

Picosecond Light-Induced Noncentrosymmetry in a Dye Solution

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By means of a phase-conjugation experiment by nondegenerate six-wave mixing, we demonstrate a transient $\chi^{(2)}$ grating induced by a nonzero E^3 time average in a solution of noncentrosymmetric dye molecules. The origin of the induced phase-matched second-harmonic generation is found in an orientational hole-burning effect. Its lifetime, limited by molecule rotation, is 210 ± 10 psec and the $\chi^{(2)}$ magnitude reaches 2.5×10^{-3} pm/V for 1 GW cm^{-2} pumps at 1064 nm.

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In a centrosymmetric material, even-order optical nonlinearities (such as second-harmonic generation, SHG) are dipolar forbidden for symmetry reasons [1]. Though SHG is possible in centrosymmetric mixtures of chiral molecules via magnetic or quadrupolar effects [2], the dipolar symmetry requirements can be modified by a non-symmetric external action such as the application of a dc electric field. Efficient electric-field-induced second-harmonic generation (EFISH) is then observed in centrosymmetric materials, e.g., solutions of molecules with large permanent dipole moment and second-order hyperpolarizability β , via the third-order nonlinear susceptibility $\chi^{(3)}(2\omega; \omega, \omega, 0)$ [3]. Such an induced noncentrosymmetry can remain after the dc electric field is switched off, as in poled polymers [4]. In such systems, the partial alignment of initially randomly oriented chromophores with large β results in a nonzero macroscopic second-order susceptibility $\chi^{(2)}$.

The observation of second-harmonic generation in optical fibers prepared by an intense light at 1064 nm [5] or with a simultaneous seeding light at the doubled frequency (532 nm) [6] revealed the possibility of inducing a $\chi^{(2)}$ by light in a centrosymmetric material. The mechanism involves the nonzero time average, at a given point, of the third power of the optical field, $\langle E^3 \rangle \neq 0$. For the superposition of a light wave and its second harmonic, $\langle E^3 \rangle$ oscillates in space and generates a $\chi^{(2)}$ grating. Hence, the whole write-and-read process can be viewed as a six-wave-mixing (SWM) process [7,8]. In this Letter we re-

port on a phase-conjugation experiment based on such a SWM interaction which demonstrates the induction of a self-phase-matched transient $\chi^{(2)}$ grating by light in a centrosymmetric solution of dye molecules with large β .

In such processes, $\chi^{(2)}(2\omega; \omega, \omega)$ is induced by a combination of two beams at frequencies ω and 2ω . $\chi^{(2)}$ at a given \mathbf{M} of the material is proportional to $\langle E^3 \rangle = E_\omega^* E_{2\omega} + E_\omega^2 E_{2\omega}^*$, where E_ω is the amplitude of the field at frequency ω at point \mathbf{M} . Now, if we probe this $\chi^{(2)}$ by frequency doubling on a third beam at frequency ω with amplitude E_ω' , the measured 2ω polarization amplitude is $\chi^{(2)} E_\omega'^2$ and is proportional to $E_\omega'^2 E_\omega^* E_{2\omega} + E_\omega'^2 E_\omega^2 E_{2\omega}^*$. Thus, the whole write-and-read process contributes to the fifth-order susceptibilities $\chi^{(5)}(2\omega; \omega, \omega, -\omega, -2\omega)$ and $\chi^{(5)}(2\omega; \omega, \omega, \omega, -2\omega)$, respectively. Contributions to the first coefficient comes from $\langle E^3 \rangle$ -induced $\chi^{(2)}$ but also from $\langle E^4 \rangle$ -induced index variations [7]. So we focus here on the second term, which can represent only an induced $\chi^{(2)}$. Figure 1 shows the beam arrangement for the measurement of $\chi^{(5)}(2\omega; \omega, \omega, \omega, \omega, -2\omega)$ in a phase-conjugation configuration. Beams 1 and 2, at fundamental frequency ω , are counterpropagating plane waves (complex amplitudes E_1 and E_2 , wave vectors \mathbf{k}_1 and \mathbf{k}_2 , $\mathbf{k}_1 + \mathbf{k}_2 = 0$). The frequency of beam 3 (E_3) is 2ω . The nonlinear polarization at 2ω generated at a point \mathbf{M} of the material by $\chi^{(5)}(2\omega; \omega, \omega, \omega, \omega, -2\omega)$ contains a term whose spatial dependences in $\exp(i\mathbf{k}_1 \cdot \mathbf{M})$ and $\exp(i\mathbf{k}_2 \cdot \mathbf{M})$ cancel exactly, keeping only the spatial dependence of E_3^* . This term is

$$P_4(2\omega) = 30\epsilon_0 \chi^{(5)}(2\omega; \omega, \omega, \omega, \omega, -2\omega) E_1^2(\omega) E_2^2(\omega) E_3^*(2\omega). \quad (1)$$

