Limits on $\nu_{\mu}(\overline{\nu}_{\mu}) \rightarrow \nu_{\tau}(\overline{\nu}_{\tau})$ and $\nu_{\mu}(\overline{\nu}_{\mu}) \rightarrow (\overline{\nu}_{e})\nu_{e}$ Oscillations from a Precision **Measurement of Neutrino-Nucleon Neutral Current Interactions**

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(Received 15 June 1995)

We present limits on $\nu_{\mu}(\overline{\nu}_{\mu}) \rightarrow \nu_{\tau}(\overline{\nu}_{\tau})$ and $\nu_{\mu}(\overline{\nu}_{\mu}) \rightarrow \nu_{e}(\overline{\nu}_{e})$ oscillations based on a study of inclusive νN interactions performed using the CCFR massive coarse-grained detector in the Fermilab Tevatron Quadrupole Triplet neutrino beam. The sensitivity to oscillations is from the difference in the longitudinal energy deposition pattern of $\nu_{\mu}N$ vs $\nu_{\tau}N$ or $\nu_{e}N$ charged-current interactions. The ν_{μ} energies ranged from 30 to 500 GeV with a mean of 140 GeV. The minimum and maximum ν_{μ} flight lengths are 0.9 and 1.4 km, respectively. For $\nu_{\mu} \rightarrow \nu_{\tau}$ oscillations, the lowest 90% confidence upper limit in $\sin^2 2\alpha$ of 2.7×10^{-3} is obtained at $\Delta m^2 \sim 50 \text{ eV}^2$. This result is the most stringent limit to date for $25 < \Delta m^2 < 90 \text{ eV}^2$. For $\nu_{\mu} \rightarrow \nu_e$ oscillations, the lowest 90% confidence upper limit in $\sin^2 2\alpha$ of 1.9×10^{-3} is obtained at $\Delta m^2 \sim 350 \text{ eV}^2$. This result is the most stringent limit to date for $250 < \Delta m^2 < 450 \text{ eV}^2$, and also excludes at 90% confidence much of the high Δm^2 region favored by the recent LSND observation.

PACS numbers: 14.60.Pq, 12.15.Mm, 13.15.+g

The mixing of nondegenerate neutrino mass eigenstates would lead to oscillations of one neutrino type into another. For mixing between two generations, the oscillation probability is

$$P(\nu_1 \to \nu_2) = \sin^2 2\alpha \sin^2 \left(\frac{\Delta m^2 L}{E_{\nu}} \times 1.27 \frac{\text{GeV}}{\text{km eV}^2}\right),$$
(1)

where Δm^2 is $|m_1^2 - m_2^2|$, α is the mixing angle, E_{ν} is the neutrino energy, and L is the distance the neutrino travels between production and observation. Nonzero neutrino mass and mixing would have important implications for cosmology and particle physics. Neutrino oscillations may explain observed neutrino deficits from the sun and from atmospheric sources.

To date the best limits for $\nu_{\mu} \rightarrow \nu_{\tau}$ oscillations are derived from searches for ν_{τ} appearance through exclusive processes. For example, the Fermilab E531 limit [1] comes from searching for a detached vertex from a tau decay in emulsion. A fine-grained detector (i.e., emulsion, or a low density fine-grained calorimeter such as was used by CHARM II [2]) is necessary to be sensitive to low mixing angles through exclusive modes. In the case of $\nu_{\mu} \rightarrow \nu_{e}$ oscillations, the best limits from accelerator experiments come from fine-grained calorimetric (e.g., Brookhaven National Laboratory (BNL) E734 [3], BNL E776 [4]) or fully active detectors (e.g., KARMEN [5], LSND [6]), searching for quasielastic charged-current production of electrons. The LSND experiment, using a liquid scintillator neutrino target, has recently reported a signal consistent with $\overline{\nu_{\mu}} \rightarrow \overline{\nu_{e}}$ at a $\sin^2 2\alpha$ of $\sim 10^{-2}$ and a $\Delta m^2 \gtrsim 1 \text{ eV}^2$ [6].

