

## Observation of $K$ Hypersatellites and $KL$ Satellites in the X-Ray Spectrum of Doubly $K$ -Ionized Gallium

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The  $K$  x-ray spectrum arising from doubly  $K$ -ionized gallium atoms has been studied by means of a coincidence experiment with two solid-state detectors. A new energy range in  $K$  x-ray spectra (hypersatellite range) is observed. Hypersatellite lines are shifted about 15 times more than the usual satellite lines. The  $K$ -satellite spectrum following  $KL$ -ionized states has also been studied.

In a previous paper,<sup>1</sup> we reported the existence of a new energy range in  $L$  x-ray spectra. We observed the correlation between the creation of a double vacancy in the  $L$  shell, following  $KLL$  Auger electron emission, and some new x rays in a coincidence experiment with two solid-state detectors (Si-Li). These new x rays are strongly energy shifted from single-ionization rays, about 10 times more than ordinary satellites of  $L$  x rays, and were thus named "hypersatellites." Hypersatellites arise when the initial state of the atom is doubly ionized in the *same* shell. This study was completed by a second set of coincidence experiments with  $KLX$  Auger lines, in which we observe the ordinary x-ray satellite spectrum, thus proving that ordinary  $XL$  satellites are also due to doubly ionized atoms but in two *different* shells. In the usual experiments in x-ray spectrometry,  $LL$ -ionization states are certainly more seldom created than  $LX$  states; this remark explains why these hypersatellites had not been previously observed.

Our purpose now is to describe an experiment in which we observe  $K$  hypersatellites from doubly  $K$ -ionized atoms. The double vacancy may be created by  $K$  atomic or nuclear shakeoff during  $K$  ionization. Although  $K$  shakeoff has not yet been proved in  $K$  photoionization, it has been observed by several authors<sup>2-6</sup> in radioactive atoms, namely, in  $K$ -electron-capture radioactivity. The probability of this effect is very small according to the ordinary theory of autoionization of Migdal and Feinberg.<sup>7,8</sup> It decreases following a  $1/Z^2$  law and thus it seems more interesting to use a low- $Z$  emitter. As the  $K$  fluorescence yield increases with atomic number  $Z$ , we chose to study gallium ( $Z = 31$ ,  $\omega_k = 0.49$ ). The initial  $K$  hole in gallium comes from the favored  $K$ -electron capture of <sup>71</sup>Ge. The probability of double  $K$  ionization in <sup>71</sup>Ge was determined by several authors to be  $1.2 \times 10^{-4}$  per

disintegration.<sup>6,9</sup> The de-excitation of doubly  $K$ -ionized atoms is mainly a two-step process (the simultaneous emission of two  $E1$  photons, for example, is about  $10^5$  times smaller than the two-step mode). Assuming that the fluorescence yield for doubly ionized atoms is the same as for singly ionized atoms (although this is not yet proved, it is a crude estimation to describe qualitatively the simplest mode of de-excitation), that is,  $\omega_k \cong 0.5$ , then there are in this case four equally probable modes of de-excitation: two  $K$  x rays, one x ray and one Auger electron, one Auger electron and one x ray, or two Auger electrons. The aim of this experiment is to establish a time correlation (coincidence) between the two  $K$  x rays which can be emitted after a double  $K$  ionization (first case mentioned above).

The first x ray to be emitted ( $K^2$  holes  $\rightarrow$   $KL$  holes) is obviously much more shifted in energy than the second one ( $KL-L^2$  or  $LX$ ). The first x ray is a hypersatellite, which we shall denote by  $K^h$ . The second one will be called a  $KL$  satellite. The initial state ( $K^2$  holes) is a unique  $^1S_0$  state. The second one ( $KL$  or  $KX$ ) is defined by appropriate selection rules for transitions in doubly ionized atoms. For  $KL$ -ionization states it is only restricted to the  $^1P_0$  state ( $KL_{II}$  or  $KL_{III}$ ) since  $^1S_0 \rightarrow ^1S_0$  and  $^1S_0 \rightarrow ^3S_1$  ( $KL_I$ ) transitions are either forbidden or very much hindered. Both  $K$  x rays are detected by two solid-state detectors (Si-Li) from Kevex Corporation (195 and 320 eV full width at half-maximum for 6-keV photons). With these detectors the  $\alpha_{1,2}$  components of  $K\alpha$  rays and the  $\beta_1$ ,  $\beta_2$ , and  $\beta_3$  components of  $K\beta$  rays cannot be resolved; the same will be true for hypersatellites lines ( $K\alpha^h$  and  $K\beta^h$ ). The second transition to be emitted ( $KL$  satellites) has a much more complicated spectrum which we shall discuss later. The time correlation of these events is established using a

