

Symmetry and asymmetry during magnetization reversal in exchange biased multilayers and bilayers

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We have studied the magnetization reversal process in continuous: $[\text{Co}/\text{CoO}]_{20}$ and separated: $[\text{Co}/\text{CoO}/\text{Au}]_{20}$ exchange-biased polycrystalline multilayers (MLs). For continuous ML, reversal proceeds sequentially starting with the bottom (top) Co layer for increasing (decreasing) field. Each Co layer remagnetizes symmetrically for both field branches in a nonuniform mode similarly as we have observed earlier for $[\text{IrMn}/\text{CoFe}]_{3/10}$ MLs [Phys. Rev. B. **70**, 224410 (2004)]. By polarized neutron reflectivity, we observe increasing exchange bias field strengths down the stack. However, usual asymmetric reversal is observed for the separated ML. We explain the different magnetization behavior within a simple and general model. The increased anisotropy energy for continuous ML is responsible for the nonuniform symmetric reversal as the angular dependencies for reversal are guided by the relative strengths of exchange, anisotropy, and Zeeman energies.

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Direct exchange coupling between the ferromagnet (FM) and antiferromagnet (AF) layers give rise to a unidirectional magnetic anisotropy called exchange bias H_{EB} (Ref. 1) when a ferromagnet in contact with an antiferromagnet is cooled below the blocking temperature of the AF in an external field H_{FC} .

Asymmetric hysteresis loops due to a different magnetization reversal process in different branches of the hysteresis loop are common²⁻⁶ in exchange biased systems. Neutron scattering under grazing incidence with polarization analysis has been proven decisive for identification of the reversal mechanism. Two mechanisms can be distinguished: uniform magnetization reversal by magnetization rotation³⁻⁶ and nonuniform magnetization reversal by domain nucleation and growth. Magnetization rotation is identified by a significant increase of the specular reflectivities in the spin-flip (SF) channels (R_{+-} and R_{-+}), which correspond to in-plane magnetization components perpendicular to the guiding field H_a applied collinear to H_{FC} . Reversal by domain nucleation and propagation (nonuniform magnetization reversal) does not provide enhanced SF intensities because the magnetization is always collinear to H_a . Reversal mechanisms are observed for the Co/CoO bilayer systems,^{5,6} where the domain wall motion occurs for the decreasing (positive to negative) and magnetization rotation for the increasing (negative to positive) field sweeping direction of H_a for the hysteresis loop with respect to negative direction of H_{FC} . This behavior is just opposite to that reported in Ref. 4. Theoretically the interpretation of the magnetization reversal was discussed in Ref. 7 where it was shown that depending on θ , the angle between H_{FC} and the AF anisotropy axis, the reversal mode is either by coherent rotation for both loop branches or asymmetric with a nonuniform reversal for the decreasing branch.

Very recently, Paul *et al.*⁸ have shown symmetric and sequential reversal for polycrystalline $[\text{Ir}_{20}\text{Mn}_{80}(6.0\text{ nm})/\text{Co}_{80}\text{Fe}_{20}(3.0\text{ nm})]_{10}$ multilayers. Here sequential refers to a process, where different layers reverse their magnetization at different field strengths one after an-

other. This reversal mode—symmetric, and nonuniform—corresponds to the situation $\theta=0$, considered unlikely to occur in experiments.⁷ Interestingly, however, the samples were multilayers (MLs) unlike the bilayer specimens investigated experimentally⁴⁻⁶ as well as theoretically.⁷ A ML differs from a bilayer in the sense that the FM interfaces are pinned by the AF layer on both sides (AF-FM-AF), whereas a bilayer (FM-AF) has only one such interface.

In the present Brief Report, we investigate the layer-by-layer evolution of the magnetization configuration of polycrystalline CoO/Co multilayers (MLs) along a full magnetization loop by specular and off-specular polarized neutron reflectometry (PNR). The field cooling axis and the reflectometer axis were the same, thus ensuring the $\theta=0$ situation for all samples. We use two sets of MLs, one is a *continuous* repetition of CoO-Co interfaces $[\text{CoO}(7.0\text{ nm})/\text{Co}(11.0\text{ nm})]_{20}/\text{Au}(50.0\text{ nm})$ labeled as ML-C and another with *separate* interfaces $[\text{CoO}(8.0\text{ nm})/\text{Co}(15.0\text{ nm})/\text{Au}(46.0\text{ nm})]_{20}$, separated by Au at each bilayer interface and labeled as ML-S. Similar *separate* MLs have been also investigated earlier.^{5,6} Here, we particularly study the ML-C and compare it with the ML-S. We find a *sequential switching* of the layers that we relate to the microstructural evolution along the stack for the ML-C. The reversal proceeds for both loop branches in a nonuniform mode for the *continuous* case whereas for the *separate* case, we observe the nonuniform and uniform mode of reversal depending upon the branch of the field cycle.

