

Particle physics models for the 17 MeV anomaly in beryllium nuclear decaysJonathan L. Feng,^{1,*} Bartosz Fornal,¹ Iftah Galon,¹ Susan Gardner,^{1,2}
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The 6.8σ anomaly in excited ^8Be nuclear decays via internal pair creation is fit well by a new particle interpretation. In a previous analysis, we showed that a 17 MeV protophobic gauge boson provides a particle physics explanation of the anomaly consistent with all existing constraints. Here we begin with a review of the physics of internal pair creation in ^8Be decays and the characteristics of the observed anomaly. To develop its particle interpretation, we provide an effective operator analysis for excited ^8Be decays to particles with a variety of spins and parities and show that these considerations exclude simple models with scalar particles. We discuss the required couplings for a gauge boson to give the observed signal, highlighting the significant dependence on the precise mass of the boson and isospin mixing and breaking effects. We present anomaly-free extensions of the Standard Model that contain protophobic gauge bosons with the desired couplings to explain the ^8Be anomaly. In the first model, the new force carrier is a $U(1)_B$ gauge boson that kinetically mixes with the photon; in the second model, it is a $U(1)_{B-L}$ gauge boson with a similar kinetic mixing. In both cases, the models predict relatively large charged lepton couplings ~ 0.001 that can resolve the discrepancy in the muon anomalous magnetic moment and are amenable to many experimental probes. The models also contain vectorlike leptons at the weak scale that may be accessible to near future LHC searches.

DOI: [10.1103/PhysRevD.95.035017](https://doi.org/10.1103/PhysRevD.95.035017)**I. INTRODUCTION**

The existence of light, weakly coupled new particles has been a well-motivated theoretical possibility for decades. The need for dark matter has motivated these particles, either to provide the dark matter itself—for example, in the form of axions—or, more recently, to mediate interactions between the visible and dark sectors. Grand unification provides another compelling motivation for new particles and forces. Although these particles and forces are typically expected to be heavy and short range, respectively, it is possible that a remnant of grand unification might survive down to low energies. Another independent, but related, possibility is that some linear combination of the “accidental” B and L_i global symmetries of the Standard Model (SM) might be gauged. If these symmetries are spontaneously broken at low energies, they must also be weakly coupled. All of these provide ample motivation for a diverse program of high-statistics searches for new particles far from the energy frontier.

Nuclear transitions provide a means to probe light, weakly coupled new physics. Indeed, in 1978, Treiman and Wilczek [1], as well as Donnelly *et al.* [2], proposed that axions could be discovered through the study of nuclear decays. Such searches are now established as part

of the corpus of constraints on axions and axionlike particles [3,4], as well as on light scalar particles with Higgs-like couplings [5]. The possible new particles include not only scalars and pseudoscalars, but also those with other spin-parity assignments, which may manifest themselves in different nuclear transitions. There are many possible nuclear transitions to study, but particularly promising are those that can be studied through excited nuclear states that are resonantly produced in extraordinary numbers, providing a high-statistics laboratory to search for MeV-scale new physics.

Krasznahorkay *et al.* have recently observed unexpected bumps in both the distributions of opening angles and invariant masses of electron-positron pairs produced in the decays of an excited ^8Be nucleus [6]. The bump in the angular distribution appears against monotonically decreasing backgrounds from SM internal pair creation (IPC), and the anomaly has a high statistical significance of 6.8σ . The shape of the excess is remarkably consistent with that expected if a new particle is being produced in these decays, with the best fit to the new particle interpretation having a χ^2 per degree of freedom of 1.07.

In previous work [7], we examined possible particle physics interpretations of the ^8Be signal. We showed that scalar and pseudoscalar explanations are strongly disfavored, given mild assumptions. Dark photons A' , massive gauge bosons with couplings to SM particles that are proportional to their electric charge [8–11], also cannot

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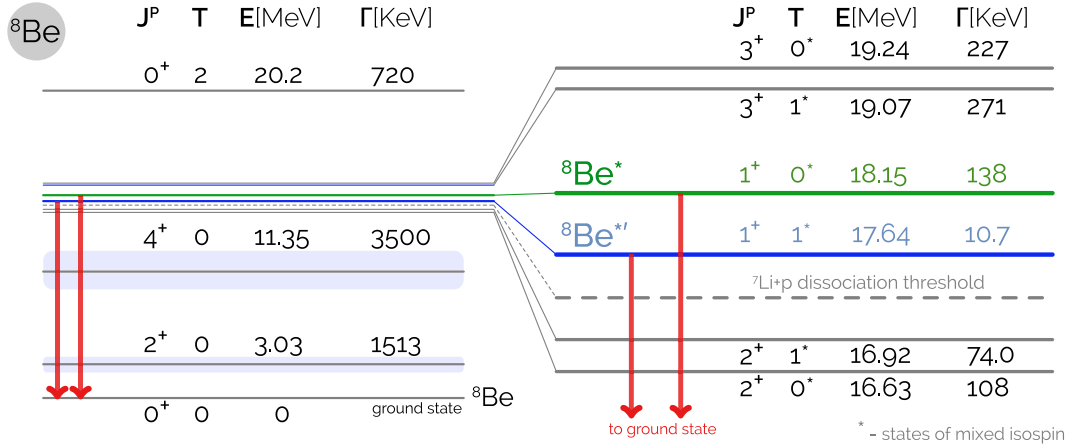


FIG. 1. The most relevant ^8Be states, our naming conventions for them, and their spin-parities J^P , isospins T , excitation energies E , and decay widths Γ from Ref. [19]. Asterisks on isospin assignments indicate states with significant isospin mixing. Decays of the $^8\text{Be}^*$ (18.15) state to the ground state ^8Be exhibit anomalous internal pair creation; decays of the $^8\text{Be}^{*'}$ (17.64) state do not [6].

account for the ^8Be anomaly, given constraints from other experiments. The most stringent of these is null results from searches for $\pi^0 \rightarrow A'\gamma$. This can be circumvented if the new spin-1 state couples to quarks vectorially with suppressed couplings to the proton. We concluded that a new “protophobic” spin-1 boson X , with mass around 17 MeV and mediating a weak force with range 12 fm, provides an explanation of the ^8Be anomaly consistent with all existing experimental constraints. cc boson have been further studied in Refs. [12–14].

Protophobic gauge bosons are not particularly unusual. The Z boson is protophobic at low energies, as is any new boson that couples to $B - Q$, the difference of the baryon-number and electric currents. As we show below, it is extremely easy to extend the SM to accommodate a light gauge boson with protophobic quark couplings. Simultaneously satisfying the requirements on lepton couplings requires more care. To produce the observed e^+e^- events, the coupling to electrons must be nonzero. This coupling is bounded from above by the shift the new boson would induce on the electron magnetic dipole moment and from below by searches for dark photons at beam dump experiments. The neutrino coupling, in turn, is bounded by $\nu-e$ scattering experiments, as well as by the nonobservation of coherent neutrino-nucleus scattering. Any model that consistently explains the ^8Be signal must satisfy all of these constraints.

In Sec. II we review the ^8Be system and the observed anomaly. In Sec. III, we present an effective operator analysis of the ^8Be nuclear transitions and consider a variety of spin-parity assignments for the new boson. We show that many simple candidates, including scalars and pseudoscalars, are excluded, while a protophobic spin-1 gauge boson is a viable candidate. In the next three sections, we consider in detail the couplings such a gauge boson must have to explain the ^8Be anomaly: in Sec. IV we discuss the impact of isospin

mixing and breaking in the ^8Be system; in Sec. V we discuss the required gauge boson couplings to explain the signal, noting the sensitivity to the gauge boson’s precise mass; and in Sec. VI we evaluate the constraints imposed by all other experiments, refining the discussion in Ref. [7], especially for the neutrino constraints. With this background, in Secs. VII and VIII, we construct simple, anomaly-free extensions of the SM that contain protophobic gauge bosons with the desired couplings to explain the ^8Be anomaly. In Sec. IX we discuss current and near-term experiments that may test this new particle explanation, and we conclude in Sec. X by summarizing our results and noting some interesting future directions.

II. THE ^8Be ANOMALY

A. ^8Be spectrum and electromagnetic decays

We review relevant properties of the ^8Be system. Some of the energy levels of ^8Be are shown in Fig. 1. The ground state of the ^8Be nucleus is only 0.1 MeV above the threshold for $\alpha\alpha$ breakup, and α clustering is thought to inform its structure and excitations [15,16]. The ground state is a spin-parity $J^P = 0^+$ state with isospin $T = 0$, and its lowest-lying excitations are 2^+ and 4^+ rotational states, nominally of its $\alpha\alpha$ dumbbell-shape, with $T = 0$, excitation energies 3.03 MeV and 11.35 MeV, and decay widths 1.5 MeV and 3.5 MeV, respectively.¹

Going up in excitation energy, the next lowest lying states are isospin doublets of $T = 0, 1$ states with spin-parity assignments of $2^+, 1^+$, and 3^+ , respectively. The 2^+

¹The 2^+ excited state is notable in that it is produced through the β decay of ^8B [17]. It is pertinent to the solar neutrino problem because it appears with a neutrino of up to 14 MeV in energy, and it also enters in precision tests of the symmetries of the charged, weak current in the mass eight system [18].

states are of such mass that the $\alpha\alpha$ final state is the only particle-decay channel open to them. Since both states are observed to decay to the $\alpha\alpha$ final state [19], which has $T = 0$, the 2^+ states are each regarded as mixtures of the $T = 0$ and $T = 1$ states. The qualitative evidence for isospin-mixing in the 1^+ and 3^+ states is less conclusive, but each doublet state is regarded as a mixed $T = 0$ and $T = 1$ state [20].

In this paper, our focus is on the transitions of the 1^+ isospin doublet to the ground state, as illustrated in Fig. 1. We refer to the ground state as simply ${}^8\text{Be}$ and to the 1^+ excited states with excitation energies 18.15 MeV and 17.64 MeV as ${}^8\text{Be}^*$ and ${}^8\text{Be}^{*'}$, respectively. As noted above, these latter two states mix, but ${}^8\text{Be}^*$ is predominantly $T = 0$, and ${}^8\text{Be}^{*'}$ is predominantly $T = 1$. The properties of these states and their electromagnetic transitions have been analyzed using quantum Monte Carlo (QMC) techniques using realistic, microscopic Hamiltonians [21–24]. We discuss the current status of this work and its implications for the properties of new particles that may be produced in these decays in Sec. IV.

The particular transitions relevant for the observed anomaly are IPC decays. This is a process in which an excited nucleus decays into a lower-energy state through the emission of an electron-positron pair [25–27]. Like γ -decays—which satisfy selection rules based on angular momentum and parity—these decays can be classified by their parity (electric, E, or magnetic, M) and partial wave ℓ . A p -wave magnetic transition, for example, is labeled M1. The spectra of electron-positron invariant masses and opening angles in these decays are known to be monotonically decreasing for each partial wave in the SM [28]. It is customary to normalize the IPC rate with respect to that of γ emission for the same nuclear transition, when the latter exists. This is because the nuclear matrix elements, up to Coulomb corrections, as well as some experimental systematic errors, cancel in this ratio. ${}^8\text{Be}$, moreover, is of sufficiently low- Z that the effects of its Coulomb field on IPC are negligible [26]. ${}^8\text{Be}^*$ decays to ${}^7\text{Li}$ p most of the time, but its electromagnetic transitions have branching fractions $\text{Br}({}^8\text{Be}^* \rightarrow {}^8\text{Be}\gamma) \approx 1.4 \times 10^{-5}$

[29] and $\text{Br}({}^8\text{Be}^* \rightarrow {}^8\text{Be}e^+e^-) \approx 3.9 \times 10^{-3} \text{Br}({}^8\text{Be}^* \rightarrow {}^8\text{Be}\gamma)$ [26,28].

B. The Atomki result

The Atomki pair spectrometer has observed the IPC decays of ${}^8\text{Be}^*$ with high statistics [6,30]. A sketch of the experiment and the new physics process being probed is shown in Fig. 2. A beam of protons with kinetic energies tuned to the resonance energy of 1.03 MeV collide with Li nuclei to form the resonant state ${}^8\text{Be}^*$, and a small fraction of these decay via ${}^8\text{Be}^* \rightarrow {}^8\text{Be}e^+e^-$. The spectrometer is instrumented with plastic scintillators and multiwire proportional chambers in the plane perpendicular to the proton beam. These measure the electron and positron energies, as well as the opening angle of the e^+e^- pairs that traverse the detector plane, to determine the distributions of opening angle θ and invariant mass m_{ee} .

The experiment does not observe the SM behavior where the θ and m_{ee} distributions fall monotonically. Instead, the θ distribution exhibits a high-statistics bump that peaks at $\theta \approx 140^\circ$ before returning to near the SM prediction at $\theta \approx 170^\circ$ [6]. To fit this distribution, Krasznahorkay *et al.* consider many possible sources, including the M1 component from IPC, but also others, such as an E1 component from nonresonant direct proton capture [31]. They observe that the best fit comes from a 23% admixture of this E1 component. Nevertheless, they are unable to explain the bump by experimental or nuclear physics effects, and instead find that the excess in the θ distribution has a statistical significance of 6.8σ [6]. A corresponding bump is seen in the m_{ee} distribution.

If a massive particle is produced with low velocity in the ${}^8\text{Be}^*$ decay and then decays to e^+e^- pairs, it will produce a bump at large opening angles. It is therefore natural to consider a new particle X and the two-step decay ${}^8\text{Be}^* \rightarrow {}^8\text{Be}X$ followed by $X \rightarrow e^+e^-$. With fixed background, Krasznahorkay *et al.* find that the best fit mass and branching fraction are [6]

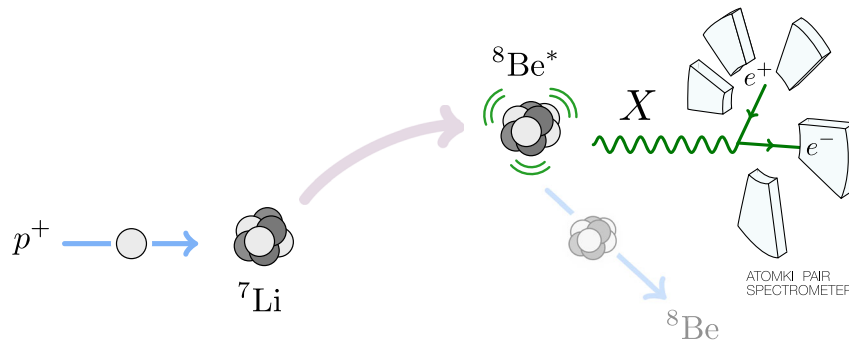


FIG. 2. Schematic depiction of the Atomki pair spectrometer experiment [6,30], interpreted as evidence for the production of a new boson X . The proton beam’s energy is tuned to excite lithium nuclei into the ${}^8\text{Be}^*$ state, which subsequently decays into the ${}^8\text{Be}$ ground state and X . The latter decays into an electron-positron pair whose opening angle and invariant mass are measured.

$$m_X = 16.7 \pm 0.35(\text{stat}) \pm 0.5(\text{sys}) \text{ MeV} \quad (1)$$

$$\frac{\Gamma(^8\text{Be}^* \rightarrow ^8\text{Be}X)}{\Gamma(^8\text{Be}^* \rightarrow ^8\text{Be}\gamma)} \text{Br}(X \rightarrow e^+e^-) = 5.8 \times 10^{-6}. \quad (2)$$

For the best fit parameters, the fit to this new particle interpretation is excellent, with a $\chi^2/\text{dof} = 1.07$.

