Hidden order signatures in the antiferromagnetic phase of $U(Ru_{1-x}Fe_x)_2Si_2$

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We present a comprehensive set of elastic and inelastic neutron scattering measurements on a range of Fe-doped samples of $U(Ru_{1-x}Fe_x)_2Si_2$ with $0.01 \le x \le 0.15$. All of the samples measured exhibit long-range antiferromagnetic order, with the size of the magnetic moment quickly increasing to $0.51~\mu_B$ at 2.5% doping and continuing to increase monotonically with doping, reaching $0.69~\mu_B$ at 15% doping. Time-of-flight and inelastic triple-axis measurements show the existence of excitations at (1~0~0) and (1.4~0~0) in all samples, which are also observed in the parent compound. While the excitations in the 1% doping are quantitatively identical to the parent material, the gap and width of the excitations change rapidly at 2.5% Fe doping and above. The 1% doped sample shows evidence for a separation in temperature between the hidden order and antiferromagnetic transitions, suggesting that the antiferromagnetic state emerges at very low Fe dopings. The combined neutron scattering data suggest not only discontinuous changes in the magnetic moment and excitations between the hidden order and antiferromagnetic phases, but that these changes continue to evolve up to at least x=0.15.

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I. INTRODUCTION

The heavy fermion material URu₂Si₂ has been a subject of long-standing interest since the discovery of a phase transition at $T_0 = 17.5$ K, 30 years ago [1]. Initially thought to be an antiferromagnetic transition, the small antiferromagnetic moment of 0.03 μ_B that arises in this material is far too small to account for the large specific heat jump at T_0 [2,3]. Three decades of research have produced a number of conclusions regarding the nature of this phase [4,5], but have failed to determine the order parameter, leading to this phase being dubbed the "hidden order" phase. To study the behavior of the hidden order phase, a large number of perturbations have been applied to the system in the form of applied field, hydrostatic pressure, and chemical substitution. In all cases, the hidden order phase is destroyed with relatively small perturbations: applied fields of >35 T [6], hydrostatic pressure >0.8 GPa [7], and chemical substitution of typically greater than 5% on any of the atomic sites [8–10]. In nearly every case, the hidden order state is suppressed continuously, and a ferro- or antiferromagnetic state emerges.

Neutron scattering has played an important role in determining the properties of the hidden order phase. For example, while careful study has shown that the small antiferromagnetic moment is present even in ultraclean samples [11], it is likely caused by inhomogeneous strain [12]. Within the paramagnetic phase above T_0 , inelastic neutron scattering measurements observed gapless, weakly dispersing features at the Σ point on the Brillouin zone (BZ) edge with $\vec{Q}_{\rm inc} = (1 \pm \delta \ 0 \ 0)$ ($\delta = 0.407$), while below T_0 , these excitations became gapped

 $(\Delta_{\rm inc}=4.5-4.8~{\rm meV}~[11,13])$ and more intense [3,14]. It was determined that the gapping of these excitations results in an entropy change of sufficient size to account for the specific heat jump at T_0 [14]. Below T_0 additional, commensurate excitations appear at the Z point of the BZ, $\vec{Q}_{\rm com}=(1~0~0)$, with a gap of $\Delta_{\rm com}=1.7-1.8~{\rm meV}~[11,13]$. This wave vector is the ordering wave vector for the antiferromagnetic moment in both the hidden order and more conventional magnetically ordered phases. Since the transition at T_0 is related to the gapping of the incommensurate excitations and the emergence of the commensurate ones, these have both been cited as possible "signatures" of the hidden order state in neutron scattering experiments [5,11].

The first instance in which perturbations were found to enhance the hidden order state was through the use of applied pressure. Application of pressure increased T_0 slightly, reaching 18.5 K at a pressure of 0.5 GPa [7]. However, at higher pressures, this system still transitions to an antiferromagnetic state; at T=0 this occurs at approximately 0.8 GPa. Pressures between 0.8 and 1.4 GPa have both a hidden order and a Néel transition, while above 1.4 GPa the transition is directly from paramagnetic to antiferromagnetic at $T_N = 19.5 \text{ K}$ [7]. Due to this interplay of hidden order and antiferromagnetism, studying the behavior under applied pressure has become of particular interest in trying to determine the nature of the unknown order parameter. Likewise, the chemical substituents that enhance T_0 have also become an interesting avenue of research for determining the order parameter of the hidden order state. Of the dozens of chemical dopings that have been applied to URu₂Si₂ only two dopings, both on the Ru site, have been shown to increase the value of T_0 : Fe [15] and Os [16]. In both of these cases, the transition temperature continues to increase as a function of doping, over a large

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range, before dropping abruptly. Interestingly, of all of the pure compounds of the family UT_2Si_2 , T=Fe and Os are the only two that are nonmagnetic [9,17]. Furthering the analogy between hydrostatic pressure and Fe/Os doping, the doped systems are also observed to become more conventionally antiferromagnetic with increasing chemical pressure, however no signature of multiple transitions have been observed with transport measurements [15,16]. It was speculated that these systems experience only a gradual crossover between the hidden order and antiferromagnetic states, although this remains an open question.

