

## Gas-Surface Dynamics and Profile Evolution during Etching of Silicon

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Scattering of energetic F atoms on a fluorinated Si surface is studied by molecular beam methods. The energy transfer closely follows hard-sphere collision kinematics. Energy and angular distributions of unreacted F atoms suggest significant multiple-bounce scattering in addition to single-bounce scattering and trapping desorption. An empirical model of the atom-surface interaction dynamics is used in a Monte Carlo simulation of topography evolution during neutral beam etching of Si. Model predictions of profile phenomena are validated by experiments. [S0031-9007(96)01286-0]

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The pursuit of ever smaller dimensions of circuit patterns for ultralarge scale integration has placed unrelenting demands on plasma etching. Etch rate nonuniformities [1] and peculiar etching topographies [2] hinder the production of very fine structures. Trial-and-error development of process recipes for modern etchers has overcome these problems for current technologies, but new solutions are required as targeted device dimensions extend below 200 nm and aspect ratios exceed 10:1. A basic understanding of the etching interactions that govern profile evolution is essential to develop the predictive capabilities required for efficient optimization of emerging etch tools and for design of a new generation of reactors.

Attempts to model etch profile evolution [3–8] have had limited success in identifying the origins of commonly observed profile phenomena. “Microtrenching” describes the appearance of a sharp groove near the foot of the etched feature [4,5] and has been attributed in models to reflection of ions from the sidewalls [4,5] and surface diffusion [8]. “Aspect ratio dependent etching” (ARDE) refers to the etch rate dependence on the relative spacing between features [1,6] and has been linked [6] to deposition of etch inhibitors, ion deflection, Knudsen transport of neutrals, ion and neutral shadowing effects, and surface diffusion. Finally, “undercutting,” or loss of material beneath the mask that defines the circuit pattern, has been ascribed to reactant species which desorb from the bottom of the trench [7]. The mechanism for each profile characteristic has been described by model parameters which, when properly adjusted, can produce a likeness of the observed characteristic. However, no single set of parameters can describe different effects or capture the simultaneous appearance of all the phenomena. The lack of a general predictive capability is directly related to gaps in the understanding of the dominant physical and chemical interactions responsible for profile evolution [3].

Dynamic scattering effects are essentially absent from reported models. Molecular beam experiments have revealed that when energetic atoms strike a surface they may scatter back into the gas phase with a broad

distribution of exit angles and kinetic energies [9]. Scattering dynamics are difficult to study in complex plasma environments, although a controlled study with an energetic beam of reactive atoms can reveal fundamental interaction dynamics that may govern etch topography evolution. Such experiments are directly related to plasma etching because (1) most ions undergo Auger neutralization before hitting the surface and scatter as neutral atoms, (2) fast neutrals, produced by charge exchange collisions, may exist in high density plasmas, and (3) profiles etched with molecular beams [10] exhibit characteristics analogous to those etched in plasmas. We report here on the scattering dynamics of energetic F-atom beams on SiF<sub>x</sub> during steady-state etching. Despite the complexity of the interaction, the results suggest a simple model which, combined with stochastic simulations, delineates all experimental profile characteristics.

The experimental methods were described earlier [10]. A broad pulse of energetic F atoms, produced by laser detonation of SF<sub>6</sub>, was chopped to narrow the beam velocity distribution. Two F-atom beam distributions were prepared, with average translational energies  $E_i$  of 2.95 and 5.64 eV and with energy widths of 0.51 and 1.28 eV, respectively. These beams were directed at a Si(100) surface [11] at three incident angles  $\theta_i$ , and time-of-flight (TOF) distributions of scattered F atoms were collected for many scattering angles  $\theta_f$  with a rotatable mass spectrometer. An average final energy  $E_f$  and relative flux were derived from each TOF distribution.

Average fractional energy transfers corresponding to the two incident energies are plotted in Fig. 1 as a function of the deflection angle  $\chi = 180^\circ - (\theta_i + \theta_f)$ . The dependence of the fractional energy transfer on the angle of deflection is consistent with a hard-sphere model for single atom-surface collisions [12]. The energy transfer increases slightly, by about 10%, when the incident energy is increased from 2.95 to 5.64 eV. As our initial etching experiments were conducted with the incident beam un-narrowed by the chopper wheel ( $E_i = 4.88 \pm 1.50$  eV) we averaged the fractional energy transfers for the two incident energies and fitted the resulting points with the

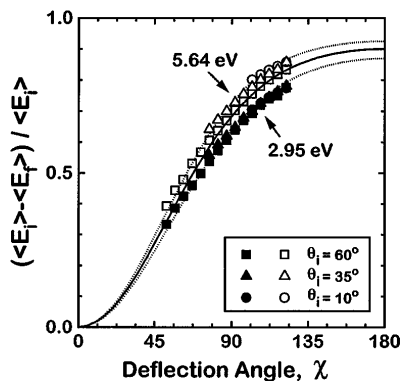


FIG. 1. Average fractional energy transfers for low (2.95 eV) and high (5.64 eV) incident energies as a function of the deflection angle. Data for three angles of incidence are shown. The dotted curves correspond to fits of the two data sets by the hard-sphere model [12]. The interpolated solid curve is used to predict the final energies for direct inelastic scattering.

hard-sphere model equation (solid line in Fig. 1) to obtain a functional form for predicting final energies [12].