The new particle interpretation passes a number of simple consistency checks. The electron-positron invariant mass and opening angle are related by

$$\begin{aligned} m_{ee}^2 &= 2E_{e^+}E_{e^-} - 2\sqrt{E_{e^+}^2 - m_e^2}\sqrt{E_{e^-}^2 - m_e^2}\cos\theta + 2m_e^2 \\ &= (1-y^2)E^2\sin^2\frac{\theta}{2} + 2m_e^2\left(1 + \frac{1+y^2}{1-y^2}\cos\theta\right) \\ &\quad + \mathcal{O}(m_e^4), \end{aligned} \quad (3)$$

where

$$E \equiv E_{e^+} + E_{e^-} \quad \text{and} \quad y \equiv \frac{E_{e^+} - E_{e^-}}{E_{e^+} + E_{e^-}} \quad (4)$$

are the total energy and energy asymmetry, respectively. The second term in the last line of Eq. (3) is much smaller than the first and may be neglected. At the Atomki pair spectrometer, the $^8\text{Be}^*$ nuclei are produced highly non-relativistically, with velocity of $0.017c$ and, given $m_X \approx 17 \text{ MeV}$, the X particles are also not very relativistic. As a result, the e^+ and e^- are produced with similar energies, and so one expects small $|y|$ and $m_{ee} \approx E \sin(\theta/2)$. The excesses in the θ and m_{ee} distributions satisfy this relation.

The Atomki Collaboration verified that the excess exclusively populates the subset of events with $|y| \leq 0.5$ and is absent in the complementary $|y| > 0.5$ domain, that the excess appears and then disappears as one scans through the proton beam resonance kinetic energy of 1.03 MeV , and that the excess becomes more pronounced when restricting to the subset of events with $E > 18 \text{ MeV}$ and is absent for lower energy events [6]. The latter two observations strongly suggest that the observed IPC events are indeed from $^8\text{Be}^*$ decays rather than from interference effects and that the decays go to the ground state ^8Be , as opposed to, for example, the broad $3 \text{ MeV } J^P = 2^+$ state. Decays to the 3 MeV state would have a maximum total energy of 15 MeV and do not pass the $E > 18 \text{ MeV}$ cut even when including effects of the energy resolution, which has a long low-energy tail, but not a high-energy one (see Fig. 2 of Ref. [30]).²

Finally, we note that IPC decays of the 17.64 MeV , isotriplet $^8\text{Be}^{*'}$ state have also been investigated at the

²The widths of the m_{ee} and θ distributions are determined by the $\mathcal{O}(\text{MeV})$ energy resolution for the electrons and positrons [30], which should not be confused with the 10 keV energy resolution for γ -rays used in testing the target thickness [6].

Atomki pair spectrometer. An anomaly had previously been reported in $^8\text{Be}^{*'}$ decays [32]. This anomaly was featureless and far easier to fit to background than the bumps discussed here, and it has now been excluded by the present Atomki collaboration [30]. If the observed anomaly in $^8\text{Be}^*$ decays originates from a new particle, then the absence of new particle creation in the $^8\text{Be}^{*'}$ decay combined with the isospin mixing discussed in Sec. IV strongly suggest that such decays are kinematically—not dynamically—suppressed and that the new particle mass is in the upper part of the range given in Eq. (1). It also suggests that with more data, a similar, but more phase space-suppressed, excess may appear in the IPC decays of the 17.64 MeV state.

III. NUCLEAR EFFECTIVE THEORY AND PARTICLE CANDIDATES

The transition $^8\text{Be}^* \rightarrow ^8\text{Be}X$ followed by $X \rightarrow e^+e^-$ implies that X is a boson. We consider the cases in which it is a scalar or vector particle with positive or negative parity. In this reaction, its de Broglie wavelength is $\lambda \sim (6 \text{ MeV})^{-1}$, much longer than the characteristic size of the ^8Be nucleus, $r \sim (100 \text{ MeV})^{-1}$. In this regime, the nucleus looks effectively pointlike, and one can organize the corrections from the nuclear structure as a series in r/λ . This approach has a long and fruitful history in the analysis of radiative corrections in weak nuclear decays [33,34].

We perform such an analysis for the case of $^8\text{Be}^*$ decaying to a new boson X . Many theories predict the existence of new, weakly coupled, light degrees of freedom that, *prima facie*, may play the role of the X boson. We show that some common candidates for X are excluded. We note that for the case where X has spin-parity $J^P = 1^-$ and isospin mixing between $^8\text{Be}^*$ and $^8\text{Be}^{*'}$ is neglected, nuclear matrix elements and their uncertainties cancel in the ratio of partial widths, $\Gamma(^8\text{Be}^* \rightarrow ^8\text{Be}X)/\Gamma(^8\text{Be}^* \rightarrow ^8\text{Be}\gamma)$.

A. Effective operators for $^8\text{Be} \rightarrow ^8\text{Be}X$

The candidate spin/parity choices for X are as follows: a 0^- pseudoscalar a , a 1^+ axial vector A , and a 1^- vector V . We argue below that there is no scalar operator in the parity-conserving limit. The leading Lorentz- and parity-invariant operators mediating the transition $^8\text{Be}^* \rightarrow ^8\text{Be}X$ are

$$\mathcal{L}_P = g_P ^8\text{Be}(\partial_\mu a)^8\text{Be}^{*\mu}, \quad (5)$$

$$\mathcal{L}_A = \frac{g_A}{\Lambda_A} ^8\text{Be}G^{\mu\nu}F_{\mu\nu}^{(A)} + \frac{g'_A}{\Lambda_A} m_A^2 ^8\text{Be}A_\mu ^8\text{Be}^{*\mu}, \quad (6)$$

$$\mathcal{L}_V = \frac{g_V}{\Lambda_V} ^8\text{Be}G_{\mu\nu}F_{\rho\sigma}^{(V)}\epsilon^{\mu\nu\rho\sigma}, \quad (7)$$

where $G_{\mu\nu} \equiv \partial_\mu ^8\text{Be}_\nu^* - \partial_\nu ^8\text{Be}_\mu^*$ is the field strength for the excited $^8\text{Be}^*$ state, $F_{\mu\nu}^{(V)}$ and $F_{\mu\nu}^{(A)}$ are the field strengths for the new vector and axial vector bosons, respectively,

and the dimensionful parameters Λ_i encode the dominant nuclear matrix elements relevant for the transition in each case.

In the vector case, Lorentz and parity invariance requires that all operators containing the fields ${}^8\text{Be}$, ${}^8\text{Be}_\mu^*$, and V_μ must also contain two derivatives and $\epsilon^{\mu\nu\rho\sigma}$. Any operators in which the two derivatives act upon the same field vanish under antisymmetrization of the Lorentz indices, so that the only other possible operators are

$$(\partial_\mu {}^8\text{Be}) {}^8\text{Be}_\nu^* F_{\rho\sigma}^{(V)} \epsilon^{\mu\nu\rho\sigma} \quad \text{and} \quad (\partial_\mu {}^8\text{Be}) G_{\nu\rho} V_\sigma \epsilon^{\mu\nu\rho\sigma}. \quad (8)$$

However, these operators can each be integrated by parts to produce a term that vanishes by antisymmetrization, and the unique operator in \mathcal{L}_V . This is in contrast to the axial vector case, where the gauge-breaking part cannot be related by operator identities to the gauge-invariant piece and is thus a separate term with a separate effective coupling g'_A .

B. Scalar candidates

A popular example of a $J^P = 0^+$ scalar candidate for the X boson is a dark Higgs boson [35]. However, a scalar cannot mediate the observed ${}^8\text{Be}^*$ decay in the limit of conserved parity. The initial ${}^8\text{Be}^*$ state has unit angular momentum and is parity even, $J^P = 1^+$. Angular momentum conservation requires the final state ${}^8\text{Be}X$, which consists of two 0^+ states, to have orbital angular momentum $L = 1$. This, however, makes the final state parity odd while the initial state is parity even. This implies that there are no Lagrangian terms in a parity-conserving effective field theory that couple a scalar to the ${}^8\text{Be}^*$ and ${}^8\text{Be}^{*l}$. This can also be seen at an operator level; for example, the operator $(\partial_\mu S)(\partial_\nu {}^8\text{Be})G_{\rho\sigma}\epsilon^{\mu\nu\rho\sigma}$ vanishes upon integrating by parts and using the Bianchi identity.

C. Pseudoscalar candidates

A $J^P = 0^-$ pseudoscalar or axionlike particle, a , generically has a coupling to photons of the form $g_{a\gamma\gamma} a F^{\mu\nu} \tilde{F}_{\mu\nu}$ that is generated by loops of charged particles [36–38]. For a mass $m_a \approx 17$ MeV, all values of this coupling in the range $(10^{18} \text{ GeV})^{-1} < g_{a\gamma\gamma} < (10 \text{ GeV})^{-1}$ are experimentally excluded [39,40]. These bounds may be significantly revised in the presence of nonphotonic couplings, however.

D. Axial vector candidates

Axial vector candidates have several virtues. First, as we show in Sec. VI, one of the most restrictive constraints on the X particle comes from the decay of neutral pions, $\pi^0 \rightarrow X\gamma$. If X is an axial vector, this decay receives no contribution from the axial anomaly and nonanomalous contributions to pion decay vanish in the chiral limit by the Sutherland–Veltman theorem [41,42].

Second, unlike the other spin-parity combinations, the axial candidate has two leading-order effective operators with different scaling with respect to the X three-momentum. The g'_A term in Eq. (6) yields a ${}^8\text{Be}^*$ decay rate that scales as $\Gamma_X \sim |\mathbf{k}_X|$, whereas the $g_{A,V}$ terms induce rates that scale as $\Gamma_X \sim |\mathbf{k}_X|^3$. Thus, the axial particle may produce the observed anomalous IPC events with smaller couplings than the vector, $g'_A \ll g_V$. This may help avoid some of the other experimental bounds discussed in Sec. VI. At the same time, there may be more severe constraints, as we discuss in Sec. X.

Unfortunately, large uncertainties in the nuclear matrix element for axial vectors make it difficult to extract the required couplings for this scenario. To the best of our knowledge, there is no reliable *ab initio* calculation or measurement of the matrix element we would need in the ${}^8\text{Be}$ system.

E. Vector candidates

The primary candidate for the X boson and the focus for the remainder of this study is a $J^P = 1^-$ vector. A new vector couples to a current J_X^μ that is a linear combination of the SM fermion currents,

$$\mathcal{L} \supset iX_\mu J_X^\mu = iX_\mu \sum_{i=u,d,\ell,\nu} \epsilon_i e J_i^\mu, \quad J_i^\mu = \bar{f}_i \gamma^\mu f_i. \quad (9)$$

Here we have introduced separate couplings to up-type quarks, down-type quarks, charged leptons, and neutrinos and assigned them charges ϵ_i in units of e . Family-universal couplings of this type naturally avoid the introduction of tree-level flavor-changing neutral currents, which are highly constrained. Conservation of X charge implies that the couplings to the proton and neutron currents, J_p^μ and J_n^μ , are determined by $\epsilon_p = 2\epsilon_u + \epsilon_d$ and $\epsilon_n = \epsilon_u + 2\epsilon_d$, so that

$$J_X^\mu = \sum_{i=u,d,\ell,\nu} \epsilon_i e J_i^\mu = (2\epsilon_u + \epsilon_d) e J_p^\mu + (\epsilon_u + 2\epsilon_d) J_n^\mu + \epsilon_\ell e J_\ell^\mu + \epsilon_\nu e J_\nu^\mu. \quad (10)$$

For the low energies at which we work, it is important to map this quark-level expression to one in terms of hadrons. Denoting the current in the previous equation by $J_X^{\mu(\text{quark})}$, we effect this by matching the requisite matrix element to its equivalent in hadronic degrees of freedom. That is, for the proton,

$$J_p^\mu \equiv \langle p(p') | J_X^{\mu(\text{quark})} | p(p) \rangle = e \bar{u}_p(p') \{ F_{1,p}^X(q^2) \gamma^\mu + F_{2,p}^X(q^2) \sigma^{\mu\nu} q_\nu / 2M_p \} u_p(p), \quad (11)$$

where $|p(p)\rangle$ denotes a proton state composed of quarks and $u_p(p)$ is the Dirac spinor of a free proton. Note that

QCD generates all the possible currents compatible with Lorentz invariance and electromagnetic current conservation. We choose $F_{1,p}^X(q^2)$ and $F_{2,p}^X(q^2)$ to denote the X-analogues of the familiar Dirac and Pauli form factors. Finally we form the analogue of the Sachs magnetic form factor by introducing $G_{M,p}^X(q^2) = F_{1,p}^X(q^2) + F_{2,p}^X(q^2)$, recalling that $G_{M,p}(0)$ is given by the total magnetic moment of the proton—we refer to Ref. [43] for a review. The M1 transition of interest here is determined by the total magnetic moment operator.

The nucleon currents, written in either the quark or hadron basis, can, in turn, be combined to form isospin currents

$$J_0^\mu = J_p^\mu + J_n^\mu, \quad J_1^\mu = J_p^\mu - J_n^\mu. \quad (12)$$

Assuming isospin is conserved and the ${}^8\text{Be}$ states are isospin eigenstates, $\langle {}^8\text{Be} | J_1^\mu | {}^8\text{Be}^* \rangle = 0$, since both ${}^8\text{Be}^*$ and the ground state ${}^8\text{Be}$ are isosinglets. In this case,

$$\langle {}^8\text{Be} | J_X^\mu | {}^8\text{Be}^* \rangle = \frac{e}{2} (\varepsilon_p + \varepsilon_n) \langle {}^8\text{Be} | J_0^\mu | {}^8\text{Be}^* \rangle, \quad (13)$$

$$\langle {}^8\text{Be} | J_{\text{EM}}^\mu | {}^8\text{Be}^* \rangle = \frac{e}{2} \langle {}^8\text{Be} | J_0^\mu | {}^8\text{Be}^* \rangle. \quad (14)$$

The J_0 nuclear matrix elements therefore cancel in the ratio $\Gamma({}^8\text{Be}^* \rightarrow {}^8\text{Be}X) / \Gamma({}^8\text{Be}^* \rightarrow {}^8\text{Be}\gamma)$. This observation may be modified significantly when isospin violation is included, as we discuss in Sec. IV.

