

**Emergent ferromagnetism and  $T$ -linear scattering in  $\text{USb}_2$  at high pressure**Jason R. Jeffries,<sup>1</sup> Ryan L. Stillwell,<sup>1</sup> Samuel T. Weir,<sup>1</sup> Yogesh K. Vohra,<sup>2</sup> and Nicholas P. Butch<sup>3</sup><sup>1</sup>*Lawrence Livermore National Laboratory, Livermore, California 94550, USA*<sup>2</sup>*Department of Physics, University of Alabama at Birmingham, Birmingham, Alabama 35294, USA*<sup>3</sup>*NIST Center for Neutron Research, National Institute of Standards and Technology, Gaithersburg, Maryland 20899, USA*

(Received 10 February 2016; revised manuscript received 26 April 2016; published 9 May 2016)

The material  $\text{USb}_2$  is a correlated, moderately heavy-electron compound within the uranium dipnictide ( $\text{UX}_2$ ) series. It is antiferromagnetic with a relatively high transition temperature  $T_N = 204$  K and a large U-U separation. While the uranium atoms in the lighter dipnictides are considered to be localized, those of  $\text{USb}_2$  exhibit hybridization and itineracy, promoting uncertainty as to the continuity of the magnetic order within the  $\text{UX}_2$ . We have explored the evolution of the magnetic order by employing magnetotransport measurements as a function of pressure and temperature. We find that the  $T_N$  in  $\text{USb}_2$  is enhanced, moving towards that of its smaller sibling  $\text{UAs}_2$ . But, long before reaching a  $T_N$  as high as  $\text{UAs}_2$ , the antiferromagnetism of  $\text{USb}_2$  is abruptly destroyed in favor of another magnetic ground state. We identify this pressure-induced ground state as being ferromagnetic based on the appearance of a strong anomalous Hall effect in the transverse resistance in magnetic field. With pressure, this emergent ferromagnetic state is suppressed and ultimately destroyed in favor of a non-Fermi-liquid ground state.

DOI: [10.1103/PhysRevB.93.184406](https://doi.org/10.1103/PhysRevB.93.184406)**I. INTRODUCTION**

The famous Hill plot for uranium compounds draws an empirical crossover between magnetic and non-magnetic behavior at a U-U separation of  $3.5 \text{ \AA}$ , the so-called Hill limit [1]. The initial description of the Hill limit assumed that 5f electrons would hybridize *only* with each other; thus, below the Hill limit hybridization would lead to 5f itineracy and above the Hill limit the reduction in hybridization with increasing U-U separation would lead to 5f localization [2]. While this early description does not resonate with modern band structure theory, the Hill limit still offers a respectable degree of predictability for uranium compounds. Binary compounds within the uranium chalcogenides and pnictides exhibit U-U separations ranging from  $3.5$  up to about  $4.5 \text{ \AA}$ , and generally follow the scenario outlined by Hill, ordering magnetically. Of these compounds, the uranium dipnictides exhibit some of the highest magnetic transition temperatures as well as the largest U-U separations.

While the uranium monopnictides ( $\text{UX}$ ) form in a rock-salt (cubic) structure, the uranium dipnictides ( $\text{UX}_2$ )—with the exception of  $\text{UN}_2$ , which forms in the fluorite-type structure—crystallize in a tetragonal structure, the anti- $\text{Cu}_2\text{Sb}$  prototype. This structure is composed of basal-plane pnictogen layers separated along the  $c$  axis by two intervening, corrugated U-X layers. Because the corrugated layers are offset laterally from one another by half of a unit cell, the U ion resides in a ninefold coordinated environment that has three different U-X bond lengths. The tetragonal lattice parameters increase linearly with increasing pnictogen size, but the  $c/a$  ratio of the unit cell remains relatively constant just above 2.0.

For phosphorous and larger, the  $\text{UX}_2$  compounds order antiferromagnetically, where the U moments are aligned within the basal plane of the U-X layers and antialigned between adjacent corrugated layers (i.e., layers not separated by a pnictogen layer). For  $X = \text{P}, \text{As},$  and  $\text{Sb}$ , the spin orientation along the  $c$  axis is up/down/down/up, while for  $X = \text{Bi}$  the orientation is up/down/up/down [3,4]. A crystal-field model with a local

tetravalent U ion can at least partly describe the ordered state of the  $\text{UX}_2$  series, but the agreement becomes tenuous for  $\text{USb}_2$  and was not checked against  $\text{UBi}_2$  [5]. Although the unit cell evolves monotonically with increasing pnictogen size, the magnetism of the  $\text{UX}_2$  systems reveals a different response. With increasing pnictogen size, the antiferromagnetic (AFM) ordering temperature  $T_N$  increases from 203 K for  $\text{UP}_2$  up to 273 K for  $\text{UAs}_2$ . Substitutional studies show that the ordering temperature is a monotonic function of U-U separation for  $\text{U}(\text{P,As})_2$  [6], but this trend clearly does not extend to  $\text{USb}_2$  and  $\text{UBi}_2$ . For the larger pnictogens,  $T_N$  decreases as the U-U separation increases yielding  $T_N = 204$  and 183 K for  $\text{USb}_2$  and  $\text{UBi}_2$ , respectively, and suggesting that a strictly local interpretation of the U ion may not be applicable for these larger pnictogens, a trend that is at odds with the simple expectations from the Hill-limit picture.

