

## Measurement of the $D^0 \rightarrow \omega\eta$ branching fraction with CLEO-c data

M. J. Smith

*Lawrence Technological University, Southfield, Michigan 48075-1058, USA*

D. Cinabro\*

*Wayne State University, Department of Physics and Astronomy, Detroit, Michigan 48202, USA*

P. Naik

*H. H. Wills Physics Laboratory, University of Bristol, Bristol BS8 1TL, United Kingdom*



(Received 5 July 2018; published 6 September 2018)

Using CLEO-c data, we confirm the observation of  $D^0 \rightarrow \omega\eta$  by BESIII. In the Dalitz plot of  $D^0 \rightarrow K_S^0\eta\pi^0$ , we find a background in the  $K_S^0(\rightarrow \pi^+\pi^-)\pi^0$  projection with a  $m(\pi^+\pi^-\pi^0)$  equal to the  $\omega(782)$  mass. In a direct search for  $D^0 \rightarrow \omega\eta$  we find a clear signal and measure  $\mathcal{BF}_{D^0 \rightarrow \omega\eta} = (1.78 \pm 0.19 \pm 0.15) \times 10^{-3}$ , in good agreement with BESIII.

DOI: 10.1103/PhysRevD.98.051101

The recent observation by BESIII of  $D^0 \rightarrow \omega\eta$  [1] gave clarity to us of a mystery we noted in CLEO-c data. In the Dalitz plot of  $D^0 \rightarrow K_S^0\eta\pi^0$ , we observed an anomalous peak at  $0.6$   $(\text{GeV}/c^2)^2$  in the  $m(K_S^0\pi^0)^2$  fit projection. The BESIII observation leads us to think that this peak is due to an  $\omega(782) \rightarrow \pi^+\pi^-\pi^0$  candidate whose charged pions are misreconstructed as a  $K_S^0$ . This decay channel has been predicted to have a branching fraction of  $\mathcal{BF} = (3.3 \pm 0.2) \times 10^{-3}$  in [2],  $\mathcal{BF} = (1.7 - 4.5) \times 10^{-3}$  in [3], and more recently  $\mathcal{BF} = (1.0 - 3.0) \times 10^{-3}$  in [4,5]. Charge conjugation is implied throughout. Since the decay can proceed from both a  $D^0$  and a  $\bar{D}^0$  and we do no additional reconstruction to find the  $D$  flavor, we are actually measuring the average of the branching fractions of  $D^0 \rightarrow \omega\eta$  and  $\bar{D}^0 \rightarrow \omega\eta$ .

The CLEO-c detector and its experimental methods have been described in detail elsewhere [6]. This analysis was performed on  $818 \text{ pb}^{-1}$  of  $e^+e^- \rightarrow \psi(3770)$  data with center-of-mass energy  $E_{\text{cm}} = 3.774 \text{ GeV}$ . All  $D^0/\bar{D}^0$  candidates are reconstructed from  $\pi^\pm$ ,  $\pi^0$ , and  $\eta$  that pass standard selection criteria described elsewhere [7]. Charged tracks must be well reconstructed and pass basic track quality selections. We require a track momentum between  $0.050 \text{ GeV}/c \leq p \leq 2 \text{ GeV}/c$  and the tracks consistent with coming from the interaction region. We use the specific ionization,  $dE/dx$ , from the drift chambers and the ring imaging Cherenkov (RICH) detector to identify our selected tracks as  $\pi^\pm$ . If  $dE/dx$  is valid, we require a three standard deviation consistency with the  $\pi^\pm$  hypothesis. For tracks with  $p \geq 0.70 \text{ GeV}/c$  and  $|\cos\theta| < 0.8$ , we can use RICH information as well. If both RICH and  $dE/dx$  are

valid, we require the combined log-likelihood  $\mathcal{L}_{\pi K} \leq 0$ , where

$$\mathcal{L}_{\pi K} = \sigma_\pi^2 - \sigma_K^2 + L_\pi - L_K, \quad (1)$$

where  $\sigma_h$  is the number of standard deviations the track's momentum-dependent  $dE/dx$  is from the hypothesis, and  $L_h$  is the log-likelihood of the hypothesis from the RICH information.

