# Interplay of magnetism and transport in HoBi

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We report the observation of an extreme magnetoresistance (XMR) in HoBi with a large magnetic moment from Ho f electrons. Neutron scattering is used to determine the magnetic wave vectors across several metamagnetic transitions on the phase diagram of HoBi. Unlike other magnetic rare-earth monopnictides, the field dependence of resistivity in HoBi is nonmonotonic and reveals clear signatures of every metamagnetic transition in the low-temperature and low-field regime, at T < 2 K and H < 2.3 T. The XMR appears at H > 2.3 T after all the metamagnetic transitions are complete and the system is spin polarized by the external magnetic field. The existence of an onset field for XMR and the intimate connection between magnetism and transport in HoBi are unprecedented among the magnetic rare-earth monopnictides. Therefore, HoBi provides a unique opportunity to understand the electrical transport in magnetic XMR semimetals.

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## I. INTRODUCTION

Nonmagnetic rare-earth monopnictides with a chemical formula RX where R = Y or La and X = As, Sb, and Bi have attracted attention because they exhibit a nonsaturating and extremely large magnetoresistance (XMR) [1-13]. A topological to trivial transition is reported in the LaX family, from LaBi to LaAs, with XMR being present on either side of the transition confirming that XMR originates from an electronhole compensation instead of a topological band structure [6,14]. Recently, XMR has been reported in a few magnetic rare-earth monopnictides including CeSb [15,16], NdSb [17-19], GdSb, and GdBi [16,20,21] where f electrons provide localized moments. In these magnetic semimetals, the itinerant d/p electrons couple to the localized f electrons through the Ruderman-Kittel-Kasuya-Yosida (RKKY) interaction [22,23] giving rise to antiferromagnetic (AFM) order, field induced metamagnetic (MM) transitions, and rich magnetic phase diagrams [24–30]. Despite complex magnetization curves M(H)with multiple MM transitions, the magnetic monopnictides exhibit plain quadratic resistivity curves  $\rho(H)$  and an XMR behavior similar to their nonmagnetic analogs in the lowtemperature regime (T < 2 K) [15,16]. From LaSb/LaBi to CeSb, NdSb, and then GdSb/GdBi, the lanthanide becomes progressively more magnetic, but intriguingly no strong response of transport and XMR to magnetism has been observed so far.

In search of such connection between magnetism and transport properties in a magnetic XMR material, we

decided to study HoBi where  $\operatorname{Ho}^{3+}$  ions provide the largest total angular momentum  $\mathbf{J} = \mathbf{L} + \mathbf{S}$  among the  $R^{3+}$  ions. Through a combination of magnetization, neutron scattering, and transport experiments, we unveil an intimate relation between the electronic transport and the magnetism of HoBi unlike any previously studied magnetic RX system. Using neutron diffraction, we reveal a  $(\frac{1}{6},\frac{1}{6},\frac{1}{6})$  ordered state at intermediate fields which strongly affects the resistivity behavior. The XMR in HoBi no longer follows a plain quadratic curve and appears only after the magnetic field is strong enough to drive the system out of this  $(\frac{1}{6},\frac{1}{6},\frac{1}{6})$  phase and into a (0,0,0) spin polarized state.

#### II. METHODS

Single crystals of HoBi were grown using a self-flux method as described in the Supplemental Material [31]. Resistivity was measured using a standard four-probe technique and heat capacity was measured with a relaxation time method inside a Quantum Design physical property measurement system (PPMS) Dynacool. dc magnetization measurements were performed using a vibrating sample magnetometer inside a Quantum Design MPMS3. Single-crystal neutron diffraction was performed on the HB-1A triple-axis spectrometer at the High Flux Isotope Reactor (HFIR) at the Oak Ridge National Laboratory (ORNL). The fixed-energy incident neutron beam with  $\lambda = 2.36$  Å was selected by a double pyrolytic graphite monochromator. Energy analysis of the scattered beam employed a pyrolytic graphite analyzer crystal, giving an elastic energy resolution of approximately 1 meV. Density functional theory (DFT) calculations with full-potential linearized augmented plane-wave (LAPW) method were implemented

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in the WIEN2K code [32] using the Perdew-Burke-Ernzerhof (PBE) exchange-correlation potential [33], spin-orbit coupling (SOC), and on-site Coulomb repulsion (Hubbard U) in a PBE+SOC+U calculation [34] for the correlated 4f electrons. Effective U values between 0.5 and 0.55 Ry were examined to find the correct band structure that matches the quantum oscillation results. High-field experiments were performed in a 35-T dc magnet at the MagLab in Tallahassee inside a  $^3$ He fridge with a base temperature of 0.3 K.