If one sets $g_V = e$ and identifies $F_{\rho\sigma}^{(V)}$ with the electromagnetic field strength in Eq. (7), then the leading operator in \mathcal{L}_V describes the ordinary electromagnetic transition via γ emission. Indeed, in this SM case, Lorentz- and parity-invariance require the characteristic $\Gamma({}^8\text{Be}^* \rightarrow {}^8\text{Be}\gamma) \propto |\mathbf{k}_\gamma|^3$ momentum dependence of an M1 transition. The matrix elements in Eqs. (13) and (14) thus imply that Λ_V in Eq. (7) is universal for spin-1 particles. Combining all of these pieces, we find that

$$\begin{aligned} \frac{\Gamma({}^8\text{Be}^* \rightarrow {}^8\text{Be}X)}{\Gamma({}^8\text{Be}^* \rightarrow {}^8\text{Be}\gamma)} &= (\varepsilon_p + \varepsilon_n)^2 \frac{|\mathbf{k}_X|^3}{|\mathbf{k}_\gamma|^3} \\ &= (\varepsilon_p + \varepsilon_n)^2 \left[1 - \left(\frac{m_X}{18.15 \text{ MeV}} \right)^2 \right]^{3/2}, \end{aligned} \quad (15)$$

when isospin is conserved. This is a convenient expression, as the experimental best fit for the anomalous decay rate to a new vector X is presented in terms of this ratio of decay widths, as seen in Eq. (2).

A simple, well-known vector boson candidate is the dark photon A' [8–11]. The dark photon is a light particle that can have small, but technically natural, couplings to the SM. For a given mass, the dark photon interactions are

controlled by a single kinetic mixing parameter, ε . This is related to the effective coupling in Eq. (7) by $g_V = \varepsilon e$. Substituting this into Eq. (15) and comparing to the experimental result in Eq. (2), one finds that $\varepsilon^2 \approx 10^{-4}$, which is experimentally excluded by, for example, $\pi^0 \rightarrow A'\gamma$ searches at NA48/2 [44].³

A generalization of the dark photon idea is to consider also mixing between the new boson and the SM Z. Such a particle is spin-1 with no definite parity. Unfortunately, bounds from atomic parity violation are extremely stringent [45] and constrain the dark Z couplings to be too small to explain the ${}^8\text{Be}$ anomaly.

Another type of spin-1 particle is a light baryon-minus-lepton number ($B - L$) boson [46–48]. This scenario is constrained by neutrino scattering off electrons and, assuming no kinetic mixing, provides the upper limit $g_{B-L} \lesssim 2 \times 10^{-5}$ [49], which is again too small to account for the excess.

As we discuss in detail in Sec. IV, Eq. (15) may receive significant corrections in the presence of isospin mixing and breaking. We will also see, however, that in the experimentally viable limit of $\varepsilon_p \ll \varepsilon_n$, these corrections are small. For the cases of the dark photon, dark Z, and $B - L$ gauge boson discussed above, the size of the ${}^8\text{Be}$ signal and the strength of the constraints on $\pi^0 \rightarrow X\gamma$ essentially enforce protophobia, and so the arguments against these candidates remain.

IV. SIGNAL DEPENDENCE ON ISOSPIN MIXING AND BREAKING

The discussion of Sec. III E assumed that isospin is conserved and that the ${}^8\text{Be}$ states are states of well-defined isospin. As noted in Sec. II A, however, there is substantial evidence that the ${}^8\text{Be}$ states are isospin mixed, and, as we note below, there may also be isospin breaking in the electromagnetic transition operators stemming from the neutron-proton mass difference. In this section, we determine the impact of isospin mixing and breaking on the rate for ${}^8\text{Be}^* \rightarrow {}^8\text{Be}X$, which, of course, has implications for the parton-level couplings required to explain the ${}^8\text{Be}$ signal.

The ground-state structure and excitation spectrum of ${}^8\text{Be}$, as well as its electromagnetic transitions, have been studied with *ab initio* QMC techniques, based on non-relativistic Hamiltonians with phenomenological nucleon-nucleon and three-nucleon potentials [21–24]. The latest work, Ref. [24], uses the newer AV18 + IL7 potential.

Isospin mixing is addressed in the manner of Ref. [20]: the empirical total (hadronic) widths are used to fix the isospin mixing of the states within a particular doublet.

³Reference [6] quotes a fit of $\varepsilon^2 \sim 10^{-7}$. The discrepancy appears to come from the use of expressions for axions [2] rather than dark photons.

That is, for a doublet of spin J , the physical states (with labels a and b) are given by [24]

$$\begin{aligned}\Psi_J^a &= \alpha_J \Psi_{J,T=0} + \beta_J \Psi_{J,T=1}, \\ \Psi_J^b &= \beta_J \Psi_{J,T=0} - \alpha_J \Psi_{J,T=1},\end{aligned}\quad (16)$$

where a denotes the lower energy state. Note that α_J and β_J are real and satisfy $\alpha_J^2 + \beta_J^2 = 1$. The widths of the isospin-pure states are computed using the QMC approach, permitting the extraction of the mixing parameters in Eq. (16) from the measured widths, yielding, for example [24],

$$\alpha_1 = 0.21(3) \quad \text{and} \quad \beta_1 = 0.98(1). \quad (17)$$

The empirical excitation energies, which are unfolded from the experimental data using these mixing coefficients, agree with the QMC energies of the states of all three mixed doublets, to within the expected theoretical error—that is, to within 1% uncertainty.

Given this success, this procedure may be applied to the electromagnetic transitions of these isospin-mixed states as well, so that the M1 transitions to the ground state are of the form

$$\langle \Psi_{0,0} || M1 || \Psi_J^a \rangle = \alpha_J M1_{J,T=0} + \beta_J M1_{J,T=1}, \quad (18)$$

$$\langle \Psi_{0,0} || M1 || \Psi_J^b \rangle = \beta_J M1_{J,T=0} - \alpha_J M1_{J,T=1}, \quad (19)$$

where $M1_{J,T}$ is the reduced matrix element of the M1 operator with the isospin pure J , T states. For reference we note that this matrix element is related to the partial width Γ_{M1} for the transition via

$$\Gamma_{M1} = \frac{16\pi}{9} \alpha \hbar c \left(\frac{\Delta E}{\hbar c} \right)^3 B(M1) \left(\frac{\hbar c}{2M_p [\text{MeV}]} \right)^2, \quad (20)$$

where $B(M1) = |\langle \Psi_{J_i} || M1 || \Psi_{J_f} \rangle|^2 / (2J_i + 1)$ is in units of $(\mu_N)^2$, the squared nuclear magneton. We emphasize that the M1 operator can mediate both isoscalar ($\Delta T = 0$) and isovector ($|\Delta T| = 1$) transitions. The $J_{|\Delta T|}$ isospin currents are given in Eq. (12).

Unfortunately, the leading one-body (impulse approximation) results compare poorly to experiment. The inclusion of meson-exchange currents in the $M1_{J,T}$ matrix element improves matters considerably, yielding finally $\Gamma_{M1} = 12.0(3)$ eV for the 17.64 MeV transition, to be compared with $\Gamma_{M1}^{\text{expt}} = 15.0(1.8)$ eV [29], and $\Gamma_{M1} = 0.50(2)$ eV for the 18.15 MeV transition, to be compared with $\Gamma_{M1}^{\text{expt}} = 1.9(4)$ eV [29]. Nevertheless, the discrepancies are still significant, and it would seem that something is missing. It is possible that the treatment of wave function mixing is somehow inadequate. Table V of Ref. [24] shows that increasing the value of α_1 to 0.31 makes the M1

transition rate of the 18.15 MeV state double, while decreasing the 17.64 MeV transition by only 5% [50].

The deficiency can be redressed in a distinct way that has not previously been considered in this context. Isospin breaking can appear in the hadronic form of the electromagnetic transition operators themselves [51,52] to the end that changes in the relative strength of the isoscalar and isovector transition operators appear as a result of isospin breaking in the masses of isospin multiplet states, such as the nonzero neutron-proton mass difference. This is pertinent because electromagnetic transition operators involve both one- and two-body contributions. The nuclear structure calculations of Ref. [24] employ electromagnetic transition operators from chiral effective theory in the isospin limit [53,54]. The empirical magnetic moments of the neutron and proton are employed in the leading one-body terms in these analyses, albeit they are normalized by the average nucleon mass, rather than the proton mass that appears in the definition of the nuclear magneton. Consequently the isospin-breaking effects that shift the relative strength of the isoscalar and isovector transition operators appear in higher-order terms, namely in the relativistic corrections to leading one-body operators, as well as in the two-body operators. These effects are likely numerically important for the dominantly isoscalar electromagnetic transitions because the relativistic one-body corrections and two-body contributions are predominantly isovector in the isospin limit [24,55], though technically these corrections to a given contribution appear in higher order in the chiral expansion.

We choose to include these isospin-breaking effects through the use of a spurion formalism [56]. That is, we include isospin-breaking contributions through the introduction of a fictitious particle, the spurion, whose purpose is to allow the inclusion of isospin-breaking effects within an isospin-invariant framework. Since the largest effects should stem from the neutron-proton mass difference, the spurion acts like a new $\Delta T = 1$ operator because its size is controlled by $(M_n - M_p)/M_N$, where M_N is the nucleon mass. Since the isoscalar transition operators are extremely small we include the “leakage” of the dominant isovector operators into the isoscalar channel only. This is justified by noting that Ref. [24] used states of pure isospin and included meson exchange currents, to determine the isovector and isoscalar M1 transition strengths to be

$$M1_{1,T=1} = 0.767(9)\mu_N \quad \text{and} \quad M1_{1,T=0} = 0.014(1)\mu_N, \quad (21)$$

where the numerical dominance of the isovector M1 transition strength arises from that of the empirical isovector anomalous magnetic moment and the charged-pion, meson-exchange contribution, which is isovector.

Characterizing the strength of the $\Delta T = 1$ spurion by κ , the matrix elements of Eqs. (18) and (19) are thus amended by the addition of

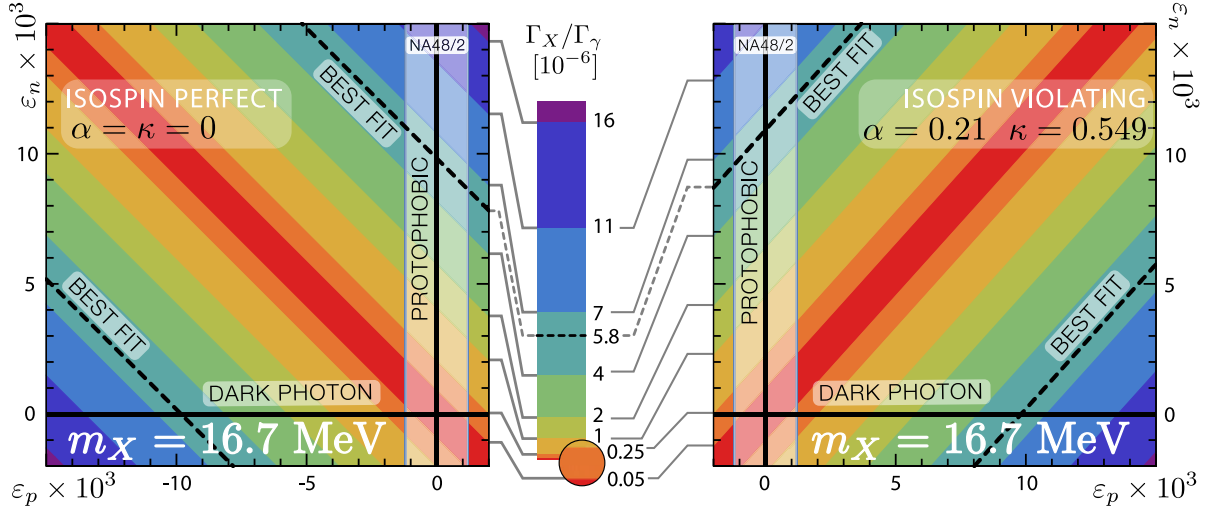


FIG. 3. The ratio Γ_X/Γ_γ in the case of perfect isospin ($\alpha_1 = \kappa = 0$) (left) and isospin violation ($\alpha_1 = 0.21$, $\kappa = 0.549$) (right) in the (ϵ_p, ϵ_n) plane for $m_X = 16.7$ MeV. The effects of isospin violation may be significant in general, but for the viable protophobic regions of parameter space consistent with NA48/2 constraints (shaded), their effects are small. The best fit value of $\Gamma_X/\Gamma_\gamma = 5.8 \times 10^{-6}$ is highlighted. The dark photon scenario corresponds to $\epsilon_n = 0$.

$$\delta\langle\Psi_{0,0}\|M1\|\Psi_1^a\rangle = \alpha_1\kappa M_{1,T=1}, \quad (22)$$

$$\delta\langle\Psi_{0,0}\|M1\|\Psi_1^b\rangle = \beta_1\kappa M_{1,T=1}. \quad (23)$$

The size of κ is controlled by nonperturbative effects. To illustrate its role, we assume that it can be determined by demanding that the resulting M1 transition rate of the 17.64 MeV decay reproduces its experimental value. The final M1 transition matrix elements thus read

$$\langle\Psi_{0,0}\|M1\|\Psi_1^a\rangle = \alpha_1 M_{1,T=0} + \beta_1 M_{1,T=1} + \alpha_1\kappa M_{1,T=1}, \quad (24)$$

$$\langle\Psi_{0,0}\|M1\|\Psi_1^b\rangle = \beta_1 M_{1,T=0} - \alpha_1 M_{1,T=1} + \beta_1\kappa M_{1,T=1}. \quad (25)$$

The needed shift in the M1 partial width of the 17.64 MeV transition is 3.0 ± 2.1 eV. Employing the matrix elements

of Ref. [24], we find the central value of $\kappa = 0.549$ to yield $\langle\Psi_{0,0}\|M1\|\Psi_1^b\rangle = 0.265\mu_N$ and a M1 partial width of 1.62 eV, which is within 1σ of the experimental result.