The exchange-biased systems are structures of CoO/Co prepared on oxidized Si substrates in a dc magnetron sputtering system with a base pressure of 1×10^{-7} mbar. The deposition starts by growing a Co layer, which is subsequently oxidized *in situ* to obtain the antiferromagnetic CoO layer.⁹ We verified all layer thicknesses by fitting specular x-ray reflectivity spectra using Parratt's formalism.¹⁰ Magnetization loops are measured by means of a superconducting quantum interference device (SQUID) at 10 K after field cooling in an external field of ± 5 kOe from room tempera-

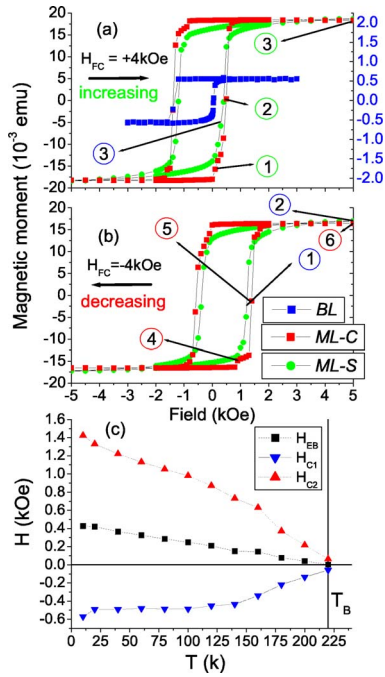


FIG. 1. (Color online) SQUID hysteresis loops at 10 K for the *continuous*: ML-C (red) and *separate*: ML-S (green) MLs when field cooled at (a) +4.0 kOe and (b) -4.0 kOe. The bilayer sample: BL-S (blue) in (a) is also shown for comparison. The y axis for the BL-S is labeled in blue. (c) Temperature dependence of the coercivities H_{C1} (negative branch), H_{C2} (positive branch), and the loop shift H_{EB} for the ML-C when $H_{FC} = -4.0$ kOe. The numbers in circles are the field values for which we show the PNR spectra.

ture to 10 K, i.e., well below the blocking temperature $T_B \approx 220$ K of CoO.

We performed the PNR measurements at the polarized reflectometer HADAS (Ref. 11) with polarization analysis at the Jülich research reactor FRJ-2 (DIDO). The instrumental conditions were the same as discussed earlier in Ref. 8. We

use a continuous flow He-cryostat equipped with a temperature controller for cooling the specimens down to 10 K.

Figures 1(a) and 1(b) show SQUID magnetization loops for the specimens cooled down at $H_{FC} = +4.0$ kOe and -4.0 kOe, respectively, for both the ML-C and ML-S. We also show the loop for a bilayer (BL-S) of composition $[\text{Co}(11.0 \text{ nm})/\text{CoO}(7.0 \text{ nm})]_1$ for comparison. The bilayer shows an usual asymmetric hysteresis loop: a sharp jump of magnetization for the decreasing (nonuniform reversal) and gradual variation (uniform reversal) for the increasing branch. By applying $\pm H_{FC}$, we make the samples undergo the magnetization reversal for increasing/decreasing field branches of the hysteresis loop by applying only positive fields. This is to avoid any depolarization of the beam during neutron measurements. From the respective coercive fields H_{C1} (for negative branch) and H_{C2} (for positive branch), we find a large increase (~ 500 Oe) in H_{C2} in MLs compared to the BL-S sample. Training effects are seen for both sets of specimens up to the second field cycle. We always use virgin samples for the neutron measurements and then also measure along the second cycle, thereby investigating the reversal process with and without training effects. The T_B is determined for our samples at 220 K as shown in Fig. 1(c). To avoid any training effects we heat up the sample above the Néel temperature of CoO (293 K) each time before measuring at a particular temperature. The H_{EB} at 10 K for the ML-S is 414 Oe (ML-S)—lower than that of BL-S where it is 650 Oe. The H_{EB} for the ML-C shows a variation with increasing number of bilayers. The atomic force microscopy (not shown) of the top Au layer (for ML-C and ML-S) reveals a grain size of ≈ 200 nm compared to 50 nm for BL-S. Smaller grains are responsible for a larger number of uncompensated spins and thereby increased H_{EB} values. Thus the presence of the separating 50.0 nm thick Au layer on top of the first bilayer for the ML-S sample is thought to have increased its grain sizes.