Both  $\text{USb}_2$  and  $\text{UBi}_2$  have strong two-dimensional electronic character. Single crystals of  $\text{USb}_2$  and  $\text{UBi}_2$  exhibit large anisotropies in the resistivity and thermopower depending on whether the measurement is along the  $a$  axis or the  $c$  axis [7]. These anisotropies manifest from the underlying electronic structure, which comprises cylindrical Fermi surface sheets [8]. De Haas-van Alphen measurements indicate electron masses as high as 6 and 9  $m_0$  (where  $m_0$  is the mass of a bare electron) for  $\text{USb}_2$  and  $\text{UBi}_2$ , respectively. These enhanced electron masses are consistent with specific heat measurements showing a Sommerfeld coefficient  $\gamma \approx 20 \text{ mJ/mol-K}^2$ , suggesting that the U 5f electrons display some itinerant character [9]. Furthermore, angle-resolved photoemission studies of  $\text{USb}_2$  reveal a kink in a narrow, dispersing band just below the Fermi level, and Mossbauer spectroscopy proposes a correlation between the hyperfine constant and the effective mass, both promoting the idea of U 5f-electron hybridization with the other conduction electrons [10,11].

Despite its larger lattice parameter and U-U separation, it appears that  $\text{USb}_2$  exhibits more hybridization and itineracy of the U 5f-electrons than do the lighter uranium dipnictides.

Though its 5f electrons show “dual character,” the dependence of  $T_N$  on U-U separation appears to generally extrapolate towards the more local system  $\text{UAs}_2$ . While  $T_N$  for  $\text{USb}_2$  is lower than that of  $\text{UAs}_2$ , high-pressure studies ( $< 0.3$  GPa) on  $\text{USb}_2$  show that its  $T_N$  moves upwards with pressure towards that of  $\text{UAs}_2$  [12]; however, this observation has not been tested to higher pressures.  $\text{USb}_2$  presents an opportunity to explore how hybridization affects the magnetic ordering temperature within the  $\text{UX}_2$  series. To that end, we have performed high-pressure electrical transport measurements to interrogate the magnetic ordering in  $\text{USb}_2$ . Surprisingly, we find that the AFM transition in  $\text{USb}_2$  cannot be enhanced to that of  $\text{UAs}_2$  due to the abrupt destruction of the AFM state in favor of a new, pressure-induced magnetic ground state.

## II. EXPERIMENTAL METHODS

Single crystals of  $\text{USb}_2$  were grown via self flux with excess Sb using a U:Sb ratio of 1:6. Depleted U (3N7, New Brunswick Laboratories) and Sb (4N, ESPI Metals) were combined in an alumina crucible, which was sealed in a quartz tube under a partial pressure of UHP Ar. The materials were heated to 1100 °C and held for 96 hours, then slow-cooled to 800 °C over 100 hours, after which the excess flux was spun off in a centrifuge. The crystals formed as platelets up to about 5 mm on a side. Powder and Laue x-ray diffraction were used to confirm the crystal structure [5,13] and single-crystal nature of the samples.

Electrical transport measurements under pressure were performed using a beryllium-copper designer diamond anvil cell (DAC) loaded with solid steatite as a pressure-transmitting medium. A standard diamond anvil (300- $\mu\text{m}$  culet) was paired with a 270- $\mu\text{m}$ -culet, 8-probe designer diamond anvil with tungsten contact pads lithographically deposited onto the exposed microprobes [14–16]. A nonmagnetic MP35N gasket was preindented to a thickness of 40  $\mu\text{m}$  and a 130- $\mu\text{m}$  hole was drilled in the center of the indentation by means of an electric discharge machine (EDM). A small, thin crystallite (approximately  $50 \times 50 \times 10 \mu\text{m}$ ) was placed on the culet of the designer diamond anvil in contact with the tungsten contact pads. Given the planar, tetragonal crystal structure of  $\text{USb}_2$ , the orientation of the sample was likely to be one in which the larger dimensions represented the basal plane, while the shorter dimension corresponded closer to the  $c$  axis.

