## Ferromagnet-Nonferromagnet Interface Resistance

There has been recent interest in conduction-electron spin injection across a ferromagnet-paramagnet interface as a new phenomenon with many experimental applications. Briefly the idea is as follows. Electric current in a metallic ferromagnet (F) is carried unequally by spin-up and spin-down electrons, in contrast with a normal metal (N) in which the current is shared equally by the two spin subbands. Aronov<sup>1</sup> proposed that the passage of current across an interface from F to N, carried unequally by up and down electrons, would inject a nonequilibrium magnetization  $\delta M$  in N. This  $\delta M$  would diffuse into N from the interface to a depth  $\delta_s = (2DT_2)^{1/2}$  where D and  $T<sub>2</sub>$  are the conduction-electron diffusion constant and spin-relaxation time. Associated with  $\delta M$  is a difference in spin-up and spin-down chemical potentials  $\mu_1 - \mu_1 = 2\mu_B \delta M / \chi$ , with  $\mu_B$  the Bohr magneton and X the magnetic susceptibility. Silsbee' noted that this difference in chemical potential could be detected as an open-circuit voltage across an interface between a second ferromagnetic probe, a spin detector, and the N metal. Johnson and Silsbee<sup>2</sup> demonstrated the validity of all these ideas in a two-probe, injector/detector experiment.

If the probes serving as detector and injector are the same, the voltage due to the magnetic disequilibrium will appear as an excess resistance of the interface. In a recent Letter, van Son, van Kempen, and Wyder<sup>3</sup> have calculated this excess spin-coupled ("current conversion") interface resistance for the limiting case of a clean (no potential barrier) FN interface and have suggested two possible experiments, one of which has already been performed.<sup>2</sup> First, we show how the result based on the extremely limiting assumption of a high-conductance interface may be generalized to include the interface resistance. Second, we present an indispensable technique that unambiguously identifies the spin-coupled signal in any relevant experimental geometry.

van Son, van Kempen, and Wyder take the continuity of the individual spin-subband chemical potentials  $\mu_1$ and  $\mu_1$  as an interfacial boundary condition, neglecting the discontinuity in  $\mu$ 's that would occur in the presence of substantial scattering or a transmission barrier at the interface.<sup>4</sup> Electron-spin-resonance (ESR) experiments on bimetal samples<sup>5</sup> yield transmission coefficients  $t$  of 0.001-0.<sup>1</sup> which suggests that the ideal interface may be hard to produce and makes the ideality assumption questionable.

The junction-resistance calculation may be generalized by use of the approach of Johnson and Silsbee<sup>4</sup> in the appendix of an article presenting a classical thermodynamic treatment of the spin-injection/detection experiment. The parameter  $p$  describes the spin inequivalence in F and is related to the  $\alpha$  of van Son, van Kempen, and Wyder by  $p=2a-1$ . A similar parameter  $\eta$  describes the spin asymmetry of the interface. If we take  $G$  as the conductance of the interface in the limit of no spincoupled resistance, the full resistance is

$$
R = \frac{1}{G} + \frac{g_N(p - \eta)^2 + g_F \eta^2 (1 - p^2) + G p^2 (1 - \eta^2)}{g_N g_F (1 - p^2) + G (1 - \eta^2) [g_N + g_F (1 - p^2)]}
$$

Here  $g_i = \sigma_i/\delta_i$  is the conductance of a length of the bulk material equal to one spin depth  $\delta_i$ , and the cross section of the conductors is taken to be unity.

In the  $G \rightarrow \infty$  limit the result  $R = p^2/[g_N + (1 - p^2)g_F]$  is the same as in Ref. 3, a result valid only if  $G \gg g_N$ ,  $g_F$ . A simple estimate gives  $G/g_N \approx t_N(T_{2N}/T_{2N})$  $(\tau_N)^{1/2}$  < 0.3 with (for aluminum)  $t_N$  < 0.01 from ESR results (Magno and Pifer<sup>5</sup>) and  $T_2/\tau \approx 10^3$  from Ref. 2, and thus indicates that the high-G result is not generally valid. We see from the equation displayed above that the interpretation of the spin-coupled signal must include effects of discontinuities of  $\mu$  at the interface (i.e.,  $\eta$ ), and that it becomes a small fraction of the background resistance I/G.

van son, van Kempen, and Wyder remark on the need, but do not suggest a means, to distinguish between the spin-coupled signal and other sources of resistance. We suggest that, just as one can control the amplitude of a charge-imbalance signal by varying the temperature  $T$ near  $T_c$  (and even turn off the effect for  $T > T_c$ ), in the magnetic problem, for either the interfacial resistance or the two-probe experiment,<sup>2</sup> one can alter the size of the spin-coupled effect by applying a transverse magnetic field  $\bm{B}$  (the Hanle effect). For large enough fields (10 to 100 G), the field-induced precession dephases the spins, destroying  $\delta M$  and equalizing the chemical potentials  $\mu_1 = \mu_1$  so that the spin-coupled resistance disappears.

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