## Measurement of the $Q^2$ Dependence of the Deuteron Spin Structure Function $g_1$ and its Moments at Low $Q^2$ with CLAS

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We measured the  $g_1$  spin structure function of the deuteron at low  $Q^2$ , where QCD can be approximated with chiral perturbation theory ( $\gamma$ PT). The data cover the resonance region, up to an invariant mass of  $W \approx 1.9$  GeV. The generalized Gerasimov-Drell-Hearn sum, the moment  $\Gamma_1^d$  and the spin polarizability  $\gamma_0^d$ are precisely determined down to a minimum  $Q^2$  of 0.02 GeV<sup>2</sup> for the first time, about 2.5 times lower than that of previous data. We compare them to several  $\chi$ PT calculations and models. These results are the first in a program of benchmark measurements of polarization observables in the  $\chi PT$  domain.

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For the last three decades, the spin structure of the nucleon has been actively studied experimentally and theoretically [1,2]. The reason is that spin degrees of freedom are uniquely sensitive to the details of the strong interaction that binds quarks into nucleons. The first challenge encountered by these studies was the "spin crisis": the discovery that the quark spins contribute less than expected to the proton spin [3]. The spin crisis brought the realization that spin sum rules could be used to address other challenging questions about quantum chromodynamics (QCD) [4] like quark confinement and how the low energy effective degrees of freedom of QCD (hadrons) are related to its fundamental ones (quarks and gluons).

This article reports the first precise measurement of the  $Q^2$  evolution of the generalized Gerasimov-Drell-Hearn (GDH) integral [5,6] and of the spin polarizability  $\gamma_0$  [7] on the deuteron at very low four-momentum transfer  $Q^2$ . Such a measurement allows us to test chiral perturbation theory  $(\chi PT)$ —a low  $Q^2$  approximation of QCD—which has been challenged by earlier measurements of the GDH integral and of spin polarizabilities [8–14]. These measurements were dedicated, however, to study QCD's hadron-parton transition. Only their lowest  $Q^2$  points (0.05 GeV<sup>2</sup> for H and D and 0.1 GeV<sup>2</sup> for <sup>3</sup>He) reached the  $\gamma$ PT domain, and with limited precision. The results reported here are from the Jefferson Lab (JLab) CLAS EG4 experiment, dedicated to measure the proton, deuteron, and neutron polarized inclusive cross section at significantly lower  $Q^2$  than previously measured. A complementary program exists in JLab's Hall A, dedicated to the neutron from <sup>3</sup>He [15] and to the transversely polarized proton [16].

An additional goal of EG4 was to assess the reliability of extracting neutron structure information from measurements on nuclear targets. The deuteron and <sup>3</sup>He complement each other for neutron information: nuclear binding effects in the deuteron are smaller than for <sup>3</sup>He, but to obtain the neutron information, a large proton contribution is subtracted. The proton contributions in <sup>3</sup>He are small, making polarized <sup>3</sup>He nearly a polarized neutron target. However, the tightly bound nucleons in <sup>3</sup>He have larger nuclear binding effects and non-nucleonic degrees of freedom may play a larger role.

Sum rules relate an integral over a dynamical quantity to a global property of the object under study. They offer stringent tests of the theories from which they originate. The Bjorken [17] and the GDH [5,6] sum rules are important examples. The latter was originally derived for photoproduction,  $Q^2 = 0$ , and links the helicity-dependent photoproduction cross sections  $\sigma_A$  and  $\sigma_P$  to the anomalous magnetic moment  $\kappa$  of the target:

$$\int_{\nu_0}^{\infty} \frac{\sigma_A(\nu) - \sigma_P(\nu)}{\nu} d\nu = -\frac{4\pi^2 S \alpha \kappa^2}{M^2}, \tag{1}$$

where M is the mass of the object, S its spin,  $\alpha$  the QED coupling,  $\nu$  the photon energy and  $\nu_0$  the photoproduction threshold. The A and P correspond to the cases where the photon spin is antiparallel and parallel to the object spin, respectively. For the deuteron, S=1 and  $-4\pi^2 S \alpha \kappa^2/M^2=-0.6481(0)~\mu b$  [18]. The GDH sum rule originates from a dispersion relation and a low energy theorem that are quite general and independent of QCD. The only assumption involves the convergence necessary to validate the dispersion relation. As such, the sum rule is regarded as a solid general prediction, and experiments at MAMI, ELSA, and LEGS [19] have verified it within about 7% precision for the proton. Verifying the sum rule on the neutron is more difficult since no free-neutron targets exist. Deuteron data taken at MAMI, ELSA, and LEGS cover up to  $\nu=1.8$  GeV [19] but have not yet tested the sum rule due to the delicate cancellation of the deuteron photodisintegration channel ( $\approx 400~\mu b$ ) with the other inelastic channels ( $\approx 401~\mu b$ ) [20].

