## Control of Stimulated Raman Scattering in the Strongly Nonlinear and Kinetic Regime Using Spike Trains of Uneven Duration and Delay

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Stimulated Raman scattering (SRS) in its strongly nonlinear, kinetic regime is controlled by a technique of deterministic, strong temporal modulation and spatial scrambling of laser speckle patterns, called spike trains of uneven duration and delay (STUD) pulses [B. Afeyan and S. Hüller (unpublished)]. Kinetic simulations show that the proper use of STUD pulses decreases SRS reflectivity by more than an order of magnitude over random-phase-plate or induced-spatial-incoherence beams of the same average intensity and comparable bandwidth.

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Laser-plasma instabilities (LPI) pose a risk to realizing laser-driven inertial confinement fusion (ICF) ignition [1]. The present approach is to use continuous, ns-time-scale illumination of a target with high-intensity laser beams. However, this may prove to be less than ideal when compared with a novel technique [2-4] employing intermittent, scintillating, space-time illumination which may significantly reduce levels of nonlinear optical processes. The efficacy of this spike trains of uneven duration and delay (STUD) pulses technique has been demonstrated in the fluid regime up to moderate gains per laser speckle, where cumulative growth is halted by the use of STUD pulses and saturation is from pump depletion [2–4]. Here we consider application of STUD pulses to stimulated Raman scattering (SRS) in settings where kinetic nonlinearity dominates the driven electron plasma waves (EPW) evolution and multi-laser-speckle, cooperative behavior proceeds through the exchange of hot electrons and SRS scattered light among speckles [5-7]. We find that order-of-magnitude reduction in SRS reflectivity is possible. The key is to keep SRS growth below levels where cooperative behavior among hot spots occurs, thus disallowing self-organization.

SRS is the resonant, three-wave coupling of a light wave into scattered light and EPW. At the National Ignition Facility (NIF), experiments show ~50% inner-cone beam energy loss to SRS [1]. To reduce LPI backscatter, laser facilities such as OMEGA and the NIF employ beam smoothing, whereby random phase plates (RPP) effect a quasiuniform (on the large scale) intensity across the beam though introducing small-scale, high-intensity variations or "speckles" [8]. In vacuum, speckles have size  $4f^2\lambda_0$ (longitudinally) by  $f\lambda_0$  (transversely), where *f* is the laser focal parameter and  $\lambda_0$  is the wavelength. The scaling of SRS reflectivity  $R_{\text{SRS}}$  with laser intensity *I* in a solitary speckle in plasma has been measured [9] and found in the electron trapping regime  $k\lambda_{\text{De}} \gtrsim 0.3$  (*k* is the EPW wave

number and  $\lambda_{\text{De}} = \sqrt{k_B T_e / 4\pi n_e e^2}$  is the Debye length for plasma of electron density  $n_e$  and temperature  $T_e$ ) to increase sharply at a threshold  $I_{\rm th}$  and saturate for  $I > I_{\text{th}}$ . The nonlinear physics in this regime is governed by large-amplitude EPW that trap resonant electrons with speeds along the wave propagation direction matching the wave's phase speed; this reduces Landau damping [10], and lowers the EPW frequency [11]. At high intensity, trapping introduces variation in EPW phase velocity across the speckle and the wave phase fronts bend [12–15]. As EPW grow, secondary, nonlinear processes may break the phase fronts into small-transverse-scale filaments [15-17] that further contribute to saturation. An effect of saturation [5] is the generation of hot electrons and back- and side-scattered light propagating out of hot spots and enhancing SRS growth in neighboring speckles through larger seed levels and reduced EPW damping. At high gain in two spatial dimensions, this coupling enables networks of speckles to exhibit collective behavior with reflectivity exceeding that of the sum of contributions from noninteracting speckles [5]. The nonlinear nature of SRS in this regime is robust, with a threshold at modest laser intensity,  $\gtrsim 10^{14}$  W/cm<sup>2</sup> for NIF laser conditions where  $k\lambda_{\text{De}} \approx 0.3$  and the highest levels of backscatter are found [18].