In this work we use elastic and inelastic neutron scattering to measure the magnetic structure and excitations of various doping concentrations within the $U(Ru_{1-x}Fe_x)_2Si_2$ series, in an attempt to determine the nature of the hidden order-toantiferromagnetic crossover, as well as whether the doped compounds contain inelastic signatures of the hidden order state and/or signatures of a conventional antiferromagnetic state (spin waves). Recently, neutron diffraction measurements have been carried out on a number of dopings in this series [18], which found that the magnetic moment grows continuously from x = 0 to x = 0.05 and that at dopings above 5% the magnetic moment remains relatively constant at 0.8 μ_B . This leads the authors to suggest that 5% doping marks the hidden order-to-antiferromagnetic phase transition, analogous to the transition at 0.8 GPa in the parent compound under pressure [18]. This suggests that in order to study the nature of the excitations through the transition, it is important to measure dopings both above and below x = 0.05.

II. EXPERIMENT

Single crystals of $U(Ru_{1-x}Fe_x)_2Si_2$ with x=0.01, 0.025, 0.05, 0.10, and 0.15 were grown at McMaster University. Stoichiometric amounts of unpurified depleted uranium, Ru (99.95%), Fe (99.99%), and Si (99.9999%) were arc-melted on a water-cooled copper hearth in a mono-arc furnace under an inert Ar atmosphere. The largest impurity in the uranium precursor is elemental Fe at a level of \approx 50ppm, which is small (<0.01%) when compared to the nominal doping concentrations. The resulting polycrystalline boule was then used to grow the single crystals using the Czochralski method. This was performed in a tri-arc furnace using a water-cooled copper hearth under a continuously gettered Ar atmosphere at 900 °C. After the growths, the single-crystalline nature and sample alignments were confirmed with Laue x-ray diffraction.

These samples were studied using elastic and inelastic neutron scattering at the High-Flux Isotope Reactor (HFIR) and the Spallation Neutron Source (SNS) of Oak Ridge National Laboratory (ORNL). The diffraction measurements were performed on all of the samples using the HB-1A spectrometer at HFIR, while inelastic measurements were done on the HB-1 (for x=0.01 and 0.05) and HB-3 (for x=0.025, 0.10, and 0.15) triple-axis instruments at HFIR, as well as the SEQUOIA time-of-flight spectrometer at the SNS (for x=0.05 and 0.15). For comparison, data on the parent compound have been included where appropriate; this data were measured on the Multi-Axis Crystal Spectrometer (MACS) at the NIST Center for Neutron Research and

was published previously [19]. The neutron measurements described in this work were performed using one single crystal of each doping: the x=0.01 sample had a mass of 5.65(2) g and a mosaic of 4.5°, the x=0.025 sample had a mass of 1.99(1) g and a mosaic of 1.3°, the x=0.05 sample had a mass of 2.98(1) g and a mosaic of 10°, the x=0.10 sample had a mass of 1.85(1) g and a mosaic of 3.0°, and the x=0.15 sample had a mass of 1.74(1) g and a mosaic of 4.0°. All of these samples were aligned in the $[H\ 0\ L]$ scattering plane for each of the neutron scattering experiments.

The HB-1A measurements were performed in a closed-cycle refrigerator with a base temperature of 4.0 K using a fixed incident energy of 14.7 meV. A PG (002) monochromator and analyzer crystals were used with PG filters, and the collimation was 40′-40′-80′. The HB-1 and HB-3 measurements were performed in closed-cycle refrigerators with a base temperature of 4.0 K using a fixed final energy of 14.7 meV. A PG (002) monochromator and analyzer crystals were used with PG filters, and the collimation was 48′-40′-40′-120′. The SEQUOIA measurements were also performed in a closed-cycle refrigerator with a base temperature of 5 K, using a fixed incident energy of 30 meV. The crystals were rotated in the [H 0 L] plane in 1° steps over a 190° range.

III. MAGNETIC STRUCTURE DETERMINATION

The neutron diffraction involved measurements of all of the Bragg peaks for which $|\vec{Q}| < 4.7 \text{ Å}^{-1}$, at 4 and 30 K, as well as the temperature dependence of the (1 0 0) and (0 0 1) magnetic Bragg peaks. While the (0 0 1) peaks was found to have a weak magnetic signal, the *c*-axis magnetic contribution was found to be consistent with what would be expected due to multiple scattering for $E_i = 14.7 \text{ meV}$, suggesting that the magnetic moments point along the \hat{c} direction. Multiple scattering was also encountered in the parent material, where the same magnetic structure was refined for the small, intrinsic moments [20].

Figure 1 shows the (1 0 0) magnetic Bragg peak at 4 K in the various Fe-doped samples [Fig. 1(a)] and their temperature dependence [Fig. 1(b)]. This is a disallowed nuclear peak so there is no scattering from the sample above T_0 , as seen in the temperature dependence. We observe the onset of magnetic scattering, and the transition appears to be second order in nature. The temperature dependence of the lowest two dopings, 1% and 2.5%, do not show the same temperature dependence. Previous work using μ SR has shown that at these dopings, there is considerable phase separation between magnetic and nonmagnetic regions, likely as a result of the random dopant distribution in these samples [21]. This is a likely origin of the observed temperature dependence of the magnetic Bragg peak. However, the peaks are resolution limited at all dopings, suggesting that the magnetic order is sufficiently long ranged. Using the seven structural and nine magnetic peaks collected on each sample, the magnetic structure and moment can be determined. In agreement with the parent material at ambient pressure and in the pressure-induced antiferromagnetic state, this magnetic structure has magnetic moments aligned along the c axis, with the body-centered moment antiparallel to the moments in the neighboring ab planes [20].