#### III. RESULTS AND DISCUSSIONS

#### A. Magnetization

Prior studies of HoBi are limited to the magnetization measurements with  $H \parallel [001]$  and [111] directions [35,36] as well as neutron scattering in zero field showing type-II AFM order at  $T_N = 5.7$  K [37]. A sketch of the fcc crystal structure of HoBi with type-II AFM order at H = 0 is presented in Fig. 1(a). Local f moments on Ho atoms are parallel within

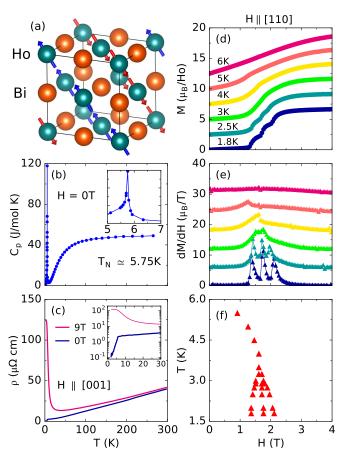


FIG. 1. (a) The rocksalt fcc structure of HoBi (a=6.23 Å) with a type-II AFM order. (b) Heat capacity as a function of temperature at H=0 T showing a peak at  $T_N=5.75$  K. (c) Resistivity as a function of temperature at H=0 and 9 T showing XMR in a HoBi sample with RRR[ $\rho$ (300 K)/ $\rho$ (0 K)] = 300. (d) Magnetization, in units of  $\mu_B$  per Ho atom, as a function of magnetic field (H [[110]) at several representative temperatures. Curves are shifted for visibility. (e) dM/dH as a function of field where H [[110]. Each peak corresponds to a metamagnetic transition. (f) Magnetic phase diagram for H [[110] from the peaks in dM/dH data.

each [111] plane and antiparallel between alternate planes. From the heat-capacity measurements in Fig. 1(b), we confirm the AFM phase transition with a peak at  $T_N = 5.75$  K. From the resistivity measurements in Fig. 1(c), we reveal a characteristic XMR profile with a large increase of  $\rho(T)$  at low temperatures and a resistivity plateau. The magnitude of XMR is of the order  $10^4\%$  when the field is oriented along either [001] or [110] directions (see Supplemental Material Fig. S1)[31]. In this paper, we first extend the magnetic phase diagram of HoBi to the  $H \parallel [110]$  direction. Then, we use neutron scattering to determine the magnetic ordering wave vector in each sector of the phase diagram. Finally, we use the resistivity measurements to show the remarkable connection between the electrical and the magnetic properties of HoBi.

Figure 1(d) shows the magnetization curves at several representative temperatures with  $H \parallel [110]$ . The steps in the magnetization curves in Fig. 1(d) correspond to field-induced metamagnetic (MM) transitions which appear as peaks in the dM/dH curves in Fig. 1(e). There is only one peak in these data at 3.3 K  $< T < T_N$  that marks the boundary of the type-II AFM order. This single peak splits into three peaks below 3.3 K corresponding to three MM transitions. A phase diagram is produced in Fig. 1(f) from the evolution of dM/dH peaks measured at 12 different temperatures between 1.85 and 6 K. As shown in the Supplemental Material [31], the phase diagram with  $H \parallel [110]$  and [111] have three MM transitions whereas the phase diagram with  $H \parallel [001]$  has six MM transitions. Here, we focus on the  $H \parallel [110]$  direction because it has a simpler phase diagram compared to the [001] direction and is more accessible to both transport and neutron experiments compared to the [111] direction.

