# Proton-proton elastic scattering at $6.0 \mathrm{GeV} / \mathrm{c}$ with three spins measured* 

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#### Abstract

The differential elastic $p-p$ scattering cross section was measured at $6 \mathrm{GeV} / c$ at the Argonne Zero Gradient Synchrotron in the range $P_{\perp}{ }^{2}=0.6-1.0(\mathrm{GeV} / c)^{2}$ using a $65 \%$-polarized target and a $75 \%$-polarized extracted beam of intensity $3 \times 10^{9}$ protons/pulse. We simultaneously measured the polarization of the recoil proton with a well-calibrated carbontarget polarimeter. All three polarizations were measured perpendicular to the horizontal scattering plane. Our results indicate that $\boldsymbol{P}$ and $\boldsymbol{T}$ invariance are both obeyed to good precision even at large $P_{\perp}{ }^{2}$. Parity invariance implies that the eight single-flip transversity cross sections are zero, so our data give the relative magnitudes of the eight remaining pure spin cross sections where all spins are measured. We find that the double-flip transversity cross sections are nonzero.


It is becoming more and more apparent that spin effects play an important role in high-energy strong interactions. The Zero Gradient Synchroton (ZGS) polarized beam allows precise studies of these spin effects, especially when used with a polarized target. During the past few years our group ${ }^{1}$ and the ANL-Northwestern group ${ }^{2}$ have used the ZGS to study the spin dependence of proton-proton elastic scattering. We previously reported ${ }^{1,3}$ significant differences between the various $6-\mathrm{GeV} / \mathrm{c}$ pure two-spin transversity cross sections (with both initial spins measured). We also measured ${ }^{3}$ the polarization of the recoil proton at $P_{\perp}{ }^{2}=0.5(\mathrm{GeV} / c)^{2}$ and found some evidence for a nonzero double-spin-flip cross section. The present experiment extends these 6$\mathrm{GeV} / c$ three-spin measurements to $P_{\perp}{ }^{2}=0.6,0.8$, and $1.0(\mathrm{GeV} / c)^{2}$. A number of changes improved the experiment: The direction of the beam polarization was reversed on alternate pulses; the accelerated intensity was increased to $3 \times 10^{9}$ protons/pulse with a $2.5-\mathrm{sec}$ repetition rate; the recoil polarimeter was redesigned to tighten its angular resolution and was directly calibrated using the ZGS polarized beam.
The experimental apparatus is similar to that used in our earlier measurements ${ }^{1,3}$ and will be described in detail in a coming publication. ${ }^{4}$ The beam polarization, $P_{B}$, was measured using a high-energy polarimeter consisting of a liquid
hydrogen target and two double-arm spectrometers, each containing magnets and scintillation counters. The polarimeter measured the leftright asymmetry in $p p$ elastic scattering at 6.0 $\mathrm{GeV} / c$ and $P_{\perp}{ }^{2}=0.5(\mathrm{GeV} / c)^{2}$. The beam polarization is given by

$$
\begin{equation*}
P_{B}=\frac{1}{A}\left(\frac{L-R}{L+R}\right) \tag{1}
\end{equation*}
$$

where $L$ is the number of coincidences in the left arm, $R$ is the number in the right arm, and $A$ $=0.100 \pm 0.006$ is the asymmetry parameter for $p-p$ elastic scattering. The average beam polarization was $P_{B}=(75 \pm 5) \%$.
We scattered the polarized beam from the Michigan-Argonne PPT V polarized proton target. ${ }^{1,3,4}$ The target consists of frozen beads of propanediol, $\mathrm{C}_{3} \mathrm{H}_{8} \mathrm{O}_{2}$, doped with $\mathrm{Cr}^{V}$ paramagnetic complexes. The beads are $1-2 \mathrm{~mm}$ in diameter and are contained in a $4-\mathrm{cm}$-long by $3-$ cm-diameter target cavity. The target is maintained at $0.5^{\circ} \mathrm{K}$ in a magnetic field of 25 kG which polarized the $\mathrm{Cr}^{V}$ electrons. The proton polarization, $P_{T}$, is produced by $70-\mathrm{GHz}$ microwaves using the dynamic polarization technique and measured using a $107-\mathrm{MHz}$ NMR system with signal averaging. The target protons' polarization has been as high as $85 \%$, but radiation damage to the target beads reduced the average $P_{T}$ to $(65 \pm 4) \%$. Two NMR coils of different diameters averaged


FIG. 1. Layout of the recoil $(B)$ arm and the $B$ polarimeter. The recoil proton is momentum-analyzed by the recoil magnet and then detected by the $B_{1} B_{2} B_{3}$ counters. The $H_{123}$ and $H_{456}$ hodoscopes monitor its angle and position prior to its scattering from the carbon target, while the $B_{L}$ and $B_{R}$ telescopes detect the $p-C$ scattering to the left and the right. The $A$ counters reduce background.
out the spatial dependence of the polarization due to beam-induced radiation damage. The direction of the target polarization was reversed approximately every 12 hours.