In this Letter, we obtain results with comparable sensitivity to E531, CHARM II for $\nu_{\mu} \rightarrow \nu_{\tau}$ oscillations and to BNL E734, BNL E766, and KARMEN for $\nu_{\mu} \rightarrow \nu_{e}$ oscillations at $\Delta m^2 \gtrsim 40 \text{ eV}^2$ using the massive and relatively coarse-grained CCFR detector. The main advantage of this type of detector is increased interaction probability which will be particularly important in a low flux, long base line neutrino beam [7]. Our result establishes the sensitivity of such detectors to small mixing angles.

The CCFR detector [8] consists of an 18 m long, 690 ton target calorimeter with a mean density of 4.2 g/cm^3 , followed by an iron toroid spectrometer. The target calorimeter consists of 168 iron plates, $3 \text{ m} \times 3 \text{ m} \times$

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5.1 cm each. The active elements are liquid scintillation counters spaced every two plates and drift chambers spaced every four plates. There are a total of 84 scintillation counters and 42 drift chambers in the target. The toroid spectrometer is not directly used in this analysis.

The Fermilab Tevatron Quadrupole Triplet neutrino beam is created by decays of pions and kaons produced when 800 GeV protons hit a production target. A wide band of secondary energies is accepted by focusing magnets. The production target is located about 1.4 km upstream of the neutrino detector. The production target and focusing train are followed by a 0.5 km decay region. The resulting neutrino energy spectra for ν_{μ} , $\overline{\nu}_{\mu}$, ν_{e} , and $\overline{\nu}_{e}$ at the detector are shown in Fig. 1. The beam contains a 2.3% fraction of electron neutrinos and a negligible fraction of tau neutrinos (less than 10^{-5}) which result primarily from D_s decay.

Neutrinos are observed in the target calorimeter *via* their neutral-current and charged-current interactions. ν_{μ} charged-current events are characterized by the presence of a muon in the final state which deposits energy in a large number of consecutive scintillation counters as it travels through the calorimeter. Neutral-current events have no muon and deposit energy over a range of counters typical of a hadronic shower (5 to 20 counters). Accordingly, we define "short" events as those which deposit energy over an interval of 30 or fewer scintillation counters. The ratio R_{30} is defined to be the number of short events divided by the number of long events [9]. This ratio is strongly dependent on the ratio of neutral-to charged-current events which is a function of the electroweak mixing angle, $\sin^2 \theta_W$.

Assuming the validity of the standard model, $\sin^2 \theta_W$ is accurately measured from other processes. We can use these measurements to predict the ratio of neutral-to charged-current events in the CCFR detector, and thus R_{30} . The presence of ν_{τ} or additional ν_e in the neutrino



FIG. 1. Neutrino energy spectra for ν_{μ} , $\overline{\nu}_{\mu}$, ν_{e} , and $\overline{\nu}_{e}$ at the CCFR detector for the Fermilab wide-band neutrino beam. (Monte Carlo based on measured relative ν_{μ} and $\overline{\nu}_{\mu}$ fluxes.)

beam would cause the measured R_{30} to be larger than its calculated value because most charged current tau and electron neutrino interactions do not produce a muon in the final state and will thus appear short.

In this study, we attribute any deviation in our measured R_{30} from the predicted value to $\nu_{\mu} \rightarrow \nu_{\tau}$ or $\nu_{\mu} \rightarrow \nu_{e}$ oscillations. This technique, which has been discussed previously in the literature [7,10,11], assumes that only one of the two types of flavor oscillation contributions to a change in R_{30} , and is therefore conservative since both types of oscillation would increase the measured R_{30} .

