

# Atmospheric gamma-ray observation with the BETS detector for calibrating atmospheric neutrino flux calculations

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We observed atmospheric gamma rays around 10 GeV at balloon altitudes (15–25 km) and at a mountain (2770 m a.s.l.). The observed results were compared with Monte Carlo calculations to find that an interaction model (Lund FRITIOF1.6) used in an old neutrino flux calculation was not good enough for describing the observed values. Instead, we found that two other nuclear interaction models, Lund FRITIOF7.02 and DPMJET3.03, gave much better agreement with the observations. Our data will serve for examining nuclear interaction models and for deriving a reliable absolute atmospheric neutrino flux in the GeV region.

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## I. INTRODUCTION

The discovery of evidence of neutrino oscillations by the Super Kamiokande group [1] is based on the comparison of the observed atmospheric neutrino flux with calculated values. Although the conclusion is so derived that it would not be upset by the uncertainty of the absolute flux value, it is desirable to obtain a reliable expected neutrino flux (under no oscillation assumption) for further detailed discussions.

The two major sources of uncertainty in the atmospheric neutrino flux calculation are (1) the primary cosmic-ray spectrum and (2) the propagation of cosmic rays in the atmosphere, especially, modeling of the nuclear interaction. The absolute flux calculations so far made by various groups are expected to have uncertainty of  $\sim 30\%$  [2].

The primary proton and He spectra recently measured with magnet spectrometers by the BESS [3] and AMS [4] groups agree very well and seem reliable. Therefore, we may assume that the first problem mentioned above has now been almost settled at least up to 100 GeV/ $n$ . This means that if we have reliable atmospheric cosmic-ray flux data, we may compare it with a calculation which uses such primaries and test the validity of nuclear interaction models. For such an atmospheric cosmic-ray component, one may first consider the muon, and actually some new observations have been or being tried [5–7].

As a second cosmic-ray component, we focus on gamma rays which are easy to measure with our detector. A good model should be able to explain muons and gamma rays simultaneously. Muons are important since they are directly

coupled with neutrinos, but the flux is affected somehow by the structure of the atmosphere which is usually not well known. Compared to muons, the flux of gamma rays is substantially lower but is almost insensitive to the atmospheric structure and depends only on the total thickness to the observation height.

In 1998, we performed the first gamma-ray observation with our detector at Mt. Norikura (2770 m a.s.l.) in Japan, and also made subsequently two successful observations at balloon altitudes (15–25 km) in 1999 and 2000. In the present paper, we report the final results of these observations and consequences.

## II. THE DETECTOR

For our observation, we upgraded the BETS (balloon-born electron telescope with scintillating fibers) detector which had been developed for the observation of cosmic primary electrons in the 10 GeV region. Its details before being upgraded for gamma-ray observation are in Ref. [8] and the electron observation result is in Ref. [9]. The basic performance was tested at CERN using electron, proton and pion beams of 10 to 200 GeV [8,10]. Although this was undertaken before the upgrading, we can essentially use that calibration for the current observations partly with a help of Monte Carlo simulations.

Figure 1 shows a schematic structure of the main body of BETS. The calorimeter has 7.1 r.l. lead thickness and the cross section is 28 cm $\times$ 28 cm. The whole detector system is contained in a pressure vessel made of thin aluminum.

The main feature of the BETS detector is that it is a tracking calorimeter; it contains a number of sheets consisting of 1 mm diameter scintillating fibers (scifi's), many of which

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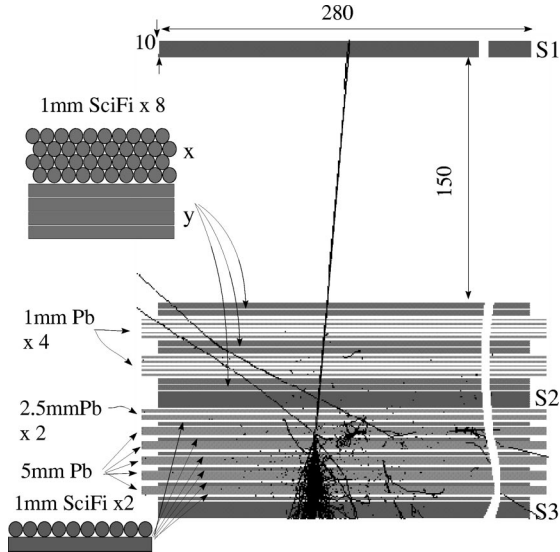


FIG. 1. Schematic illustration of the main body of the detector. S1, S2, and S3 are 1 cm thick plastic scintillators used for triggers. Each fiber has 1 mm diameter. Originally nuclear emulsion plates were placed on the upper scifi's and also inserted between the upper thin lead plates for detailed investigation of tracking capability of the scifi. They are kept in the present system to have the same structure as at the calibration time. The inlaid cascade shows charged particle tracks by a simulation for a 30 GeV incident proton.

are sandwiched between lead plates. The total number of scifi's is 10 080. The sheets are grouped into two types; one is to serve for  $x$  and the other for  $y$  position measurements. Each of them is fed to an image intensifier which in turn is connected to a CCD. Thus, the two CCD outputs give us an  $x$ - $y$  image of cascade shower development and enables us to discriminate gamma rays and electrons from other (mainly hadronic) background showers. The proton rejection power against electron is  $R \sim 2 \times 10^3$  (i.e., one misidentification among  $R$  protons) at 10 GeV [11]. The basic characteristics of the detector are summarized in Table I.