Elastic scattering events from the polarized target were detected in another double-arm spectrometer ${ }^{1,3,4}$; the recoil arm of this is shown in Fig. 1. Elastic events were determined by coincidences $(F B \bar{A})$ between the forward $(F)$ and the recoil or backward $(B)$ protons in which the anticounters $A$ did not fire. The nominally defining forward counter $F_{3}$, which was about 15 cm $\times 13 \mathrm{~cm}$ (horizontal $\times$ vertical) and about 18.4 m from the PPT, subtended a solid angle of $\Delta \Omega_{1 \text { ab }}$ $\sim 57 \mu \mathrm{sr}$, and had a momentum bite $\Delta P / P \sim 7 \%$. The $F B \bar{A}$ accidentals, which were about $\frac{1}{4} \%$ of $F B \bar{A}$, were continuously monitored and subtracted. We measured our inelastic background by substituting Teflon beads for the propanediol and by running event rate curves while varying the recoil magnet current. This background was ( 3.9 $\pm 0.2) \%$ and was subtracted from the measured $F B \bar{A}$ rates.

The polarization of the recoil proton $\left(P_{R}\right)$ was measured with the $B$ polarimeter shown in Fig. 1. Approximately $0.8 \%$ of the recoil protons rescatter from a $13-\mathrm{cm}$-long carbon target into four-fold scintillation-counter telescopes subtending the range $\theta_{1 a b}=7^{\circ} \rightarrow 11^{\circ}$. The defining counters $B_{L 4}$ and $B_{R 4}$ were about $17 \mathrm{~cm} \times 40 \mathrm{~cm}$ ( $\mathrm{h} \times \mathrm{v}$ ) and about 2.3 m from the carbon target. We measured the asymmetry $A_{m}$ in $p$-carbon scat-
tering,

$$
\begin{equation*}
A_{m}=\frac{B_{L}-B_{R}}{B_{L}+B_{R}} \tag{2}
\end{equation*}
$$

where $B_{L}=F B \bar{A} \cdot B_{L 1} B_{L 2} B_{L 3} B_{L \underline{4}}, B_{R}$
$=F B \bar{A} \cdot B_{R 1} B_{R 2} B_{R 3} B_{R 4}$, and $F B \bar{A}$ is the elastic-event trigger. We then obtained the recoil proton's polarization $P_{R}$ from the equation

$$
\begin{equation*}
P_{R}=\frac{A_{m}-D}{A_{C}-A_{m} E} \tag{3}
\end{equation*}
$$

where $A_{C}$ is essentially the $p-\mathrm{C}$ analyzing power or asymmetry parameter for the polarimeter. $D$ and $E$ reflect biases of the polarimeter due to counter inefficiency, surveying or construction errors, and the angular and positional variation of the recoil protons heading into the carbon target. $D$ and $E$ were as large as $10 \%$ and had to be known along with $A_{C}$ for all possible recoil-proton angles and positions.

We measured the incident angle and position using two overlaping five-channel hodoscopes ( $\mathrm{H}_{1} \mathrm{H}_{12} \mathrm{H}_{2} \mathrm{H}_{23} \mathrm{H}_{3}$ and $\mathrm{H}_{4} \mathrm{H}_{45} \mathrm{H}_{5} \mathrm{H}_{56} \mathrm{H}_{6}$ ) placed just upstream of the carbon target. Each event that triggered an $F B \bar{A}$ coincidence was assigned to one channel of a $5 \times 5$ matrix. This information was recorded in a CAMAC discriminator coincidence register (DCR) coupled to a $P D P 11 / 10$, which also recorded if $B_{L}$ and $B_{R}$ had fired.