In the midst of the "spin crisis," it was realized that the GDH integral could be extended to electroproduction to study the transition between the perturbative and non-perturbative domains of QCD [4]. A decade later, the sum rule itself was generalized [21,22]:

$$\Gamma_1(Q^2) = \int_0^{x_0} g_1(x, Q^2) dx = \frac{Q^2}{2M^2} I_1(Q^2),$$
 (2)

where  $g_1$  is the first inclusive spin structure function,  $I_1$  is the  $\nu \to 0$  limit of the first covariant polarized VVCS amplitude,  $x = Q^2/2M\nu$ , and  $x_0$  is the electroproduction threshold. The generalization connects the original GDH sum rule, Eq. (1), to the Bjorken sum rule [17].

The generalized GDH sum rule is valuable because it offers a fundamental relation for any  $Q^2$ . In the low and high  $Q^2$  limits where  $\Gamma_1$  can be related to global properties of the target, the sum rule tests our understanding of the nucleon spin structure. At intermediate  $Q^2$  it has been used to test nonperturbative QCD calculations of  $\Gamma_1$  such as the LFHQCD approach [23], phenomenological models of the nucleon structure [24] and, at lower  $Q^2$ ,  $\chi$ PT calculations [25–27].

An ancillary result of the present low- $Q^2$  data is their extrapolation to  $Q^2 = 0$  in order to check the sum rule on  $\approx$  (proton + neutron) [20] and on the neutron. Although the extrapolation adds an uncertainty to these determinations, the inclusive electron scattering used in this work sums all the reaction channels without the need to detect final state particles, unlike photoproduction that requires detecting each final state, with more associated systematic uncertainties.

The GDH and Bjorken sum rules involve the first moment of the spin structure functions. Other sum rules exist that employ higher moments such as the spin polarizability  $\gamma_0$  sum rule [22]:

$$\gamma_0(Q^2) = \frac{16\alpha M^2}{Q^6} \int_0^{x_0} x^2 \left( g_1 - \frac{4M^2}{Q^2} x^2 g_2 \right) dx, \quad (3)$$

where  $g_2$  is the second spin structure function. An advantage of the polarizability is that the kinematic weighting highly suppresses the low-x contribution to the sum rule, which typically must be estimated with model input since it is inaccessible by experiment. For this reason,  $\gamma_0$  provides a robust test of  $\chi$ PT, although it has a higher sensitivity to how data is extracted near the inelastic threshold.  $\gamma_0$  has been measured at MAMI for  $Q^2 = 0$  and at JLab on the proton, neutron and deuteron for  $0.05 \le Q^2 \le 4$  GeV<sup>2</sup> [10–14].

The JLab data revealed unexpected discrepancies with  $\chi$ PT calculations for  $\gamma_0$ , its isovector and isoscalar components, and the generalized longitudinal-transverse spin polarizability  $\delta_{LT}^n$  [10–13]. The data for  $\gamma_0$  and  $\Gamma_1$  typically agree with  $\chi$ PT calculations only for the lowest  $Q^2$  points investigated ( $Q^2 \lesssim 0.07 \text{ GeV}^2$ ) and generally only with one type of  $\chi$ PT calculations: for a given observable, the results of Ref. [25] would agree and the ones of Ref. [26] would not, while the opposite occurs for another observable. Furthermore, the experimental and theoretical uncertainties of the first generation of experiments and calculations limited the usefulness of these comparisons. Conversely,  $\Gamma_1^p - \Gamma_1^n$  was found to agree well with  $\chi$ PT [12]. No data on  $\delta_{LT}^p$  exist although some are anticipated soon [16]. This state of affairs triggered a refinement of the  $\chi$ PT calculations [25–27] and a very low  $Q^2$  experimental program.

