

Plasmonic Band Gaps and Trapped Plasmons on Nanostructured Metal Surfaces

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Nanostructured metal surfaces comprised of periodically arranged spherical voids are grown by electrochemical deposition through a self-assembled template. Detailed measurements of the angle- and orientation-dependent reflectivity reveal the spectral dispersion, from which we identify the presence of both delocalized Bragg and localized Mie plasmons. These couple strongly producing bonding and antibonding mixed plasmons with anomalous dispersion properties. Appropriate plasmon engineering of the void morphology selects the plasmon spatial and spectral positions, allowing these plasmonic crystal films to be optimized for a wide range of sensing applications.

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In recent years the topic of surface plasmons and plasmon-active surfaces has become of interest to a broad range of disciplines [1]. Stemming from the desire to construct plasmon devices and the ability to make and characterize metallic structures on the nanoscale, plasmonics finds applications in fields as diverse as optical switching [2], near-field photonics [3] and surface-enhanced Raman spectroscopy [4]. A critical issue for the application of plasmons is their location and spatial extent within complicated 3D metal geometries. Despite impressive progress in the field of scanning near-field microscopy, the technique is selective in the plasmons it records, is somewhat invasive to the plasmon fields, and is unable to distinguish between localized or delocalized modes [5]. The difficulties are exemplified by the extended debate about how light squeezes through arrays of subwavelength holes [6]. Similarly, extreme localization of plasmons on rough metal surfaces is thought to produce “hot spots” for resonant Raman scattering [7]. It has, however, proved difficult to study in detail this process of plasmon localization.

Here we study the band-structure of, and coupling between, different plasmon modes on a series of carefully controlled metal nanostructured surfaces. By measuring the polarized reflectivity of a focused white light laser while varying the sample orientation and incident angle, the spectral dispersion of surface and localized plasmons as a function of sample geometry is measured. Strong coupling between different plasmon modes is clearly observed, along with the systematic localization of surface plasmons at a critical geometrical condition. Understanding the complexity of the plasmon localization opens the way to plasmon engineered surfaces, designed for particular applications.

Along the boundary between a metal and a dielectric, surface plasmon polaritons (SPPs) can propagate freely. By patterning such surfaces with a periodic array of holes, an incident optical field can be diffracted and couple to these

SPPs [8]. The SPPs will also multiply scatter off the periodic components of the array leading to “Bragg” plasmon modes with plasmonic band gaps. Plasmons can become localized if the field fluctuations become spatially pinned and disconnected from each other. These localized modes are highly dependent on the geometry of the surface and have attracted a growing interest for achieving large field enhancements [9].

The nanostructured surfaces investigated here are formed using a nanocasting process, by electrochemical deposition through a template of self-assembled latex spheres [10,11]. The resulting metallic mesh reflects the order of the self-assembled close-packed template, allowing convenient control of the pore diameters and regularity of the array. Templates are produced using a capillary force method, allowing a monolayer of well-ordered spheres to be produced, with sphere diameters d (and hence pitch) between 100 nm and $>10 \mu\text{m}$. Electrodeposition while measuring the total charge passed allows the accurate growth of metal to a required thickness t . Furthermore, by systematically retracting the sample from the plating bath during growth, the nanostructure geometry can be graded. After deposition the template is dissolved, leaving the freestanding structure. This allows the production of shallow well-spaced dishes as well as encapsulated spherical voids on a single sample. Optical and electron microscopy shows that the resulting surfaces are smooth on the sub-10 nm scale. We combine these with scanning probe microscopy to determine the film thickness locally. Here we concentrate mostly on Au voids, although very similar features are seen for Ag samples.