In Fig. 2, we show examples of the CCD image of a cascade shower for a proton incident case and for an electron incident case.

Figure 3 illustrates the yearly change of anticounters. In 1998 (Mt. Norikura observation), the main change was limited to the upgrading of trigger logic. In 1999, we added 4

TABLE I. Basic characteristics of BETS (triple numbers in the table are for gamma-ray energies of 5, 10, and 30 GeV, respectively).

r.m.s energy resolution (%)	21, 18, 15 (for $\theta \sim 15^\circ$ )
$S\Omega$ ( $\text{cm}^2 \text{sr}$ )	243, 240, 218 (at $\sim 20 \text{ km}$ )
r.m.s angular resolution (deg.)	2.3, 1.3, 1.0 (for $\theta \sim 15^\circ$ )
Total number of scifi's	10 080
Weight including electronics (kg)	230
Cross section of the main body	28 cm $\times$ 28 cm
Thickness (Pb radiation length)	7.1

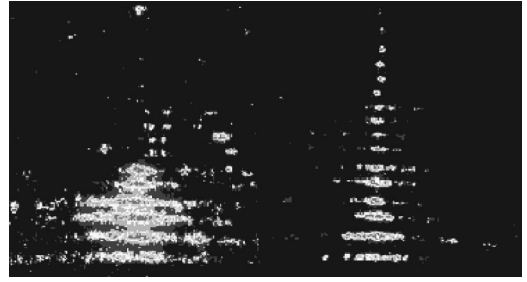


FIG. 2. Image of cascade shower by a proton (120 GeV, left) and an electron (10 GeV, right) obtained at CERN.

side anti-counters ( $15 \text{ cm} \times 36 \text{ cm} \times 1.5 \text{ cm}$  plastic scintillators). Nine optical fibers containing wave length shifter are embedded in each scintillator and connected to a Hamamatsu H6780 PMT.

In 2000, we further added an anticounter which covers the whole top view of the detector and also improved data acquisition speed. The top anticounter is a  $38 \text{ cm} \times 38 \text{ cm} \times 1 \text{ cm}$  plastic scintillator. We also embedded optical fibers, 8 in the  $x$  and another 8 in the  $y$  direction, all of which were fed to an H6780 PMT.

Although we could remove background showers without the anti-counters, inclined particles (mainly protons) entering from the gap between the top scintillator (S1) and the main body degrades the desired gamma-ray event rate. The addition of the top anticounter greatly helped to improve this rate. We emphasize that detection of gamma rays is easier for us than that of electrons, since, for gamma rays, we can utilize the absence of incident charge.

### III. OBSERVATIONS

Table II shows the summary of the observations.

*Mt. Norikura observation.* Our first gamma-ray observation was performed in 1998 at the Mt. Norikura Observatory of the University of Tokyo, Japan ( $2770 \text{ m a.s.l.}$ , latitude  $36.1^\circ \text{N}$ , longitude  $137.55^\circ \text{E}$ , magnetic cutoff rigidity  $\sim 11.5 \text{ GV}$ ). The atmospheric pressure during the observation is shown in Fig. 4. The average atmospheric depth is  $737 \text{ g/cm}^2$ .

*Balloon flight.* We had two similar balloon flights in 1999 and 2000. Since the main outcome of the data is from the

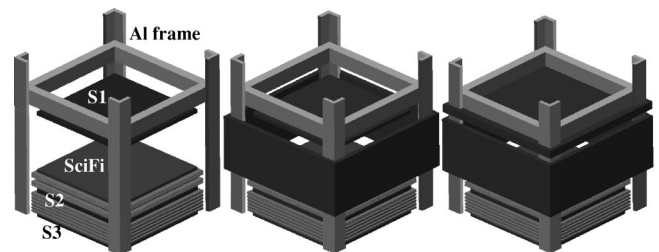


FIG. 3. Yearly change of the anticounters. Left: 1998. No change from the original BETS except for trigger logic. Middle: 1999. 1.5 cm thick plastic scintillator side anticounters were added. Right: 2000. The whole top view was covered by a 1 cm thick plastic scintillator.

TABLE II. Summary of three observations.

Observation	Mt. Norikura (1998)	Balloon (Sanriku, 1999)					Balloon (Sanriku, 2000)			
Period	Aug 31–Sep 18	Sep 2, 6:55–17:17					Jun 5, 6:30–17:59			
Altitude (km)	2.77	15.3	18.5	21.2	24.7	32.3	15.3	18.3	21.4	25.1
Depth (g/cm <sup>2</sup> )	737	126	74.8	48.9	28.0	9.5	128	73	45.7	25.3
Obs. hour (s)	1.33×10 <sup>6</sup>	1260	1560	2100	4878	3120	1560	2160	4320	2320
Live time (s)	9.8×10 <sup>5</sup>	504	450	414	852	498	752	928	1805	789
Live time (%)	74.0	40.0	28.8	19.7	17.5	16.0	48.2	43.0	42.6	44.2
Triggered events	1.8×10 <sup>6</sup>	9513	11288	13361	30439	16741	18808	25795	46675	17436
γ events	4.7×10 <sup>4</sup>	700	650	611	848	345	1300	1485	2299	740
(%)	2.5	7.3	5.7	4.6	2.8	2.0	6.9	5.8	4.9	4.2
g-low trigger condition (in mip).	S1 <0.5 S2 >2.3 S3 >1.7	S1 <0.5 S2 >1.5 S3 >3.0					S1 <0.47 S2 >1.59 S3 >3.18			

