## Pressure-Induced Transition from Localized Electron Toward Band Antiferromagnetism in LaMnO<sub>3</sub>

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The temperature dependence of the ac susceptibility under pressure has been used to track the Néel temperature  $T_N$  of the Mott insulators LaMnO<sub>3</sub>, CaMnO<sub>3</sub>, and YCrO<sub>3</sub>. Bloch's rule relating  $T_N$  to volume V, viz.,  $\alpha = d \log T_N / d \log V = -3.3$ , is obeyed in YCrO<sub>3</sub> and CaMnO<sub>3</sub>; it fails in LaMnO<sub>3</sub>. This breakdown is interpreted to be due to a sharp increase in the factor  $[U^{-1} + (2\Delta)^{-1}]$  entering the superexchange perturbation formula. A first-order change at 7 kbar indicates that the transition from localized-electron to band magnetism is not smooth.

DOI: 10.1103/PhysRevLett.89.087201

PACS numbers: 75.30.Et, 71.27.+a, 71.28.+d, 71.70.Gm

A cooperative Jahn-Teller distortion of the high-spin  $Mn(III)O_{6/2}$  octahedra below  $T_{JT} = 700$  K makes LaMnO<sub>3</sub> an insulator with type-A antiferromagnetic order below  $T_N = 140$  K. On the other hand, our previous demonstration [1] of an insulator-conductive transition at  $T_{JT}$  in LaMnO<sub>3</sub> has indicated that the on-site correlation energy  $U_{\sigma}$  for the  $\sigma$  bonding *e* electron in this compound is not sufficiently large to prevent charge disproportionation at  $T > T_{JT}$ . Ahn and Millis [2] have subsequently argued that the superexchange perturbation formula may not be applicable in this small-*U* compound. In this Letter, we demonstrate that the spin-spin interactions approach the transition from localized-electron to band magnetism where the superexchange perturbation description breaks down under high pressure.

Bloch [3] studied the variation of  $T_N$  and volume V of numerous antiferromagnetic insulators and found the general relationship  $\alpha = d \log T_{\rm N} / d \log V = -3.3$ . In the localized-electron limit where the superexchange perturbation approach is applicable, theory gives  $T_{\rm N} \sim$  $b^{2}[U^{-1} + (2\Delta)^{-1}]$ , where the metal-metal electron-transfer energy integral in an AMO<sub>3</sub> perovskite,  $b \approx (b^{ca})^2 / \Delta$ , contains the anion-cation back-transfer integral  $b^{ca}$  and the O-2*p* to lowest *M*-3*d* charge-transfer gap  $\Delta$ . The first term in the expression for  $T_{\rm N}$  is the Anderson superexchange term; the second involves a two-electron transfer from an O<sup>2-</sup> ion, one to each of the two interacting cations on opposite sides of it. A theoretical rationalization of the Bloch rule comes from calculations [4,5] of the variation of the overlap integral in  $b^{ca}$  with the cation-anion bond length r; it varies as  $r^{-n}$  with a calculated n = 2.5-3, which makes  $T_{\rm N} \sim r^{-10} - V^{-3.3}$  and therefore  $\alpha = -3.3$ if U and  $\Delta$  remain independent of r or V. The perturbation description for the superexchange spin-spin interaction should break down on the approach to crossover from localized to itinerant electronic behavior of a Mott-Hubbard insulator. However, experimental examples of crossover are rare. Aronson *et al.* [6] obtained an  $\alpha =$  $d \log J/d \log r < 10$  from a measurement of the pressure dependence of the exchange parameter J on one sample La<sub>2</sub>CuO<sub>4+ $\delta$ </sub> ( $T_{\rm N} = 308$  K) and high-pressure structural data on another sample of La<sub>2</sub>CuO<sub>4+ $\delta$ </sub> [7]. The smaller  $\alpha$  than expected from the Bloch rule led Aronson *et al.* to conclude that a nonperturbative calculation of the magnetic-exchange energy is needed for this compound. Although a subsequent measurement [8] on an La<sub>2</sub>CuO<sub>4</sub> sample with  $T_{\rm N} = 320$  K has shown a higher  $d \log T_{\rm N}/dP$ , it appears that antiferromagnetic La<sub>2</sub>CuO<sub>4</sub> is at the crossover from localized to itinerant electronic behavior.

