

Thermal Activation between Landau Levels in the Organic Superconductor β'' -(BEDT-TTF) $_2$ SF $_5$ CH $_2$ CF $_2$ SO $_3$

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We show that Shubnikov–de Haas oscillations in the interlayer resistivity of the organic superconductor β'' -(BEDT-TTF) $_2$ SF $_5$ CH $_2$ CF $_2$ SO $_3$ become very pronounced in magnetic fields ~ 60 T. The conductivity minima exhibit thermally activated behavior that can be explained simply by the presence of a Landau gap, with the quasi-one-dimensional Fermi surface sheets contributing negligibly to the conductivity. This observation, together with complete suppression of chemical potential oscillations, is consistent with an incommensurate nesting instability of the quasi-one-dimensional sheets.

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The quantizing effect of a magnetic field on a charge-carrier system is well known [1]. In metals, this leads to oscillations of the free energy and quasiparticle density of states as Landau levels cross the Fermi energy [2]. The effect is very pronounced in quasi-two-dimensional (Q2D) metals containing Fermi surfaces (FSs) that are approximately cylindrical [3]. Recently there has also been interest in analogous effects in quasi-one-dimensional (Q1D) FS sections, which can lead to magnetic-field-induced quantization [4] and localization [5].

In this paper we describe the magnetoresistance of the organic superconductor β'' -(BEDT-TTF) $_2$ SF $_5$ CH $_2$ CF $_2$ SO $_3$ ($T_c \approx 5.4$ K [6]). Band structure calculations suggest that this material possesses a FS comprising a Q2D cylinder and a pair of Q1D sheets [6]. However, Shubnikov–de Haas (SdH) and de Haas–van Alphen (dHvA) measurements reveal that the Q2D cylinder has only one-third the expected cross section [7–9]. Angle-dependent magnetoresistance oscillation (AMRO) [8,10] and millimeter-wave magnetoconductivity experiments [11] show that the cross section of this Q2D pocket resembles an elongated diamond. The same experimental techniques find no evidence for the presence of Q1D Fermi sheets at low temperatures [8,10,11], unlike the situation in other Q2D organic metals [3]. By contrast, in order to explain the observation of a fixed chemical potential μ in the dHvA effect [7], Wosnitza *et al.* proposed Q1D states which have an enormous density of states, exceeding the estimates from band structure calculations by at least an order of magnitude [7]. Moreover, using a simple formula for the background magnetoresistance, Wosnitza *et al.* suggested that the Q1D sheets become localized in a magnetic field [12]. In the present paper, we show that magnetoresistance data suggest a much simpler explanation. The thermally activated behavior of the data at integer Landau level filling factors is explained entirely in terms of a Landau gap. Moreover, the failure of the Q1D sheets to contribute to the conductivity

together with their ability to fix μ is explained by their nesting to form an incommensurate density-wave ground state. This mechanism is supported by the temperature dependence of the resistivity at $B = 0$.

Single crystals ($\sim 1.0 \times 0.5 \times 0.2$ mm 3) of β'' -(BEDT-TTF) $_2$ SF $_5$ CH $_2$ CF $_2$ SO $_3$ were prepared using standard electrochemical techniques [6]. Contacts were applied using 12.5 μ m Pt wires and graphite paint, in a configuration which gives the interplane magnetoresistance, ρ_{zz} [3]. Magnetic fields B were provided by 60 T pulsed magnets at the National High Magnetic Field Laboratory (NHMFL), Los Alamos; two magnet pulses were required for each data set, the dc sample current of 5 μ A being reversed between pulses to remove contributions from thermoelectric and inductive voltages. Temperatures T between 0.5 and 4.2 K were obtained using a 3 He cryostat. Sample heating was not found to be a problem. This was checked by ensuring that the measured ρ_{zz} was independent of dB/dt and by comparing data with those taken in quasistatic fields of up to ~ 33 T at NHMFL Tallahassee.

Figure 1 shows the T -dependent resistivity ρ_{zz} ; B was applied perpendicular to the Q2D planes. Pronounced SdH oscillations are visible, with a frequency $F = 196 \pm 3$ T in agreement with earlier data [7–9,11]. At high fields, ρ_{zz} becomes very large close to integer Landau-level filling factor, $\nu = F/B$.

