

Influence of a dispersion of magnetic and nonmagnetic nanoparticles on the magnetic Fredericksz transition of the liquid crystal 5CB

Ahmed Mouhli, Habib Ayeub, and Tahar Othman

Université de Tunis El Manar, Faculté des Sciences de Tunis, LR99ES16 Laboratoire de Physique de la Matière Molle et de la Modélisation Electromagnétique (LP3ME), 2092 Tunis, Tunisie

Jérôme Fresnais and Vincent Dupuis

Sorbonne Universités, UPMC Univ Paris 06, UMR 8234, PHENIX, F75005 Paris, France

Ian R. Nemitz, Joel S. Pendery, and Charles Rosenblatt

Dept. of Physics, Case Western Reserve University, Cleveland, Ohio 44106, USA

Olivier Sandre

Univ. Bordeaux, Bordeaux INP, CNRS UMR5629, Laboratoire de Chimie des Polymères Organiques, F33607 Pessac, France

Emmanuelle Lacaze*

Sorbonne Universités, UPMC Univ Paris 06, CNRS UMR 7588, Institut des Nano-Sciences de Paris (INSP), F75005 Paris, France

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A long time ago, Brochard and de Gennes predicted the possibility of significantly decreasing the critical magnetic field of the Fredericksz transition (the magnetic Fredericksz threshold) in a mixture of nematic liquid crystals and ferromagnetic particles, the so-called ferronematics. This phenomenon is rarely measured to be large, due to soft homeotropic anchoring induced at the nanoparticle surface. Here we present an optical study of the magnetic Fredericksz transition combined with a light scattering study of the classical nematic liquid crystal: the pentylcyanobiphenyl (5CB), doped with 6 nm diameter magnetic and nonmagnetic nanoparticles. Surprisingly, for both nanoparticles, we observe at room temperature a net decrease of the threshold field of the Fredericksz transition at low nanoparticle concentrations, which appears associated with a coating of the nanoparticles by a brush of polydimethylsiloxane copolymer chains inducing planar anchoring of the director on the nanoparticle surface. Moreover, the magnetic Fredericksz threshold exhibits nonmonotonic behavior as a function of the nanoparticle concentration for both types of nanoparticles, first decreasing down to a value from 23% to 31% below that of pure 5CB, then increasing with a further increase of nanoparticle concentration. This is interpreted as an aggregation starting at around 0.02 weight fraction that consumes more isolated nanoparticles than those introduced when the concentration is increased above $c = 0.05$ weight fraction (volume fraction 3.5×10^{-2}). This shows the larger effect of isolated nanoparticles on the threshold with respect to aggregates. From dynamic light scattering measurements we deduced that, if the decrease of the magnetic threshold when the nanoparticle concentration increases is similar for both kinds of nanoparticles, the origin of this decrease is different for magnetic and nonmagnetic nanoparticles. For nonmagnetic nanoparticles, the behavior may be associated with a decrease of the elastic constant due to weak planar anchoring. For magnetic nanoparticles there are non-negligible local magnetic interactions between liquid crystal molecules and magnetic nanoparticles, leading to an increase of the average order parameter. This magnetic interaction thus favors an easier liquid crystal director rotation in the presence of external magnetic field, able to reorient the magnetic moments of the nanoparticles along with the molecules.

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I. INTRODUCTION

The dielectric and diamagnetic properties of liquid crystals allow the control of their optical properties using electric or magnetic fields. However, due to their weak diamagnetism, most liquid crystal devices are mainly driven by electric fields. Mixtures of liquid crystals and ferronematic colloidal particles, the so-called ferronematics, have been the subject of a number of experimental and theoretical studies, related to modifications of liquid crystal magnetic [1–5] and electrical

properties [6–10] in the presence of a magnetic field and the recent evidence of possible formation of ferromagnetic behavior in the presence of magnetic nanoplatelets [11]. One main idea of ferronematics is to enhance the weak diamagnetic response of liquid crystals, which is associated with a large magnetic Fredericksz threshold field, of the order of 1–10 kG. The first work of Brochard and de Gennes theoretically showed that, despite their low and diamagnetic susceptibility, the magnetic field threshold of Fredericksz transition could be significantly reduced by manipulation of the nematic director using ferromagnetic nanorods, which reorient under the application of an external magnetic field [12]. A number of measurements have combined dielectric capacitance

*emmanuelle.lacaze@insp.jussieu.fr

measurement and application of a magnetic fields either parallel or perpendicular to the cells [6–10,13], usually allowing for the extraction of the energy of anchoring of liquid crystal molecules on the magnetic nanoparticles surface [14]. The number of direct measurements of the magnetic Fredericksz threshold field in the presence of magnetic nanoparticles is scarce. The maximum decrease with respect to the pure liquid crystal has been found to be of the order of 50% [1,3,15], and recent measurements at room temperature have revealed a decrease of Fredericksz threshold of 35% for magnetic nanospheres covered by dendrimers and dispersed in E7 [5]. The origin of the experimental results has been explained by a number of theoretical works [14,16–19], enlarging on the Brochard and de Gennes theory to include the assumption of nonrigid anchoring. Mainly homeotropic anchoring and negative magnetic anisotropies have been considered, leading to an increase of the magnetic threshold field instead of a decrease [16–18,20], consistent with a number of experimental results [1,3,21]. However, planar anchoring has been studied also in detail recently, leading to the prediction of a decrease of the magnetic threshold [22,23]. Moreover, only nanorods or platelets have been theoretically considered [19,24,25]. A departure with respect to the theory was observed when the condition of small concentration of nanoparticles could no longer be considered as valid, the departure point being estimated at volume fraction near 2×10^{-4} [4].

