<sup>8</sup>In order to simplify the discussion we do not formulate the most general assumptions from which the following properties can be derived (Ref. 5) (not all of them are independent). For the purpose of this note, the properties (1)-(4) may be regarded as the assumptions which define our framework.

<sup>9</sup>A very clear and rigorous discussion of the Gupta-Bleuler formulation in the free-field case is given in A. S. Wightman and L. Gårding, Arkiv Fysik 28, 129 (1964). The proof that, under very general assumptions, locality and covariance require a Gupta-Bleuler-type formulation can be found in F. Strocchi, Phys. Rev. 162, 1429 (1967); Phys. Rev. D 2, 2334 (1970); in Lectures in Theoretical Physics, edited by A. O. Barut and W. E. Brittin (Colorado Associated Univ. Press, Boulder, to be published), Vol. 14. There, one may also find a characterization of the local and/or covariant gauges for the free-field case. The interacting case is discussed in Ref. 5.

<sup>10</sup>The Maxwell equations cannot hold as operator equations, not even in the weak form

 $\left[\partial_{\mu}F^{\mu\nu}(f) - j^{\nu}(f)\right]\Psi = 0, \quad \forall \Psi \in \mathcal{K}' \cap D_{a\nu(f)}.$ 

PHYSICAL REVIEW D

VOLUME 6, NUMBER 4

tity.

15 AUGUST 1972

## **Errata**

Equal-Time Terms in Perturbation Theory and Convolutions of Tempered Distributions, Paul Otterson [Phys. Rev. D 4, 1681 (1971)]. The reference

to tables in the third paragraph of the Introduction is a misprint. The tables are in Ref. 5 (Gel'fand and Shilov, Vol. I.) and Ref. 18.

In several cases the mass function  $M^2(p_{\beta}, p_{\gamma}, \alpha)$ of Eq. (14) takes negative as well as positive values; in specific examples it has been verified that this function may be replaced by its absolute value in Eq. (16).

In Sec. II, the space  $C_{\infty}$  should be replaced by the space of infinitely differentiable functions polynomially bounded together with all derivatives.

The best one can require is that the Maxwell equations

<sup>12</sup>The conclusions of the theorem can be extended to

a dense set of vectors  $\Psi \in \mathcal{K}'$  one may find strictly local

A sequence  $a_n$  fullfilling (a) always exists by the Reeh-Schlieder theorem. The nontrivial part of condition

(ii) is (b), although this is suggested to be true by sol-

uble models. It may be worthwhile to note that even if

point function or vertex which enters in the Ward iden-

the theorem can be extended to charged sectors, this does not necessarily imply the vanishing of the three-

higher (non-zero-charge) sectors under the following conditions: (i) the spectral condition holds in  $\alpha$ , (ii) for

<sup>11</sup>The spectral condition holds in  $\overline{\hat{D}}_0$ , by assumption (4).

hold as mean values in  $\mathcal{K}'$  (Refs. 4, 5).

operators  $a_n$ , depending on  $\Psi$ , such that

(a) weak limit  $\alpha_n \Psi_0 = \Psi$ ,

(b) weak limit  $\alpha_n \Psi = \overline{\Psi} \in \mathcal{H}'$ .

Tachyons and Quantum Statistics, Raymond Fox [Phys. Rev. D 5, 329 (1972)]. Page 329, Column 1, line 29: Instead of "Other reasons against the existence...," it should read, "Reasons for the possible existence...".