In three-dimensional (3D) metals exhibiting the SdH effect, $\Delta\sigma/\sigma$, the ratio of the oscillatory part of the conductivity to the background conductivity (originating from the rest of the FS) is proportional to the density of states, which is in turn proportional to $B^2 dM/dB$, where M is the magnetization [2]. This is valid in 3D metals because $\Delta\sigma$ is only a very weak perturbation of σ . However, this simple proportionality is no longer valid in a Q2D system in which $\Delta\sigma \gg \sigma$ [13], as is clearly the case in Fig. 1. For such data, the value of σ that one extracts by comparing $\Delta\sigma/\sigma$ with $B^2 dM/dB$ (as done in Ref. [12]) has no

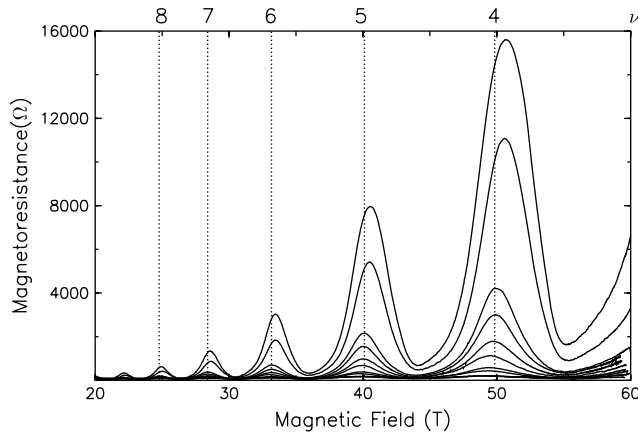


FIG. 1. The temperature dependent magnetoresistance in β'' -(BEDT-TTF) $_2$ SF $_5$ CH $_2$ CF $_2$ SO $_3$ (from the top, 0.59, 0.94, 1.48, 1.58, 1.91, 2.18, 2.68, 3.03, 3.38, 3.80, and 4.00 K). The dotted lines and numbers indicate integer Landau-level filling factors $\nu = F/B$.

real physical meaning [3,13]. In Ref. [13], it was shown that in such situations, ρ_{zz} behaves in an insulating fashion whenever μ resides in a Landau gap, which occurs when $\nu = F/B$ is an integer. It is for this reason that the large peaks in ρ_{zz} occur close to integer ν in Fig. 1; if one incorrectly extracted σ from the SdH data [12], this effect might well lead one to suspect that a “field-induced insulator” [12] had occurred.

The effective mass m^* and Dingle temperature T_D [2,14] were deduced from SdH oscillations between 2 and 6 T, measured in the quasistatic magnet. This corresponds to $59 \leq \nu \leq 33$, where the application of 2D Lifshitz-Kosevich (LK) analysis is able to extract reliable values of m^* [2,3]. The values deduced are $m^* = (1.96 \pm 0.05)m_e$ and $T_D = 0.82$ K, similar to those found in previous works [7–9,11]. Using $T_D = \hbar/2\pi k_B \tau$ [14], the scattering time τ is 1.22×10^{-12} s, leading to a half-width broadening of the Landau levels [2,14] $\delta E = \hbar\tau^{-1} = 0.44$ meV. By comparison, in the absence of broadening, the energy gap between adjacent Landau levels is $\hbar\omega_c = \hbar eB/m^*$; using m^* from the LK analysis, $\hbar\omega_c = 2.94$ meV at 49.85 T ($\nu = 4$).

At the maxima close to integer ν , ρ_{zz} increases exponentially with decreasing T . Figure 2 shows $\log \sigma_{zz} = \log(1/\rho_{zz})$ at these points versus $1/T$. For $1.4 < T < 3.9$ K the data show clear thermal activation behavior,

$$\sigma_{zz} \propto e^{-\Delta/k_B T}, \quad (1)$$

at lower T , the drop in conductivity saturates. The slope of each line in Fig. 2 gives Δ , and the inset shows $E_g = 2\Delta$ versus B (the reason for plotting 2Δ will become clear below); E_g increases linearly with B , suggesting that the gap is related to the Landau quantization.