Here we show the magnetic Fredericksz transition feature for the classical nematic liquid crystal, 5CB (4-pentyl-4-biphenylcarbonitrile) in the presence of magnetic (iron oxide) and nonmagnetic (cerium oxide) nanospheres with planar anchoring for a range of concentrations, including concentrations well above the previously estimated nonaggregation limit (volume fraction between 2×10^{-3} and 4.5×10^{-2} , the citrate ligand and polydimethylsiloxane (PDMS) shell being included in the calculation of volume fraction). We establish the curve of the magnetic Fredericksz threshold evolution with the nanoparticle concentration, up to now only rarely presented in the literature. It leads to the observation of two concentration ranges, one at low concentrations where the influence of single (i.e., individually dispersed) nanoparticles dominates, the second at large nanoparticle concentrations where the influence of aggregates dominates, finally allowing for an unambiguous description of the behavior induced by single nanoparticles. We demonstrate a surprisingly large effect for both magnetic and nonmagnetic nanoparticles, whereas this latter phenomenon had been shown previously with nonmagnetic dopants (carbon nanotubes) but only for low magnetic field values [26]. We combine measurements of the magnetic Fredericksz threshold together with dynamic light scattering (DLS) measurements and evidence the microscopic behavior associated with the observed magnetic threshold decrease of 23% at room temperature for nonmagnetic nanoparticles and of 31% for magnetic nanoparticles, in relation with the planar anchoring of 5CB induced by the PDMS shell coating on the nanoparticles. However, a different influence of both nanoparticles is found concerning the liquid crystal director profile in the nanoparticle vicinity, allowing us to decipher an alternative mechanism as the origin of the threshold field reduction. The magnetic interactions between nanoparticles and liquid crystal molecules are found to be

far from negligible, which could constitute a crucial feature on which to build future theories, including magnetic nanospheres rarely considered in theoretical works [27]. These spherical nanoparticles grafted by a polymer brush are arguably the most interesting dopants for applications, as they are far easier to synthesize than magnetic nanorods.

II. EXPERIMENT

A. Samples, cell preparation

5CB (4-pentyl-4-biphenylcarbonitrile) liquid crystal and Trichloro (1H,1H,2H,2H-perfluorooctyl) silane were purchased from Sigma-Aldrich and used as received. Poly-(aminopropylmethylsiloxane-*b*-dimethylsiloxane), thereafter called PAPMS-*b*-PDMS block copolymer, was purchased from Gelest Inc. USA and used as received. Superparamagnetic nanoparticles ($\gamma\text{Fe}_2\text{O}_3$) were synthesized using the Massart method [28,29]. Postsynthesis size sorting was applied to obtain lower size dispersity [30]. Nonmagnetic cerium oxide nanoparticles (CeO_2) were synthesized by thermohydrolysis of cerium nitrate salt provided by Solvay (Centre de Recherche d'Aubervilliers, Aubervilliers, France) under hydrothermal conditions at neutral or acidic pH. Transmission electron microscopy (TEM) pictures performed on dilute dispersions are shown on Fig. 1 for both particle types. Their analysis allows the determination of the nanoparticle mean diameter and standard deviation. Alternatively, the size distributions were fitted by lognormal functions. Cerium oxide nanoparticles have a median diameter $d_0 = 6.5$ nm and polydispersity $\sigma = 0.14$. Iron oxide nanoparticles have a median diameter $d_0 = 5.7$ nm and polydispersity $\sigma = 0.39$ (Fig. 1). The mean diameters can be deduced by the formula $d = d_0 \exp(\sigma^2/2)$, giving average diameters respectively of 6.6 nm for cerium oxide and 6.2 nm for iron oxide. The particles were functionalized first with a

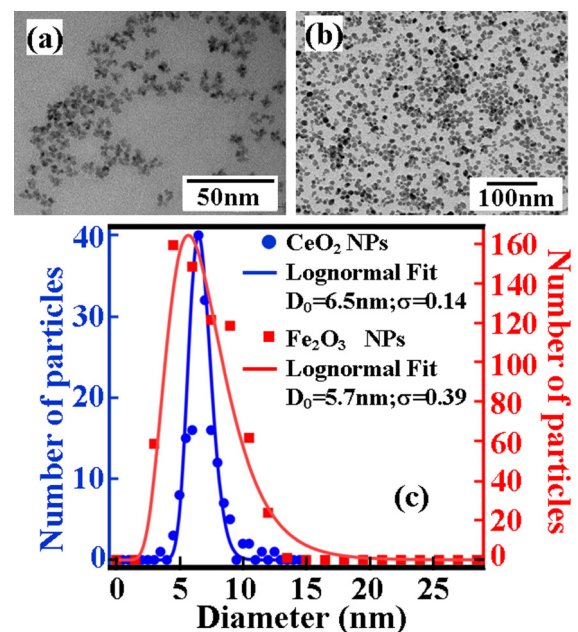


FIG. 1. TEM images of cerium oxide (a) and iron oxide (b) nanoparticles; size distributions from TEM analysis (c).

citrate coating, then coated by the PAPMS-b-PDMS block copolymer and dispersed in dichloromethane, which consists in a slightly modified pathway compared to previously published work [31]. Both nanoparticles are made of a metal oxide exhibiting hydroxyl groups, thus with the same propensity to be coated first by the citrate layer, then with the PAPMS-b-PDMS which forms a PDMS brush around the citrate self-assembled monolayer. The PDMS shell is expected to be of width around 2 nm, 5CB being a bad solvent for the PDMS block. This leads to a difference in size not larger than 4% between magnetic and nonmagnetic nanoparticles in the presence of the PDMS shell. The PDMS shell is also expected to smooth the small remaining difference in size, size polydispersity, and faceting between the two nanoparticles. If the magnetic nature of the particles is ignored, the two kinds of nanoparticles behave regarding anchoring of 5CB molecules as if they were plain PDMS particles of very similar size, shape, and polydispersity.