With the above discussion of both isospin mixing and isospin breaking in hand, we now turn to their implications for an M1 transition mediated by an X boson with vector couplings $\epsilon_n e$ and $\epsilon_p e$ to the neutron and proton, respectively. The M1 transition mediated by X is

$$\langle\Psi_{0,0}\|M1_X\|\Psi_1^b\rangle = (\epsilon_n + \epsilon_p)\beta_1 M_{1,T=0} + (\epsilon_p - \epsilon_n) \times (-\alpha_1 M_{1,T=1} + \beta_1\kappa M_{1,T=1}), \quad (26)$$

where the neutron and proton X couplings appear because the ${}^8\text{Be}$ system contains equal numbers of neutrons and protons. The resulting ratio of partial widths is, then,

$$\frac{\Gamma_X}{\Gamma_\gamma} = \frac{|(\epsilon_p + \epsilon_n)\beta_1 M_{1,T=0} + (\epsilon_p - \epsilon_n)(-\alpha_1 M_{1,T=1} + \beta_1\kappa M_{1,T=1})|^2 |\mathbf{k}_X|^3}{|\beta_1 M_{1,T=0} - \alpha_1 M_{1,T=1} + \beta_1\kappa M_{1,T=1}|^2 |\mathbf{k}_\gamma|^3}. \quad (27)$$

In the limit of no isospin mixing ($\alpha_1 = 0$, $\beta_1 = 1$) and no isospin breaking ($\kappa = 0$), Eq. (27) reproduces Eq. (15). However, substituting the isospin mixing parameters of Eq. (17) and the M1 transition strengths of Eq. (21), we find

$$\frac{\Gamma_X}{\Gamma_\gamma} = |-0.09(\epsilon_p + \epsilon_n) + 1.09(\epsilon_p - \epsilon_n)|^2 \frac{|\mathbf{k}_X|^3}{|\mathbf{k}_\gamma|^3} \quad \kappa = 0, \quad (28)$$

$$\frac{\Gamma_X}{\Gamma_\gamma} = |0.05(\epsilon_p + \epsilon_n) + 0.95(\epsilon_p - \epsilon_n)|^2 \frac{|\mathbf{k}_X|^3}{|\mathbf{k}_\gamma|^3} \quad \kappa = 0.549. \quad (29)$$

The isoscalar contribution is only a small fraction of the isovector one, and so, in general, large modifications from isospin violation are possible.

In Fig. 3, we plot the ratio Γ_X/Γ_γ in the (ϵ_p, ϵ_n) plane. In the case of perfect isospin, the transition is isoscalar and the

ratio depends on $\varepsilon_p + \varepsilon_n$, but in the case of isospin violation, the isovector transition dominates, and the ratio depends effectively on $\varepsilon_p - \varepsilon_n$. The effects of including isospin violation are, therefore, generally significant. Interestingly, however, in the protophobic limit with $\varepsilon_p = 0$, isospin violation only modifies Γ_X/Γ_γ by a factor of about 20%. However, for larger values of $|\varepsilon_p|$, for example, $|\varepsilon_p| \sim |\varepsilon_n|/2$, isospin-breaking effects can be significant, leading to factors of 10 changes in the branching ratios, or factors of 3 modifications to the best fit couplings. Such large excursions from protophobia are excluded by the NA48/2 limits for the best fit values of the couplings corresponding to $m_X = 16.7$ MeV, but may be possible for larger values of m_X within its allowed range, as we discuss below.

V. SIGNAL REQUIREMENTS FOR GAUGE BOSON COUPLINGS

In this section, we discuss what a gauge boson's couplings must be to explain the ^8Be signal. We begin with the leptonic couplings, where the requirements are straightforward to determine. To produce the IPC signal, the X boson must decay to e^+e^- . The Atomki pair spectrometer has a distance of $\mathcal{O}(\text{few})$ cm between the target, where the ^8Be excited state is formed, and the detectors that observe the charged particles [30]. The X boson decay width to electrons is

$$\Gamma(X \rightarrow e^+e^-) = \varepsilon_e^2 \alpha \frac{m_X^2 + 2m_e^2}{3m_X} \sqrt{1 - 4m_e^2/m_X^2}, \quad (30)$$

with similar formulas for other fermion final states [57]. Requiring that the new boson propagates no more than 1 cm from its production point implies a lower bound

$$\frac{|\varepsilon_e|}{\sqrt{\text{Br}(X \rightarrow e^+e^-)}} \gtrsim 1.3 \times 10^{-5}. \quad (31)$$

If the X boson couples only to the charged SM fermions required to explain the ^8Be anomaly, one has $\text{Br}(X \rightarrow e^+e^-) = 1$. Note, however, that if $\varepsilon_\nu \neq 0$ or if there exist light hidden-sector states with X charge, then there are generically other decay channels for X .

The required quark couplings are determined by the signal event rate, that is, the best fit Γ_X/Γ_γ . In the Atomki experimental paper, the best fit branching fraction is that given in Eq. (2). Combining this result with the isospin-conserving expression for the branching ratio of Eq. (15), we find

$$\begin{aligned} |\varepsilon_p + \varepsilon_n| &\approx \frac{1.0 \times 10^{-2}}{\sqrt{\text{Br}(X \rightarrow e^+e^-)}} \quad \text{or} \\ |\varepsilon_u + \varepsilon_d| &\approx \frac{3.3 \times 10^{-3}}{\sqrt{\text{Br}(X \rightarrow e^+e^-)}}, \end{aligned} \quad (32)$$

where we have taken $m_X = 16.7$ MeV. These results, shifted slightly to $m_X = 17$ MeV, were presented previously in Ref. [7].

Given the discussion above, however, several refinements are in order. First, one can include the isospin-violating effects discussed in Sec. IV. These modify the branching ratio expression from Eq. (15) to Eq. (29), with the effects shown in Fig. 3.

Second, as discussed above, the presence of significant isospin mixing strongly suggests that the absence of anomalous IPC decays in the $^8\text{Be}^{*f}$ state originates from kinematic suppression, rather than from isospin symmetry or some other dynamical effect. This, then, argues for masses in the upper region of the allowed range of Eq. (2). Larger masses imply larger phase-space suppression, and these may significantly shift the contours of Γ_X/Γ_γ in the $(\varepsilon_p, \varepsilon_n)$ plane, as can be seen by comparing the $\pm 1\sigma$ values of m_X in Fig. 4.

Last, and most importantly, to determine the favored couplings, one must know how the best fit Γ_X/Γ_γ depends on m_X . In the original experimental paper, the best fit branching ratio $\Gamma_X/\Gamma_\gamma = 5.8 \times 10^{-6}$ was presented without uncertainties and only for the best fit mass of 16.7 MeV. In a subsequent analysis, however, the experimental collaboration explored the implications of other masses [58]. In preliminary results from this analysis, the M1 and E1 background normalizations were fit to the angular spectrum in the range $40^\circ \leq \theta \leq 120^\circ$, and confidence regions in the $(m_X, \Gamma_X/\Gamma_\gamma)$ plane were determined with only statistical uncertainties included. For masses larger than 16.7 MeV, the best fit branching ratio was found to be significantly smaller. For example, for $m_X = 17.3$ MeV (17.6 MeV), the best fit was for $\Gamma_X/\Gamma_\gamma \approx 2.3 \times 10^{-6}$ (0.5×10^{-6}) [58]. For such large masses, the best fit with fixed backgrounds is not very good, and the implications for nucleon-level couplings are partially offset by the reduced phase space factor $|\mathbf{k}_X|^3/|\mathbf{k}_\gamma|^3$. In a full analysis, one should also include systematic errors which are clearly a significant source of uncertainty in the m_X determination, and also let the background levels float in the fit. We expect that including these effects will significantly improve the fit for larger masses and favor even smaller couplings. Specifically, since the anomalous events at angles between 120° and 135° cannot come from signal when the X mass is heavier, larger M1 and E1 backgrounds will improve the fit and thus require a smaller signal to achieve the best fit to the angular spectrum.

Clearly a complete understanding of the experimental uncertainties requires a detailed analysis that incorporates an accurate estimate of nuclear isospin violation, simulation of the experiment, systematic uncertainties, varying backgrounds, and the null $^8\text{Be}^{*f}$ result. Such an analysis is beyond the scope of this study. As a rough estimate of the hadronic couplings required to explain the ^8Be signal, we take

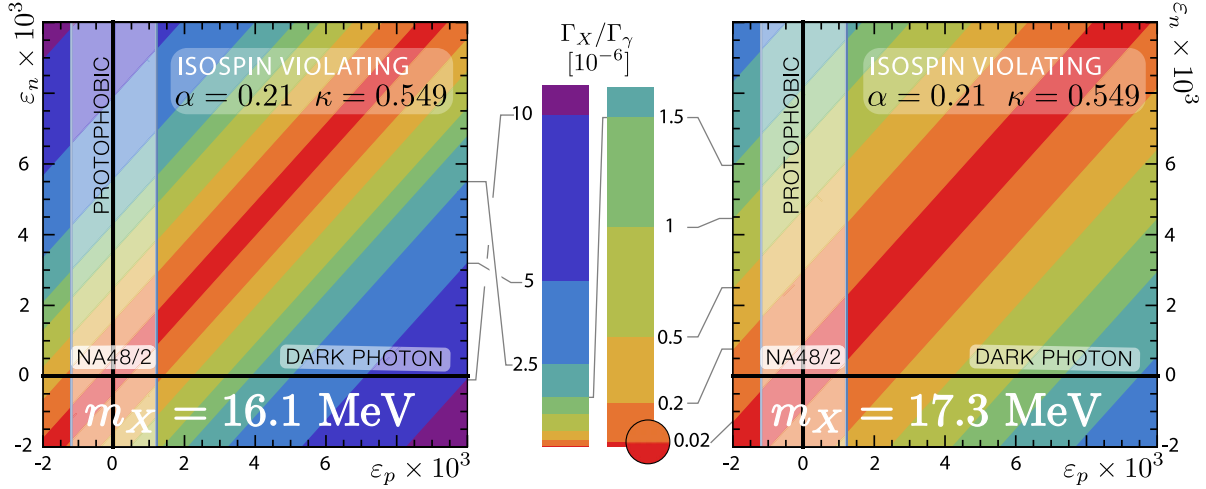


FIG. 4. Contours of Γ_X/Γ_γ in the $(\varepsilon_p, \varepsilon_n)$ plane for the parametrization of isospin violation in Eq. (29). Also shown are the dark photon axis ($\varepsilon_n = 0$) and the protophobic region with $|\varepsilon_p| \leq 1.2 \times 10^{-3}$ allowed by NA48/2 constraints on $\pi^0 \rightarrow X\gamma$. The m_X values are fixed to $m_X = 16.1$ MeV (left) and 17.3 MeV (right), corresponding to the $\pm 1\sigma$ (statistical) range of m_X .

$$|\varepsilon_n| = (2 - 10) \times 10^{-3}, \quad (33)$$

$$|\varepsilon_p| \leq 1.2 \times 10^{-3}, \quad (34)$$

where the upper part of the ε_n range includes the coupling for the best fit branching ratio for $m_X = 16.7$ MeV, and the lower part presumably includes the best fit value for the larger m_X that simultaneously explain the ${}^8\text{Be}^*$ signal and the ${}^8\text{Be}^{*'}$ null results. The proton coupling constraint follows from the NA48/2 constraints to be discussed in Sec. VI A 1. In presenting our models in Secs. VII A and VIII A, we leave the dependence on ε_n explicit so that the impact of various values of ε_n can be easily evaluated. Note that the lower values of Γ_X/Γ_γ are still too large to accommodate a dark photon explanation.

VI. CONSTRAINTS FROM OTHER EXPERIMENTS

We now discuss the constraints on the gauge boson's couplings from all other experiments, considering quark, electron, and neutrino couplings in turn, with a summary of all constraints at the end of the section. Many of these constraints were previously listed in Ref. [7]. We discuss them here in more detail, update some—particularly the neutrino constraints—to include new cases and revised estimates from other works, and include other constraints.

A. Quark coupling constraints

The production of the X boson in ${}^8\text{Be}^*$ decays is completely governed by its couplings to hadronic matter. The most stringent bound on these couplings in the $m_X \approx 17$ MeV mass range is the decay of neutral pions into $X\gamma$. For completeness, we also list the leading subdominant constraints on ε_q , for $q = u, d$.

1. Neutral pion decay, $\pi^0 \rightarrow X\gamma$

The primary constraint on new gauge boson couplings to quarks comes from the NA48/2 experiment, which performs a search for rare pion decays $\pi^0 \rightarrow \gamma(X \rightarrow e^+e^-)$ [59]. The bound scales like the anomaly trace factor $N_\pi \equiv (\varepsilon_u q_u - \varepsilon_d q_d)^2$. Translating the dark photon bound $N_\pi < \varepsilon_{\text{max}}^2/9$ to limits on the new gauge boson couplings gives

$$|2\varepsilon_u + \varepsilon_d| = |\varepsilon_p| \lesssim \frac{(0.8-1.2) \times 10^{-3}}{\sqrt{\text{Br}(X \rightarrow e^+e^-)}}, \quad (35)$$

where the range comes from the rapid fluctuations in the NA48/2 limit for masses near 17 MeV. In Ref. [7], we observed that the left-hand side becomes small when the X boson is protophobic—that is, when its couplings to protons are suppressed relative to neutrons.

2. Neutron-lead scattering

A subdominant bound is set from measurements of neutron-nucleus scattering. The Yukawa potential acting on the neutron is $V(r) = -(\varepsilon_n e)^2 A e^{-m_X r} / (4\pi r)$, where A is the atomic mass number. Observations of the angular dependence of neutron-lead scattering constrain new, weakly coupled forces [60], leading to the constraint

$$\frac{(\varepsilon_n e)^2}{4\pi} < 3.4 \times 10^{-11} \left(\frac{m_X}{\text{MeV}} \right)^4. \quad (36)$$

3. Proton fixed target experiments

The ν -Cal I experiment at the U70 accelerator at IHEP sets bounds from X -bremsstrahlung off the initial proton beam [61] and $\pi^0 \rightarrow X\gamma$ decays [62]. Both of these

processes are suppressed in the protophobic scenario so that these bounds are automatically satisfied when Eq. (35) is satisfied.

4. Charged kaon and ϕ decays

There are also bounds on second generation couplings. The NA48/2 experiment places limits on $K^+ \rightarrow \pi^+(X \rightarrow e^+e^-)$ [44]. For $m_X \approx 17$ MeV, the bound on ε_n is much weaker than the one from π^0 decays in Eq. (35) [57,63]. The KLOE-2 experiment searches for $\phi \rightarrow \eta(X \rightarrow e^+e^-)$ and restricts [64]

$$|\varepsilon_s| \lesssim \frac{1.0 \times 10^{-2}}{\sqrt{\text{Br}(X \rightarrow e^+e^-)}}. \quad (37)$$

In principle ε_s is independent and need not be related to the ${}^8\text{Be}^*$ coupling. However, in the limit of minimal flavor violation, one assumes $\varepsilon_d = \varepsilon_s$.

5. Other meson and baryon decays

The WASA-at-COSY experiment also sets limits on quark couplings based on neutral pion decays. It is both weaker than the NA48/2 bound and only applicable for masses heavier than 20 MeV [65]. The HADES experiment searches for dark photons in π^0 , η , and Δ decays and restricts the kinetic mixing parameter to $\varepsilon \lesssim 3 \times 10^{-3}$ but only for masses heavier than 20 MeV [66]. HADES is able to set bounds on gauge bosons around 17 MeV in the $\pi^0 \rightarrow XX \rightarrow e^+e^-e^+e^-$ decay channel. This, however, is suppressed by ε_n^4 and is thus insensitive to $|\varepsilon_n| \lesssim 10^{-2}$. Similar considerations suppress X contributions to other decays, such as $\pi^+ \rightarrow \mu^+\nu_\mu e^+e^-$, to undetectable levels.