The possible explanations for this behavior involve the movement of the Landau levels in β'' -(BEDT-TTF) $_2$ -

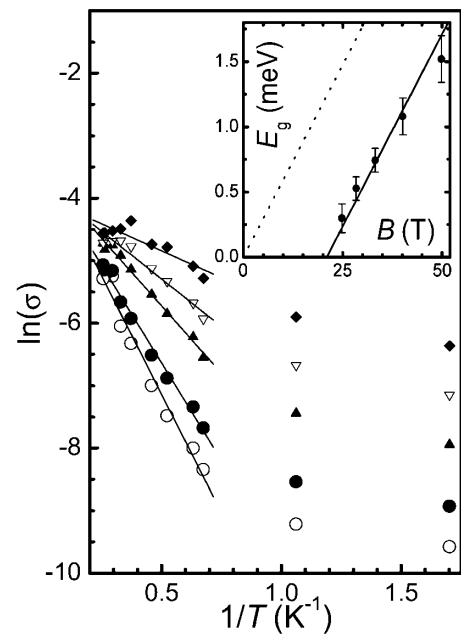


FIG. 2. σ_{zz} against $1/T$ at the magnetoresistance peaks close to integer filling factors; filled diamond $\nu = 8$, open triangle $\nu = 7$, filled triangle $\nu = 6$, filled circle $\nu = 5$, and open circle $\nu = 4$. The lines are fits used to extract Δ [see Eq. (1)]. The inset shows the magnetic field dependence of $E_g = 2\Delta$. The dotted line shows $E = \hbar\omega_c = \hbar eB/m^*$ for comparison, and the solid line shows $E = \hbar\omega_c - E_0$, where E_0 is a constant offset energy (see text).

SF $_5$ CH $_2$ CF $_2$ SO $_3$ with respect to μ as a function of B . In a perfect ($\tau = \infty$) metal comprising a single Q2D Fermi surface at $T = 0$, μ is always pinned to a Landau level in a magnetic field [2]. With increasing B , μ moves up in a particular Landau level until the degeneracy of the levels below has increased sufficiently for them to accommodate all the quasiparticles. At this point, μ drops discontinuously into the Landau level below [2]. The presence of Q1D Fermi sheets, which give a continuous dispersion in a magnetic field [4], modifies this behavior [3,13]. In this case, shown in Fig. 3, μ (solid line) is alternately pinned to a Landau level or to the Q1D density of states as the field increases [13]. While μ is pinned to a Landau level (region γ in Fig. 3) the system acts as a Q2D metal. In the region labeled δ (Fig. 3), μ is between two adjacent Landau levels, and here only the Q1D dispersion contributes to the conduction. It is in the latter regions that we observe insulating behavior, implying that the Q1D Fermi sheets do not contribute to σ_{zz} at low T and high B . Q1D quasiparticles are expected to undergo magnetic-field-induced localization [5] at high fields. However, this cannot explain the data. Localization will lead to either a broad band of immobile states or the collapse of the Q1D states onto states of discrete energy [15]. The former would lead to conduction at integer ν in which quasiparticles were thermally excited from the band of immobile states to the Landau levels; this would

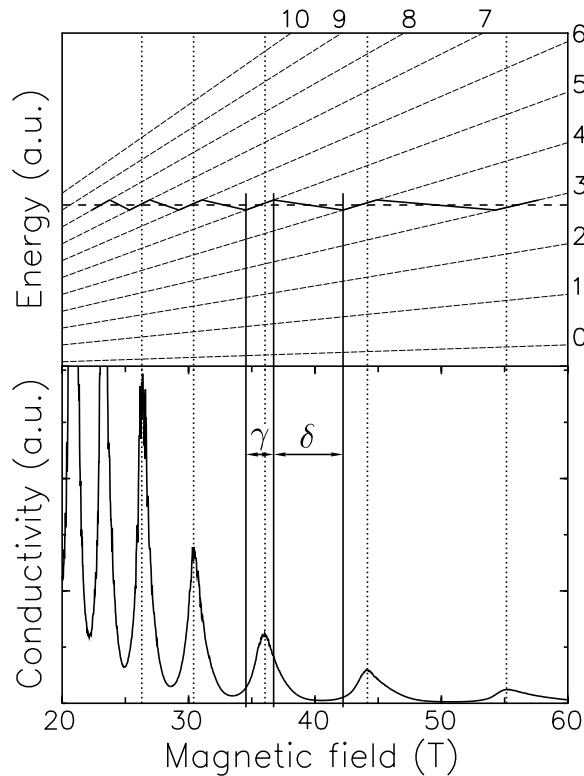


FIG. 3. The upper figure shows the Landau fan diagram with a schematic view of the motion of the chemical potential μ where T and τ^{-1} are zero. The solid line indicates the motion of μ when it is alternately pinned in Q1D and Q2D states. The dashed line shows μ held constant by, e.g., an incommensurate density wave. The lower part shows the magnetoconductivity oscillation at 500 mK; the conductivity peaks whenever μ is at the center of a Landau level.

result in conductivity obeying a power law. The latter scenario removes the mechanism for pinning μ between Landau levels, and μ would instead drop discontinuously between the levels.