To fabricate observation cells and achieve homeotropic anchoring of 5CB on the glass substrate, a glass sheet purchased from SOLEMS-France was cut in pieces (20 × 15 × 1 mm) that were cleaned with acetone in an ultrasonic cleaner for 30 min and rinsed with distilled water. The glass slides were treated for 2 min in a O₂ plasma reactor (Diener Femto) at 0.5 mPa to activate the surfaces with Si-OH moieties. Slides were placed rapidly into a desiccator at 100 °C with trichloro (1H,1H,2H,2H-perfluorooctyl) silane for 60 min in order to induce chemical bonding between glass slides and the silane deposited in the vapor phase, with the silane inducing homeotropic anchoring of 5CB because of its hydrophobic and oleophobic character.

A solution of 5CB was prepared at 1% by weight in dichloromethane. The necessary amount of the iron oxide nanoparticles dispersed in dichloromethane was added to reach the final concentration. Dichloromethane from the mixture was evaporated at 60 °C on a hot plate then cooled down rapidly on ice. The mixture was placed on a silanized hydrophobic glass slide at room temperature. Then, Mylar spacers were used to ensure a 50 μm gap and the second hydrophobic glass slides was placed on top to form the cell. The sample was placed in the cell holder for measurements with a final concentration of cerium oxide or iron oxide nanoparticles ranging from 0.01 to 0.15 weight fraction.

B. Birefringence under magnetic field: Setup

The experimental setup used for investigation of the Fredericksz transition in pure and nanoparticle doped liquid crystals is shown on Fig. 2(a). It consists of a computer-controlled electromagnet with a gap of 18 mm that allows applying a homogeneous magnetic field up to 1 T. The magnetic field was applied in the plane of the sample cell [Fig. 2(b)] to induce the Fredericksz reorientation transition, resulting in the appearance of a nonzero birefringence in the sample. To measure this birefringence, we used a He-Ne laser beam linearly polarized at 45° from the magnetic field direction, so that each component sees a different optical index, respectively $n_{||}$ and n_{\perp} [Fig. 2(c), $\Delta n = n_{||} - n_{\perp}$ is the birefringence of the sample]. If the integrated birefringence over the light path is not an integer multiple of 2π , the light emerging from the sample

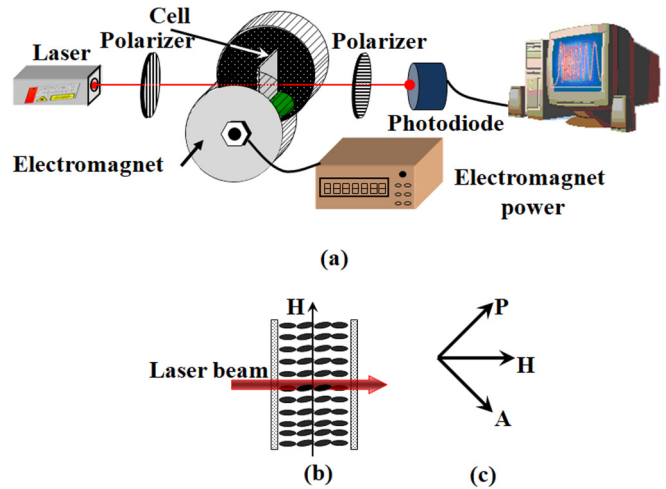


FIG. 2. (a) Experimental setup: a linearly polarized red laser beam passes through the sample submitted to an in-plane magnetic field and is analyzed by a polarizer and a photodiode; (b) sketch of a sample cell submitted to a magnetic field H showing the competition between homeotropic anchoring on the cell walls and the magnetic alignment force. (c) the laser beam propagate along the polarizer axis (P) which is at 45° from the magnetic field direction (H), the initial direction of the analyzer (A) is perpendicular to (P).

is elliptically polarized and is analyzed by a second polarizer crossed with respect to the first. The light is detected by a photodiode whose voltage is output into a computer. A typical experiment consists in the recording of the birefringence signal while slowly ramping the magnetic field.

C. Birefringence under magnetic field: Data analysis

The typical signal collected on the photodiode is shown in Fig. 3. It consists of a succession of peaks given by the expression for the transfer function, where e is the cell thickness,

$$I(H) = I_0 \sin^2 \left(\frac{2\pi e \Delta n(H)}{2\lambda} \right). \tag{1}$$

Each time the argument of the sine is equal to $m\pi$, with m an integer, the signal passes through an extremum. Thus it is

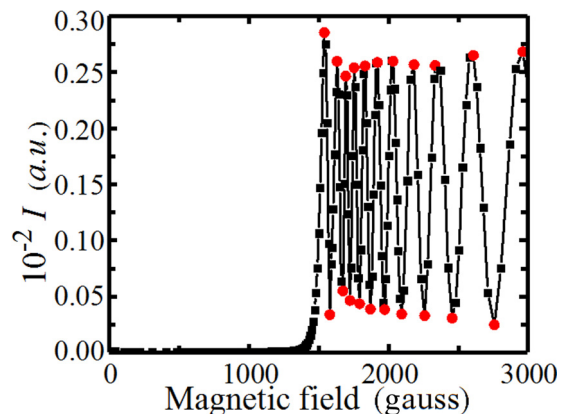


FIG. 3. Typical signal collected by the photodiode. The red dots correspond to the extrema where the phase lag equals $m\pi/2$, where m is an integer.