We reconstruct  $\pi^0$  and  $\eta$  candidates as neutral  $\rightarrow \gamma\gamma$ . The unconstrained mass is calculated under the assumption that the photons originate from the interaction point. We require this mass to be within three standard deviations of the nominal  $\pi^0/\eta$  mass. A subsequent kinematic fit must not be obviously bad by removing those the fit  $\chi^2$  larger than 10 000. We reject neutral candidates with both photons detected in the end cap of our calorimeter and explicitly reject any photon showers with a matched track. Aside from mass values the selections are identical for  $\pi^0$  and  $\eta$  candidates.

We reconstruct  $D^0$  candidates from  $\pi^+\pi^-\pi^0\eta$  combinations. We make an initial requirement that the invariant mass  $m(\pi^+\pi^-\pi^0\eta)$  be within  $0.100 \text{ GeV}/c^2$  of the Particle Data Group PDG [8] average  $D^0$  mass. We select  $\omega(782)$  candidates with the  $\pi^+\pi^-\pi^0$  invariant mass,  $m_\omega$ . We use  $m_\omega$ , the beam-constrained mass of  $\omega\eta$  ( $M_{\text{bc}}^2 c^4 \equiv E_{\text{Beam}}^2 - p^2 c^2$  with  $p$  being their summed momentum), and  $\Delta E$ ,  $E_{\pi^+\pi^-\pi^0\eta} - E_{\text{Beam}}$  with  $E_{\pi^+\pi^-\pi^0\eta}$  being the sum of the candidate particle energies and  $E_{\text{Beam}}$  being the beam energy, to select candidates. We iterate making selections on two of the three, fitting a Gaussian signal plus smooth backgrounds in the third, making a selection based on the fit results, and repeating until the selection values do not change. In  $M_{\text{bc}}$ , we fit the background to an Argus

\*david.cinabro@wayne.edu

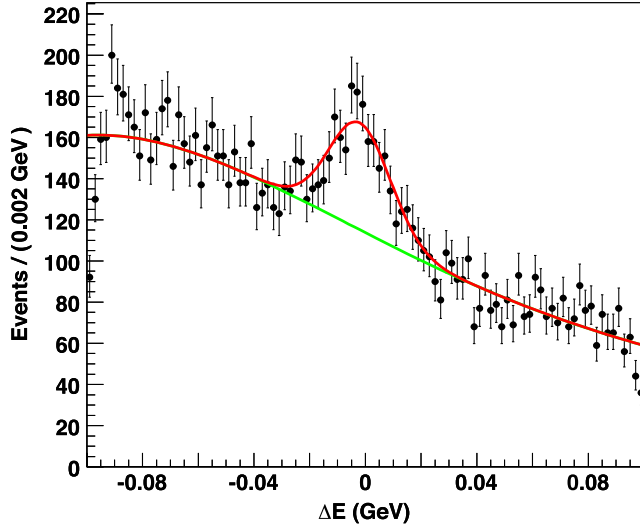


FIG. 1. The  $\Delta E$  distribution and fit described in text after three standard deviation signal selections for the  $\omega(782)$  and on  $M_{bc}$ .

function [9], and use a fourth-order polynomial in  $\Delta E$  and  $m_\omega$ . Unlike for  $M_{bc}$  there is no physics motivated background shape for  $\Delta E$  and  $m_\omega$ , and we chose a fourth-order polynomial to give a reasonable model of background without adding meaningless nuisance parameters. We use the signal mean and standard deviation from one fit to make three standard deviation selections on the other plots. We generate 50 000 simulated signal  $D^0/\bar{D}^0$  events to measure the efficiency of our reconstruction and to determine the optimal widths to use in fitting to the data. We take the yield from  $M_{bc}$  and  $\Delta E$  as our measurements of the  $D^0$  yield in the simulation. From the value of the  $M_{bc}$  yield, we find an efficiency of  $(17.49 \pm 0.22)\%$ .

