Laser-Induced Electron Transfer in the Dissociative Multiple Ionization of Argon Dimers

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We report on an experimental and theoretical study of the ionization-fragmentation dynamics of argon dimers in intense few-cycle laser pulses with a tagged carrier-envelope phase. We find that a field-driven electron transfer process from one argon atom across the system boundary to the other argon atom triggers subcycle electron-electron interaction dynamics in the neighboring atom. This attosecond electron-transfer process between distant entities and its implications manifests itself as a distinct phase-shift between the measured asymmetry of electron emission curves of the $Ar^+ + Ar^{2+}$ and $Ar^{2+} + Ar^{2+}$ fragmentation channels. This letter discloses a strong-field route to controlling the dynamics in molecular compounds through the excitation of electronic dynamics on a distant molecule by driving intermolecular electron-transfer processes.

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Photoinduced molecular charge transfer across system boundaries is a key step in many important natural or technical processes such as solar-driven energy production [1,2], photocatalysis [3,4], or photosynthetic activity [5,6]. In these processes, the relocation of charge, initiated by the absorption of a single photon by a molecule, is determined by the energetic and spatial structure of the system. A fundamentally different mechanism for determining charge-localization processes becomes available in strong laser fields. It was shown that the intramolecular localization of electrons during the dissociation of isolated, small molecules can be determined by multiphoton processes driven by intense few-cycle laser pulses using their carrier-envelope phase (CEP) as the control parameter [7–11].

An intriguing yet unexplored question is then, whether strong-field-driven multiphoton processes can influence the localization of charge not only within one molecule, but also across system boundaries. Widely used model systems for investigating intersystem transfer reactions are small van der Waals (vdW) clusters and dimers. vdW dimers are used to study photoinduced biological processes [12–14], photocatalytic reactions [15,16], and energy or charge transfer reactions induced by soft x-ray photons [17–20] and electron impact [21]. vdW systems are also studied with strong laser fields, but in the case of dimers with a focus on the field-driven ionization and fragmentation

dynamics [22–35], or electronic energy conversion processes in the case of larger clusters [36–41]. To the best of our knowledge, strong-field driven electron transfer reactions across the system boundary from one entity to another have not been investigated, thus far.

In this Letter, we show, experimentally and by simulations, using the argon dimer, Ar2, as an example, that electron transfer reactions from one argon atom to the other can be driven by a strong laser field and, furthermore, that they are decisive for the ionization and fragmentation behavior of the dimer. Specifically, we demonstrate that an electron liberated at one of the two Ar atoms can be captured by the neighboring atom. This process, which we refer to as the laser-induced transfer of electron (LITE) process, determines the emission timing of the electrons via electron-electron interaction and, thus, depending on the CEP, influences the momenta of the emitted electrons. As a result, the effect of LITE can be observed in our experiments and simulations when comparing the asymmetry of electron emission as a function of CEP for the two ionizationfragmentation channels Ar(1,2) and Ar(2,2), where Ar(n, m) denotes $Ar_2 \xrightarrow{Laser} Ar_2^{(n+m)+} \to Ar^{n+} + Ar^{m+}$.

In our experiments, argon dimers created by supersonic expansion of a few bars of argon gas were ionized by intense laser pulses, linearly polarized along z, with a full width at half maximum (FWHM) duration in intensity of

4.5 fs and a peak intensity, calibrated in in situ [42], of $5 \times 10^{14} \ \mathrm{W \ cm^{-1}}$, inside the ultrahigh vacuum chamber of a reaction microscope [43]. Details on the reaction microscope can be found in Refs. [44–46]. The laser center wavelength was $\lambda = 750$ nm. The duration of the pulses and their CEP were measured with a stereo electron spectrometer in phase-tagging mode [47]. Upon laser ionization of the argon dimers, the two vdW-bound argon atoms, separated by their equilibrium internuclear distance (R_{eq}) undergo fragmentation via Coulomb explosion. We detected the two emerging argon ions, Ar^{n+} and Ar^{m+} , in coincidence and, from their time of flight and impact position on our detector, calculated their three-dimensional momenta \mathbf{p}_{Ar}^n and \mathbf{p}_{Ar}^m . By imposing momentum conservation conditions onto the ions detected in coincidence, the two-body fragmentation channels of interest, Ar(1,2) and Ar(2,2), as well as the channel Ar(1,1), were selected for further analysis. Because of momentum conservation, the sum momentum of the (n+m) emitted electrons, $\mathbf{p}_e^{(n,m)} = \sum_{i=1}^{n+m} \mathbf{p}_{ei}$, with \mathbf{p}_{ei} the momentum of the i^{th} electron, can be determined from the center of mass recoil momentum of the ions, $\mathbf{p}_{R}^{(n,m)} = \mathbf{p}_{Ar}^{n} + \mathbf{p}_{Ar}^{m}$, using the relation $\mathbf{p}_{e}^{(n,m)} = -\mathbf{p}_{R}^{(n,m)}$.