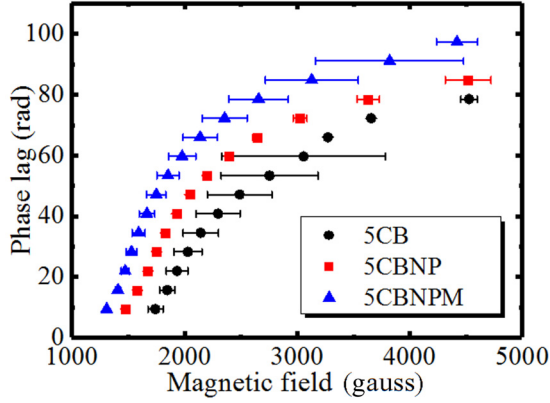


FIG. 4. Integrated birefringence (represented by the phase lag) vs field for the pure 5CB and 0.05wt. fraction doped 5CB with nonmagnetic nanoparticles (5CBNP) and magnetic nanoparticles (5CBNPM).

possible to reconstruct the field dependence of the integrated birefringence step by step by locating the different field values at which the extrema appear. The corresponding integrated birefringence is presented as a function of magnetic field in Fig. 4, for pure 5CB (black circle), for 5CB with nonmagnetic nanoparticles (red square, concentration 0.05 weight fraction), and for 5CB with magnetic nanoparticles (blue triangle, concentration 0.05 weight fraction). The signal is at first nearly flat and equal to zero, then birefringence starts to rise continuously with the field intensity, before reaching a plateau value. The threshold of the magnetic field, H_c , above which the birefringence changes (magnetic Fredericksz transition threshold), is determined through an extrapolation of the rising curve and the determination of its intersection with the x axis. The evolution of H_c is presented in Fig. 5 as a function of the nanoparticle weight concentration, for nonmagnetic nanoparticles (cerium oxide nanoparticles, red circle) and for magnetic nanoparticles (iron oxide nanoparticles, blue square). We observe that not only magnetic nanoparticles, but also nonmagnetic nanoparticles, influence H_c : first a decrease of the magnetic threshold is observed with increasing nanoparticle concentration until a minimum threshold magnetic field is

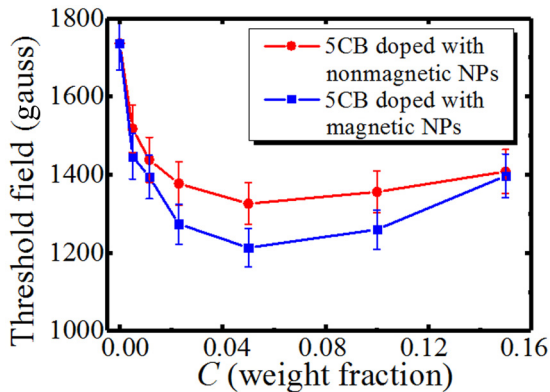


FIG. 5. Evolution of the magnetic threshold field as a function of the nanoparticle weight concentration for nonmagnetic and magnetic nanoparticles.

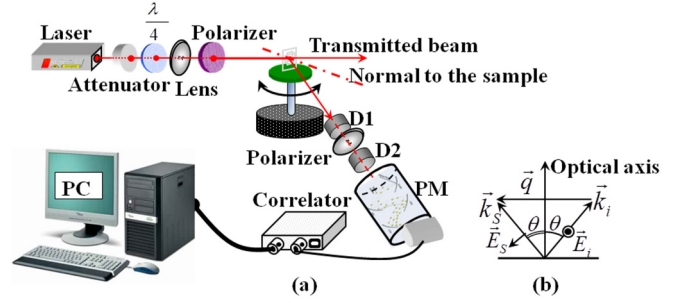


FIG. 6. (a) Experimental setup of the dynamic light scattering (DLS). (b) The scattering geometry, where the wave vector k_s of the scattered light is quasisymmetric to the wave vector k_i of the incident light with respect to the optical axis (exactly symmetric in air), with an ordinary polarization for the incident light and an extraordinary polarization for the scattered light.

reached for a concentration around 0.05 weight fraction. H_c then increases with increasing concentration.

D. Dynamic light scattering measurement

The study of the viscoelastic behavior of nematic liquid crystal cells doped with nanoparticles was performed using dynamic light scattering (DLS). The light beating technique consists in measuring the autocorrelation function $C(t)$ of the photocurrent associated with light scattered by thermal fluctuations of the nematic director. The cell was placed onto a goniometer stage that allows for scanning the incident angle in the range 3° to 15° . A vertically polarized laser beam passes through a convergent lens and then reaches the cell at a defined incidence angle θ [Fig. 6(b)]. This allows us to increase the light intensity in the scattering volume and to reduce the number of the coherence areas on the sensitive surface of the photocathode of the detector. We define the coherence number, N , as the ratio between the surface of the photocathode of the photomultiplier and a coherence area, which is the set of points for which the electromagnetic field of the light wave has the same phase (zero phase shift). In our case, this number is smaller than one ($N \approx 0.02$). The scattered light is collected through two diaphragms D1 and D2, both placed before of the detector [Fig. 6(a)]. The first diaphragm D1 selects the direction of the scattered wave vector and reduces the noise. The diaphragm D2 defines the number of coherence areas on the sensitive surface of the photodetector. The diaphragms D1, D2, and the detector are placed on a rotating arm whose axis of rotation coincides with the goniometer axis [Fig. 6(a)]. The detection of the scattered light is carried out using a photomultiplier tube followed by a correlator that gives the auto correlation function which is then fitted with a theoretical model [32]. We work in a scattering geometry associated with a nearly pure twist mode. The wave vector k_s of the scattered light is symmetric to the wave vector k_i of the incident light with respect to the optical axis in the air (equal incident and scattering angles in air θ). This means that in air, the scattering vector q is perpendicular to the optical axis. In the liquid crystal, k_i and k_s are not exactly symmetric but it can be shown that with an ordinary polarization for the incident light and an extraordinary

polarization for the scattered light, the parallel component of the scattering vector q can be neglected with respect to the perpendicular component, q_{\perp} ($q_{\parallel}/q_{\perp} < 2 \times 10^{-5}$) [Fig. 6(b)] [32].

