Heavy residue production in the interaction of 29 MeV/nucleon ²⁰⁸Pb with ¹⁹⁷Au

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The yields, recoil properties, and angular distributions of the fragments of the target nucleus were measured for the 29 MeV/nucleon ²⁰⁸Pb+¹⁹⁷Au reaction using radiochemical techniques. The fragment isobaric yield distribution and mean energies were deduced from these data. The fission cross section is 2.2 ± 0.5 b while the residue formation cross section is 3.9 b. Heavy residues form a part of a large central bump (usually associated with fission) in the fragment mass distribution. Comparing the data from this reaction to other reactions involving massive nuclei at projectile energies from 7 to 45 MeV/nucleon shows the locus of fragment yields $[\sigma(Z,A)]$ to be roughly independent of the reacting system or projectile energy. The fragment angular distributions evolve from sidewise peaked (for near target, quasielastic residues) to forward peaked as the mass number decreases. The isomer ratios for the residues indicate their formation from the lowest partial wave events while the fission fragments appear to originate in higher *l* events. Attempts to use the nucleon transport model (or some modification of it) to calculate the residue cross sections were only partially successful. It is suggested the the lack of dynamic multifragmentation mechanisms in these models is the cause of the shortcomings. [S0556-2813(99)01203-0]

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I. INTRODUCTION

In the study of intermediate energy nuclear collisions, much attention has been given to understanding the reaction mechanisms involved. One theme has been to relate the observed phenomena to some appropriate modification of the familiar low energy reaction mechanisms (such as complete/ incomplete fusion, deep inelastic scattering, etc.) or high energy mechanisms (such as projectile fragmentation). The collision of massive nuclei, such as Xe + Au, Bi or Pb + Au, has proven to be especially interesting. Because of the large Coulomb forces present in the interaction, fusion or fusionlike phenomena are not expected [1]. Dissipative phenomena might be expected to be very important if our experience with low energy collisions between massive nuclei can be extrapolated to this energy regime. The postinteraction phenomena in these collisions are complicated, with possibilities of pre-equilibrium emission, pre- and postscission evaporation, fission, intermediate mass fragment (IMF) emission or multifragmentation of both reacting nuclei. These phenomena make studies of these collisions challenging.

One reaction, the reaction of 29 MeV/nucleon 208 Pb with 197 Au, has been extensively studied [2–13] as part of the effort to understand the collisions between these massive nuclei. Based upon these studies (and complementary studies [14–18] of the 27-28 MeV/nucleon Xe+ 197 Au, 209 Bi reactions) one concludes the following.

The dominant reaction mechanism involves a binary dissipative primary collision [3,5-7,11,14-16].

Surviving residues of the primary projectilelike fragment (PLF) result from the lowest multiplicity events that can be understood in terms of nucleon exchange models [19] used to describe low energy deep inelastic scattering [2,6].

PLFs that fission result from peripheral collisions with

greater associated multiplicities than events leading to residue formation, but result in excitation energies $E^* > 300$ MeV. The angular momentum transfer in these collisions is $>40\hbar$ with highly aligned spins. The fissioning PLFs are the high Z members of the primary PLF distributions [4,6].

Preequilibrium emission of nucleons is small [3,6].

Highly excited ($T \sim 7$ MeV) nuclei are produced in binary events involving large dissipation (up to ~ 2.4 GeV), resulting in IMF emission [2,5–7,9–11].

The studies that lead to these conclusions, while involving detection of the emitted PLFs, neutrons, fission fragments, IMFs, and charged particles, had a limited acceptance for the expected low energy primary residues of the target nucleus. These studies and the conclusions themselves, however, give obvious predictions for the properties of the target-likefragments (TLFs) produced in the 29 MeV/nucleon ²⁰⁸Pb $+^{197}$ Au reaction. We thought that we could provide additional information about the Pb+Au reaction (the properties of the TLFs) along with testing the ideas outlined above by making a radiochemical study of the properties of the TLFs formed in this reaction. The use of radiochemical techniques to measure the TLF properties should give a threshold-free measurement with superior Z and A resolution that is difficult, if not impossible, to achieve using physical techniques [20].

