## **Magnetism and Magnetic Isomers in Free Chromium Clusters**

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<span id="page-0-0"></span>We have used the Stern-Gerlach deflection technique to study magnetism in chromium clusters of 20–133 atoms at temperatures between 60 and 100 K. We observe that these clusters have large magnetic moments and respond superparamagnetically to applied magnetic fields. Using superparamagnetic theory, we have determined the moment per atom for each cluster size and find that it often far exceeds the moment per atom present anywhere in the bulk antiferromagnetic lattice. Remarkably, our cluster beam contains two magnetically distinguishable forms of each cluster size with  $\geq$  34 atoms. We attribute this observation to structural isomers.

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Even before the rise of nanoscience, atomic clusters were of keen interest to people trying to understand how the physical properties of atoms and molecules evolve with size and shape into those of bulk materials. Clusters are true many-body quantum systems, too large for exact solutions in ordinary space and too small for exact solutions in momentum space, and the properties they exhibit are often rich and complex.

One such property, magnetism, offers unparalleled insight into clusters because it is sensitive to electronic and spatial structure, quantum size effects, surface to volume ratio, symmetry, and even temperature. Magnetism has been studied in low-dimensional supported systems (e.g., powders, granular metals, surfaces, and films) since Néel's pioneering work in the late 1940s and in isolated clusters since  $1990$  $1990$   $[1-3]$ .

Because clusters have reduced average coordination numbers relative to bulk and can adopt unusual shapes and symmetries, clusters of the ferromagnetic 3*d* transition metals were expected to have enhanced magnetism [[4](#page-3-3),[5\]](#page-3-4). Experimental studies of iron, cobalt, and nickel clusters do indeed find enhanced magnetism [[6](#page-3-5)[–10\]](#page-3-6), although their giant magnetic moments are partly obscured by the thermal fluctuation phenomenon known as superparamagnetism [\[1,](#page-3-1)[2](#page-3-7)[,11\]](#page-3-8).

Even more dramatic enhancements of magnetism were predicted in clusters of rhodium  $[12,13]$  $[12,13]$  $[12,13]$  $[12,13]$  $[12,13]$  and manganese [\[14\]](#page-3-11), 4*d* and 3*d* transition metals that are paramagnetic in the bulk. Large magnetic moments have indeed been found in small clusters of these two elements [[15](#page-3-12)[–17\]](#page-3-13).

Chromium, another of the 3*d* transition metals, is an itinerant antiferromagnet in the bulk. Below its 311 K Néel temperature, bulk chromium exhibits a transverse spindensity wave (SDW) that becomes a longitudinal SDW below  $\sim$ 123 K [\[18\]](#page-3-14). At zero temperature, chromium's SDW has a peak moment per atom of  $0.62\mu_B$ . If chromium clusters had this same itinerant antiferromagnetic order, as though they were simply portions of the bulk bcc lattice, their moments per atom could not exceed  $0.62\mu_B$ .

An early study in our laboratory was unable to detect magnetism in chromium clusters of 9–31 atoms and set an upper limit of  $0.77 \mu_B$  per atom for their magnetic moments [\[19\]](#page-3-15). More recently, chromium clusters supported on Au surfaces were shown to be antiferromagnetic [\[20\]](#page-3-16). Nonetheless, several theoretical studies predicted that small chromium clusters should be magnetic [\[21–](#page-3-17)[26\]](#page-3-18).

In this Letter, we report the results of a new Stern-Gerlach deflection study of chromium clusters in a cluster beam. Between 60 and 100 K, all of the clusters we studied (20–133 atoms) have nonzero magnetic moments and deflect toward strong magnetic field. In many cases, the clusters are too magnetic to be simple fragments of the bulk lattice. Furthermore, our cluster beam contains no less than two magnetically distinguishable forms of each cluster size with 34 atoms or more. The most plausible explanation for these magnetically distinct populations is structural isomers—clusters with equal numbers of chromium atoms but different geometric structures.

