## Shallow Donor State Due to Nitrogen-Hydrogen Complex in Diamond

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Based on an *ab initio* calculation, we propose a possible shallowing of a nitrogen (N) donor in diamond, in contrast to the traditional thinking that it is very deep. A complex defect of N and hydrogen (H), N-H-N, should be much shallower than an isolated N donor. A qualitative scenario for formation of the N-H-N defects is presented. The existence of this complex is strongly suggested by a recent discovery of a new muonium center in N-rich diamond.

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Wide band gap semiconductors are superior to silicon regarding their electrical properties [1]. Diamond is a very important wide band gap semiconductor because of its large energy gap (5.5 eV). Even though diamond is of an indirect transition type, nonlinear emission of free excitons appears to occur from synthetic undoped diamond at room temperatures (RT) [2]. If the population of free carriers in diamond would be kept sufficiently large by efficient *n*-as well as *p*-type doping, then high-density free excitons could be prepared in diamond at RT to open a way toward an application of a diamond *pn* junction to a light source operating in the ultraviolet regime [3].

However, there is a serious problem in doping of wide band gap semiconductors. Either, not both, p- or n-type doping is much easier than the other [4]. Diamond [5] can be "efficiently" [6] doped p-type with boron (B) [7]. In sharp contrast, an efficient n-type dopant in diamond has not yet been established.

Intuitively, nitrogen (N) at a substitutional site (N<sub>sub</sub> [8]) seems to be a "natural" donor in diamond, from an analogy to a substitutional phosphorus (P<sub>sub</sub>) in silicon. In reality, N<sub>sub</sub> in diamond creates a deep donor state in the gap,  $E_d \sim E_{CBM} - 1.7 \text{ eV}$  [9–12]. Thus N has been traditionally recognized useless as an efficient donor in diamond. The N's are observed in several forms [13] in addition to N<sub>sub</sub>: a pair of adjacent N<sub>sub</sub>'s (A center), four N<sub>sub</sub>'s surrounding a single vacancy (B center), and platelets, none of which have shallow donor states.

The  $P_{sub}$  is a representative candidate donor in diamond  $(E_d \sim E_{CBM} - 0.5 \text{ eV} [14,15])$ . However, the P incorporation into diamond is much less efficient than B doping [16], and the electron mobility of P-doped diamond  $(\sim 200 \text{ cm}^2/\text{V s} [17])$  is lower than the hole mobility of the B-doped counterpart ( $\sim 2000 \text{ cm}^2/\text{V s} [7]$ ). The low solubility of P<sub>sub</sub> is due to its high formation energy [10]. The high resistivity results from preferential formation of complexes of P with a vacancy (V), which are deep acceptors to compensate any donors [18].

In this paper, we challenge the above traditional thinking of N doping of diamond. Since the N content in diamond is high, typically ~0.1 atomic per cent (at. %) [19], one may *utilize* them rather than try to *remove* them. Formation of complexes of N with other impurities is a possible way to activate the N defects. The experimental feasibility of defect production must be seriously assessed when selecting the components of the complexes, namely, (i) the form of N defect (N<sub>sub</sub>, A center, B center, or platelet) and (ii) the element as the counterpart of the N complex. We select the A center and hydrogen (H) as the ingredients of the complex [20]. The A centers are very likely to form by annealing an N-rich diamond [13] (the binding energy is ~4 eV per pair in our calculation). In addition, H is also abundant in diamond, 0.1 at. % [21,22], similar to N.

On the basis of *ab initio* calculations, we find that an N-H-N complex where two N<sub>sub</sub>'s in the *A* center sandwich H (Fig. 1) exhibits a much shallower donor character ( $E_d^{GGA} = E_{VBM} + 4.42$  eV [23]) than an isolated N<sub>sub</sub>



FIG. 1. Optimized structure of the N-H-N defect. Only the C atoms nearest to the N atoms are illustrated for clarity.

 $(E_d^{GGA} = E_{VBM} + 3.36 \text{ eV})$ . We propose a possible scenario leading to generation of the complexes.

We adopt an *ab initio* theoretical method to study atomic and electronic structures and also energetics of N defects in diamond. The electronic structures of defects are calculated based on density-functional theory [24] within GGA [23,25] to the exchange-correlation energies. The defect structure is modeled in a simple cubic supercell with the edge being 7.162 Å long. The wave functions are expanded in plane-wave basis sets up to 25 Ry. The ultrasoft [26] pseudopotentials are used for carbon (C), N, and H. The augmentation functions are expanded in plane waves up to 400 Ry [27].