The fitting of the experimental autocorrelation function allows for the determination of the relaxation time of the twist deformation mode. For the fitting, the following equation has been used:

$$C(t) = A \exp(-t/\tau) + B \exp(-2t/\tau) + C, \quad (2)$$

where τ is the relaxation time corresponding to the collective excitations of the twist mode. τ is experimentally shown to depend on the incident angle in air θ , as it relates to the diffusion coefficient. $D = 1/(\tau q_{\perp}^2)$: in the twist mode where q_{\parallel} can be neglected with respect to q_{\perp} , $\tau = \eta/(K_2 q_{\perp}^2)$, with η the rotational viscosity, K_2 the twist elastic coefficient, and q_{\perp} the wave-vector transfer, perpendicular to the optical axis [32–34]. As a result, D does not depend on the incident angle and can be extracted from the τ measurement using the q_{\perp} value: $q_{\perp} = 4(\pi/\lambda) \sin(\theta)$. Figure 7 shows that D initially increases when the concentration of nanoparticles increases, with a curve shape approximately inverse from the one of the magnetic Fredericksz threshold (Fig. 5). After a maximum value, D starts to decrease when the concentration of both nanoparticles is increased above a critical concentration of the order of 0.05 weight fraction, i.e., analogous to the value at the minimum threshold field of the Fredericksz transition.

III. DISCUSSION

(i) When the concentration c increases, we observe a decrease of H_c down to a minimum at 0.05 weight fraction, followed by a reversal of this trend for concentrations larger than 0.05 weight fraction. This observation can be interpreted by the presence of aggregates of nanoparticles. Evidence of aggregation is indeed revealed by optical microscopy between crossed polarizers, already for concentrations equal to 0.02 weight fraction (Fig. 8). This observation is supported by the DLS measurements, demonstrating that the diffusion coefficient D presents a maximum at the same concentration

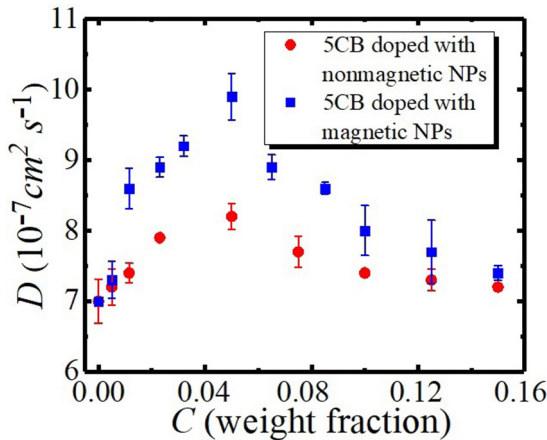


FIG. 7. Evolution of the diffusion coefficient as a function of the nanoparticle weight concentration for nonmagnetic and magnetic nanoparticles.

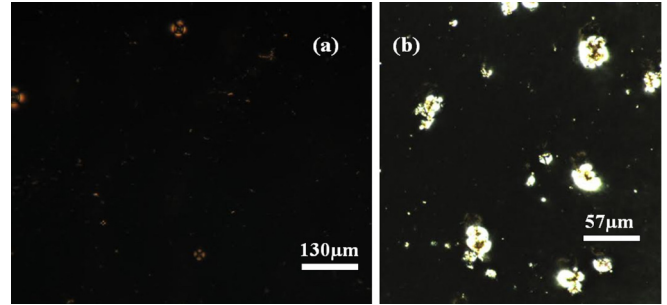


FIG. 8. Optical microscopy picture between crossed polarizer of a composite film 5CB-Fe₂O₃ with (a) 0.0115 weight fraction and (b) 0.023 weight fraction.

($c = 0.05$ weight fraction) at which H_c presents a minimum (Fig. 7). The result of aggregation is a slowing down of the appearance of new nanoparticle surfaces when the nanoparticle concentration increases. For N nanoparticles assembled in a spherical aggregate, the surface area of the aggregate scales as $N^{2/3}$ instead of being proportional to N for isolated nanoparticles dispersed in the liquid crystal. The observation of an *increase* of H_c together with a *decrease* of D for concentrations larger than 0.05 weight fraction could be related to an acceleration of the aggregation process when the concentration increases above 0.05 weight fraction. Above this critical concentration of aggregates, a further increase of the nanoparticle concentration would increase the number of newly aggregated nanoparticles by more than the number of new individual nanoparticles, thus consuming isolated nanoparticles in the liquid crystal and finally leading to a quasidisappearance of isolated nanoparticles. When the concentration of isolated nanoparticles decreases in favor of the aggregated nanoparticles, the total surface of nanoparticles exposed to the liquid crystal decreases and we observe a lower influence of the nanoparticles dispersed in the nematic matrix on the reorientation of the director along the magnetic field. Therefore, a major role may be played by the total nanoparticle surface area on the observed phenomena, evolution of the magnetic Fredericksz threshold, and the diffusion coefficient. The critical value of concentration $c = 0.05$ weight fraction can thus be viewed as a value below which the influence of single nanoparticle dominates and above which the influence of aggregate dominates. $c = 0.05$ corresponds to a volume fraction around 10^{-2} , a particularly large value with respect to previous works describing an aggregation influence for smaller volume fractions [4]. This may be due to the PDMS coating around the nanoparticles and the expected planar anchoring induced for 5CB (see below) that would lead to aggregation phenomena for large concentrations only, in agreement with recent data where nanoparticles have been grafted with mesogene molecules of dendritic structure [5].