The EG4 experiment took place in 2006 at JLab using the CLAS spectrometer in Hall B [28]. The aim was to measure  $g_1^p$  and  $g_1^d$  over an x range large enough to provide most of the generalized GDH integral, and over a  $Q^2$  range covering the region where  $\chi$ PT should apply. The inclusive scattering of polarized electrons off longitudinally polarized protons or deuterons was the reaction of interest, but exclusive ancillary data were also recorded [29]. For the deuteron run, two incident electron beam energies were used, 1.3 GeV and 2.0 GeV. To cover the low angles necessary to reach the  $Q^2$ values relevant to test  $\gamma$ PT, a dedicated Cherenkov Counter (CC) was constructed and added to one of the CLAS spectrometer sectors. Furthermore, the target position was moved 1 m upstream of the nominal CLAS center and the toroidal magnetic field of CLAS bent electrons outward, yielding a minimum scattering angle of about 6°. This resulted in a coverage of  $0.02 \le Q^2 \le 0.84 \text{ GeV}^2$  and of invariant mass  $W \le 1.9$  GeV.

The polarized beam was produced by illuminating a strained GaAs cathode with a polarized diode laser. A Pockels cell flipped the beam helicity pseudorandomly at 30 Hz and a half wave plate was inserted periodically to provide an additional change of helicity sign to cancel possible false beam asymmetries. The beam polarization varied around  $85 \pm 2\%$  and was monitored with a Møller polarimeter [28]. The beam current ranged between 1 and 3 nA.

The polarized deuteron target consisted of <sup>15</sup>ND<sub>3</sub> ammonia beads held in a 1 K <sup>4</sup>He bath, and placed in a 5 T field

[30]. The target was polarized using dynamical nuclear polarization. The polarization was enhanced *via* irradiation with microwaves. The target polarization was monitored by a nuclear magnetic resonance (NMR) system and ranged between 30% and 45%. The polarization orientation was always along the beam direction. The NMR and Møller-derived polarizations were used for monitoring only, the product of the beam and target polarizations for the analysis being provided through the measured asymmetry of quasielastic scattering.

The scattered electrons were detected by the CLAS spectrometer. Besides the new CC used for data acquisition triggering and electron identification, CLAS contained three multilayer drift chambers that provided the momenta and charges of the scattered particles, time-of-flight counters and electromagnetic calorimeters (EC) for further particle identification. The trigger for the data acquisition system was provided by a coincidence between the new CC and the EC. Complementary data were taken with an EC-only trigger for efficiency measurements. Further information on EG4 can be found in Refs. [29,31].

The spin structure function  $g_1$  was extracted in W and  $Q^2$  bins from the measured difference in cross sections between antiparallel and parallel beam and target polarizations:

$$\frac{N^{\uparrow\downarrow}(W,Q^2)}{\mathcal{L}P_bP_taQ_b^{\uparrow\downarrow}} - \frac{N^{\uparrow\uparrow}(W,Q^2)}{\mathcal{L}P_bP_taQ_b^{\uparrow\uparrow}} = \Delta\sigma(W,Q^2), \quad (4)$$

where " $\uparrow \downarrow$ " or " $\uparrow \uparrow$ " refers to beam spin and target polarization being antiparallel or parallel, respectively. N is the number of counts and  $Q_b$  is the corresponding integrated beam charge.  $\mathcal{L}$  is a constant corresponding to the density of polarized target nuclei per unit area,  $P_b P_t$  is the product of the beam and target polarizations and  $a(W,Q^2)$  is the detector acceptance, which also accounts for detector, trigger, and cut efficiencies.  $\Delta \sigma$  is the polarization dependent inclusive cross section difference in a given  $(W,Q^2)$  bin and can be written as a linear combination of  $g_1$  and  $g_2$ , see Refs. [1,2]. Only polarized material contributes to  $\Delta \sigma$ , which is advantageous due to the dilution factor of the polarized targets used by EG4.

The product of the polarized luminosity, beam and target polarizations,  $P_bP_t$ , and the overall electron detection efficiency was determined by comparing the measured yield difference in the quasielastic region,  $0.9 < W < 1~{\rm GeV}$ , with the calculated values. An event generator based on RCSLACPOL [32], with up-to-date models of structure functions and asymmetries for inelastic scattering from deuterium [14], was used to generate events according to the fully radiated cross section. The events were followed through a full simulation of the CLAS spectrometer based on a GEANT-3 simulation package. Thus, the simulated events were analyzed in the same way as the measured data, thereby accounting for the bin-to-bin variation of

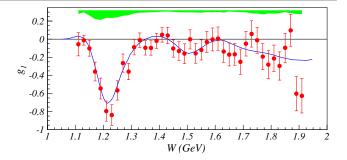


FIG. 1. Example of extracted  $g_1^d(W)$  vs invariant mass W (circles), together with the nominal value of the parameterization used for its extraction (line). The large negative peak corresponds to the  $\Delta(1232)3/2^+$  resonance. The error bars give the statistical uncertainty and the band is the total systematic uncertainty. The data are for  $\langle Q^2 \rangle = 0.1 \text{ GeV}^2$ .

