

Interplay between accelerated protons, x rays and neutrinos in the corona of NGC 1068: Constraints from kinetic plasma simulations

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We examine properties of accelerated protons potentially responsible for the neutrino excess observed in the direction of NGC 1068, using constraints from kinetic particle-in-cell simulations. We find that (i) coronal x rays and optical/ultraviolet light in the inner disk lead to efficient absorption of hadronic γ rays within 100 Schwarzschild radii from the black hole; (ii) protons accelerated from the coronal thermal pool cannot account for the observed neutrinos; and (iii) explaining the observed signal requires an injection of protons with a hard spectrum, peaking at $\gamma_p \sim 10^3\text{--}10^4$, into the turbulent magnetically dominated corona, where they are confined and reaccelerated. The resulting neutrino signal can be consistent with IceCube observations. In our most favorable scenario, the injected protons are preaccelerated in intermittent current sheets in the vicinity of the black hole, occurring either at the boundary between the disk and the outflow or during magnetic flux eruption events.

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Introduction. Recent observations of NGC 1068 show a significant neutrino flux [1] with a luminosity $L_\nu \lesssim 10^{42}$ erg/s that dwarfs its expected γ -ray counterpart [1,2]. It has hence been suggested that opaque active galactic nucleus (AGN) cores can be significant high-energy neutrino sources, where dense radiation attenuates γ rays while contributing to neutrino emission, e.g., [3–13]. Specifically, highly magnetized coronae are promising particle accelerators that can also produce neutrinos mainly through interactions with coronal x rays, e.g., [6,14,15], within a region $\lesssim 100r_g$ [6,16]. Nonetheless, a framework that self-consistently explains these observations is lacking as the complex interplay of particle acceleration, disk properties, and radiation fields is decisive. In this Letter, we investigate whether magnetized coronae in the vicinity of supermassive black holes (BHs) are viable candidates to be neutrino emitters.

Initially, we study the effects of radiation and magnetic fields in coronae relying on observations of x rays and optical/UV (OUV) radiation of AGNs. The x rays in the nuclear regions emanate from compact coronal regions [17,18] with half-light radii $\sim 6r_g$ [19], and could lie within $\lesssim 10r_g$ above the BH, e.g., [20–25]. These x rays from the central parts of AGNs are produced by the

comptonization of disk photons on electrons energized in the coronae, e.g., [26,27]. We rely on a recent understanding of the dissipation of magnetic energy and its conversion to radiation in collisionless magnetic reconnection and turbulence, in first-principles models of x-ray spectra of x-ray binaries, e.g., [28,29]. Similar conditions are expected in the coronae of NGC 1068, a Compton thick AGN with a thin disk where matter obscures nuclear x-ray emission because of a large column density. As for OUVs, they are found to be directly correlated with x rays in Seyferts, e.g., [30,31]. Henceforth, we construct a neutrino emission framework that accounts for particle acceleration and the radiation properties of coronal regions, concomitant with the effects of neutrino production mechanisms (proton-proton, pp , and photomeson, $p\gamma$) based on analytical arguments and kinetic particle-in-cell (PIC) plasma simulations.

Parent protons of detected neutrinos. From energy conservation, we write the neutrino flux ϕ_ν , based on the parent proton spectrum ϕ considering that the multiplication production channel is dominant in the TeV–PeV range,

$$E_\nu^2 \phi_\nu(E_\nu) \approx \psi_{p\gamma} \kappa_\nu E_p^2 \phi(E_p), \quad (1)$$

where E_p is the proton energy, and $E_\nu = \alpha E_p$ the neutrino energy, with $\alpha \simeq 1/20$. κ_ν is akin to an optical depth for

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neutrino production, such that $\kappa_\nu(E_p) = \min(t_\nu^{-1}\langle t_{\text{esc}} \rangle, 1)$, with t_ν the proton cooling time, and t_{esc} the proton escape time from the corona. ψ_{px} is an interaction-dependent scaling where $\psi_{pp} = 1/2$ (from the charged to neutral pion ratio) and $\psi_{p\gamma} = 3/4\psi_{pp}$ (adding a scaling from pion and muon decay). The proton luminosity L_p needed to explain the 1–10 TeV neutrino spectrum is then

$$L_p \approx 4\pi D^2 (1+z)^2 \frac{E_\nu^2 \phi_\nu(E_\nu)}{\psi_{\text{px}} \kappa_\nu}, \quad (2)$$

where z is the redshift, D is the distance to the source, and $E_\nu^2 \phi_\nu(E_\nu)$ is extracted from IceCube data [1].

We retrieve the required slope of the distribution of accelerated protons, $\phi(E) \propto E^{-s}$, from Eq. (1), where the neutrino spectrum, $\phi_\nu \propto E^{-q} \propto E^{-s} \kappa_\nu(E)$, and $q = 3.2 \pm 0.2$ [1]. As we discuss below, for realistic plasma conditions and properties of the radiation fields, t_ν is mostly energy independent (Fig. 1), and t_{esc} scales weakly with E_p , $t_{\text{esc}} \propto E_p^{-\delta_s}$, where $\delta_s \sim 0.3$. We find that protons are efficiently confined in the corona, resulting in $\kappa_\nu \approx \text{const}$. Therefore, $s \in [3.0, 3.4]$, which sets the coronal plasma magnetization σ , defined as the ratio of the magnetic energy density to the rest mass energy density, thanks to kinetic simulation results.