## **B.** Neutron scattering

To determine the magnetic ordering vector of HoBi in each sector of its phase diagram [Fig. 1(f)], we turned to neutron scattering. We performed a broad survey of the neutrondiffraction intensity for the momentum transfer **Q** that covers the [HHL] plane, perpendicular to the field direction  $H \parallel [1 -$ 10]. This is equivalent to  $H \parallel [110]$  used in the magnetization and transport experiments. Figures 2(a)-2(d) show representative diffraction patterns along the [HHH] direction at T=1.5K and H = 0, 1.5, 2, and 3 T covering all the MM phase transitions. At each field, structural Bragg peaks appear at  $\mathbf{Q} = \mathbf{G}_{hkl}$  with fcc-type Miller indices. Within each magnetic phase, the Bragg peaks appear at  $\mathbf{Q} = \mathbf{G}_{hkl} \pm \mathbf{k}$  where  $\mathbf{k}$  is the ordering wave vector. At H = 0, Fig. 2(a) shows magnetic Bragg peaks corresponding to  $\mathbf{k} = (\frac{1}{2}, \frac{1}{2}, \frac{1}{2})$  which specifies the zero-field type-II AFM order below  $T_N$ . At H = 1.5 T, after the first MM transition, new magnetic Bragg peaks appear corresponding to both first- and higher-order harmonics with  $\mathbf{k} = (\frac{1}{6}, \frac{1}{6}, \frac{1}{6})$ . At H = 2 T, after the second MM transition, the peak intensities associated with  $(\frac{1}{6}, \frac{1}{6}, \frac{1}{6})$  remain unchanged, the  $(\frac{1}{2}, \frac{1}{2}, \frac{1}{2})$  peak intensities decrease, and a set of (0,0,0)peaks emerge. The ordering vector  $\mathbf{k} = (0, 0, 0)$  corresponds to a ferromagnetic (FM) alignment of the Ho spins. At H = 3T, above the third MM transition, the  $\mathbf{k} = (\frac{1}{6}, \frac{1}{6}, \frac{1}{6})$  peaks disappear and the  $\mathbf{k} = (0, 0, 0)$  remains as the only ordering wave vector.

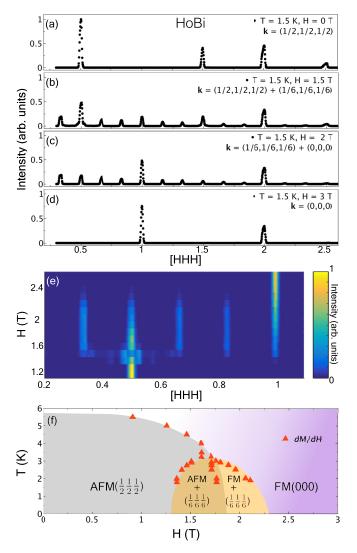


FIG. 2. (a)–(d) Neutron-diffraction intensity along the [HHH] direction at H=0,1.5,2, and 3 T measured at T=1.5 K. Ordering wave vectors (**k**) corresponding to each field are listed at the upperright corner of each panel. (e) Color map of the neutron-diffraction intensity as a function of field and momentum transfer **Q** along the [HHH] direction revealing the various metamagnetic transitions in HoBi. (f) Phase diagram of HoBi according to magnetization and neutron scattering.

Figure 2(e) summarizes the results of our measurements at intermediate fields by plotting a color map of the diffraction intensity at different [HHH] vectors. It shows the appearance of the  $(\frac{1}{6},\frac{1}{6},\frac{1}{6})$  order at 1.3 < H < 2.3 T, the disappearance of the  $(\frac{1}{2},\frac{1}{2},\frac{1}{2})$  AFM order at H > 1.8 T, and the appearance of (0,0,0) FM order at H > 1.8 T. In Fig. 2(f), a phase diagram of HoBi is constructed based on the magnetization and neutron-scattering experiments. At T = 0, four distinct phases appear from low to high fields with the ordering wave vectors  $\mathbf{k} = (\frac{1}{2}, \frac{1}{2}, \frac{1}{2})$  (AFM) at H < 1.3 T,  $\mathbf{k} = (\frac{1}{2}, \frac{1}{2}, \frac{1}{2})$  and  $(\frac{1}{6}, \frac{1}{6}, \frac{1}{6})$  coexisting at 1.3 < H < 1.8 T,  $\mathbf{k} = (\frac{1}{6}, \frac{1}{6}, \frac{1}{6})$  and (0,0,0) coexisting at 1.8 < H < 2.3 T, and  $\mathbf{k} = (0,0,0)$  (FM) at H > 2.3 T. At finite temperatures, the  $(\frac{1}{6}, \frac{1}{6}, \frac{1}{6})$  order forms a domelike boundary at T < 3.3 K. The dome is centered around

a quantum critical point (QCP) where the AFM  $(\frac{1}{2}, \frac{1}{2}, \frac{1}{2})$  order ends at approximately  $H_c = 1.8$  T.

#### C. Magnetoresistance

Having established the magnetic phase diagram, we now present the electrical transport data and study the XMR behavior. HoBi shows a typical temperature profile of XMR in Fig. 1(c) and a large magnitude of MR (%) =  $100 \times [\rho(H) - \rho(0)]/\rho(0)$  in Fig. 3(a). What makes HoBi unique among the magnetic monopnictides is an intimate connection between the magnetism and transport that modifies the XMR behavior in two ways.