On thin regions of the sample (normalized film thickness, $\bar{t} = t/d < 0.2$) where the surface takes the form of a hexagonal array of shallow dishes, SPPs are observed. These states multiply scatter off the rims of the dishes, forming plasmonic band gaps similar to those formed in 2D dielectric photonic crystals. For weak scattering these Bragg plasmons track the folded plasmon dispersion in the

2D lattice [Fig. 1(a)]. The Bragg scattering mixes these sixfold degenerate modes, splitting their energies and forming traveling Bloch waves with different standing wave field distributions within each unit cell (bands 1,2,6 shown for small in-plane k along the ΓK direction) [12]. These distributions are calculated in a weak 2D dielectric photonic crystal approximation, and show markedly different overlap with the circular holes. Because the Bragg plasmons are traveling Bloch modes, their energy depends strongly on their direction of propagation [13]. As the thickness of the film increases, the rim of the spherical voids expands while the pitch remains constant, strongly increasing the scattering of the Bragg plasmons. For hemispherical voids, the top planar surface breaks up into disconnected triangular islands, preventing straightforward passage of the surface modes.

On the other hand, localized plasmons are trapped in the deep spherical cavities embedded in the film at larger thicknesses. Within fully encapsulated voids these modes can be modeled using a Mie scattering approach [14,15], hereafter referred to as “Mie” plasmons. Because they are localized they can directly couple to optical fields and are nearly isotropic—largely uninfluenced by the electric fields from neighboring voids. When the voids are truncated ($\bar{t} < 1$), Mie modes of different symmetry are coupled together and their energies are forced upward [Fig. 1(b)] towards the energy of the 2D surface plasmon (the flat metal limit for $t = 0$). The lines are extracted from experiments on amorphous random arrays of separated voids of the same dimensions (as previously identified in [14]). The Mie plasmon wave functions correspond to spherical harmonics similar to atomic orbitals, labeled by angular and azimuthal quantum numbers, (l, m) [14]. For a single 600 nm spherical void in Au, the energies of p and d Mie states are 1.64 and 2.22 eV, respectively, compared to the Bragg plasmon mode at $k = 0$ of 2.12 eV.

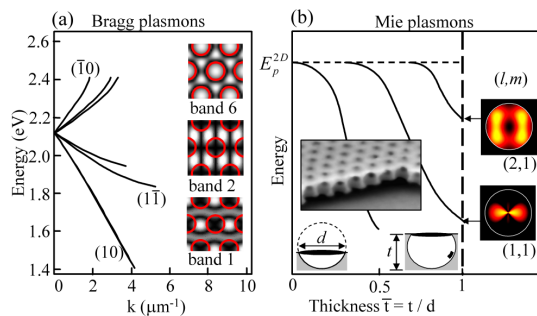


FIG. 1 (color online). (a) Dispersion of zone-folded surface plasmon polaritons, for voids in Au spaced by 600 nm. Images show surface electric field distribution for the corresponding standing wave modes at $k = 1/\mu\text{m}$ close to ΓM , outline circles (red online) mark dishes. (b) Localized plasmon energies vs normalized sample thickness \bar{t} for a random array of separated voids. Calculated xy field distributions for encapsulated spheres, $\bar{t} = 1$. Inset: scanning electron micrograph of sample at $\bar{t} = 0.9$.

Hence, as the thickness of the film is increased, the localized Mie modes drop from the 2D plasmon around 2.5 eV, down through the propagating Bragg modes. It is the strong coupling between these modes that controls the plasmon properties on these nanostructured metal surfaces.

The key role of spectral and angular dispersion motivates the collection of accurate data from different thicknesses of these nanostructures. An automated goniometer configuration allows precise control over the orientation and position of a sample, which is illuminated by a supercontinuum white light laser with wavelengths from 480 nm up to 2 μm . The reflected light is collimated then collected using a 100 μm diameter multimode fiber and analyzed in a broadband spectrometer. The use of a high-brightness laser allows high angular resolution from a small sample region [16]. Using suitable polarization optics, both polarization-preserving and polarization-rotating spectra are observed. These show similar trends in absorption for both TE and TM incident light due to the strong polarization conversion from the voids [17]. Here we concentrate on plasmon absorption dips in the copolarized spectra, leaving the more subtle polarization-rotation spectra to a subsequent publication.