The Teflon background runs gave a $B_{L}+B_{R}$ rate of ( $3.9 \pm 0.7$ ) \% of the normal rate at both $P_{\perp}{ }^{2}=0.6$ and $1.0(\mathrm{GeV} / c)^{2}$, and within statistics $B_{L}$ and $B_{R}$

TABLE I. Summary of Wolfenstein parameters at $6.0 \mathrm{GeV} / c$. The errors shown are point to point only. In addition, there are normalization errors of $\pm 0.005$ on $A$ and $C_{n n}$ and $\pm 5 \%$ of the value of $D_{n n}$ and $K_{n n}$.

| $P_{\perp}{ }^{2}\left[(\mathrm{GeV} / c)^{2}\right]$ | $A$ | $C_{n n}$ | $D_{n n}$ | $K_{n n}$ |
| :---: | :---: | :---: | :---: | :---: |
| 0.6 | $0.091 \pm 0.003$ | $0.107 \pm 0.004$ | $0.85 \pm 0.03$ | $0.13 \pm 0.03$ |
| 0.8 | $0.092 \pm 0.003$ | $0.080 \pm 0.004$ | $0.83 \pm 0.04$ | $0.05 \pm 0.04$ |
| 1.0 | $0.144 \pm 0.003$ | $0.057 \pm 0.004$ | $0.76 \pm 0.05$ | $0.04 \pm 0.05$ |

were equal. We therefore made a $3.9 \%$ subtraction from both $B_{L}$ and $B_{R}$ at all three $P_{\perp}{ }^{2}$ values. Two types of accidentals were monitored. The accidental rate between $F B \bar{A} \cdot B_{L 12}$ and $B_{L 34}$ was typically ( $2.7 \pm 0.2$ ) \% of the $B_{L}$ rate. The accidentals between $F B \bar{A}$ and $B_{L 1234}$ were typically $(0.3 \pm 0.1) \%$ of the $B_{L}$ rate. Both types were monitored continuously for both $B_{L}$ and $B_{R}$ and were subtracted.
We calibrated the hodoscope-polarimeter system by physically moving it into the main ZGS polarized beam and taking calibration runs with the polarized beam accelerated to the appropriate recoil momentum for each $P_{\perp}{ }^{2}$ value: $870 \mathrm{MeV} / c$ for $P_{\perp}{ }^{2}$ $=0.6,1050 \mathrm{MeV} / c$ for $P_{\perp}{ }^{2}=0.8$, and $1220 \mathrm{MeV} / c$ for $P_{\perp}{ }^{2}=1.0(\mathrm{GeV} / c)^{2}$. The calibration runs gave values of $A_{c}, D$, and $E$ for each of the 25 hodoscope channels with about $1 \%$ precision. These values were used in Eq. (3) to obtain $P_{R}$. The hodoscope-polarimeter had a large average analyzing power: $A_{C}$ was $59.2 \%$ at $P_{\perp}{ }^{2}=0.6$, $44.6 \%$ at $P_{\perp}{ }^{2}=0.8$, and $31.6 \%$ at $P_{\perp}{ }^{2}=1.0(\mathrm{GeV} /$ $c)^{2}$. The fraction of events analyzed ( $0.8 \%$ ) was essentially identical in both the data runs and calibration runs. In the data runs we obtained a total of about $7300\left(B_{L}+B_{R}\right)$ events at $P_{\perp}{ }^{2}=0.6$, 9100 at $P_{\perp}{ }^{2}=0.8$, and about 12000 at $P_{\perp}{ }^{2}=1.0$ $(\mathrm{GeV} / c)^{2}$. These gave a statistical error of about $4 \%$ in each recoil polarization.
The two-spin cross sections and their associated Wolfenstein parameters $A$ and $C_{n n}$ were obtained from the data as before. ${ }^{1,3}$ However, in this highstatistics experiment we averaged out systematic errors such as beam drift by flipping the beam polarization on alternate pulses. This decreased our errors to about $\pm \frac{1}{3} \%$. Values of $A$ and $C_{n n}$ at each $P_{\perp}{ }^{2}$ are given in Table I and Fig. 2 and are in good agreement with earlier measurements. ${ }^{2,3,5}$

Using the measured recoil polarization, $P_{R}$, and the beam and target polarizations, $P_{B}$ and $P_{T}$, we obtain the eight normalized three-spin cross-section ratios

$$
\begin{equation*}
\sigma_{i j \rightarrow 0 l}=\frac{d \sigma}{d t}(i j \rightarrow 0 l) /\left\langle\frac{d \sigma}{d t}\right\rangle \tag{4}
\end{equation*}
$$

Our notation is $\sigma$ (beam, target $\rightarrow$ scattered, recoil) and 0 denotes unmeasured, while $i, j$, and $l$ specify the transversity spin states $\uparrow$ or $\downarrow$.
$\langle d \sigma / d t\rangle$ is the differential cross section for an unpolarized beam and target. ${ }^{6}$ We now consider two additional Wolfenstein parameters, ${ }^{7}$

$$
\begin{align*}
& 4 D_{n n}=\sum_{i j}\left(\sigma_{i j \rightarrow 0 j}-\sigma_{i j \rightarrow 0 j}\right),  \tag{5}\\
& 4 K_{n n}=\sum_{i j}\left(\sigma_{i j \rightarrow 0 i}-\sigma_{i j \rightarrow 0 i}\right) .
\end{align*}
$$

