

# Emergent Kondo Lattice Behavior in Iron-Based Superconductors $A\text{Fe}_2\text{As}_2$ ( $A = \text{K}, \text{Rb}, \text{Cs}$ )

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Here, we experimentally study the origin of  $d$ -electron heavy fermion (HF) behavior in iron-based superconductors (FeSCs)  $A\text{Fe}_2\text{As}_2$  ( $A = \text{K}, \text{Rb}, \text{Cs}$ ). Nuclear magnetic resonance on  $^{75}\text{As}$  reveals a universal coherent-incoherent crossover with a characteristic temperature  $T^*$ . Below  $T^*$ , a so-called “Knight shift anomaly” is first observed in FeSCs, which exhibits a scaling behavior similar to  $f$ -electron HF materials. Furthermore, the scaling rule also regulates the manifestation of magnetic fluctuation. These results undoubtedly support an emergent Kondo lattice scenario for the  $d$ -electron HF behavior, which qualifies the  $A\text{Fe}_2\text{As}_2$  ( $A = \text{K}, \text{Rb}, \text{Cs}$ ) as  $d$ -electron HF superconductors.

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Superconductivity in heavy fermion (HF) materials is a conundrum in condensed matter physics. The conventional phonon-mediated pairing mechanism fails in this case, suggesting an unconventional pairing mechanism similar to that in cuprates and organic superconductors [1]. The Kondo lattice model has been widely accepted as the starting point for discussing the underlying physics [2–5]. Although the Kondo lattice picture for HF has achieved a great success in  $f$ -electron materials, the fate of the Kondo lattice picture in HF materials without  $f$  electrons, especially for  $d$ -electron systems, is still controversial [6–9]. Furthermore, whether similar HF superconductivity as  $f$ -electron systems could be achieved in  $d$ -electron materials is still under debate.

Recently, a remarkable mass enhancement was observed in heavily hole-doped Fe-based superconductors (FeSCs)  $A\text{Fe}_2\text{As}_2$  ( $A = \text{K}, \text{Rb}, \text{Cs}$ ). As shown in Fig. 1, an apparent particle-hole asymmetry for effective mass ( $m^*$ ) appears in doped  $\text{BaFe}_2\text{As}_2$  [10–13]. In heavily hole-doped  $\text{KFe}_2\text{As}_2$ , the value of the Sommerfeld coefficient ( $\gamma$ ) has reached  $98 \text{ mJ mol K}^{-2}$  [10]. Quantum oscillation and angle-resolved photoemission spectroscopy (ARPES) experiments also support the mass enhancement [14,15]. Furthermore, the  $m^*$  becomes even heavier by replacing  $\text{K}^+$  by larger alkaline ions of  $\text{Rb}^+$  ( $\gamma \sim 127 \text{ mJ mol K}^{-2}$ ) [12] and  $\text{Cs}^+$  ( $\gamma \sim 184 \text{ mJ mol K}^{-2}$ ) [12]. In FeSCs, the Hund’s coupling is highly important for the correlation effect instead of on-site Coulomb interaction [16], which has a strong effect on band renormalization in FeSCs [17]. However, recent theoretical calculation suggests that the remarkable mass enhancement in  $A\text{Fe}_2\text{As}_2$  ( $A = \text{K}, \text{Rb}, \text{Cs}$ ) is beyond naive band renormalization [18]. On the

other hand, a coexistence of itinerant and local characters for  $3d$  electrons has been widely recognized as an elementary feature in FeSCs [19], which hints at a possible Kondo scenario for the mass enhancement in  $A\text{Fe}_2\text{As}_2$  ( $A = \text{K}, \text{Rb}, \text{Cs}$ ). In fact, a coherent-incoherent crossover similar to  $f$ -electron HF has already been proposed for FeSCs [16], which is recalled by recent bulk magnetic susceptibility and thermal expansion experiments on  $\text{KFe}_2\text{As}_2$  [20]. However, there is still no consensus on the Kondo picture experimentally. Here, we systematically perform  $^{75}\text{As}$  nuclear magnetic resonance (NMR) experiments to study the hole-doped FeSCs  $A\text{Fe}_2\text{As}_2$  ( $A = \text{K}, \text{Rb}, \text{Cs}$ ). Our results