The possibility that chromium clusters occur in electronically distinguishable isomers was suggested by Knickelbein, when he observed two distinct ionization potentials for  $Cr_8$  and  $Cr_{18}$  [\[27\]](#page-3-19). Knickelbein did not report on any clusters larger than  $Cr<sub>25</sub>$ , however, and an earlier photoelectron spectroscopy study by Wang reported no evidence for isomers between  $Cr_1$  and  $Cr_{55}$  [[28\]](#page-3-20).

In outline, our experiment consists of producing a collimated, temperature-controlled beam of chromium clusters, deflecting that beam with a gradient-field magnet, and determining the masses and deflections of the clusters downstream from the magnet. While the apparatus and techniques we used in the present study are similar to those used previously in our laboratory [[29](#page-3-21)], a number of technical improvements have greatly enhanced the overall sensitivity and reproducibility of the measurements. In particular, a new cluster source offers better control of cluster temperatures and an automated data acquisition protocol allows us to take many different measurements concurrently and thereby reduce systematic errors due to unavoidable long-term drifts in the apparatus.

Chromium clusters form when focused 2nd harmonic light (532 nm) from a Nd:YAG laser vaporizes part of a chromium sample rod in the presence of a pulse of dense helium gas. The resulting mixture of chromium vapor and helium then flows through a temperature-controlled tube, 2.5 mm in diameter and 150 mm long, before expanding into vacuum through a 1 mm diameter nozzle.

The long flow tube is critical to controlling cluster temperature [\[30\]](#page-3-22). Because the chromium-helium mixture spends  $\geq 1$  ms passing through this tube, there is time for cluster growth to die away and for the chromium clusters and helium gas to come into thermal equilibrium with the tube. The seeded supersonic expansion that subsequently produces the cluster beam is quite effective at cooling the clusters' translational temperatures and is moderately effective at cooling their rotational temperatures. But the expansion is too brief and too inefficient to have any significant effect on the clusters' vibrational temperatures. For all practical purposes, the chromium clusters' vibrational temperatures remain in equilibrium with the flow tube.

The chromium cluster beam is collimated by two narrow slits and a chopper wheel before entering the deflecting magnet. That electromagnet is a quadrant of a quadrupole [\[31\]](#page-3-23), 254-mm long, with a transverse field of up to 0.950 T and a transverse field gradient of up to 360 T/m. While in the magnet, each cluster experiences a force  $\nabla$ (*N* $\mu$  · **B**), where  $\mu$  is the cluster's magnetic moment per atom, *N* is the number of atoms in the cluster, and **B** is the magnetic field. Since the force is perpendicular to the beam, the clusters deflect.

After the magnet, clusters pass through a field-free drift region, 1.183-m long, and into the ionization region of a time-of-flight mass spectrometer. There, a spatially filtered ArF excimer laser pulse (193 nm), directed antiparallel to the cluster beam, ionizes a narrow slice of that beam for mass analysis by the spectrometer. By scanning the laser light across the range of possible deflections and recording the cluster populations found at each location, we accumulate deflection profiles for many clusters sizes simultaneously.

Chromium clusters, like all transition metal clusters studied previously in beams, deflect solely toward strong field  $[6–10]$  $[6–10]$  $[6–10]$ . Such behavior is consistent with superparamagnetism, a thermal relaxation phenomenon in which a cluster's internal magnetic moment fluctuates rapidly in orientation and explores the entire Boltzmann distribution in a time short compared to the measurement time. For an isolated cluster, vibrational modes act as the heat bath responsible for thermal fluctuations, and its vibrational temperature therefore appears in the Boltzmann factor. Since the Boltzmann distribution favors orientations that are aligned with an applied magnetic field, a superparamagnetic particle exhibits a time-averaged magnetic moment that is aligned with an applied magnetic field and that increases as that field increases.