Pressure was calibrated using the shift in the R1 fluorescence line of ruby [17,18]. Multiple rubies were loaded into the sample chamber, and these rubies were positioned near the sample, but special care was taken to prevent the rubies from bridging between the sample, diamond, or gasket. The sample pressure was calculated as the average of the pressures determined from each ruby, but the multiple rubies also permitted a measurement of the pressure gradients across the sample. The maximum pressure gradient (as a percentage) was 7% at 23.4 GPa, whereas the maximum pressure gradient (in absolute units of pressure) was 1.8 GPa at the highest pressure of 38.0 GPa (less than 5%). The average pressure gradient for all measurements was about 3%. Temperature- and field-dependent, electrical resistance measurements were performed in a commercial cryostat. An antisymmetrization

technique was employed to extract the transverse resistance in magnetic field [19].

## III. RESULTS AND DISCUSSION

### A. Zero-field electrical transport

The temperature-dependent electrical resistivity  $\rho$  of  $\text{USb}_2$  at selected pressures is shown in Fig. 1; as a comparison, the ambient-pressure data of Wawryk with current along the  $a$  axis are included in Fig. 1 [7]. At ambient pressure,  $\rho$  exhibits a weak temperature dependence with cooling below 300 K, followed by a dramatic reduction in  $\rho$  below  $T_N = 202$  K, which signifies the onset of AFM order. On the contrary, Wawryk has shown that the  $c$ -axis transport at ambient pressure exhibits an increasing  $\rho$  as a sample is cooled below  $T_N$ . At the lowest measured pressure of 3.7 GPa,  $\rho$  appears to echo the behavior observed at ambient pressure: a weak increase in  $\rho$  with decreasing temperature and an abrupt reduction in  $\rho$  at  $T_N$ . The temperature dependence is consistent with the expected orientation of the sample within the DAC chamber, which should produce behavior more in line with  $a$ -axis transport. The characteristic temperature dependence of  $\text{USb}_2$  persists up to 8.3 GPa, showing a continual increase in  $T_N$ . However, at 8.3 GPa, a second transition (denoted as  $T_0$ ) is visible at lower temperature, and this second transition becomes the only one observed for  $P \geq 9.8$  GPa. The weak temperature dependence of  $\rho(T)$  at high temperatures ( $T > T_0$  or  $T > T_N$ ) slowly evolves with pressure, ultimately yielding a slightly increasing  $\rho$  with increasing  $T$ .

Figure 2 displays the numerical derivative of  $\rho$  with respect to temperature. The reduction in  $\rho$  upon entering the AFM state generates a strong upturn in  $d\rho/dT$ , and  $T_N$  can be readily defined by this feature (see Appendix). With increasing pressure,  $T_N$  increases, and the second transition  $T_0$  can be easily identified at  $P = 8.3$  GPa. At 9.8 GPa, there is a slight upturn in  $d\rho/dT$  near 240 K. This feature is very small, but could indicate that a small fraction of the AFM state remains at these pressures, suggesting that there could be a relatively

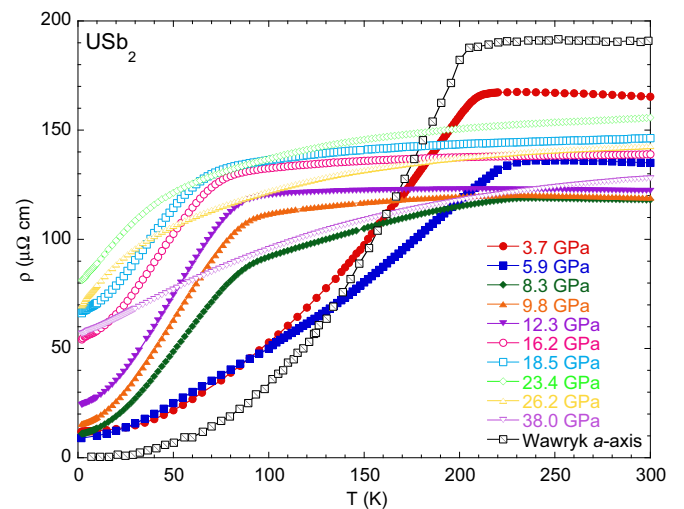


FIG. 1. Electrical resistivity  $\rho$  at zero field as a function of temperature  $T$  for selected pressures. The data of Wawryk for current along the  $a$  axis are from Ref. [7].

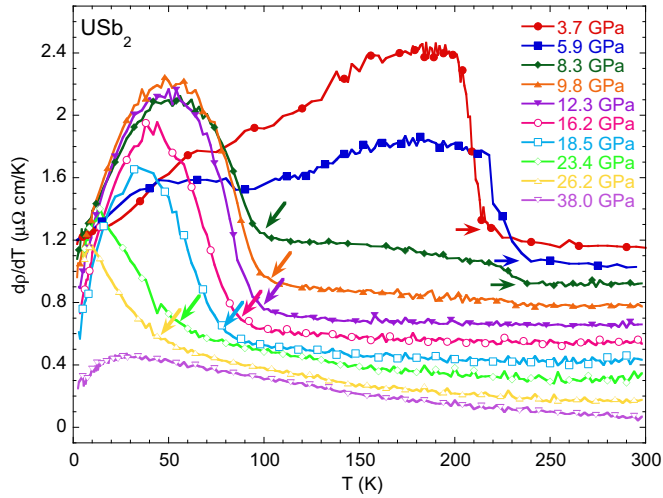


FIG. 2. The derivative of the electrical resistivity  $d\rho/dT$  at zero field as a function of  $T$  for selected pressures. Right-pointing arrows indicate  $T_N$ , while left-pointing (angled) arrows indicate the onset of a new, pressure-induced ordered state at  $T_0$ .