To exemplify the physics of the plasmons, we focus on a gold nanovoid film of pitch 600 nm, which most clearly resolves the plasmon interactions in the visible spectral region. For each nanostructure morphology on this graded-thickness sample, the spectral absorption is measured over a range of incident angles and sample orientations. Figure 2 shows cuts through these data sets of reflectivity, $R(\omega, k_x, k_y)$ for three different film thicknesses. The upper images show the energy dispersion with incident angle, measured in the azimuthal ΓM direction. The dispersion and coupling strength of various plasmon modes is clearly

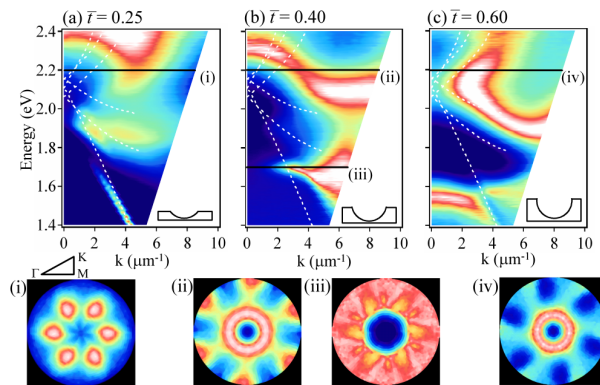


FIG. 2 (color online). Measured energy dispersion of reflectivity for TM polarized light as a function of in-plane wave vector for increasing void thickness, \bar{t} (a)–(c). Log color scale, white dotted lines show zone-folded plasmon dispersion, sample orientations of $\phi = 30^\circ$ in all cases. (i–iv) k space cuts through dispersion relation at (i) $(\bar{t}, E) = (0.25, 2.2 \text{ eV})$; (ii) $(\bar{t}, E) = (0.4, 2.2 \text{ eV})$; (iii) $(\bar{t}, E) = (0.4, 1.7 \text{ eV})$; (iv) $(\bar{t}, E) = (0.6, 2.2 \text{ eV})$, symmetry shown above (i). Light shade corresponds to absorption features.

observed, along with anticrossings between different modes. The lower images are slices at fixed energy of the symmetry of the modes in the $k_x - k_y$ plane. Propagating modes will see different dispersions in different directions and hence possess a sixfold symmetry arising from the hexagonal lattice. Localized plasmon modes are confined within individual voids, so feel little of the sample asymmetries, appearing almost circular in these plots.

On thin nanovoid films [Fig. 2(a)] nearly pure Bragg modes are observed. This shows that for shallow dishes, the observed modes are indeed propagating plasmons, which, even at high energies (where the imaginary part of the Au dielectric constant increases strongly near the 2D plasmon energy), propagate for many lattice periods through the structure. Although they conform well to the folded Bragg dispersion theory (dotted), plasmon mode repulsion is clearly identified in the lower modes near normal incidence, corresponding to a plasmonic energy band gap at $k = 0$. This band gap is reduced for even thinner films, but shows already that plasmon scattering is extremely strong.