Single-crystal samples of LaMnO<sub>3</sub> and CaMnO<sub>3</sub> were grown in an infrared-heating image furnace from ceramic bars. A gas flow at 1 atm of argon and 2 atm oxygen pressure were used in the crystal growth of LaMnO<sub>3</sub> and CaMnO<sub>3</sub>, respectively. The ceramic sample YCrO<sub>3</sub> was synthesized by solid-state reaction. All samples were single-phase to x-ray powder diffraction and are oxygen stoichiometric to within 0.1% by measurement of thermoelectric power. The dc magnetization of these samples was obtained with a SQUID magnetometer; the ac susceptibility under pressure was measured in a self-clamped Be-Cu cylinder with internal primary/secondary coils and silicone oil as the pressure medium. The primary coil was powered by a 5 kHz ac current that generated a magnetic field of about 4 Oe at the sample. All measurements made under pressure used the same coils. The pressure inside the pressure cell was monitored with a manganin pressure manometer. The labeled pressures in the figures are those measured at  $T_{\rm N}$ .

Figure 1 for YCrO<sub>3</sub> shows the dc magnetization in a field H = 35 Oe and the ac susceptibility at ambient pressure. The sharp peak in the ac susceptibility  $\chi(T)$  at  $T_N$  should not be taken as evidence of spin-glass behavior since the typical features in the temperature dependence of the zero-field-cooled and field-cooled dc magnetization are lacking. We use the peak in  $\chi(T)$  to monitor the pressure dependence of  $T_N$ . Pressure does not change the antiferromagnetic ordering in YCrO<sub>3</sub> (*G* type), CaMnO<sub>3</sub> (*G* type), and LaMnO<sub>3</sub> (*A* type), but it increases the transition temperature  $T_N$  as shown in Fig. 2. A broadening of the  $\chi(T)$  peak is greater in the polycrystalline YCrO<sub>3</sub> sample than in the

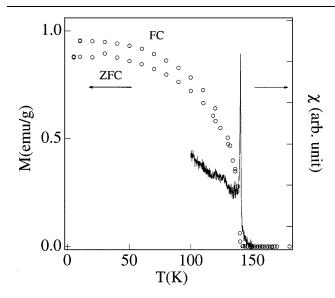


FIG. 1. Temperature dependence of the dc magnetization at H = 35 Oe together with  $\chi_{ac}(T)$  under ambient pressure for YCrO<sub>3</sub>.

single-crystal samples CaMnO<sub>3</sub> and LaMnO<sub>3</sub>. The slight broadening of the peaks in the single-crystal samples may be caused by a nonhydrostatic pressure, but the abrupt change in the peak profile near 7 kbar in LaMnO<sub>3</sub> is intrinsic. As can be seen in Fig. 3, which shows the pressure dependences of  $T_{\rm N}$  for the three samples,  $T_{\rm N}$ varies linearly with P over the entire pressure range for YCrO<sub>3</sub> and CaMnO<sub>3</sub>, but only in the range P > 7 kbar for LaMnO<sub>3</sub>. Moreover, a close examination of the  $\chi(T)$  peaks for LaMnO<sub>3</sub> near 7 kbar shows the existence of two peaks, indicating a two-phase region characteristic of a first-order phase change at 7 kbar. A  $dT_N/dP = 0.34$  K/kbar for CaMnO<sub>3</sub> and 0.30 K/kbar for YCrO<sub>3</sub> obtained from Fig. 3 are a little smaller than the respective 0.41 K/kbar and 0.38 K/kbar values previously reported [9]. This difference may be attributed to such factors as a smaller pressure range P < 8 kbar, fewer data points, and a somewhat lower quality polycrystalline CaMnO<sub>3</sub> sample in the earlier work. To our knowledge, the pressure dependence of  $T_{\rm N}$  in LaMnO<sub>3</sub> has not been previously measured. In contrast to CaMnO<sub>3</sub> and YCrO<sub>3</sub>, the curve of  $T_N$  versus P for LaMnO<sub>3</sub> is not only nonlinear below 7 kbar with an abrupt change in  $dT_{\rm N}/dP$  at the first-order phase change at 7 kbar; it also shows a high slope  $dT_{\rm N}/dP = 0.55$  K/kbar at pressures P > 7 kbar.

