**Indrani and Ramaswamy Reply:** The Comment by Fuchs [1] points out that the self-energies for self and collective motion should be treated independently. In our Letter [2] we state this as well, and simply use it as an approximation. We would worry about this approximation if a "fully self-consistent" treatment gave a quantitatively correct prediction for the suppression of self-diffusion at freezing, as claimed in [1]. An examination of the fitting procedure in [1] shows that it does not, as we demonstrate below.

Note that, in principle, the mode-coupling (MC) [3] approach has *no fitting parameters*. A given input liquid structure factor S(q) yields a definite value for the ratio  $r = D_L/D_0$  of the long-time and bare diffusivities. At the experimental freezing volume fraction of 0.494, S(q) has a height of about 2.85; the corresponding value of r predicted by MC is about 0.008 [1], as can be seen in Fig. 1 of [1]. The structure factor used as input for the value of  $\sigma$  corresponding to freezing has a maximum height of about 2.25. Thus, all one can really conclude from the remarks in [1] is that the theory predicts  $r \approx 0.085$ , when S(q), corresponding to a liquid far from freezing, is used, and gives a value much too small for r when a typical freezing S(q) is used instead.

However, [1] chooses to *identify* the experimental volume fraction at which the extrapolated diffusivity vanishes with the MC glass transition point, and to use the distance from the MC glass transition as a parameter. This procedure, for which there is no justification, simply shifts the predicted curve to larger densities, leading superficially to better agreement with the experiment.

In conclusion, the improved calculation of [1], without the unjustified fitting procedure, only reinforces our point: mode-coupling theory, when properly applied, can explain the universal suppression of self-diffusion at freezing but cannot predict its numerical value. It accounts well for the *shape* but not the magnitude of the mean-square displacement as a function of time.

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