The observed neutrino to bolometric luminosity ratio, $L_\nu/L_{\text{bol}} \approx 10^{-3}$ [33,34], implies that the accelerated protons' spectral luminosity, $L_p(E_p)$, peaks for $E_p \sim 1$ –10 TeV. Otherwise, if the inferred proton spectrum is extrapolated down to lower energies, $E_{p,\text{min}} \lesssim 100$ GeV, the injected proton power would exceed the bolometric

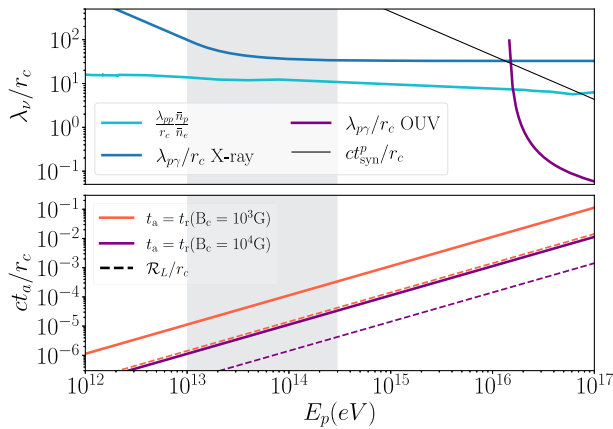


FIG. 1. Upper panel: cooling length for proton synchrotron, pp , and $p\gamma$ interactions in the putative corona of NGC 1068, in an energy range encompassing the observed neutrino signal (the shaded region). Lower panel: acceleration distance, ct_a , for relativistic magnetic reconnection, $ct_r(B_c)$, along with proton Larmor radii, \mathcal{R}_L . As for the stochastic acceleration distance, $ct_s(\sigma)/r_c \simeq 10^{-1}$ for $l_0 \sim r_g$ [32], with a relatively unknown energy dependence.

luminosity, viz., $L_p(E_{p,\text{min}}) > L_{\text{bol}} \simeq 7 \times 10^{44}$ erg/s [35], violating energy conservation. Consequently, proton acceleration from the coronal thermal pool cannot account for the neutrino signal, unless the coronal plasma magnetization σ is unlikely large, $\sigma \gtrsim 10^3$. The reason is that particle acceleration in magnetized plasma (by either turbulence or magnetic reconnection) tends to produce a soft spectrum ($s > 2$) above the equipartition energy ($\sim \sigma$ in collisionless plasma) and a hard spectrum ($s \lesssim 1$) below it. However, a low-density proton population preaccelerated to $\gamma_{p,\text{inj}} \sim 10^3$ – 10^4 , in a disparate region of large magnetization, $\sigma_p \gtrsim 10^3$ – 10^4 , then injected and reaccelerated in the turbulent coronal plasma, can accommodate the energetic demands. In the scenario discussed below, proton preacceleration is supposed to occur in high- σ_p intermittent current sheets, at either the outflow boundary or current sheets in BH magnetic flux eruptions.

Coronal radiation fields. Considering their importance for $p\gamma$ interactions and γ -ray obscuration, we discuss radiation fields in the inner regions of NGC 1068. We adopt the unified model of AGNs, where the apparent difference between the Seyfert I and II classes is solely due to orientation to the observer. We can then rely on type I AGN (visible nucleus) for clues on radiation fields in type II AGNs (e.g., NGC 1068). In this sense, we consider coronal x-ray emission, along with its corresponding optical/UV (OUV) emission through the α_{ox} relation as the dominant radiation fields (see the Appendix).

As for γ rays produced through pp and $p\gamma$ processes, they are suppressed through the Breit-Wheeler process (see the Appendix). Generally speaking, AGN OUV emission inferred from Eq. (A1) can attenuate γ rays within $< 100 r_g$ to a level consistent with observational limits [36], while GeV γ rays are attenuated by coronal x rays. More data in the TeV range will put firmer constraints on consistency with the hadronic emission scenario. A future study of the ensuing γ -ray cascades can help to interpret Fermi data [37].

Coronal magnetic fields and composition. Considering its crucial role in particle acceleration and radiation production, we constrain the coronal magnetic field strength, B_c . If magnetic reconnection drives coronal x-ray production, e.g., [28], where the inverse Compton (IC) lepton cooling timescale is much shorter than the dynamical time, most of the magnetic energy dissipated in reconnection is quickly converted into radiation, such that $U_x \sim \beta_r U_B = \beta_r B_c^2 / 8\pi$, where $\beta_r = 0.1$, e.g., [38], is the dimensionless reconnection velocity. We find $B_c \approx 2 \times 10^4$ G. Conversely, if magnetized, large-amplitude fluctuations are present, i.e., $\delta B \sim B_c$, turbulence is the main driver. We expect a balance between the energy carried away by escaping radiation, $\sim U_x / t_{\gamma,\text{esc}}$, and the turbulent cascade power, $(\delta B)^2 / (4\pi t_0)$, where $t_{\gamma,\text{esc}} = (\tau_T + 1) l_{\text{esc}} / c$ is the photon escape time

associated with diffusion over scale l_{esc} , $\tau_T \gtrsim 1$ [39] the Thomson optical depth, and t_0 the eddy turnover time at the turbulence driving scale, l_0 [29,41]. For $l_{\text{esc}} \sim l_0$ and $\tau_T \sim 1$, we find $B_c \approx 2 \times 10^3$ G. Overall, we expect $B_c \sim 10^3\text{--}10^4$ G, depending on energy dissipation, consistent with subequipartition field strength in thin disks, e.g., [28].

