3. Many meteorites corrode quite rapidly, and as a result may frequently disappear forever shortly after landing.

method must be used for determining the ratio of metal phase to silicate phase. Observations on the earth are used for this purpose. It is assumed that the gross composition of the earth is in the main identical with the gross composition of meteoritic matter, and that the major constituents are distributed as follows:

1. An iron-nickel core with boundary defined by the 1. An iron-nickel core with boundary defined by the well-known seismic discontinuity of first order.<sup>41</sup> The discontinuity occurs at approximately half the earth's radius.

2. A silicate mantle identical in composition with stony meteorites.

In order to determine the relative weights of metal phase to silicate phase it is necessary to determine the mean density of the core. Bullen<sup>42,43</sup> has calculated the densities and pressures within the earth using seismic data. His results for the volume corresponding to the core can be compared with the  $a$  priori calculation

<sup>40</sup> F, G. Watson, J. Geol. 47, 426 (1939).

<sup>&</sup>lt;sup>41</sup> J. B. Macelwane, Internal Constitution of the Earth (B. Gutenberg, editor, McGraw-Hill Book Company, Inc., New York, 1939), p. 219.  $\frac{42 \text{ K}}{5}$ . E. Bullen, Month. Not. Roy. Ast. Soc., Geophys. Sup. 3,

 $395 (1936)$ . "K. E. Bullen, Roy. Soc. New Zealand Trans. 67, 122 (1937).

and interpolation made by Jensen<sup>44</sup> of the density of iron as a function of pressure, based on the Fermi-Thomas model. The two calculations are plotted in Fig. 1, and it can be seen that the interpolation is sufficiently smooth to warrant integration of Sullen's curve of density vs. radius in order to determine the weight of the core. When this is done, one finds that the weight ratio of core to mantle is approximately

> weight of core  $\approx 0.50$ . weight of mantl

If we assume that the mantle contains approximately

10 percent by weight metal phase (the meteoritic value); then we have for the ratio of metal phase to silicate phase:

\n
$$
\text{weight metal phase} \approx 0.67.
$$
\n

\n\n $\text{weight silicate phase} \approx 0.67.$ \n

This figure has been used in compiling the last column of Table II.

Use of the above metal-to-silicate ratio gives for the atomic ratio of iron to silicon:

 $(N_{\rm Fe}/N_{\rm Si})_{\rm meteorites}$ = 1.7.



FIG. 2. The concentrations of various elements in meteorites compared with concentrations in the solar atmosphere. The values<br>have been normalized by setting solar calcium equal to meteoritic calcium. The lengths of the li limits of error.

<sup>~</sup> H. Jensen, Zeits. f. Physik 111,373 (1938}.

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TABLE IV. Relative abundance of nuclear species

# TABLE IV. (Continued).



# TABLE IV. (Continued). TABLE IV. (Continued).



TABLE IV. (Continued).

z	Element	Species	Odd abundance	Even abundano
77	Ir	191 193	0.0054 0.0086	
78	Pt	192 194 195 196 198	0.029	0.00068 0.029 0.022 0.0063
79	Au	197	0.0082	
80	Hg	196 198 199 200 201 202 204		
81	Tl	203 205		
82	Pb	204 206 207 208	0.061	0.0041 0.064 0.14
83	Bi	209	0.0021	
90	Th	(232)		0.012
92	U	(235) (238)	0.000018	0.0026

~ The logarithmic mean of the neon extremes has been utilized in compiling these values.<br>
† The logarithmic mean of the argon extremes has been utilized in<br>compiling these values. It is assumed that A<sup>36</sup> is the major constituent of<br>cosmic argon.

( ) indicates a naturally-occurring radioactive species.

The value for this ratio as determined from Unsöld's data for the sun is:

$$
(N_{\rm Fe}/N_{\rm Si})_{\rm sun} = 2.7.
$$

When one considers that stellar abundances can seldom be determined with a higher precision than a factor of two, the agreement appears to be reasonably satisfactory.

Superficially it would appear that the lack of precision in the metal-to-silicate ratio constitutes an insurmountable limitation to the use of meteoritic data in the determination of cosmic abundances. Actually the difficulty is not in the long run too serious, for the

TABLE V. Cosmic abundances of the rare gases as estimated by interpolation of the abundance curves (abundances in atoms per  $10,000$  atoms of silicon). <sup>kk</sup>



<sup>kk</sup> H. Brown, *The Atmospheres of the Earth and Planets* (G. Kuiper, ed., University ot Chicago Press, Chicago, 1949), p. 260.

reason that most elements tend to concentrate markedly in one of the two phases. Few elements exist which are more or less evenly distributed between the two phases. This makes possible the comparison of the abundances of rather large numbers of elements, one against the other, without the necessity of introducing the errors involved in the metal-to-silicate ratio determination. A notable example in this case is the sequence of oxide forming elements Na, Mg, Al, Si, K and Ca.<sup>45</sup> Another forming elements Na, Mg, Al, Si, K and Ca.<sup>45</sup> Anothe example of importance is the long sequence of precious metals which concentrate almost entirely in the metal phase. As a result, it is possible to determine the abundances of these elements relative to one another with a high degree of precision.