latter, we briefly describe it. A balloon of  $43 \times 10^3 \text{ m}^3$  was launched at 6:30 am, 5th June, 2000 from the Sanriku balloon center of the Institute of Space and Astronautical Science, Japan (latitude  $39.2^\circ\text{N}$ , longitude  $141.8^\circ\text{E}$ , magnetic cutoff rigidity  $\sim 8.9 \text{ GV}$ ) and recovered with the help of a helicopter at 17:59 on the sea not far from the center. The flight curve shown in Fig. 5 confirms that we have good level flights at 4 different heights. As compared to the 1999 flight, this flight realized a smaller dead time and higher ratio of desired gamma-ray events.

*Event trigger.* The basic event trigger condition is created by signals from the three plastic scintillators (S1, S2, and S3). We show the discrimination level in terms of the minimum ionizing particle number which is defined by the peak of the energy loss distribution of cosmic-ray muons passing both S1 and S3 with inclination less than  $30^\circ$  degrees.

We prepare a multitrigger system by which event trigger with different conditions is possible at the same time. The major two trigger modes are *g* low and *g* high. *g* low is responsible for low energy gamma rays and all anticounters, when available, are used as veto counters. Its condition is

listed in Table II. High energy gamma rays normally produce a lot of back splash particles which hit S1 and/or anticounters, and thus the *g* low trigger is suppressed. In such a case, i.e., if we have a large S3 signal, anticounter veto is invalidated and the S1 threshold is relaxed. (The *g*-high condition is  $S1 < 3.0$ ,  $S2 > 5.0$ , and  $S3 > 8.1$ .)

The branch even point of the *g*-low and *g*-high mode efficiency is at  $\sim 30 \text{ GeV}$ . Since we deal with gamma rays mostly below  $30 \text{ GeV}$ , and also to avoid complexity, we present results only by the *g*-low mode.

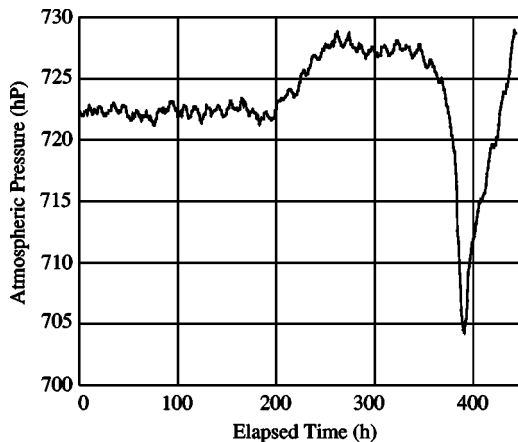


FIG. 4. Pressure change during Mt. Norikura observation. The last pressure drop is due to a typhoon. The average pressure is 723 hPa ( $737 \text{ g/cm}^2$ ).

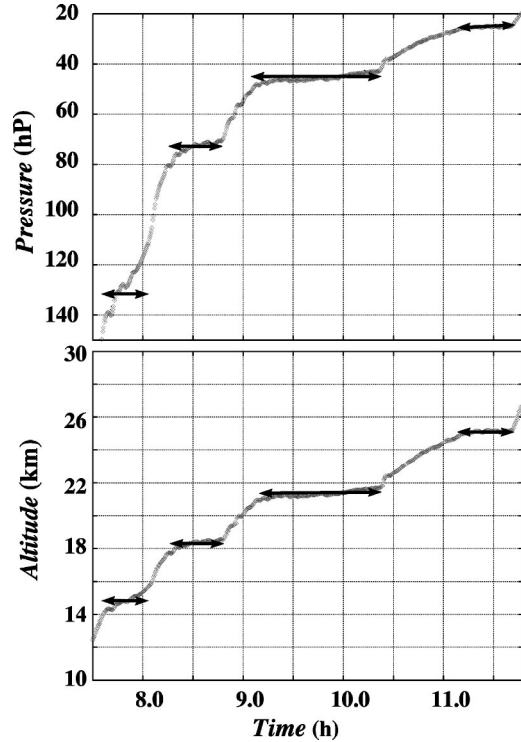


FIG. 5. Flight curve of the 2000 observation. Pressure (upper) and altitude (lower) as a function of time. Each arrow shows the level flight region. The pressure change at around 15.3 km is rather rapid but the gamma-ray intensity is almost constant there and the change can be neglected.

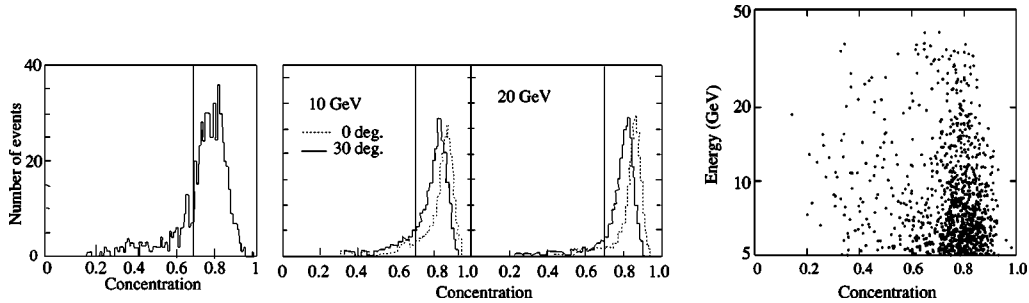


FIG. 6. (Left) Energy concentration distribution at 21.4 km after various cuts for gamma-ray selection ( $E > 5$  GeV). We regard those with  $concentration > 0.7$  as gamma rays. (Middle) The same by electrons at CERN. (Right) Concentration vs energy after various cuts for gamma ray selection. The all level-flight data are gathered. Some of the points (especially high energy ones) at  $concentration < 0.6$  are suspected to be due to neutrons.