Angularly resolved normalized flux distributions of scattered F atoms are plotted in Fig. 2. For  $\theta_i = 10^\circ$  and  $35^\circ$ , the flux decreases monotonically with  $\theta_f$ . However, for  $\theta_i = 60^\circ$  the flux reaches a maximum just before the specular angle. The TOF distributions (not shown) indicate that there is a small thermal desorption component whose angular flux distribution can be described by a cosine function. The remaining signal must arise from inelastic scattering. Deconvolution of the TOF data suggests three distinct scattering processes: (a) single bounce, or direct inelastic scattering (DIS), (b) multiple bounce, or indirect inelastic scattering (IIS), and (c) trapping desorption (TD). Assuming that the angular distribution of the DIS component can be described by a Gaussian about the specular direction, we find that the remaining IIS component is approximately cosine. The flux deconvolution, shown in Fig. 3, establishes plausible scattering mechanisms important for the development of our profile evolution model.

DIS describes a single atom-surface collision resulting in a scattered F atom with “memory” of the incident energy and angle. The probability  $P_d$  for DIS is

$$P_d = 1 - C_1 \sqrt{E_i} (\pi/2 - \theta_i), \quad (1)$$

where  $C_1$  ( $\text{rad}^{-1} \text{eV}^{-1/2}$ ) is a model parameter.  $P_d$  decreases with translational energy [13] as a result of enhanced penetration of the  $\text{SiF}_x$  layer and/or increased probability of reaction. The angular dependence of  $P_d$  describes the increase in DIS at wider incident angles as penetration of the corrugated surface decreases. As practical limits on the use of Eq. (1), we consider only DIS probabilities when  $E_i$  is above 1.0 eV [14]; negative values of  $P_d$  mean zero probability for DIS.

IIS and TD are treated together because they both lead to scattered F atoms with significantly reduced kinetic energies and with cosine angular distributions. TD interactions refer to F atoms leaving the surface after thermal

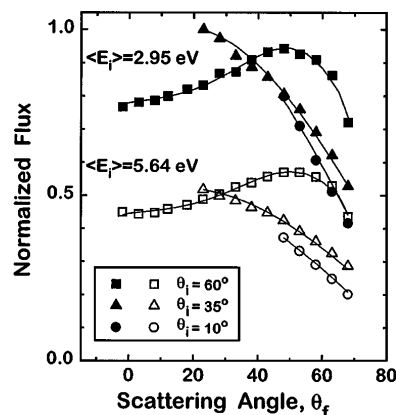


FIG. 2. Flux-weighted total angular distributions of scattered F atoms for two incident energies. The points corresponding to each angle of incidence are connected by curves generated by a deconvolution procedure.

equilibration. When F atoms undergo IIS, or multiple collisions at the surface followed by ejection before reaching thermal equilibrium, there is weak coupling between the incident and final kinetic energies. Whereas directly scattered atoms may retain most of their initial energy, indirectly scattered atoms retain only a small fraction [(1–30)%]. In our model all scattered atoms with energies below 1.0 eV are treated as having a cosine angular distribution (supported by TOF data) and a constant reaction probability  $S_{\text{th}}$  upon subsequent impingement on a surface.  $S_{\text{th}}$  is thus higher than the reaction probability expected for thermal atoms alone because it includes contributions from both thermal and slightly hyperthermal atoms. Although atoms with  $E_i \leq 1.0$  eV are expected to have relatively low reactivities, the flux of these low energy atoms, scattered via the IIS and TD processes, can be significant (see Fig. 3). However, the fraction of incident atoms that scatter inelastically through any

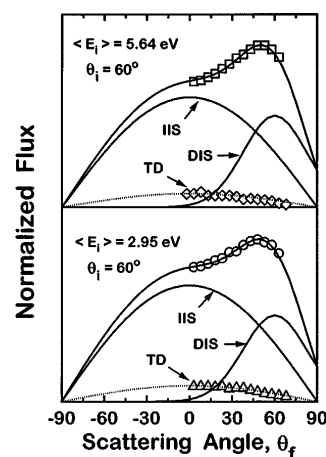


FIG. 3. Deconvolution of the scattered F-atom flux distribution for  $\theta_i = 60^\circ$  into three components. The TD component, extracted from the raw TOF data, is described by a cosine function. The remaining flux is fitted by the sum of Gaussian (DIS) and cosine (IIS) functions. The width of the Gaussian is the same for both incident energies [19].

process will decrease with increasing incident energy as a result of the increased reaction probability on first impact. Thus inelastic scattering, especially in the TD and IIS modes, should be most important at lower incident energies.