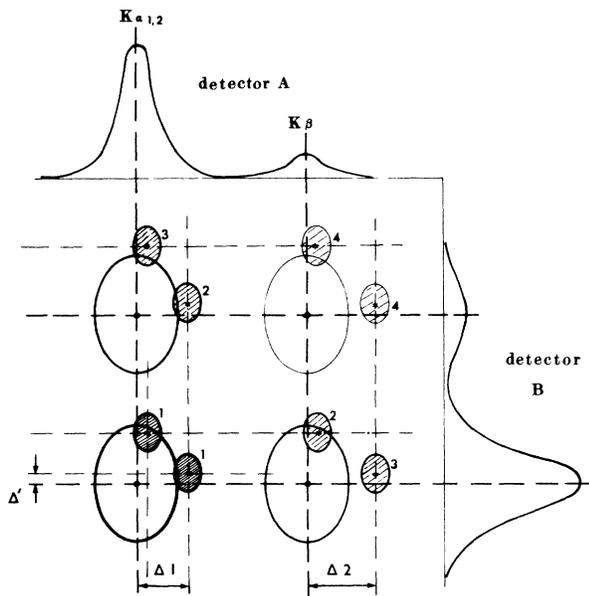


FIG. 1. Schematic cross section of the experimental coincidence plane. Shaded areas are true coincidences between hypersatellites and  $KL$  satellites; empty areas, random coincidences.

fast coincidence amplifier ( $2\tau = 35$  nsec). A  $1\text{-}\mu\text{Ci}$  sample of  $^{71}\text{Ge}$ , deposited on a thin Mylar film, is placed between the two detectors. A major difficulty in this experiment is the very high rate of random coincidences with respect to the true ones (a factor  $N_t/N_r$  of  $\frac{1}{30}$  was found in most of our runs), but previous experiments on  $L$  hypersatellites seem to prove that hypersatellite lines are so strongly shifted in energy that we may expect to be able to separate random-coincidence peaks from the true ones. Moreover, the use of two-dimensional analysis ( $64 \times 64$ ) in a 4096-channel analyzer (Nuclear Data) made this separation easier and also yielded much more information about the whole phenomenon.

The results of our work are presented in Figs. 1 and 2. Figure 1 is a schematic cross section of the coincidence plane. We represent as shaded areas the true coincidences; the other peaks are random-coincidence peaks. It is interesting to note that these random-coincidence peaks are an exact picture of the single-ionization spectra (diagram rays) and thus allow useful comparisons between x-ray spectra arising from singly and doubly ionized atoms under identical experimental conditions. In Fig. 2 we present the spectrum observed with detector A in coincidence with the entire  $K\alpha_{1,2}$  ray seen in detector B. We

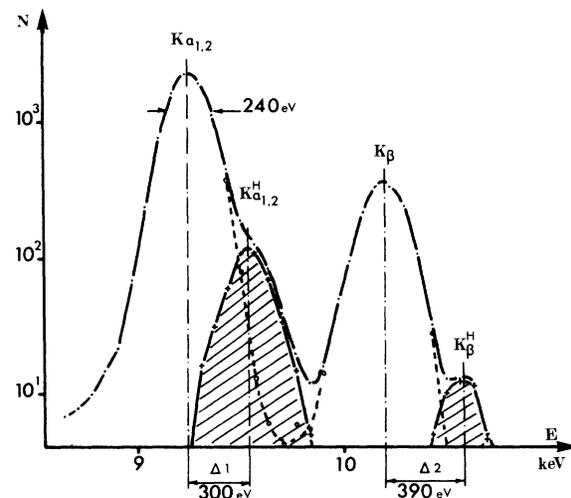


FIG. 2. X-ray spectrum in coincidence with an energy band corresponding to  $K\alpha_{1,2}$  of gallium (summation of corresponding lines in two-dimensional analysis). Shaded areas are true coincidences, i.e.,  $K\alpha_{1,2}$  and  $K\beta$  hypersatellites; empty ones are random coincidences.

observe two new x rays,  $K\alpha^h$  and  $K\beta^h$ . A similar spectrum is observed in coincidence with the  $K\beta$  line in detector B.  $K\alpha^h$  and  $K\beta^h$  are, respectively, shifted in energy by 300 and 390 eV with respect to the corresponding diagram rays. In Fig. 1 we observe a shift  $\Delta' \approx 30$  eV for the coincidence peak along the axis of the detector B. The  $\Delta'$  shift indicates a coincidence between  $K$  hypersatellites ( $K\alpha^h$  and  $K\beta^h$ :  $K^2 \rightarrow KL$  and  $K^2 \rightarrow KM$ ) and  $KL$  satellites which then appears to be shifted by approximately 30 eV. The ordinary satellite spectrum is known to be shifted by 10 to 20 eV. The  $KL$  satellite spectrum thus seems to be in the high-energy range of the ordinary satellite spectrum.