#### IV. ANALYSIS

##### A. Event selection

Among the triggered events, we selected gamma-ray candidates by imposing the following conditions.

- (1) The estimated shower axis passes S1 and S3. The axis position in S3 must be at least 2 cm away from the edge of S3.
- (2) The estimated shower axis has a zenith angle less than  $30^\circ$ .
- (3) The energy concentration (see below) must be greater than 0.7.

According to a simulation, only neutrons could be a background for gamma rays and the third condition above reduces the neutron contribution to a negligible level ( $< 1\%$ ).

The energy concentration is defined as the fraction of scintillating fiber light intensity within 5 mm from the shower axis. Figure 6 shows the concentration of analyzed events together with the result of CERN data. Hadrons make a distribution with a peak at around 0.5. We see that the contribution of hadrons in our observation is negligible.

##### B. Energy determination

The energy calibration was performed in 1996 at CERN using electrons with energy 10–200 GeV [8,10]. There is no direct calibration for gamma rays, but, for the present detector thickness and energy range, a Monte Carlo (MC) simulation tells us that the calibration in 1996 can be used for gamma rays too [12]. Therefore, for the 1998 and 1999 observations, energy is obtained as a function of the S3 output and zenith angle using the CERN calibration.

In 2000, we made some change in the electronics so the CERN calibration could not be used directly. The effect by the change was absorbed by a MC simulation the validity of which was verified by examining the 1998 and 1999 data. We used the sum of S2 and S3 outputs below 20 GeV since the energy resolution was found to be better than using S3 only. Figure 7 shows r.m.s. energy resolution by the MC simulation.

##### C. Correction of the gamma-ray intensity

The gamma ray vertical flux is obtained from the raw  $dN/dE$  by dividing it by the live time of the detector and the

effective  $S\Omega$  (area  $\times$  solid angle). The latter is obtained by a simulation [13]. It is dependent on the observation height and energy. A typical value at 10 GeV is  $240 \text{ cm}^2 \text{ sr}$  (see Table I). The energy spectrum is further corrected by the following factors which are not taken into account in the  $S\Omega$  calculation. (1) Systematic bias in our estimation of the shower axis. We underestimate the zenith angle systematically and it leads to overestimation of the intensity about 4% for the balloon and 1.8% for Mt. Norikura observations.

(2) Multiple incidence of particles. A gamma ray is sometimes accompanied by other charged particles and they enter the detector simultaneously (within 1 ns time difference in 99.9% cases). They are a family of particles generated by one and the same primary particle [14]. The charged particles fire the anticounter and the  $g$ -low trigger is inhibited.

In some cases, multiple gamma-rays enter the detector simultaneously. The rate is smaller than the charged particle case. However, this is judged as a hadronic shower in most of cases. The multiple incidence leads to the underestimation of gamma-ray intensity. The portion of multiple incidence is shown in Fig. 8 (left).

(3) Finite energy resolution. The rapidly falling energy spectrum leads to the spillover effect. This normally leads to the overestimation of flux (Fig. 8, right).

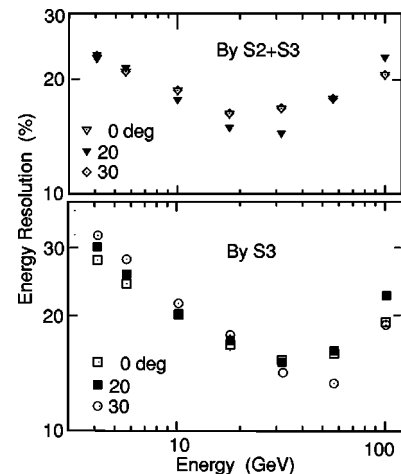


FIG. 7. r.m.s. energy resolution. The resolution by S2+S3 or S3 only is shown. Different symbols indicate different incident angles. We used S2+S3 below 20 GeV for the year 2000 data.



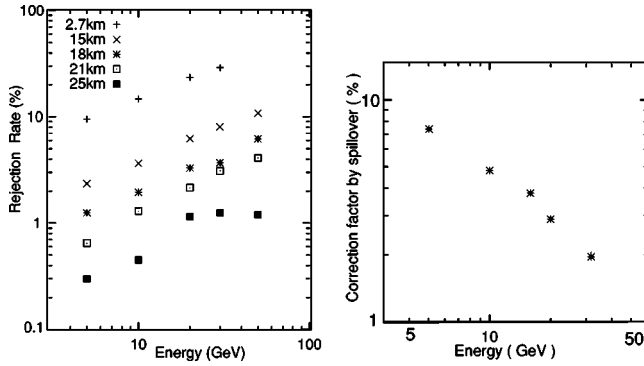


FIG. 8. (Left) Multiple incidence rate by simulations. This shows the rate that a gamma ray is accompanied either by (1) charged particles or (2) other gamma-rays; case 1 inhibits the  $g$ -low trigger and case 2 is regarded as a hadronic incidence. Thus, such events are rejected and the flux is underestimated by this amount. (Right) Correction factor for year 2000 due to spillover. The flux must be lowered. For Norikura, the factor below 20 GeV is larger by 1–3 %.