In the compilation of the table of elemental abundances from meteoritic data, the sulfide phase is not taken into consideration for two reasons:

1. The portion of the sulfide phase which is fairly uniformly distributed throughout stony and iron meteorites is automatically determined in the analysis of an individual meteorite.

2. The portion of the sulfide phase which exists in the form of large globules in meteorites is probably not large compared with that amount which is uniformly dispersed. Nevertheless, it must be kept in mind that the abundances given for those elements which exist in the sulfide phase in considerable concentration may well be somewhat too low.

Table III is a compilation of elemental abundances derived by combining the last column of Table II with selected values for various elements from Table I. The letters  $S, P, Sc, Pe$  and  $M$  designate the sources chosen (solar, planetary nebulae,  $\tau$ -Scorpii,  $\gamma$ -Pegasi or meteoritic).

It is of interest to compare the abundances as determined from solar data with the abundances as determined from meteoritic data wherever this is possible. Figure 2 shows a comparison of Unsöld's solar data, for a series of elements, with the corresponding values as determined from meteorites. The general agreement is gratifying and indicates that the general procedure utilized in compiling the abundance table is justified.\*\*

The elemental abundance data of Table III has been

The following errors were assigned to the solar values shown in Fig. 2: Na, Mg, <sup>K</sup> and Ca—<sup>a</sup> factor of two



<sup>4&#</sup>x27; H. Brown and C. Patterson, Phys. Rev. 72, 456 (1947).

<sup>\*\*</sup>Unsold estimates that in good cases his solar abundances should be correct to within a factor of two. J. L. Greenstein says (private communication): "The elements Na, Mg, Al, K, Ca, Sr, Ba should be quite good, since for these, transition-probabilities can be accurately estimated; for Na, Mg, K, and Ca they are computed quantum-mechanically. The other elements have transition probabilities based upon the 'sum-rules;' for Ti, Cr, Fe, and V certain laboratory data have roughly corroborated the sum-rule intensities. However, these, plus Si, Sc, Mn, Co, and Zr, should eventually become accurately determinable cases. The<br>elements Ni and Y will be difficult, since only high-excitation or ionized lines are available. Others like Cu, Mo, and Pb are poor cases in every way. "

compounded with terrestrial isotope abundances,<sup>46</sup> thus obtaining the table of nuclear abundances shown in Table IV. In order to minimize the confusion occasioned by the "even-odd" abundance oscillations, the table has been divided into two columns, one for species of odd mass number, the other for species of even mass number. Figure 3 shows the abundance curve for nuclear species of odd mass number in order that the reader may see the general abundance trend free of the confusion associated with the large number of isobars present among the even species. In preparing Fig. 3 the assumption is made that terrestrial isotope abundances are identical with meteoritic isotope abundances, an assumption which has thus far been tested in the cases of seven elements, utilizing the mass spectrometer (iron,<sup>47</sup> nickel,<sup>48</sup> copper,<sup>49</sup> chromium,<sup>50</sup>



- <sup>46</sup> G. T. Seaborg and I. Perlman, Rev. Mod. Phys. 20, 585 (1948).<br><sup>47</sup> G. E. Valley and H. H. Anderson, J. Am. Chem. Soc. 69, 1871 (1947).<br><sup>48</sup> M. Inghram and H. Brown, unpublished.<br><sup>49</sup> H. Brown and M. Inghram, Phys. Re
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TABLE VI. Abundances of elements in interstellar material according to Struve and Dunham. 1, m, \*

Element	Abundance atoms per atom of calcium Dunham Struve		
	$2\times10^7$ 10,000	$2.5 \times 10^{6}$	
Na K		25 2.5	
Сa Ti		0.005	
эĦ	10 10		

\* B. Strömgren (Astrophys. J. 108, 242 (1948)) gives the following ratios:<br> $\frac{H}{N}$ a 5  $\times$ 10<sup>6</sup> - 2.5  $\times$ 10<sup>7</sup> Ca/Na > 1<br>Ti/Na≅3 × 10<sup>-2</sup>.