The same process is performed in data, but with the widths obtained in signal simulation fixed in fits to the data distributions. We choose  $\omega(782)$  candidates which have  $0.760 \text{ GeV}/c^2 \leq m(\pi^+\pi^-\pi^0) \leq 0.804 \text{ GeV}/c^2$ . The  $m(\pi^+\pi^-\pi^0)$  mass fit is used to select  $\omega(782)$  candidates, but not for measurement of the  $D^0$  yield. The  $\Delta E$  distribution is shown in Fig. 1. We set this selection to  $-0.0355 \text{ GeV} \leq \Delta E \leq 0.0315 \text{ GeV}$ . Variations in the range of the fit displayed in Fig. 1 have a negligible effect, small compared to the statistical uncertainty, on both the selection choice and signal yield. The beam-constrained mass distribution and fit is shown in Fig. 2, and we select  $1.859 \text{ GeV}/c^2 \leq M_{bc} \leq 1.872 \text{ GeV}/c^2$ . The  $M_{bc}$  and  $\Delta E$  fit yields can both be used as measurements of the  $D^0 \rightarrow \omega\eta$  yield. Raw signal yields are  $711 \pm 65$  from the  $M_{bc}$  fit and  $720 \pm 70$  from the  $\Delta E$  fit. We show the  $m(\pi^+\pi^-\pi^0)$  invariant mass distribution after the selections on  $M_{bc}$  and  $\Delta E$  in Fig. 3, noting that there is a clear  $\omega(782)$  signal.

Above, we assume the  $\omega(782)$  is strongly related to the reconstruction of the  $D^0$  and its  $M_{bc}$ . In a two dimensional plot of  $\omega(782)$  mass versus  $M_{bc}$  with a three standard deviation  $\Delta E$  selection we clearly see a well-populated

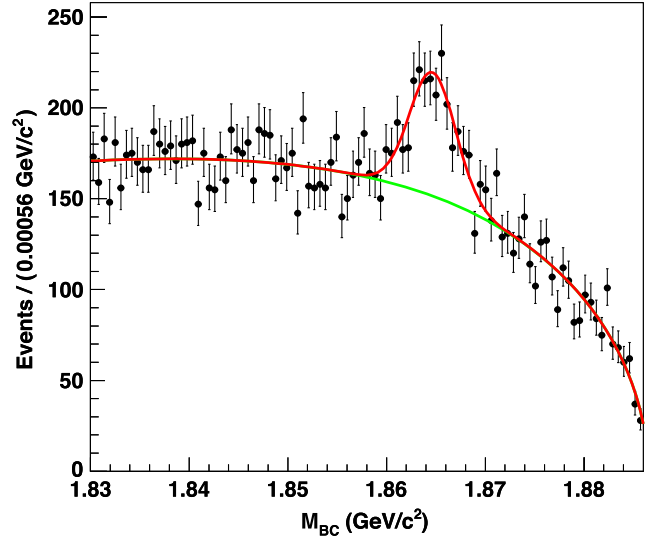


FIG. 2. The  $M_{bc}$  distribution and fit described in text after the three standard deviation signal selections on  $\omega(782)$  and  $\Delta E$ .

region near the intersection of the  $D^0$  and the  $\omega(782)$  masses rising above a large background. We also find no  $D^0$  signal in  $M_{bc}$  sidebands above and below the  $\omega(782)$  mass selections.

We expect there to be some  $K_S^0$  contamination in our  $\omega(782)$  signal; after all we began with an  $\omega(782)$  background in a  $K_S^0\eta\pi^0$  Dalitz plot. For our signal candidates, we show the  $m(\pi^+\pi^-)$  distribution in Fig. 4. There is a clear  $K_S^0$  peak. We fit this distribution using a Gaussian peak plus a fourth-order polynomial background. The fit changes negligibly if we vary the bin width. There are  $158 \pm 20 K_S^0$  events in the Gaussian peak. Not all of these should be subtracted as when we examine the  $M_{bc}$  distribution for those events within three standard deviations of the  $K_S^0$  mean and sidebands above and below, we see signal-like