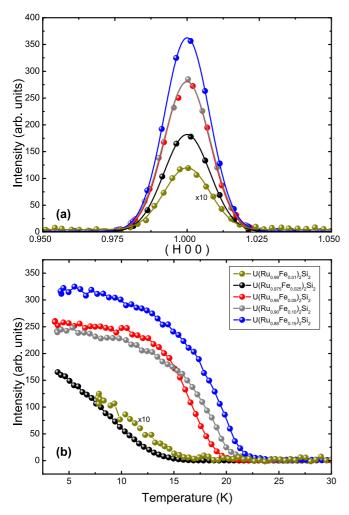


FIG. 1. (a) Radial scans through the $(1\ 0\ 0)$ magnetic Bragg peaks at $T=4\ K$ in the various samples of $U(Ru_{1-x}Fe_x)_2Si_2$. All of the peaks appear resolution limited, indicating long-range magnetic order. This is a disallowed nuclear peak, and so there is no scattering from the sample above T_0 . (b) The temperature dependence of the $(1\ 0\ 0)$ magnetic Bragg peak intensity in the various samples. This shows the second-order transition from the paramagnetic state to the antiferromagnetic state at T_N . The lack of saturation of the moment in the 1% (yellow) and 2.5% (black) samples may be dues to phase separation (see text). In both plots, the error bars lie within the symbols.

The magnetic moment as a function of doping at $T=4~\rm K$ was extracted from the integrated intensity of the (1 0 0) magnetic peak normalized by the integrated intensity of the (1 0 1) structural peak, with the proper Lorentz factors taken into account for both Bragg peaks. The (1 0 1) structural peak was chosen for the normalization to minimize the difference in instrumental Q resolution at the two peak positions, since resolution effects were not incorporated in these calculations. This approach is in contrast to the method employed by Das et~al.~[18], who chose the higher order Bragg peak (6 0 0) for the normalization to avoid extinction effects. Neither normalization method accounts for the effect of multiple scattering, which has been noted as significant in URu₂Si₂, but that is difficult to calculate directly [11,20]. This may produce differences in the size of the magnetic moments determined.

TABLE I. The transition temperatures and extracted moment sizes in the various dopings of $U(Ru_{2-x}Fe_x)_2Si_2$ measured in this work. The value of T_N is the transition temperature seen in the measurement of the (1 0 0) Bragg peak [Fig. 1(b)]. Also listed are the values of T_0 and T_N as determined from the same crystals that were used in the current studies. These values were obtained from susceptibility and μ SR measurements as reported in Ref. [21].

Doping (%)	$T_N(K)$	Moment (μ_B)	<i>T</i> ₀ (K) [21]	T_N (K) [21]
1.0%	15.0(5)	0.048(5)	17.5	16.0
2.5%	15.0(5)	0.51(1)		
5.0%	20.0(5)	0.59(1)	21.0	21.0
10.0%	21.0(5)	0.59(2)	21.5	21.0
15.0%	22.5(5)	0.66(2)	25.5	25.0

The moments that were extracted from the neutron diffraction measurements are shown in Table I, along with the values of T_N and T_0 from μ SR in a previous work [21]. The values of T_N from the measurement of the (1 0 0) magnetic Bragg peak are lower than those found by μ SR, likely due to the local probe nature of the μSR measurements. The size of the moments agree well with the values determined from the internal field measurements based on the muon precession frequency, suggesting they are sensitive to the same magnetic ordering. The size of the moment in the Fe-doped samples is comparable to what is seen in the pressure-induced antiferromagnetic state of the parent compound [22], except for the lowest doping (1%). In the lowest-doped sample, the size of the internal field determined by μ SR would suggest a moment size of $\sim 0.45 \ \mu_B$, however this was associated with a reduced volume fraction of ~ 0.6 at T = 5 K [21]. The decreased moment seen by the neutron measurements is likely due to the phase separation between antiferromagnetism and the hidden order phase observed by the μ SR measurements. This would indicate that the transition from hidden order to antiferromagnetism occurs at a doping between 1% and 2.5%, lower than that suggested by Das et al. [18]. While we speculate that the difference in the moments may result from a different normalization method, the difference in the doping dependence may also be a result of differences in nominal and actual doping concentrations.

IV. INELASTIC MEASUREMENTS

Figure 2 shows the inelastic time-of-flight measurements of the 5% sample at 30 K [Fig. 2(a)] and at 5 K [Fig. 2(b)], as well as the 15% sample at 5 K [Fig. 2(c)]. Figure 2(a) shows measurements in the paramagnetic state. The inelastic spectrum seen here in the 5%-doped sample is identical to what is seen in the parent material above T_0 : gapless excitations emanating from $\vec{Q}_{\rm inc} = (0.6\,0\,0)$, and no excitation at $\vec{Q}_{\rm com} = (1\,0\,0)$. Figure 2(d) illustrates what happens in the hidden order state of the parent material (this data are adapted from Ref. [19]). The excitation at $\vec{Q}_{\rm inc}$ becomes gapped, resulting in the entropy change seen by specific heat. Additionally, gapped excitations also appear at $\vec{Q}_{\rm com}$, albeit with a smaller gap and less intensity. Figure 2(b) shows the excitation spectrum below the transition in the 5.0% Fe-doped sample. Relative to the parent material, we see that the