**V. RESULTS AND COMPARISON WITH CALCULATIONS**

The vertical flux values are summarized in Tables III and IV. As the Norikura atmospheric depth, we use a value derived from the average pressure, since the flux change is proportional to the pressure change in a good approximation.

We put only the statistical errors in the flux values, since systematic errors coming from the uncertainty of the  $S\Omega$  calculation, various cuts and flux corrections are expected to be order of a few percent and much smaller than the present statistical errors.

The gamma-ray energy spectra thus obtained at balloon altitudes are shown in Fig. 9 together with the expected ones calculated by the COSMOS simulation code [15]. Except for 32.3 km altitude, we can disregard the small difference of the observation depths and we combine two flight data with statistical weight, although the main contribution is from the flight in 2000.

TABLE IV. Vertical flux values at Mt. Norikura.

$E(\text{GeV})$	Flux ( $10^{-4}/\text{m}^2\text{s sr GeV}$ )
5.48	$274 \pm 13$
6.47	$183 \pm 11$
7.47	$133 \pm 9$
8.47	$87.8 \pm 7.5$
9.47	$86.5 \pm 7.5$
10.5	$54.1 \pm 5.9$
11.5	$46.6 \pm 5.5$
12.5	$38.3 \pm 5.0$
13.5	$32.6 \pm 4.6$
14.5	$24.2 \pm 4.0$
15.5	$25.7 \pm 4.1$
17.0	$11.9 \pm 2.0$
19.0	$15.3 \pm 2.3$
21.0	$13.1 \pm 2.1$
23.0	$5.80 \pm 1.4$
26.0	$5.31 \pm 0.95$
30.0	$3.00 \pm 0.72$
34.0	$2.30 \pm 0.64$
38.0	$1.07 \pm 0.44$
45.0	$1.45 \pm 0.32$
55.0	$0.52 \pm 0.20$
65.0	$0.22 \pm 0.13$
75.0	$0.30 \pm 0.15$
85.0	$0.15 \pm 0.10$

In the simulation calculation, we employed 3 different nuclear interaction models: (1) FRITIOF1.6 [16–18] used in the Honda-Kajita-Kasahara-Midorikawa (HKKM) calculation [19], which was widely used for comparison with the Kamioka data, (2) FRITIOF7.02 [20,21] and (3) DPMJET3.03 [22]. As the primary cosmic ray, we used the BESS result on protons and He. The CNO component is also considered [23]. In addition to these we included electron and positron data by AMS [24]. Their data in the 10 GeV region is con-

TABLE III. Summary of vertical flux values.

		height (km)							
		15.3	18.3	21.4	25.1	25.1	25.1	32.3	32.3
		Energy (GeV) and flux ( $\text{No.}/\text{m}^2\text{s sr GeV}$ )							
5.48	$2.42 \pm 0.37$	5.48	$2.11 \pm 0.39$	5.47	$2.11 \pm 0.24$	5.47	$1.58 \pm 0.25$	5.47	$0.49 \pm 0.14$
6.47	$1.18 \pm 0.27$	6.47	$1.10 \pm 0.24$	6.47	$1.35 \pm 0.21$	6.47	$0.82 \pm 0.18$	6.57	$0.19 \pm 0.09$
7.47	$0.89 \pm 0.24$	7.47	$0.79 \pm 0.21$	7.47	$0.82 \pm 0.16$	7.47	$0.66 \pm 0.16$	7.47	$0.24 \pm 0.10$
8.48	$0.37 \pm 0.15$	8.48	$0.92 \pm 0.20$	8.48	$0.51 \pm 0.13$	8.48	$0.49 \pm 0.14$	8.48	$0.16 \pm 0.08$
9.48	$0.54 \pm 0.17$	9.85	$0.46 \pm 0.11$	9.48	$0.50 \pm 0.12$	9.48	$0.36 \pm 0.12$	9.48	$0.16 \pm 0.08$
10.5	$0.17 \pm 0.10$	11.5	$0.35 \pm 0.12$	10.5	$0.41 \pm 0.09$	10.5	$0.34 \pm 0.12$	12.3	$0.13 \pm 0.037$
12.1	$0.28 \pm 0.09$	14.0	$0.24 \pm 0.06$	11.8	$0.23 \pm 0.069$	12.2	$0.21 \pm 0.054$	17.0	$0.032 \pm 0.018$
14.0	$0.17 \pm 0.05$	18.3	$0.072 \pm 0.030$	14.0	$0.16 \pm 0.030$	14.0	$0.076 \pm 0.03$	21.7	$0.022 \pm 0.015$
18.5	$0.12 \pm 0.04$	26.8	$0.040 \pm 0.017$	18.4	$0.086 \pm 0.023$	17.8	$0.078 \pm 0.029$		
25.5	$0.06 \pm 0.02$			27.1	$0.026 \pm 0.009$	21.7	$0.064 \pm 0.026$		
						26.8	$0.024 \pm 0.012$		
						36.0	$0.012 \pm 0.008$		