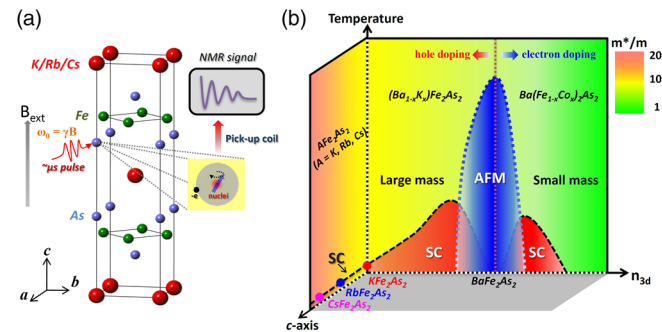


FIG. 1. (a) Crystal structure of heavily hole-doped FeSCs  $A\text{Fe}_2\text{As}_2$  ( $A = \text{K}, \text{Rb}, \text{Cs}$ ) and sketch of NMR experiment. The local symmetry of the As site is tetragonal with four nearest-neighbor Fe atoms. We performed NMR measurements on  $^{75}\text{As}$  nuclei. (b) Schematic phase diagram of FeSCs with 122 structure tuned by the number of  $3d$  electrons ( $n_{3d}$ ) at Fe sites. The color in the phase diagram depicts effective the mass  $m^*$  relative to that from band theory. SC denotes superconducting phase. AFM denotes antiferromagnetic phase.

strongly support the Kondo scenario for HF in  $A\text{Fe}_2\text{As}_2$  ( $A = \text{K, Rb, Cs}$ ) and qualifies  $A\text{Fe}_2\text{As}_2$  ( $A = \text{K, Rb, Cs}$ ) as  $d$ -electron HF superconductors under the frame of the Kondo lattice scenario.

In Fig. 2, one of the main findings in the present Letter is a universal electronic crossover observed in both the temperature-dependent Knight shift ( $K$ ) and resistivity in  $A\text{Fe}_2\text{As}_2$  ( $A = \text{K, Rb, Cs}$ ). In general,  $K = K_{\text{orb}} + K_s$ , where  $K_{\text{orb}}$  is the orbital contribution and  $K_s$  is the spin contribution.  $K_s$  is usually temperature-dependent, while  $K_{\text{orb}}$  is always temperature-independent in FeSCs.  $K_s$  is proportional to local spin susceptibility ( $\chi_{\text{loc}}$ ) at the nearest-neighbor Fe atoms through the transferred hyperfine coupling tensor ( $K_s = A\chi_{\text{loc}}$ ). In a uniform paramagnetic state, since  $\chi_{\text{loc}}$  is proportional to  $\chi_{\text{bulk}}$ ,  $K_s$  must be scaled with bulk magnetic susceptibility ( $\chi_{\text{bulk}}$ ). Therefore, the temperature-dependent Knight shift could be expressed as  $K(T) = A\chi_{\text{bulk}}(T) + K_{\text{orb}}$ . As shown in Fig. 2, the temperature-dependent part of the Knight shift above  $T^*$  is consistent with a Curie-Weiss behavior for all samples, suggesting a local-moments dominated behavior. Similar behavior has also been confirmed in bulk magnetic susceptibility measurements (See Supplemental Material [21]). As the temperature decreases below  $T^*$ , the Knight shift undergoes a crossover to deviate from the high-temperature Curie-Weiss behavior. There is a roughly 10% decrease in the values of the Knight shift for all samples. Finally, the temperature-dependent Knight shift becomes saturated at low temperature. The  $T^*$  for  $A\text{Fe}_2\text{As}_2$  ( $A = \text{K, Rb, Cs}$ ) shows a continuous suppression with