The use of STUD pulses [2], effective for controlling LPI over long time scales in the fluid regime [2–4], may also inhibit EPW growth in the highly nonlinear, kinetic regime. STUD pulses deliver laser power in a sequence of pulses on the instability growth or hot spot crossing time scale with randomized speckle patterns in between one or more successive spikes. By introducing on-off sequences of pulses and by spatially scrambling locations of hot spots, reinforcing processes within a hot spot and the interconnectivity between hot spots are disrupted. STUD pulses introduce degrees of freedom that can be optimized [2]. These include the ratios  $L_{\rm HS}$ :  $L_{\rm INT}$ :  $L_{\rm spike}$ , where [2].

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the density scale length is  $L_n = |\nabla \log n_e|^{-1}$ ,  $I_{14}$  is intensity in  $10^{14}$  W/cm<sup>2</sup>,  $\nu_2$  and  $\omega_2$  are the local Landau damping rate and frequency of the EPW, respectively,  $\alpha^2 = 1.14 \times 10^{-4} (\lambda_0^{[\mu m]})^2 |V_2/V_1| (n_e/n_{\rm cr})^{-1}$ , and  $V_2/V_1$ is the ratio of group velocities of EPW to scattered SRS light [2]. Spike length  $L_{spike}$  is the distance traveled by scattered light during the "on" time  $\tau_{\rm spike}$  and  $L_{\rm HS} \sim$  $4f^2\lambda_0 = 90 \ \mu m$  is the size of a hot spot (HS) in our plasma. Other degrees of freedom are duty cycle (ratio of  $\tau_{\rm spike}$  to on + off time), spatial scrambling rate  $\times n_{\rm scram}$ (how many spikes before the RPP pattern changes), and "jitter" (small random variations of each  $\tau_{spike}$  to avoid lowfrequency resonances [2]; because in the absence of ion motion or low frequency secondary waves SRS has no such resonances, the calculations here use 0% jitter). Hence, " $5000 \times 1$ , 1:0.5:0.5" indicates a STUD pulse sequence with 50% duty cycle, 0% jitter, and a spike half as long as a hot spot crossing time in plasma where the time to cross  $L_{\rm INT}$  for the three-wave process is also half that of crossing the hot spot. Most of the results we present are for cases  $5000 \times 1$ , 1:0.5:0.5 and 1:0.5:1 in strong to very strong nonlinear kinetic regimes (SRS gains of 4-8.7 at the average intensity) [19]. Note that configurations where "on" time is much greater than "off" time, e.g.,  $8000 \times 1$  or  $9500 \times 1$ , resemble the induced-spatial-incoherence (ISI) model of beam smoothing [20] at the same bandwidth.

To explore STUD pulses in the trapping regime, we ran collisionless VPIC particle-in-cell simulations [21] of a two-dimensional plasma of size  $500 \times 80 \ \mu m$  in (x, z), with laser polarized along y launched at x = 0 as described in Ref. [6]. The laser has wavelength  $\lambda_0 = 0.351 \ \mu m$  and an RPP speckle pattern for f\8 speckles, approximating a NIF inner-cone beam. The density gradient along x has  $n_e = 0.12 n_{\rm cr}$  at the center, varying by  $\pm 0.03 n_{\rm cr}$  across the box, comparable to the  $L_n \sim \text{mm}$  encountered in NIF ignition hohlraums in regions of high SRS backscatter [18]. Taking  $\nu_2 = \nu_2^{\text{Max}}$ , as for Maxwellian plasma, in the  $k\lambda_{\rm De} \approx 0.3$  regime yields  $L_{\rm INT} \sim 46-52 \ \mu {\rm m}$  for the intensities simulated. We use  $36864 \times 4096$  cells ( $\Delta x = 1.2\lambda_{\text{De}}$ and  $\Delta z = 1.7 \lambda_{\text{De}}$ ) and 256 electron macroparticles/cell; the ions are a stationary, neutralizing background [22]. The electrons have  $T_e = 2.6 \text{ keV}$   $(k\lambda_{\text{De}} = 0.3, |\nu_2^{\text{Max}}/\omega_{\text{pe}}| =$ 0.015). The STUD pulse speckle patterns are generated from pre-computed RPP phases for a wide beam, sampling  $80-\mu m$ , nonoverlapping segments for each STUD pulse; such multispeckle VPIC simulations of SRS have been validated in experiments using the Jupiter laser [23]. Each simulation generated STUD pulses from an identical sequence of RPP speckle patterns on the boundaries, but with the STUD pulse intensity, duty cycle, and modulation period varied as per the STUD pulse prescription. (Statistical variation was assessed by altering the sequences of STUD pulses; ~10% relative  $R_{SRS}$  variation was found in a range of cases considered.) The simulation boundaries absorb electromagnetic waves and reinject electrons as Maxwellian at initial temperature  $T_e$ . The simulations were run until apparent "steady-state" in timeaveraged  $R_{SRS}$ , 10–20 ps. Time-averaged  $R_{SRS}$  values were computed by time-averaging the spatially integrated Poynting flux on the left simulation boundary after subtracting the incident laser Poynting flux, then dividing by the time-averaged, incident laser power over the duration of the simulation.