Plasma in BH coronae consists of electrons, protons, and most likely positrons, produced in two-photon collisions of comptonized photons. The existence of positrons is motivated by observations of coronae lying close to the pair balance line, where electron and positron densities are equal, e.g., [19], but the lepton to proton total density ratio, \bar{n}_e/\bar{n}_p , is uncertain. \bar{n}_e is self-regulated such that $\tau_T \sim 1$, resulting in $\bar{n}_e \simeq \tau_T/(\Sigma_T r_c) \simeq 10^{11} \text{ cm}^{-3}$ [42]. We can then calculate the pair magnetization parameter, $\sigma_{\pm} = B^2/(4\pi\bar{n}_e m_e c^2) = (2\ell/\tau_T)(U_B/U_x)$, thus $\sigma_{\pm, \text{turb}} \approx \ell/\tau_T$, for the turbulence scenario [43], where $\ell = \Sigma_T U_x r_c/(m_e c^2) \approx 10$ is the radiative compactness parameter [44]. Proton magnetization is then $\sigma_p = \sigma_{\pm}(m_e/m_p)(\bar{n}_e/\bar{n}_p)$, and $\sigma_p \lesssim 10$, for $\bar{n}_e/\bar{n}_p \lesssim m_p/m_e$. Below, we focus on the mildly relativistic scenario $\sigma_p \sim 1$ as kinetic simulations strongly hint to this case for $s \approx 3$. Note that these coronal protons are magnetically energized such that $\langle \gamma_p \rangle \sim \sigma_p$, and so $L_p \leq L_x$.

Proton escape time. Strong turbulent magnetic fields in the corona can lead to efficient confinement of accelerated protons. If magnetic fields are dynamically important in the vicinity of BHs, we estimate $r_g \lesssim l_c \lesssim h$, where l_c is the coherence length of the B field [45] and $h \sim r_g$ is the scale height of the thin disk. This assumption constrains t_{esc} , since for $B_c \sim 10^3\text{--}10^4$ G, the proton Larmor radii are $\mathcal{R}_L \ll l_c$, which eventually results in significant scattering in the corona. The proton mean free path is set as $\lambda_s \sim l_c(\mathcal{R}_L/l_c)^{\delta_s}$ for $\mathcal{R}_L/l_c \ll 1$, where $\delta_s \approx 0.3$ corresponds to scattering on intermittent small-scale field reversals as is likely appropriate for large-amplitude turbulence; the exact value of the exponent is a subject of active investigations, e.g., [46,47]. For strong diffusion, $\mathcal{R}_L/l_c \ll 1$ so that particles random walk, and we get $\langle ct_{\text{esc}}/r_c \rangle \sim r_c/\lambda_s \sim (r_c/l_c)(r_g/\mathcal{R}_L)^{1/3}$ [48], and

$$\langle ct_{\text{esc}}/r_c \rangle \sim 200 \left(\frac{10^{14} \text{ eV}}{E_p} \cdot \frac{B_c}{10^3 \text{ G}} \cdot \frac{M_{\text{BH}}}{10^7 M_{\odot}} \right)^{1/3}. \quad (3)$$

It follows that if a mildly relativistic coronal inflow/outflow is present, with a velocity $\gtrsim 5 \times 10^{-3}c$, the proton residence time will be limited by the coronal inflow/outflow time.

Proton cooling in the corona.

Photomeson ($p\gamma$) interactions: We calculate the $p\gamma$ mean free path $\lambda_{p\gamma} = c/\tau_{p\gamma}^{-1}$ based on the effects of x rays and OUV using Eq. (A5) [49]. See details in the Appendix.

Proton-proton (pp) interactions: The pp mean free path is $\lambda_{pp} = (\bar{n}_p \Sigma_{pp})^{-1}$, where Σ_{pp} is the cross section for pp interactions [50] and \bar{n}_p is the density of coronal protons. We can further express it as $\lambda_{pp} = (r_c/\tau_T)(\Sigma_T/\Sigma_{pp})(\bar{n}_e/\bar{n}_p)$.

Cooling synthesis: In the upper panel of Fig. 1, we show the normalized mean free path λ/r_c for pp and $p\gamma$ interactions, along with the effects of synchrotron cooling [51]. We also account for the potential impact of pion synchrotron cooling, e.g., [55]. For pp interactions, we plot $\lambda_{pp}(\bar{n}_p/\bar{n}_e)$, insensitive to \bar{n}_e/\bar{n}_p . We note (i) that protons invariably interact through $p\gamma$ in the corona because of confinement [Eq. (3) and Fig. 4 in Supplemental Material [51]], and (ii) the presence of an OUV “wall” that sets a maximum energy $E_{\text{wall}} \lesssim 10^{17}$ eV, beyond which (a) $t_a > \lambda_{p\gamma}/c$ and (b) protons do not escape the corona before interacting with the 2500 Å component. pp interactions could be significant, for $\bar{n}_e/\bar{n}_p \lesssim 5$, which is equivalent to $\sigma_p \lesssim 0.1$. For mildly relativistic magnetizations, $\sigma_p \sim 1$, corresponding to $\bar{n}_e/\bar{n}_p \sim 200$, $p\gamma$ interactions dominate proton cooling. In the following, we further constrain σ_p and \bar{n}_e/\bar{n}_p . Moreover, the proton cooling time is shorter than the escape time due to diffusion [Eq. (3) [51]], resulting in efficient conversion of proton energy into neutrinos.