This time-averaged magnetic moment is what our deflection experiment measures. Assuming that the cluster's superparamagnetic moment is large enough to be treated classically and that all moment orientations are equal in energy in the absence of an applied field, the time-averaged or effective magnetic moment per atom ( $\mu_{\text{eff}}$ ) is given by the Langevin function

<span id="page-1-0"></span>
$$
\mu_{\text{eff}} = \mu \mathcal{L}(N\mu B/kT_{\text{vib}})
$$
  
=  $\mu \left[ \coth(N\mu B/kT_{\text{vib}}) - (kT_{\text{vib}}/N\mu B) \right],$  (1)

where *B* is the magnetic field and  $T_{vib}$  is the vibrational temperature of the cluster, taken to be the temperature of the source. Having determined a cluster's measured magnetic moment per atom  $\mu_{\text{eff}}$  from its deflection in a specific field at a specific vibrational temperature, we invert Eq.  $(1)$ to obtain  $\mu$ , the magnitude of the cluster's true magnetic moment per atom,  $\mu$ .

Because the magnetic moments of the chromium clusters were relatively small, we made all of the measurements at low temperatures (60 to 100 K) and high fields (0.5 to 1 T). Over this range of temperatures and fields, we saw no deviation from superparamagnetism in any of the chromium clusters—the measured moments per atom were always consistent with Eq.  $(1)$  $(1)$  $(1)$ .

We did observe, however, the separation of deflecting chromium clusters into two distinct populations, one significantly more magnetic than the other.  $Cr_{41}$ , shown in Fig. [1,](#page-2-0) is one of many cluster sizes exhibiting this behavior. When we increase the magnetic field and field gradient, the spatial profile of  $Cr_{41}$  clusters divides into two partially resolved peaks. Each peak separately obeys Eq. [\(1](#page-1-0)), but with its own magnetic moment per atom,  $\mu$ . About 60% of the Cr<sub>41</sub> clusters have  $\mu = 0.40 \pm 0.01 \mu_B$  and about 40% have  $\mu = 1.00 \pm 0.01 \mu_B$ .

We have never observed magnetically distinguishable cluster populations in other transition metals, despite considerable effort in that regard. A study of cobalt clusters performed concurrently with this chromium study observed only single deflection peaks for all cobalt clusters at all temperatures and all magnetic fields [[32](#page-3-24)]. While superparamagnetic deflection peaks always broaden with increasing deflection, due primarily to thermal statistics of finite systems [\[33\]](#page-3-25), so far only chromium clusters have exhibited multiple superparamagnetic deflection peaks.

Figure [2](#page-2-1) shows the magnetic moment per atom  $\mu$  for chromium clusters of  $20-133$  atoms. For  $Cr_{30}$  and  $Cr_{34}$ - $Cr_{133}$ , we observe two peaks in the deflection profile and therefore report two values for  $\mu$ . The relative abundance of clusters in those two peaks are represented in Fig. [2](#page-2-1) by the relative areas of their marker circles.

The onset of magnetically distinguishable clusters at  $Cr_{34}$  follows a dramatic drop in magnetism at  $Cr_{33}$ .



<span id="page-2-0"></span>

FIG. 1.  $Cr_{41}$  clusters separate into two magnetically distinct populations after passing through a gradient magnetic field. Experimental data points are indicated. The solid curve is a fit to those points, constructed by summing the two Gaussians indicated by the dashed curves. While each population behaves superparamagnetically, they have different magnetic moments per atom,  $0.40\mu_B$  and  $1.00\mu_B$ . As the field and field gradient increase, the two deflection peaks corresponding to those populations separate from one another.

Below that size, only  $Cr_{30}$  shows unambiguous evidence of a separable population. Above that size, two sequences of chromium clusters are present in the beam, one significantly more magnetic than the other. The magnetic moments per atom and the relative populations of those two species evolve gradually across the size spectrum, with the high-moment species dominating  $Cr_{50}$ - $Cr_{71}$ .