The parameter $D_{n n}$ is the correlation between the recoil polarization $P_{R}$ and the target polarization $P_{T}$ and equals unity when the spin-flip cross section is zero. Similarly $K_{n n}$ is the correlation between $P_{R}$ and the beam polarization $P_{B}$ and measures the spin transfer. These parameters are given in Table I and Fig. 2. Notice that $D_{n n}$ may


FIG. 2. Wolfenstein parameters for $p-p$ elastic scattering at $6 \mathrm{GeV} / c$ are plotted against $P_{\perp}{ }^{2}$. For some of the other experiments the bin sizes have been increased at large $P_{\perp}{ }^{2}$ to improve the statistics.


FIG. 3. Plot of the pure four-spin cross sections $d \sigma /$ $d t(i j \rightarrow k l)$ for $p-p$ elastic scattering at $6 \mathrm{GeV} / c$ against $P_{\perp}{ }^{2}$. We also plotted the pure initial-two-spin cross sections $d \sigma / d t(i j)$ as bands with widths corresponding to the errors (see Ref. 3). Also shown as dashed lines are the spin-average cross section $\langle d \sigma / d t\rangle$ and $10 \%$ of $\langle d \sigma / d t\rangle$ for comparison with double-flip cross sections. Notice that $P_{\perp}{ }^{2}=2.40(\mathrm{GeV} / c)^{2}$ corresponds to $90^{\circ} \mathrm{cm}$ at $6 \mathrm{GeV} /$ $c$.
be moving further from 1 at large $P_{\perp}{ }^{2}$ while $K_{n n}$ may be moving toward 0 . Our values of $D_{n n}$ are smaller than those of Abshire et al. ${ }^{8}$ at the lower $P_{\perp}{ }^{2}$.
Each of the pure three-spin cross sections $\sigma_{i j \rightarrow 0 l}$ is the sum of two pure four-spin cross sections

$$
\begin{equation*}
\sigma_{i j \rightarrow 0 l}=\sigma_{i j \rightarrow \uparrow l}+\sigma_{i j \rightarrow+l} . \tag{6}
\end{equation*}
$$

For identical particles rotational invariance requires that

$$
\begin{align*}
& \sigma_{\uparrow \downarrow \rightarrow \uparrow \downarrow}=\sigma_{\downarrow \uparrow \rightarrow \downarrow \downarrow},  \tag{7}\\
& \sigma_{\uparrow \downarrow \rightarrow \downarrow}=\sigma_{\downarrow \uparrow \rightarrow \uparrow \downarrow}
\end{align*}
$$

In addition, parity invariance requires ${ }^{9}$ that all eight single-flip transversity cross sections equal zero. Using (7) we can test for a possible parity violation by forming the experimental quantity

$$
\begin{equation*}
\epsilon_{P}=\sigma_{\uparrow t \rightarrow 0 t}-\sigma_{t \uparrow \rightarrow 0 \uparrow}=\sigma_{\uparrow t \rightarrow t}-\sigma_{t \uparrow \rightarrow \uparrow \uparrow} \tag{8}
\end{equation*}
$$

Parity conservation requires $\epsilon_{P}$ to be zero. Our results for $\epsilon_{P}$ are: $0.07 \pm 0.05$ at $P_{\perp}{ }^{2}=0.6,0.08$ $\pm 0.06$ at $P_{\perp}{ }^{2}=0.8$, and $0.00 \pm 0.08$ at $P_{\perp}{ }^{2}=1.0$, showing no evidence for a parity violation at any $P_{\perp}{ }^{2}$.

Time-reversal invariance imposes another relation among the pure four-spin transversity cross sections

$$
\begin{equation*}
\sigma_{\uparrow \uparrow \rightarrow \downarrow \downarrow}=\sigma_{\downarrow \downarrow \rightarrow \uparrow \uparrow} \tag{9}
\end{equation*}
$$

Since there is no evidence of a $P$ violation we can form a quantity $\epsilon_{T}$,

$$
\begin{equation*}
\epsilon_{T}=\sigma_{\uparrow \uparrow \rightarrow 0 \downarrow}-\sigma_{\downarrow \downarrow \rightarrow 0 \uparrow}=\sigma_{\uparrow \uparrow \rightarrow \downarrow \downarrow}-\sigma_{\downarrow \downarrow \rightarrow \uparrow \uparrow} \tag{10}
\end{equation*}
$$

which tests $T$ invariance. Our results for $\epsilon_{T}$ are: $-0.01 \pm 0.05$ at $P_{\perp}{ }^{2}=0.6,0.02 \pm 0.06$ at $P_{\perp}{ }^{2}=0.8$ and $0.11 \pm 0.08$ at $P_{\perp}{ }^{2}=1.0$, showing no evidence for a $T$ violation.