First, each MM transition is marked with a clear feature in the resistivity of HoBi. Figure 3(a) shows two distinct regions in the field dependence of the magnetoresistance MR(H). The blue region at H < 2.3 T is the realm of AFM order and MM transitions. Figure 3(b) compares a representative  $\rho(H)$  curve at 1.85 K, a dM/dH curve at 1.8 K, and the intensity of the  $(\frac{1}{6}, \frac{1}{6}, \frac{1}{6})$  neutron-diffraction peak at 1.5 K in this region. With increasing field from zero,  $\rho(H)$  shows peaks at the first and second MM transitions, and a steep increase at the third one [see arrows in Fig. 3(b)]. These features evolve with temperature as shown in the inset of Fig. 3(c). Similar features appear in the  $\rho(H)$  data at 3.3 < T <  $T_N$  and correspond to the AFM transitions (see Supplemental Material Fig. S3) [31]. The black circles on the phase diagram in Fig. 3(d) correspond to the AFM and MM transitions derived from the  $\rho(H)$  curves. Without measuring magnetization, one can accurately map the magnetic phase diagram of HoBi using the resistivity data alone. Such complete correspondence between magnetization and resistivity data is not observed in other magnetic XMR materials with complex metamagnetic transitions [15]. In this regard, HoBi is an ideal platform of studying the interplay between magnetism and transport in XMR materials.

Second, an onset of XMR is observed in HoBi. The XMR only starts at H > 2.3 T in the yellow region of Figs. 3(a) and 3(c). At T = 1.85 K, a steep increase of MR is observed immediately above the onset field 2.3 T followed by a less steep power-law behavior at higher fields. The difference between these two behaviors is better resolved in  $d\rho/dH$  curves (see Supplemental Material Fig. S4) [31]. The initial steep MR starts after the  $(\frac{1}{6},\frac{1}{6},\frac{1}{6})$  ordering wave vector has disappeared and when the Ho spins are gradually polarizing with the field to adopt a FM (0,0,0) state. This is in agreement with the magnetization curve at 1.85 K in Fig. 1(d) that does not fully saturate until about 3.5 T. Similarly, the FM (0,0,0) neutron peak intensity keeps increasing with the field until 3.5 T (see Supplemental Material Fig. S4) [31]. Therefore, the disappearance of MM transitions and the gradual polarization of the Ho spins with field are responsible for the onset of XMR.

The onset of XMR in HoBi is a unique feature among XMR materials studied so far. In nonmagnetic XMR materials,  $\rho(H)$  shows a quadratic behavior from zero to high fields. In magnetic XMR materials such as CeSb and NdSb, the overall  $\rho(H)$  curve is quadratic, similar to nonmagnetic systems [15,16,18,19]. However, in HoBi, the quadratic  $\rho(H)$  behavior is disrupted under the influence of AFM order and MM transitions in the blue region of Fig. 3. The XMR with a quadratic  $\rho(H)$  dependence appears only at H > 2.3 T in the

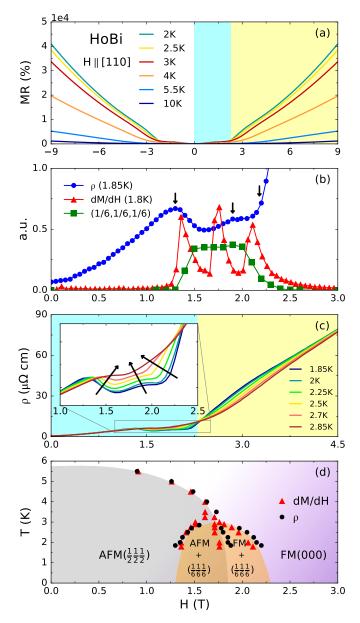


FIG. 3. (a) Magnetoresistance (MR) as a function of field  $(H \| [110], I \| [001])$  in a HoBi sample with RRR = 127 at several temperatures. The region of AFM order and MM transitions is highlighted by blue whereas the region of XMR is yellow. (b) Resistivity data (blue), dM/dH (red), and the  $(\frac{1}{6}, \frac{1}{6}, \frac{1}{6})$  neutron peak intensity (green) compared at comparable temperatures. Arrows mark the transport features associated with the MM transitions in  $\rho(H)$ . (c) Evolution of  $\rho(H)$  with temperature. Note the onset of XMR (yellow region) at H=2.3 T. (d) Phase diagram of HoBi from the transport, magnetization, and neutron-scattering data.

yellow region. Figure 3(b) provides compelling evidence that the  $(\frac{1}{6}, \frac{1}{6}, \frac{1}{6})$  ordering wave vector is responsible for this onset behavior that distinguishes HoBi from other magnetic XMR materials.