B. Electron coupling constraints

The X boson is required to couple to electrons to contribute to IPC events. In Eq. (31) we gave a lower limit on ε_e in order for X to decay within 1 cm of its production in the Atomki apparatus. In this section we review other bounds on this coupling.

1. Beam dump experiments

Electron beam dump experiments, such as SLAC E141 [67,68], search for dark photons bremsstrahlung from electrons that scatter off target nuclei. For $m_X = 17$ MeV, these experiments restrict $|\varepsilon_e|$ to live in one of two regimes: either it is small enough to avoid production, or large enough that the X decay products are caught in the dump [69], leading to

$$|\varepsilon_e| < 10^{-8} \quad \text{or} \quad \frac{|\varepsilon_e|}{\sqrt{\text{Br}(X \rightarrow e^+e^-)}} \gtrsim 2 \times 10^{-4}. \quad (38)$$

The region $|\varepsilon_e| < 10^{-8}$ is excluded since the new boson would not decay inside the Atomki apparatus. This leads to

the conclusion that X must decay inside the beam dump. Less stringent bounds come from Orsay [70] and the SLAC E137 [71] experiment. The E774 experiment at Fermilab is only sensitive to $m_X < 10$ MeV [72].

2. Magnetic moment of the electron

The upper limit on $|\varepsilon_e|$ can be mapped from dark photon searches that depend only on leptonic couplings. The strongest bound for $m_X = 17$ MeV is set by the anomalous magnetic moment of the electron, $(g-2)_e$, which constrains the coupling of the new boson to be [63]

$$|\varepsilon_e| < 1.4 \times 10^{-3}. \quad (39)$$

3. Electron-positron annihilation into X and a photon, $e^+e^- \rightarrow X\gamma$

A similar bound arises from the KLOE-2 experiment, which looks for $e^+e^- \rightarrow X\gamma$ followed by $X \rightarrow e^+e^-$, and finds $|\varepsilon_e| \sqrt{\text{Br}(X \rightarrow e^+e^-)} < 2 \times 10^{-3}$ [73]. An analogous search at BABAR is limited to $m_X > 20$ MeV [74].

4. Proton fixed target experiments

The CHARM experiment at CERN also bounds X couplings through its searches for $\eta, \eta' \rightarrow \gamma(X \rightarrow e^+e^-)$ [75]. The production of the X boson in the CHARM experiment is governed by its hadronic couplings. The couplings required by the anomalous IPC events, Eq. (32), are large enough that the X boson would necessarily be produced in CHARM. Given the lower bound from decay in the Atomki spectrometer, Eq. (31), the only way to avoid the CHARM constraint for $m_X = 17$ MeV is if the decay length is short enough that the X decay products do not reach the CHARM detector. The dark photon limit on ε_e applies to ε_e and yields

$$\frac{|\varepsilon_e|}{\sqrt{\text{Br}(X \rightarrow e^+e^-)}} > 2 \times 10^{-5}. \quad (40)$$

This is weaker than the analogous lower bound on $|\varepsilon_e|$ from beam dump experiments. LSND data imposes an even weaker constraint [76–78].

5. Charged kaon and ϕ decays

In charged kaon decay to leptons, the X vector boson may be emitted from a charged lepton line. Since the new vector interaction does not respect the precise gauge invariance of the SM, the interaction of the longitudinal component of X is not constrained by a corresponding conserved current and thus can be significantly enhanced with energy [79–82]. However, the most severe existing limit comes from the nonobservation of an excess in $\Gamma(K \rightarrow \mu + \text{inv})$ with respect to $\Gamma(K \rightarrow \mu\nu)$ [79–81],

which is not pertinent here as we require an appreciable $\Gamma(X \rightarrow e^+e^-)$ in order to explain the ${}^8\text{Be}$ anomaly.

6. W and Z decays

The X boson can be produced as final state radiation in W and Z decays into SM fermions. When the X then decays into an electron-positron pair, this gives a contribution to $\Gamma(Z \rightarrow 4e)$ that is suppressed by $O(\varepsilon_e^2)$. For the electron couplings $\varepsilon_e \lesssim 10^{-3}$ required here, the impact on the inclusive widths is negligible compared to the order per mille experimental uncertainties on their measurement [83]. The specific decay $Z \rightarrow 4\ell$ has been measured to lie within 10% of the SM expectation by ATLAS and CMS [84,85] and is consistent with the couplings of interest here.

A more severe constraint arises, however, from the experimental value of the W width, because the enhancement mentioned in leptonic K decay appears in $W \rightarrow \mu\nu X$ as well [82]. Limiting the contribution of $W \rightarrow \ell\nu X$ to twice the error in the W width, after Ref. [82], yields

$$|\varepsilon_\ell| < 4.2 \times 10^{-3} \left(\frac{m_X}{10 \text{ MeV}} \right), \quad (41)$$

to leading order in m_X/m_W and m_ℓ/M_W , where we have assumed lepton universality and that $\ell \in e, \mu, \tau$ can contribute to the W width. The resulting constraint on ε_e is weaker than that from the magnetic moment of the electron.

C. Neutrino coupling constraints

The interaction of a light gauge boson with neutrinos is constrained in multiple ways, depending on the SM currents to which the boson couples; see Refs. [81,86–88]. The neutrino coupling is relevant for the ${}^8\text{Be}$ anomaly because $SU(2)_L$ gauge invariance relates the electron and neutrino couplings. Because neutrinos are lighter than electrons, this generically opens additional X decay channels and reduces $\text{Br}(X \rightarrow e^+e^-)$. This, in turn, reduces the lower bound on ε_e in Eq. (31) and alleviates many of the experimental constraints above at the cost of introducing new constraints from X -neutrino interactions.

1. Neutrino–electron scattering

Neutrino–electron scattering stringently constrains the X boson’s leptonic couplings [49,89]. In the mass range $m_X \approx 17$ MeV, the most stringent constraints are from the TEXONO experiment, where $\bar{\nu}_e$ reactor neutrinos with average energy $\langle E_\nu \rangle = 1\text{--}2$ MeV travel 28 meters and scatter off electrons. The resulting electron recoil spectrum is measured. The path length is short, so the neutrinos remain in nearly pure ν_e flavor eigenstates. In the SM, $\bar{\nu}_e e \rightarrow \bar{\nu}_e e$ scattering is mediated by both s - and t -channel diagrams. A new neutral gauge boson that couples to both

neutrinos and electrons induces an additional t -channel contribution.

Because constraints from $\bar{\nu}_e e$ scattering are sensitive to the interference of SM and new physics, they depend on the signs of the new gauge couplings, unlike all of the other constraints discussed above. The importance of the interference term has been highlighted in Ref. [49] in the context of a $B-L$ gauge boson model. In that model, the neutrino and electron couplings have the same sign, and the interference was found to be always constructive.

Assuming that the experimental bound is determined by the total cross section and not the shape of the recoil spectrum, one may use the results of Ref. [49] to determine the bounds in our more general case, where the couplings can be of opposite sign and the interference may be either constructive or destructive. Define the quantity $g \equiv |\varepsilon_e \varepsilon_\nu|^{1/2}$. Let $\Delta\sigma$ be the maximal allowed deviation from the SM cross section and $g_\pm (g_0)$ be the values of g that realize $\Delta\sigma$ in the case of constructive/destructive (negligible) interference,

$$\Delta\sigma = g_0^4 \sigma_X, \quad (42)$$

$$\Delta\sigma = g_+^2 \sigma_{\text{int}} + g_+^4 \sigma_X, \quad (43)$$

$$\Delta\sigma = -g_-^2 \sigma_{\text{int}} + g_-^4 \sigma_X, \quad (44)$$

where $g^4 \sigma_X$ is the purely X -mediated contribution to the cross section and $g^2 \sigma_{\text{int}}$ is the absolute value of the interference term. Solving these equations for the g ’s yields the simple relation

$$g_- g_+ = g_0^2. \quad (45)$$

The authors of Ref. [49] found that for $m_X = 17$ MeV, the maximal allowed $B-L$ gauge boson coupling, g_{B-L} , is 2×10^{-5} and 4×10^{-5} in the cases of constructive interference and no interference, respectively. From this, including the factor of e difference between the definitions of g_{B-L} and our ε ’s, we find

$$\begin{aligned} \sqrt{|\varepsilon_e \varepsilon_\nu|} &< 7 \times 10^{-5} \quad \text{for } \varepsilon_e \varepsilon_\nu > 0 \\ &\text{(constructive interference)} \end{aligned} \quad (46)$$

$$\begin{aligned} \sqrt{|\varepsilon_e \varepsilon_\nu|} &< 3 \times 10^{-4} \quad \text{for } \varepsilon_e \varepsilon_\nu < 0 \\ &\text{(destructive interference)}. \end{aligned} \quad (47)$$

The relative sign of the couplings thus has a significant effect. For a fixed value of ε_e , the bound on $|\varepsilon_\nu|$ is 16 times weaker for the sign that produces destructive interference than for the sign that produces constructive interference.

2. Neutrino–nucleus scattering

In addition to its well-known motivations of providing interesting measurements of $\sin\theta_W$ and bounds on heavy Z' boson [90,91], coherent neutrino-nucleus scattering may also provide leading constraints on light, weakly coupled particles [92,93]. Although ν - N scattering has not yet been observed, it is the target of a number of upcoming experiments that use reactors as sources. In addition, the process can also be probed using current and next-generation dark matter direct detection experiments by searching for solar neutrino scattering events [94]. For a $B-L$ gauge boson, this sensitivity has been estimated in Ref. [95] for SuperCDMS, CDMSlite, and LUX, with the latter providing the most stringent constraint of $g_{B-L} \lesssim 1.5 \times 10^{-4}$. Rescaling this result to the case of a boson with couplings $\varepsilon_\nu e$ and $\varepsilon_{p,n} e$ to nucleons yields

$$\varepsilon_\nu \varepsilon_n \left[(A-Z) + Z \frac{\varepsilon_p}{\varepsilon_n} \right] < \frac{A}{4\pi\alpha} (1.5 \times 10^{-4})^2, \quad (48)$$

where we approximate the LUX detector volume to be composed of a single xenon isotope. Since the NA48/2 bounds on $\pi^0 \rightarrow X\gamma$ imply the protophobic limit where $\varepsilon_p \ll \varepsilon_n$, the second term on the left-hand side may be ignored. Taking $A = 131$ and $Z = 54$ then yields $|\varepsilon_\nu \varepsilon_n|^{1/2} < 6 \times 10^{-4}$ or

$$\varepsilon_\nu < 2 \times 10^{-4} \left(\frac{0.002}{\varepsilon_n} \right). \quad (49)$$

This bound is weaker than the ν - e scattering bound with constructive interference and comparable to the ν - e bound with destructive interference. As the ν - N bounds are estimated sensitivities, we use the ν - e bounds in the discussion below.

D. Summary of constraints

Combining the required ranges of the couplings to explain the ${}^8\text{Be}$ signal from Sec. V with the strongest bounds from other experiments derived above, we now have the acceptable ranges of couplings for a viable protophobic gauge boson to explain the ${}^8\text{Be}$ signal. Assuming $\text{Br}(X \rightarrow e^+ e^-) = 1$, the requirements are

$$|\varepsilon_n| = (2-10) \times 10^{-3}, \quad (50)$$

$$|\varepsilon_p| \lesssim 1.2 \times 10^{-3}, \quad (51)$$

$$|\varepsilon_e| = (0.2-1.4) \times 10^{-3}, \quad (52)$$

$$\sqrt{|\varepsilon_e \varepsilon_\nu|} \lesssim 3 \times 10^{-4}. \quad (53)$$

The nucleon couplings are fixed to reproduce the ${}^8\text{Be}$ signal rate while avoiding the $\pi^0 \rightarrow X\gamma$ decays, and the quark couplings are related by $\varepsilon_u + 2\varepsilon_d = \varepsilon_n$ and $2\varepsilon_u + \varepsilon_d = \varepsilon_p$. The electron coupling is bounded from above by $(g-2)_e$ and KLOE-2 and from below by beam dump searches,

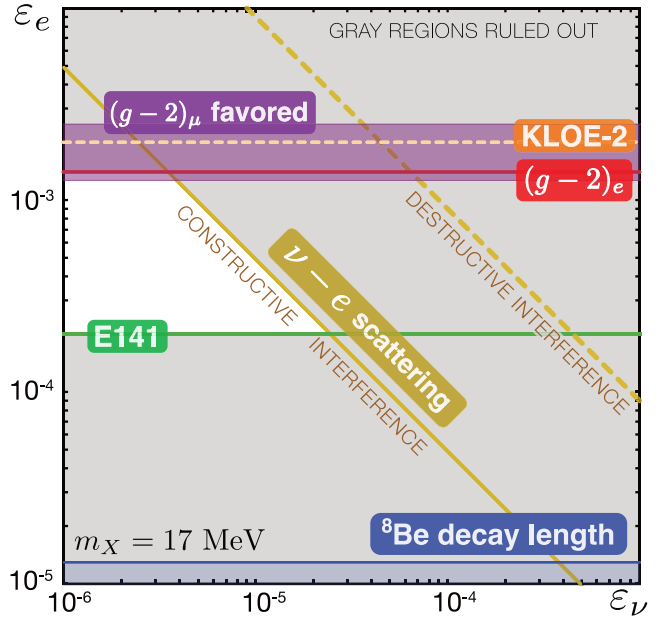


FIG. 5. Summary of constraints and target regions for the leptonic couplings of a hypothetical X gauge boson with $m_X \approx 17$ MeV. Updated from Ref. [7].

and the neutrino coupling is bounded by ν - e scattering. The allowed lepton coupling regions are shown in Fig. 5.

VII. $U(1)_B$ MODEL FOR THE PROTOPHOBIC GAUGE BOSON

In this section, we present anomaly-free extensions of the SM where the protophobic gauge boson is a light $U(1)_B$ gauge boson that kinetically mixes with the photon. These models have significant virtues, which we identify in Sec. VII A. One immediate advantage is that it does not differentiate between left- and right-handed SM fermions, and so naturally has nonchiral couplings. Depending on the best fit couplings discussed in Sec. V, the resulting models may be extremely simple, requiring only the addition of extra particles to cancel the anomalies, as discussed in Sec. VII B.

A. $U(1)_B$ gauge boson with kinetic mixing

The promotion of $U(1)_B$ baryon number from a global to a local symmetry has recently attracted attention [96–104]. Gauged $U(1)_B$ is not anomaly-free, but these studies have constructed a number of models in which the gauge anomalies are canceled with rather minimal new matter content.