(ii) We now focus on the small concentration regime where single nanoparticles dominate. The first result is that cerium oxide nanoparticles, functionalized with PDMS, modify the magnetic Fredericksz transition with a decrease of the Fredericksz threshold, H_c , despite their nonmagnetic character, whereas, to the best of our knowledge, up to now only low magnetic field features had been shown for nonmagnetic

nanoparticles [26]. H_c decreases continuously when the concentration of nanoparticles increases, until the limiting concentration value, $c = 0.05$ weight fraction, at which point H_c has decreased by approximately 23%. For a nematic liquid crystal film with rigid anchoring at the substrates, the magnetic field threshold is $H_c = (\pi/e)(K_3/\chi_a)^{1/2}$, where K_3 is the 5CB bend elastic constant and χ_a is the 5CB magnetic susceptibility anisotropy. K_3 is known to be proportional to S^2 , S being the scalar orientational order parameter [35]. Since χ_a is proportional to S [34], H_c is proportional to $S^{1/2}$. From the initial decrease of H_c with concentration, we might infer that there is a decrease in the spatially averaged order parameter S due to the presence of nanoparticles. However, DLS measurements appear to contradict this assumption. The diffusion coefficient $D = K_2/\eta$ increases when the concentration of nanoparticles increases, with a curve shape inverse with respect to that of the magnetic Fredericksz threshold, reaching a maximum increase of 13% for $c = 0.05$ weight fraction. Similar to K_3 , K_2 is proportional to S^2 [36]. η is proportional to $aS + bS^2$, where a and b are constants and the overall proportionality involves an activation energy [37–42]. As a result, we expect D to increase with S , suggesting an initial *increase* of the order parameter in the hybrid film with nanoparticle, when the nanoparticle concentration increases. These two apparently contradictory behaviors lead to the conclusion that the average order parameter may not vary significantly with c ; instead the coefficients defining the proportionality of the different physical parameters with the order parameter may vary with c . $K_3 = f(c)S^2$, the assumption being that bend and twist elastic constants behave similarly, $\chi_a = g(c)S$, and $\eta = h(c)(aS + bS^2)$. a and b define the respective weights of the S and S^2 terms; it is not obvious that they would significantly vary with the concentration. With nonmagnetic nanoparticles, we do not expect that $g(c)$, related to χ_a , significantly varies. The decrease of $H_c = (f(c)S/g(c))^{1/2}$ thus indicates that the product $f(c)S$ decreases when c increases. This shows that the elastic constant itself decreases when the concentration of nanoparticle increases, which may be related to a planar anchoring on the nanoparticles covered by PDMS. Figure 9 shows the two schematized geometrical pictures of the liquid crystal molecules in the vicinity of the magnetic [Fig. 9(a)] and nonmagnetic [Fig. 9(b)] nanoparticles. For nonmagnetic nanoparticles planar anchoring may lead, on the one hand, to defects at the nanoparticle poles. However, it is known that the defects are clearly defined for particles of micrometer size. For nanometer sizes, the defect nature is less clear and we only underline in red their expected location on Fig. 9(b) [43,44]. A planar anchoring on the PDMS brush may facilitate, on the other hand, the nematic director bend for nanoparticles of spherical shape, if the anchoring is weak enough. From the point of view of anchoring, a tilted molecular orientation in the vicinity of the nanoparticles under the influence of the external magnetic field indeed remains equally favorable compared to the initial state without external magnetic field. This may lead to a decrease of the average bend elastic constant.

However, the diffusion coefficient $D = K/\eta$, being equal to $f(c)S^2/h(c)(aS + bS^2)$, has been shown to increase when c increases, despite the decrease of $f(c)S$. This leads to the conclusion that if the order parameter, S , remains approximately constant, $h(c)$, related to the viscosity, may

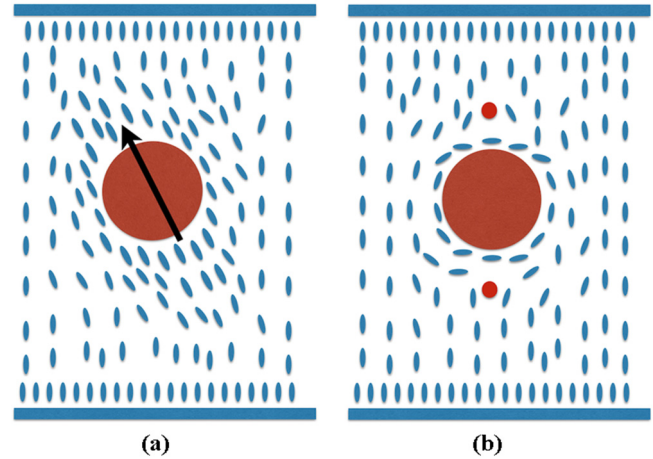


FIG. 9. Scheme of the expected liquid crystal geometry around (a) iron oxide ($\gamma\text{Fe}_2\text{O}_3$) nanoparticles with a magnetic moment inducing a planar anchoring with a director orientation parallel to the magnetic moment of the nanoparticle in its vicinity. This is possible due to the spherical shape of the nanoparticle, here represented in side view; (b) cerium oxide (CeO_2) nanoparticles without magnetic moment and with planar anchoring of the director. We expect formation of defects roughly indicated by the red points.

decrease even more rapidly when c increases. Here, we can consider that $(f(c)S(c))/(f(0)S(0)) = (H_c/H_0)^2 = 0.59$, for $c = 0.05$. This could also correspond to a decrease of the bend elastic constant by 0.59 if S does not vary. Concerning viscosity, we obtain $\eta(c)/\eta(0)$ equal to $h(c)(aS + bS^2)(c)/h(0)(aS + bS^2)(0) = (D(0)f(c)S^2(c))/(D(S)f(0)S^2(0)) = (0.59/1.13)(S(c)/S(0))$. This is equal to 0.52 if the order parameter, S , can be considered as constant. This corresponds to a relative decrease of viscosity of about one-half. It is indeed known that, unlike for simple fluids, the viscosity of liquid crystals decreases in the presence of nanoparticles [45,46]. The phenomenon obviously depends on nanoparticle nature, concentration, size, and ligands. In the presence of metallic nanoparticles covered by 5CB, a closely related decrease of the 5CB viscosity by one-third, close to the one found above, has been found [45], but for gold nanoparticles of diameter 10 nm a decrease by about 4.6 times has been found [46]. We finally can conclude that, qualitatively, for nonmagnetic nanoparticles, the H_c evolution is related to the planar anchoring induced by PDMS together with the spherical shape of the nanoparticles, which may favor an easier rotation of the liquid crystal director in their vicinity in the presence of an external magnetic field. It is interesting to notice that similar behaviors may occur with electrical Fredericksz transitions as well, together with the already discussed charge effects [47]. The presence of nanoparticles also may favor a significant decrease of the 5CB viscosity, which has been shown here by DLS experiments.