Proton acceleration in the coronal plasma. In what follows, we probe proton acceleration in the corona using PIC plasma simulations. We consider the two most likely processes producing efficient particle acceleration in magnetically dominated plasma: relativistic magnetic reconnection and turbulence. We verify whether features of reconnection-accelerated and/or turbulence-accelerated coronal protons are compatible with the IceCube signal. We conclude that protons accelerated from the thermal pool *cannot* explain the IceCube results for both acceleration mechanisms. The most likely source of the observed neutrinos are low-density protons preenergized in a region with a large σ_p through reconnection, and later confined and reaccelerated in the turbulent corona. We provide constraints on the magnetization in the corona, $\sigma = B^2/4\pi c^2(m_e \bar{n}_e + m_p \bar{n}_p) = \sigma_{\pm}/(1 + \sigma_{\pm}/\sigma_p)$, and, thus, \bar{n}_e/\bar{n}_p , based on the observed neutrino flux and spectral slope, s , and properties of the particle acceleration mechanisms.

It has recently been shown that highest-energy particles in 3D relativistic reconnection are accelerated while on “free-streaming” trajectories, bouncing between the two converging upstream flows [56–58]. The acceleration time of these particles, t_r , corresponds to a distance $ct_r = c/(\beta_r \omega_B)$, where $\omega_B = eB_c/(m_p c \gamma_p)$ is the gyrofrequency of accelerated protons. In magnetized turbulence, highest energy particles are accelerated by stochastic scattering off turbulent fluctuations [32], corresponding to an acceleration distance, $ct_s \sim 3l_0/\sigma$, where $l_0 \sim r_g$ is the

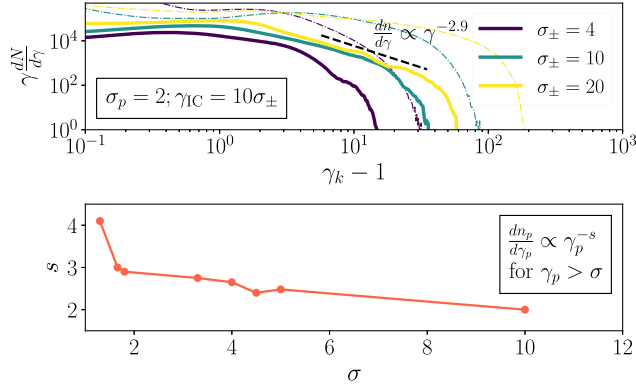


FIG. 2. Upper panel: spectral features of pairs (dot-dashed) and protons (solid) for cooled current sheets with $\gamma_{\text{IC}} = 10\sigma_{\pm}$. Protons are accelerated to σ_p with a flat spectrum and for $\gamma_p > \sigma$, the spectrum scales roughly as $\propto \gamma_p^{-s}$. Lower panel: empirical dependence of the spectral slope s on σ from PIC simulations.

turbulence driving scale. We compare these two scales in the lower panel of Fig. 1. We observe that reconnection-driven acceleration is faster compared to stochastic acceleration, $t_r \ll t_s$, for $E_p < E_{\text{wall}}$. Below we constrain the spectra of protons accelerated by the two processes.

Proton acceleration by reconnection: In this scenario, the corona is modeled as a collection of current sheets that accelerate and confine pairs and protons. To study this case, we perform radiative PIC simulations of a current sheet, initialized in a Harris equilibrium, with the upstream plasma composed of pairs and ions [58]. The importance of IC cooling for leptons is set by γ_{IC} , defined as the particle Lorentz factor for which cooling rate balances the acceleration rate from reconnecting electric fields. We set $\gamma_{\text{IC}}/\sigma_{\pm} = 10$, corresponding to a dynamically weak cooling expected in the AGN corona [56].

In Fig. 2, we plot examples of proton spectra (solid lines) and pairs (dot-dashed), at five light-crossing times of the simulation box. We find that (i) γ_{IC} is the maximum attainable Lorentz factor for leptons. (ii) Proton acceleration is not affected by lepton cooling, and produces a spectrum containing most of the energy at $\gamma \sim \sigma \simeq \sigma_p$. (iii) For $\gamma_p \gtrsim \sigma_p$, the proton spectrum is expressed as $dn/d\gamma_p \propto \gamma_p^{-s}$ (upper panel of Fig 2), where $s \in [2, 5]$ depending on σ (lower panel of Fig. 2; see also, e.g., [58,59]).

Proton acceleration by turbulence: In this scenario, the corona is magnetically dominated and turbulent with amplitude fluctuations, $\delta B \sim B_c$. We analyze 3D driven turbulence simulations (setup based on work by [29,60–62]), until ~ 5 light-crossing times of the simulation box. In addition to initial thermal particles [63], we add a low-density population of “preaccelerated” protons injected with a hard spectrum, $dn/d\gamma_p \sim \gamma_p^{-1}$ until $\gamma_p \sim \gamma_{\text{inj}}$ [64].