We have tried without success to explain these two populations as artifacts of the experiment. The two-peak deflection profiles are robust and reproducible, and also appeared in preliminary data taken with a very different type of cluster source [\[34\]](#page-3-26). Extensive experimentation with source parameters has established that the two populations do not differ simply in temperature. The complicated and reproducible evolution of relative populations and the surprisingly large  $\mu$  of the high-moment species eliminate the possibility that one population consists of agglomerated smaller clusters. The spectrometer's mass resolution is sufficient to show that the clusters are pure chromium, free of oxygen atoms or other important contaminants. The possibility that one population involves a low-lying metastable electronic state that persists across a vast range of cluster size seems remote.

The most plausible explanation for these distinct populations is structural isomers—clusters that differ in their underlying geometric structures. Trivial isomers, in which individual surface atoms are shifted about, are unlikely to cause such large differences in moment or to affect such a broad range of clusters so similarly. Therefore we suggest that the two population sequences are the result of two different geometric lattices.

In most of the low-moment chromium clusters,  $\mu$  lies near or below the peak moment per atom for the SDW in bulk chromium  $(0.62\mu_B)$  and therefore could be fragments of bcc bulk Cr. The wavelength of that SDW at 78 K is

<span id="page-2-1"></span>

FIG. 2. Magnetic moments per atom  $\mu$  for chromium clusters of 20–133 atoms. Cr<sub>30</sub> and Cr<sub>34</sub>-Cr<sub>133</sub> each has two magnetically distinguishable isomers so two value of  $\mu$  are shown. The areas of the circles marking those two  $\mu$  values are proportional to the populations of their respective isomers in the cluster beam. The error bars indicate statistical uncertainties (1 SD). Systematic uncertainties (not shown) are  $\pm 5\%$ .

about 21 bcc unit cells, so the clusters are small enough to contain just one crest of the SDW. The gradual decrease in  $\mu$  with increasing cluster size could then be explained as the inclusion of more of the SDW.

The high-moment chromium clusters, however, cannot be fragments of the bulk bcc chromium crystal.  $Cr_{58}$  has a  $\mu$  of 1.16 $\mu$ <sub>B</sub>, making it almost twice as magnetic as the peak value of the SDW in bulk Cr. This remarkably magnetic form of chromium exists for all clusters from  $Cr_{34}$  up to at least  $Cr<sub>133</sub>$ , and it is possible that it exists for smaller clusters as well. While preliminary measurements showed evidence for the high-moment cluster all the way down to  $Cr<sub>9</sub>$  [\[34\]](#page-3-26), the more careful measurements presented here were only able to confirm the existence of a high-moment species for  $Cr_{30}$ .

Unfortunately, nearly all of the theoretical data for free chromium clusters concern those with  $\leq 15$  atoms [\[21–](#page-3-17) [26](#page-3-18)], and previous experiment offers little evidence for nonbcc chromium clusters [[27](#page-3-19),[28](#page-3-20)]. However, theoretical studies of thin Cr films suggest that hcp and fcc chromium structures would have much higher DOS at the Fermi level, which could lead to enhanced magnetism [[35](#page-3-27)]. Furthermore, x-ray absorption experiments have shown that hcp Cr can be grown in thin layers on Co substrates. Thicker layers begin to become bcc [\[36\]](#page-3-28).

The periodic rises and falls in  $\mu$  across each of the two sequences are most likely due to geometric shell structure. Studies in other transition metal clusters have observed minima in  $\mu$  near shell closings, where the clusters are most compact and bulklike, and maxima in  $\mu$  between shells closings, where the clusters are least compact [\[8,](#page-3-29)[37](#page-3-30)[,38\]](#page-3-31). That the maxima and minima in  $\mu$  occur at different sizes in the two sequences may indicate that their shell closings are different.

In summary, we have observed magnetism in chromium clusters of 20–133 atoms at temperatures between 60 and 100 K. For  $Cr_{30}$ ,  $Cr_{34}$ - $Cr_{133}$ , we find two magnetically distinguishable populations, with the high-moment species being far more magnetic per atom than the SDW in bulk chromium. We propose that these two populations are the result of structural isomers, with the high-moment clusters having an underlying structure different from that of bulk chromium.

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