The bimodal TOF distributions of the dominant reactive product, detected as  $\text{SiF}_3^+$ , suggest at least two interaction mechanisms, one thermal and the other nonthermal, that lead to the ejection of volatile reaction products [10]. The nonthermal reaction probability  $S$  is modeled by

$$S = C_2 \sqrt{E_i} (1 + C_3 \theta_i) (1 - P_d), \quad (2)$$

where  $C_2$  ( $\text{eV}^{-1/2}$ ) and  $C_3$  ( $\text{rad}^{-1}$ ) are model parameters. The square root dependence on  $E_i$  [15] mirrors the behavior of the etch rate and dominates when  $P_d \approx 0$  (i.e., at large  $E_i$  and/or small  $\theta_i$ ). When  $0 < P_d < 1$  (i.e., at small  $E_i$  and/or large  $\theta_i$ ), the dependence of  $S$  on energy becomes linear. The angular dependence also expresses an experimental trend [16]: The total product flux increases slowly with  $\theta_i$  (at a rate given by  $C_3$ ), reaches a maximum at some  $\theta_i$  ( $E_i$  dependent), then decreases rapidly as  $P_d$  becomes dominant. The dependencies described by Eq. (2) are consistent with collision-induced desorption [17] as the dominant nonthermal process that leads to removal of  $\text{SiF}_3$  moieties from the surface; however, the model is not sensitive to the specific nonthermal reaction pathway.  $C_1$  and  $C_3$  are determined from the total reactive scattering signal [16] to be 0.47 and 0.05, respectively. The model thus contains only two adjustable parameters,  $C_2$  and  $S_{\text{th}}$ , which are obtained from a precise fitting of all the characteristics in a single experimental profile, shown in Fig. 4(a).

The two-dimensional (2D) simulation combines the Monte Carlo technique with a cell-removal algorithm [3]. The calculation domain is discretized by a 2D grid of square cells. The cell dimensions must be small enough to delineate the steep profile characteristics. A surface cell is removed from the calculation when a sufficient number of F atoms have reacted with it. For the present calculation a resolution of  $200 \times 400$  cells is used, and 25 F atoms are required to remove each cell. The procedure corresponds to removing clusters of surface atoms after adequate fluorination, which greatly speeds up the computation. Each hyperthermal F atom, generated randomly at the mask opening, follows a trajectory parallel to the etching direction with a translational energy determined by sampling the broad incident distribution. Following contact with the bottom or sidewall surface [18], the F atom may scatter directly with a probability given by Eq. (1). Its scattering angle is obtained from a Gaussian distribution about the specular direction [19], and its energy follows from the hard-sphere model equation [12]. The scattered atom is then tracked until it impinges on another surface or escapes through the opening between masks. If DIS does not occur, the F atom may react with a probability determined by Eq. (2). Upon reaction, the number of F atoms at the particular cell is increased by one. If no reaction happens, the atom will scatter either thermally (TD) or

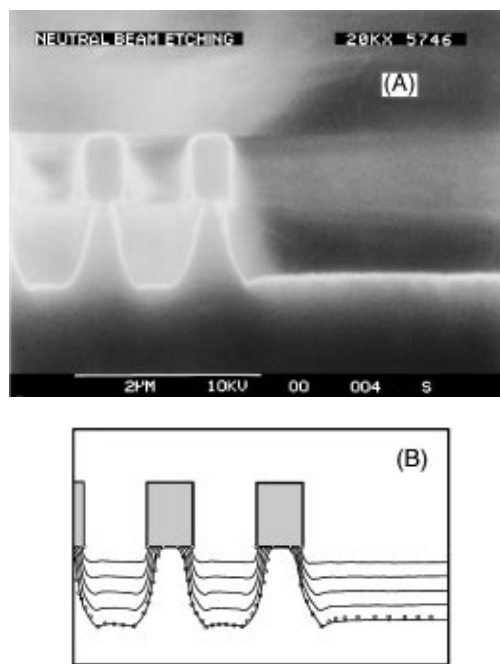


FIG. 4. (a) Scanning electron micrograph (SEM) of a masked Si profile etched with a  $4.88 \pm 1.50$  eV F-atom beam. This profile exhibits undercutting, microtrenching, and ARDE. (b) Comparison of experiment and simulation. The symbols represent the digitized experimental profile, while the solid lines depict a sequence of model predictions.

indirectly (IIS). For both processes, the F-atom exit angle is sampled from a cosine function. Scattered F atoms with energies below threshold for DIS will react with a probability given by  $S_{\text{th}}$  in subsequent collisions. The model profile, shown in Fig. 4(b), is monitored in time until it matches the experimental one. All profile characteristics were captured with  $[C_2, S_{\text{th}}] = [0.12, 0.10]$ .