As the voids become deeper the Mie plasmon drops in energy and approaches the Bragg plasmon, producing a mixing of the states [Fig. 2(b)]. The new mixed modes become highly nondispersive, and their mode symmetries appear more localized. In particular the lower Bragg modes are mixed with a Mie mode and form new states separated by an energy gap of >400 meV. This strong-coupling regime implies that the Bragg modes are strongly perturbed and mixed when the Mie states within the voids are in resonance with them. The modes visible in Fig. 2(b) smoothly convert from Mie to Bragg in the top band and vice versa in the lower band. As the thickness increases further the next Mie mode appears at higher energy, while the lowest Mie mode drops below the Bragg energy and the surface modes begin to reform [Fig. 2(c)]. As the modes come out of resonance, the weaker coupling gives small anticrossings between lower Mie plasmon in the void and the lower Bragg plasmon which moves on the flat surface [at 1.5 eV in Fig. 2(c)]. The coupling of the mixed plasmon mode with incoming light is modified in the strong Bragg-Mie coupling regime. The reflectivity measures the plasmon dispersion modulated by this coupling integral. Out of resonance, the Mie modes are visible at normal incidence (e.g., for $\bar{t} = 0.25$) as are the Bragg modes for smaller $\bar{t} < 0.15$ (not shown). However, when mixed, some of the resulting modes can be conspicuously absent around $k < 1 \mu\text{m}^{-1}$ [Fig. 2(c)]. This implies that either the wave function becomes confined into a ring in k space, or that the upper mixed plasmon is not dipolar in this symmetry. The former explanation is unlikely, given the circular dispersion symmetry observed since the plasmon would need to be delocalized over more than 20 spherical voids. The latter explanation corresponds to an antisymmetric combination of the two dipole-allowed Bragg and Mie modes, which gives rise to a “dark” quadrupolar plasmon state at $k = 0$.

The resonant coupling of the Bragg modes to a given Mie mode is dependent on their in-plane momentum. Extracting the mode energies at $\theta = 0, 30^\circ$ [Fig. 3(a)] shows that the maximum Rabi splittings of the mixed modes occur at different thicknesses. The nature of a given mode is ascertained by observing its θ, ϕ dispersion. At normal incidence the Bragg plasmons are nearly degenerate close to the Bragg energy at 2.1 eV.

At increasing thickness, the Mie mode comes into resonance and an anticrossing is observed at $\bar{t} = 0.4$. When off normal incidence, the six Bragg modes open up, of which the lower two are clearly visible. One of these modes is quickly suppressed by $\bar{t} = 0.3$, while the other shows a Rabi splitting maximized at $\bar{t} > 0.6$. Thus the downwards angular dispersion of both Mie and Bragg modes causes the maximum coupling to occur for different \bar{t} at different angles. The observed splitting of the plasmons corresponds to bonding and antibonding plasmon orbitals. We note however that the coupling is between a *localized* and a *delocalized* plasmon, and thus rather different to electronic states in molecules.

The gap between bonding and antibonding mixed plasmons can be seen more clearly in [Fig. 3(b)–3(d)]. The three images show the energy dependence of the different modes at increasing void thickness, tracked through the reflectivity, for incident angles of $0^\circ, 30^\circ$. In the latter case we show the thickness dependence for both principal sample orientations. In all cases the drop in energy of the Mie modes can be clearly observed with increasing thickness. At normal incidence [Fig. 3(b)], the Bragg modes visible around 2.1 eV abruptly disappear at $\bar{t} = 0.4$ while a localized Mie state appears at 1.55 eV for $\bar{t} > 0.5$. For non-

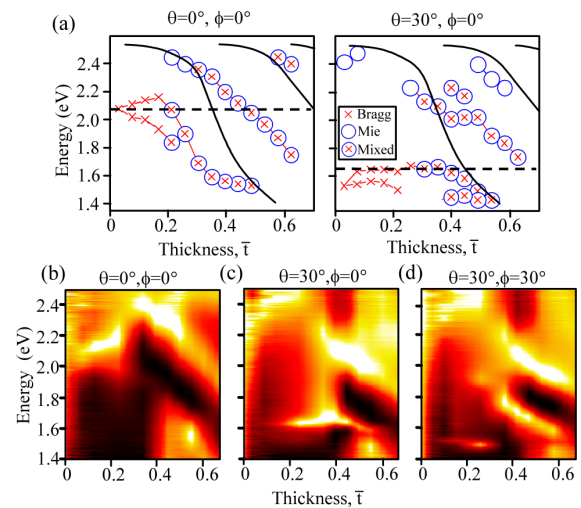


FIG. 3 (color online). (a) Extracted energies of Bragg and Mie plasmons as a function of normalized sample thickness for $\theta = 0^\circ, 30^\circ$, showing anticrossing (dashed and solid lines show experimentally determined pure Bragg (for $\bar{t} = 0$) and Mie mode behavior, respectively). (b)–(d) Reflection image plots of energy vs normalized thickness for (b) $\theta = 0^\circ, \phi = 0^\circ$; (c) $\theta = 30^\circ, \phi = 0^\circ$; (d) $\theta = 30^\circ, \phi = 30^\circ$.

