Erratum: Cold versus hot shear banding in bulk metallic glass [Phys. Rev. B 80, 134115 (2009)]

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In Eq. (6) of our paper, the " \times " sign was mistakenly added in production when the equation was reformatted into two lines. $x'(t-\tau)$ refers to the vertical speed of the sliding shear band as a function of time, not the product of x' and $(t-\tau)$. To clarify, Eq. (6) should read:

$$\left[\left[\sigma_y - \frac{Ex(t)}{L(1+S)} \right] - \left[\sigma_f - \frac{AE^2 \varepsilon_y \sin \theta}{2\rho c_p T_g \sqrt{\pi\alpha}} \int_0^t x'(t-\tau) \frac{d\tau}{\sqrt{\tau}} \right] \right\} \frac{\pi d^2}{4} = M x''(t)$$
(6)

where x(t) is the vertical displacement as a function of time t, $x'(t-\tau)$ is the vertical speed at the time $t-\tau$, and x''(t) is the vertical acceleration as a function of t. σ_y is the yield stress and σ_f is the flow stress; both are fixed values at room temperature (T_R) . The elastic unloading corresponds to the term following σ_y . The drop of flow stress due to temperature rise corresponds to the term following σ_f , such that

$$\sigma_{f}(T) = \sigma_{f}[T_{R} + \Delta T(t)] = \sigma_{f} - \frac{AE^{2}\varepsilon_{y}\sin\theta}{2\rho c_{p}T_{g}\sqrt{\pi\alpha}} \int_{0}^{t} x'(t-\tau)\frac{d\tau}{\sqrt{\tau}}$$

Eq. (6) is an integro-differential equation of the unknown function x(t), with boundary conditions x(0)=0 and x'(0)=0. It is solved numerically to obtain x(t), x'(t), x''(t), as well as the temperature rise $\Delta T(t)$.