II. EXPERIMENTAL

These radiochemical experiments were performed at the GANIL laboratory (Grand Acclerateur National d'Ions Lourds) at Caen, France. The experimental techniques used have been described previously [21]. Three separate irradiations were performed. In the first experiment, a

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FIG. 1. Representative range spectra $(7-45^{\circ})$ for the 29 MeV/nucleon ²⁰⁸Pb+¹⁹⁷Au reaction, showing the separation between PLF and TLF components. T represents the target foil while the other foils in order of depth in the stack are represented by the foil number.

24.3 mg/cm² ¹⁹⁷Au target was irradiated with a beam of 29 MeV/nucleon ²⁰⁸Pb ions. Projectilelike fragments (PLFs) and targetlike fragments (TLFs) emerging at angles of $7-45^{\circ}$ were stopped in a stack of 10 mg/cm² C foils (11 foils). This apparatus was irradiated for 158 min with an average flux of 1.73×10^{11} ions/min. In the second irradia-tion, a 24.1 mg/cm² ¹⁹⁷Au target was irradiated with a flux of 1.88×10^{11} ions/min for 174 min. Fragments recoiling forward or backward from the thick Au target were stopped in a 10.7 mg/cm² C foil. In the third irradiation, a thin 300 μ g/cm² ¹⁹⁷Au target was irradiated for 1460 min with an average flux of 7.7×10^{10} ions/min. The thin Au target was at the center of an evacuated cylindrical scattering chamber lined with 17.4 mg/cm² Mylar. The TLFs emerging from the Au target were stopped in the Mylar, which was cut up after irradiation to correspond to the desired angular intervals. These three irradiations will be referred to as the "PLF-range," the "thick target-thick catcher" and the "angular distribution" experiments. The center-of-target beam energies were 27.0, 26.9, and 29.0 MeV/nucleon [22]. To facilitate comparison with previous work and because the differences in projectile energy are not thought to be signifi-

cant, we shall refer to the incident projectile energy, 29 MeV/nucleon, in describing our measurements. The radionuclide content of the targets and catcher foils was determined by off-line γ -ray spectroscopy that was carried out at GANIL, Oregon State University, and the Chalmers University of Technology for a period ranging from a few minutes after the end of bombardment to several months. Production cross sections were calculated from end-of-bombardment activities [21]. Typically we observed 2–3 γ -rays per nuclide with the range being 1–10.

III. RESULTS

In a radiochemical experiment in which the projectile and target nuclei are of comparable size, one must distinguish between fragments originating in the target or projectile nuclei. In the "PLF-range" experiment, the range (energy) distributions of the PLFs and TLFs emerging at angles of $7-45^{\circ}$ were measured for 228 different radionuclides (Fig. 1). For each of these radionuclides, it was possible to separate the observed distributions into a PLF and a TLF component based upon their energies (Fig. 1). Based upon this

separation of the fragments by range (energy), we concluded that, apart from small correction factors (generally $\leq 10\%$), the nuclides that stopped in the target foil and the first (~10 mg/cm² carbon) catcher foil were targetlike fragments. (Similarly the TLFs did not, in general, penetrate to the second catcher foil of the ten foil stack.) Based upon this measurement, we conclude that, apart from small correction factors, the "thick target-thick catcher" experiment only sampled TLFs. [The PLFs generally punched through the forward (10.7 mg/cm² carbon) catcher foil.]

The nuclidic production cross sections as determined in the thick target-thick catcher experiment for 102 different TLFs formed in the interaction of 29 MeV/nucleon ²⁰⁸Pb with ¹⁹⁷Au are listed in Table I. Also shown in these tables are the thick target-thick catcher recoil properties F/B and 2W(F+B). F/B is the ratio of the products recoiling into the forward (F) and backward (B) catcher foils while 2W(F+B)represents the fraction of all nuclides recoiling out of the target, F+B, multiplied by twice the target thickness, W. F/B is a range-weighted measure of the fragment angular distributions, while 2W(F+B) is proportional to the fragment range (energy).