We used a detailed Monte Carlo to relate a given $\nu_{\mu} \rightarrow$ ν_{τ} or $\nu_{\mu} \rightarrow \nu_{e}$ oscillation probability to the quantity R_{30} . The $\sin^2 \theta_W$ value in the on-shell renormalization scheme of 0.2232 ± 0.0018 is input to the Monte Carlo. [This value for $\sin^2 \theta_W$ is obtained using the world average value M_W measurement [12], the prediction from the measured M_Z , and the average of all LEP and SLD Z-pole measurements from [13]. The M_Z extraction is corrected for the recent reevaluation of $\alpha_{EM}(M_Z^2)$ by Swartz [14]. A top mass of 180 \pm 12 GeV [15] and 60 < $M_{\rm Higgs}$ < 1000 GeV are used to convert from the minimal subtraction (\overline{MS}) and M_Z schemes to the on-shell scheme used here.] The other inputs to the Monte Carlo are parametrizations of the measured CCFR detector responses [8], nucleon structure functions [16], and relative neutrino beam fluxes extracted from the charged-current data sample [17]. The ν_e flux is modeled in a detailed beam-line simulation, normalized by the observed ν_{μ} flux [9]. The same beamline simulation is used to tag the decay location for each pion and kaon and thus the creation point of each ν_{μ} along the beam line. The measured flux gives the number of ν_{μ} 's at the detector. $P(\nu_{\mu} \rightarrow \nu_{\tau,e})$ is determined from Eq. (1) and the beam-line simulation. We assume $P(\nu_{\mu} \rightarrow \overline{\nu}_{\tau,e}) = P(\overline{\nu}_{\mu} \rightarrow \overline{\nu}_{\tau,e})$ (a consequence of *CP* invariance). The number of ν_{μ} 's produced in the beam line is then the number observed at the detector divided by $1 - P(\nu_{\mu} \rightarrow \nu_{\tau,e})$. The predicted electron neutrino flux is rescaled to the *produced* number of ν_{μ} 's. The tau or electron neutrino flux from neutrino oscillations is calculated by multiplying the *produced* number of ν_{μ} 's by $P(\nu_{\mu} \rightarrow \nu_{\tau,e}).$

To simulate $\nu_{\tau,e}$ interactions in our detector we assumed the $\nu_{\tau,e}$ neutral-current cross section is the same as for ν_{μ} interactions. The ν_{τ} charged-current cross section was calculated including mass suppression terms. Following [18] we used the approximation that the structure functions $F_4 = 0$, and $xF_5 = 2xF_1$. The kinematic suppression for massive particle production was also taken into account. The Monte Carlo program TAUOLA [19] was used to simulate tau decays. We define E_{cal} as the energy deposited in the calorimeter in the first twenty counters following the event vertex. For $\nu_{\tau,e}$ charged-current events E_{cal} includes the visible energy from the tau decay. Events are required to deposit a minimum energy of 30 GeV in the target calorimeter. The contributions from

quasielastic and resonance production are suppressed by this requirement.

Events were selected using a calorimeter trigger fully sensitive for E_{cal} above 20 GeV. To ensure event containment, the fiducial volume of the detector is limited to a central cylindrical region 30" in radius and excludes events which began in the first 6 counters or the last 34 counters of the detector. The resulting data sample consisted of about 450 000 events. The data and Monte Carlo are divided into $21E_{cal}$ bins. For each Δm^2 , the Monte Carlo prediction for $R_{30}(E_{cal}, \sin^2 2\alpha)$ is compared with $R_{30}(E_{cal})$ from the data. Figure 2 shows the R_{30} distribution as a function of E_{cal} for the data and for the Monte Carlo simulation. The detailed shape of $R_{30}(E_{cal})$ depends on many competing effects which are put into the Monte Carlo, but is dominated by the variation of shortcharged current events with E_{cal} and by the contribution from the predicted ν_e flux.

There are four major uncertainties in the comparison of $R_{30}(E_{cal})$ from the Monte Carlo to the data: the statistical error in the data, the uncertainty in the effective charm quark mass for charged-current charm production, the uncertainty in the incident flux of ν_e 's on the detector, and the uncertainty in the on-shell weak mixing angle from outside measurements. Other sources of systematic uncertainty were also investigated [9]. Table I shows the effect of the uncertainties for three choices of Δm^2 .