Figure 1(a) displays the measured distributions of the kinetic energy released (KER) during fragmentation, KER = $[(\mathbf{p}_{Ar}^m)^2 + (\mathbf{p}_{Ar}^n)^2]/(2M)$ with M the atomic mass of argon, for the Ar(1,1), Ar(1,2), and Ar(2,2) channels. For each channel, at least two characteristic main peaks can be identified. The smaller peaks at higher KER values (marked by arrows) were attributed to the process of frustrated tunnel ionization [22–24]. The dominant peaks at lower KER values, highlighted by colored areas in Fig. 1(a), originate from Coulomb explosions of the argon dimers at R_{eq} and are the focus of this letter.

To obtain insight into the multiple ionization dynamics underlying the colored lower KER peaks in Fig. 1(a), we introduce an asymmetry parameter $\mathcal{A}_z^{(n,m)} = (n_{\rm up} - n_{\rm down})/(n_{\rm up} + n_{\rm down})$, where $n_{\rm up}$ $(n_{\rm down})$ denote for the channel ${\rm Ar}(n,m)$ the number of events with a positive (negative) electron sum momentum along z. Alternatively to $\mathcal{A}_z^{(n,m)}$, one could also analyze the mean electron sum momentum

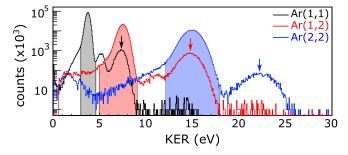


FIG. 1. Kinetic energy release (KER) distributions of fragmentation channels Ar(n,m) with $(n,m)=\{(1,1),(1,2),(2,2)\}$. Arrows mark peaks due to electron recapture, shaded areas highlight the peaks resulting from Coulomb explosion at R_{eq} .

 $\bar{\mathbf{p}}_{e,z}^{(n,m)}$. But as we show in the Supplemental Material [48], the two quantities feature an almost identical dependence on the CEP. In the following, we will use $\mathcal{A}_z^{(n,m)}$, as it has the advantage that it can be visually connected to electron yields discussed below. The measured dependence of \mathcal{A}_z on CEP for the Ar(1,2) and Ar(2,2) channels is depicted in Fig. 2(a). The key feature in Fig. 2(a) is that the \mathcal{A}_z curve for the Ar(2,2) channel exhibits a clear left phase shift of about 0.23π to that of the Ar(1,2) channel.

To understand this experimentally observed CEP shift between the two channels, we traced the correlated electrons and the motion of the nuclei in the combined laser and Coulomb fields by performing a 3D classical ensemble model calculation [34,52], described in the Supplemental Material [48]. As the laser intensity is well above the overthe-barrier threshold [53], the two outermost electrons are rapidly stripped from each argon atom [52]. Therefore, we did not model these two initial ionization events and, instead, started from a dimer consisting of two singly charged argon ions (Ar⁺-Ar⁺), with one active electron situated around the position of each ion.

The CEP dependence of A_7 predicted by the simulations for the Ar(1,2) and Ar(2,2) channels is shown in Fig. 2(b). The simulated curves agree very well with the measured ones, in particular, the CEP left shift of the Ar(2,2) channel is very well reproduced. The origin of this phase shift can be extracted from the simulations by analyzing the distributions of ionization times t_{1st} and $t_{2nd} > t_{1st}$ of the laserdriven electron trajectories that lead to the channels Ar(1,2)and Ar(2,2), respectively. The ionization time t_{1st} marks the instant at which the single-particle energy of the first emitted electron becomes positive for the first time. Likewise, t_{2nd} marks this instant for the second emitted electron in the Ar(2,2) channel. The distributions of t_{1st} and t_{2nd} are plotted in Figs. 2(c)-2(h) for the Ar(1,2) and Ar(2,2) channels and three selected values of the CEP. For convenience of the following discussion, the ionization time distributions were separated depending on whether the (sum) momentum of the electron (pair) reaches positive (upper halves) or negative momentum (lower halves).