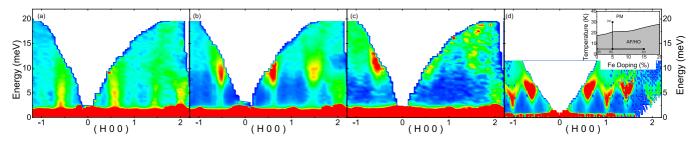


FIG. 2. Time-of-flight neutron measurements of various $U(Ru_{1-x}Fe_x)_2Si_2$ samples. (a) x=0.05, measured at 30 K in the paramagnetic phase. As is seen in the paramagnetic state of the parent (x=0) compound, there are gapless excitations at the incommensurate wave vector $\vec{Q}_{inc}=(1.4\ 0\ 0)$. (b) Below T_0 , these excitations become gapped and their spectral weight increases. (c) At higher Fe dopings (x=0.15 is shown here), the gap can be seen to increase and broaden in $\hbar\omega$ and \vec{Q} . (d) Data from the parent compound (taken from Ref. [19]) below T_0 show similar excitations at \vec{Q}_{inc} , however the excitations in the parent material are more well defined. Additionally, the commensurate excitations at $\vec{Q}_{com}=(1\ 0\ 0)$, which are clearly present in the parent material, are not as obvious in the Fe-doped samples. Cuts through \vec{Q}_{com} show these excitations to be substantially weakened, and appear at higher energy than in the parent. Inset: The phase diagram of $U(Ru_{1-x}Fe_x)_2Si_2$ showing the locations of the measurements for (a) to (d). (a) x=0.05, x=

incommensurate excitation is qualitatively unchanged. The gap appears to be larger, but with little change in the spin wave velocity, similar to what is observed under hydrostatic pressure [19]. The commensurate excitation, however, shows a large change when compared to the pure material in the hidden order state. It is significantly weaker relative to the incommensurate excitation. Furthermore, the scattering that is present at the commensurate point in the 5% doping is only present at much higher energies.

Moving to higher Fe doping [15.0% in Fig. 2(c)], the weakening of these excitations seems to continue at both the commensurate and incommensurate points. Additionally, we observe that the gap at \vec{Q}_{inc} is larger than at x = 0.05 or in the parent. This type of trend has been observed under pressure, where an increase in the transition temperature

seems to correlate with an increase in the incommensurate gap, though the magnitude of the gap change in this system is much larger than what has been observed under pressure for the same change in the transition temperature [19,23]. The excitations also appear broadened, both in |Q| and $\hbar\omega$. This would suggest that Fe doping distorts the Fermi surface, weakening the nesting that gives rise to the excitations [13]. Furthermore, no additional excitations appear with Fe doping, including any conventional spin waves centered on the (1 0 0) magnetic Bragg peak. To more carefully investigate the changes in the excitations, inelastic triple axis neutron scattering measurements were performed at both \vec{Q}_{com} and \vec{Q}_{inc} , above and below T_0 .

The inelastic triple-axis measurements at $\vec{Q}_{com} = (1\ 0\ 0)$ are shown in Fig. 3, at 30 K, above the transition (open circles),

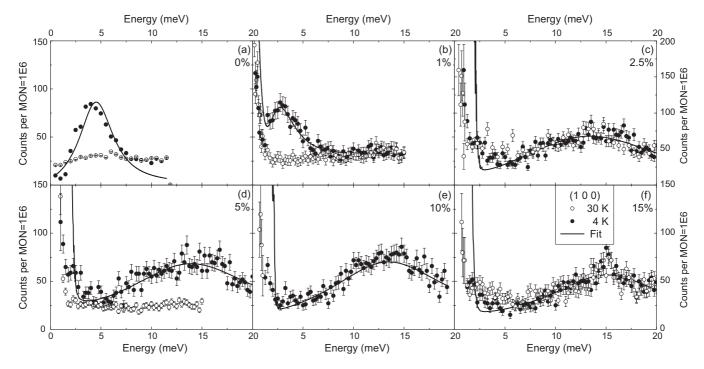


FIG. 3. Commensurate excitation as a function of doping at T = 4 K (filled circles) and T = 30 K (open circles). The solid line is a fit to the low temperature data as described in the text. The data for the parent compound are adapted from Ref. [19].

and at 4 K, below the transition (filled circles) for each of the measured dopings. The data for the 1% [Fig. 3(a)] and 5% [Fig. 3(d)] samples were taken on the HB-1 spectrometer, which had a lower background than the same measurements on the HB-3 spectrometer for the other Fe-doped samples. However, all samples clearly show the opening of the gap in the excitation spectrum below the transition. The same excitation in the parent compound is shown in Fig. 3(a) for comparison (data adapted from Ref. [19]). The solid line is a fit to the data, following the analysis of Refs. [3,19], given by

$$\tilde{I}(\mathbf{Q},\omega) = I \left[\frac{\hbar \gamma / \pi}{[\hbar \omega - \epsilon(\mathbf{Q})]^2 + (\hbar \gamma)^2} - \frac{\hbar \gamma / \pi}{[\hbar \omega + \epsilon(\mathbf{Q})]^2 + (\hbar \gamma)^2} \right],$$
(1)

where I is an overall scale factor for the intensity and $\hbar \gamma$ is the half width at half maximum (HWHM) for the Lorentzian functions. With an energy gap Δ , the dispersion relation reads

$$\epsilon(\mathbf{Q}) = \sqrt{\Delta^2 + \hbar^2 (\delta Q_\perp^2 v_\perp^2 + \delta Q_\parallel^2 v_\parallel^2)},\tag{2}$$

where $\delta Q_{\perp,\parallel} = |(\mathbf{Q} - \mathbf{Q}_0)_{\perp,\parallel}|$ is the projection of the difference of the wave vector transfer \mathbf{Q} from the critical wave vector \mathbf{Q}_0 perpendicular and parallel, respectively, to the $\hat{\mathbf{c}}$ direction. The velocities used were those of the parent compounds, where $v_H = v_K = v_\perp = 23.7(5)$ meV Å and $v_L = v_\parallel = 32.5(7)$ meV Å [19]. Equation (1) was multiplied by a Bose factor and convoluted with the 4D experimental resolution function using RESLIB [24]. This underestimates the elastic peak at (100) in Fig. 3 due to the elastic magnetic Bragg peak at this \vec{Q} , but more reliably reproduces the quasielastic signal at the incommensurate (1.4 0 0) in Fig. 4. Since these measurements were most concerned with extracting the parameters of the inelastic excitation, no additional terms were

TABLE II. Results of fitting the data in Figs. 3 and 4 to Eq. (1), as described in the text. Data for the parent compound (x = 0.0) are taken from Ref. [19].