Figure 1 shows the optimized structure of the N-H-N defect in diamond. It has  $D_{3d}$  symmetry. The H sits in the middle of the two N atoms [28]. The N-N distance *d* and bond angles  $\alpha$  and  $\beta$  (see Fig. 1 for the definitions of *d*,  $\alpha$ , and  $\beta$ ) are 2.26 Å, 117.5°, and 99.2°, respectively. For the *A* center, d = 2.20 Å,  $\alpha = 117.0^\circ$ , and  $\beta = 100.0^\circ$ , meaning that insertion of H between two N's does not substantially induce additional deformations of the lattice, except the elongation of the N-N distance by ~3%.

We demonstrate an aspect of the H-induced shallowing of the N donor in diamond. Based on total density of states of the N-H-N defect, its donor level is estimated to be  $E_d^{GGA} = E_{VBM} + 4.42 \text{ eV} [23], \sim 1.1 \text{ eV}$ shallower than  $E_d^{GGA}$  of N<sub>sub</sub>,  $E_{VBM} + 3.36 \text{ eV}$ . Regarding the *experimental* activation energy of N<sub>sub</sub>,  $E_{VBM} + 3.8 \text{ eV}$ , we expect that the donor level of N-H-N may be  $E_{VBM} + 4.9 \text{ eV}$ .

Another aspect of the shallowing is that the donor state of N-H-N is delocalized over the surrounding carbon atoms, although it is not effective-mass-like. As is clear from Fig. 2, the delocalization originates from the *antibonding* combination between the wave functions just at the N-H-N defect and p orbitals of six carbon atoms neighboring N, the latter stemming from the CB states of diamond.

Now we study formation energy ( $E_{\text{form}}$ ) of the N-H-N defect (Fig. 3) in comparison with those of other typical defects, N<sub>sub</sub>, the *A* center, a single vacancy (*V*), and its nitrogenated ( $VN_x$ ,  $1 \le x \le 4$ ) as well as hydrogenated ( $VH_y$ ,  $1 \le y \le 4$ ) forms,  $H_{BC}$  (H at the C-C bond center) and  $H_2^*$  ( $H_{BC}$  plus another H at the antibonding site).

We calculate  $E_{\text{form}}$  with respect to N and H reservoirs adsorbed on the diamond surface [32]. This is motivated by the fact that the population of N atoms doped during chemical vapor deposition (CVD) growth of a diamond crystal significantly depends on its surface orientation [33]. In order to explain this result, we expect that N atoms are on the diamond surface for a time long enough to establish a partial equilibrium with those in the bulk crystal. Although some of the N atoms should desorb back into the vapor, the remaining atoms should be embedded in the bulk since the crystal itself is growing. Here we consider the (100)-(2 × 1) diamond surface. We estimate the maxi-



FIG. 2. Squared amplitude of the HOMO state of the N-H-N complex. The graphics is produced with MACMOLPLT [29].

mum values of N and H chemical potentials from the total energies of N-dimer-row C(100)- $(2 \times 1)$ :N [Fig. 3(b)] and monohydride C(100)- $(2 \times 1)$ :H [Fig. 3(c)] structures, which correspond to an N-rich and H-rich phases, respectively (see also the caption of Fig. 3). The chemical potential of the N-H "mixture" on the C(100) surface is assumed to be the total energy of the structure shown in Fig. 3(d) [34].

As is clear in Fig. 3(a),  $E_{\text{form}}$  of N-H-N is lower than those of V as well as of other H-related defects. At the



FIG. 3 (color). (a) Calculated formation energies ( $E_{\text{form}}$ ) of various N- and H-related defects in diamond, as a function of  $\Delta \mu = \mu_{\text{H}} - \mu_{\text{N}}$ , where  $\mu_{\text{H}}$  and  $\mu_{\text{N}}$  are chemical potentials of H and N, respectively.  $E_{\text{form}}$  is defined for a window of  $\Delta \mu$ , which is determined from  $\mu_{\text{N}} \leq \mu_{\text{M}}^{\text{max}}$ ,  $\mu_{\text{H}} \leq \mu_{\text{H}}^{\text{max}}$ , and  $\mu_{\text{N}} + \mu_{\text{H}} = \mu_{\text{N+H}}$ .  $\mu_{\text{N}}^{\text{max}}$ ,  $\mu_{\text{H}}^{\text{max}}$ , and  $\mu_{\text{N+H}}$  are derived from the total energies of adsorbed impurities shown in panels (b), (c), and (d), respectively [30]. The chemical potentials are calculated at T = 0 [31].