<sup>l</sup> O. Struve, J. Wash. Acad. Science 31, 217 (1941). <sup>m</sup> T. Dunham, Jr., Proc. Am. Phil. Soc. 81, 277 (1939).

gallium,<sup>51</sup> carbon,<sup>52</sup> and oxygen<sup>53</sup>) and in the cases of gallium,<sup>51</sup> carbon,<sup>52</sup> and oxygen<sup>53</sup>) and in the cases osilicon,<sup>54</sup> chlorine,<sup>55</sup> potassium,<sup>56</sup> uranium,<sup>57</sup> and cobalt,<sup>5</sup> utilizing other techniques. Only in the case of carbon has any difference in abundance ratio been detected, and that difference, though probably significant, is exceedingly small. It should be noted, however, that there are apparently stars in which the isotopic ratio in carbon may be markedly different from that existing<br>on our earth and in the sun.<sup>59</sup> on our earth and in the sun,

Unfortunately the rare gases, being volatile substances, do not exist in meteorites, and as only neon has been determined precisely in stars, their abundances are practically unknown. Figure 3 indicates, however, that the general abundance curve is sufficiently smooth to permit interpolation for specific rare gas isotopes. This permits in turn the evaluation of approximate This permits in turn the evaluation of approximate gross rare gas abundances.<sup>60</sup> Table V shows the abun dances of the various rare gases relative to silicon when determined in this manner. In the case of argon,  $A^{36}$ has been considered to be the most abundant argon isotope occurring in the universe, the bulk of the  $A<sup>40</sup>$ on earth probably having been produced by decay of  $K^{40,61}$ 

- <sup>52</sup> B. F. Murphey and A. O. Mier, Phys. Rev. 59, 771 (1941). <sup>53</sup> Manian, Urey, and Bleakney, J. Am. Chem. Soc. 56, <sup>2601</sup> (1934).
- $^{54}$  F. M. Jaeger and D. W. Dijkstra, Kon. Ver. Akad. Weten.
- Amst. 27, 393 (1924).<br>
<sup>55</sup> W. D. Harkins and S. B. Stone, J. Am. Chem. Soc. 48, 938 (1926).
- Schumb, Evans, and Leaders, J. Am. Chem. Soc. 63, <sup>1203</sup> (1941).
- <sup>51</sup> Schumb, Evans, and Hastings, J. Am. Chem. Soc. 61, 3451  $(1939)$ .
- $\frac{88}{6}$  G. P. Baxter and M. J. Dorcas, J. Am. Chem. Soc. 46, 357 (1924).
- <sup>59</sup> A. McKellar, Pub. Astron. Soc. Pac. 59, 186 (1947).
- <sup>6</sup> H. Brown, The Atmospheres of the Earth and Planets (G. Kuiper, ed., University of Chicago Press, Chicago, 1949), p. 260.
- $\mathbf{u}$  L. Aldrich and A. O. Nier, Phys. Rev. 74, 870 (1948).

In general the values given in the abundance table should be accurate to within a factor of four, with a factor of two being the more usual error. There are several cases where the relative values are considerably more precise than this however, notably the lighter elements Xa, Mg, Al, Si, K, and Ca relative to one another. In addition there are isolated cases where the ratios of two individual elements can be expressed with considerable precision, as for example, the weight ratio<br>of palladium to gold.<sup>62</sup> of palladium to gold.

With the development of new techniques of quantitive analysis<sup>63, 64</sup> it seems likely that such precision tative analysis<sup>63, 64</sup> it seems likely that such precision in abundance ratios may be extended to cover substantial numbers of elements.

Xo discussion of abundances would be complete without mentioning the interesting considerations of Professor Hans Suess<sup>65</sup> who has, on the basis of reasonableness and continuity, estimated "correction factors" which would be necessary in order to smooth out the experimental abundance curve. The correction factors proposed by Suess are quite within the bounds of reasonableness, indicating that further work must be done before a really precise table of abundances can be compiled.

It is well recognized that in certain regions of our own and other galaxies as much as fifty percent of the mass exists in the form of finely divided matter distributed throughout interstellar space. Any table of relative abundances should, of course, be compiled in such a way as to take this into consideration. However, the data as yet (see Table VI) are not sufficiently precise to warrant its incorporation into the abundance table.† The significance and extent of interstella<br>material has been discussed by several investigators.<sup>66–</sup> material has been discussed by several investigators.

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- <sup>62</sup> H. Brown and E. Goldberg (unpublished). "C. Tobias and R. Dunn, Science 109, 109 (1949).<br>
<sup>64</sup> H. Brown and E. Goldberg, Science 109, 347 (1949). "H. Suess, Zeits. f. Natur. 2a, 606 (1947).
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t Professor L; Spitzer, Jr. has informed the author that he has recently determined approximate upper limits for the lithium and beryllium concentrations in interstellar space. He finds

#### atoms Li/atoms Na $< 0.1$ atoms Be/atoms  $Na<10^{-4}$ .

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- <sup>66</sup> O. Struve, J. Wash. Acad. Sci. 31, 217 (1941).<br><sup>67</sup> B. Strömgren, Astrophys. J. 108, 242 (1948).<br><sup>68</sup> L. Spitzer, Astrophys. J. 108, 276 (1948).
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<sup>&</sup>lt;sup>51</sup> Inghram, Hess, Brown, and Goldberg, Phys. Rev. 74, 343 (1948).