replacing  $K^+$  ( $T^* \sim 165 \pm 25$  K) with larger alkaline ions of  $\text{Rb}^+$  ( $T^* \sim 125 \pm 20$  K) and  $\text{Cs}^+$  ( $T^* \sim 85 \pm 15$  K). Although the broad linewidth made the crossover behavior indistinguishable in the Knight shift in earlier experiments on  $\text{KFe}_2\text{As}_2$  [28], bulk magnetic susceptibility and thermal expansion experiments showed a similar crossover behavior in  $\text{KFe}_2\text{As}_2$  [20], consistent with the present NMR results. Surprisingly, the  $T^*$  ( $\sim 100$  K) determined by the maximum of  $\chi_{\text{bulk}}$  is much lower than that determined from the Knight shift measurement ( $T^* \sim 165 \pm 25$  K). Besides  $\text{KFe}_2\text{As}_2$ , a similar discrepancy of  $T^*$  is also observed for  $\text{RbFe}_2\text{As}_2$  and  $\text{CsFe}_2\text{As}_2$ . The impurity effect might be a reason for this discrepancy. In fact, a clear Curie-Weiss tail due to the impurity effect is observed in the bulk magnetic susceptibility (See Supplemental Material [21]), while it is absent in the Knight shift. A possible explanation for this difference is that NMR is a local probe for spin susceptibility and trivial impurities do not affect the Knight shift measured by  $^{75}\text{As}$  nuclei away from impurities. However, even if we try to subtract the Curie-Weiss tail from  $\chi_{\text{bulk}}$ , the discrepancy for  $T^*$  is not improved at all (See Supplemental Material [21]). It suggests an intrinsic ‘‘Knight shift anomaly’’ which will be further discussed in the following pages.

On the other hand, a similar electronic crossover behavior also appears in charge transport as shown in Fig. 2. Temperature-dependent resistivity shows a crossover behavior at  $T^*$ . Below  $T^*$ , the positive slope of resistivities for all samples shows a significant change. We try to use the cross point of two  $T$ -linear trends to determine  $T^*$  in resistivity. It is evident that both the temperature-dependent Knight shift and resistivity have a consistent crossover behavior at nearly the same  $T^*$ . We would like to emphasize that such similar crossover behavior in both the Knight shift and resistivity has been widely observed in  $f$ -electron HF materials [4,29]. The great similarity to  $f$ -electron materials strongly suggests a possible Kondo scenario for  $A\text{Fe}_2\text{As}_2$  ( $A = \text{K, Rb, Cs}$ ). Indeed, such a coherent-incoherent crossover for  $3d$  electrons has already been proposed in theory for FeSCs [16,17], and our work clearly manifests such a case. However, these results are still not enough to settle the microscopic origin of  $d$ -electron HF behavior in  $A\text{Fe}_2\text{As}_2$  ( $A = \text{K, Rb, Cs}$ ), especially for the Kondo lattice scenario.

In order to further understand the microscopic origin of  $d$ -electron HF behavior, we explore the possible Kondo scaling behavior in  $A\text{Fe}_2\text{As}_2$  ( $A = \text{K, Rb, Cs}$ ). As we mentioned, an intrinsic Knight shift anomaly is revealed by comparing the temperature-dependent Knight shift and bulk magnetic susceptibility. In Fig. 3(a), the  $K - \chi_{\text{bulk}}$  plot for all samples shows a clear deviation from linear behavior around  $T^*$ . It suggests that the Knight shift is no longer scaled with bulk magnetic susceptibility below  $T^*$ . A similar phenomenon has been widely found in  $f$ -electron HF materials [29]. In a so-called two-fluid model of heavy

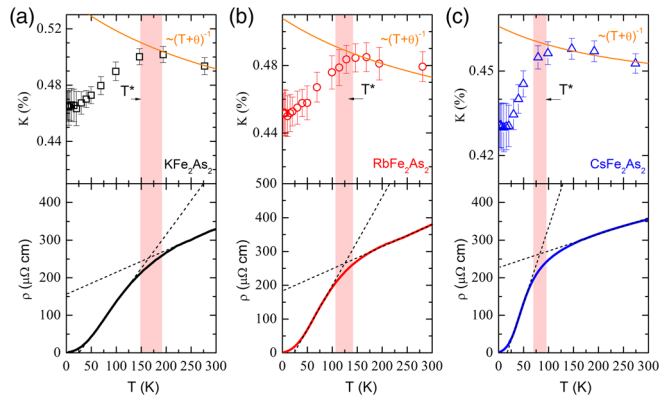


FIG. 2. Top panels: Temperature-dependent Knight shift ( $K$ ) for (a)  $\text{KFe}_2\text{As}_2$ ; (b)  $\text{RbFe}_2\text{As}_2$ ; (c)  $\text{CsFe}_2\text{As}_2$ . External magnetic field ( $B_{\text{ext}}$ ) was applied parallel to the  $c$  axis with a magnitude of 12 Tesla. Solid lines represent simulated Curie-Weiss behavior to fit  $K(T)$  above  $T^*$ . The values of  $\theta$  are determined from the Curie-Weiss fitting on the corresponding bulk magnetic susceptibility (See Supplemental Material [21]). Bottom panels: Temperature-dependent resistivities for (a)  $\text{KFe}_2\text{As}_2$ ; (b)  $\text{RbFe}_2\text{As}_2$ ; (c)  $\text{CsFe}_2\text{As}_2$ . The dashed lines are two tentative  $T$ -linear trends to extract the value of  $T^*$  from resistivity. The bold pink lines mark nearly the same  $T^*$  determined by Knight shift and resistivity.