Doping	Wave vector	I (arb. units)	$\Delta \text{ (meV)}$	γ (meV)
0.0% [19]	(1 0 0)	_	2.3(4)	0.9(1)
1.0%	$(1\ 0\ 0)$	1.55(3.77)	2.3(1)	1.2(2)
2.5%	$(1\ 0\ 0)$	6.99(2.13)	6.7(1)	8.0(6)
5.0%	$(1\ 0\ 0)$	10.28(3.08)	6.8(1)	7.7(6)
10.0%	$(1\ 0\ 0)$	7.01(1.95)	6.6(1)	6.9(5)
15.0%	$(1\ 0\ 0)$	6.04(1.34)	7.5(1)	6.7(6)
0.0% [19]	$(1.4\ 0\ 0)$	_	4.2(2)	0.7(1)
1.0%	$(1.4\ 0\ 0)$	5.12(3.08)	4.18(4)	0.48(9)
2.5%	$(1.4\ 0\ 0)$	5.26(2.26)	3.5(1)	2.7(3)
5.0%	$(1.4\ 0\ 0)$	2.48(78)	5.21(6)	3.4(3)
10.0%	$(1.4\ 0\ 0)$	0.59(26)	5.9(1)	6.1(7)
15.0%	$(1.4\ 0\ 0)$	0.25(25)	7.1(3)	6.4(1.6)

included to model the elastic peak. The values obtained from these fits are given in Table II below.

We see that in the 1% doping, the commensurate excitation is nearly unchanged from the parent material; the gap and width are unchanged within error. However, we notice a dramatic change in the 2.5% doped sample, where the excitation is substantially broadened in energy and is peaked at much higher energies. The excitation is essentially unchanged with further increases in doping, with the gap energy and the width much larger than in the parent compound. This trend is shown in Fig. 5 where we can see the very abrupt changes in the gap [Fig. 5(a)] and the FWHM [Fig. 5(c)], which are relatively constant above 1% doping. It is also notable that the commensurate excitation is qualitatively unchanged across

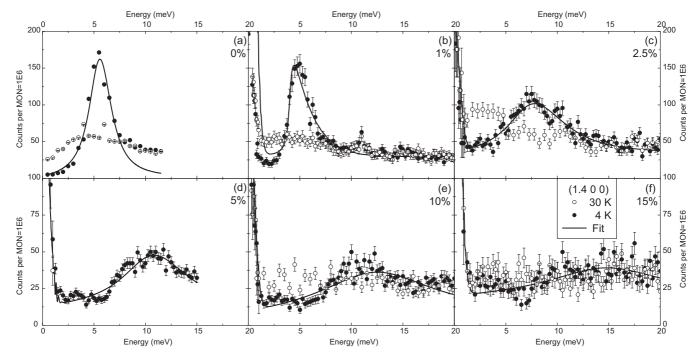


FIG. 4. Incommensurate excitation as a function of doping at T = 4 K (filled circles) and T = 30 K (open circles). The solid line is a fit to the low temperature data as described in the text. The data for the parent compound are adapted from Ref. [19].

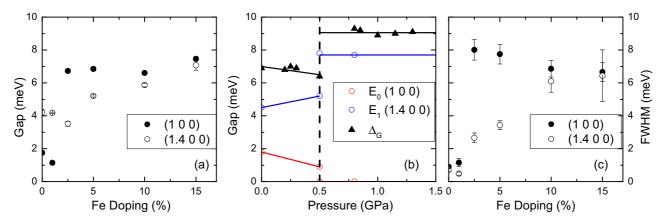


FIG. 5. (a) The gap at \vec{Q}_{com} (filled circles) and \vec{Q}_{inc} (open circles) as a function of Fe doping measured at T=4 K. The values of the gap at 1% doping are nearly unchanged from the parent compound. Above 1% doping, the gap at the commensurate wave vector increases dramatically, while the incommensurate gap increases continuously with Fe doping. (b) The value of the gap at \vec{Q}_{com} (red circles), \vec{Q}_{inc} (blue circles), and the gap measured by transport (black triangles) as a function pressure. Figure reproduced with permission from Ref. [23], copyright American Physical Society. (c) The full width at half maximum (FWHM) of the excitations as a function of doping at T=4 K. Similarly to the behavior of the gaps, the width of the excitations is nearly unchanged at 1% doping. Above 1%, the width of the commensurate excitation is greatly increased, while the incommensurate excitation gradually broadens with increasing Fe doping.

the phase transition, despite the emergence of the magnetic Bragg peaks at (1 0 0). In agreement with the time-of-flight measurements, no other excitations are present in any of the samples.