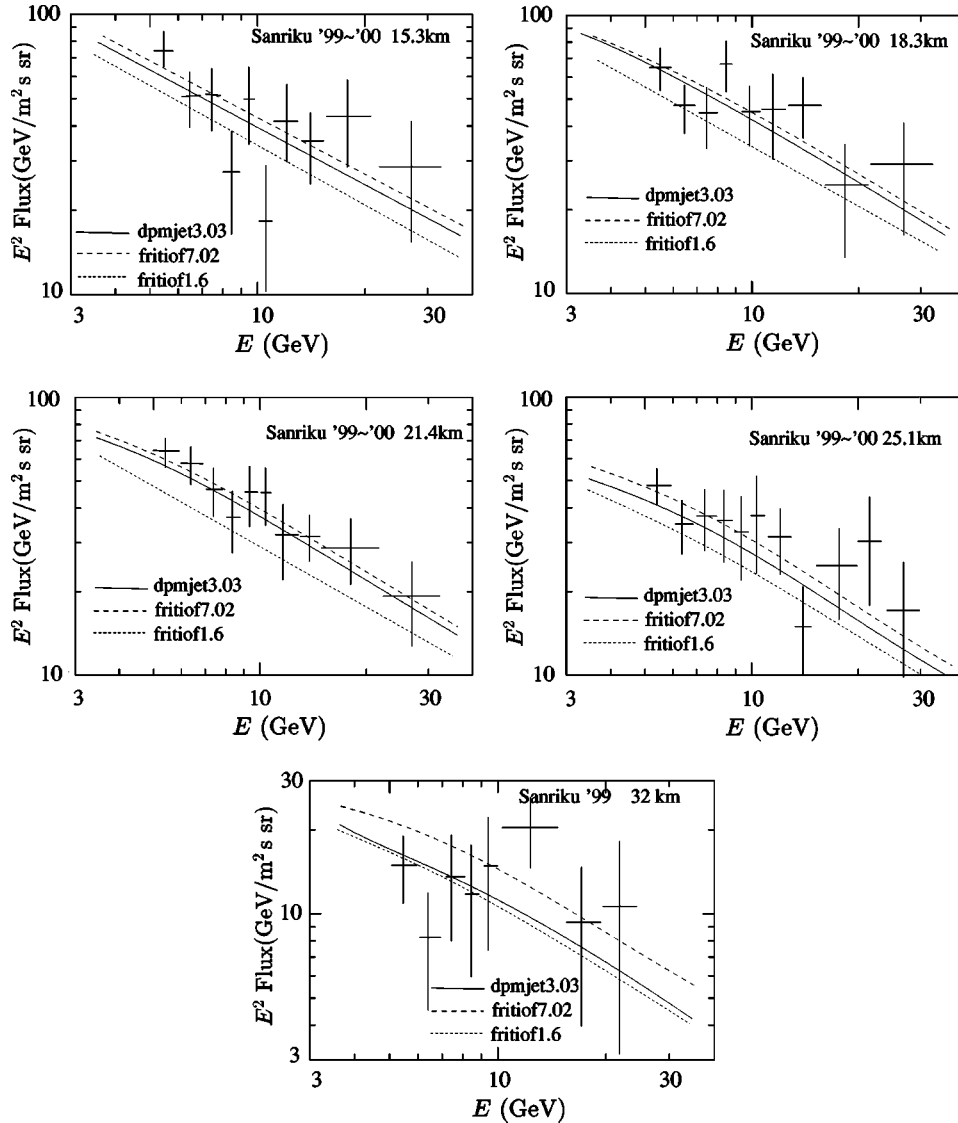


FIG. 9. Gamma ray spectra at 5 balloon heights are compared with 3 different models. The vertical axis is (vertical flux)  $\times E^2$ . Except for 1999 data at 32.3 km, 1999 and 2000 flights data are combined. From top to bottom, at 25.1, 21.4, 18.3, 15.3, and 32.3 km. The spectra expected from three interaction models are drawn by solid (DPMJET3.03), dashed (FRITIOF7.02), and dotted (FRITIOF1.6) lines.

sistent with the HEAT [25] and BETS [9] data. Bremsstrahlung gamma rays from the primary electrons could contribute order of  $\sim 10\%$  at very high altitudes.

At balloon altitudes, the two models, FRITIOF7.02 and DPMJET3.03, give almost the same results which are close to the observed data, while FRITIOF1.6 gives clearly smaller fluxes than the observation.

Figure 10 shows the result from the observation at Mt. Norikura. It should be noted that the flux by FRITIOF1.6 becomes higher than the ones by the other models at this altitude.

From these figures, we see FRITIOF7.02 and DPMJET3.03 give more rapid increase and faster attenuation of intensity than FRITIOF1.6; the tendency is very consistent with the observed data. The transition curve of the flux integrated over 6 GeV shown in Fig. 11 clearly demonstrates this feature.

## VI. DISCUSSIONS

### A. Comparison with other data

We found FRITIOF7.02 and DPMJET3.03 give good agreement with the observed gamma-ray data at around 10 GeV.