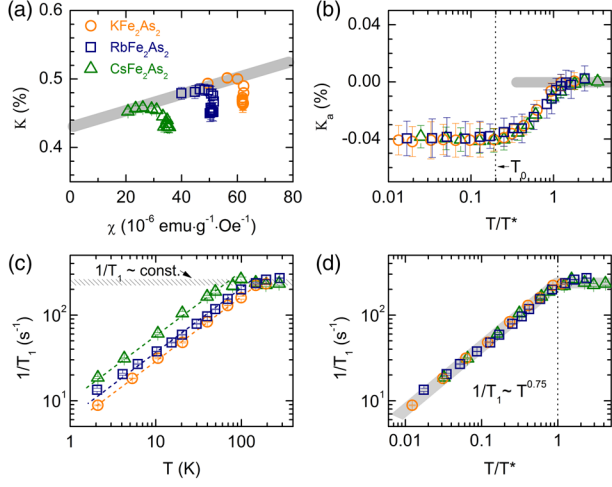


FIG. 3. (a)  $K - \chi$  plot for  $A\text{Fe}_2\text{As}_2$  ( $A = \text{K, Rb, Cs}$ ). The Knight shift data used here are the same as that in Fig. 2. The grey bold line is a guide for eyes. It points out a clear deviation from linear behavior around  $T^*$ . Here, the Curie-Weiss tail contribution on bulk magnetic susceptibility ( $\chi$ ) has already been subtracted (See Supplemental Material [21]). Although there is some unavoidable error for determined bulk magnetic susceptibility from estimation on the Curie-Weiss tail, this would not change the main conclusion in the present Letter. (b) Scaling behavior for the anomalous Knight shift ( $K_a$ ). The definition of  $K_a$  is described in the main text. The dotted line represents another characteristic temperature  $T_0$ , below which the anomalous Knight shift becomes saturated. Here,  $T_0$  is about  $0.2T^*$ . (c) Temperature-dependent  $1/T_1$  for  $A\text{Fe}_2\text{As}_2$  family ( $A = \text{K, Rb, Cs}$ ). The experimental details for  $1/T_1$ , see Supplemental Material [21]. Above  $T^*$ ,  $1/T_1$  exhibits a temperature independent behavior. Below  $T^*$ , all samples exhibit a similar temperature dependence with  $1/T_1 \sim T^{0.75}$ . (d) Scaling behavior for temperature-dependent  $1/T_1$  in  $A\text{Fe}_2\text{As}_2$  ( $A = \text{K, Rb, Cs}$ ). The grey bold line represents a universal scaling behavior with  $1/T_1 \sim (T/T^*)^{0.75}$ .

fermions [30,31], the Knight shift anomaly is ascribed to the coexistence of an itinerant Kondo liquid (KL) and local spin liquid (SL). The total bulk magnetic susceptibility could be expressed as  $\chi = f(T)\chi_{\text{KL}} + [1 - f(T)]\chi_{\text{SL}}$ , where  $f(T)$  is an order parameter to characterize the emergent KL component. The corresponding Knight shift is  $K = K_0 + Af(T)\chi_{\text{KL}} + B[1 - f(T)]\chi_{\text{SL}}$ , in which the spin liquid component is coupled to the probe nucleus by a transferred hyperfine coupling constant  $B$ , while the itinerant KL component is coupled by a direct hyperfine coupling  $A$ .  $K_0$  is a constant offset from orbital contribution. Then, the emergent anomalous part of the Knight shift is  $K_a = K - K_0 - B\chi = (A - B)f(T)\chi_{\text{KL}}$ , which is proportional to  $\chi_{\text{KL}}$  and shows a universal  $T^*$  scaling behavior in  $f$ -electron HF materials. In the current case, we also adopt the two-fluid model to analyze the Knight shift anomaly. In Fig. 3(b), the extracted  $K_a$  for  $A\text{Fe}_2\text{As}_2$  ( $A = \text{K, Rb, Cs}$ ) shows a perfect  $T^*$  scaling behavior similar to the  $f$ -electron HF systems. In  $f$ -electron HF systems,  $f(T) \sim (1 - T/T^*)^{3/2}$  and  $\chi_{\text{KL}} \sim 1 + \ln(T^*/T)$ .