In Fig。3 we have plotted the five $d \sigma / d t(i j \rightarrow k l)$ against $P_{\perp}{ }^{2}$. The $\langle d \sigma / d t\rangle$ we used ${ }^{6}$ is shown as a dashed line. We have also plotted the three initial-two-spin cross sections as bands whose widths correspond to the error at each $P_{\perp}{ }^{2}$. These errors are much smaller than those of the four-spin cross sections because the recoil-polarization error does not contribute. For $P_{\perp}{ }^{2} \geq 0.5(\mathrm{GeV} / c)^{2}$ these $d \sigma / d t(i j)$ were obtained from Table I and our earlier publication, ${ }^{3}$ while for $P_{\perp}{ }^{2} \leq 0.4$ we combined the $C_{n n}$ measurements of Hicks et al. ${ }^{2}$ with the $A$ measurements of Borghini et al. ${ }^{5}$
The most important feature of Fig. 3 is that the different spin states have quite unequal cross sections. The parallel-up cross sections $d \sigma /$ $d t(\uparrow \uparrow \rightarrow \uparrow \uparrow)$ and $d \sigma / d t(\uparrow \uparrow)$ are sometimes twice as large as the parallel-down $d \sigma / d t(\downarrow \downarrow \rightarrow \downarrow \downarrow)$ and $d \sigma /$ $d t(\downarrow \downarrow)$. The double-flip cross sections, $d \sigma /$ $d t(\uparrow \uparrow \rightarrow \downarrow \downarrow)$ and $d \sigma / d t(\uparrow \downarrow \rightarrow \downarrow \uparrow)$, are typically 10 times smaller than the nonflip. These large differences imply that spin must be considered in any serious model for strong interactions. ${ }^{10}$

Another very striking feature is the clear change in the spin dependence near $P_{\perp}{ }^{2}=0.8(\mathrm{GeV} / c)^{2}$, where $\langle d \sigma / d t\rangle$ has a break. In the "diffraction peak" region below the break the $d \sigma / d t(i j \rightarrow k l)$ are all parallel to each other and $d \sigma / d t(\uparrow \uparrow \rightarrow \uparrow \uparrow)$ is about $50 \%$ larger than both $d \sigma / d t(\uparrow \downarrow \rightarrow \uparrow \downarrow)$ and $d \sigma /$ $d t(\downarrow \downarrow \rightarrow \downarrow \downarrow)$. The cross sections have much more spin dependence in the region after the break where the $d \sigma / d t(i j)$ are again parallel but now with a slope of $\sim e^{-3.5 P_{\perp}{ }^{2}}$. Here $d \sigma / d t(\uparrow \uparrow-\uparrow \uparrow)$ is $100 \%$ larger than $d \sigma / d t(\downarrow \downarrow \rightarrow \downarrow \downarrow)$, while $d \sigma / d t(\uparrow \downarrow \rightarrow \uparrow \downarrow)$ is about halfway between.

There is some indication that the double-flip cross sections, especially $d \sigma / d t(\uparrow \uparrow \rightarrow \downarrow \downarrow)$, may be relatively larger after the break. This can also be seen by studying $D_{n n}$ in Fig. 2. This ef-
fect is a few standard deviations and thus is not certain, but it is an interesting possibility. It would be very significant if the double-flip cross section became dominant at very large $P_{\perp}{ }^{2}$ 。
The break in $d \sigma / d t$ corresponds to the transition from the forward diffraction peak to the large $-P_{\perp}{ }^{2}$ region. The large spin dependence in this second region may give important information about the nature of large $-P_{\perp}{ }^{2}$ elastic scattering. We plan to study this further by extending these measure-
ments to larger $P_{\perp}{ }^{2}$.

We are very grateful to the ZGS staff for the improved operation of the polarized beam. We thank Dr. S. W. Gray and Dr. E. F. Parker for their help in the early stages of the experiment and J. A. Bywater, W. Dragoset, H. E. Haber, J. G. Toney, and A. L. Weil for their help in running. A.D.K. thanks the Niels Bohr Institute for their hospitality while this paper was being written.
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