All four polarization channels of the specular reflectivity are measured at 15 different external fields H_a , six of which

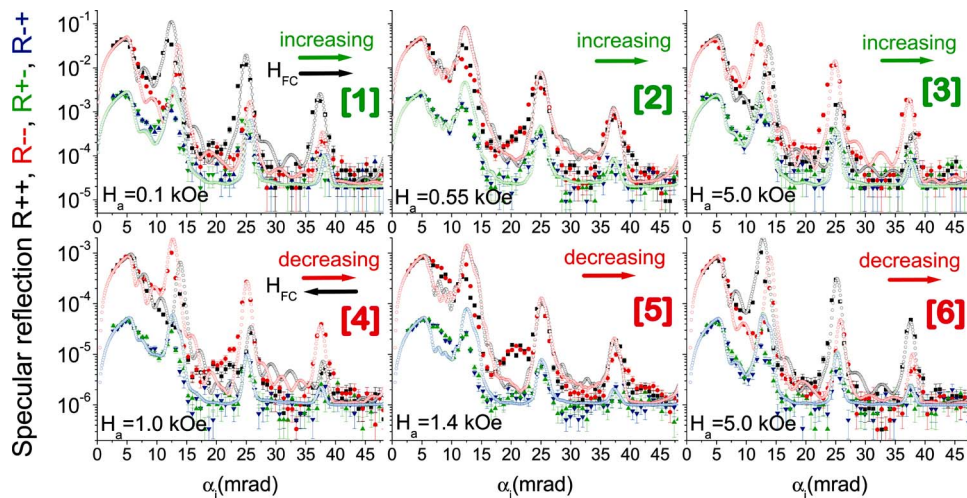


FIG. 2. (Color online) Measured (closed symbols) and fitted (open circle) NSF (R_{++} and R_{--}) and SF (R_{+-} and R_{-+}) reflectivity patterns of *continuous*: $\text{SiO}_2/[\text{Co}(11.0 \text{ nm})/\text{CoO}(7.0 \text{ nm})]_{\times 20}/\text{Au}(50.0 \text{ nm})$ ML at different applied fields H_a along increasing/decreasing branches of the hysteresis loops, where $H_{FC} = +4.0/-4.0$ kOe, respectively. The numbers correspond to the points of the hysteresis loop labeled in Fig. 1.

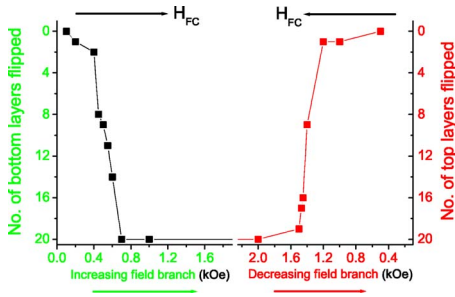


FIG. 3. (Color online) Switching sequence of the ML-C as obtained from the fits.

are shown in Fig. 2 (circled numbers in Fig. 1) together with least-squares fits based on an extension of the Parrott formalism¹⁰ to magnetic MLs.¹² The three peaks of the ML-C in the NSF channels (R_{++} and R_{--}) are the first, second, and third order Bragg reflections of the ML. The corresponding weak peaks in the SF channels (R_{+-} and R_{-+}) can be reproduced in the fits by taking into account the polarization inefficiencies of our setup (therefore the intensities are not due to SF processes). R_{++} and R_{--} are almost equal at $H_a=550$ Oe [②] on the increasing and at $H_a=1400$ Oe [⑤] on the decreasing branch and signify that the reversal for both loop branches proceeds via a state with an almost vanishing magnetization component collinear to H_a . We think that some enhanced scattering intensities at the reversal points are most likely due to small fluctuation of the magnetization about their mean direction along the field as they have been seen to almost disappear in the trained state.¹³ For all other fields R_{++} or R_{--} dominates and reflects a net magnetization collinear with H_a , while the SF intensities are always much weaker. The presence of off-specular intensity (not shown) for the NSF channels in the Bragg sheets at higher fields [③] is related to the vertical correlation of the interface roughness in the ML. We do not observe any grain size induced small length scale magnetic fluctuations as has been observed for IrMn/CoFe MLs.⁸