The corresponding scaling behavior of  $K_a$  is proportional to  $(1 - T/T^*)^{3/2}[1 + \ln(T^*/T)]$ . It shows a divergent behavior as  $T \rightarrow 0$ , which is regulated by the divergence in the Sommerfeld coefficient ( $\gamma \sim \chi_{\text{KL}}$ ). For  $A\text{Fe}_2\text{As}_2$  ( $A = \text{K, Rb, Cs}$ ), the scaling curve shows a saturation behavior below a characteristic temperature  $T_0$  instead of divergent behavior as  $T \rightarrow 0$ . Since specific heat measurement for  $A\text{Fe}_2\text{As}_2$  ( $A = \text{K, Rb, Cs}$ ) shows a temperature-independent Sommerfeld coefficient at low temperature (See Supplemental Material [21]), the saturation of  $K_a$  indicates that  $f(T)$  reaches an upper limit and becomes constant below  $T_0$ . These results imply that the KL component in the two-fluid description is completely dominated, while the local spin liquid component disappears below  $T_0$ . Similar saturation behavior is also observed in  $f$ -electron HF materials, e.g.,  $\text{CeSn}_3$  and  $\text{URu}_2\text{Si}_2$  [30,31]. In this case, a Landau Fermi-liquid behavior would emerge at lower temperature as expected in the two-fluid model [5]. This is also consistent with the previous observation of a  $T^2$  behavior in charge transport, a temperature-independent Sommerfeld coefficient, and a Wilson ratio close to unity at low temperature [20]. Therefore, these observations strongly support a consistent Kondo lattice scenario under the two-fluid model.

In addition, we also studied the low-energy magnetic fluctuation for  $A\text{Fe}_2\text{As}_2$  ( $A = \text{K, Rb, Cs}$ ). As shown in Fig. 3(c), we measured the temperature-dependent spin-lattice relaxation rate ( $1/T_1$ ) which is related to the dynamical magnetic susceptibility  $\text{Im}\chi_{\perp}(q, \omega_n)$  with  $1/T_1 = 2\gamma_n^2 T \sum_q A_{\perp}^2(q) \text{Im}\chi_{\perp}(q, \omega_n) / \omega_n$ , where  $A_{\perp}(q)$  is the transferred hyperfine coupling tensor perpendicular to the external field direction at  $^{75}\text{As}$  sites and  $\omega_n = \gamma_n H$  is the NMR frequency. Usually,  $1/T_1$  in the Landau Fermi-liquid state follows a Korringa-type behavior with  $1/T_1 T \sim N^2(E_F)$ , where  $N(E_F)$  is the density of state at the Fermi level and is temperature-independent. If local moments dominate the low-energy magnetic fluctuation,  $1/T_1$  would obey a Curie-type behavior with  $1/T_1 T \sim T^{-1}$ . In Fig. 3(c), the temperature-dependent  $1/T_1$  for  $A\text{Fe}_2\text{As}_2$  ( $A = \text{K, Rb, Cs}$ ) exhibits a similar crossover behavior at  $T^*$  to the Knight shift and resistivity shown in Fig. 2. Above  $T^*$ ,  $1/T_1$  shows a temperature-independent behavior, suggesting a local-moments dominated behavior. With decreasing temperature below  $T^*$ , a well-defined power-law behavior emerges with  $1/T_1 \sim T^{0.75}$ . Similar crossover behavior in  $1/T_1$  has been observed in  $f$ -electron HF materials [4], in which the power index is different and strongly dependent on the type of quantum criticality nearby, such as 0 for  $\text{YbRh}_2\text{Si}_2$  [32], 0.25 for  $\text{CeCoIn}_5$  [33], and 1 for  $\text{URu}_2\text{Si}_2$  [34]. The observed  $T^{0.75}$  power-law behavior in  $A\text{Fe}_2\text{As}_2$  ( $A = \text{K, Rb, Cs}$ ) might be ascribed to a specific quantum criticality, but it is still not very clear at the present stage [18,35], which needs further investigation. In Fig. 3(d), we also plot  $1/T_1$  as a function of the renormalized temperature ( $T/T^*$ ) for