Any nonlinear susceptibility which gives a spatial dependence in E_3^* is of the form $\chi^{(n)}(2\omega; \dots, -2\omega)$. The fifth-order susceptibility in Eq. (1) is the lowest order of this form (with the same frequency sum after and before the semicolon) which gives a spatial dependence in E_3^* . Any lower-order effect [e.g., $\chi^{(3)}(2\omega; \omega, -\omega, 2\omega)$ [9]] generates signals in other directions. The polarization (1) generates the phase conjugate of beam 3 at the same frequency 2ω and with exact phase matching. The phase matching of the term (1) permits us to use thick samples and to have large angles between beams 1 and 3 so that the signal is largely separated from other possible direc-

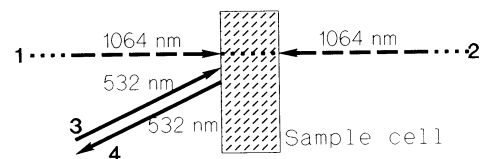


FIG. 1. Beam arrangement for phase conjugation by nondegenerate six-wave mixing in a $\chi^{(5)}(2\omega; \omega, \omega, \omega, \omega, -2\omega)$ medium.

tions of diffraction.

In the experimental setup, the source was a passively and actively mode-locked Nd^{3+} :YAG laser delivering 33-psec pulses at 1064 nm at a repetition rate of 10 Hz. The beam waist diameter at the sample location was 2 mm. The energy in each beam 1 and 2 was 1 mJ per shot. This gives a fluence of 1 GW/cm^2 . Beam 3 was obtained by frequency doubling in a potassium dihydrogen phosphate (KDP) crystal, on a separate arm. It made an angle of 8° with beam 1. The remaining 1064-nm wavelength was eliminated by a KG5 Schott glass. The energy at 532 nm was 0.1 mJ per shot. Beams 1 and 3 were polarized vertically. The beam-2 polarization was varied using a half-wave plate. The phase-conjugate signal was extracted from the beam-3 path using a 50% beam splitter inserted after the KDP crystal. It was detected behind a polarization analyzer using a photomultiplier tube (PMT). The PMT signal was held by a fast sampler and averaged over fifty laser shots. For lifetime measurements, the sampler was synchronized on the delayed readout beam. The sample was a 1-mm-thick cell filled with a solution of 4-diethylamino-4'-nitrostilbene (DEANS) in tetrahydrofuran (THF). Both solute and solvent molecules are nonchiral. DEANS has been synthesized by condensation of diethyl 4-nitrobenzyl phosphonate with 4-(diethylamino)benzaldehyde, and crystallized in toluene. Its melting point was 175°C . The maximum-absorption wavelength in THF is 445 nm with $\log_{10}(\epsilon) = 4.46$. The sample concentration was $6.5 \times 10^{-3} \text{ mol/dm}^3$ (2 g/dm^3) and its transmission at 532 nm was $10^{-2.07}$.

When all beams are synchronized, the green signal from the solution is clearly visible as a spot on a white screen. Its shape remains unchanged by inserting a phase object (a spherical mirror used off axis) on the beam-3 path. This proves the phase-conjugation process. No signal is measurable in the neat solvent. Figure 2 shows the