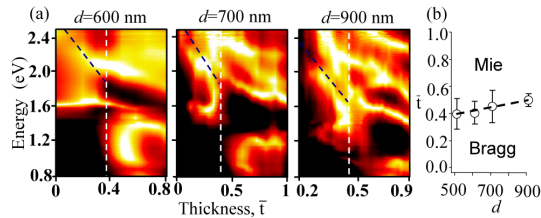


FIG. 4 (color online). (a) Energy dispersion vs thickness of Au nanovoid samples of different diameter d , mapped by reflectivity of TM polarized light for sample orientations $\theta = 30^\circ$, $\phi = 0^\circ$. Light shade correspond to absorption features. Vertical white line shows position of Bragg mode collapse; dark (blue online) line indicates separation between Bragg modes (low energy) and Mie modes (high energy). (b) Extracted sample thickness (normalized) of Bragg mode collapse with increasing void diameter.

normal incidence, the mode mixing depends on ϕ . Examining the two orientations for plasmons traveling either along the necks between voids [$\phi = 0^\circ$, Fig. 3(c)] or along the line of voids [$\phi = 30^\circ$, Fig. 3(d)] reveals the symmetry of the Bragg modes that mix with the plasmons trapped in the voids. In both directions, the lowest Bragg mode (band 1) abruptly vanishes for $\bar{t} > 0.4$. For $\phi = 0^\circ$, the next Bragg mode (band 2) around 1.6 eV strongly couples to the Mie mode forming a distinctive band gap. Along $\phi = 30^\circ$ a high energy mode emerges and drops down into the lowest localized mode at 1.55 eV, producing the same band gap. Examining the field distributions suggest that this is the upper Bragg mode (band 6) which has its largest electric field already within the void [Fig. 1(a)].

Thus the scenario of localization on these nanostructured surfaces can be summarized: Bragg plasmons existing in the plasmonic crystal of shallow dishes couple strongly to Mie modes forming new mixed states. Particular Bragg modes whose fields are already stronger in the dishes lose their extended character and drop into Mie plasmons. Bragg modes with fields on the surface vanish at a critical thickness.

These conclusions are confirmed by experiments on a large number of samples of different pitch (and void diameter), and composition. In each case, the Bragg plasmons vanish at a critical thickness just as the lowest localized modes appear (Fig. 4). Currently, exact calculation of plasmon energies in arrays of truncated spherical voids is not yet possible, though progress is being made [15]. However, it is interesting to see already the universal features of the experimental plasmon phase diagram [Fig. 4(b)]. Plasmon transport is rather different in the regimes of delocalized Bragg modes (coherent plasmon transport with scattering and damping) and localized Mie modes (hopping plasmon transport, enabled by coupling to nearby Bragg modes).

As the Mie modes localize the plasmons, the surface electric fields increase in strength, thus enabling many applications for plasmonic devices. For instance, we have recently shown that these surfaces are ideal for surface-

enhanced Raman scattering (SERS) which is strongly enhanced in the localized Mie regime [18]. The ability to now predict and engineer appropriate plasmons suited to specific pump and emission wavelengths is a drastic improvement on previous SERS substrates. This approach has proved so promising that it is now in commercial production for a variety of applications in medical and pharmaceutical screening, homeland security and environmental monitoring [19]. Understanding plasmons on nanostructured surfaces is the gateway to a new generation of nanoplasmonic devices.

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