We fit the specular intensities as described earlier in Ref. 8 by only considering deviations from the purely collinear, single domain configurations (i.e., $\theta_i=0$ or 180°). Co layers $i=1, \dots, 20$ are described by the mean magnetization amplitude $\langle M_i \rangle$ and the mean angular deviation from the collinear alignment $\langle \Delta \theta_i \rangle$. The fitted $\langle M_i \rangle$ does not show significant variations. The results are shown in Fig. 3 for ML-C: de-

creasing H_a switches the Co layers sequentially from the top to the bottom, and in increasing H_a the reversal proceeds in the opposite direction. This sequential switching of the layers is similar but opposite to that reported in Ref. 8. We explain this by a different structural evolution from bottom to top within the ML. This also indicates that the Co layers are magnetically uncoupled in the stack. In contrast to Ref. 8 we do not directly observe the variation of grain sizes with increasing layers for the present case, as our samples are capped with a Au layer. However, we observe bigger grains from the top Au layer than that of the bilayer. Sequential reversal of the layers indicates a decreasing strength of the exchange coupling with number of layers. This symmetric magnetization reversal process, without coherent rotation, remains the same even for the second field cycle, i.e., in the trained state.¹³

For the ML-S, reflectivity curves along with their fits are shown in Fig. 4. R_{++} and R_{--} are mostly similar at $H_a=1100$ Oe [①] on the decreasing and at $H_a=200$ Oe [③] on the increasing branch signifying magnetization reversal. We also show the saturation state at $H_a=5.0$ kOe [②]. We find that a reduced Co magnetization in the decreasing branch and the SF signal is significant only for the increasing field branch. This observation can be ascribed to asymmetric reversal by *simultaneous* coherent rotation⁵ for the increasing branch only. Improvement in the fits are achieved considering an intermixed layer only at the Co on Au interface. This asymmetric reversal is as expected following the asymmetric hysteresis loop observed in the case of a bilayer [Fig. 1(a)] for the respective field branches. Thus the *separate* ML case can be seen as only a scaling of the number of AF-FM interfaces from a bilayer, as no sequential switching is observed.

We explain the above observations assuming a simple model where the relevant energy terms can be written as

$$E = -H_a M_{FM} \cos(\delta - \theta) - J M_{FM} M_{AF} \cos \delta + k \sin^2 \delta, \quad (1)$$

where J is the interlayer exchange between FM and AF layers. Here, δ is the angle between the M_{FM} and the easy axis. M_{FM} and M_{AF} (uncompensated spins) are the saturation magnetization of the FM and AF layer and k is the uniaxial anisotropy of the FM. Here we consider M_{AF} along the easy axis which is assumed to be parallel to the H_{FC} direction and M_{AF} do not rotate with H_a direction.¹⁴ For a finite θ , the strength of the anisotropy field H_A (dependent on the projec-

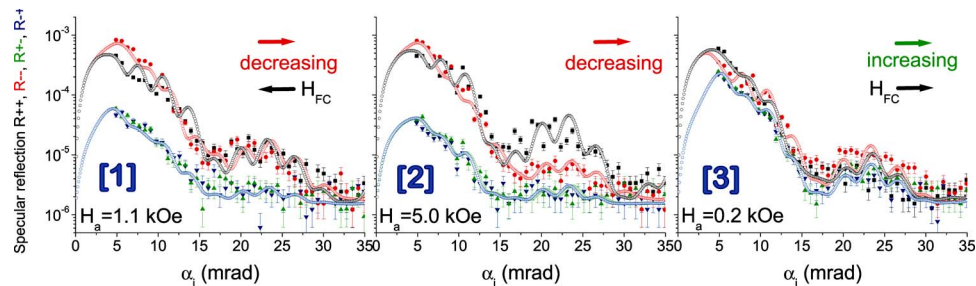


FIG. 4. (Color online) Measured (closed symbols) and fitted (open circle) NSF (R_{++} and R_{--}) and SF (R_{+-} and R_{-+}) reflectivity patterns of *separate*: $\text{SiO}_2/[\text{Co}(15.0 \text{ nm})/\text{CoO}(8.0 \text{ nm})/\text{Au}(46.0 \text{ nm})]_{\times 20}$ ML for increasing/decreasing applied fields H_a where $H_{FC} = +4.0/-4.0$ kOe, respectively.