#### D. Quantum oscillations and DFT calculations

Prior studies of nonmagnetic monopnictides including LaAs, LaSb, and LaBi have shown a characteristic compensated band structure for XMR with hole pockets at  $\Gamma$ 

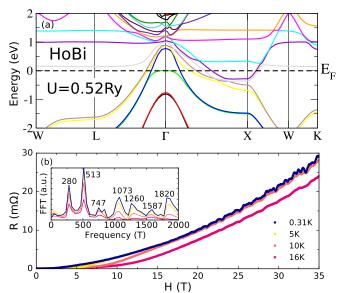


FIG. 4. (a) Band structure of HoBi from a spin-polarized PBE+SOC+U calculation with 10,000 k points, basis-size control parameter  $RK_{\rm max}=9$ , and U=0.52 Ry (7.075 eV). HoBi has four hole bands at  $\Gamma$  and two electron bands at X similar to nonmagnetic XMR semimetals. (b) SdH oscillations in electrical resistance at 20 < H < 35 T. Inset shows the Fourier transform of SdH oscillations at several temperatures.

and electron pockets at X in the fcc Brillouin zone [6,12]. We used a combination of DFT calculations and Shubnikov-de Haas (SdH) oscillations to search for such Fermi surfaces in HoBi. Figure 4(a) shows the calculated band structure of HoBi in the XMR (FM) region, which resembles that of nonmagnetic XMR materials mentioned above. There are four hole bands at  $\Gamma$  and two electron bands at X. In particular, notice the smallest hole pocket that barely touches the Fermi level at  $\Gamma$ . The size of this pocket is extremely sensitive to the choice of U and serves as a stringent test of the calculation (Supplemental Fig. S5) [31]. We use the SKEAF program [38] to calculate the extremal orbit area and the effective mass of carriers on each calculated Fermi surface. The results are then compared to the frequencies of SdH oscillations in Fig. 4(b). Fourier transform of the oscillations is shown in the inset with a low-frequency peak at 280 T corresponding to the smallest hole pocket in Fig. 4(a) with a calculated frequency of 243 T. Furthermore, we measured the mass of carriers on each pocket using a standard Lifshitz-Kosevich analysis [39,40] as elaborated in the Supplemental Material [31]. Table I shows a good agreement between the frequencies and effective masses from DFT calculations and SdH oscillations. Our analysis of Fermi surfaces confirms that the nonsaturating XMR in HoBi at high magnetic fields originates from a compensated band structure with hole pockets at  $\Gamma$  and electron pockets at X, similar to the nonmagnetic analog LaBi [6,10,12].

## IV. SUMMARY

To summarize, HoBi is the only magnetic rare-earth monopnictide with XMR where the transport behavior, especially XMR, is strongly affected by changes in the magnetic wave vector. Metamagnetic transitions are resolved in the  $\rho(H)$ 

TABLE I. Calculated frequencies and effective masses from the PBE+SOC+U calculations compared to the SdH experimental results in HoBi. Four hole bands  $(h_{1-4})$  and two electron bands  $(e_{1,2})$  are observed. The frequencies F and the effective masses  $m^*$  are reported in units of T and  $m_e$ . DFT calculations suggest a maximum and a minimum frequency in  $h_4$ ,  $e_1$ , and  $e_2$ .

| Band | $h_1 F, m^*$ | $h_2$ $F, m^*$ | h <sub>3</sub><br>F, m* | $h_4 F, m^*$        | $e_1$ $F, m^*$      | $e_2$ $F, m^*$     |
|------|--------------|----------------|-------------------------|---------------------|---------------------|--------------------|
| DFT  | 243, 1.14    | 1003, 0.20     | 1558, 0.45              | 1975/1986, 0.4/0.42 | 838/1290, 0.47/0.82 | 489/835, 0.54/0.46 |
| SdH  | 280, 0.27    | 1073, 0.50     | 1587, 0.38              | 1820, 0.58          | 747/1260, 0.29/0.50 | 513/747, 0.29/0.29 |

data clearly so the magnetic phase diagram of HoBi can be accurately mapped from the transport data. The  $(\frac{1}{6}, \frac{1}{6}, \frac{1}{6})$  dome is intriguing: it affects the XMR behavior drastically and drives its field dependence away from a plain quadratic curve. It is likely that the  $(\frac{1}{6}, \frac{1}{6}, \frac{1}{6})$  order is produced by a reconstruction of the Fermi surface at the QCP as a result of special nesting conditions. It would be interesting to confirm this idea and to search for its consequences such as charge ordering in HoBi.

*Note added in proof.* Recently, another detailed study on HoSb has been reported [41].

#### ACKNOWLEDGMENTS

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