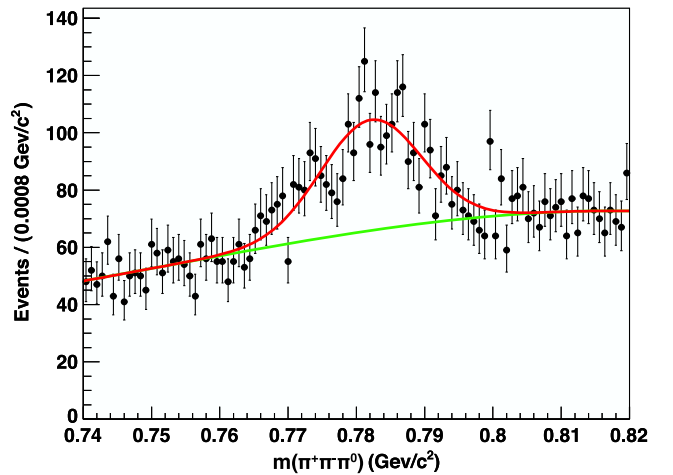


FIG. 3. The  $m(\pi^+\pi^-\pi^0)$  invariant mass distribution after signal selections in  $\Delta E$  and  $M_{bc}$ . The displayed fit is used to determine  $\omega$  candidate selection as described in the text.

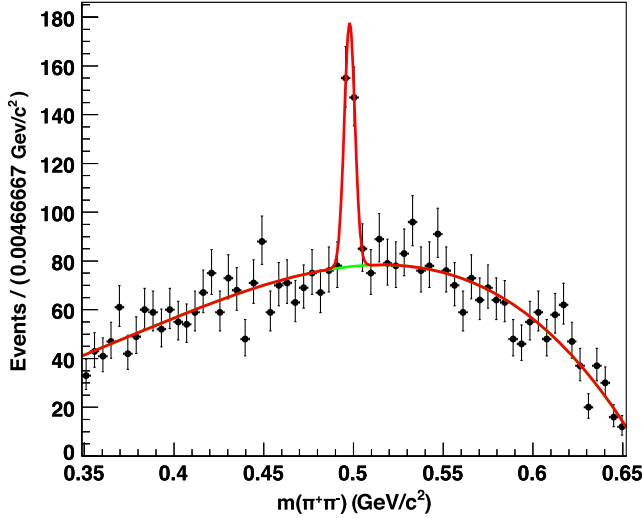


FIG. 4. The  $m(\pi^+\pi^-)$  distribution for signal candidates. The fit is described in the text.

peaks in the side-bands. That is some of these  $K_S^0$  are in combinatoric backgrounds to the signal. To estimate the amount of  $K_S^0$  contamination in our signal we fit the three  $M_{bc}$  distributions using the same method described above, and find signal and background yields summarized in Table I. Using the signal fraction in the central  $M_{bc}$  region, we subtract  $(158 \pm 20) \times 27\% = 43 \pm 5$  from the observed yields. Further, we include a  $\pm 16$ , 10%, uncertainty on this subtraction due to our inability to know precisely how many of the  $K_S^0$  are from signal candidates or from background combinatorics.

In a second method of accounting for  $K_S^0$  contamination, we veto the  $K_S^0\pi^0$  contribution to  $\omega(782)$  by removing the  $K_S^0$  region in  $m(\pi^+\pi^-)$ . Aside from the veto, the analysis is identical to that described above. We determine a new efficiency in fits to the veto  $M_{bc}$  distribution of  $(16.13 \pm 0.208)\%$  which represents a 7.8% reduction with respect to the efficiency without the  $K_S^0$  veto.

Repeating the data analysis with the  $K_S^0$  veto, Table II contains the  $K_S^0$  veto analysis yields. Table III contains the yields from  $\Delta E$  and  $M_{bc}$  corrected by both  $K_S^0$  subtraction and veto, as well as their associated efficiencies and efficiency corrected yields.

The analyses described above used signal widths observed in the signal simulation fixed in the data fits.

TABLE I. Signal and background yields from fitting the  $M_{bc}$  distribution in three  $m(\pi^+\pi^-)$  regions around the  $K_S^0$  peak as described in the text.

	Below	Central	Above
Signal	347	122	229
Background	1749	327	1649
Sig/Total	16.6%	27.2%	12.2%

TABLE II. Summary of signal selections with  $K_S^0$  veto.

Signal selections
$m(\pi^+\pi^-) \leq 0.489 \text{ GeV}/c^2$ or $m(\pi^+\pi^-) \geq 0.507 \text{ GeV}/c^2$
$0.760 \text{ GeV}/c^2 \leq m(\pi^+\pi^-\pi^0) \leq 0.805 \text{ GeV}/c^2$
$-0.0355 \text{ GeV} \leq \Delta E \leq 0.0315 \text{ GeV}$
$1.859 \text{ GeV}/c^2 \leq M_{bc} \leq 1.872 \text{ GeV}/c^2$

TABLE III. Signal yields from fittings accounting for  $K_S^0$  effects.