To explain the CEP left shift between Ar(1,2) and Ar(2,2), we start with the CEP dependence of $\mathcal{A}_z^{(1,2)}$. As shown in Figs. 2(c)–2(e), the distributions of the ionization times $(t_{1\text{st}})$ in this channel feature two maxima per peak of the laser field. The reason underlying these two maxima will be explained below. For $\varphi_{\text{CEP}} = 0$, the two maxima corresponding to the field peak at t_A are marked by cyan and yellow boxes [Fig. 2(c)]. The maxima corresponding to the field peaks at t_B and t_C are much smaller for $\varphi_{\text{CEP}} = 0$. The emission directions of electrons set free during these maxima (up or down, indicated by positive or negative time distributions) are largely determined by the laser vector potential according to the relation $\mathbf{p}_{e1} = -\mathbf{A}(t_i) = \int_{-\infty}^{t_i} \mathbf{E}(t') dt'$ [54,55] with t_i the ionization time. Positive values of $-\mathbf{A}(t_i)$ are indicated by gray shading in

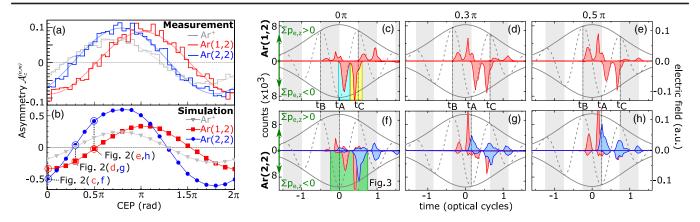


FIG. 2. (a) Measured asymmetry $A_z^{(n,m)}$ of electron emission along z for Ar(n,m), $(n,m) = \{(1,2),(2,2)\}$ over CEP. (b) Same as (a) but simulated. The curves of the Ar^+ monomer (gray) serve as a reference in (a) and (b). (c)–(e) Simulated distributions of ionization times of the first electron, t_{1st} , for trajectories leading to Ar(1,2) for three values of the CEP. (f)–(h) Same as (c)–(e) but for trajectory pairs leading to Ar(2,2) with the distributions of the ionization times of the second electron, t_{2nd} , shown in blue. The laser electric field $E_z(t)$ (gray dashed curve) is also shown for reference. The time distributions are separated depending on whether the (sum) momentum of the electron (pair) reaches positive (upper halves) or negative momentum (lower halves).

Figs. 2(c)–2(h). The small deviations from $\mathbf{p}_{e1} = -\mathbf{A}(t_i)$ are due to the Coulomb forces of the argon ions.

For $\varphi_{\text{CEP}} = 0$, most of the trajectories are emitted with $\mathbf{p}_{e1} < 0$. Therefore, $\mathcal{A}_z^{(1,2)}$ has a large negative value, cf. Figs. 2(a) and 2(b). For increasing CEP, the laser field maximum at t_B shifts closer to the pulse peak and becomes stronger. Accordingly, the positive valued double-peak structure corresponding to the field maximum at t_B becomes gradually larger; at $\varphi_{\text{CEP}} = 0.5\pi$, the negative and positive double-peak structures are roughly equal in area. As a consequence, $\mathcal{A}_z^{(1,2)}$ varies from a large negative value at $\varphi_{\text{CEP}} = 0$ to roughly 0 at $\varphi_{\text{CEP}} = 0.5\pi$. Thus, the CEP dependence of $\mathcal{A}_z^{(1,2)}$ in Figs. 2(a) and 2(b) can, to a good degree, be explained straightforwardly using standard strong-field arguments based on the relation $\mathbf{p}_{e1} = -\mathbf{A}(t_i)$ and the subcycle dependence of the ionization rate on CEP.