(iii) For magnetic nanoparticles, H_c values below those of nonmagnetic nanoparticles are observed (Fig. 5), but the difference between the two kinds of particles remains small (31% versus 23% decrease of H_c , whereas a much larger difference in the evolution of the diffusion coefficient D is observed (Fig. 7). It is remarkable that this occurs for

similar sizes and similar PDMS coatings of both particles, in principle providing the same liquid crystal geometry in the vicinity of both kinds of nanoparticle. This suggests that the magnetic character plays a significant role in the induced D value, which can be understood based on the scheme of Fig. 9(a). It shows how the geometry of liquid crystal molecules around the nanoparticles can be significantly modified if the magnetic interactions between nanoparticles and liquid crystal molecules are non-negligible. Indeed, for the PDMS shell in a poor solvent, being of thickness of the order of 2 nm, we expect at the nanoparticle surface a magnetic field of roughly 6 kG (dipolar field approximation at 2 nm from the surface of a nanoparticle with a magnetic moment $\mu = m_s V_p$, m_s being the saturation magnetization of the ferrite and V_p the volume of the nanoparticle), which might result in a fixed orientation of the liquid crystal molecules parallel to the magnetic dipole in the vicinity. The corresponding anchoring on the PDMS-covered nanoparticles may remain planar since all orientations parallel to the magnetic moment are consistent with a planar anchoring due to the spherical shape of the nanoparticles. This is true everywhere around the nanoparticles except close to the nanoparticle poles where we expect a homeotropic anchoring due to the dominant influence of the nanoparticle dipolar magnetic field [Fig. 9(a)]. The length along which liquid crystal molecules are oriented parallel to the nanoparticle magnetic dipole is not easy to estimate due to the small size of the nanoparticles with respect to the nematic extrapolation length. Moreover, due to their superparamagnetic behavior, each nanoparticle, in the absence of external magnetic field, may present a fluctuating and disordered magnetic dipole moment. It is thus not clear if this would lead to an also fluctuating region of liquid crystal molecules around the nanoparticle [Fig. 9(a)] or if the coupling between nanoparticle dipole moment and the nematic director would be large enough to orient and stabilize the magnetic dipole of the nanoparticles parallel to the average director orientation [11,12]. Due to the difference by three orders of magnitude between the dipole fluctuation time (the so-called Néel time in the ns– μ s range) and the 5CB director modes detected by DLS (in the ms range), we do not expect a significant impact of the Néel fluctuations on the measured 5CB coefficient D , with respect to nonmagnetic nanoparticles. The large D increase may reflect mainly an increase of the average order parameter in the composites *with* magnetic nanoparticles, as compared to the composites with nonmagnetic nanoparticles. This order parameter increase should in principle also lead to an increasing H_c . However, this increase of H_c is not observed, showing that the magnetic response of the system with magnetic nanoparticles is of a different nature with respect to the one with nonmagnetic nanoparticles. This is clearly due to the expected reorientation of the iron oxide nanoparticle dipoles in the presence of external magnetic field, which, in turn, may rotate the surrounding “shell” of liquid crystal molecules well oriented around each nanoparticle. The fact that the H_c decrease occurs for nanospheres in relation with planar anchoring also is consistent with the recent observation of a similar decrease of H_c in E7 liquid crystal with cobalt ferrite nanoparticles with ligands made of mesogene molecules of dendritic structure, also associated with planar anchoring [5]. A decrease of H_c was predicted for planar anchoring

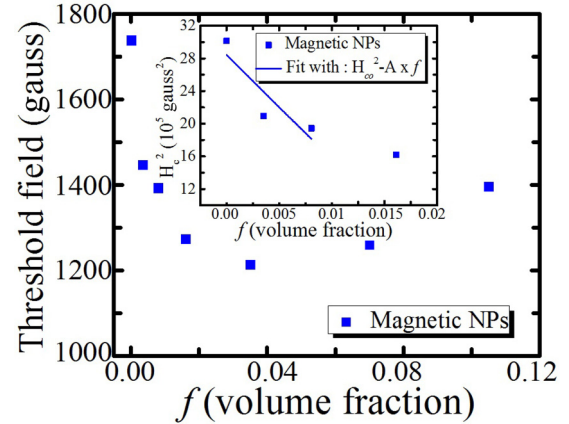


FIG. 10. Evolution of the magnetic threshold field as a function of the nanoparticle volume fraction, f , for magnetic nanoparticles. The dashed lines represent the best fit of the function $H_c^2 = H_{co}^2 - A \times f$ in the range of volume fraction f belonging to $[0; 0.01]$.