To more fully utilize the cross section data shown in Table I, we have deduced mass-yield (isobaric yield) distributions from the measured formation cross sections. The method employed in this estimation procedure has been discussed previously [25].

The measured nuclidic formation cross sections were placed in eleven groups according to mass number. These cross sections were corrected for precursor beta or alpha decay, where necessary, by assuming that the independent yield cross sections for a given species, $\sigma(Z,A)$, can be expressed as a function of the isobaric yield $\sigma(A)$ as

$$\sigma(Z,A) = 0.5\sigma(A) [\operatorname{erf}(u) - \operatorname{erf}(w)], \qquad (1)$$

where

$$u = (Z - Z_{\rm mp} + 0.5) / C_z(A) \sqrt{2}$$
 (2)

and

$$w = (Z - Z_{\rm mp} - 0.5) / C_z(A) \sqrt{2}.$$
 (3)

Here $C_z(A)$ is the Gaussian width parameter for mass number A, $\operatorname{erf}(x)$ is the error function of x, and $Z_{mp}(A)$ is the most probable atomic number for that A. Using this assumption and the further assumption that $\sigma(A)$ varies slowly and smoothly as a function of A [allowing data from adjacent isobars to be combined in determining $Z_{mp}(A)$ and $C_z(A)$], one can use the laws of radioactive decay to iteratively correct the measured cumulative formation cross sections for precursor decay.

Within each group, the data were fitted by a Gaussianshaped independent yield distribution. (Only nuclides with well-characterized beta- or alpha-decay precursors and wellunderstood members of an isomeric pair were included in the analysis.) The nuclide groupings along with the centers and widths of the Gaussian distributions are given in Table II and Fig. 2. The independent yield distributions deduced from the measured formation cross sections are shown in Fig. 3. The deduced values of $Z_{\rm mp}/A$ are uncertain to 0.005 unit while those of C_z are typically uncertain to 0.1 Z unit.

While the $Z_{\rm mp}$ values deduced from this analysis are expected to have large uncertainties, it may be instructive to compare the values deduced from our analysis with values deduced from other studies of N/Z equilibration in massive collisions. As shown in Fig. 2, the $Z_{\rm mp}$ values for the fragmentation of ¹⁹⁷Au by 21 MeV/nucleon ¹²⁹Xe [28] and 29 MeV/nucleon ²⁰⁸Pb are virtually identical (except for the lightest products) as are those observed in Xe-Au collisions at 6.8 MeV/nucleon [29].

We note further (Fig. 2) that these Z_p values are not those associated with the line of β stability, i.e., the mass surface is not determining the position of Z_p . Furthermore we note (Fig. 2) that the locus of Z_p is not that seen in relativistic nuclear collisions [23], nor are the Z_p values as large as those seen in relativistic nuclear collisions, i.e., these nuclei are not as neutron deficient as those resulting from higher energy collisions. Comparison with models for these collisions (see below) indicates the primary distributions in the two reactions are not very similar and so any similarity in the secondary product distributions is surprising.

We can pursue this point further by comparing (Fig. 4) the deduced Z_p functions for a wide variety of reactions [28,30] involving massive nuclei. The measured Z_p functions for these reactions spanning projectile ranges from 6.8 to 45 MeV/nucleon and involving both Xe and Pb projectiles appear to be very similar apart from the differences for the lightest products (IMFs). It appears that the evaporation of neutrons and charged particles from differing assortments of excited primary reaction products leads to a common locus in the N-Z plane of the product nuclei. This locus has been referred to as the "evaporation residue attractor" line [24] although the observed line in this work differs from statistical model predictions [28]. For the case of deep inelastic reactions with a gold nucleus, the differing amounts of excitation energy, spin, etc., in the primary products that are derived from the gold nucleus, combine, after deexcitation, to produce a unique region of N and Z values. Since all the examples examined herein deal with deep inelastic collisions with gold, it would be interesting to see how these "evaporation residue attractors" change with reaction mechanism and target nuclei. The similarity between the data shown in Fig. 3, representing reactions of similar character but with otherwise measurably different outcomes, suggests an insensitivity of the fragment yield data to some features of the primary reaction mechanism.