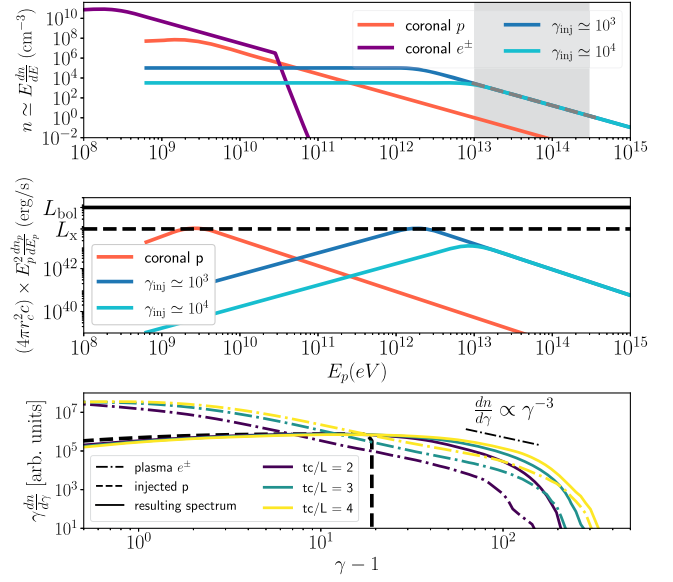


FIG. 3. Upper panel: density of coronal protons and pairs, along with the proton spectral range set by γ_{inj} needed to explain the NGC-1068 signal [1]. The dashed line is the proton density associated with the same signal. Middle panel: luminosity requirements in the expected γ_{inj} range. Lower panel: PIC simulation results from the injection of test protons with high γ_{inj} in magnetized turbulence with $\sigma = 3$.

A large population of reaccelerated particles is obtained, with a nonthermal slope, s , that hardens as σ increases. We find that the energy-containing Lorentz factor of the evolved distribution of preaccelerated particles remains at γ_{inj} , along a tail with a slope $s \simeq 3$, similar to that of the background particles (lower panel in Fig. 3).

Proton acceleration synthesis. The most constraining property of the IceCube signal is its high luminosity. If we rely on particles accelerated from the coronal thermal pool, a significant proton luminosity at $\gamma_p \sim 10^3$ – 10^4 can only be achieved in the reconnection scenario for $\sigma_p \gtrsim 10$ ($s \simeq 2$). This, however, yields a spectrum much harder than the observed slope of the neutrino spectrum. We conclude that if starting from a thermal population, proton acceleration in the corona cannot explain the IceCube signal.

The scenario of turbulent confinement and reacceleration of preaccelerated protons can favorably compare with observations. The required slope at high energies, $s \sim 3$, is most consistent with reacceleration in a coronal turbulent plasma of $\sigma \sim \sigma_p \gtrsim 1$. This corresponds to $\bar{n}_e/\bar{n}_p \approx 500$, favoring $p\gamma$ over pp interactions (see Fig. 1). In Fig. 3, top panel, we plot the expected coronal proton densities, $\gamma_p (dn/d\gamma_p)$ (solid red lines), which we extend to NGC 1068’s relevant energy range, and compare with the proton density $n \simeq E_p dn_p/dE_p \approx L_p/(4\pi r_c^2 c E_p)$ necessary to produce IceCube’s signal [dashed gray from Eq. (2)]. The middle panel of Fig. 3 constrains this scenario by

requiring the total luminosity of injected protons L_p to be below L_x , implying $\gamma_{\text{inj}} \sim 10^3$. The lowest required proton luminosity, L_p , scales as $\sim L_x/10$, for the injection at $\gamma_{\text{inj}} \sim 10^4$. The expected injected density is $\sim 10^{-5}$ – 10^{-3} of \bar{n}_p .

To that end, we propose that intermittently appearing current sheets in the vicinity of the BH, with magnetization $\sigma_{p,\text{bst}}$ and the amount of dissipation of magnetic energy comparable to that happening in the corona, result in *bursts* of a low-density population of protons impulsively accelerated up to $\gamma_{\text{inj}} \sim \sigma_{p,\text{bst}}$, and injected into magnetically dominated and turbulent coronae, where protons are confined and reaccelerated. Such sheets could occur (i) at the disk/outflow boundary where relativistic asymmetric reconnection could be prominent [65], i.e. one side of the flow containing a low proton density, (ii) at the BH's rotational equator during magnetic flux eruptions regulating the magnetic flux on the BH through episodically occurring magnetic reconnection [66], or (iii) at the interface between magnetic loops of alternating polarity that are advected into the polar region, where the magnetization is relatively high [67–70]. Such a configuration produces relatively weak BH outflows, which might be more compatible with radio observations of NGC 1068. One of these scenarios or a combination thereof is plausible (see the Appendix), as large scale general relativistic magnetohydrodynamic simulations of accretion flows around BHs show that (a) reconnection occurs at such boundaries, e.g., [65,71–73], and (b) magnetic flux eruptions occur in thin radiatively efficient disks, e.g., [74,75].

If the proton slope is steeper, $s \approx 3.5$, the nonrelativistic, but still magnetically dominated, high-amplitude turbulence can also serve as the reacceleration mechanism [76]. Turbulence becomes nonrelativistic for $\sigma_p \lesssim 1$, corresponding to $\bar{n}_e/\bar{n}_p \lesssim 150$. This scenario requires the reacceleration length, $\sim 3r_c(0.1/\sigma)$, to be shorter than the proton cooling time, λ_ν . At low enough σ_p such that $\bar{n}_p \approx \bar{n}_e$, the cooling is dominated by pp , such that $\lambda_\nu \sim 10r_c$. If $ct_s \lesssim \lambda_\nu$ then $\sigma \gtrsim 0.03$. Additional constraints can be provided by Bethe-Heitler cooling (see Supplemental Material [51]).