Figure 4 shows the excitation that is present below T_0 at $Q_{\rm inc} = (1.4 \ 0 \ 0)$ as a function of doping. This excitation was fit in the same manner as the commensurate excitation, shown by the solid lines in Fig. 4. The values obtained from this fitting are given in Table II. As with the commensurate excitation, the incommensurate excitation shows very little change at 1% doping relative to the parent compound. However, above 1% doping, rather than a discontinuous change, the incommensurate excitation exhibits a continuous broadening and upward shift in energy. As with the doping dependence of the magnetic moment, the incommensurate excitation shows a discontinuous change from the hidden order to antiferromagnetic phases, as well as a continued evolution over the entire range of Fe doping. This is apparent from looking at Figs. 5(a) and 5(c), where the gap and FWHM, respectively, show an increase over the full range of dopings measured. The excitation appears to weaken continuously with increasing Fe doping, but is present in all dopings measured with no additional excitations present.

Comparing these results to the gap measured by inelastic neutron scattering under pressure [shown in Fig. 5(b)], we see that there is a similarity when considering the incommensurate excitation (blue circles). The application of pressure also increases the gap, though it is assumed that under pressure the gap jumps discontinuously at $P_0 = 0.5$ GPa and is constant above. However, there may not be enough data points to be certain [19,23,25].

Lastly, to more directly probe the relationship between the hidden order and the antiferromagnetic order, we measured the order parameters for both types of ordering simultaneously in the 1% Fe-doped sample, shown in Fig. 6. The black squares denote the peak intensity of the (1 0 0) elastic magnetic Bragg peak, while the blue circles are the scattering intensity at

(1.4 0 0) and an energy transfer of 2 meV. This shows the strength of the scattering at a point within the incommensurate gap, a measurement that was shown to determine the opening of the gap at T_0 in the parent compound [26]. In agreement with the quantitative similarities of the excitations in the 1% sample and the parent compound, as well as the bulk thermodynamic data [15,21], we see the opening of the incommensurate gap at $T_0 = 17.5$ K. However, in agreement with the μ SR measurements [21], the onset of the antiferromagnetic order occurs at a slightly lower temperature, $T_N = 15$ K. Despite the apparent variation in the transition temperatures, specific heat

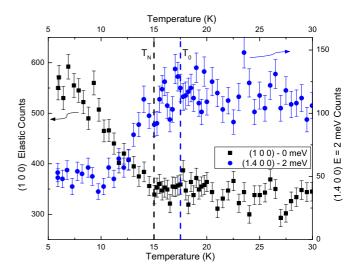


FIG. 6. Plots of the order parameters for hidden order and antiferromagnetic phases for the 1% Fe-doped sample. The elastic magnetic Bragg peak (black squares) shows an onset around 15 K, coincident with the transition in the μ SR measurements, while the opening of the gap at $\vec{Q}_{\rm inc}$ (blue circles) onsets at 17.5 K, the same as for the parent compound and where the transition is seen by susceptibility [21].

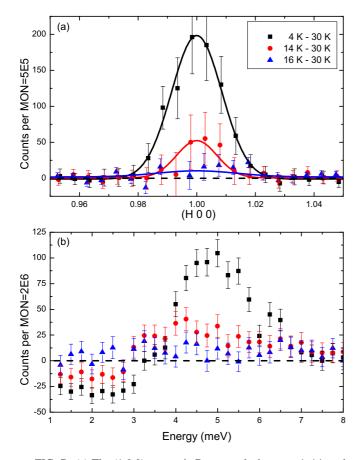


FIG. 7. (a) The (1 0 0) magnetic Bragg peak shown at 4, 14, and 16 K, subtracting the same data at 30 K. Here we see the disappearance of the magnetic Bragg peak at a temperature below the hidden order transition at $T_0 = 17.5$ K. (b) Energy scan at (1.4 0 0) at the same temperatures as in (a), showing the temperature evolution of the gap. The gap is present at all temperatures, though the weak signal and small gap (within the experimental resolution) at 16 K make this less clear than the measurement shown in Fig. 6.

measurements see no entropy change between the hidden order and antiferromagnetic phases, emphasizing that the Fermi surface reconstruction happens at the upper transition [15]. Recent magnetization and thermal expansion measurements also see evidence for the possibility of two transitions, though they suggest that this is also present at higher dopings (\sim 5%) [27]. This may be due to variations in doping concentrations or a difference in sensitivity of the measurement techniques.

To verify the presence of two transitions, constant Q measurements were performed at 4, 14, 16, 18, and 30 K to measure both the (100) magnetic Bragg peak and the opening of the gap at (1.400), shown in Fig. 7. It can be seen that the 14 K data show a gap in the (1.400) excitation spectrum, and there is appreciable scattering at the (100) magnetic Bragg peak. At 16 K, the magnetic Bragg peak is absent, within error, while the gap in the (1.400) constant- \vec{Q} measurement had been reduced, it is still present. Both measurements at 18 K are identical within error to the 30 K data. This is consistent with the separation in temperature of the hidden order and magnetic transitions.

V. DISCUSSION AND CONCLUSIONS

We have presented a comprehensive set of elastic and inelastic neutron scattering measurements on a range of Fe-doped samples of $U(Ru_{1-x}Fe_x)_2Si_2$ with $0.01 \le x \le 0.15$. We have found that the onset of the antiferromagnetic phase occurs at very low doping, with the 2.5% doped sample showing an ordered moment of 0.51 μ_B . However, the 1% sample seems to show excitations that are nearly identical to the parent compound, but onsetting at a higher temperature than the antiferromagnetic moment. Combined with previous susceptibility and μ SR measurements on these samples [21], there is strong evidence of different transition temperatures for the antiferromagnetic and hidden orders, in agreement with other techniques on different Fe-doped samples [27]. Resistivity and specific heat measurements do not see any signatures of an abrupt phase transition between the hidden order and antiferromagnetic state [15,27]. This is consistent with no observed change in \vec{Q} for the incommensurate excitation, which remains at the Σ point of the hidden order phase, suggesting no change in the BZ between the antiferromagnetic and hidden order phases. Additionally, the μ SR measurements see evidence for phase separation at low dopings, likely a result of the statistically random distribution of Fe dopants [21]. These dopings are also where the (1 0 0) magnetic Bragg peak does not show a rapid onset, seen in Fig. 1(b), which would be expected in samples with low doping concentrations.