The isobaric yield distribution obtained from integrating the independent yield distributions for each individual *A* value is shown in Fig. 5. The distribution is dominated by a broad central bump (thought to be due, in part, to fission) with lesser yields of the intermediate mass fragments (*A* <60) and the heavy residues (*A*>150). Integration of these distributions gives a cross sections of 3.3 b for "fission" (*A*=60–160, multiplicity 2) and 1.7 b for heavy residues (*A*≥160). It should be noted that this estimate of the "fission" cross section, while done in the manner typical of inclusive studies, may be in error. Bresson *et al.* [4], measured a fission cross section of 0.9–1.2 b for the fission of the Pb projectile in this reaction by direct detection of single fragments. While we are reporting a different quantity, the TABLE I. Nuclide yields and recoil properties for the interaction of 29 MeV/nucleon 208 Pb with 197 Au.

	Cross			Туре		Cross			Туре
Nucleus ^a	section ^b	F/B	$2W(F+B)^{c}$	of yield	Nuclide	section ^b	F/B	$2W(F+B)^{c}$	of yield
²⁴ Na	20.9±2.8	71.3±9.1	33.8±4.6	С	¹⁰³ Ru	20.1±0.6	9.6±0.2	24.1±0.4	С
²⁸ Mg	11.0 ± 0.9	107±5	37.7±2.3	Ι	¹⁰⁵ Rh	19±12	6.5 ± 4.3	18 ± 11	С
³⁸ S	5.3 ± 2.3	93±40	34.3±0.6	Ι	¹⁰⁵ Ru	6.6 ± 1.1	6.9±0.1	27±2	С
⁴² K	27.6 ± 3.5	85 ± 10	33.8±2.5	С	¹⁰⁵ Ag	18.5 ± 2			С
⁴³ K	26.8 ± 8	82±23	36±11	С	$^{106}Ag^{m}*$	19.2 ± 1.6			Ι
⁴⁴ Sc	0.92 ± 0.09			С	$^{115}In^{m}*$	8±5.4			С
44 Sc ^m *	10.6 ± 2.3			Ι	¹¹⁶ Te	7.8 ± 6.2	14.7 ± 4	13.3±7.9	Ι
⁴⁶ Sc	27.7±5.9			Ι	¹¹⁹ Te	9.9 ± 7.1			С
⁴⁷ Ca	7.4 ± 1.7			Ι	119 Te ^{<i>m</i>*}	8.3±2.1			Ι
⁴⁸ Sc	14.9 ± 5.1	110/pm 37	33.7±4.5	Ι	^{120}I	15.2 ± 2.3			С
⁴⁸ V	4.2 ± 1.1	1		С	¹²¹ Te	17.7 ± 2.6			С
⁵² Mn	1.45 ± 0.36			С	121 Te ^{<i>m</i>*}	6.9 ± 2.9			С
⁵⁴ Mn	16.8 ± 0.3			Ι	^{123}I	20 ± 7.4	8.1±3	16.9 ± 5.9	С
⁵⁶ Mn	35.4 ± 6.3	61±11	30.7 ± 3.5	С	¹²⁵ Xe	29.5 ± 9.1	65 ± 20	7.8 ± 2.4	С
⁵⁶ Co	2.4 ± 1.3			C	¹²⁷ Xe	27.9 ± 2.7			C
⁵⁹ Fe	25.6+5	26 + 5	30 + 2	I	¹³¹ Ba	23.7 + 2.4			C
⁶⁵ Zn	18.6 ± 1.9			C	¹³² Ce	12.1 ± 1.2			Ċ
⁶⁵ Ni	7.4+1			I	¹³² Cs	1.5 ± 0.2			I
69 Zn ^{<i>m</i>} *	152+2	219 + 29	254 ± 02	I	¹³⁵ Ce	19.8 ± 6.5			Ċ