Fig. 1 shows a comparison of three simulations: (a) (top row) is for an RPP beam with  $\langle I \rangle = 5 \times$  $10^{14}$  W/cm<sup>2</sup> (G = 8.7); (c) (bottom) is for a STUD pulse beam of time-averaged intensity  $\langle I \rangle = 3.2 \times 10^{14} \text{ W/cm}^2$ (G = 5.6). Linear SRS gains G are computed from G = $4\pi(\gamma_0/\omega_0)^2(2\pi L_n/\lambda_0)g^{-1}(1-\nu_1\nu_2/\gamma_0^2)$ , where  $(\gamma_0/\omega_0) =$  $0.0043\sqrt{I_{14}}\lambda_0^{[\mu m]}$ ,  $\nu_1$  is the damping rate of the daughter light wave, and  $g(n) \equiv \sqrt{1 - 2\sqrt{n}} [(1/\sqrt{n}) - 1]^{-1}$ , with density *n* normalized to the critical density [2]. Accounting for backscatter, (a) and (c) have comparable net timeaveraged power injected on the left boundary, though (c) has only 64% of the incident time-averaged laser power. Case (b) (center) is for a STUD pulse beam at the same time-averaged incident laser intensity as (a):  $\langle I \rangle = 5 \times$  $10^{14} \text{ W/cm}^2$  (G = 8.7). The leftmost panels show  $E_v$ (or the vacuum speckle pattern for the RPP case). The

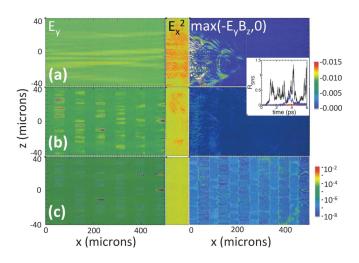


FIG. 1 (color).  $E_y$  (left) and corresponding instantaneous backscattered Poynting flux max  $(-E_yB_z, 0)$  (right) over the twodimensional simulation volume for cases: (a) an RPP laser beam at average laser intensity  $\langle I \rangle = 5 \times 10^{14}$  W/cm<sup>2</sup> (top), (b) a 5000 × 1, 1:0.5:0.5 STUD pulse beam at time-averaged incident laser intensity  $\langle I \rangle = 5 \times 10^{14}$  W/cm<sup>2</sup> (center); and, (c) the same STUD pulse beam, but with  $\langle I \rangle = 3.2 \times 10^{14}$ W/cm<sup>2</sup> (bottom) (note logarithmic scale on Poynting flux). The center panels are  $E_x^2$  for the leftmost 80  $\mu$ m of each simulation, showing EPW wave amplitude correlated with instantaneous SRS backscattered Poynting flux. The inset is reflectivity vs time for cases (a) (black) and (b) (blue); (c) (red) evinces negligible backscatter. The times shown are 1.6 ps (a) and 3.6 ps (b),(c), chosen when large, bursts of SRS backscatter were present in (a) and (b).

rightmost panels are backscattered Poynting flux  $\max(-E_{\nu}B_{\tau}, 0)$ . Case (a) evinces continual bursts of self-organized backscatter with peak  $R_{SRS} > 1$ . In (c), no self-organization is seen in backscattered light or longitudinal electric field. Case (b) is intermediate, with quiescent periods of low backscatter and occasional episodes of partial self-organization when large-amplitude speckles  $(I \gtrsim 10 \langle I \rangle)$  have large-amplitude EPW and secondary processes, such as obliquely side-scattered light, occur at sufficient amplitude to seed SRS in otherwise stable regions of plasma (seen in the finite backscattered SRS Poynting flux across the left of the box). The instantaneous  $R_{SRS}$  at the left boundary for (a–c) is shown in the inset; the times plotted are 1.6 ps for the RPP (during the first large SRS burst), and 3.6 ps for the STUD pulse simulations [during the first, large SRS burst in (b)]. The central panels are  $E_x^2$ over the leftmost 80  $\mu$ m of the volume and indicate EPW correlated with large bursts of SRS in (a) and (b).

