

## Parity of the antiproton

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(Received 12 November 1976; revised manuscript received 14 February 1977)

It is shown, using an angular momentum argument, that the asymmetry observed in  $\bar{p}p \rightarrow \pi^+\pi^-$  with polarized targets confirms the expected negative intrinsic parity and negative exchange phase of the  $\bar{p}p$  state.

A recent letter by Kalogeropoulos, Chiu, and Sudarshan (KCS)<sup>1</sup> has pointed out that the observation of asymmetry<sup>2</sup> in  $\bar{p}p \rightarrow \pi^+\pi^-$  with polarized protons confirms the expected (from general field-theory arguments) negative intrinsic parity of the antiproton with respect to the proton. However, KCS assume the usual exchange property (as in local fermion field theory) for the  $\bar{p}p$  system. Since the motivation for questioning the intrinsic  $\bar{p}p$  parity ( $\eta_{\bar{p}p}$ ) is the possibility of other choices that might occur in imaginative models, it is also of interest to consider the possibility of unusual exchange properties of the  $\bar{p}p$  state.<sup>3</sup> In this note we use an angular momentum argument to show that the asymmetry observed in  $\bar{p}p \rightarrow \pi^+\pi^-$  requires both the usual intrinsic parity ( $\eta_{\bar{p}p} = -1$ ) and the usual exchange phase ( $\tau_{\bar{p}p} = -1$ ).

The relative intrinsic parity ( $\eta_{\bar{p}p}$ ) of the  $\bar{p}p$  system is defined relative to the  $\pi^+\pi^-$  system by

$$(-1)^J \eta_{\bar{p}p} = (-1)^J \eta_{\pi^+\pi^-}, \quad (1)$$

while conservation of  $CP$  in strong interactions means that the  $\bar{p}p$  and  $\pi^+\pi^-$   $CP$  eigenvalues are related by

$$-(-1)^S \eta_{\bar{p}p} \zeta_{\bar{p}p} = \eta_{\pi^+\pi^-} \zeta_{\pi^+\pi^-}. \quad (2)$$

The phase  $\zeta$  results from particle-antiparticle

interchange and, in usual field theory, has the value +1 for Bose fields and -1 for Fermi fields. We take  $\eta_{\pi^+\pi^-} = \zeta_{\pi^+\pi^-} = +1$  (corresponding to the Bose nature of the pion) as confirmed by other examples of  $\pi\pi$  final states.<sup>1</sup> KCS assume that  $\zeta_{\bar{p}p} = -1$  as in fermion field theory, but we leave open the possibility of another choice.

The total ( $J$ ) and orbital ( $L$ ) angular momentum of the  $\bar{p}p$  system are related by the angular momentum addition  $\vec{J} = \vec{L} + \vec{S}$ , where the  $\bar{p}p$  spin  $S$  can equal 1 or 0. As KCS point out, the asymmetry in  $\bar{p}p \rightarrow \pi^+\pi^-$  arises from interference between  $S_x = \pm 1$  and  $S_x = 0$   $\bar{p}p$  states. The  $S_x = \pm 1$  states are certainly  $S = 1$ . From Eq. (2), we see that the  $\bar{p}p$  system must be in a pure spin state. Thus the  $S_x = 0$   $\bar{p}p$  states must also be  $S = 1$ . We now make the observation that there is no  $S_x = L_x = 0$  state for the angular momentum addition  $\vec{L} + 1 = \vec{L}$ .<sup>4</sup> Therefore we must have  $J = L \pm 1$  or  $(-1)^J = -(-1)^L$  and, from Eq. (1), we see that  $\eta_{\bar{p}p} = -1$ , so that the  $\bar{p}p$  system has the expected negative intrinsic parity. From Eq. (2) it follows that the exchange phase  $\zeta_{\bar{p}p}$  is also negative.

*Note added in proof.* After this article was submitted for publication, M. I. Shirokov and E. O. Okonov [Phys. Lett. 68B, 88 (1977)] presented an argument equivalent to that in this note.

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<sup>1</sup>T. E. Kalogeropoulos, C. B. Chiu, and E. C. G. Sudarshan, Phys. Rev. Lett. 37, 1037 (1976).

<sup>2</sup>R. D. Erlich *et al.*, Phys. Rev. Lett. 28, 1147 (1972); P. Kalmus, private communication (to Ref. 1).

<sup>3</sup>The effect of unusual exchange properties on the

$\bar{p}p \rightarrow \pi\pi$  process has been considered by M. I. Shirokov and É. O. Okonov, Zh. Eksp. Teor. Fiz. 39, 285 (1960) [Sov. Phys.—JETP 12, 204 (1961)], but they did not consider polarization experiments at that time.

<sup>4</sup>This follows from a symmetry property of the Clebsch-Gordan coefficients.