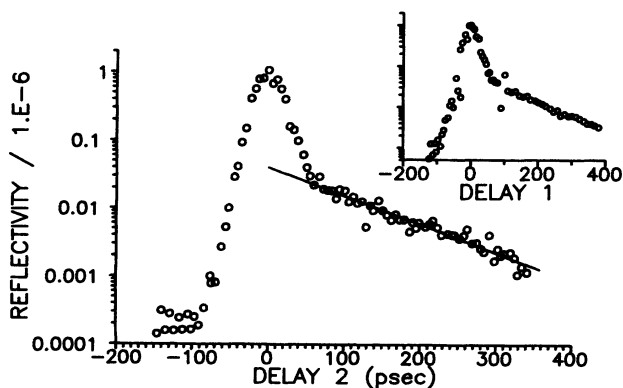


FIG. 2. Phase-conjugate reflectivity (ratio of signal intensity to beam-3 intensity) as a function of beam-2 delay (in inset, beam-1 delay). All polarizations are parallel. The solid line represents a 105-psec exponential decay rate. The same decay rate is observed for both delays.

evolution of the phase-conjugate signal in DEANS as a function of 1064-nm-beam delays for parallel polarizations. The scattering of beam 3 on the sample appears as a noise level for negative delays lower than -100 psec. In the delay range considered here, the signal is 1 to 4 orders of magnitude larger than the noise. The maximum phase-conjugate reflectivity is 8×10^{-7} at zero delay. The same time dependence is observed with respect to beam-1 and beam-2 delays: a pulse-width-limited peak around zero delay followed by an exponential decay characterized by a time constant $T = 105 \pm 5$ psec. When the probe beam is delayed any 2ω signal has to come from a net second-harmonic generation. The signal at 2ω is then observed to be simultaneous with the probe pulse at ω . Using calibrated optical densities, we have verified that the signal was linear with beam-3 intensity and quadratic with intensities of beams 1 and 2: This is expected from the lowest-order allowed $\chi^{(5)}$ nonlinearity (1) of the studied process.

As concerns polarization properties of the response, Fig. 3 shows the variations of the amplitudes of vertically and horizontally polarized signal components as a function of beam-2 to beam-3 polarization angle. The signal polarization is vertical for both vertical and horizontal beam-2 polarization ($\varphi = 0$ and 90°). This reflects the general symmetry properties of a $\chi^{(5)}$ tensor in an isotropic material (whereas the y -reversal symmetry imposes $\chi_{xyx}^{(3)} = 0$). The signal amplitude is decreased by a factor of 5 from parallel to crossed 1064-nm-pump polarizations. For $\varphi = 90^\circ$, we have rotated a 532-nm half-wave plate in the common path of beam 3 and the signal. The signal remains constant. This means that we get perfect polarization-maintaining phase conjugation.

No conclusion can be drawn on an eventual short-lived $\chi^{(2)}$ from the zero-delay peak since the process leads to a strong coherence artifact. As a matter of fact, in the strong regime, if we denote the slowly varying amplitude

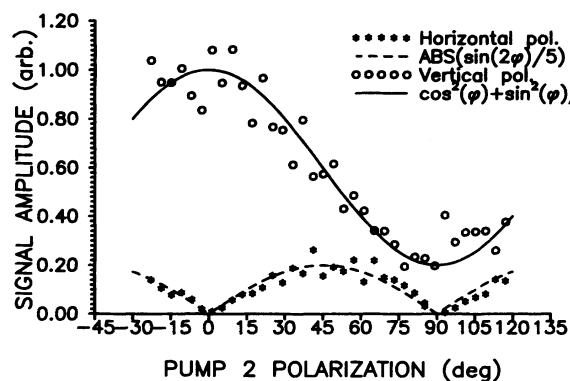


FIG. 3. Horizontally (stars) and vertically (open circles) polarized signal amplitude as a function of beam-2 polarization angle φ . Beams 1 and 3 are polarized vertically. The fitting curves (solid and broken lines) are derived from theoretical expressions (7) and (8).

of beam i by $\tilde{E}_i(t)$, the 2ω polarization generated at time t by the induced $\chi^{(2)}$ may be written as $P_{2\omega}(t) = \epsilon_0 \chi^{(2)}(t) \tilde{E}_\omega(t)^2$ with $\tilde{E}_\omega(t) = \tilde{E}_1(t) + \tilde{E}_2(t)$. The signal detected is proportional to the integral on t of $P_{2\omega}^*(t)$. Now, assuming an exponential decay, the induced $\chi^{(2)}$ at time t can be written as

$$\chi^{(2)}(t) = \int_{-\infty}^t 5\Gamma \chi^{(5)} e^{-\Gamma(t-\tau)} \tilde{E}_\omega(\tau)^2 \tilde{E}_{2\omega}^*(\tau) d\tau, \quad (2)$$