The Mn(IV) and Cr(III) ions of CaMnO<sub>3</sub> and YCrO<sub>3</sub> each have  $t^3e^0$  cubic-field *d*-electron configurations, which leads to isotropic  $t^3$ -O- $t^3$  antiferromagnetic interactions and *G*-type antiferromagnetic order. The effective  $U_{\pi}$  for these compounds contains an intra-atomic exchange energy  $\Delta_{ex}$ , which makes it larger than 3 eV. Qualitatively, the  $dT_N/dP > 0$  found for YCrO<sub>3</sub> and CaMnO<sub>3</sub> fits the behavior of localized  $t^3$  configurations with superexchange spin-spin interactions [9].

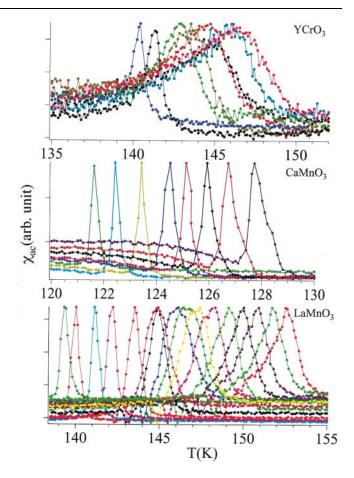


FIG. 2 (color). Temperature dependence of the ac susceptibility  $\chi$  for LaMnO<sub>3</sub>, CaMnO<sub>3</sub>, and YCrO<sub>3</sub> under different pressures. The pressure values measured at the temperature of maximum  $\chi(T)$ , which corresponds to  $T_N$ , can be read from Fig. 3.

The unusual pressure dependence of  $T_{\rm N}$  found in LaMnO<sub>3</sub> might originate in the behavior of the e electron of the Mn(III) :  $t^3e^1$  manifold. A cooperative Jahn-Teller distortion orders the e electrons into the (001) planes where they give rise to ferromagnetic interactions, and the A-type antiferromagnetic order is due to the  $t^3$ -O- $t^3$  interactions between ferromagnetic (001) planes [10]. The cooperative ordering of the occupied e orbitals into the (001) planes has been shown by neutron-diffraction made under pressure [11] to remain stable to 70 kbar; the A-type magnetic order is retained over the pressure range of this study. Application of hydrostatic pressure on the orthorhombic *Pbnm* perovskite could change the  $(180^{\circ} - \phi)$  Mn-O-Mn bond angles. Boekema et al. [12] have shown a linear dependence between  $T_{\rm N}$  and  $\cos^2\theta$  as predicted from superexchange theory, where the angle  $\theta = (180^\circ - \phi)$ is changed by chemical pressure, i.e., by altering the tolerance factor through changing the mean radius of the A cation of  $AMO_3$  perovskites. In Sr<sub>1-x</sub>Ca<sub>x</sub>MnO<sub>3</sub>, a  $dT_{\rm N}/d\langle\cos^2\theta\rangle = 587$  K [13], in RFeO<sub>3</sub> (R = rare earth element) a  $dT_{\rm N}/d\langle\cos^2\theta\rangle = 479$  K [14], and in RMnO<sub>3</sub> a

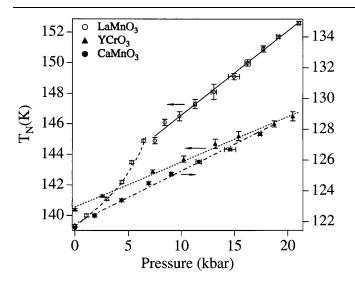


FIG. 3. Pressure dependence of the Néel temperature for LaMnO<sub>3</sub>, CaMnO<sub>3</sub>, and YCrO<sub>3</sub>. Linear fittings have been made for CaMnO<sub>3</sub>, YCrO<sub>3</sub>, and LaMnO<sub>3</sub> at P > 7 kbar.

 $dT_{\rm N}/d\langle\cos^2\theta\rangle = 890$  K [13] have been found. In order to test whether the pressure dependence of  $T_{\rm N}$  in LaMnO<sub>3</sub> can be described by superexchange perturbation theory, it is necessary to turn to Bloch's rule.