A clue to the cause of the activated behavior is given by Fig. 4, which shows the T dependence of ρ_{zz} at $B = 0$; ρ_{zz} initially decreases with decreasing T until $T \approx 140$ K, where there is a minimum. Thereafter, ρ_{zz} increases with decreasing T until about 35 K, from where it drops to the superconducting transition at $T \approx 5$ K. In the region $35 < T < 140$ K, the measured ρ_{zz} depends on the current used in the experiment and can exhibit jumps, bistability (see inset), and hysteresis under certain conditions of bias. The latter behavior and the minimum at 140 K are typical of organic density-wave (DW) systems, e.g., $(\text{BEDT-TTF})_3\text{Cl}_2 \cdot 2\text{H}_2\text{O}$ [16] [however, in $\beta''\text{-(BEDT-TTF)}_2\text{SF}_5\text{CH}_2\text{CF}_2\text{SO}_3$ the behavior is somewhat less extreme than that of $(\text{BEDT-TTF})_3\text{Cl}_2 \cdot 2\text{H}_2\text{O}$ [16], presumably because the Q2D pockets of the FS survive the transition]. We therefore propose that the Q1D Fermi sheets in $\beta''\text{-(BEDT-TTF)}_2\text{SF}_5\text{CH}_2\text{CF}_2\text{SO}_3$ nest to form a DW state at $T \approx 140$ K. A DW transition

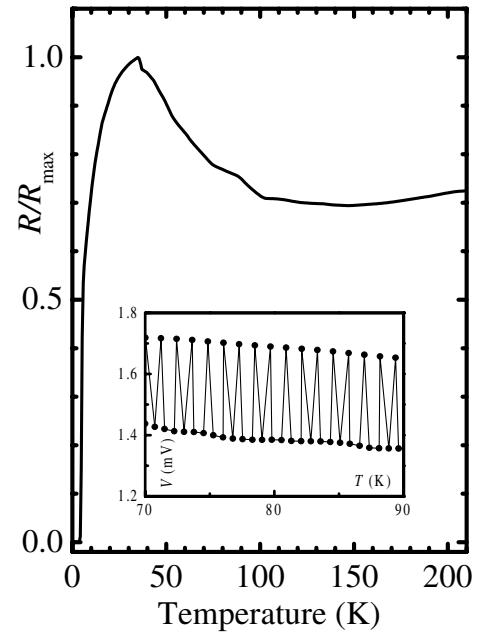


FIG. 4. The temperature dependence of the interlayer resistance ($\propto \rho_{zz}$) normalized to its maximum value, measured with a current of $0.5 \mu\text{A}$. With currents any higher than this, R exhibits bistability and hysteresis between 35 and 140 K. The inset shows the sample voltage during a typical region of bistability.

is known to occur at much lower T in the isostructural salt $\beta''\text{-(BEDT-TTF)}_2\text{AuBr}_2$ [17]; however, the nesting is imperfect, leading to a low-temperature FS comprising a number of small Q2D pockets in addition to an elongated pocket similar to that found in $\beta''\text{-(BEDT-TTF)}_2\text{SF}_5\text{CH}_2\text{CF}_2\text{SO}_3$ [17]. In $\beta''\text{-(BEDT-TTF)}_2\text{SF}_5\text{CH}_2\text{CF}_2\text{SO}_3$, the lack of such additional pockets and the higher ordering T suggest that the nesting is more efficient. The nesting would explain the absence of any signature of the Q1D sheets in the AMRO [8,10] and millimeter-wave data [11].

