## MEASUREMENT OF THE TRIPLE SCATTERING PARAMETER  $D_f$  IN THE FREE  $n$ - $p$  SYSTEM<sup>\*</sup>

P. M. Patel,  $A$ . Carroll,  $\uparrow$  N. Strax, and D. Miller

Cyclotron Laboratory, Harvard University, Cambridge, Massachusetts

(Received April 30, 1962)

The Harvard polarized neutron beam' has made possible the first triple scattering experiment on the free neutron-proton system. Figure 1 depicts the apparatus in plan view.

The 128-MeV neutron beam of 42% polarization passes through a precession magnet to a liquidhydrogen target. The recoiling protons are subsequently analyzed by scattering from carbon through  $16^\circ$ . The experiment therefore measures the transfer of intrinsic angular momentum from one nucleon to another during the interaction. The incident neutron polarization, the normal,  $\bar{n}_2$ , to the *n*-*p* scattering, and the normal,  $\bar{n}_3$ , to the *p*-*c* scattering plane, are parallel or antiparallel to one another, so that we evaluate the parameter  $D_f$  where the latter is defined<sup>2</sup> by

$$
\langle \vec{\sigma}_t \rangle \cdot \vec{n}_3 = \frac{(\vec{n}_2 \cdot \vec{n}_3)}{1 + P_2(\theta_2) \langle \vec{\sigma}_1 \rangle \cdot \vec{n}_2} \left[ P_2(\theta_2) + D_t(\theta_2) \langle \vec{\sigma}_1 \rangle \cdot \vec{n}_2 \right],
$$

 $\langle \sigma_t \rangle$  and  $\langle \sigma_1 \rangle$  being the polarizations of the recoil protons and the incident neutrons, respectively.

The simultaneous accumulation of data on  $D_t$  in the four channels is possible largely because we are able to reverse the sign of the incident polar $i$  and  $i$  and  $j$  is the magnet,<sup>3</sup> the field of which is at right angles to the beam direction. For example, the number of protons recoiling to the left and then scattered by carbon to the right depends on whether the magnet is off or on. If we define the

asymmetries  $\epsilon LR$ ,  $\epsilon LL$ ,  $\epsilon RR$ ,  $\epsilon RL$  by

$$
L\boldsymbol{R} = \frac{LR(\text{on}) - LR(\text{off})}{LR(\text{on}) + LR(\text{off})}
$$

and so on, then proper combinations lead to

$$
P_3 P_1 D_t = \frac{1}{4} \{ [ (\epsilon RR + \epsilon LR) - (\epsilon LL + \epsilon RL) ]
$$
  
+ 
$$
P_2 P_3 [ (\epsilon LL + \epsilon LR) - (\epsilon RR + \epsilon RL) ] \}.
$$

As an experimental check we also obtain

$$
P_1 P_2 = \frac{1}{4} \{ [ (\epsilon LL + \epsilon LR) - (\epsilon RR + \epsilon RL) ]
$$
  
+ 
$$
P_2 P_3 [ (\epsilon RR + \epsilon LR) - (\epsilon LL + \epsilon RL) ] \}.
$$

The carbon analyzers were calibrated by inserting the analyzer geometry in the Harvard polarized proton beam. The elastic and inelastic contributions to the analyzing efficiency were evaluated by varying the proton energy and the energy threshold systematically. The results agree with threshold systematically. The results agree with<br>published data,<sup>4</sup> so that the angular resolution and recoil energy spectrum characteristic of the  $D_t$ geometry could be folded in with confidence.  $|P_1|^2$ for the neutron beam was measured by carbon double scattering. Table I summarizes these calibrations and checks.

The  $D_f$  measurements are collected in Table II. In Fig. 2 a comparison with several of the Yale semiphenomenological phase -shift solutions is



FIG. 1. Top view of the experimental apparatus. (A) Beryllium, (B) carbon polarizer, (C) movable lead shield faced with tungsten, (D) fixed lead shield, (E) carbon analyzers, (F) copper absorbers, (H) hydrogen target.

Table I. Measured polarizing and analyzing efficiencies.

θ,	$P_2P_1$	$P_2P_3$	$P_3P_1$
160° $142^\circ$ $124^\circ$	$+0.022 \pm 0.018$ $150^{\circ}$ -0.004 $\pm$ 0.014 $-0.021 \pm 0.017$ $133^{\circ}$ -0.047 $\pm$ 0.015 $-0.020 \pm 0.014$	$+0.016 \pm 0.014$ $-0.003 \pm 0.011$ $-0.014 \pm 0.012$ $-0.027 \pm 0.011$ $-0.010 \pm 0.007$	$+0.132 \pm 0.019$ $+0.120 \pm 0.017$ $+0.115 \pm 0.016$ $+0.104 \pm 0.014$ $+0.085 \pm 0.010$



Table II. Polarization transfer parameter Dt.



BARYCENTRIC SCATTERING ANGLE

FIG. 2. Experimental value of  $D_t$  – comparison with Yale solutions.

made.<sup>5</sup> We note that this transfer parameter discriminates sharply against solutions other than the YLAN3M. The other  $n-p$  parameters so far measured have proved rather insensitive' to the alternatives. The solution YLAN3M, incidentally, can be represented by a static potential with a boundary condition at the core.<sup>7</sup> Although slight modifications of YLAN3M will no doubt be needed to handle recent data,<sup>8</sup> we conclude that this experiment provides a satisfactory anchor to these variations.

Dr. R. K. Hobbie collaborated in the preliminary stages of this work.

)John Parker Predoctoral Fellow, Harvard University.

f.National Science Foundation Graduate Fellow.

 ${}^{1}$ R. Hobbie and D. Miller, Phys. Rev. 120, 2201 (1960).

 ${}^{2}$ L. Wolfenstein, Phys. Rev. 101, 427 (1956).

3V. Bargmann, L. Michel, and V. Telegdi, Phys. Rev. Letters 2, 435 (1959).

<sup>4</sup>J. Dickson and D. C. Salter, Nuovo cimento 6, 235 (1957); B. Rose (private communication).

 $5M.$  H. Hull, Jr., K. E. Lassila, H. M. Ruppel, F. A. McDonald, and G. Breit, Phys. Rev. 122, 1606  $(1961)$ , and private communication. We are indebted to the Yale group for computing and sending us the predictions at 128 MeV.

 ${}^6R$ . H. Hoffman, J. Lefrançois, E. H. Thorndike, and Richard Wilson, Phys. Rev. 125, 973 (1962).

 $H$ . Feshbach and E. Lomon (private communication).

<sup>8</sup>G. Stafford and C. L. Whitehead, Proc. Phys. Soc. (London) 79, <sup>430</sup> (1962); M. H. Hull, Jr. , F. A. Mc-Donald, H. M. Ruppel, and G. Breit, Phys. Rev. Letters 8, <sup>68</sup> (1962).

<sup>\*</sup>Work supported by the joint program of the Office of Naval Research and the U. S. Atomic Energy Commission.