In Fig. 2, we compare for (a)–(c) time-integrated hot electron flux per unit area exiting the simulation. The black curves are fluxes leaving the  $\pm z$  boundaries from the left half of the simulation volume, the red curves, leaving  $\pm z$ from the right of the volume, and the blue curves, leaving from the +x boundary. Prior work showed that large fluxes of tail electrons leaving the left of the side boundaries (i.e., large black curves) indicate large-amplitude EPW with nonlinear self-focusing, filamentation, and collective behavior among speckles [6,7]. The three cases evince elevated distribution function tails as a consequence of trapping, though the RPP traps not only far more tail

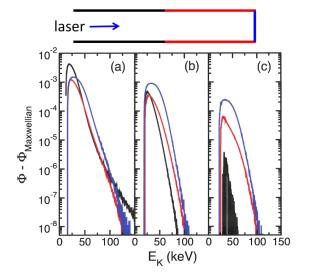


FIG. 2 (color online). Hot electron flux per unit length  $\Phi$  vs electron energy ( $E_K$ ) for the three simulations in Fig. 1. Shown are trapped particle fluxes, obtained by subtracting contributions from a Maxwellian (time-averaged over the duration of the simulation). Fluxes are measured on boundary regions, as indicated by the colors (c.f. the simulation box above, drawn to scale):  $z = \pm 40 \ \mu$ m,  $0 < x < 250 \ \mu$ m (black);  $z = \pm 40 \ \mu$ m,  $250 < x < 500 \ \mu$ m (red) and  $x = 500 \ \mu$ m (blue).

electrons [60× more than (c), 6× more than (b)], but also shows far more side-scattered hot electrons exiting nearest the laser entrance; moreover, hot electrons at very high energy ( $E_K > 100 \text{ keV}$ ) are present (absent for the STUD pulse beams). The use of STUD pulses has decreased the number of hot electrons exchanged laterally among laser speckles, key to interspeckle self-organization [7] and a possible contributor to capsule preheat in ICF experiments. In Fig. 3, we compare angular spread of SRS scattered light. The use of STUD pulses dramatically reduces SRS power (and hence, amplitude of the SRS seed in neighboring speckles). As with the RPP, the angular spread is finite, with most of the power falling outside the incident laser cone  $|\theta| < 1/2f$  shown by the vertical lines. While the coherent, oblique cones of backscattered light are not unique to this regime (they appear in paraxial models with diffraction [2,24]) additional side-scatter results from trapping and EPW filamentation [5,17] absent in fluid models; the use of STUD pulses reduces these side-scatter levels.

Finally, in Fig. 4, we compare the dependence of  $R_{\text{SRS}}$  on time-averaged incident laser intensity (left) and linear gain at the average intensity (right) for RPP and STUD pulses. STUD pulses reduce  $R_{SRS}$  compared with RPP and ISI-like beams with the same time-averaged laser power even in cases of high linear gain. As seen from comparison of the  $R_{\text{SRS}}$  from the ISI-like points (the 8000 × 1, 1:0.5:0.5 and  $9500 \times 1$ , 1:0.5:0.5) and  $5000 \times 1$ , 1:0.5:0.5 cases, "healing time" is key: it is not enough to simply add bandwidth and spatial scrambling. By optimizing this healing time for given on + off time and time-averaged power, STUD pulses may be fashioned to significantly outperform ISI. From comparison of the  $5000 \times 4$ , 1:0.5:0.5 and the  $5000 \times 1$ , 1:0.5:0.5 cases, we find that spatial scrambling of the hot spot locations is also necessary to minimize recurrence and correlation among hot

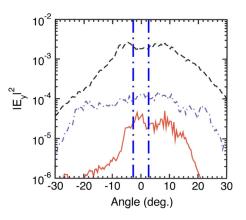


FIG. 3 (color online). Angular distribution of the time-averaged backscattered light power for cases (a) (black, dashed), (b) (dot-dashed, blue), and (c) (red) as in Figs. 1 and 2. The spectra for (b) and (c) evince lower backscattered light power, but finite angle with respect to the incident laser (cone angle  $|\theta| < 1/2f$ , shown by the vertical lines).