It is known that incommensurate DWs adjust their nesting vectors \mathbf{Q} in a magnetic field in order to minimize the total free energy [18]. In the Bechgaard salts, this is lowest whenever μ is situated in a Landau gap of the pocket created by imperfect nesting of the Q1D sheets [18]. This mechanism will not, however, operate if the nesting is perfect [19]. On the other hand, it was recently shown that the oscillations of μ originating from Landau quantization of additional Q2D FS sections also affect the free energy [19]. Two qualitatively different types of behavior can result [19]; in the case of a commensurate DW, the DW can become unstable to the oscillations of μ . In the incommensurate case, however, \mathbf{Q} is free to adjust itself to prevent the variation of μ and thereby lower the total free energy. In the case of the DW this is achieved by suppressing the positive μ^2 term, while for the 2D pocket this is achieved by shifting μ into a Landau gap. The area of reconstructed Brillouin zone determined by \mathbf{Q} will be related in an integral manner to the number of particles contained within

the 2D pocket, while the particle number associated with the Q1D sheets is strictly zero. This mechanism becomes especially effective if the nesting is perfect so that there is no residual pocket created by the Q1D sheets. In effect, by adjusting \mathbf{Q} , a DW is able to compensate for the oscillations in the filling of the Q2D pocket (which result from the fact that μ is constant), thereby functioning in the same way as an infinite charge reservoir [19]. We believe that this is happening in the present case.

If μ remains constant, and the Landau levels sweep through it (as shown by the dashed line in Fig. 3), there will be no additional quasiparticle states between the Landau levels; the only means of conduction at integer ν is therefore thermal excitation of quasiparticles from the full Landau level below μ (leaving behind holes) into the empty level above it. If the DW gap is much larger than the Landau gap (as suggested by the transition temperature), the Q1D sheets will contribute only to the conductivity at much higher T . The situation is analogous to an intrinsic semiconductor; the conductivity is proportional to the number n of quasiparticles excited, which in turn is given by the law of mass action [1], $\sigma_{zz} \propto n \propto e^{-E_g/2k_B T}$, where E_g is the energy gap between the filled and empty Landau levels. Comparing this with Eq. (1), we make the identification $2\Delta \equiv E_g$.

The inset of Fig. 2 shows E_g versus B plotted with the function $E = \hbar\omega_c - E_O$ (solid line); with E_O set to 1.23 meV, the experimental values of E_g all lie close to this line, strongly supporting our proposal that E_g is related to the gap between the Landau-level centers, $\hbar\omega_c = \hbar eB/m^*$. Landau-level broadening will cause a reduction of the effective energy gap, and it is this reduction that we identify with E_O ; E_O is about 3 times the Landau-level half-width of 0.44 meV deduced from T_D . We therefore propose that $\hbar\omega_c - E_O$ represents the threshold energy above which a significant number of thermally excited quasiparticles can contribute to the conductivity.

In a Lorentzian Landau-level density of states [2,13], the tails of the levels extend beyond $\hbar\tau^{-1}$ from the center; even when μ lies between two Landau levels, there will be a small number of current-carrying quasiparticles. This is probably why the conductivity saturates at low T ; the carriers in the tails of the Landau levels play the role of extrinsic carriers in a semiconductor system [1].

Finally, we note that the width of the “tail” of the Fermi-Dirac distribution function [2] ($\sim 6k_B T$) is still comparable to the Landau-level width $\hbar/\tau \approx 0.44$ meV, even at $T \approx 590$ mK ($6k_B T \sim 0.3$ meV). This causes the resistivity at half-integer filling factors to increase with decreasing T [20], but to a much lesser extent than at integer filling factors (Fig. 1). This effect is well documented in the interlayer magnetoresistance of semiconductor super-

lattices (see, e.g., [20]) and is *not* associated with field-induced localization [12].

In summary, we have observed thermally activated conductivity at integer Landau-level filling factors in the Q2D organic metal β'' -(BEDT-TTF)₂SF₅CH₂CF₂SO₃. To our knowledge, this is the first identification of such a mechanism in a metallic system. The activation energies deduced from the conductivity are in good agreement with the Landau-level spacings once broadening is taken into account suggesting that the recent identification of a field-induced insulator [12] in this material is incorrect. To account for this behavior and for magnetization and resistivity data, we propose that the Q1D sheets of the Fermi surface of β'' -(BEDT-TTF)₂SF₅CH₂CF₂SO₃ are nested. The temperature dependence of the resistivity suggests that this occurs at $T \approx 140$ K.

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