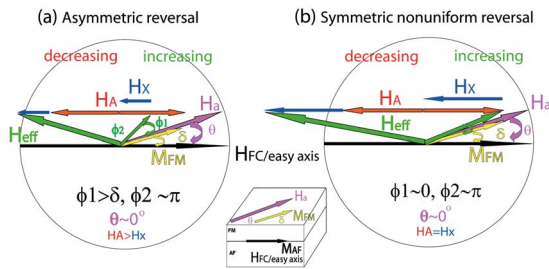


FIG. 5. (Color online) Sketch showing H_{eff} (green) for $\theta \approx 0^\circ$ when (a) H_A (red) $\gg H_X$ (blue) and (b) $H_X \gg H_A$. The M_{FM} (yellow) and H_a (violet) are making an angle δ and θ , respectively, with the easy axis which is the H_{FC} direction. The components of the fields \perp to H_{FC} has been exaggerated.

tion of the FM magnetization onto the easy axis) and that of the exchange field of the AF: $H_X (=JM_{AF})$ decide on the angle between the effective field $H_{eff}(=H_A+H_a+H_X)$ and the M_{FM} direction (ϕ_1) at equilibrium. As the sign of FM magnetization reverses so does the anisotropy field and the corresponding angle ϕ_2 can be very close to 180° . Larger angle means larger torque, which favors rotation of the magnetization, whereas a small angle favors flipping by domain wall motion.

A sketch showing the angle which H_{eff} makes with the M_{FM} for representative strengths of the anisotropy and exchange field is presented in Fig. 5. When $H_A > H_X$ [Fig. 5(a)] a large angle ϕ_1 is made for the increasing branch favoring rotation as $\phi_1 > \delta$ while for the decreasing branch the angle ϕ_2 can be as low as $\approx 180^\circ$. Our ML-S sample is in agreement with the above and shows asymmetric reversal. For such low values of θ , one thus expects an asymmetric reversal in the case of a bilayer.

This is, however, not the case for the continuous ML (ML-C). From the fits to the neutron reflectivity patterns at various field strengths along the hysteresis loop, the sequen-

tial layer-by-layer flipping revealed that each AF-FM interface down the stack are exchange coupled with increasing H_X values. The effective angles $\phi_{1,2}$ therefore always remain very small, even though the H_A values can be considered similar for ML-S and ML-C. Thus for $H_X \gg H_A$ [Fig. 5(b)] the angles $\phi_{1,2}$ for the increasing ($\approx 0^\circ$) as well as for the decreasing ($\approx 180^\circ$) field branches result in symmetric magnetization reversal which is only by flipping of the magnetization in absence of enough torque on the system. We believe, therefore, that the relative strengths of the H_X and H_A and thereby the effective field H_{eff} and the angle it makes with the FM magnetization is responsible for the observed symmetric and asymmetric reversal in exchange bias systems.¹⁵ Our recent detailed study on the reversal for various θ has been seen to demonstrate the reversal process¹⁶ based upon the above arguments. The present observation is also in agreement with our previous observation on the IrMn/CoFe system⁸ with similar continuous AF-FM interfaces, thus we suggest that such symmetric reversal via domain structure formation is a general phenomena for such cases of continuous MLs.

In conclusion, we have studied the remagnetization behavior of the AF-FM interface in CoO-Co exchange-biased MLs for a *continuous* ML and compare it with that of a *separated* ML. For the ML-C the reversal of each FM layer proceeds sequentially and symmetrically via a nonuniform mode for both remagnetization directions, whereas the ML-S show usual asymmetric reversal. The behavior is understood in terms of increased exchange field strengths from successive interfaces down the stack in the case of a continuous multilayer compared to that of a separated multilayer or a bilayer with similar AF-FM interfaces. In accordance with the theoretical arguments,⁷ our experimental investigation shows in general the different reversal mechanisms for field applied along the field cooling direction and its dependence on the relative strengths of the Zeeman, exchange, and anisotropy energies in the system.

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