The model thus reveals the importance of scattering dynamics in etching. DIS is significant at large incident angles such as those encountered at the steep sidewalls in direct view of the incident beam; this process is solely responsible for microtrenching. The broad forward DIS predicts precisely the extent of microtrenching as opposed to atom reflection which overestimates the microtrench depth [5]. TD and especially IIS are responsible for the observed undercutting and sidewall contour. Multiple TD and IIS events in the confined space of the trench contribute to etching at the bottom surface. Lack of confinement in open areas results in a loss of scattered species. The pattern density affects the amount of in-trench scattering; thus the etch rate should be greater in larger aspect ratio trenches. The sharp undercutting is explained by scattering under the mask, resulting in a focusing of F atoms at that location. The small mismatch between the simulated and experimental contour at the open area is a result of assuming  $S_{\text{th}}$  to be constant for all surfaces. A slightly smaller  $S_{\text{th}}$  at the sidewall eliminates the mismatch, suggesting minor differences between the reaction layer at the sidewall and the bottom surface.

With  $C_2$  and  $S_{th}$  fixed at the values above, the model was used to predict the translational energy required for anisotropic etching. At  $E_i = 18$  eV, the predicted undercutting was reduced to about 3%, but microtrenching became more severe. A simulated profile sequence, shown in Fig. 5(a), was generated by using a finer mesh ( $400 \times 400$  cells) in order to resolve the sharp microtrenches. The experimental profile [Fig. 5(b)] was obtained by etching with an  $18.0 \pm 2.5$  eV F-atom beam at room temperature. The improved anisotropy can be explained by the dramatic increase in the reaction probability  $S$  at the higher energy, which reduces indirect scattering at the bottom of the trench. The sidewalls become steeper (i.e.,  $\theta_i$  increases), which counteracts the decrease in  $P_d$  at the sidewalls due to the higher incident energy [see Eq. (1)]. For grazing incidence at the sidewalls, energy transfer is small. The resulting high final energies lead to a high reaction probability at the sidewall foot and the formation of a sharp microtrench there. ARDE does not occur as scattering via IIS, and TD is no longer significant in the confined areas. The roughness at the trench bottom and open area could be captured by increasing the grid resolution (not shown).

The close relationship between the dynamics of atom-surface interactions and topography evolution during etching with neutral beams has been described in a simple model, with assumptions and parameters supported by experiments. The model captures a variety of profile phenomena observed during neutral beam etching, and the predictive capabilities can in principle be extended to

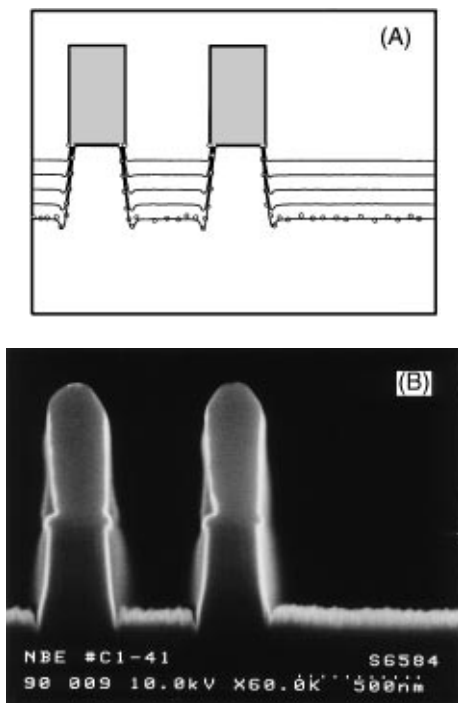


FIG. 5. (a) Model prediction of the profile sequence for  $E_i = 18.0 \pm 2.5$  eV. (b) SEM of the corresponding experimental profile. The circles in (a) outline the contour of this profile for ease of comparison with the simulation.

other systems and chemistries. As similar profile phenomena are observed during plasma etching, analogous ion-surface interaction dynamics likely contribute to profile evolution and could be described in terms of the model proposed here.

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- [19] The full width at half maximum  $F(\theta_i)$  of the Gaussian distribution is determined from  $F(\theta_i) = C_4(\pi/2 - \theta_i)$ , where  $C_4 = 2.33$ , as calculated from  $F(\pi/3) = 1.22$  rad (obtained from Fig. 3) and the assumption that  $F(\pi/2) = 0$ . The linear dependence on  $\theta_i$  is modeled after the trend seen for Xe scattering from Pt(111) at  $E_i > 2$  eV [9].