Here we assume that the $U(1)_B$ symmetry is broken through a Higgs mechanism, as discussed below, generating a mass for the B gauge boson. As with all Abelian symmetries, the B gauge boson will generically mix kinetically with the other neutral gauge bosons of the SM. At energies well below the weak scale, this mixing is dominantly with the photon. The resulting Lagrangian is

$$\begin{aligned} \mathcal{L} = & -\frac{1}{4}\tilde{F}_{\mu\nu}\tilde{F}^{\mu\nu} - \frac{1}{4}\tilde{X}_{\mu\nu}\tilde{X}^{\mu\nu} + \frac{\epsilon}{2}\tilde{F}_{\mu\nu}\tilde{X}^{\mu\nu} \\ & + \frac{1}{2}m_{\tilde{X}}^2\tilde{X}_{\mu}\tilde{X}^{\mu} + \sum_f \bar{f} i\mathcal{D}f, \end{aligned} \quad (54)$$

where $\tilde{F}_{\mu\nu}$ and $\tilde{X}_{\mu\nu}$ are the field strengths of the photon and B gauge boson, the sum runs over all fermions f , and the covariant derivative is

$$D_{\mu} = \partial_{\mu} + ieQ_f\tilde{A}_{\mu} + ie\epsilon_B B_f\tilde{X}_{\mu}. \quad (55)$$

Here Q_f and B_f are the electric charge and baryon number of fermion f , and ϵ_B is the B gauge coupling in units of e . The tildes indicate gauge-basis fields and quantities.

In the mass basis, the Lagrangian is

$$\mathcal{L} = -\frac{1}{4}F_{\mu\nu}F^{\mu\nu} - \frac{1}{4}X_{\mu\nu}X^{\mu\nu} + \frac{1}{2}m_X^2X_{\mu}X^{\mu} + \sum_f \bar{f} i\mathcal{D}_{\mu}f, \quad (56)$$

where

$$m_X \equiv \frac{1}{\sqrt{1-\epsilon^2}}m_{\tilde{X}} \quad (57)$$

is the physical X boson mass, and

$$\tilde{A}_{\mu} \equiv A_{\mu} + \frac{\epsilon}{\sqrt{1-\epsilon^2}}X_{\mu}, \quad X_{\mu}\tilde{X}_{\mu} \equiv \frac{1}{\sqrt{1-\epsilon^2}}X_{\mu} \quad (58)$$

define the physical massless photon A and massive gauge boson X . The fermions couple to photons with the usual charge eQ_f , but they couple to the X boson with charge $e\epsilon_f$, where

$$\epsilon_f = \epsilon_B B_f + \epsilon Q_f, \quad (59)$$

and the script quantities are defined by

$$\epsilon_B = \frac{\epsilon_B}{\sqrt{1-\epsilon^2}} \quad \epsilon = \frac{\epsilon}{\sqrt{1-\epsilon^2}}. \quad (60)$$

The X charges for the SM fermions, using first generation notation, are

$$\epsilon_u = \frac{1}{3}\epsilon_B + \frac{2}{3}\epsilon, \quad (61)$$

$$\epsilon_d = \frac{1}{3}\epsilon_B - \frac{1}{3}\epsilon, \quad (62)$$

$$\epsilon_{\nu} = 0, \quad (63)$$

$$\epsilon_e = -\epsilon. \quad (64)$$

The π^0 constraints we have discussed above require ϵ and $-\epsilon_B$ to be approximately equal to within 10% to 50%. It is therefore convenient to define $\epsilon \equiv -\epsilon_B + \delta$, so

$$\epsilon_u = -\frac{1}{3}\epsilon_B + \frac{2}{3}\delta, \quad (65)$$

$$\epsilon_d = \frac{2}{3}\epsilon_B - \frac{1}{3}\delta, \quad (66)$$

$$\epsilon_{\nu} = 0, \quad (67)$$

$$\epsilon_e = \epsilon_B - \delta, \quad (68)$$

with corresponding nucleon charges $\epsilon_n = \epsilon_B$ and $\epsilon_p = \delta$.

This model has some nice features. For small δ , the charges are $Q - B$, which satisfies the protophobic condition. For the same reason, the neutrino's charge is identically zero. As discussed in Sec. VI C, the constraints on neutrino charge are among the most stringent, both given $\nu - e$ and $\nu - N$ constraints, and the ${}^8\text{Be}$ signal requirement that X decays not be dominated by the invisible decay $X \rightarrow \nu\bar{\nu}$. The model is highly constrained, and we see that the electron coupling is not suppressed relative to the quark couplings. However, for $\epsilon_B \approx 0.002$ and $\delta \approx 0.001$, this model provides an extremely simple and minimal explanation of the ${}^8\text{Be}$ signal (provided gauge anomalies are canceled, as discussed below). Note that it predicts values of $\epsilon_e \approx 0.001$, that is, in the upper part of the allowed range of Eq. (52). Assuming $\epsilon_{\mu} \approx \epsilon_e$, such couplings remove [57] at least part of the longstanding discrepancy in $(g-2)_{\mu}$ between measurements [105] and the SM prediction [106], with important implications for the upcoming Muon $(g-2)$ Experiment at Fermilab [107]. They also imply promising prospects for future searches for the protophobic X boson at low-energy colliders, as discussed in Sec. X.

We treat the kinetic mixing ϵ as a free parameter. In a more fundamental theory, however, ϵ may be related to ϵ_B . For example, if $U(1)_B$ is embedded in non-Abelian gauge group, ϵ vanishes above the symmetry-breaking scale, but when the non-Abelian symmetry breaks, it is generated by vacuum polarization diagrams with particles with electric charge and B quantum numbers in the loop. Parametrically, $\epsilon \sim (e^2/6\pi^2)\epsilon_B \sum_f Q_f B_f \ln r_f$ [10], where the sum is over pairs of particles in the loop, and the r_f are ratios of masses of these particles. Given ~ 100 particles, one would therefore expect $\epsilon \sim \epsilon_B$ in general, and the particular relation $\epsilon \approx -\epsilon_B$, which is not renormalization group invariant, may be viewed as providing information at low-energy scales about the GUT-scale particle spectrum.

B. Anomaly cancellation and experimental implications

Models with gauged baryon number require additional particle content to cancel anomalies. The simplest

TABLE I. New particle content of the simplest anomaly-free $U(1)_B$ model.

Field	Isospin I	Hypercharge Y	B
S_B	0	0	3
Ψ_L	$\frac{1}{2}$	$-\frac{1}{2}$	B_1
Ψ_R	$\frac{1}{2}$	$-\frac{1}{2}$	B_2
η_R	0	-1	B_1
η_L	0	-1	B_2
χ_R	0	0	B_1
χ_L	0	0	B_2

experimentally viable extension of the SM with gauged $U(1)_B$ requires adding three vectorlike pairs of color-singlet fields [100,103].⁴ These fields and their quantum numbers are listed in Table I. The new fields carry baryon charges that satisfy the anomaly cancellation condition $B_2 - B_1 = 3$. The χ field is naturally a dark matter candidate [103,109], and it has to be the lightest of the new fields to avoid stable charged matter.

The $U(1)_B$ symmetry is broken by the vacuum expectation value (vev) $\langle S_B \rangle = v_X/\sqrt{2}$ of a new SM-singlet Higgs field carrying baryon number $B = 3$ to allow for vectorlike mass terms and to make the χ field the lightest one. The new Yukawa terms in the Lagrangian are

$$\begin{aligned} \mathcal{L}_Y = & -y_1 \bar{\Psi}_L h_{SM} \eta_R - y_2 \bar{\Psi}_L \tilde{h}_{SM} \chi_R - y_3 \bar{\Psi}_R h_{SM} \eta_L \\ & - y_4 \bar{\Psi}_R \tilde{h}_{SM} \chi_L - \lambda_\psi S_B \bar{\Psi}_L \Psi_R - \lambda_\eta S_B \bar{\eta}_R \eta_L \\ & - \lambda_\chi S_B \bar{\chi}_R \chi_L + \text{H.c.} \end{aligned} \quad (69)$$

In Refs. [100,103] $U(1)_B$ is assumed to be broken at the TeV scale. However, to have a light $U(1)_B$ gauge boson and a gauge coupling consistent with the ^8Be signal, the vev of the new Higgs boson cannot be so large. Defining its vacuum expectation value by $\langle S_B \rangle = v_X/\sqrt{2}$, the mass of the new X gauge boson corresponding to the broken $U(1)_B$ is given by

$$m_X = 3e|\epsilon_B|v_X, \quad (70)$$

implying

$$v_X \approx 10 \text{ GeV} \frac{0.002}{|\epsilon_B|}. \quad (71)$$

As a result, the new particles cannot have large vectorlike masses from the λ_i couplings in Eq. (69), but must rather have large chiral couplings from the y_i terms of Eq. (69).

⁴A model unifying gauged baryon number and color into a non-Abelian $SU(4)$ has been constructed and, after symmetry breaking, yields the same new particle content as the $U(1)_B$ model discussed here [108].

The experimental constraints on the extra matter content of this model come from several sources:

- (i) First, the new particles may be produced through Drell-Yan production at the LHC. However, for Yukawa couplings $y_i \sim 3$, close to the perturbative limit, the masses of the new states are ~ 500 GeV and beyond current LHC sensitivity.
- (ii) Second, electroweak precision measurements constrain the properties of the new particles. The two electroweak doublets give an irreducible contribution to the S parameter of $\Delta S \approx 2/(6\pi) \approx 0.11$ [110]. In the degenerate mass limit, they do not contribute to the T and U parameters. However, the fit to electroweak precision data may be improved with a slight splitting of $\Delta m \sim 50$ GeV, which gives $\Delta T \approx 2/(3\pi \sin^2 2\theta_W)(\Delta m/m_Z)^2 \approx 0.09$. This combination of ΔS and ΔT fits well within the 90% C.L. region (see, for example, Fig. 10.6 of Ref. [111]).
- (iii) Third, the new particles may affect the $h_{SM} \rightarrow \gamma\gamma$ decay rate. Since these particles essentially form two additional families of leptons, the rate for Higgs boson decay to two photons decreases by $\sim 20\%$ compared to the SM prediction [112], but this is still within the experimentally allowed region [113].

In summary, a simple model with a $U(1)_B$ gauge boson that kinetically mixes with the photon is a viable candidate for the protophobic gauge boson. The gauge anomalies must be canceled by introducing additional particles, and we have discussed the simplest realization of this field content that simultaneously explains the ^8Be anomaly.

VIII. $U(1)_{B-L}$ MODEL FOR THE PROTOPHOBIC GAUGE BOSON

In this section, we present another anomaly-free extension of the SM where the protophobic gauge boson is a light $U(1)_{B-L}$ gauge boson that kinetically mixes with the photon. These models have significant virtues, which we identify in Sec. VIII A. They also generically have neutrino couplings that are too large, and we explore a mechanism for suppressing the neutrino couplings in Sec. VIII B. The resulting models may be extremely simple, requiring only the addition of one generation of vectorlike leptons which is light and may already be probed at the LHC. The implications for colliders and cosmology are discussed in Sec. VIII C.

A. $U(1)_{B-L}$ gauge boson with kinetic mixing

The possibility of gauged $U(1)_{B-L}$ has been studied for many decades [46–48,114]. The promotion of $U(1)_{B-L}$ from a global to a local symmetry is well motivated among Abelian symmetries by its appearance in grand unified theories, and the fact that it is anomaly-free once one adds to the SM three right-handed (sterile) neutrinos, which are already strongly motivated by the existence of neutrino masses.

As in the $U(1)_B$ case, we assume that the $B-L$ symmetry is broken through a Higgs mechanism, generating a mass for the $B-L$ gauge boson, and that it kinetically mixes with the photon. The resulting X -charges for the SM fermions, using first generation notation, are

$$\varepsilon_u = \frac{1}{3}\varepsilon_{B-L} + \frac{2}{3}\varepsilon, \quad (72)$$

$$\varepsilon_d = \frac{1}{3}\varepsilon_{B-L} - \frac{1}{3}\varepsilon, \quad (73)$$

$$\varepsilon_\nu = -\varepsilon_{B-L}, \quad (74)$$

$$\varepsilon_e = -\varepsilon_{B-L} - \varepsilon, \quad (75)$$

or, defining $\varepsilon \equiv -\varepsilon_{B-L} + \delta$ as above,

$$\varepsilon_u = -\frac{1}{3}\varepsilon_{B-L} + \frac{2}{3}\delta, \quad (76)$$

$$\varepsilon_d = \frac{2}{3}\varepsilon_{B-L} - \frac{1}{3}\delta, \quad (77)$$

$$\varepsilon_\nu = -\varepsilon_{B-L}, \quad (78)$$

$$\varepsilon_e = -\delta. \quad (79)$$

The corresponding nucleon charges are $\varepsilon_n = \varepsilon_{B-L}$ and $\varepsilon_p = \delta$.

The charges of the kinetically mixed $B-L$ gauge boson have nice features for explaining the ^8Be anomaly. For $\delta \approx 0$, the charges are $Q - (B-L)$, which satisfies the basic requirements of a protophobic solution to the ^8Be anomaly: namely, the X boson couples to neutrons, but its couplings to both protons and electrons are suppressed. More quantitatively, by choosing the two parameters $|\varepsilon_{B-L}| \approx 0.002-0.008$ and $|\delta| \lesssim 0.001$, the up and down quark couplings give the ^8Be signal and are sufficiently protophobic to satisfy the π^0 constraints. This is no great achievement: by picking two free parameters, two conditions can be satisfied. But what is nontrivial is that with this choice, the electron coupling satisfies the upper bound $|\varepsilon_e| \lesssim 1.4 \times 10^{-3}$, which is required by the completely independent set of experiments that constrain lepton couplings.

Unfortunately, in contrast to the $U(1)_B$ case, the neutrino coupling does not vanish. In these models, we see that $\varepsilon_\nu = -\varepsilon_n$ while the constraints discussed above require the neutrino coupling to be significantly below the neutron coupling. In the next section, we present a mechanism to neutralize the X -charge of SM active neutrinos to satisfy these bounds.

B. Neutrino neutralization with vectorlike leptons

The $B-L$ gauge boson with kinetic mixing predicts $|\varepsilon_\nu| = |\varepsilon_n| \sim 0.002-0.008$. However, for the allowed range of ε_e , the bounds from $\nu-e$ scattering require $|\varepsilon_\nu|$ to be reduced by a factor of ~ 4 or more. In this section, we neutralize the X -charge of the active neutrinos by supplementing the SM with vectorlike leptons with opposite $B-L$ quantum numbers. The $B-L$ symmetry is broken by a Higgs mechanism, generating a vacuum expectation value for the new SM-singlet Higgs field h_X . This symmetry breaking simultaneously (1) generates the 17 MeV mass for the X boson, (2) generates a Majorana mass for the SM sterile neutrinos, which would otherwise be forbidden by $B-L$ symmetry, and (3) mixes the SM active neutrinos with the new lepton states such that the resulting mass eigenstates have suppressed X -charge.