broad coexistence region for  $T_N$  and  $T_0$ . For pressures above 10 GPa, only  $T_0$  is observed in  $d\rho/dT$ , and  $T_0$  is suppressed with increasing pressure, becoming ill-defined at the highest measured pressures.

### B. The pressure-induced ordered state

Simply from the temperature dependence of  $\rho(T)$ , the nature of the pressure-induced ordered state is not clear, so we turn to magnetotransport measurements to glean insight into the ordered state above  $P = 9.8$  GPa and below  $T_0$ . Figure 3 shows  $\rho(T)$  at 13.8 GPa (where only the transition at  $T_0$  is evident) in various magnetic fields  $H$  up to 150 kOe. There is little change in the resistivity curves as a function of applied field. In fact, the main variation in  $T_0$  versus  $H$  is correlated to the direction of the temperature sweep (up

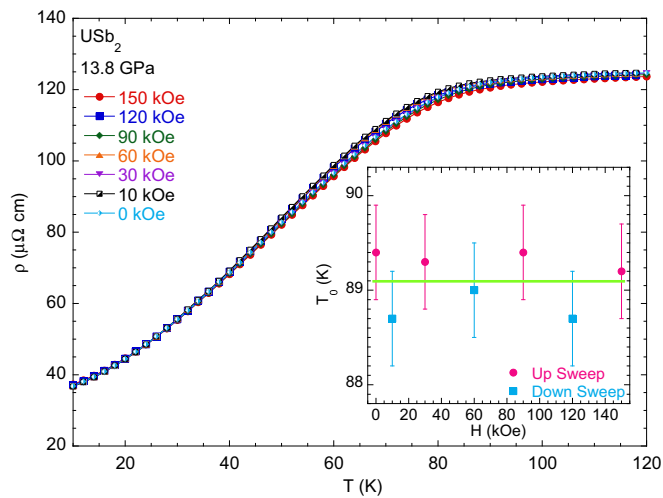


FIG. 3.  $\rho(T)$  at 13.8 GPa for various applied fields up to 15 T. The inset shows the value of  $T_0$  as a function of field, differentiating the up and down temperature sweep directions. Error bars are 0.5 K.

or down) between field set points. The robustness of  $T_0$  with field may at first suggest ferromagnetic order, but it is not uncommon to have uranium-based AFM systems that exhibit little field dependence up to 150 kOe [20,21].

The transverse resistance ( $R_{xy}$ ) of  $\text{USb}_2$  in magnetic field reveals distinct differences between the AFM state and the pressure-induced ordered state. Example measurements of  $R_{xy}$  at 3.7 and 12.3 GPa are shown in Fig. 4. In the AFM state (3.7 GPa),  $R_{xy}$  exhibits the linear behavior expected from the conventional Hall effect. Above  $T_N$ ,  $R_{xy}$  shows a positive slope, but  $R_{xy}$  exhibits a negative slope below  $T_N$ , implying a change in the electronic structure upon entering the AFM state. The onset of AFM order in  $\text{USb}_2$  has been shown to cause a Fermi surface reconstruction and enhanced “quasi-two-dimensionality” [9], which is entirely consistent with the sign change observed in the Hall channel of the magneto-transport. At ambient conditions,  $\text{USb}_2$  is best described as a compensated electron-hole system [9], so extracting a single carrier density from the linear dependence of  $R_{xy}$  seen in Fig. 4(a) would yield a poor description of the system. Assuming a sample thickness of 10  $\mu\text{m}$  permits a definition of  $R_H$ , the Hall coefficient, which varies with temperature from  $2 \times 10^{-3}$  to  $-7 \times 10^{-4}$   $\text{cm}^3/\text{C}$  at 3.7 GPa. At higher pressure [Fig. 4(b)],  $R_{xy}$  no longer exhibits the characteristic change in sign associated with the onset of AFM order, again highlighting the fact that pressure induces a new, distinct ordered state. Instead, below  $T_0$ ,  $R_{xy}$  deviates from linearity at higher fields, as emphasized by the solid data points at 10, 20, and 50 K plotted in Fig. 4(b).