acceptance and efficiency [Eq. (4)]. A comparison between the simulated and the measured data in a given  $Q^2$  bin is shown in Fig. 1. Any deviation between the simulation and the experimental results can be due to two possible sources: (1) A genuine difference between the  $g_1$  models and the true value within that bin, and (2) the systematic deviations of all other ingredients entering the simulation from their correct values: this includes backgrounds and detector efficiencies and distortions, models for other structure functions  $(F_2, R)$ and asymmetries  $(A_2)$ , and radiative effects. To extract  $g_1(W,Q^2)$  from our measured data, we determined the amount  $\delta g_1$ , by which the model for  $g_1$  had to be varied in a given bin to fully account for the difference between measured and simulated yield difference. The systematic uncertainty on  $q_1$  due to each of the sources (2) above was determined by varying one of the ingredients within their reasonable uncertainties and extracting the corresponding impact on  $q_1$  accordingly. It is important to understand that although a model is used for obtaining  $g_1$ , there is little model dependence in the results reported here.

Cuts were used for particle identification, to reject events not originating from the target, to select detector areas of high acceptance and high detector efficiency, where the detector simulation reproduces well the data [31]. Corrections were applied for contaminations from  $\pi^-$  (typically less than 1%) and from secondary electrons produced from photons or  $\pi^0$  decay (nearly always less than 3%). Quality checks were performed, including detector and yield stability with time. Vertex corrections to account for the beam raster, any target-detector misalignments, and toroidal field mapping inaccuracies, were determined and applied. Electron energy losses by ionization in the target or detector material were corrected for, as well as bremsstrahlung and other radiative corrections. This was done using the same method as in Refs. [10,13,14].

Systematic uncertainties are typically of the order 10% of the extracted values for  $g_1(x, Q^2)$  and nearly always smaller than statistical uncertainties. They are dominated

by the overall normalization uncertainty (about 7–10%, depending on the kinematic bin, and largely correlated), model uncertainties for unmeasured quantities (up to 10% in a few kinematic bins, but normally smaller), and radiative corrections and kinematic uncertainties (up to 5% near threshold but much smaller elsewhere). These latter are mostly point-to-point uncorrelated. The model uncertainties were estimated by modifying the parameters controlling  $g_1(x,Q^2)$  and  $g_2(x,Q^2)$ . The calculation and comparison of these contributions are detailed in Ref. [31].

The complete  $g_1^d$  data set and related moments are provided in tables as Supplemental Material [33]. The integrals in Eqs. (2)–(3) are formed by integrating the data over the  $x_{\min} < x < x_0$  range, where  $x_{\min}$  is the lowest x reached by the experiment for a given  $Q^2$  bin. For the lowest  $Q^2$  bin, 0.020 GeV<sup>2</sup>,  $x_{\min} = 0.0073$ , and for the largest  $Q^2$  bin considered for integration, 0.592 GeV<sup>2</sup>,  $x_{\min} = 0.280$ . The data are supplemented by the model to cover the integration range  $0.001 < x < x_{\min}$  and the threshold contribution (1.07 < W < 1.15 GeV) at high x. There, the model is used rather than data to avoid quasielastic scattering and radiative tail contaminations [31].

The integral  $\Gamma_1^d(Q^2)$  is shown in Fig. 2. The original GDH sum rule provides the derivative of  $\Gamma_1$  at  $Q^2=0$ . The low-x correction is small. The full integral (solid squares) agrees with the previous CLAS EG1b experiment [14], but the minimum  $Q^2$  is 2.5 times lower. The statistical uncertainty of EG4 is improved over EG1b by about a factor of 4 at the lowest  $Q^2$  points, and thus, it allows for a more stringent test of  $\chi$ PT. The Lensky *et al.*  $\chi$ PT calculation [27], which supersedes the earlier calculations

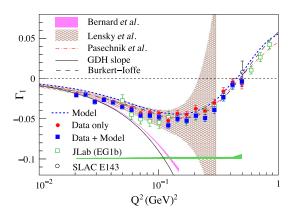


FIG. 2. The first moment  $\Gamma_1^d(Q^2)$ . The solid circles are the EG4 data integrated over the covered kinematics. The fully integrated  $\Gamma_1^d$ , using a model to supplement data, is shown by the solid squares. The error bars are statistical. The systematic uncertainty is given by the horizontal band. The open symbols show data from the CLAS EG1b [14] and SLAC E143 [32] experiments. The other bands and lines show various models and  $\chi PT$  calculations as described in the text. The short-dash line (Model) does not include the EG4 data, to reveal the new knowledge gained.

in Ref. [26], agrees with the data. The most recent Bernard et al.  $\chi$ PT calculation [25] agrees with the few lowest  $Q^2$  points. The Pasechnik et al. and Burkert-Ioffe parametrizations [24] describe the data well.