⁷¹ As	97+09	21.7 - 2.7	25.1=0.2	Ċ	¹³⁹ Ce	13+13			C C
71 Zn ^{<i>m</i>*}	29+23	14 5+2 5	25 ± 10	I I	¹⁴⁵ Fu	162+63			C
$72\Delta s$	9.4 ± 1	14.5 = 2.5	25 = 10	C I	¹⁴⁷ Gd	10.2 ± 0.3 12 1 ± 1 3			C
$^{72}G_{2}$	13.4 ± 8.3	20 5+8 6	25 ± 10	C	¹⁴⁷ Eu	20.8+2			C
73 Se	72+13	52+9	14.2 ± 0.7	C	¹⁴⁹ Gd	20.0 ± 2 21.2 \pm 2.1			C
⁷⁴ As	7.2 ± 1.3 25.0 ± 13.6	32 ± 7	14.2 ± 0.7 24.1 ± 7.2		155Dv	21.2 ± 2.1 10.7+2			C
75 S o	25.9 ± 13.0 26.1 ± 5.7	30.1 ± 4.0	24.1 ± 7.2 26.4 ± 4.5	r C	¹⁵⁷ Dy	19.7 ± 2 14 ± 1.7	63+7	0.6 ± 0.4	C
76 1 0	20.1 ± 3.7 17 ± 2.7	20.4 ± 3.3	20.4 ± 4.3		169 V h	14 ± 1.7 21 ± 6.4	03 ± 7	9.0±0.4	C
76 D r	$1/\pm 2.7$	13.8±1.9	19-1.2	I C	170 170 11	21 ± 0.4 8 7 ± 0.2			C
81 D L	9.3 ± 0.9	77 ± 15	24 ± 5.2	C	171 11£	0.7 ± 0.2			C
К0 ⁸² р.,	13.6 ± 3.3	110 ± 0.2	24 ± 3.3		пі 171т	17.1 ± 0.1			C
83DL	7.3 ± 1.2	11.9 ± 0.3	24.2 ± 1.9	I C	173116	25.2 ± 2.0			C
⁸³ S-	41.5±9.7	20.5±1.7	21.7±2.8	C	173 T a	19 ± 0.6			C
⁵⁵ Sr 84pt	12 ± 2.4				175 T -	10 ± 1			C
**KD 850	24.2 ± 2.4			I C	175116	22.8 ± 7.4			C
** Sr 87 x 7	33.9 ± 1.1			C	176 T	21.9±2.2			C
⁵⁷ ¥ 87 x 7m≵	24.2 ± 2.8	25 + 17	17 + 12	C	181p	18.0 ± 0	6614	47.02	C
88m	21±19	25±17	1/±13	C	¹⁸³ C <i>m</i> *	27.2±1.8	66±4	4.7±0.3	C
⁸⁰ Zr	18.8±2	50 + 7	20.7 + 2.1	C	1830	15.2±1.6			C
90 z m y	23.2 ± 3.9	52±7	20.7 ± 3.1	C	¹⁸³ Os	11.2 ± 7.6			C
92 . *	15.7±2.1	12.7 ± 1	18.1 ± 1.8	I G	¹⁸⁵ Re	41.3±4.5			C
⁹² Y	11.6±1.1			C	1885	21.7±4.8			C
⁹² Sr	1.7 ± 0.2	6.3±0.7	26.2 ± 2.7	I	¹⁰⁰ Pt	41.6±4.4			C
⁵⁵ Mo ^{<i>m</i>} *	13.3 ± 1.4			Ι	¹⁵¹ Pt	52.2 ± 6.6			С
²⁴ Tc	7.6 ± 1.6			Ι	¹⁹² Au	26.1 ± 7.9	7.9 ± 3.3	3.6 ± 2.6	С
²⁵ Zr	8.4 ± 0.5	8.4 ± 0.4	25.6 ± 0.4	С	¹⁹² Hg	24.9 ± 2.6			С
⁹⁵ Tc	12.2 ± 5.1			С	¹⁹⁵ Hg ^{<i>m</i>} *	35.7 ± 9.1			С
$^{95}\text{Tc}^{m*}$	18.5 ± 3.8			С	¹⁹⁴ Au	93 ± 20	8.2 ± 1.7	3.1 ± 0.6	С
⁹⁰ Nb	18.3 ± 6.1	9.9 ± 2.7	20±3	Ι	¹⁹⁵ Hg ^{<i>m</i>} *	49.7 ± 3.1			Ι
⁹⁶ Tc	17.4 ± 8			Ι	¹⁹⁵ Au	156±35			С
⁹⁷ Ru	$10.8 {\pm} 0.5$			С	¹⁹⁶ Au	88.5±3.1	4.9 ± 0.1	2.9 ± 0.1	С
⁹⁷ Zr	2.7 ± 1	7.7 ± 0.2	31±4	Ι	¹⁹⁶ Au ^{<i>m</i>} *	9.8 ± 4.3	5.8 ± 2.4	3.5 ± 1.3	Ι
⁹⁹ Mo	15.2 ± 0.9	14.3 ± 0.9	26.5 ± 0.8	С	¹⁹⁸ Au	29.6 ± 3.1	10.8 ± 0.4	3.1 ± 0.3	С