The charm mass error comes from the uncertainty in modeling the turn-on of the charm quark production cross section. The Monte Carlo uses a slow-rescaling model with the parameters extracted using events with two oppositely charged muons in this experiment [20]. This error dominates the calculation of R_{30} at low E_{ν} (and low E_{cal}) where the threshold suppression is greatest. The ν_e flux uncertainty has a large effect on R_{30} because almost all charged current ν_e events are short events. Therefore, the relatively small (4.2% [9]) fractional uncertainty in



FIG. 2. R_{30} as a function of E_{cal} for the data (points). The filled band shows Monte Carlo prediction assuming no oscillations with 1σ systematic errors added in quadrature. Data points show statistical errors only. The dotted and dashed curves show the effect of $\nu_{\mu} \rightarrow \nu_{\tau}$ oscillations.

TABLE I. The change in $\sin^2 2\alpha$ for $\nu_{\mu} \rightarrow \nu_{\tau}$ from a 1 σ shift in the dominant errors. The row labeled "total" includes these and many smaller uncertainties added in quadrature.

<u>,</u>		1		
Source of Error	$\Delta m^2 = 3500 \text{ eV}^2$	310 eV ²	80 eV^2	
Statistical	2.4×10^{-3}	1.8×10^{-3}	2.1×10^{-3}	
v_e Beam content Detector	2.5×10^{-5}	2.0×10^{-5}	1.4 × 10 °	
systematics	$2.2 imes 10^{-3}$	2.0×10^{-3}	2.0×10^{-3}	
Charm mass	$2.4 imes10^{-3}$	1.6×10^{-3}	2.4×10^{-3}	
Charm sea	$1.2 imes 10^{-3}$	0.8×10^{-3}	1.0×10^{-3}	
$\sin^2\theta_W$	$1.7 imes 10^{-3}$	1.2×10^{-3}	1.5×10^{-3}	
Other model	$0.6 imes10^{-3}$	0.6×10^{-3}	0.7×10^{-3}	
Total	5.2×10^{-3}	4.1×10^{-3}	4.4×10^{-3}	

the ν_e flux is a large effect, particularly at high E_{cal} since most ν_e charged-current interactions deposit the full incident neutrino energy into the calorimeter. This 4.2% is dominated by a 20% production uncertainty in the K_L content of the secondary beam which produces 16% of the ν_e flux. The bulk of the ν_e flux comes from K_{e3}^{\pm} decays, which are well constrained by the observed ν_{μ} spectrum from $K_{\mu2}^{\pm}$ decays [9].

The data are fit by forming a χ^2 which incorporates the Monte Carlo generated effect of oscillations, and statistical and systematic uncertainties. A best fit $\sin^2 2\alpha$ is determined for each Δm^2 by minimizing the χ^2 as a function of $\sin^2 2\alpha$ and the 33 systematic coefficients, C_i . Best fit values of $\sin^2 2\alpha$ with 1σ errors from the fit are shown in Tables II and III. At all Δm^2 , the data

TABLE II. The result for $\sin^2 2\alpha$ from the fit at each Δm^2 for $\nu_{\mu} \rightarrow \nu_{\tau}$ oscillations