Deviations from linearity in  $R_{xy}(H)$  occur in ferromagnetic (FM) systems and can be accounted for by including an anomalous Hall effect term in the expression for  $R_{xy}$ :

$$R_{xy} = R_H H + R_{AHE} = R_H H + R_S M \quad (1)$$

where  $R_H H$  represents the conventional Hall effect, and additional nonlinear field dependence is described by the anomalous Hall component  $R_{AHE}$ —which is itself a function

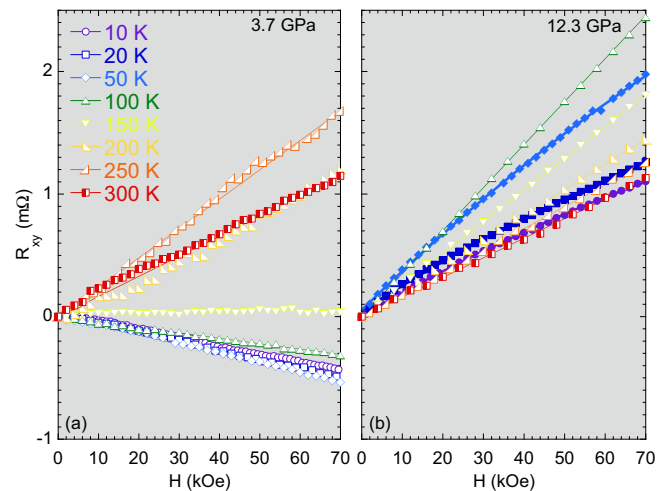


FIG. 4. Transverse resistance  $R_{xy}$  versus magnetic field  $H$  at fixed temperatures at (a) 3.7 GPa and (b) 12.3 GPa. Thin lines are linear fits to the data, whereas thick lines—10, 20, and 50 K (solid data points) in panel (b)—are interpolations highlighting the curvature in  $R_{xy}$ .

of  $R_S$ , a scattering coefficient, and  $M$ , the magnetization of the system [22]. The anomalous component of  $R_{xy}$  can be extracted by fitting the high-field region of  $R_{xy}$  with a line ( $R_H H$ ), and subtracting that linear fit from the data to yield  $R_{AHE} = R_{xy} - R_H H$  [23]. Example results of this procedure are shown in Fig. 5(a), which plots  $R_{AHE}$  versus magnetic field for various temperatures at 14.0 GPa. The resulting  $R_{AHE}$  strongly resembles the first quadrant of an archetypal hysteresis loop [ $M(H)$ ] for a FM material, showing a rise with increasing field followed by a saturation above approximately 30 kOe.

We define the saturation value of  $R_{AHE}$  as  $R_M$ , which we obtain by finding the average value of the data from 30–70 kOe; the error in  $R_M$  is defined as the standard deviation in the data from 30–70 kOe. This  $R_M$  should be related to the saturation magnetization  $M_s$  through the proportionality with  $R_S$  dictated from Eq. (1). As a scattering coefficient,  $R_S$  can be controlled by several magnetic scattering mechanisms, making quantitative extraction of  $M_s$  very challenging [22]. However, the temperature dependence of  $R_M$  can be examined as a proxy for  $M_s$ . Figure 5(b) shows  $R_M$  as a function of temperature along with the expectations for magnetization with mean-field and Ising-type order parameters (for comparison), as well as an order-parameter fit with the critical exponent  $\beta$  as a free parameter:

$$R_M = R_0(1 - T/T_C)^\beta \quad (2)$$

where  $R_0$  is simply the zero-temperature limit of  $R_M$  and  $T_C$  is the critical temperature. The rise in the measured  $R_M$  below  $T_0$  is sluggish compared to the two conventional behaviors for magnetization (i.e., mean-field and Ising), but whether this is a true reflection of the pressure-induced magnetic state or

an artifact of the unknown temperature dependence of the  $R_S$  component of the anomalous Hall effect is difficult to ascertain. The resulting best fit of the data yields  $\beta = 1.5 \pm 0.2$  and  $T_C = 89 \pm 3$  K; for comparison,  $T_0(14.0 \text{ GPa}) = 89.5$  K defined from  $d\rho/dT$  above. While the critical exponent from this fit may not tell the entire story of the ordered state, it appears that  $R_M$  behaves very much like a FM order parameter, implying that the pressure-induced ordered state in  $\text{USb}_2$  is FM in nature. At ambient pressure, a conclusion of a FM ground state might be substantiated by magnetization, neutron diffraction, or x-ray magnetic circular dichroism (XMCD). However, at these high pressures near 10 GPa, all of these measurements are challenging, suffering from high backgrounds and small signal. XMCD can be performed in the hard x-ray edge regimes that are amenable to measurements within a DAC at these pressures [24], but the resulting signal is not a direct measure of the magnetic moment, because the magneto-optical sum rules are not valid at these edges [25,26]. As such, these magnetotransport measurements present a picture of the emergent, high-pressure behavior of  $\text{USb}_2$  that is very difficult to obtain even with other experimental methods.