Conclusions. We present basic steps connecting first-principles plasma simulations of proton acceleration in AGN coronae to the observed interplay of x rays, γ rays, and neutrinos. Our most robust conclusions are that (i) radiation fields in the corona lead to efficient absorption of hadronic γ rays within $100 r_g$ of the BH; (ii) protons accelerated from the coronal thermal pool cannot account for NGC 1068's neutrinos; (iii) the observed neutrinos stem from $p\gamma$ interactions; and (iv) explaining the neutrino signal requires injection of protons preaccelerated to $\gamma \sim 10^3$ – 10^4 , into the turbulent magnetically dominated corona, where they are confined and reaccelerated.

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Appendix: Radiation fields, confinement, and potential injection scenarios.

Radiation fields.

Optical/UV (OUV): A tight relation between the OUV and x-ray radiation is observed in AGNs, and is set by the spectral index $\alpha_{\text{ox}} = -\log(L_{2\text{ keV}}/L_{2500\text{ \AA}})/2.605$, e.g., [78–82]. The integrated intrinsic x-ray luminosity of NGC 1068 in the 2–10 keV band is $L_x = 7_{-4}^{+7} \times 10^{43} \text{ erg s}^{-1}$ [83]. We can then estimate the luminosity $L_{2500\text{ \AA}}$ [30,31]:

$$\log L_{2\text{ keV}} = (0.760 \pm 0.022) \log L_{2500\text{ \AA}} + (3.508 \pm 0.641). \quad (\text{A1})$$

We estimate the OUV energy density based on coronal x rays as $U_{\text{ouv}} = L_{2500\text{ \AA}}/(4\pi cr_{\text{ouv}}^2)$, where r_{ouv} defines the radius within which half of the observed light is contained (the half-light radius). From quasar microlensing observations along with the AGN disk size estimates, $r_{\text{ouv}} \sim 100r_g$ over a wide range of BH masses $\gtrsim 10^7 M_\odot$, e.g., [84]. Seyfert galaxies have quasarlike nuclei, but with a clearly detectable host galaxy, thus, we rely on quasar continuum models [85] to obtain $dn_{\text{ouv}}/d\epsilon \approx U_{\text{ouv}}\epsilon^{-1}$ for [1050, 2500] Å.

X rays: X rays are the dominant targets for the $p\gamma$ process as the lowest energy photons, ϵ_{min} , that contribute to producing $E_\nu \sim 10 \text{ TeV}$ neutrinos have energies $\epsilon_{\text{min}} = (\alpha m_p c^2 \bar{\epsilon}_{\text{th}})/E_\nu \simeq 1 \text{ keV}$, where m_p is the proton mass, and $\bar{\epsilon}_{\text{th}} \approx 0.15 \text{ GeV}$ is the $p\gamma$ energy threshold in the proton frame. For NGC 1068, we deduce a spectral energy density $U_x \epsilon_0^{-2}$ if $\epsilon < 20 \text{ keV}$ and $U_x \epsilon^{-2}$ if $20 \leq \epsilon \leq 200 \text{ keV}$ (Fig. 2 in [35]), where $U_x = L_x/(4\pi r_c^2 c)$ is the coronal x-ray energy density, $r_c \simeq 10r_g$ is the corona size, e.g., [19,21], and $\epsilon_0 \simeq 7 \text{ keV}$ [86]. We note that the x-ray spectral shape of these obscured sources is uncertain and the spectrum of type I Seyferts might be different.

γ -ray interactions. High-energy photons with energies ϵ_γ interact most efficiently through Breit-Wheeler [88] with target photons of energy $\epsilon_t \sim m_e^2 c^4 / \epsilon_\gamma$, which gives $\epsilon_t > 0.1$ eV for \sim TeV γ rays. We calculate the center of momentum energy of target photons with energy ϵ_t and high-energy photons ϵ_γ , such that $S = \epsilon_t \epsilon_\gamma (1 - \cos \theta) / (2m_e^2 c^4)$, where θ is the angle between the momenta of photons in the laboratory frame. Assuming isotropic target photon field, one can estimate $S \approx \epsilon_t \epsilon_\gamma / (2m_e^2 c^4)$. Finally, the $\gamma\gamma$ cross section, $\Sigma_{\gamma\gamma}$, can be expressed as

$$\Sigma_{\gamma\gamma} = \frac{\pi}{2} r_e^2 (1 - \phi^2) \left[-2\phi(2 - \phi^2) + (3 - \phi^4) \ln \frac{1 + \phi}{1 - \phi} \right], \quad (\text{A2})$$

where $\phi = \sqrt{1 - 1/S}$. We can then calculate the $\gamma\gamma$ optical depth for a coronal region of size $r_c \sim 10r_g$.

The optical depth for $\gamma\gamma$ is $\tau_{\gamma\gamma}(\epsilon_\gamma) \simeq \int_{\epsilon_{t,\min}}^{\epsilon_{t,\max}} r_c \Sigma_{\gamma\gamma}(\epsilon_t, \epsilon_\gamma) \times (dn_t/d\epsilon_t) d\epsilon_t$, where $\Sigma_{\gamma\gamma}(\epsilon_t, \epsilon_\gamma)$ is the cross section for $\gamma\gamma$, and ϵ_t is the target photon energy. The resulting optical depth is shown in Fig. 2 in the Supplemental Material [51].