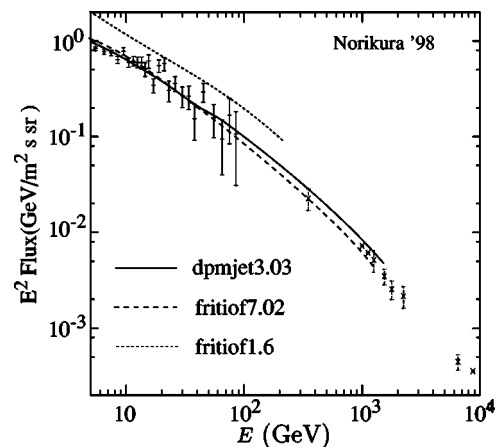


FIG. 10. Gamma ray spectrum at Mt. Norikura (2.77 km a.s.l.). The vertical axis is vertical flux  $\times E^2$ . Our data is at  $< 100$  GeV. Data above 300 GeV are from emulsion chamber experiments. For the latter, see Sec. VI.

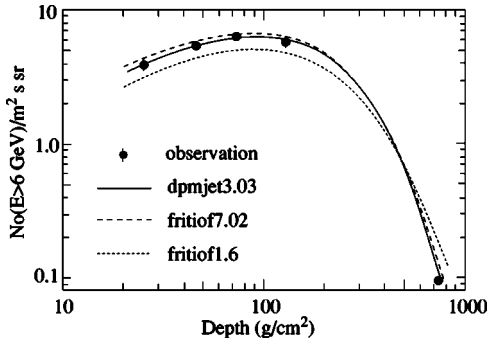


FIG. 11. The altitude variation of the flux integrated over 6 GeV. The DPMJET3.03 and FRITIOF7.02 give almost the same feature consistent with the observation while the deviation of FRITIOF1.6 from the data is obvious.

We briefly see whether these models can interpret other observations. More detailed inspection will be done elsewhere.

*Muon data by the BESS group at Mt. Norikura [7].* Recently, the BESS group reported detailed muon spectra over several hundred MeV/c. In their paper, calculations by DPMJET3.03 and FRITIOF1.6 are compared with the data; agreement by DPMJET3.03 is quite good at least above GeV where FRITIOF7.02 also gives more or less the same flux. On the other hand, FRITIOF1.6 shows too high flux. These features are consistent with our present analysis.

*Higher energy gamma-ray data by emulsion chamber.* In Fig. 10, we included emulsion chamber data [26–28] at Mt. Norikura. Our data seem to be smoothly connected to their data as the two interaction models (FRITIOF7.02 and DPMJET3.03) predict. Since the emulsion chamber data extend to the TeV region and the primary particle energy responsible for such high energy gamma rays is much higher than 100 GeV where we have no accurate information comparable to the AMS and BESS data, it would be premature to draw a definite conclusion on the primary and interaction model separately. However, the fact that smooth extrapolation of the primary spectra as shown in Table V [29,30] and the

interaction model, DPMJET3.03 or FRITIOF7.02, give a consistent result with the data, seems to indicate that such combination would provide a good estimate on other components at  $\geq 10$  GeV.

### B. The $x$ distributions

The two models FRITIOF7.02 and DPMJET3.03 give almost the same results in the present comparison. However, if we look into the inclusive  $x$  distribution of the particle production, we note some difference, especially in the proton  $x$  distribution. We define the  $x$  as the kinetic energy ratio of the incoming proton and a secondary particle in the laboratory frame. The  $x$  distribution for  $p$ Air collisions at incident proton energy of 40 GeV is presented for photons (from  $\pi^0$  plus  $\eta$  decay) and protons in Fig. 12. The difference of the three models seen in the photon distribution is quite similar to the one for charged pions. The  $x$  region most effective to atmospheric gamma-ray flux is around 0.2–0.3 where the difference is not so large but FRITIOF7.02 and DPMJET3.03 have higher gamma ray yield than FRITIOF1.6.

On the other hand, the proton  $x$  distribution has larger difference among the three models (we note, however, the difference may be exaggerated compared to the photon case due to the scale difference). It is interesting to see that, in spite of these large differences, the final fluxes are not so very different. Our gamma-ray data prefer the more inelastic feature of collisions than FRITIOF1.6, i.e., more rapid increase and faster attenuation of the flux.

We should compare the distribution with accelerator data; however, there are meager data appropriate for our purpose. One such comparison has been done in a recent review paper [2] for  $p$ Air collisions at 24 GeV/c incident momentum (Fig. 15 of Ref. [2]). The charged pion distribution by FRITIOF1.6 and DPMJET3.03 well fit to some scattered data which prevents to tell the superiority of the two. As to the proton distribution, among the three models, FRITIOF1.6 is rather close to the data but deviation from the data is much larger than the pion case.

TABLE V. Primary flux assumed in the simulation above 100 GeV/n. [ $E$  in kinetic energy per nucleon (GeV), flux in /m<sup>2</sup> s sr GeV.]