All of the dopings that were measured show evidence for long-ranged magnetic order, with the moment size increasing as a function of doping. This suggests that even far from the parent compound, there is still an evolution away from hidden order. This increase in the magnetic moment is accompanied by a continuous increase in T_N , which peaks above the dopings studied at ~40% doping, before being suppressed to a paramagnetic state above ~70% doping. Synthesis of large single crystals becomes difficult above 15% Fe doping [15], but μ SR measurements up to 50% Fe doping show that the magnetic moment decreases above 15% Fe substitution [21].

The inelastic time-of-flight and triple-axis measurements show that both sets of excitations observed in the parent compound are present at all dopings measured. However, while the excitations are qualitatively unchanged, there are dramatic changes in the quantitative properties above 1% doping, most noticeably in the reduction of the intensity of the commensurate excitation. The increase in the gap and energy broadening of the excitations at both the commensurate and incommensurate point occurs noticeably in the 2.5% doped sample. Both the magnitude of the gap (Δ) and the width (γ) evolve continuously with doping, which is most apparent at the incommensurate point. As observed with measurements of the parent compound under pressure, the increase in the gap at $Q_{\rm inc}$ coincides with an increase in T_0 . This also follows the monotonic increase in the magnetic moment with doping, suggesting that the critical doping is between 1% and 2.5%, but that the magnetic moment and the excitations change continuously at higher dopings.

The pressure results have been somewhat unclear about the existence and properties of the commensurate excitation, with work performed at 0.62 GPa reporting its absence [23,25,28], while other work seeing a gap of <1meV at 0.72 GPa

[29] and a gap of 1.8 meV at 1.02 GPa [19]. This has been interpreted as mode softening at the critical pressure $P_C = 0.6$ GPa, which may explain the changing value of the gaps as seen in the present case of Fe doping. However, the much larger gap and width in the Fe-doped samples clearly demonstrate that the behavior of the commensurate excitation under Fe doping is not the same as under applied pressure, which may suggest that the effect of Fe doping on the Z point Fermi surface pocket is not strictly analogous to the changes that occur under hydrostatic pressure. Furthermore, the change in the excitations point to evolutions in the Fermi surface with increasing Fe doping; this serves to increase the gap, suggesting that the Fermi surface pockets at the Σ , Z, and/or Γ points distort slightly to change the optimal energy for the nesting. This must occur without any Fermi surface reconstruction, as there is no entropy change across the HO-AF transition [15], nor do we see any change in the location of the incommensurate excitation (Σ), suggesting that the Fermi surface is not distorted in the antiferromagnetic state. Drawing the analogy to the antiferromagnetic state induced by applied pressure, that transition similarly shows no Fermi surface reconstruction by quantum oscillation measurements [30]. We can make further comparison to the pressure-induced AF state by looking at the excitations seen by neutron scattering. Under pressure, the gap at the incommensurate point similarly shows a slight increase, while the intensity of the excitations also increases [19]. The intensity of the excitations does not increase with Fe doping, but this may be a result of impurities distorting the Fermi surface, serving to weaken the nesting that is undistorted in the case of applied pressure. This can also be seen by comparing the width of the excitations, which are unchanged under pressure [19], but dramatically broadened in the case of Fe doping.

This study serves to illustrate that URu_2Si_2 is ideally placed on the precipice of magnetic states: antiferromagnetism under pressure or Fe doping, and even ferromagnetism under Re doping [31]. In all cases, we see that the excitation spectrum changes quantitatively, but not qualitatively, and is not destroyed by the emergence of the magnetically ordered state [19,32]. Thus this work demonstrates that in the Fe-doped compounds studied here, as with other perturbations, the hidden order state is not incompatible with magnetic order but rather that the electronic correlations are intimately related to magnetism.

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^[1] T. T. M. Palstra, A. A. Menovsky, J. van den Berg, A. J. Dirkmaat, P. H. Kes, G. J. Nieuwenhuys, and J. A. Mydosh, Phys. Rev. Lett. **55**, 2727 (1985).

^[2] C. Broholm, J. K. Kjems, W. J. L. Buyers, P. Matthews, T. T. M. Palstra, A. A. Menovsky, and J. A. Mydosh, Phys. Rev. Lett. 58, 1467 (1987).

^[3] C. Broholm, H. Lin, P. T. Matthews, T. E. Mason, W. J. L. Buyers, M. F. Collins, A. A. Menovsky, J. A. Mydosh, and J. K. Kjems, Phys. Rev. B 43, 12809 (1991).

^[4] J. A. Mydosh and P. M. Oppeneer, Rev. Mod. Phys. **83**, 1301 (2011).

^[5] J. A. Mydosh and P. M. Oppeneer, Philos. Mag. 94, 3642 (2014).

^[6] Y. J. Jo, L. Balicas, C. Capan, K. Behnia, P. Lejay, J. Flouquet, J. A. Mydosh, and P. Schlottmann, Phys. B: Condens. Matter 403, 749 (2008).

^[7] N. P. Butch, J. R. Jeffries, S. Chi, J. B. Leão, J. W. Lynn, and M. B. Maple, Phys. Rev. B 82, 060408(R) (2010).