Since γ rays are produced and absorbed throughout the corona, the γ -ray luminosity in the IceCube energy range is

$$\epsilon_\gamma^2 \phi_\gamma(\epsilon_\gamma) \sim \frac{2E_\nu^2 \phi_\nu(E_\nu)}{\tau_{\gamma\gamma}} (1 - e^{-\tau_{\gamma\gamma}}). \quad (\text{A3})$$

We finally obtain Fig. 4, which shows the impact of $\gamma\gamma$ interactions on the γ -ray flux. Interactions with both OUV and x rays are considerable, for $\epsilon_\gamma \lesssim 10$ TeV (see Fig. 4). However, OUV photons are needed to curb the γ -ray flux at the TeV level.

Photomeson cooling. To calculate $\lambda_{p\gamma} = c/t_{p\gamma}^{-1}$ for protons with Lorentz factor γ_p , we employ [49],

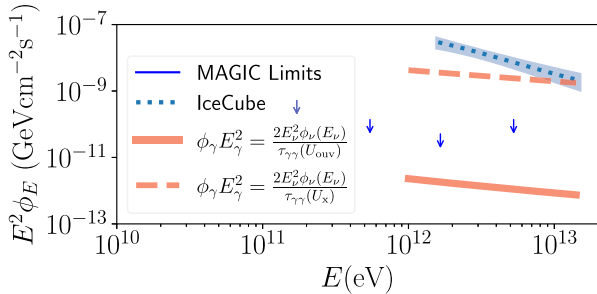


FIG. 4. γ -ray spectrum suppression based on x rays and OUV [Eq. (A3)], along with IceCube [1], and MAGIC [36] limits in the NGC 1068 signal energy range. The x rays cannot account for the γ -ray suppression above ~ 10 GeV, but the 2500 Å emission provides enough suppression.

$$t_{p\gamma}^{-1}(\gamma_p) \approx \frac{\xi c}{2\gamma_p^2} \int_{\bar{\epsilon}_{\text{th}}/2\gamma_p}^{\infty} d\epsilon \frac{dn_x}{d\epsilon} \epsilon^{-2} \int_{\bar{\epsilon}_{\text{th}}}^{2\gamma_p \epsilon} \epsilon' \Sigma_{\text{eff}}(\epsilon') d\epsilon', \quad (\text{A4})$$

where $\epsilon' \approx 2\gamma_p \epsilon$ is the photon energy in the proton rest frame, ϵ is its energy in the BH frame, ξ is the inelasticity, and Σ is the $p\gamma$ cross section.

X rays: Based on NGC 1068's x-ray spectral features [35], an effective cross section $\Sigma_{\text{eff}} \simeq 150 \mu\text{b}$ [50], and an interaction threshold $E_p = m_p c^2 \bar{\epsilon}_{\text{th}} / (2\epsilon_0) \gtrsim 10^{13}$ eV, Eq. (A4) yields

$$t_{p\gamma}^{-1}(\gamma_p) = \begin{cases} \frac{U_x}{2\epsilon_0} \left(3 + \frac{\bar{\epsilon}_{\text{th}}^2}{4\epsilon_0^2 \gamma_p^2} - 3 \frac{\bar{\epsilon}_{\text{th}}}{2\epsilon_0 \gamma_p} \right), & \text{if } \gamma_p > \bar{\epsilon}_{\text{th}} / (2\epsilon_0) \\ U_x \frac{\gamma_p}{\bar{\epsilon}_{\text{th}}}, & \text{if } \gamma_p < \bar{\epsilon}_{\text{th}} / (2\epsilon_0). \end{cases} \quad (\text{A5})$$

OUV: We calculate $t_{p\gamma}^{-1}$ for the OUV component based on Eq. (A4), where $dn_{\text{ouuv}}/d\epsilon \approx U_{\text{ouuv}} \epsilon^{-1}$ in the 1050–2500 Å range. In the vicinity of the corona, the photon energy density is $U_{\text{ouuv}} = L_{2500 \text{ Å}} / (4\pi c r_{\text{ouuv}}^2)$, and we get for $\gamma_p > \bar{\epsilon}_{\text{th}} / (2\epsilon_c)$,

$$t_{p\gamma}^{-1}(\gamma_p) = \xi c \Sigma_{\text{eff}} U_{\text{ouuv}} \left(\ln \frac{\gamma_p}{\gamma_c} + \frac{\gamma_c^2}{2\gamma_p^2} - \frac{1}{2} \right), \quad (\text{A6})$$

where $\epsilon_c \approx 12$ eV (1050 Å) is the photon energy.

Confinement of high-energy protons.

Confinement in the corona: As discussed above, protons are confined in the corona before interacting with radiation fields to produce neutrinos. In Fig. 4 of the Supplemental Material [51], we show the ratio of $t_{p\gamma}/t_{\text{conf}}$ and t_{pp}/t_{conf} , where t_{conf} is the proton confinement time defined as $t_{\text{conf}} = \min(t_{\text{esc}}(B_c), r_c/v_{\text{io}})$, with v_{io} the speed of a potential coronal inflow/outflow.