$A\text{Fe}_2\text{As}_2$  ( $A = \text{K}, \text{Rb}, \text{Cs}$ ), and a universal scaling behavior for  $1/T_1$  is observed. It suggests that the same scaling rule in the Knight shift anomaly also dominates the low-energy magnetic fluctuation below  $T^*$ . By  $T^*$  scaling, we can extract a universal  $1/T_1$  formula in the coherent state,  $1/T_1 = C(T/T^*)^{0.75}$ , where  $C = 238 \pm 2 \text{ s}^{-1}$ .

A recent high-resolution ARPES experiment has observed a temperature-dependent hybridization gap between  $d_{xy}$  and  $d_{xz}$  bands in iron chalcogenide superconductors [36]. Meanwhile, a considerable band renormalization effect was also revealed for the  $d_{xy}$  band. This result might be treated as a possible microscopic picture for the Kondo lattice scenario proposed in the present Letter. The  $d_{xy}$  band would play the role of local moments as  $f$ -electrons did in HF materials. The first principle calculation also supports the local character for the  $d_{xy}$  band in  $\text{KFe}_2\text{As}_2$  [20], which is consistent with quantum oscillation [14] and the ARPES experiment [15]. Further high-resolution ARPES experiments to explore the hybridization gap and Kondo coherent peak would be required to complete the microscopic picture for the Kondo lattice scenario in  $A\text{Fe}_2\text{As}_2$  ( $A = \text{K}, \text{Rb}, \text{Cs}$ ).

In various  $f$ -electron HF superconductors, the  $T_c$  is always less than the order of  $0.1T^*$  [37]. In Fig. 4, we show a summary plot for the relationship among  $T_c$ ,  $T^*$ , and  $\gamma$ . Although an empirical limitation of  $T_c$  is set to  $0.1T^*$ , it's very clear that higher  $T^*$  favors higher  $T_c$ . In Kondo lattice systems,  $T^*$  follows an empirical scaling behavior with  $T^* = cJ^2\rho$  [4], in which  $J$  is the local Kondo coupling, and  $\rho$  is the density of states of the conduction electrons coupled to the local spins and  $c$  is a constant determined by the details of the hybridization and the conduction electron Fermi surface. The relationship between  $T_c$  and  $T^*$  (in Fig. 4) suggests that the unconventional superconductivity in HF superconductors is correlated to local magnetic coupling [37]. Based on the present NMR results, it's reasonable to classify the  $A\text{Fe}_2\text{As}_2$  family ( $A = \text{K}, \text{Rb}, \text{Cs}$ ) as new HF superconductors without  $f$  electrons. As expected under the Kondo lattice scenario, the  $A\text{Fe}_2\text{As}_2$  family ( $A = \text{K}, \text{Rb}, \text{Cs}$ ) exhibits a consistent tendency with the  $f$ -electron HF superconductors as shown in Fig. 4. The systematic evolution of local magnetic coupling due to modification of Fe-Fe distance by the alkali metal with a different ionic radius might be responsible for the variation of  $T^*$  in  $A\text{Fe}_2\text{As}_2$  family ( $A = \text{K}, \text{Rb}, \text{Cs}$ ) [35]. On the other hand,  $T^*$  is also expected to be related to the Sommerfeld coefficient with  $\gamma^{-1} \sim T^*$  in the two-fluid model of heavy fermions as the KL component becomes dominated at low temperature [5]. As shown in Fig. 3(b), the observed KL component in  $A\text{Fe}_2\text{As}_2$  family ( $A = \text{K}, \text{Rb}, \text{Cs}$ ) also becomes dominated below  $T_0$ . Therefore, we would expect that the Sommerfeld coefficients at low temperature should be correlated to  $T^*$ . As shown in Fig. 4, the Sommerfeld coefficients of  $A\text{Fe}_2\text{As}_2$  family ( $A = \text{K}, \text{Rb}, \text{Cs}$ ) do follow the same  $T^*$  dependent behavior as the  $f$ -electron HF