To explain the CEP dependence of $A_{z}^{(2,2)}$ for Ar(2,2), the distribution of t_{2nd} , blue colored in Fig. 2, must also be considered. The distributions of t_{1st} in the Ar(2,2) channel, although different in amplitude from those of channel Ar(1,2), are also dominated by two peaks per laser cycle. In contrast, the distribution of t_{2nd} for $\varphi_{CEP} = 0$ in Fig. 2(f) is dominated by only one peak. It is delayed by a laser half cycle to the strongest field maximum at t_A and points into the negative direction. Again, the reasons for the delay and the single peak structure will be discussed below. Together with the t_{1st} peaks that also point into the negative direction, this single t_{2nd} peak leads to $A_z^{(2,2)} < 0$ for $\varphi_{CEP} = 0$, in agreement with Figs. 2(a) and 2(b). As the CEP increases, the half-cycle-delayed negative t_{2nd} peak due to the decreasing field maximum at t_A becomes weaker, and the positive t_{2nd} peak due to the increasing field maximum at t_B becomes stronger. Together with the t_{1st} distributions that behave similarly, as in the Ar(1,2) case, this causes $A_{z}^{(2,2)}$ to move toward positive values, reaches ≈ 0 for $\varphi_{\rm CEP} = 0.3\pi$, and a large positive value for $\varphi_{\rm CEP} = 0.5\pi$ [see Figs. 2(a) and 2(b)].

Now, we turn to discussing the origin of the t_{1st} doublepeak and the half-cycle delayed single-peak structure of t_{2nd} . As we will see, this will also explain the CEP left shift of $A_z^{(2,2)}$ relative to $A_z^{(1,2)}$. To this end, we traced the classical trajectories leading to the Ar(2,2) channel. For simplicity, but without loss of generality, we select, for this in-depth analysis, the electron pairs emitted within [-0.25T, 0.75T] and with negative sum momentum for the case of $\varphi_{CEP} = 0$ [indicated by a green box in Fig. 2(f)]. The resulting time distributions, displayed in Fig. 3(a), show that the emissions can be classified into two types according to the relative emission time of the first and second electrons: One, where the two emissions happen isolated of each other $(t_{1st} \in [-0.25T, 0.25T])$, and a second one, where the two emission steps happen in a concerted manner within the same half cycle $(t_{1st} \in [0.25T, 0.75T]).$

Typical trajectories for both the isolated and concerted cases are displayed in Fig. 3. We show, in the Supplemental Material [48], that they are representative for all emitted trajectories. The trajectories for the isolated case of double ionization (DI) [Figs. 3(b) and 3(c)] show that the first electron is immediately flying away from its own parent nucleus (red curve). The second electron, in contrast, is transferred to the other nucleus, where it is subsequently temporally captured by the Coulomb potential of the neighboring Ar²⁺ ion. It becomes ionized only during the next laser half cycle around the peak of the field. We refer to this electron transfer process across the system boundaries and the subsequent capture process that results in the ionization delay as LITE.

LITE also plays a significant role in the concerted type of DI. Two cases can be distinguished: Representative

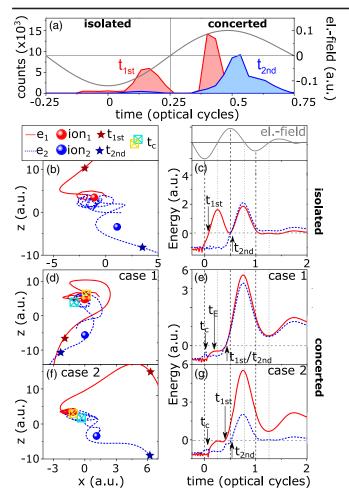


FIG. 3. Classical trajectory analysis for channel Ar(2,2). (a) Ionization time distributions of first (red), t_{1st} , and second (blue), t_{2nd} , electrons for electron pairs emitted within [-0.25T, 0.75T] and with negative sum momentum for $\varphi_{CEP} = 0$. The left (b),(d),(f) and right columns (c),(e),(g) show typical electron trajectories in space and over time, respectively. The trajectories are classified in isolated $[t_{1st} \in [-0.25T, 0.25T], (b),(c)]$ and concerted $[t_{1st} \in [0.25T, 0.75T], (d)-(g)]$. t_C , t_E denote the times of collision and excitation. For better visibility, the orbits in (b),(d),(f) are shown for t > -0.1T.

electron trajectories [Figs. 3(d) and 3(e)] show that, for case 1, one of the electrons is emitted at one site and transferred to the other site by LITE. There, it is captured by the Coulomb potential, collides with the second electron initially on this site, and produces a doubly excited neutral atom, i.e., an Ar²⁺-Ar** dimer. The highly excited Ar** atom is then doubly ionized before the next peak of the laser field, resulting in an Ar(2,2) dimer. Case 2 [Figs. 3(f) and 3(g)] starts similarly: An electron is emitted at one site and is transferred to the other by LITE. However, in this case, the energy exchange by collisions with the second electron is larger, so that one of the electrons gains enough energy to ionize soon. The other electron loses some of its energy and is trapped by the Coulomb potential, forming a

transient Ar²⁺-Ar^{+*} complex. The captured electron finally ionizes at or after the next peak of the laser field and produces an Ar(2,2) dimer.