The first conclusion we draw is that protons are confined for long enough to efficiently interact through $p\gamma$ for the considered radiation fields, and through pp if $\bar{n}_e/\bar{n}_p \lesssim 100$. Note that since particles are most efficiently confined in the diffusive regime as set by Eq. (3) in the main text, $\bar{n}_e/\bar{n}_p \simeq 100$ is the maximum allowed ratio for pp interactions to occur in the corona, irrespective of the radiation fields. The second conclusion is that, if either an inflow (part of the corona is accreting into the BH) or an outflow (e.g., a wind launched from the corona) with $v_{\text{io}} \gtrsim 10^{-2}c$ is present [see Eq. (3)], neutrino production efficiency can be suppressed as the cooling time becomes longer than the confinement time, $t_\nu/t_{\text{conf}} \gtrsim 1/3$.

Confinement in a 3D magnetically dominated turbulence box: To test the confinement process, we track injected protons and check whether their mean free path, λ_{bst} , is

consistent with the expected random walk confinement estimate, $\lambda_{\text{esc}} \simeq r_g (\mathcal{R}_L/r_g)^{1/3}$ [Eq. (3)]. In coroneae, we generally expect $\lambda_{\text{esc}}/r_c \simeq 0.1 (\mathcal{R}_L/r_g)^{1/3}$. In the energy range of interest and for $\sim 10^3$ G field, $\langle \lambda_{\text{esc}}/r_c \rangle \sim 5 \times 10^{-3}$. For our simulation setup, we expect $\langle \lambda_c/L \rangle \simeq (l/L) (\mathcal{R}_L^c/l)^{1/3}$, where \mathcal{R}_L^c is the energy-dependent proton Larmor radius in our simulations. For our simulation parameters, we obtain $\langle \lambda_c/L \rangle \sim 10^{-2}$.

We finally calculate the mean free path of test protons, λ_{bst} , in our simulations if they follow a random walk. We calculate the displacement of particles d and the total distance traveled D , such that $\lambda_{\text{bst}} \simeq d^2/D$. We show the obtained results in Fig. 5 in the Supplemental Material [51], where we find $\lambda_{\text{bst}}/L \in [10^{-3}, 10^{-2}]$. Therefore, we find that $\lambda_{\text{bst}}/L \sim \lambda_c/L \sim \lambda_{\text{esc}}/r_c$, and show that the mean free path estimates are consistent with our PIC simulations. A more detailed analysis of energetic proton confinement in magnetically dominated turbulence in PIC simulations will be the subject of a forthcoming study.

Potential injection scenarios. This Letter offers strong hints that—provided IceCube’s signal originates from the corona of NGC 1068—an injection of nonthermal particle populations, not accelerated in the coronal plasma and responsible for high-energy neutrinos, is occurring. This is an important point in the plasma and particle acceleration communities, as it shapes our understanding of the structure of the corona itself and, potentially, the accretion flow and magnetic field structure in the vicinity of the BH.

The exact mechanism injecting protons at $\gamma_p \simeq 10^3$ – 10^4 is unclear. However, we present a few ideas that are worth expanding on. For instance, we put forward that asymmetric reconnection that self-consistently occurs at the boundary of the turbulent accreting plasma could control the injection up to $\gamma_p \sim \sigma_p$. Further acceleration would

happen because of stochastic acceleration in turbulence. An analogy could be drawn here from turbulent acceleration in a magnetized plasma, where injection of accelerated particles occurs through reconnection, followed by reacceleration through turbulence in the same magnetically dominated region [32,71]. In our scenario, the initial acceleration occurs through reconnection in a significantly more magnetized plasma, and subsequent stochastic acceleration in the corona. Ultimately, the slope of the power-law tail at the highest energies is dictated by turbulence, instead of reconnection, as shown in our simulations. Self-consistent PIC simulations are needed to investigate the interplay of asymmetric reconnection, occurring at the boundary of media with different magnetizations, and turbulence.

Alternative scenarios we put forward include magnetic flux eruptions in arrested accretion [66], and acceleration at the interface between magnetic loops of alternating polarity, which can form in the corona, e.g., [68–70]. Both of these alternatives include initial acceleration through reconnection followed by reacceleration in the magnetized turbulence. In both instances, reconnection can be occurring in the regime of a low guide field, and, with laminar initial conditions, producing a hard power-law tail with $s \sim 2$, e.g., [58,59]. However, an injected population with $s \sim 2$ could experience a steepening to $s \sim 3$ because of turbulent reacceleration if $\mathcal{R}_L < l$, where l is the energy-carrying scale in the turbulent medium. We were not able to fully test this hypothesis in our PIC simulations because of a limited separation of scales; however, we expect injected particles to be stochastically reaccelerated in turbulent media. We will investigate stochastic reacceleration more thoroughly in a forthcoming publication. An additional possibility consists in current sheets possessing a finite guide field, which could steepen the spectrum [13].

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- [42] Note that this value exceeds the pair density expected from absorption of the pionic gamma rays alone.
- [43] For the reconnection scenario, $U_B/U_x \approx 1/\beta_{\text{rec}}$, and for a current sheet of the length $\approx r_c$, one can estimate $\tau_T = \Sigma_T \bar{n}_e h \approx 1$, where $h \approx \beta_{\text{rec}} r_c$ is the characteristic width of the current layer [28], resulting in a similar estimate.
- [44] We note that this value corresponds to the average radiation flux from the BH, and, thus, average magnetic field strength. Compactness near dissipation regions, which can be localized in time and space, could be significantly higher.
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