The double log plot of  $T_N$  versus V of Fig. 4 was obtained with the aid of neutron-diffraction data [11] taken on an LaMnO<sub>3</sub> sample of similar quality to that on which

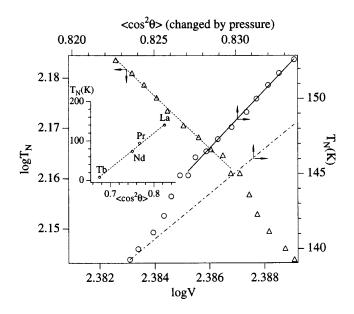


FIG. 4. Double log plot of the Néel temperature versus the volume and the  $\langle \cos^2 \theta \rangle$  dependence of  $T_N$  for LaMnO<sub>3</sub>. The dashed line is a linear fit of the curve of  $\log T_N$  versus  $\log V$ , which gives an  $\alpha_B = -5.3$ . The dot-dashed line with a slope  $dT_N/d\langle \cos^2 \theta \rangle = 890$  is taken from the curve of  $T_N$  vs  $\langle \cos^2 \theta \rangle$  obtained by chemical substitution shown as an inset after Ref. [13]. The solid line with a slope  $dT_N/d\langle \cos^2 \theta \rangle = 1148$  is a linear fit to the curve of  $T_N$  versus  $\langle \cos^2 \theta \rangle$  changed by pressure.

we measured  $T_N$  versus *P*. A linear fit applies in the pressure range P > 7 kbar; it gives an  $\alpha = -5.1$ , which is much higher in magnitude than the  $\alpha = -3.3$  expected from Bloch's rule. A large  $|\alpha|$  indicates either  $T_N$  or the volume *V* has an unusual pressure dependence. High-pressure neutron-diffraction shows a compressibility  $\kappa =$  $-0.70 \times 10^{-6}$ /bar for LaMnO<sub>3</sub>, which is in line with K = $-0.68 \times 10^{-6}$ /bar obtained by Bloch on many antiferromagnetic insulators [3]. Therefore we may conclude that the anomalously large magnitude of  $\alpha$  in LaMnO<sub>3</sub> is due to an unusually large pressure dependence of  $T_N$ . The data for LaMnO<sub>3</sub> together with those for CaMnO<sub>3</sub> and YCrO<sub>3</sub> are listed in Table I for comparison.

The pressure dependence of the overlap integral  $b^{ca}$ , i.e.,  $db^{\rm ca}/dP \sim \kappa/V$ , can be obtained from the calculation  $b^{ca} \sim r^{-n}$  (n = 2.5-3) [4,5]. Since  $\kappa$  for LaMnO<sub>3</sub> is not anomalous, we conclude that the deviation from Bloch's rule in LaMnO<sub>3</sub> with an  $|\alpha| > 3.3$  is due to the factor  $[U^{-1} + (2\Delta)^{-1}]$  in the superexchange perturbation expression; this factor increases with the bandwidth in LaMnO<sub>3</sub>. On the approach to crossover from localized-electron to band magnetism, we can expect U to decrease sharply with increasing W as a result of a feedback-augmented screening of U until a first-order collapse occurs at a critical bandwidth where the equilibrium M-O bond length has a double-well potential. The phase with nonlinear  $dT_N/dP$ below 7 kbar can be assigned to a region where the factor  $[U^{-1} + (2\Delta)^{-1}]$  increases with pressure. A narrow twophase region is observed in the interval  $7 \le P \le 10$  kbar, and the high-pressure phase has a constant  $dT_{\rm N}/dP$ . Preliminary data at a pressure a little over the limit of the Be-Cu chamber suggests another two-phase region associated with a second first-order transition. The high- $T_{\rm N}$ phase does not yet contain long-range-itinerant electrons in the (001) planes, but it may contain molecular orbitals within Mn-O-Mn bonds.

The fact that the magnetic-exchange interactions in LaMnO<sub>3</sub> are anisotropic, whereas those of CaMnO<sub>3</sub> and YCrO<sub>3</sub> are isotropic, might be considered the origin of the unusually large  $|\alpha|$ . We note that the ferromagnetic inplane interactions do not compete with the antiferromagnetic interactions between planes, and that decreasing the Mn-O-Mn bond angle  $\theta$  with substitutions of smaller lanthanides for La gives the  $T_N \sim \langle \cos^2 \rangle \theta$  dependence, Fig. 4, anticipated by the perturbation theory. Application of hydrostatic pressure on LaMnO<sub>3</sub> increases the angles  $\theta$  monotonically [11]. Therefore, pressure plays the same role as chemical substitution. However, as shown in Fig. 4, the relation between  $T_N$  and  $\langle \cos^2 \theta \rangle$  deviates dramatically from that of  $T_N \sim \langle \cos^2 \theta \rangle$  as  $\langle \cos^2 \theta \rangle$  has a much greater slope under a pressure P > 7 kbar.