of nanorods [22,23]. However, simple theory allowing for a direct comparison with experimental data now available, in particular as a function of the nanoparticle concentration, would be useful. We notice that the observed decrease of the magnetic Fredericksz threshold can be fitted by a curve $H_c^2 = H_{co}^2 - A \times f$ (Fig. 10) for the first points of the curve, f being the volume fraction instead of the concentration and H_{co} the magnetic Fredericksz threshold of pure 5CB. This fitting is similar to the one used in Ref. [15], whereas in this latter case nanorods instead of nanospheres were used. It only differs by the sign of the evolution with respect to the calculated increase of magnetic threshold for magnetic nanorods with homeotropic anchoring at low concentrations [$H_c^2 = H_{co}^2 + 2Wf/(\chi_a d)$ with W the anchoring energy at the nematic-magnetic particle boundary and d the size of the particles [17]]. By fitting our results using $H_c^2 = H_{co}^2 - A \times f$ we found $A \approx 1.5 \times 10^4 (SI)$. Kopčanský *et al.* found for low concentrations of nanorods made of a mixture of magnetite and hematite a value $A \approx 5.6 \times 10^3 (SI)$ for nanorods of length 50 nm, diameter 10 nm, and $A \approx 12 \times 10^3 (SI)$ for larger nanorods of length 400 nm and diameter 18 nm. When an increase is predicted for homeotropic anchoring, the slope of the increase with volume fraction is $A = 2\mu_o W/(\chi_a d)$, leading to an order of magnitude for $A \approx 3.6 \times 10^2 (SI)$ [17]. The slopes of decrease for nanospheres and nanorods are thus of the same order and also of the same order as the calculated slope of the increase for homeotropic anchoring on nanorods. However, we expect a decrease of the slope when the nanoparticle diameter d is increased but the contrary behavior is found. This could suggest that for planar anchoring a different evolution of H_c with respect to the concentration would occur compared to the case of homeotropic anchoring.

Our results finally suggest that the behavior of nonmagnetic and magnetic nanoparticle composites with 5CB nematic matrix can be intrinsically different, with the decrease of H_c being more efficient with the use of magnetic nanoparticles. For both kinds of nanoparticle, the planar anchoring driven by PDMS appears crucial. In a previous work with magnetic nanoparticles of analogous shape and size but coated by a mixture of mono- and diesters of phosphoric acid, the

dispersion in 5CB was possible only in the isotropic phase (up to 1% volume fraction), with phase separation occurring in the nematic phase [2]. Here we obtain a true ferronematics with individually dispersed nonmagnetic or magnetic nanoparticles in the nematic 5CB matrix up to 1% volume fraction and a significant decrease of H_c similar to the H_c decrease obtained for coating cobalt ferrite nanoparticles with ligands made of mesogene molecules of dendritic structure, also associated with planar anchoring in E7 liquid crystal [5]. Our results thus confirm the key role played by the ligands to obtain not only a decrease of H_c (planar anchoring necessary), but also a large volume fraction of nanoparticles without aggregation. However, we show that for magnetic nanoparticles, the coupling between the orientation of the magnetic moment and orientation of the nematic director is driven not only by the weak planar anchoring on PDMS ligands, but also by magnetic interactions between liquid crystal molecules and nanoparticles; these are usually neglected in the theoretical models. The curve of the magnetic Fredericksz threshold for magnetic nanoparticles with planar anchoring as a function of concentration, allowing for an initial decrease of the magnetic Fredericksz threshold, has rarely been obtained up to now, except in the liquid crystal MBBA [1]. However, in this last case the two zones of the curve, one with limited aggregation (low concentration), the other where aggregation dominates the value of H_c , were not clear. Here the interpretation of the first zone of the H_c and D curves (respectively decreasing and increasing with concentration) were qualitatively ascribed to the influence of single nanoparticles dominating over aggregates, with a clear decrease of magnetic Fredericksz threshold. This would now require a theory to extract the relevant parameters characterizing the nanoparticles and their magnetic influence in the specific situation where nanospheres with planar anchoring are involved.

IV. CONCLUSION

In conclusion, we have found that a PDMS coating efficiently leads to planar anchoring on magnetic and nonmagnetic nanospheres within a 5CB liquid crystal matrix, allowing for a net decrease of the magnetic threshold (from 23% to 31%) for nanoparticle concentration small enough at room temperature. We show that nonmagnetic nanoparticles significantly reduce the magnetic Fredericksz threshold, in line with a decrease of the average 5CB elastic constants. An even larger decrease of the viscosity, by around a half of the initial value, is shown by DLS data. We show that *magnetic* nanoparticles present

an only slightly larger decrease of the threshold compared to nonmagnetic nanoparticles (31% versus 23%), but the phenomenon at the origin of this decrease appears to be quite different from the case of nonmagnetic nanoparticles. A significant reorientation of the liquid crystal molecules occurs around the magnetic nanoparticles driven by the nanoparticle magnetic dipole, in line with an increase of the order parameter that may become larger, on average, than for nonmagnetic nanoparticles. The resulting decrease of the elastic constants may thus be smaller, but the non-negligible local magnetic interactions between liquid crystal molecules and magnetic nanoparticles favor an easier liquid crystal rotation in the presence of external magnetic field. The applied magnetic field is able to reorient the magnetic moments, along with the mesogene molecules. For both kinds of nanoparticles, the curve of the magnetic Fredericksz threshold when nanoparticle concentration increases has been obtained, allowing for an accurate analysis of two distinct zones: the first zone at low concentration [concentration lower than 0.05 weight fraction (or volume fraction lower than 3×10^{-2})], where the influence of individually dispersed nanoparticles may dominate, and the second zone at high concentration, where aggregation is more rapid than the production of isolated nanoparticles. This curve confirms that isolated nanoparticles are more efficient in decreasing the magnetic threshold. The decrease of the threshold can be fitted by a curve $H_c^2 = H_{co}^2 - A \times f$, but the evolution of A with the nanoparticle diameter is inverse from the one predicted for homeotropic anchoring and H_c increase. Our results now need a theoretical interpretation, involving both planar anchoring and spherical nanoparticles, in line with the observed reorientation of the liquid crystal molecules driven by the magnetic dipole moment of the magnetic nanoparticles.

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