The fields of these models include the SM Higgs boson h_{SM} , and the SM lepton fields ℓ_L , e_R , and ν_R , where the last is the sterile neutrino required by $B-L$ anomaly cancellation. To these, we add the Higgs field h_X with $B-L = 2$, and N vectorlike lepton isodoublets $L_{iL,R}$ and charged isosinglets $E_{iL,R}$, with $B-L = 1$. The addition of vectorlike pairs preserves anomaly cancellation. These fields and their quantum numbers are shown in Table II. We focus here on the first generation leptons; the mechanism may be straightforwardly extended to the second and third generations.

With these fields, the full set of gauge-invariant, renormalizable Lagrangian terms that determine the lepton masses are

$$\mathcal{L} = \mathcal{L}_{\text{SM}} + \mathcal{L}_{\text{mix}} + \mathcal{L}_{\text{new}}, \quad (80)$$

TABLE II. Fields and their quantum numbers in the $B-L$ model with kinetic mixing and neutrinos neutralized by mixing with vectorlike leptons. The SM fields, including the sterile neutrino, are listed above the line. The new fields, including N generations of vectorlike fields, with $i = 4, \dots, N+3$, are listed below the line.

Field	Isospin I	Hypercharge Y	$B-L$
h_{SM}	$\frac{1}{2}$	$\frac{1}{2}$	0
$\ell_L = \begin{pmatrix} \nu_L \\ e_L \end{pmatrix}$	$\frac{1}{2}$	$-\frac{1}{2}$	-1
e_R	0	-1	-1
ν_R	0	0	-1
h_X	0	0	2
$L_{iL} = \begin{pmatrix} \nu_{iL} \\ e_{iL} \end{pmatrix}$	$\frac{1}{2}$	$-\frac{1}{2}$	1
$L_{iR} = \begin{pmatrix} \nu_{iR} \\ e_{iR} \end{pmatrix}$	$\frac{1}{2}$	$-\frac{1}{2}$	1
E_{iL}	0	-1	1
E_{iR}	0	-1	1

$$\mathcal{L}_{\text{SM}} = (-y_e h_{\text{SM}} \bar{\ell}_L e_R + y_\nu \tilde{h}_{\text{SM}} \bar{\ell}_L \nu_R + \text{H.c.}) - y_N h_X \bar{\nu}_R^c \nu_R, \quad (81)$$

$$\mathcal{L}_{\text{mix}} = -\lambda_L^i h_X \bar{\ell}_L L_{i_R} - \lambda_E^i h_X \bar{E}_{i_L} e_R + \text{H.c.}, \quad (82)$$

$$\begin{aligned} \mathcal{L}_{\text{new}} = & -M_L^{ij} \bar{L}_{i_L} L_{j_R} - M_E^{ij} \bar{E}_{i_L} E_{j_R} - h^{ij} h_{\text{SM}} \bar{L}_{i_L} E_{j_R} \\ & + k^{ij} \tilde{h}_{\text{SM}} \bar{E}_{i_L} L_{j_R} + \text{H.c.}, \end{aligned} \quad (83)$$

where $i, j = 4, \dots, N+3$. \mathcal{L}_{SM} generates the Dirac and Majorana SM neutrino masses, \mathcal{L}_{mix} includes the terms that mix the SM and vectorlike fields, and \mathcal{L}_{new} contains the vectorlike masses and Yukawa couplings for the new vectorlike leptons. For simplicity, we will assume universal masses and Yukawa couplings, so $\lambda_L^i = \lambda_L$, $\lambda_E^i = \lambda_E$, $M_L^{ij} = M_L \delta^{ij}$, $M_E^{ij} = M_E \delta^{ij}$, $h^{ij} = h \delta^{ij}$, $k^{ij} = k \delta^{ij}$.

When electroweak symmetry and $B-L$ symmetry are broken, the Higgs fields get vevs $\langle h_{\text{SM}} \rangle = v/\sqrt{2}$, where $v \simeq 246$ GeV, and $\langle h_X \rangle = v_X/\sqrt{2}$. This gives the X boson a mass

$$m_X = 2e|\epsilon_{B-L}|v_X, \quad (84)$$

which constrains v_X to be

$$v_X = 14 \text{ GeV} \frac{0.002}{|\epsilon_{B-L}|}. \quad (85)$$

It also generates Dirac and Majorana masses for the SM neutrinos, $m_D = y_\nu v/\sqrt{2}$ and $m_M = y_N v_X/\sqrt{2}$, and masses $M_I^L = \lambda_L v_X/\sqrt{2}$ and $M_I^E = \lambda_E v_X/\sqrt{2}$ that mix the SM and vectorlike leptons. The resulting neutrino masses for the first SM generation and the vectorlike generations are $\bar{\nu}^\nu \mathcal{M}_\nu^M \psi^\nu$, where

$$\mathcal{M}_\nu^M = \begin{pmatrix} 0 & m_D & 0 & M_I^L & \cdots & 0 & M_I^L \\ m_D & m_M & 0 & 0 & \cdots & 0 & 0 \\ 0 & 0 & 0 & M_L & \cdots & 0 & 0 \\ M_I^L & 0 & M_L & 0 & \cdots & 0 & 0 \\ \vdots & \vdots & \vdots & \vdots & \ddots & \vdots & \vdots \\ 0 & 0 & 0 & 0 & \cdots & 0 & M_L \\ M_I^L & 0 & 0 & 0 & \cdots & M_L & 0 \end{pmatrix}, \quad (86)$$

and $\psi^\nu = (\nu_L, \nu_R, \nu_{4_L}, \nu_{4_R}, \dots, \nu_{N+3_L}, \nu_{N+3_R})$, or alternatively, neglecting the small SM Dirac and Majorana masses, the remaining neutrino masses may be written $\bar{\nu}_L^\nu \mathcal{M}_\nu \psi_R^\nu + \text{H.c.}$, where

$$\mathcal{M}_\nu = \begin{pmatrix} 0 & M_I^L & \cdots & M_I^L \\ 0 & M_L & \cdots & 0 \\ \vdots & \vdots & \ddots & \vdots \\ 0 & 0 & \cdots & M_L \end{pmatrix}, \quad (87)$$

and $\psi_{L,R}^\nu = (\nu_{L,R}, \nu_{4_L,R}, \dots, \nu_{N+3_L,R})$. Similarly, the charged lepton masses are $\bar{\psi}_L^e \mathcal{M}_e \psi_R^e + \text{H.c.}$, where

$$\mathcal{M}_e = \begin{pmatrix} 0 & M_I^L & 0 & \cdots & M_I^L & 0 \\ 0 & M_L & \frac{hv}{\sqrt{2}} & \cdots & 0 & 0 \\ M_I^E & \frac{kv}{\sqrt{2}} & M_E & \cdots & 0 & 0 \\ \vdots & \vdots & \vdots & \ddots & \vdots & \vdots \\ 0 & 0 & 0 & \cdots & M_L & \frac{hv}{\sqrt{2}} \\ M_I^E & 0 & 0 & \cdots & \frac{kv}{\sqrt{2}} & M_E \end{pmatrix}, \quad (88)$$

and $\psi_{L,R}^e = (e_{L,R}, e_{4_L,R}, \dots, e_{N+3_L,R})$.

Diagonalizing the neutrino mass matrix of Eq. (86) yields N Dirac neutrino states with mass $\sim M_L$, and two light states: the SM sterile neutrino and the SM active neutrino, which is the eigenstate

$$\frac{1}{\sqrt{M_L^2 + NM_I^{L2}}} (-M_L, 0, M_I^L, 0, M_I^L, \dots, 0, M_I^L, 0). \quad (89)$$

The active neutrino's X -charge is therefore modified by the mixing with the vectorlike lepton states, with similar effects for the charged leptons. In the end, we find that the lepton X -charges are modified to

$$\epsilon_{\nu_L} = -\epsilon_{B-L} \cos 2\theta_{\nu_L}, \quad (90)$$

$$\epsilon_{e_L} = -\epsilon_{B-L} \cos 2\theta_{e_L} - \epsilon = \epsilon_{B-L} (1 - \cos 2\theta_{e_L}) - \delta, \quad (91)$$

$$\epsilon_{e_R} = -\epsilon_{B-L} \cos 2\theta_{e_R} - \epsilon = \epsilon_{B-L} (1 - \cos 2\theta_{e_R}) - \delta, \quad (92)$$

where

$$\tan \theta_{\nu_L} = \frac{NM_I^{L2}}{M_L^2}, \quad (93)$$

and θ_{e_L} and θ_{e_R} are determined by similar, but more complicated, relations derived by diagonalizing \mathcal{M}_e . To neutralize the neutrino charge, we need

$$\begin{aligned} \tan \theta_{\nu_L} &= \frac{NM_I^{L2}}{M_L^2} = \frac{N\lambda_L^2 m_X^2}{8M_L^2 e^2 \epsilon_{B-L}^2} \\ &\approx \left[\frac{130 \text{ GeV}}{M_L} \right]^2 \left[\frac{0.002}{\epsilon_{B-L}} \right]^2 \left[\frac{\sqrt{N}\lambda_L}{4\pi} \right]^2 \approx 1, \end{aligned} \quad (94)$$

where we have normalized the effective coupling $\sqrt{N}\lambda_L$ to its ultimate perturbative limit. We see that the neutrino X -charge may be neutralized with as few as $N = 1$ vectorlike lepton generation with mass at the weak scale. A larger number of heavier vectorlike leptons may also neutralize the neutrino X -charge. In addition, to preserve nonchiral electron couplings, we require $\theta_{e_L} \approx \theta_{e_R}$.

C. Implications for colliders and cosmology

Here we consider the implications of these models for colliders and cosmology, beginning with the extremely simple case of $N = 1$ generation of vectorlike leptons and vanishing Yukawa couplings $h = k = 0$. In this case, the mass matrices are easily diagonalized. The heavy states include three ‘‘fourth generation’’ Dirac fermions: the isodoublet neutrino and electron with masses $m_{\nu_4} \approx m_{e_4} \approx \sqrt{2}M_L$ and the isosinglet electron with mass $m_{E_4} \approx \sqrt{2}M_E$. The states ν_4 and e_4 have vectorlike masses and are nearly degenerate, and so do not contribute to the S and T parameters [110]. The light states are the usual massless SM leptons, but mixed with opposite X -charged states, with mixing angles $\tan\theta_{\nu_L} = \tan\theta_{e_L} = (M_I^L/M_L)^2$ and $\tan\theta_{e_R} = (M_I^E/M_E)^2$. These SM fields each mix only with new leptons with the same SM quantum numbers, and so these mixing angles are not constrained by precision measurements. Choosing $M_I^L/M_L = M_I^E/M_E = 1$, we find $\varepsilon_{\nu_L} = 0$ and $\varepsilon_{e_L} = \varepsilon_{e_R} = \varepsilon_{B-L} - \delta$. For $\varepsilon_{B-L} \approx 0.002$ and $\delta \approx 0.001$, this extension of the SM contains a protophobic gauge boson that explains the ^8Be signal consistent with all current constraints. As in the $U(1)_B$ case, assuming $\varepsilon_\mu \approx \varepsilon_e$ removes at least part of the $(g-2)_\mu$ puzzle and implies promising prospects for future searches at low-energy colliders, as discussed in Sec. X.

The new vectorlike leptons can be produced through Drell-Yan production at hadron and e^+e^- colliders, and so this model may be explored at the LHC and future colliders. The prospects for vectorlike lepton searches at the LHC have been studied in detail in the case that they decay to $W\nu_\ell$, $Z\ell$, and $h\ell$ [115–117]. In the present case, however, the vectorlike lepton masses and decays are constrained by the neutrino neutralization mechanism. In particular, the mixing terms of Eq. (82) that neutralize the neutrinos imply that the decays $\nu_4 \rightarrow \nu_e h_X$, $e_4 \rightarrow e h_X$, and $E_4 \rightarrow e h_X$ are almost certainly dominant.

The $B-L$ Higgs boson has a variety of possible decays, but for a moderately large Majorana Yukawa coupling y_N , the invisible decay $h_X \rightarrow \nu_R \bar{\nu}_R$ dominates. The resulting processes are therefore

$$pp \rightarrow E_4^+ E_4^- \rightarrow e^+ e^- h_X h_X \rightarrow e^+ e^- \nu_R \bar{\nu}_R \nu_R \bar{\nu}_R, \quad (95)$$

$$pp \rightarrow e_4^+ e_4^- \rightarrow e^+ e^- h_X h_X \rightarrow e^+ e^- \nu_R \bar{\nu}_R \nu_R \bar{\nu}_R, \quad (96)$$

$$pp \rightarrow \nu_4 \bar{\nu}_4 \rightarrow \nu_L \bar{\nu}_L h_X h_X \rightarrow \nu_L \bar{\nu}_L \nu_R \bar{\nu}_R \nu_R \bar{\nu}_R, \quad (97)$$

$$pp \rightarrow \nu_4 e_4 \rightarrow \nu e h_X h_X \rightarrow e \nu_L \nu_R \bar{\nu}_R \nu_R \bar{\nu}_R. \quad (98)$$

These signals are therefore very similar to those of selectron pair production and selectron–neutrino pair production, leading to signatures with missing transverse energy \cancel{E}_T , $e^+e^- + \cancel{E}_T$ and $e^\pm + \cancel{E}_T$. The amount of missing energy is controlled by

$$m_{h_X} = \sqrt{\lambda_H} v_X = 70 \text{ GeV} \sqrt{\frac{\lambda_H}{4\pi} \frac{0.002}{|\varepsilon_{B-L}|}}, \quad (99)$$

where λ_H is the Higgs boson quartic coupling appearing in the Lagrangian term $\lambda_H (h_X h_X^*)^2$, and we have used Eq. (85).

Current bounds from the combination of LEP2 and 8 TeV LHC data on the combined production of right- and left-handed selectron and smuons with mass 100 GeV allow neutralino masses of around 50 GeV [118,119]. The vectorlike lepton cross section is bigger by roughly a factor of 4, but 100 GeV vectorlike leptons decaying to 50–70 GeV $B-L$ Higgs bosons may still be allowed. Existing mono-lepton searches based on 8 TeV LHC data are not optimized for lepton masses as low as 100 GeV and are unlikely to have sensitivity [120,121]. Nonetheless, it may be that future searches based on 13 TeV data will become sensitive, particularly if they can be optimized for lower mass vectorlike leptons. It would be interesting to investigate this scenario in more detail, as well as scenarios where other h_X decays are comparable or dominant to the invisible decay assumed above. It is also worth noting that the appearance of relatively strong couplings (λ_H, λ_L) in the h_X sector may be an indication of compositeness, which could result in a richer and more complicated set of final states accessible to LHC energies.