	Type	Yield	Efficiency	Yield/efficiency
$K_S^0$ events	$M_{bc}$	$667 \pm 67$	$(17.49 \pm 0.22)\%$	3819
subtracted	$\Delta E$	$677 \pm 72$	$(17.06 \pm 0.22)\%$	3969
$K_S^0$ veto	$M_{bc}$	$596 \pm 62$	$(16.13 \pm 0.21)\%$	3694
	$\Delta E$	$597 \pm 67$	$(15.79 \pm 0.21)\%$	3780

When we float these widths in the  $K_S^0$  veto analysis, we find  $637 \pm 89$  and  $521 \pm 85$  for the  $M_{bc}$  and  $\Delta E$  signal yields, respectively. These values greatly differ from those with fixed widths, and indeed greatly from each other. We will use the difference between fixed and floating  $M_{bc}$  yields as a systematic uncertainty.

We calculate the branching fraction using

$$\mathcal{BF}_{D^0 \rightarrow \omega\eta} = \frac{N_{D^0 \rightarrow \omega\eta}}{2\epsilon_{D^0 \rightarrow \omega\eta} N_{D^0 \bar{D}^0} \mathcal{BF}_{\omega \rightarrow \pi^+\pi^-\pi^0} \mathcal{BF}_{\eta \rightarrow \gamma\gamma} \mathcal{BF}_{\pi^0 \rightarrow \gamma\gamma}}, \quad (2)$$

where  $N_{D^0 \rightarrow \omega\eta}$  is the observed yield,  $\epsilon$  is the appropriate efficiency, and  $N_{D^0 \bar{D}^0}$  is the total number of  $D^0/\bar{D}^0$  events. We calculate  $N_{D^0 \bar{D}^0}$  by multiplying the cross section for  $e^+e^- \rightarrow D^0 \bar{D}^0$  previously reported by CLEO [7] and our integrated luminosity. Table IV contains the branching fraction inputs.

TABLE IV. Summary of branching fraction inputs. Branching fractions are PDG [8] values. Uncertainties are statistical and systematic, respectively.

Quantity	Value
Signal yield	$596 \pm 62 \pm 1$
MC efficiency	$(16.13 \pm 0.21 \pm 0.59)\%$
Reconstruction uncertainties	$\pm 3.0\%$
$\mathcal{BF}(\omega(782) \rightarrow \pi^+\pi^-\pi^0)$	$(89.2 \pm 0.7)\%$
$\mathcal{BF}(\eta \rightarrow \gamma\gamma)$	$(39.31 \pm 0.20)\%$
$\mathcal{BF}(\pi^0 \rightarrow \gamma\gamma)$	$(98.823 \pm 0.034)\%$
$\sigma(e^+e^- \rightarrow D^0 \bar{D}^0)$	$(3.66 \pm 0.03 \pm 0.06) \text{ nb}$
Luminosity	$818 \pm 8 \text{ pb}^{-1}$
$N_{D^0 \bar{D}^0}$	2993880

TABLE V. Summary of the uncertainties on  $\mathcal{BF}_{D^0 \rightarrow \omega\eta}$ .

Source	Value ( $\times 10^{-3}$ )
Statistical on yield	$\pm 0.19$
Signal yield	$\pm 0.125$
MC efficiency	$\pm 0.060$
Reconstruction efficiency	$\pm 0.053$
Luminosity	$\pm 0.0178$
Cross section	$\pm 0.0326$
$\mathcal{BF}(\omega(782) \rightarrow \pi^+ \pi^- \pi^0)$	$\pm 0.0140$
$\mathcal{BF}(\eta \rightarrow \gamma\gamma)$	$\pm 0.00906$
Total systematic	$\pm 0.154$
Total uncertainty	$\pm 0.24$

Comparing the yield divided by efficiency results in Table III, we see the  $K_S^0$  subtraction and veto are both acceptable methods to deal with  $K_S^0$  contamination giving consistent results. The four efficiency corrected yields have a standard deviation of 115, which is 3.0% of the average efficiency corrected yield of 3816. The efficiency corrected yields are larger in the subtraction method and this method has a conceptual problem. Our subtraction choice is a best guess; there is no clear way to determine how many  $K_S^0$  actually contaminate the signal rather than coming from the background.