^[8] H. Amitsuka and T. Sakakibara, J. Phys. Soc. Jpn. **63**, 736 (1994).

^[9] T. Endstra, G. J. Nieuwenhuys, and J. A. Mydosh, Phys. Rev. B 48, 9595 (1993).

^[10] J.-G. Park and B. R. Coles, J. Phys.: Condens. Matter 6, 1425 (1994).

^[11] F. Bourdarot, S. Raymond, and L.-P. Regnault, Philos. Mag. 94, 3702 (2014).

^[12] H. Amitsuka, K. Matsuda, I. Kawasaki, K. Tenya, M. Yokoyama, C. Sekine, N. Tateiwa, T. C. Kobayashi, S. Kawarazaki, and H. Yoshizawa, J. Magn. Magn. Mater. 310, 214 (2007).

^[13] N. P. Butch, M. E. Manley, J. R. Jeffries, M. Janoschek, K. Huang, M. B. Maple, A. H. Said, B. M. Leu, and J. W. Lynn, Phys. Rev. B 91, 035128 (2015).

^[14] C. R. Wiebe, J. A. Janik, G. J. MacDougall, G. M. Luke, J. D. Garrett, H. D. Zhou, Y.-J. Lo, L. Balicas, Y. Qiu, J. R. D. Copley, Z. Yamani, and W. J. L. Buyers, Nat. Phys. 3, 96 (2007).

^[15] N. Kanchanavatee, M. Janoschek, R. E. Baumbach, J. J. Hamlin, D. A. Zocco, K. Huang, and M. B. Maple, Phys. Rev. B 84, 245122 (2011).

^[16] N. Kanchanavatee, B. D. White, V. W. Burnett, and M. B. Maple, Philos. Mag. 94, 3681 (2014).

^[17] L. M. Sandratskii and J. Kübler, Phys. Rev. B 50, 9258 (1994)

^[18] P. Das, N. Kanchanavatee, J. S. Helton, K. Huang, R. E. Baumbach, E. D. Bauer, B. D. White, V. W. Burnett, M. B. Maple, J. W. Lynn, and M. Janoschek, Phys. Rev. B 91, 085122 (2015).

- [19] T. J. Williams, H. Barath, Z. Yamani, J. A. Rodriguez-Riviera, J. B. Leao, J. D. Garrett, G. M. Luke, W. J. L. Buyers, and C. Broholm, arXiv:1607.00967.
- [20] K. A. Ross, L. Harriger, Z. Yamani, W. J. L. Buyers, J. D. Garrett, A. A. Menovsky, J. A. Mydosh, and C. L. Broholm, Phys. Rev. B 89, 155122 (2014).
- [21] M. N. Wilson, T. J. Williams, Y.-P. Cai, A. M. Hallas, T. Medina, T. J. Munsie, S. C. Cheung, B. A. Frandsen, L. Liu, Y. J. Uemura, and G. M. Luke, Phys. Rev. B 93, 064402 (2016).
- [22] H. Amitsuka, M. Sato, N. Metoki, M. Yokoyama, K. Kuwahara, T. Sakakibara, H. Morimoto, S. Kawarazaki, Y. Miyako, and J. A. Mydosh, Phys. Rev. Lett. 83, 5114 (1999).
- [23] F. Bourdarot, E. Hassinger, S. Raymond, D. Aoki, V. Taufour, L.-P. Regnault, and J. Flouquet, J. Phys. Soc. Jpn. 79, 064719 (2010)
- [24] A. Zheludev, ResLib 3.4 (Oak Ridge National Laboratory, Oak Ridge, TN, 2007).
- [25] A. Villaume, F. Bourdarot, E. Hassinger, S. Raymond, V. Taufour, D. Aoki, and J. Flouquet, Phys. Rev. B 78, 012504 (2008).

- [26] C. R. Wiebe, G. M. Luke, Z. Yamani, A. A. Menovsky, and W. J. L. Buyers, Phys. Rev. B 69, 132418 (2004).
- [27] S. Ran, C. T. Wolowiec, I. Jeon, N. Pouse, N. Kanchanavatee, K. Huang, D. Martien, T. DaPron, D. Snow, M. Williamsen, S. Spagna, and M. B. Maple, Proc. Nat. Acad Sci. USA 113, 13348 (2016).
- [28] E. Hassinger, D. Aoki, F. Bourdarot, G. Knebel, V. Taufour, S. Raymond, A. Villaume, and J. Flouquet, J. Phys.: Conf. Ser. 251, 012001 (2010).
- [29] D. Aoki, F. Bourdarot, E. Hassinger, G. Knebel, A. Miyake, S. Raymond, V. Taufour, and J. Flouquet, J. Phys. Soc. Jpn. 78, 053701 (2009).
- [30] E. Hassinger, G. Knebel, T. D. Matsuda, D. Aoki, V. Taufour, and J. Flouquet, Phys. Rev. Lett. 105, 216409 (2010).
- [31] N. P. Butch and M. B. Maple, J. Phys.: Condens. Matter. 22, 164204 (2011).
- [32] T. J. Williams, Z. Yamani, N. P. Butch, G. M. Luke, M. B. Maple, and W. J. L. Buyers, Phys. Rev. B 86, 235104 (2012).
- [33] N. P. Butch, S. Ran, I. Jeon, N. Kanchanavatee, K. Huang, A. Breindel, M. B. Maple, R. L. Stillwell, Y. Zhao, L. Harringer, and J. W. Lynn, Phys. Rev. B 94, 201102 (2016).