The pressure dependence of  $R_{AHE}$  can be used to track the evolution of the FM state with pressure. Figure 6(a) shows  $R_{AHE}$  at 10 K for pressures between 12.3 and 30.7 GPa. Like before,  $R_M$  can be defined, and Fig. 6(b) shows the evolution of  $R_M$  versus pressure. After the onset of FM order with pressure,  $R_M$  increases to a maximum near 16 GPa, followed by a monotonic decrease until its abrupt disappearance between 28.8 and 30.7 GPa. It is important to note that there is no anomalous Hall component to  $R_{xy}$  at 30.7 GPa.

### C. The electronic pressure-temperature phase diagram

A phase diagram from the electrical transport data is shown in Fig. 7, where the characteristic temperatures  $T_N$  and  $T_0$  are overlaid upon a contour plot showing the local power-law exponent  $n$  determined from the logarithmic derivative of

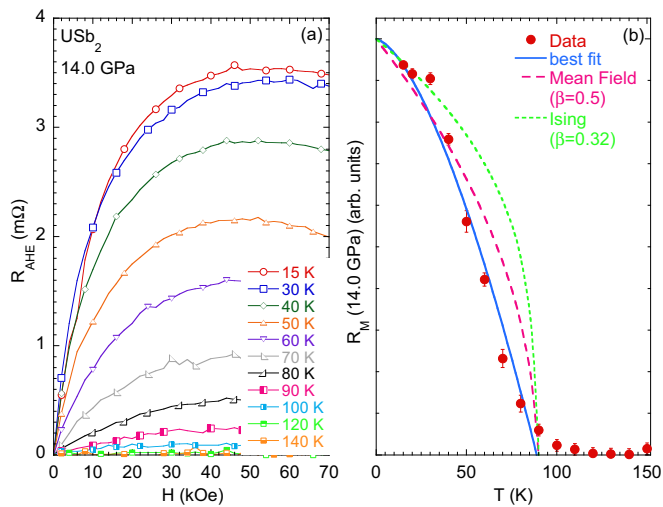


FIG. 5. (a) The anomalous Hall component of  $R_{xy}$  ( $R_{AHE}$ ) at 14.0 GPa versus magnetic field for various temperatures, showing the development of an anomalous Hall signature upon cooling below about 100 K. Lines interpolate between data points. (b)  $R_M(14.0 \text{ GPa})$ , the saturation value of  $R_{AHE}$  (see text), as a function of temperature. The solid line is a fit to an order-parameter formula:  $\beta = 1.5 \pm 0.2$ , whereas the pink and green dashed lines represent the expectations from mean-field and Ising order parameters, respectively. Error bars on the data points represent the standard deviation associated with the definition of  $R_M$  (see text).

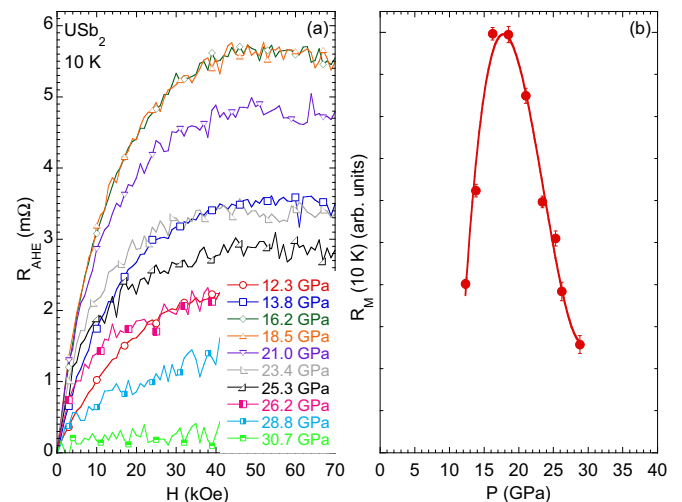


FIG. 6. (a)  $R_{AHE}$  versus  $H$  measured at 10 K for various pressures; lines interpolate between data points. (b) The evolution of  $R_M(10 \text{ K})$  versus pressure  $P$ . Error bars represent the standard deviation of  $R_M$  (see text).