where Γ is the decay rate of $\chi^{(2)}$. The contribution of $P_{2\omega}(t)$ to the phase-conjugate signal [i.e., proportional to $(\tilde{E}_1 \tilde{E}_2)^2 \tilde{E}_3^*$] is

$$P_{2\omega}^{\text{PC}}(t) = 5\epsilon_0 \Gamma \chi^{(5)} \left[\tilde{E}_2(t)^2 \int_{-\infty}^t e^{-\Gamma(t-\tau)} \tilde{E}_1(\tau)^2 \tilde{E}_3^*(\tau) d\tau + \tilde{E}_1(t)^2 \int_{-\infty}^t e^{-\Gamma(t-\tau)} \tilde{E}_2(\tau)^2 \tilde{E}_3^*(\tau) d\tau + 4\tilde{E}_1(t) \tilde{E}_2(t) \int_{-\infty}^t e^{-\Gamma(t-\tau)} \tilde{E}_1(\tau) \tilde{E}_2(\tau) \tilde{E}_3^*(\tau) d\tau \right]. \quad (3)$$

The first term in Eq. (3) corresponds to a $\chi^{(2)}$ grating written at time τ by the interference of beams 1 and 3, with wave vector $2\mathbf{k}_1 - \mathbf{k}_3$. This $\chi^{(2)}$ grating is probed at time t by frequency doubling of beam 2. The second term corresponds to the grating written by beams 2 and 3, with wave vector $2\mathbf{k}_1 - \mathbf{k}_3$ and probed by beam 1. The third term corresponds to a grating with wave vector $-\mathbf{k}_3$ written by a combination of the three incident beams and probed by both beams 1 and 2. When the beam-2 (beam-1) delay is larger than the pulse width only the first (second) term contributes to the signal. At zero delays all terms contribute to the signal amplitude, which leads to a coherence peak. This could explain the larger signal observed at zero delay in Fig. 2.

Accounting for beam 3 and signal absorption we estimate an amplitude of the induced $\chi^{(2)}$ at a delay of 100 psec of 2.5×10^{-3} pm/V. The decay rate of the $\chi^{(2)}$ am-

plitude is half that of the signal intensity plotted in Fig. 1, that is, $\Gamma = 1/2T \approx 1/210$ psec $^{-1}$. Integration of Eq. (2) accounting for pulse width yields

$$\chi_{\text{expt}}^{(5)} = 5 \times 10^{-37} \text{ m}^4/\text{V}^4. \quad (4)$$

Two microscopic explanations can be invoked for generation of $\chi^{(2)}$ by light in this material: Poling can be achieved either (a) by a net rotation of the molecules or (b) by an orientation-selective bleaching. Effect (a) has two contributions. One is the interaction of the 2ω seeding field $E_{2\omega}$ with the 2ω dipole moment $[\beta(2\omega; \omega, \omega) E_\omega^2]$ induced by the ω field via $\beta(2\omega; \omega, \omega)$. The other is the interaction of E_ω with the ω dipole moment induced by difference-frequency generation $[2\beta(\omega; 2\omega, -\omega) E_{2\omega} E_\omega^*]$. Assuming a one-dimensional β and in the continuous-wave regime, a calculation based on Boltzmann statistics gives for parallel polarizations

$$\chi_a^{(5)}(2\omega; \omega, \omega, \omega, \omega, -2\omega) = f(\omega)^4 f(2\omega)^2 \frac{N}{35\epsilon_0} \frac{[\beta(2\omega; \omega, \omega) + 2\beta^*(\omega; 2\omega, -\omega)] \beta(2\omega; \omega, \omega)}{kT}, \quad (5)$$

where N is the number of molecules per unit volume, k the Boltzmann constant, T the temperature, and $f(\omega)$ the local-field factor at frequency ω . Effect (b) is the electronic contribution previously suggested by Baranova and Zel'dovitch [10]. Here, it corresponds to an orientation-selective excitation of the DEANS molecule which bleaches the hyperpolarizability β of the class of molecules oriented either up or down (depending upon the relative phase of the fields E_ω and $E_{2\omega}$). This thus leaves a nonzero macroscopic $\chi^{(2)}$. Such a process can be referred to as orientational hole burning, by analogy with the widely studied spectral hole burning. The $\chi^{(5)}$ obtained by applying this theory to the classical one-dimensional two-level model of push-pull molecules such as DEANS can be also expressed as a function of β :