In contrast to LaMnO<sub>3</sub>, YCrO<sub>3</sub> obeys the Bloch rule as expected for a localized-electron antiferromagnet with a  $[U^{-1} + (2\Delta)^{-1}]$  that varies little with pressure in the pressure range studied. CaMnO<sub>3</sub> appears to approach the

TABLE I. The Bloch parameter, compressibility, and pressure dependence of  $T_{\rm N}$ .

	$ \alpha  = d(\log T_{\rm N})/d(\log V)^{\rm a}$	$ \mathbf{K}  = (1/V)dV/dP \text{ (bar}^{-1})$	$(1/T_{\rm N})dT_{\rm N}/dP$ (bar <sup>-1</sup> )
LaMnO <sub>3</sub>	5.3	$0.70  imes 10^{-6c} \ 0.68  imes 10^{-6d} \ 0.68  imes 10^{-6d}$	$3.9 \times 10^{-6}$
CaMnO <sub>3</sub>	3.8 <sup>b</sup>		$2.7 \times 10^{-6}$
YCrO <sub>3</sub>	3.0 <sup>b</sup>		$2.1 \times 10^{-6}$

 $|\alpha| \approx 3.3$  in Bloch's rule.

 ${}^{b}\alpha$  is calculated by using K =  $0.68 \times 10^{-6}$ . <sup>c</sup>Measured result of LaMnO<sub>3</sub>.

<sup>d</sup>The compressibility found in magnetic insulators.

threshold for breakdown of the assumption  $[U^{-1} +$  $(2\Delta)^{-1} \approx \text{const}$  because the small  $\Delta$  in this compound may vary with pressure. A  $dT_N/dP < 0$  found for the insulator CaCrO<sub>3</sub> was interpreted to locate this perovskite in the regime of band antiferromagnetism since SrCrO<sub>3</sub> is a Pauli paramagnetic metal [15]. We therefore tentatively place these compounds in the schematic plot of exchange energy J versus bandwidth W shown in Fig. 5. As the twophase region is approached in LaMnO<sub>3</sub>, a feedbackenhanced decrease of  $U_{\sigma}$  with increasing W causes the Bloch rule and the perturbation method to break down. The transition from localized to itinerant electronic behavior appears to proceed in LaMnO<sub>3</sub> by at least one intermediate step.

In conclusion, the smaller U in LaMnO<sub>3</sub> than  $U_{\pi}$  in CaMnO<sub>3</sub> and YCrO<sub>3</sub> makes LaMnO<sub>3</sub> a promising candidate for exploration of the breakdown of the superexchange perturbation theory. The Bloch rule for localizedelectron antiferromagnetism, viz.,  $\alpha = d \log T_{\rm N}/d \log V \approx$ -3.3, provides a test of the application of the superexchange perturbation method and of how it breaks down. YCrO<sub>3</sub> was found to obey the Bloch rule; CaMnO<sub>3</sub> did also, but it appears to approach the limit where the factor  $[U^{-1} + (2\Delta)^{-1}]$  of the perturbation theory can be assumed to be independent of pressure. By comparison, LaMnO<sub>3</sub> has an unusually large value of  $dT_N/dP$  that has little to do with either the compressibility or the cooperative Jahn-

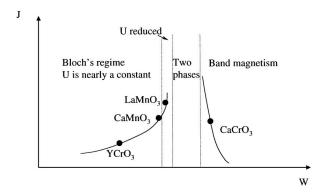


FIG. 5. A schematic diagram of the Heisenberg magneticexchange energy J versus bandwidth W at the crossover from localized-electron to the band magnetism.

Teller distortion. A nonlinear behavior of  $\alpha$  in the range P < 7 kbar and a first-order phase change at  $P \approx 7$  kbar is followed for P > 7 kbar by an  $|\alpha| = 5.3$ , which is significantly larger than the Bloch-rule value. This behavior is consistent with a breakdown of the superexchange perturbation method as a result of a dramatic decrease in U with pressure, a decrease resulting from a feedback enhancement of the screening of the on-site electron-electron Coulomb energy U as the transition from localized-electron to band ferromagnetism is approached.

We acknowledge the financial support of the NSF (DMR0132282), the TCSUH of Houston, Texas, and the Robert A. Welch Foundation of Houston, Texas.

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