The  $K\beta^h$  energy shift with respect to the  $K\beta$  diagram ray gives a good approximation of the energy of doubly  $K$ -ionized atoms:  $2B_K + \delta$  ( $B_K$  is the ordinary single-ionization energy). The final state of the  $K\beta^h$  transition ( $KM$  holes) must be very near in energy to the sum of the two single-ionization energies  $B_K + B_M$ . We can assume with confidence ( $\Delta Z = 1$ ) that the energies of  $KM_{I,V,V}$  states do not differ from those of  $K$  singly ionized states by more than  $B_{M_{I,V,V}} + 20$  eV. The  $\delta$  value of  $K^2$  states is then roughly equal to  $390 + 20 = 410$  eV. The ordinary screening constant  $\Delta Z$  of Bergström and Hill thus becomes  $\Delta Z = 0.56 \pm 0.04$  for  $K^2$  states.

The  $K\alpha^h$  shift in energy with respect to the  $K\alpha$  diagram ray gives the energy of  $KL_{II,III}$  ioniza-

tion states,  $\delta = 410 - 300 = 110$  eV. This brings about a  $\Delta Z$  screening constant nearly equal to 1. This result is not surprising because the lack of one supplementary  $K$  electron (in addition to the  $L$  hole) gives rise to a spherically symmetric change in the effective Coulomb field for an  $L$  electron.

Finally, the  $\Delta'$  shift of Fig. 1, which is the mean shift of the  $KL$  satellites ( $K^2 - KL$ ), is now in good agreement with the energy values of  $L^2$  ionized states which may be deduced from the calculations of Hörnfeldt<sup>10</sup> and from various experiments on the  $KLL$  Auger spectrum. (The  $\delta$  value for  $L^2$  states is roughly equal to 75 eV or  $\Delta Z = 0.78$ .) From the value we observe for  $KL$  ionized states ( $\delta \approx 110$  eV), the  $\Delta'$  shift must be equal to  $110 - 75 = 35$  eV, which is in good agreement with our experimental results.

We arrive at the following conclusions: There exists a new energy range in the  $K$  x-ray spectrum corresponding to the doubly  $K$ -ionized atoms. These new x rays (hypersatellites) are much more shifted with respect to diagram lines than is the ordinary satellite spectrum (about 15 to 20 times) and cannot be confused with it. The  $K$  hypersatellite lines are approximately (Fig. 2) the same as the diagram rays in nature of transitions and in relative intensity. The intensity of this hypersatellite spectrum is  $1.2 \times 10^{-4}$  times that of the diagram-ray spectrum in our experiment (it must be twice this intensity in direct spectrometry). This value is in very good agreement with previous experiments<sup>6</sup> and theoretical predictions.<sup>11, 12</sup>

The  $\Delta Z$  screening constant for Ga ( $Z = 31$ ) is equal to 0.56. This value should be compared with the  $\Delta Z$  value for the two  $K$ -electron atoms, helium ( $Z = 2$ ) and helium-like argon ( $Z = 18$ ),<sup>13</sup> for which one finds, respectively,  $\Delta Z = 0.33$  and 0.5.

The  $KL$  satellite spectrum which may be observed in direct crystal spectrometry is very complicated. It originates mainly from direct  $KL$  ionization ( $L$  shakeoff) and with a low probability from direct  $K^2$  ionization ( $K$  shakeoff). The  $K^2$  initial states give two distinct contributions to

this  $KL$  satellite spectrum:

(1)  $KL$  satellites following a first transition of the Auger type; this spectrum is very intricate because it arises from a three-hole initial state. The special, unique satellite observed by Von Oertzen<sup>9</sup> in the direct spectrum of  $^{71}\text{Ge}$  with a curved crystal, and which is shifted by about 90 eV, is probably a  $KL^2$  satellite of this type. This value should be in good agreement with the  $KL^n$  shifts recently observed.<sup>14-16</sup>

(2)  $KL$  satellites following hypersatellite emission; this spectrum is a good fingerprint of the  $KLL$  Auger spectrum with only those transitions which are authorized by the appropriate selection rules. We have only observed this part of the satellite spectrum. It is slightly shifted (by  $\sim 30$  eV) and situated in the high-energy part of the ordinary satellite spectrum.

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