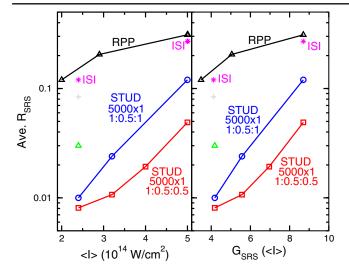


FIG. 4 (color online). SRS reflectivity vs average incident intensity (left) and linear gain (right) for RPP and a variety of STUD-pulse beams. The black ( $\triangle$ ) are for RPP. Red ( $\Box$ ) and blue ( $\circ$ ) curves are for STUD pulses with 5000 × 1, 1:0.5:0.5 and 5000 × 1, 1:0.5:1 (i.e., twice the "on" time) for the latter density profile. The magenta points labeled "ISI" are for STUD pulses with 8000 × 1, 1:0.5:0.5 (left) and 9500 × 1, 1:0.5:0.5 (right) and indicate little advantage over RPP for the conditions shown. The green ( $\triangle$ ) is for STUD pulses with 5000 × 4, 1:0.5:0.5, i.e., scrambling every four pulses. The (+) is for 2000 × 1, 1:0.5:0.5.

spots. Also, for fixed on + off time and time-averaged power, lengthening the off time requires shortening  $\tau_{spike}$ and increasing average speckle intensity correspondingly. Taken to an extreme, this can enhance trapping and associated EPW nonlinearity, evinced by the  $2000 \times 1$ datum in Fig. 4 [which also has significant hot electron sidescatter (not shown) compared with the  $5000 \times 1$ , 1:0.5:0.5 case at the same average power]. Incidentally, because of how geometry affects speckle coupling, crossspeckle coupling through SRS side-loss hot electrons is lower in three dimensions vs two dimensions [7] and the probability of spatial recurrence of hot spots is smaller in three dimensions. Consequently, advantages of STUD pulses in the nonlinear, kinetic regime of SRS should be more pronounced in three dimensions.

Examination of velocity distribution functions and EPW amplitudes shows strong trapping and only modest EPW damping between pulses. This trapping modifies  $L_{\text{INT}}$  and suggests possible threshold behavior when  $L_{\text{INT}} > L_{\text{spike}}$ and SRS goes from strong to weak damping. Consider the two 5000 × 1 STUD pulse cases at the highest intensity (G = 8.7). In the former, SRS in the largest amplitude hot spots  $(I \gtrsim 10\langle I \rangle)$  would be in the weak damping limit if one were to apply the inferred  $\nu_2$  from simulations ( $\approx 0.1\nu_2^{\text{Max}}$ ), and  $L_{\text{INT}} \approx 84 \ \mu\text{m}$ . The 1:0.5:0.5 case, with the lowest  $R_{\text{SRS}}$ , has  $L_{\text{spike}} = 0.56L_{\text{INT}}$  for these maximal speckles, so STUD pulses effectively shorten the interaction length. In contrast, the 1:0.5:1 case has (effectively) no such reduction ( $L_{\text{spike}} \sim L_{\text{INT}}$ ) and only exhibits a modest ( $\sim 2 \times$ ) reduction in  $R_{\text{SRS}}$ .

We have shown that SRS reflectivity may be lowered by an order of magnitude with the use of properly designed STUD pulses when EPW trapping-induced nonlinearity is prevalent. This reduction stems from arresting largeamplitude EPW leading to cooperative behavior among laser speckles through the exchange of hot electrons and backscatter SRS waves. Relative to what we have explored here, two complications arise in realizing these advantages in ICF experiments. (1) The largest reduction of SRS in our study for f speckles required very short pulses and high laser bandwidth (> 3.3 THz for 0.3 ps "on + off" pulse duration), inaccessible on existing ICF lasers (however, if the laser were  $f \ge 0$  as for current NIF beams, then the hot spot traversal time would be 2 ps, and 1 ps STUD pulse modulations (THz) would cut speckles in half and thus may be sufficient to suppress SRS). (2) As found from additional simulations (not shown), the reduction in  $R_{SRS}$ depends on density scale length along the direction of laser propagation, determined by hydrodynamic evolution of the plasma. Achieving optimal STUD pulses in such a setting would require adapting the train of pulses to respond to the changing profiles, a point that has been identified as a key feature of STUD pulses [2].

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