Therefore, we take the  $M_{bc}$  yield from the  $K_S^0$  veto analysis as the best measurement. Comparing using  $M_{bc}$  and  $\Delta E$  to extract the yield, we have a fortunately small  $\pm 1$  systematic uncertainty from the difference in signal yield and  $\pm 0.34\%$  uncertainty from the difference in efficiency. These give a 2.13% relative uncertainty on the efficiency corrected yield. We also have a  $\pm 41$  systematic due to the

difference between using fixed and floating widths in  $M_{bc}$  fits. These two yield uncertainties give us a total systematic uncertainty on the yield. We find  $\mathcal{BF}_{D^0 \rightarrow \omega\eta} = (1.78 \pm 0.19 \pm 0.15) \times 10^{-3}$ . The statistical uncertainty comes from the statistical uncertainty in the signal yield. We also include relative 0.7% and 2.0% uncertainty on charged and neutral particle reconstruction efficiencies derived from our simulation added in quadrature for an additional 3.0% relative uncertainty on our efficiency [10]. All of the uncertainties are summarized in Table V. The contribution from  $\mathcal{BF}(\pi^0 \rightarrow \gamma\gamma)$  is negligible.

In summary, in the CLEO-c data, we have observed  $D^0 \rightarrow \omega\eta$  and measure the average branching fraction of  $D^0 \rightarrow \omega\eta$  and  $\bar{D}^0 \rightarrow \omega\eta$  as

$$\mathcal{BF}(D^0 \rightarrow \omega\eta) = (1.78 \pm 0.19 \pm 0.15) \times 10^{-3}, \quad (3)$$

where the first uncertainty is statistical and the second systematic. This agrees with the previous observation by BESIII [1]. Our measured branching fraction is at the lower side of the range given by the most recent theory predictions [4,5]. We note that this  $D^0$  decay mode is a  $CP$ -eigenstate making it a potentially valuable tool in heavy flavor analysis.

## ACKNOWLEDGMENTS

This investigation was done using CLEO data, and as members of the former CLEO Collaboration, we thank the group for this privilege. This research was supported by the U.S. National Science Foundation and the U.K. Science and Technology Facilities Council (STFC).

- 
- [1] M. Ablikim *et al.* (BESIII Collaboration), *Phys. Rev. D* **97**, 052005 (2018).  
[2] B. Bhattacharya and J. L. Rosner, *Phys. Rev. D* **82**, 037502 (2010).  
[3] H.-Y. Cheng and C.-W. Chiang, *Phys. Rev. D* **81**, 074021 (2010).  
[4] Q. Qin, H.-n. Li, C.-D. Lü, and F.-S. Yu, *Phys. Rev. D* **89**, 054006 (2014).  
[5] H.-Y. Cheng, C.-W. Chiang, and A.-L. Kuo, *Phys. Rev. D* **93**, 114010 (2016).  
[6] Y. Kubota *et al.* (CLEO Collaboration), *Nucl. Instrum. Methods Phys. Res., Sect. A* **320**, 66 (1992); D. Peterson *et al.*, *Nucl. Instrum. Methods Phys. Res., Sect. A* **478**, 142 (2002); M. Artuso *et al.*, *Nucl. Instrum. Methods Phys. Res., Sect. A* **554**, 147 (2005); CLEO-c/CESR-c Taskforces and CLEO-c Collaboration, Cornell LEPP Report No. CLNS01/1742 2001 (unpublished).  
[7] G. Bonvicini *et al.* (CLEO Collaboration), *Phys. Rev. D* **89**, 072002 (2014).  
[8] C. Patrignani *et al.* (Particle Data Group Collaboration), *Chin. Phys. C* **40**, 100001 (2016) and 2017 update.  
[9] H. Albrecht *et al.* (ARGUS Collaboration), *Phys. Lett. B* **241**, 278 (1990).  
[10] Q. He *et al.* (CLEO Collaboration), *Phys. Rev. Lett.* **95**, 121801 (2005); **96**, 199903(E) (2006).