$\Delta m^2 (eV^2)$	Best fit	σ	$\Delta m^2 \ ({ m eV}^2)$	Best fit	σ
2.0	-2.1114	2.0192	185.0	0.0050	0.0042
3.5	-0.6982	0.6676	200.0	0.0047	0.0042
5.0	-0.3419	0.3268	220.0	0.0040	0.0041
6.0	-0.2373	0.2267	240.0	0.0033	0.0041
8.0	-0.1351	0.1296	275.0	0.0022	0.0040
10.0	-0.0872	0.0838	295.0	0.0018	0.0040
15.0	-0.0397	0.0385	310.0	0.0016	0.0040
20.0	-0.0229	0.0224	350.0	0.0010	0.0041
35.0	-0.0084	0.0090	400.0	0.0002	0.0043
42.0	-0.0061	0.0069	430.0	-0.0002	0.0044
50.0	-0.0045	0.0056	500.0	-0.0002	0.0047
60.0	-0.0031	0.0047	550.0	0.0004	0.0048
70.0	-0.0021	0.0041	600.0	0.0013	0.0050
80.0	-0.0013	0.0038	650.0	0.0020	0.0051
90.0	-0.0006	0.0036	700.0	0.0026	0.0051
100.0	0.0001	0.0035	750.0	0.0028	0.0050
110.0	0.0008	0.0035	800.0	0.0027	0.0049
120.0	0.0015	0.0036	1000.0	0.0017	0.0049
135.0	0.0027	0.0037	2000.0	0.0018	0.0050
150.0	0.0038	0.0039	3500.0	0.0018	0.0049
175.0	0.0049	0.0041	10000.0	0.0018	0.0049

for $\nu_{\mu} \rightarrow \nu_{e}$ oscillations							
$\Delta m^2 \ ({ m eV}^2)$	Best fit	σ	$\Delta m^2 \ ({ m eV}^2)$	Best fit	σ		
2.0	-0.7856	1.0714	200.0	0.0008	0.0021		
3.0	-0.3552	0.4825	225.0	0.0001	0.0020		
4.0	-0.1993	0.2720	250.0	-0.0001	0.0019		
5.0	-0.1275	0.1746	275.0	-0.0001	0.0017		
7.0	-0.0650	0.0897	300.0	-0.0001	0.0016		
9.0	-0.0392	0.0548	350.0	-0.0001	0.0015		
10.0	-0.0317	0.0448	400.0	0.0000	0.0016		
20.0	-0.0074	0.0122	450.0	0.0004	0.0018		
30.0	-0.0027	0.0061	500.0	0.0009	0.0020		
40.0	-0.0009	0.0039	600.0	0.0015	0.0024		
50.0	-0.0001	0.0028	700.0	0.0014	0.0025		
60.0	0.0004	0.0023	800.0	0.0007	0.0023		
70.0	0.0007	0.0019	1000.0	0.0009	0.0023		
80.0	0.0009	0.0018	1500.0	0.0009	0.0022		
90.0	0.0012	0.0017	2000.0	0.0009	0.0023		
100.0	0.0014	0.0017	5000.0	0.0009	0.0023		
125.0	0.0022	0.0018	10000.0	0.0009	0.0023		
150.0	0.0024	0.0020	20000.0	0.0009	0.0023		
175.0	0.0017	0.0021	50000.0	0.0009	0.0023		

TABLE III. The result for $\sin^2 2\alpha$ from the fit at each Δm^2

are consistent with no observed $\nu_{\mu} \rightarrow \nu_{\tau,e}$ oscillation. The statistical significance of the best-fit oscillation at any Δm^2 is at most 1.2σ .

The frequentist approach [21] is used to set a 90% confidence upper limit for each Δm^2 . The limit in $\sin^2 2\alpha$ at each Δm^2 corresponds to a shift of 1.64 units of $\chi^2(\sin^2 2\alpha)$ from the minimum χ^2 (at the best fit value in Table II). The χ^2 value for the no-oscillation case is 15.7/21 degrees of freedom. The 90% confidence upper limit is plotted in Fig. 3 for $\nu_{\mu} \rightarrow \nu_{\tau}$. The best limit of $\sin^2 2\alpha < 2.7 \times 10^{-3}$ is at $\Delta m^2 = 50 \text{ eV}^2$. For $\sin^2 2\alpha = 1$, $\Delta m^2 > 1.4 \text{ eV}^2$ is excluded, and, for $\Delta m^2 \gg 1000 \text{ eV}^2$, $\sin^2 2\alpha > 8.1 \times 10^{-3}$ is excluded at 90% confidence. For $\nu_{\mu} \rightarrow \nu_e$ oscillations, the 90% confidence upper limit is also shown in Fig. 3. The best limit of $\sin^2 2\alpha < 1.9 \times 10^{-3}$ is at $\Delta m^2 = 350 \text{ eV}^2$. For $\sin^2 2\alpha = 1$, $\Delta m^2 > 1.6 \text{ eV}^2$ is excluded, and, for $\Delta m^2 \gg 1000 \text{ eV}^2$, $\sin^2 2\alpha > 3.8 \times 10^{-3}$.