^a* denotes a nuclide not used in the computation of isobaric yields due to unknown yield of other members of isomeric pair. ^bIn mb.

^cIn mg/cm² Au.

TABLE II. Charge dispersion parameters for the reaction of 29 MeV/nucleon 208 Pb with 197 Au.

Mass number range	σ_{A}	a ^a	b ^a
24-59	0.6	0.365	0.442
65-76	0.8	0.365	0.442
81-90	0.9	0.201	0.442
92-106	1.1	1.93	0.419
115-120	1.0	2.16	0.419
121-127	0.6	5.11	0.394
131-139	0.9	9.75	0.359
145-157	0.6	10.4	0.359
169-176	0.5	11.8	0.350
181-188	0.6	-0.9	0.420
191-198	0.5	53.7	0.132

 $^{a}Z_{mp} = aA + b$.

fission cross section for the gold target nucleus, we do not see a reason why it should exceed the fission cross section of the PLF by a factor of 3. Instead, we shall assert, based upon reaction simulations, and the fragment velocities, that portion of the cross section in this central bump may be due to lighter residues that resulted from the deexcitation of highly excited primary fragments. If we assume (see below) that 2.2 b is the fission cross section for the TLF, then the residue cross section is 1.7+(3.3-2.2)2=3.9 b. The sum of these cross sections (2.2+3.9=6.1) is less than the reaction cross section of 6.4 b [1], but "missing" events" could easily be attributed to uncertainties in these estimates, inelastic events and multifragmentation events that leave no heavy residue.

However, we can better define our observations by noting that, besides the cross sections for various processes, we also have information about the recoil properties of the reaction products. To interpret these measured recoil properties in physically meaningful quantities, we have used mostly the integral catcher analysis method of Tobin and Karol [26]. In this analysis, we assume the final velocity of each fragment in the laboratory system can be written as $V_{lab} = V + v$ where the velocity v is the velocity kick given to the fragment during the primary stage of the reaction and V is an average



FIG. 2. Position of the most probable atomic number, Z_p , as a function of fragment mass number A. The dashed curve shows similar data for the 21 MeV /nucleon ¹²⁹Xe+¹⁹⁷Au reaction [28] while the dotted curve shows the line of beta stability and the dot-dashed line shows the Z_p values expected for relativistic nuclear collisions [23].



FIG. 3. The fragment independent yield distributions from the interaction of 29 MeV/nucleon ²⁰⁸Pb with ¹⁹⁷Au. The plotted points are the independent yield cross sections calculated from the data while the solid lines are the Gaussian charge dispersions used in the calculation.

isotropic recoil velocity due to either sequential particle emission or fission. Since it is further assumed that $v = v_{\parallel}$, the average projection of the initial fragment velocity distribution on the beam axis, then V also includes an isotropic component of the velocity distribution in the initial stage of the reaction. (The case where there is a transverse velocity kick given in the initial stage of the reaction, is not considered, although values of $v_{\perp} = 0.25v_{\parallel}$ have been shown [26] not to affect the analysis. Furthermore, Crespo, Alexander, and Hyde [27] have shown that due to canceling errors, the value of v_{\parallel} is practically independent of v_{\perp}/V .) As opposed to a conventional analysis of recoil data, the Tobin-Karol method imposed no constraints on target thickness and corrected certain limitations and deficiencies in the conventional analysis.