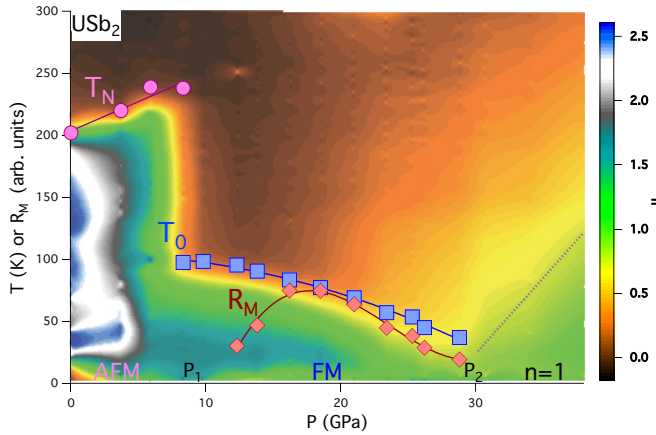


FIG. 7. The electronic phase diagram of  $\text{USb}_2$ .  $T_N$  and  $T_0$  are plotted as purple circles and blue squares, respectively, while  $R_M(10\text{ K})$  [arb. units from Fig. 6(b)] is included as red diamonds. Lines between data points are guides to the eye. The contour plot displays  $n$ , the local power-law exponent of  $\rho$ . The labels  $P_1$  and  $P_2$  mark the approximate locations for the destruction of the AFM state and the pressure-induced FM state, respectively. The high-pressure,  $T$ -linear scattering region is demarcated by the dotted, gray line.

$\rho(T)$ . The AFM ordering temperature  $T_N$  can be seen to increase rapidly with pressure at a rate of about 4.7 K/GPa, about 30% higher than earlier estimates from data limited to 0.3 GPa [12]. The value of  $T_N$  only reaches to about 240 K—about half way to that of  $\text{UAs}_2$ —before disappearing. The disappearance of  $T_N$  in favor of  $T_0$  is starkly evident at  $P_1 \approx 9$  GPa.  $T_0$  is monotonically suppressed with increasing pressure, and  $T_0$  is no longer evident for pressures above  $P_2 \approx 30$  GPa. In addition to a lack of evidence for  $T_0$  in  $\rho(T)$ , there is a *conspicuous absence* of an anomalous Hall component of  $R_{xy}$  for pressures above  $P_2$ . This means that the ferromagnetism is abruptly destroyed, falling within a 2-GPa window from a nonzero  $R_M$  with  $T_0 = 35$  K at 28.8 GPa to a completely nonmagnetic ground state above  $P_2$ . This abrupt, first-order-like destruction of long-range order is a common feature of ferromagnets driven towards a quantum phase transition [27–29]. In addition to  $T_N$  and  $T_0$ , the phase diagram of Fig. 7 contains the 10-K value of  $R_M$  from Fig. 6 b (plotted in arbitrary units along the vertical axis) to compare the pressure dependence of  $R_M$  with that of  $T_0$ . For  $P > 16$  GPa, the pressure dependencies of  $R_M$  and  $T_0$  track reasonably well, but for  $12 < P < 16$  GPa,  $R_M$  rises while  $T_0$  decreases. This opposing pressure dependence just above  $P_1$  could be due to inhomogeneities in the FM state associated with the transition away from AFM order.

For pressures below  $P_1$  and at high temperatures,  $n$  is small owing to the weak temperature dependence characteristic of heavy fermion materials [30]. This weak temperature dependence at high temperatures (above the ordering transitions) evolves slightly with pressure, but, even at the highest pressures,  $n$  remains sub-linear near room temperature. Below  $T_N$ ,  $n = 2.5$  at ambient pressure [7], but  $n$  is driven to lower values with increasing pressure. For  $P > P_1$ , in the FM state,  $\rho$  varies nearly as  $T^{3/2}$  for temperatures up to about  $0.7^*T_0$ , and this behavior persists up to about 20 GPa. Between 20 GPa

and  $P_2$ ,  $\rho$  shows a nearly linear temperature dependence below  $T_0$ . Above  $P_2$ , there is an expanding region where  $n = 1$  that emanates from  $P_2$  and extends in excess of 100 K at 38 GPa, behavior that is often classified as non-Fermi liquid (NFL) behavior and often associated with quantum criticality [31–33]. Near the destruction of the FM phase, the measured residual resistivity is large, accounting for the majority of the total resistivity observed at the high-temperature boundary of the  $T$ -linear scattering region. The high residual resistivity may indicate phase inhomogeneity, which can make interpretation of the temperature dependence challenging. Neither superconductivity nor normal-state Fermi-liquid behavior are observed above 2 K in  $\text{USb}_2$ .