We now turn to the SM neutrino sector and potential cosmological signatures. As noted above, when the h_X field with $B-L$ charge 2 gets a vev, it also generates a Majorana mass for the SM singlet neutrinos. This is an important feature. Without a charge 2 Higgs boson, the SM neutrinos are Dirac particles. Light Dirac neutrinos are not typically problematic, as the ν_R component does not thermalize and does not contribute to the number of relativistic degrees of freedom n_{eff} . In the current model, however, the process $f\bar{f} \leftrightarrow X \leftrightarrow \bar{\nu}_R \nu_R$ effectively thermalizes the ν_R at temperatures $T \sim m_X$, where the process is on-resonance. To avoid thermalization, one needs the X -charge of ν_R to be less than 10^{-9} [114] or very low reheat temperatures in the window between 1 MeV and $m_X \approx 17$ MeV. The generation of a Majorana mass avoids these problems.

The Majorana mass is

$$m_M = y_N v_X / \sqrt{2} = y_N \frac{m_X}{2\sqrt{2}e|\varepsilon_{B-L}|} \lesssim 30 \text{ GeV} \frac{0.002}{|\varepsilon_{B-L}|}, \quad (100)$$

where the upper bound assumes $y_N \sim 3$. The physical masses of the SM active neutrinos are then determined by the see-saw mechanism, with Dirac masses chosen appropriately. Of course, the sterile neutrino masses need not be near their upper limit, and it is tempting to postulate that they may be in the keV range as required for warm dark matter. To prevent the decays $X \rightarrow \nu_R \nu_R$ from significantly diluting the ${}^8\text{Be}$ signal in this case, the ν_R X -charges must also be neutralized, for example, through mixing with vectorlike isosinglet neutrinos. Alternatively, the sterile neutrino masses may be in the 10–100 MeV range, as may be helpful for reducing the standard BBN predictions for the ${}^7\text{Li}$ abundance to the observed levels [122]. We leave these astrophysical and cosmological implications for future work.

One might worry that having a model with an exact $U(1)_{B-L}$ or $U(1)_B$ gauge symmetry down to the GeV or MeV energy scale would prevent any baryon number asymmetry from being generated. This, however, is not the case, as was discussed, for example, in Ref. [103] for a model with gauged $U(1)_B$. A lepton number asymmetry can still be produced at a high scale and then be partially converted into baryon number through the electroweak sphalerons. For the case of gauged $U(1)_{B-L}$ one could also invoke a Dirac leptogenesis scenario which relies on the fact that the right-handed neutrinos decouple early on during the evolution of the Universe, trapping some amount of lepton number [123,124]. The resulting lepton number deficit in the visible sector is then again transferred to baryon number through the sphalerons.

We have introduced additional fermionic matter to render the models compatible with experimental constraints. The step of adding extra matter may not be necessary, and it may be possible to satisfy all the existing experimental constraints by considering a combination of gauged $U(1)$ quantum numbers. The possibility of multiple, new $U(1)$ gauge bosons has been explored previously, in the two dark-photon (“paraphoton”) case [125] and for three Abelian groups [126]. Here we note that if one were to combine a $U(1)_{B-L}$ model with kinetic mixing with a second, unbroken (or softly broken) gauge symmetry, e.g., $L_e - L_\tau$, it is possible to bring the first-generation fermion couplings of the $B-L$ gauge boson to the form of the $U(1)_B$ model. Such relationships are completely compatible with the couplings needed to describe the ${}^8\text{Be}$ anomaly and satisfy other constraints. However, equivalence principle constraints on new, massless gauge bosons that can couple to the constituents of ordinary matter are severe [114,127,128]. We note that we can address this problem by making the massless gauge boson’s couplings to electrons vanish at tree level. Further investigation is required to check that this suffices to render the model compatible with experimental constraints on new, (nearly) massless gauge bosons.

IX. FUTURE EXPERIMENTS

Current and near future experiments will probe the parameter space of interest for the protophobic gauge boson X . The projected sensitivities of various experiments are shown in Fig. 6 and we briefly discuss them below.

A. Other large-energy nuclear transitions

The ${}^8\text{Be}^*$ and ${}^8\text{Be}^{*'}$ states are quite special in that they decay electromagnetically to discrete final states with an energy release in excess of 17 MeV. Other large-energy gamma transitions have been observed [129], such as the 19.3 MeV transition in ${}^{10}\text{B}$ to its ground state [130] and the 17.79 MeV transition in ${}^{10}\text{Be}$ to its ground state [131]. Of course, what is required is large production cross sections and branching fractions so that many IPC events can be observed. It would certainly be interesting to identify other large-energy nuclear transitions with these properties to test the new particle interpretation of the ${}^8\text{Be}$ anomaly.

B. LHCb

A search for dark photons A' at LHCb experiment during Run 3 (scheduled for the years 2021–2023) has been proposed [132] using the charm meson decay $D^*(2007)^0 \rightarrow D^0 A'$ with subsequent $A' \rightarrow e^+ e^-$. It takes advantage of the LHCb excellent vertex and invariant mass resolution. For dark photon masses below about 100 MeV, the experiment can explore nearly all of the remaining parameter space in ϵ_e between the existing prompt- A' and beam-dump limits. In particular, it can probe the entire region relevant for the X gauge boson explaining the ${}^8\text{Be}$ anomaly.

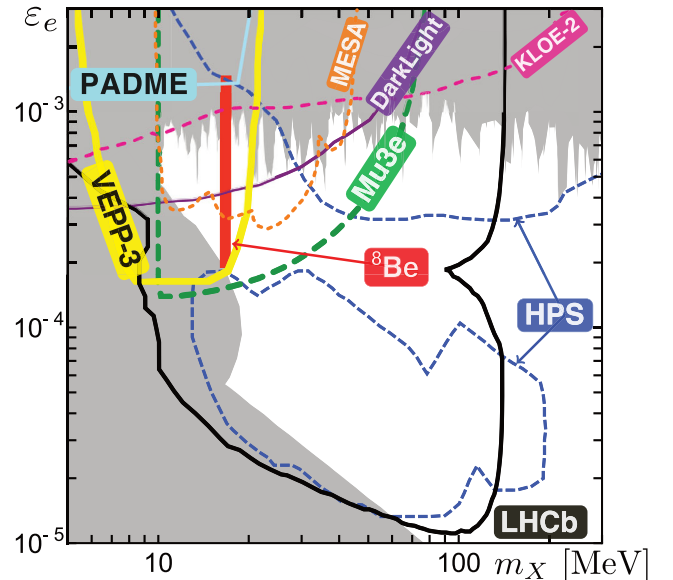


FIG. 6. The ${}^8\text{Be}$ signal region, along with current constraints (gray) and projected sensitivities of future experiments in the (m_X, ϵ_e) plane. Updated from Ref. [7]. Note $\text{Br}(X \rightarrow e^+ e^-) = 1$ is assumed.

C. Mu3e

The Mu3e experiment will look at the muon decay channel $\mu^+ \rightarrow e^+ \nu_e \bar{\nu}_\mu (A' \rightarrow e^+ e^-)$ and will be sensitive to dark photon masses in the range $10 \text{ MeV} \lesssim m_{A'} \lesssim 80 \text{ MeV}$ [133]. The first phase (2015–2016) will probe the region $\varepsilon_e \gtrsim 4 \times 10^{-3}$, while phase II (2018 and beyond) will extend this reach almost down to $\varepsilon_e \sim 10^{-4}$, which will include the whole region of interest for the protophobic gauge boson X .

D. VEPP-3

A proposal for a new gauge boson search at the VEPP-3 facility was made [134]. The experiment will consist of a positron beam incident on a gas hydrogen target and will look for missing mass spectra in $e^+ e^- \rightarrow A' \gamma$. The search will be independent of the A' decay modes and lifetime. Its region of sensitivity in ε_e extends down into the beam dump bounds, i.e., below $\varepsilon_e \sim 2 \times 10^{-4}$, and includes the entire region relevant for X . Once accepted, the experiment will take 3–4 years.

E. KLOE-2

As mentioned above, the KLOE-2 experiment, looking for $e^+ e^- \rightarrow \gamma (X \rightarrow e^+ e^-)$, is running and improving its current bound of $|\varepsilon_e| < 2 \times 10^{-3}$ [73] for $m_X \approx 17 \text{ MeV}$. With the increased DAΦNE-2 delivered luminosity and the new detectors, KLOE-2 is expected to improve this limit by a factor of 2 within 2 years [135].

F. MESA

The MESA experiment will use an electron beam incident on a gaseous target to produce dark photons of masses between $\sim 10 - 40 \text{ MeV}$ with electron coupling as low as $\varepsilon_e \sim 3 \times 10^{-4}$, which would probe most of the available X boson parameter space [136]. The commissioning is scheduled for 2020.

G. DarkLight

The DarkLight experiment, similarly to VEPP-3 and MESA, will use electrons scattering off a gas hydrogen target to produce on-shell dark photons, which later decay to $e^+ e^-$ pairs [137]. It is sensitive to masses in the range $10 - 100 \text{ MeV}$ and ε_e down to 4×10^{-4} , covering the majority of the allowed protophobic X parameter space. Phase I of the experiment is expected to take data in the next 18 months, whereas phase II could run within two years after phase I.

H. HPS

The Heavy Photon Search experiment is using a high-luminosity electron beam incident on a tungsten target to produce dark photons and search for both $A' \rightarrow e^+ e^-$ and $A' \rightarrow \mu^+ \mu^-$ decays [138]. Its region of sensitivity is split

into two disconnected pieces (see Fig. 6) based on the analyses used: the upper region is probed solely by a bump hunt search, whereas the lower region also includes a displaced vertex search. HPS is expected to complete its data set by 2020.

I. PADME

The PADME experiment will look for new light gauge bosons resonantly produced in collisions of a positron beam with a diamond target, mainly through the process $e^+ e^- \rightarrow X \gamma$ [139]. The collaboration aims to complete the detector assembly by the end of 2017 and accumulate 10^{13} positrons on target by the end of 2018. The expected sensitivity after one year of running is $\varepsilon_e \sim 10^{-3}$, with plans to get as low as 10^{-4} [140,141].

J. BES III

Current and future $e^+ e^-$ colliders, may also search for $e^+ e^- \rightarrow X \gamma$. A recent study has explored the possibility of using BES III and BABAR to probe the 17 MeV protophobic gauge boson [13].

K. E36 at J-PARC (TREK)

The TREK experiment has the capacity to study $K \rightarrow \mu \nu e^+ e^-$ decays [142]; the enhancement associated with the interaction of the longitudinal component of X with charged fermions should make for sensitive tests of ε_e in the mass range of interest to the ${}^8\text{Be}$ anomaly [143].

X. CONCLUSIONS

The 6.8σ anomaly in ${}^8\text{Be}$ cannot be plausibly explained as a statistical fluctuation, and the fit to a new particle interpretation has a χ^2/dof of 1.07. If the observed bump has a nuclear physics or experimental explanation, the near-perfect fit of the θ and m_{ee} distributions to the new particle interpretation is a remarkable coincidence. Clearly all possible explanations should be pursued. Building on our previous work [7], in this study, we presented particle physics models that extend the SM to include a protophobic gauge boson that explains the ${}^8\text{Be}$ observations and is consistent with all other experimental constraints.

To understand what particle properties are required to explain the ${}^8\text{Be}$ anomaly, we first presented effective operators for various spin-parity assignments. Many common examples of light, weakly coupled particles, including dark photons, dark Higgs bosons, axions, and $B - L$ gauge bosons (without kinetic mixing) are disfavored or excluded on general grounds. In contrast, general gauge bosons emerge as viable candidates.

In Ref. [7] we determined the required couplings of a vector gauge boson to explain the ${}^8\text{Be}$ anomaly assuming isospin conservation, and found that the particle must be protophobic. In this work, we refined this analysis to

include the possibility of isospin mixing in the ${}^8\text{Be}^*$ and ${}^8\text{Be}^{*'}$ states. Although isospin mixing and violation can yield drastically different results, these effects are relatively mild once one focuses on protophobic gauge bosons. It would be helpful to have a better understanding of the role of isospin breaking in these systems and a quantitative estimate of their uncertainties. The presence of isospin mixing also implies that the absence of an anomaly in ${}^8\text{Be}^{*'}$ decays must almost certainly be due to kinematic suppression and that the X particle's mass is above 16.7 MeV. Combining all of these observations with constraints from other experiments, we then determined the favored couplings for any viable vector boson explanation.

We have presented two anomaly-free extensions of the SM that resolve the ${}^8\text{Be}$ anomaly. In the first, the protophobic gauge boson is a $U(1)_B$ gauge boson that kinetically mixes with the photon. For gauge couplings and kinetic mixing parameters that are comparable in size and opposite in sign, the gauge boson couples to SM fermions with approximate charge $Q - B$, satisfying the protophobic requirement. Additional matter content is required to cancel gauge anomalies, and we presented a minimal set of fields that satisfy this requirement. In the second model, the gauge boson is a $U(1)_{B-L}$ gauge boson with kinetic mixing, and the SM fermion charges are $Q - (B - L)$. Additional vectorlike leptons are needed to neutralize the neutrino if we consider only a single $U(1)$ gauge group. Both models can simultaneously resolve the $(g - 2)_\mu$ anomaly, have large electron couplings that can be probed at many near future experiments, and include new vectorlike lepton states at the weak scale that can be discovered by the LHC.

One may speculate that the protophobic gauge boson may simultaneously resolve not only the ${}^8\text{Be}$ and $(g - 2)_\mu$ anomalies, but also others. Possibilities include the NuTeV anomaly [14] and the cosmological lithium problem mentioned in Sec. VIII C. Another possibility is the $\pi^0 \rightarrow e^+e^-$ KTeV anomaly, which may be explained by a spin-1 particle with axial couplings that satisfy

$$(g_A^u - g_A^d)g_A^e \left(\frac{20 \text{ MeV}}{m_X} \right)^2 \approx 1.6 \times 10^{-7}, \quad (101)$$

which is roughly consistent with the vector couplings we found for a protophobic gauge boson [144]. Independent of

experimental anomalies, a spin-1 boson with purely axial couplings is a promising candidate for future study [145]. Such bosons need not be protophobic, because their suppressed contributions to neutral pion decays relax many constraints that existed for vector bosons. We note, however, that some bounds become stronger for the axial case. For example, the decay $\phi \rightarrow \eta(X \rightarrow e^+e^-)$ used in deriving the KLOE constraints [64] is an s -wave in the axial case, implying a stronger bound than the p -wave-suppressed one in the vector case. Another example is $(g - 2)_e$ [146], for which an axial vector makes larger contributions than a vector, for couplings of the same magnitude. In addition, there are very stringent bounds, for example, from atomic parity violation, on gauge bosons with mixed vector and axial vector couplings [147].

Finally, if the ${}^8\text{Be}$ anomaly is pointing toward a new gauge boson and force, it is natural to consider whether this force may be unified with the others, with or without supersymmetry. In the case of $U(1)_{B-L}$, which is a factor of many well-motivated grand unified groups, it is tempting to see whether the immediately obvious problems—for example, the hierarchy between the required $U(1)_{B-L}$ gauge coupling and those of the SM—can be overcome, and whether MeV-scale data may be telling us something interesting about energy scales near the Planck scale.

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