The deduced values of v and V are shown in Figs. 6 and 7. The deduced longitudinal velocities are a small fraction of the complete fusion velocity (v_{CN}) and are slightly less than those observed in the 21 MeV/nucleon Xe + Au reaction.



FIG. 4. The position of the most probable atomic number, Z_p , as a function of the fragment mass number A for a number of massive heavy ion-gold collisions [28,30].



FIG. 5. Fragment isobaric yield distributions for the interaction of 29 MeV/nucleon ²⁰⁸Pb with ¹⁹⁷Au.

This might be taken as an expected consequence of the increased preequilibrium emission (see below) for the reaction with the lead projectile relative to the xenon projectile.

The values of V, the velocity kick imparted to the products of the primary projectile-target interaction by fission or particle emission are compared to what one expects for the fission of a goldlike nucleus (Fig. 7). Some of the A = 40-140 fragments have V values consistent with being the products of fission of a goldlike nucleus while there are other fragments with lower velocities. We will try to associate some of these fragments with lower values of V with a nonfission origin.

If we select the fragments with $60 \le A \le 140$, and plot the values of *V* versus the fragment *N*/*Z* ratio, we obtain Fig. 8. We see the higher values of *V* [that are consistent with a fissionlike process (Fig. 7)] are associated with the more neutron-rich fragments. The fragments of lower *N*/*Z*, presumably the result of extensive neutron emission, show lower values of *V*, consistent with a nonfission origin. If we note that a value of *N*/*Z* of about 1.3 corresponds to the expected velocities of the fission fragments, we can reintegrate the mass yield and charge distributions for this *A* range and $N/Z \ge 1.3$ to get a better estimate of the true fission cross section. This operation gives a value of 2.2 ± 0.5 b for the "true" fission cross section.



FIG. 6. Longitudinal fragment velocities (expressed as v_{\parallel}/v_{CN}) for the reaction studied in this work. The plotted points are the experimental data, the solid line represents a best fit to the data while the dashed line shows a best fit to similar data for the 21 MeV/nucleon ¹²⁹Xe+¹⁹⁷Au reaction.



FIG. 7. The velocity V in the frame of the struck nucleus of the fragments from the interaction of 29 MeV/nucleon 208 Pb with 197 Au. The line represents the calculated fragment velocities assuming they resulted from the fission of 197 Au.

While our experiment is only indirectly sensitive to the angular momentum transfer, it can be noted that for ¹⁹⁶Au, the ratio of the independent yield of the high spin (12-) isomer to the low spin (2-) isomer is 0.11 ± 0.05 . This is similar to the reaction of 21 MeV/nucleon ¹²⁹Xe with ¹⁹⁷Au, where the "high spin/low spin" ratio was 0.05. In the fission fragments, ⁸⁷Y, ¹¹⁹Te and ¹²¹Te, the "high spin/low spin" ratios (9/2 vs 1/2, 11/2 vs 1/2, 11/2 vs 1/2) are 0.9 ± 0.8 , 1.1 ±0.8 , and 0.3 ± 0.2 , respectively. For the intermediate mass fragment ⁴⁴Sc, this ratio (6+ vs 2+) was 11.5 ± 2.7 . This data suggests that the angular momentum transfer in the events leading to residue production is modest, while the high angular momentum events decay by fission or preferentially by IMF emission.

A representative set of fragment angular distributions is shown in Fig. 9. The TLF angular distributions show a similar pattern to that observed for the reaction of 45 MeV/ nucleon ¹²⁹Xe with ¹⁹⁷Au [31]. The distributions are sidewise peaked for fragments near the target mass number [A= 195, due to quasielastic scattering, quarter point angle (lab) is 83°] to intermediate angle peaking (A = 149–188)



FIG. 8. The N/Z dependence of the fragment longitudinal momenta for fragments with 60 < A < 140 from the interaction of 29 MeV/nucleon ²⁰⁸Pb+¹⁹⁷Au. The solid line is a best fit to the data.