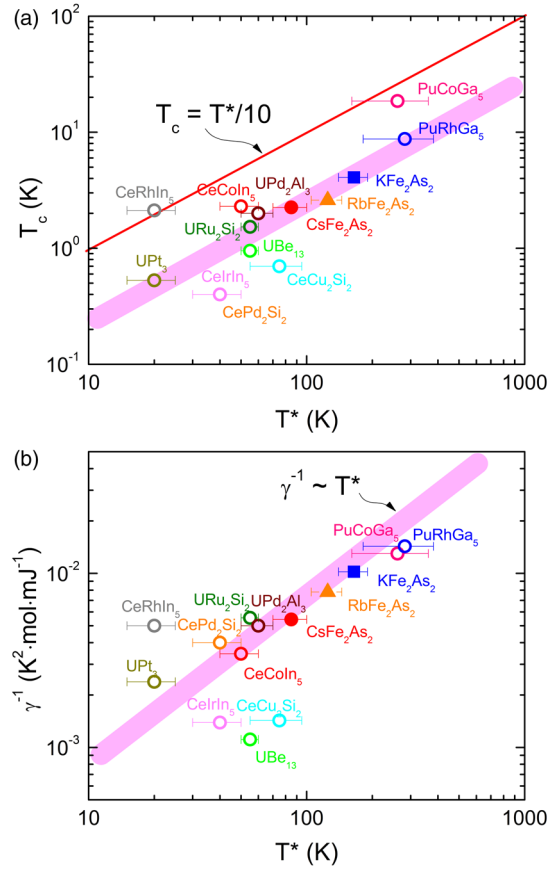


FIG. 4. (a) The correlation between the superconducting temperature  $T_c$  and the characteristic Kondo temperature  $T^*$  for  $f$ -electron HF superconductors and  $A\text{Fe}_2\text{As}_2$  ( $A = \text{K}, \text{Rb}, \text{Cs}$ ). The red line is an empirical upper limit for the maximum of  $T_c$  for  $f$ -electron HF superconductors with a given  $T^*$ . The grey bold line is a guide for the eyes. It represents a universal tendency for the evolution of  $T_c$  with  $T^*$ . (b) The correlation between the Sommerfeld coefficient ( $\gamma$ ) and  $T^*$  for  $f$ -electron HF superconductors and  $A\text{Fe}_2\text{As}_2$  ( $A = \text{K}, \text{Rb}, \text{Cs}$ ). The grey bold line represents a universal relationship with  $\gamma^{-1} \sim T^*$ . It's clear that the reciprocal of the Sommerfeld coefficient in  $A\text{Fe}_2\text{As}_2$  ( $A = \text{K}, \text{Rb}, \text{Cs}$ ) follows the grey bold line for most of  $f$ -electron HF superconductors. All data used in Fig. 4 are listed in the Supplemental Material [21].

superconductors. All these results further qualify  $A\text{Fe}_2\text{As}_2$  family ( $A = \text{K}, \text{Rb}, \text{Cs}$ ) as  $d$ -electron HF superconductors under the frame of the Kondo lattice scenario.

In FeSCs, whether the pairing mechanism is from a weak coupling or strong coupling scenario has been intensively discussed in the past several years. To date, neither the weak coupling approach based on itinerant electrons, nor the strong coupling approach based on local moments is sufficient to account for all existing experimental results [19]. Both the itinerant electrons and local moments should be taken into account, which is somehow similar to the situations in heavy fermions. However, the physics for the involvement of itinerant electrons and local moments is, so far, still not clear. Our present findings shed new light on

this issue and clarify the underlying Kondo lattice physics. It would definitely improve our understanding of iron-based superconductors. On the other hand, as suggested by Fig. 4(a), an empirical route to understanding high- $T_c$  superconductivity in the frame of HF physics is that high  $T^*$  favors high  $T_c$  [37], which also offers a way to search high- $T_c$  superconductors. Here, in  $d$ -electron HF materials, the  $T^*$  would be expected to be higher than that of  $f$ -electron HF materials due to the stronger hybridization effect. Whether the newly discovered high- $T_c$  superconductivity in FeSCs could be understood in this way would be an interesting issue. This would be helpful for building a universal picture of unconventional superconductivity in both FeSCs and HF superconductors.

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