same time, it is higher than those of  $VN_x$  as well as of  $N_{sub}$  and the A center. Since V's may exist in CVD-grown diamond at a high content [35], it is highly expected to have a substantial population of the N-H-N defects. However, the populations of the B centers  $(VN_4)$  and possibly of the  $VN_3$  defects may become extremely large because of their negative formation energies. Thus, there are two conditions for successful generation of N-H-N defects in diamond: (i) *Minimize* the number of V's but (ii) maximize the content of N. The CVD growth of diamond with a low growth rate satisfies (i), by suppressing the C/H ratio in the gas source. One must yet maintain the N-doping rate and the diamond growth speed high enough to let as many of the N atoms on the surface as possible be incorporated in the crystal prior to their desorption, in order to meet (ii). Therefore there should be an optimum growth and N-doping rates to compromise (i) and (ii).

Once the N atoms could be doped in diamond with a low concentration of V's, the A centers (N-N) and  $H_{BC}$ 's would be the dominant N and H defects to lower the total formation energy of the impurities. A subsequent annealing of the sample may induce the diffusion of H atoms and their trapping at N-N with an exothermic reaction: N-N +  $H_{BC} \rightarrow$  N-H-N + 2 eV.

Thorough tests for previously proposed defects using  $2N_{sub} + Al_{sub}$  [36] and  $2N_{sub} + B_{sub}$  [37] complexes reveal that both are actually much deeper than our N-H-N defect. We find, for N-Al-N,  $E_d^{GGA} = E_{VBM} + E_{VBM}^{GGA}$ 3.73 eV, only slightly shallower than  $N_{sub}$  ( $E_d^G$  $E_{\rm VBM}$  + 3.36 eV), in contradiction to the report by Yu et al. [36,38]. Our structure of N-Al-N is similar to N<sub>sub</sub>, which is the cause of the deep donor level. An N-N-B defect is the most favorable among the candidates of (2N + B) complexes, with the total energy being 0.7 eV lower than that of N-B-N  $(C_{2\nu})$  proposed by Yoshida *et al.* [37]. The defect HOMO [23] state of N-N-B is so deep  $(E_d^{GGA} = E_{VBM} + 1.43 \text{ eV})$  that it is a *deep* acceptor. The structure of N-N-B resembles that of the A center, explaining why its HOMO level is extremely deep. Thus *n*-type codoping ideas using 2N + B and 2N + Alare both unlikely to work.

A new muonium center  $(Mu_X)$  has been discovered by Machi *et al.* in N-rich diamond [39]. They propose that  $Mu_X$  is a muonium sitting between two N atoms in an *A* center [28]. Their result suggests a possibility of the N-H-N defects having a real existence in N-rich diamond. Since H is much heavier than a muonium, H should be trapped in the middle of the *A* center for a much longer time than the muonium.

Finally, the *absolute depth* of the N-H-N donor level  $(E_{\text{CBM}} - E_{\text{d}})$  is still illusive due to the GGA band-gaperror problem (our GGA band gap of diamond is 4.27 eV). Thus, further theoretical studies will have to be made for its unambiguous determination using higher-level methods such as the *GW* approximation [40]. Detailed experimental

investigations will also be necessary to detect any fingerprint of existence of N-H-N complexes in diamond.

In conclusion, we propose a possible shallowing of an N donor in diamond, in opposition to the traditional thinking that it is a very deep donor. Forming an N-H-N complex may make an N donor in diamond much shallower ( $E_d^{GGA} = E_{VBM} + 4.42 \text{ eV}$ ) than an isolated N<sub>sub</sub> ( $E_d^{GGA} = E_{VBM} + 3.36 \text{ eV}$ ).

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on a  $4 \times 4 \times 4$  regular mesh. With these parameters, the total-energy difference converges with the numerical uncertainty no greater than ~0.01 eV per defect.

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