FIG. 9. Representative angular distributions of the fragments from the interaction of 29 MeV/nucleon 208 Pb with 197 Au.

to forward-peaked (A < 150). This forward focusing of the TLF angular distributions with decreasing fragment mass is consistent with increasing momentum and energy transfer (Fig. 6).

It has been shown previously that the dominant reaction mechanism for the 29 MeV/nucleon $^{208}Pb+^{197}Au$ reaction involves binary dissipative collisions [3,5–7,11]. Further, it has been shown that the properties of the surviving residues of the primary projectile-like fragments (PLFs) result from the lowest multiplicity events that can be understood in terms of the nucleon exchange model [19] used to describe low energy deep inelastic scattering [2,6]. Given this background, we have used the nucleon exchange model to predict the primary TLF distributions for the Pb + Au reaction (Fig. 10) as a function of impact parameter. Since there is some indication in the literature [7,8,12,13] that there are difficulties with the predictions of the nucleon exchange model in describing PLF distributions, we have also modified the



FIG. 10. The predictions of the nucleon transport model (and a modified version of it) for the characteristics of the primary TLFs. E^* and $\langle J \rangle$ refer to mean values of the excitation energy and angular momentum. The vertical scale can be used to read off both the energy in MeV or $\langle J \rangle$ in units of \hbar .



FIG. 11. Comparison of the predicted and measured values of the fragment mass distribution.

nucleon transport model predictions based upon the measurements and calculations [12] for the PLF distribution. These modifications lower the excitation energy and spin of the primary TLF to match direct observations of these quantities. These modified primary distributions are also shown in Fig. 10. The statistical model GEMINI [31] was used to model the deexcitation of the primary fragments. (Previous studies [11,12] have shown the suitability of this statistical model code for describing particle emission in this reaction.)

The resulting predictions of the nucleon transport model ("transport model") and the empirically adjusted transport model ("empirical model") are shown in Figs. 11 and 12. Both models predict a group of fragments with low excitation energies (quasielastic events) that roughly resemble the data in the magnitude of the cross section and their position in the N/Z plane. The bulk of the residues are predicted to have N/Z values that are similar to the observations (A =60-130) or are slightly more neutron-deficient than observed ($Z_{\text{pred}} - Z_{\text{obs}}$ 1.5 for A = 150). Both simulations predict nonobserved peaks in the mass distribution. The magnitude of the "nonobserved cross section" in these peaks (A =100-160) is similar to that cross section that is "missing" from the near target cross sections. Detailed examination of the yield distributions associated with each impact parameter in the simulations shows these unusual peaks in the mass distribution result primarily from the more central collisions (b < 8 fm) where the central density of the projectile and target nuclei overlap. One possibility is that it is these collisions that lead to multifragmentation which is not a part of



FIG. 12. Comparison of the predicted and measured values of the most probable fragment atomic numbers. The symbols have the same meaning as in Fig. 11.

these models of the dynamics of the initial projectile-target nuclear encounter. Further support for this idea is found in Fig. 10 where the predicted fragment excitation energies are shown to be similar to those expected for multifragmentation [9]. Thus it may not be surprising to see these discrepancies.

IV. CONCLUSIONS

What have we learned from this study of the production of heavy residues (targetlike fragments) in a collision of massive nuclei at intermediate energies?

(a) We have seen evidence (from the fragment velocities and N/Z ratios) that the heavy residue distribution can extend into the "fission region," i.e., the large central bump in the fragment mass distributions. Simulations using the nucleon transport model predict (and perhaps overestimate) the occurrence of this phenomenon.

(b) The observed fragment mean N/Z values are relatively insensitive to the projectile energy in these collisions and as such, do not reflect the primary fragment distributions very much.

(c) The mean residue velocities (energies) are a small fraction of those observed in fusionlike collisions involving the interaction of lighter heavy ions with gold. The events leading to residue production involve low values of the transferred linear and angular momenta. (Higher l values are associated with fission and IMF emission.)

(d) The nucleon transport model which accounts for the basic features of these collisions also generally describes residue production (the fragment N/Z values) but fails to properly describe the outcomes on the more central ($b \le 8$ fm) collisions.

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