Several U-based ferromagnets (e.g.,  $\text{UGe}_2$ ,  $\text{URhAl}$ ,  $\text{UCoAl}$ , etc.) show pressure-driven features similar to that of the FM portion of the  $\text{USb}_2$  phase diagram: namely the abrupt destruction of the FM state and the development of NFL behavior [29]. These U-based systems have, thus far, been tuned by moderate pressures, typically below 5 GPa. Often in concert with the disappearance of ferromagnetism in these systems is the development of “tri-critical wings” in a pressure-temperature-field ( $P$ - $T$ - $H$ ) phase diagram [27–29,34]. The observation of NFL behavior is typically confined to a small region of phase space within these wings. Measurements potentially providing evidence for tri-critical wings near  $P_2$  in  $\text{USb}_2$  were not performed. However, the NFL-like behavior of  $\text{USb}_2$  spans a very large range in temperature that exceeds even the ordering temperature below  $P_2$ , suggesting that the criticality and NFL-like behavior that arise above  $P_2$  in  $\text{USb}_2$  may be different from other U-based ferromagnets. Indeed, the size of the  $T$ -linear scattering region in  $\text{USb}_2$  is more reminiscent of the cuprate materials than typical heavy fermion systems. However, the  $T$ -linear scattering in the cuprates is associated with AFM fluctuations [35–38], whereas the NFL-like behavior of  $\text{USb}_2$  arises near a FM phase boundary, a conundrum that may suggest that AFM fluctuations reside within the FM state of  $\text{USb}_2$ . Another scenario proposed for quantum critical ferromagnets is the development of other intermediate phases near the destruction of ferromagnetism [39]. Such a scenario in  $\text{USb}_2$  at high pressure could give rise to additional magnetic fluctuations that drive the observed  $T$ -linear scattering.

#### IV. CONCLUSIONS

High pressure has a strong effect on the magnetism of  $\text{USb}_2$ , enhancing  $T_N$  at a rate of 4.7 GPa/K and yielding a  $T_N = 240$  K at 8.3 GPa, about halfway to the highest values in the  $\text{UX}_2$  series of 273 K in  $\text{UAs}_2$ . However, for  $P > P_1$  the antiferromagnetism of  $\text{USb}_2$  is destroyed, and a new magnetic ground state emerges with a  $T_0 = 98$  K. This high-pressure magnetic ground state is ferromagnetic, as determined from the presence of an anomalous Hall component in the transverse resistance in magnetic field. The magnitude of this anomalous Hall component ( $R_M$ ) appears to be a good proxy for the magnetization of the material, and  $R_M$  increases to a maximum near 16 GPa, where  $T_0 = 84$  K. For pressures in excess of 16 GPa, both the FM transition temperature and  $R_M$  are suppressed, and, near  $P_2 \approx 30$  GPa, both discontinuously disappear in a manner similar to other FM quantum critical

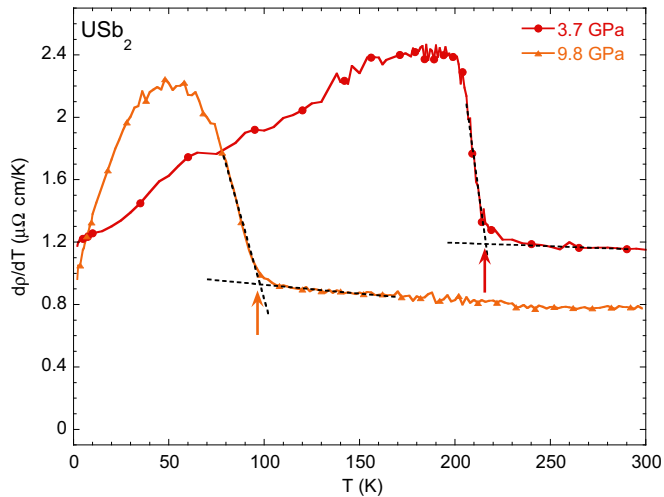


FIG. 8.  $T_N$  and  $T_0$  were defined from a “knee temperature” construction. Extrapolations of the temperature dependence above and below the transitions are shown as dotted lines. The intersection of these extrapolated lines are denoted by the upward pointing arrows.

systems. At these high pressures where ferromagnetism has been suppressed, the electrical resistivity exhibits a region of NFL-like,  $T$ -linear scattering that emanates from  $P_2$ , perhaps suggesting a broad region where quantum critical fluctuations dominate the material. The mechanism driving this  $T$ -linear behavior is currently unknown, and it does not appear to

be completely analogous to other cuprate or heavy fermion systems, perhaps suggesting a novel origin.

#### ACKNOWLEDGMENTS

We thank G. Lander, P. Söderlind, and J. Paglione for valuable comments and discussion. We are very grateful to S. K. McCall and J. R. I. Lee for their assistance with maintaining/operating the cryostat. This work was supported by LDRD (Tracking Code 14-ERD-041) at Lawrence Livermore National Laboratory. Lawrence Livermore National Laboratory is operated by Lawrence Livermore National Security, LLC, for the US Department of Energy, National Nuclear Security Administration under Contract DE-AC52-07NA27344. Y.K.V. acknowledges support from DOE-NNSA Grant No. DE-NA0002014.

#### APPENDIX:

##### CHARACTERISTIC TEMPERATURES FROM $dp/dT$

The characteristic temperatures  $T_N$  and  $T_0$  for the ordered phases observed from electrical transport were defined from the following “knee temperature” construction: Data above and below the transition observed in  $dp/dT$  were linearly extrapolated, and the intersection of those extrapolations was used to define  $T_N$  or  $T_0$ . Examples of this procedure for 3.7 and 9.8 GPa are shown in Fig. 8.

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