This second case is reminiscent of the recollision-induced excitation with subsequent field ionization process well known for monomers [56–58]. Here, however, the collision-excitation step takes place on a distant entity and is enabled only by a preceding LITE process. Further explanations and a visualization of the role of LITE in the three different DI scenarios, as well as additional data and discussion on the role of the alignment of the argon dimer with respect to the laser polarization direction, the correlation between the two emitted electrons due to the collisions induced by LITE, and a spatiotemporal analysis of the electron transfer is provided in the Supplemental Material [48].

The finding that the DI dynamics to Ar(2,2) is dominated by an electron transfer process (LITE), explains why the second electron emission is delayed by a laser half cycle to its initiating laser field peak [cf. the t_{2nd} distributions in Figs. 2(f)-2(h)]. Likewise, the double-peak structure of t_{1st} can also be explained by LITE: In the concerted cases of DI, the first electron is transferred and, therefore, is emitted with delay, giving rise to the second peak. The first, undelayed peak arises during the isolated cases of DI and during single ionization (SI) to Ar(1,2). The delayed peak in SI corresponds to cases where the first electron becomes transferred, but the second electron stays bound, see the Supplemental Material [48] for further details.

Finally, based on the fact that the first ionization step proceeds similarly for the Ar(1,2) and Ar(2,2) channels [cf. Figs. 2(c)–2(h)], we can now investigate which of the two DI cases, the isolated or the concerted one, is responsible for the distinct CEP shift observed between the $\mathcal{A}_z^{(1,2)}$ and $\mathcal{A}_z^{(2,2)}$ curves in Figs. 2(a) and 2(b). To see this, we plot, in Fig. 4, $\mathcal{A}_z^{(2,2)}$ separately for the isolated and concerted contributions to Ar(2,2), in comparison with $\mathcal{A}_z^{(1,2)}$ taken from Fig. 2(b). The separated curves reveal

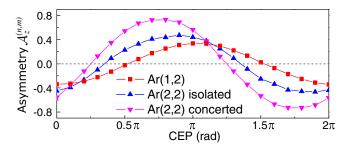


FIG. 4. Simulated CEP dependence of the asymmetry A_z for channels Ar(1,2) and Ar(2,2). The latter is separated into isolated and concerted two-electron emissions based on $\Delta t = t_{1\text{st}} - t_{A,B,C}$, where $t_{A,B,C}$ (indicated in Fig. 2) are the instants of the laser field maxima right before a given $t_{1\text{st}}$ peak that initiates the electron emission at $t_{1\text{st}}$: Isolated for $0 \le \Delta t \le 0.25T$, concerted for $0.25T \le \Delta t \le 0.5T$.

that the uncorrelated two-electron emission of the isolated case introduces a notable shift, but the main shift is introduced by the concerted pathway. The reason is that, for this case, the electron-electron interaction dynamics triggered in the excited argon atom upon electron transfer by LITE leads to electron emission over a much broader range of time within the laser cycle as compared to a purely field-driven ionization dynamics confined to around the crests of the laser cycle.

In conclusion, we have experimentally and theoretically studied the ionization-fragmentation dynamics of argon dimers in intense few-cycle laser pulses with a known CEP. We observe a distinct CEP shift of the electron emission asymmetry between the $Ar^+ + Ar^{2+}$ and $Ar^{2+} + Ar^{2+}$ fragmentation channels. Using a classical ensemble model, we find that this CEP shift is due to electron-electron interaction mediated by a field-driven electron transfer process (LITE) from one argon atom to the other. Thus, our work heralds the possibility of using strong laser fields for controlling subcycle intermolecular electron-transfer processes where the transferred electron can excite electronic dynamics on a distant molecule. This finding opens up a new route for controlling molecular processes with intense laser pulses beyond mere bond-breaking reactions.

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