The data can also be integrated to form the related moment  $\bar{I}_{TT}^d(Q^2)$  [6] extrapolated to  $Q^2=0$  and compared with the original sum rule expectation that  $I_{TT}(0) =$  $-\kappa^2/4$ . Accounting for the deuteron D state and ignoring two body breakup and coherent channels, the GDH sum rule predicts  $\bar{I}_{TT}^d=(1-3\omega_D/2)(I_{TT}^p+I_{TT}^n)=-1.574\pm$ 0.026, with  $\omega_D = 0.056 \pm 0.01$  [34]. We extrapolated to  $Q^2 = 0$  the data below  $Q^2 = 0.06$  GeV<sup>2</sup>, which average at  $\langle Q^2 \rangle = 0.045 \text{ GeV}^2$ . To this end, we used the (small)  $Q^2$ dependence of the Lensky et al. calculation [27], since it agrees very well with the data. We find  $\bar{I}_{TT}^{d\,{\rm exp}}(0)=$  $-1.724 \pm 0.027$ (stat)  $\pm 0.050$ (syst). This is 10%, or  $1.5\sigma$ , away from the sum rule prediction of  $-1.574 \pm 0.026$ . This can be compared with the MAMI and ELSA measurement with real photons:  $\bar{I}_{TT}^{d \exp}(0) =$  $-1.986 \pm 0.008$ (stat)  $\pm 0.010$ (syst) integrated over 0.2 <  $\nu < 1.8 \text{ GeV}$  (the systematic uncertainties here do not include any low and large  $\nu$  contributions) [19]. Using the proton GDH sum rule world data [19], we deduce the neutron GDH integral  $I_{TT}^{n \exp}(0) = -0.955 \pm 0.040(\text{stat}) \pm$ 0.113(syst), which agrees within uncertainties with the sum rule expectation  $I_{TT}^{n \text{ theo}}(0) = -0.803$ .

Finally, the generalized spin polarizability  $\gamma_0(Q^2)$  can be formed from Eq. (3) and is shown in Fig. 3. The MAID prediction, a multipole analysis of photo- and electroproduced resonance data up to W=2 GeV [35], is relevant since the low-x contribution, not included in MAID, is largely suppressed. The  $\chi$ PT calculations differ markedly. The full  $\gamma_0$  from EG4 (solid squares) agrees with the Bernard *et al.*  $\chi$ PT calculation [25], and it disagrees with the Lensky *et al.*  $\chi$ PT calculation [27] and with the MAID model below 0.07 GeV<sup>2</sup>.

To conclude, we report the first precise measurement of the  $Q^2$  evolution of  $\Gamma_1^d$  and of the spin polarizability  $\gamma_0$  on the deuteron in the  $0.02 < Q^2 < 0.59$  GeV<sup>2</sup> domain. The

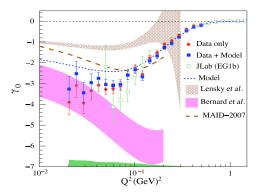


FIG. 3. The generalized spin polarizability  $\gamma_0(Q^2)$ . See Fig. 2 for legends and theoretical calculations.

data reach a minimal  $Q^2$  2.5 times lower than that of previously available data, with much improved precision. The degree of agreement of the different  $\chi$ PT methods varies with the observable: the Bernard et al. calculations are more successful with  $\gamma_0$ , while the Lensky et al. ones describe  $\Gamma_1$  well. Thus, no single method successfully describes both observables, and while chiral calculations are reaching higher precision, a satisfactory description of spin observables remains challenging. The phenomenological models of Pasechnik et al. and Burkert-Ioffe agree well with the GDH data. The MAID model disagrees with the  $\gamma_0$  data for  $Q^2 \leq 0.07$  GeV<sup>2</sup>. Our data, extrapolated to  $Q^2 = 0$  to check the GDH sum rule for the neutron, agree with it to within 20%, or about  $1.0\sigma$ .

The program of providing benchmark polarization observables for  $\chi$ PT will be completed when the proton EG4 data become available, as well as the longitudinally and the transversally polarized data on the neutron ( $^{3}$ He) [15] and proton [16] from JLab's Hall A.

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