Proton		Helium		CNO	
$E$	flux	$E$	flux	$E$	flux
92.6	$0.593 \times 10^{-1}$	79.4	$0.549 \times 10^{-2}$	100.0	$9.0 \times 10^{-5}$
108	$0.388 \times 10^{-1}$	100.0	$3.0 \times 10^{-3}$	400.0	$1.8 \times 10^{-6}$
126	$0.276 \times 10^{-1}$	200.0	$5.0 \times 10^{-4}$	$2.0 \times 10^3$	$3.5 \times 10^{-8}$
147	$0.179 \times 10^{-1}$	400.0	$7.0 \times 10^{-5}$	$2.0 \times 10^4$	$9.3 \times 10^{-11}$
171	$0.124 \times 10^{-1}$	$2.0 \times 10^3$	$9.98 \times 10^{-7}$	$2.0 \times 10^5$	$2.3 \times 10^{-13}$
200	$0.836 \times 10^{-2}$	$2.0 \times 10^4$	$2.5 \times 10^{-9}$	$14.0 \times 10^5$	$1.3 \times 10^{-15}$
1100	$8.29 \times 10^{-5}$	$2.0 \times 10^5$	$3.97 \times 10^{-12}$	$3.0 \times 10^6$	$1.7 \times 10^{-16}$
$1.1 \times 10^4$	$1.47 \times 10^{-7}$	$4.0 \times 10^5$	$6.1 \times 10^{-13}$	$3.0 \times 10^7$	$2.0 \times 10^{-19}$
$1.1 \times 10^5$	$2.8 \times 10^{-10}$	$8.0 \times 10^5$	$7.0 \times 10^{-14}$	$3.0 \times 10^8$	$2.2 \times 10^{-22}$
$2.2 \times 10^5$	$3.7 \times 10^{-11}$	$8.0 \times 10^6$	$8.7 \times 10^{-17}$		
$4.4 \times 10^5$	$5.0 \times 10^{-12}$	$8.0 \times 10^8$	$5.3 \times 10^{-23}$		
$4.4 \times 10^8$	$2.8 \times 10^{-21}$				

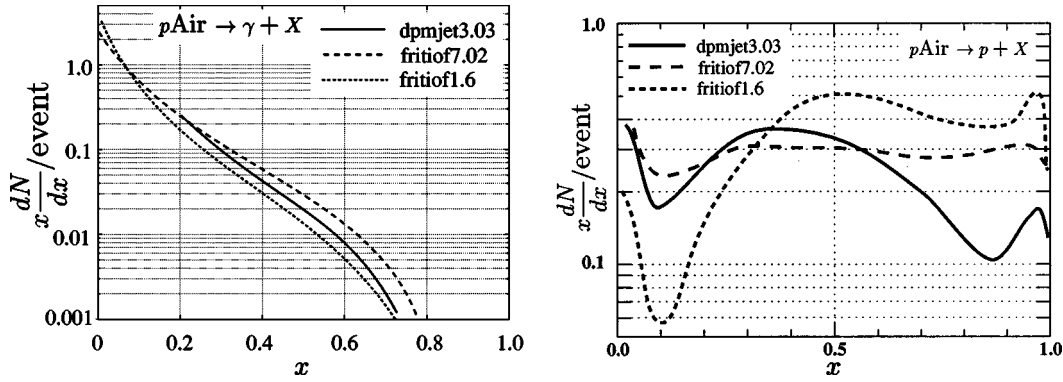


FIG. 12. The  $x$  distribution of photons from  $\pi^0$  plus  $\eta$  decay (left) and protons (right) for  $p$ Air collisions at 40 GeV. The three model results are shown.

The proton  $x$  distribution would strongly affect the atmospheric proton spectrum. We calculated the proton flux at Mt. Norikura and found a flux relation such that  $\text{fritiof1.6} > \text{FRITIOF7.02} > \text{DPMJET3.03}$  as expected naturally from the  $x$  distributions. The maximum difference is a factor  $\sim 2.5$  in the energy region of 0.3 to 3 GeV. The BESS group has measured the proton spectrum at Mt. Norikura in the same energy region. Their result expected to come soon [31] will help select a better model for the proton  $x$  distribution.

### C. Flux of neutrinos

Since FRITIOF1.6 does not seem to be a very good interaction model as compared to the other two, and the old HKKM calculation [19] used it, we briefly introduce what changes will happen when more reliable interaction models are employed.

Gamma rays suffer multiplication and are attenuated in the atmosphere while neutrinos do not. The primary cosmic-ray spectrum employed in HKKM is different from the present one; the old proton flux is  $\sim 25\%$  higher than the present data above 30 GeV and  $\sim 10\%$  lower below 10 GeV. These make it somewhat complicated to foresee how the model difference shown in Fig. 11 or in the  $x$  distributions in the previous subsection appears in the atmospheric neutrino flux at sea level.

The present harder pion  $x$ -distributions and the difference in the primary spectra tend to compensate each other; with DPMJET3.03 and the present primary spectrum, the atmospheric neutrino flux below  $\sim 10$  GeV incidentally agrees with the old HKKM values within  $\sim 5\%$ , while at higher energies, the new model gives systematically lower flux [32]. More general comparison including other calculations [33–35] can be seen in Fig. 18 of Ref. [2].

If FRITIOF1.6 was used with the new primary, the flux at around 1 GeV would be much higher than the DPMJET3.03 case and probably would not be acceptable as muon com-

parison [7] indicates. If we employ FRITIOF7.02, the resulting neutrino spectrum is expected to be a little bit higher than that with DPMJET3.03 at all energies.

## VII. SUMMARY

We have made successful observations of atmospheric gamma rays at around 10 GeV at Mt. Norikura (2.77 km a.s.l.) and at balloon altitudes (15–25 km). The observed gamma-ray fluxes are compared with calculations by three interaction models; it is found that FRITIOF1.6 employed by the HKKM calculation [19], which was used in comparison with the Kamioka data, is not a very good model. Other two models (FRITIOF7.02 and DPMJET3.03) give better results consistent with the data, which shows more rapid increase and faster attenuation of the flux than FRITIOF1.6 predicts. Our data have complementary features to muon data and will serve for checking nuclear interaction models used in atmospheric neutrino calculations.

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