$$\chi_b^{(5)}(2\omega; \omega, \omega, \omega, \omega, -2\omega) = f(\omega)^4 f(2\omega)^2 \frac{N}{35\epsilon_0} \frac{4\gamma}{\Gamma} \frac{\beta^2(2\omega; \omega, \omega)}{\hbar(\omega_{01} - 2\omega + i\gamma)}, \quad (6)$$

where ω_{01} is the transition energy and γ the transverse relaxation rate.

Both models lead to the same polarization properties:

$$\begin{aligned} \chi_{xyxxxx}^{(5)} &= \chi_{xyyxxx}^{(5)} = \chi_{yyxxxx}^{(5)} = \chi_{xyxyxy}^{(5)} \\ &= \frac{1}{5} \chi_{xxxxxx}^{(5)}(2\omega; \omega, \omega, \omega, \omega, -2\omega), \end{aligned} \quad (7)$$

where indices x and y represent two perpendicular directions of the material. This property can be confirmed by the polarization experiment (Fig. 3). When beams 1 and 3 are polarized vertically (x direction) and beam-2 polarization makes an angle φ , the vertical (x) and horizontal (y) components of the phase-conjugate polarization are (in the continuous-wave regime)

$$\begin{aligned} P_x &= 30\epsilon_0 E^2 E^2 E^2 E^2 E^2 [\chi_{xyyxxx}^{(5)} \sin^2 \varphi + \chi_{xxxxxx}^{(5)} \cos^2 \varphi], \\ P_y &= 30\epsilon_0 E^2 E^2 E^2 E^2 E^2 [2\chi_{xyxyxy}^{(5)} \sin \varphi \cos \varphi]. \end{aligned} \quad (8)$$

The fitting curves represented in Fig. 3 are derived from Eq. (8) with account of Eq. (7). The agreement with the experimental points confirms the symmetry properties expressed by Eq. (7). The reduction factor $\frac{1}{5}$ in Eq. (7) is

characteristic of our models and is observed experimentally. It is important to notice that it is replaced by $\frac{1}{3}$ in the case of optical fibers [11]. This indicates a different origin for these effects.

The lifetime of a motional orientation is only limited by the orientational decay time whereas an orientational hole-burning effect is limited both by the orientational decay time and by the excited-state lifetime. Time-resolved absorption and gain spectroscopy of a DEANS solution in benzene exhibits a decay time much larger than 400 psec [12]. The 210-psec $\chi^{(2)}$ decay observed here is thus mainly caused by the loss of molecular orientation. Thus this observation cannot distinguish between the two possible origins (a) and (b) of $\chi^{(5)}$.

A hyperpolarizability $\beta(2\omega; \omega, \omega)$ of 1.7×10^{-48} C m³/V² (450×10^{-30} esu) has been estimated by EFISH experiments for 4-dimethylamino-4'-nitrostilbene (DMANS) [2]. DMANS is analogous to DEANS. Taking the same value for DEANS and neglecting local-field corrections as well as problems linked with inhomogeneous broadening, Eq. (5) gives an order of magnitude estimate: $\chi_a^{(5)} \approx 3 \times 10^{-41}$ m⁴/V⁴. Similarly, Eq. (6) taken at the exact resonance gives a much larger order of magnitude: $\chi_b^{(5)} \approx 3 \times 10^{-37}$ m⁴/V⁴. The latter is much closer to the experimental value Eq. (3). We thus conclude that the origin of the light-induced $\chi^{(2)}$ observed here is an orientational hole burning (b).

The experiment presented here gives evidence of light-induced $\chi^{(2)}$ in a solution of noncentrosymmetric dye molecules. The origin of the effect is attributed to an orientational hole burning. Its lifetime is limited by molecular rotation. With our single-pulse preparation, the ratio of oriented molecules is about 0.5%. This sug-

gests new ways of poling organic materials which offers a natural means to obtain the periodicity ensuring phase matching for SHG. This is an alternative to the phase matching achieved artificially by periodic poling using alternate electrodes [13]. This opens new directions of investigation in the search of materials for frequency conversion.

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