In conclusion, we have used a new analysis method to search for $\nu_{\mu} \rightarrow \nu_{\tau,e}$ oscillations with a coarse-grained calorimetric detector. We see a result consistent with no neutrino oscillations and find 90% confidence level excluded regions in $\sin^2 2\alpha \cdot \Delta m^2$ space. This result demonstrates sensitivity to low mixing angles in a high mass, coarse-grained sampling calorimeter and has implications for proposed long base-line experiments [7].

- [1] N. Ushida et al., Phys. Rev. Lett. 57, 2897 (1986).
- [2] M. Gruwe et al., Phys. Lett. B 309, 463 (1993).
- [3] L.A. Ahrens et al., Phys. Rev. D 36, 702 (1987).
- [4] L. Borodovsky et al., Phys. Rev. Lett. 68, 274 (1992).



FIG. 3. Excluded region of $\sin^2 2\alpha$ and Δm^2 for $\nu_{\mu} \rightarrow \nu_{\tau}$, *e* oscillations from this analysis at 90% confidence is shown as dark, solid curves.

- [5] B. Bodmann et al., Nucl. Phys. A553, 831c (1993).
- [6] C. Athanassopoulos *et al.*, Report No. LA-UR-95-1238, 1995.
- [7] E. Ables et al., Fermilab Proposal No. P-875 (MINOS), 1995.
- [8] W. K. Sakumoto *et al.*, Nucl. Instrum. Methods Phys. Res., Sect. A **294**, 179 (1990); B. J. King *et al.*, Nucl. Instrum. Methods Phys. Res., Sect. A **302**, 254 (1991).
- [9] C. Arroyo *et al.*, Phys. Rev. Lett. **72**, 3452 (1994); Bruce J. King, Ph.D. thesis, Columbia University, 1994; Nevis Report No. 284 (unpublished).
- [10] P.F. Loverre, Phys. Lett. B 206, 711 (1988).
- [11] R.H. Bernstein and S.J. Parke, Phys. Rev. D 44, 2069 (1991).
- [12] F. Abe *et al.*, Fermilab Report No. FERMILAB-PUB-95/033-E, 1995.
- [13] Particle Data Group, P. Langacker, Phys. Rev. D 50, 1309 (1994).
- [14] M.L. Swartz, Report No. SLAC-PUB-6711, 1994.
- [15] F. Abe *et al.*, Fermilab Report No. FERMILAB-PUB-95/022-E, 1995; S. Abachi *et al.*, Fermilab Report No. FERMILAB-PUB-95/028-E, 1995.
- [16] P.Z. Quintas *et al.*, Phys. Rev. Lett. **71**, 1307 (1993);
 W.C. Leung *et al.*, Phys Lett. B **317**, 655 (1993).
- [17] P.Z. Quintas, Ph.D. thesis, Columbia University, 1992; Nevis Report No. 277 (unpublished); W.C. Leung, Ph.D. thesis, Columbia University, 1991; Nevis Report No. 276 (unpublished).
- [18] C. H. Albright and C. Jarlskog, Nucl. Phys. B84, 467 (1975).
- [19] S. Jadach et al., Comput. Phys. Commun. 64, 275 (1991).
- [20] A.O. Bazarko et al., Z. Phys. C 65, 189 (1995).
- [21] Particle Data Group, Phys. Rev. D 50, 1280 (1994).