

# Geometric, electronic, and magnetic structure of $\text{Co}_2\text{FeSi}$ : Curie temperature and magnetic moment measurements and calculations

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In this work a simple concept was used for a systematic search for materials with high spin polarization. It is based on two semiempirical models. First, the Slater-Pauling rule was used for estimation of the magnetic moment. This model is well supported by electronic structure calculations. The second model was found particularly for  $\text{Co}_2$  based Heusler compounds when comparing their magnetic properties. It turned out that these compounds exhibit seemingly a linear dependence of the Curie temperature as function of the magnetic moment. Stimulated by these models,  $\text{Co}_2\text{FeSi}$  was revisited. The compound was investigated in detail concerning its geometrical and magnetic structure by means of x-ray diffraction, x-ray absorption, and Mössbauer spectroscopies as well as high and low temperature magnetometry. The measurements revealed that it is, currently, the material with the highest magnetic moment ( $6\mu_B$ ) and Curie temperature (1100 K) in the classes of Heusler compounds as well as half-metallic ferromagnets. The experimental findings are supported by detailed electronic structure calculations.

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## I. INTRODUCTION

Materials that exhibit half-metallic ferromagnetism are seen to be potential candidates for the field of application being called spintronics,<sup>1,2</sup> that is electronics making use of the electron spin instead of its charge. The concept of half-metallic ferromagnetism was first presented by de Groot,<sup>3</sup> predicting it to appear in half Heusler compounds. The model suggests that the density of states exhibits, around the Fermi energy ( $\epsilon_F$ ), a gap for minority electrons. Thus, these materials are supposed to be 100% spin polarized at  $\epsilon_F$ . Most of the predicted half-metallic ferromagnets (HMF) belong to the Heusler<sup>4</sup> compounds. In general, these are ternary  $X_2YZ$ -compounds crystallizing in the  $L2_1$  structure.  $X$  and  $Y$  are usually transition metals and  $Z$  is a main group element.

Beside Heusler compounds, there are only few other materials being predicted to be HMFs, like some oxides. Most of the predicted compounds with zinc-blende structure are chemically uncharacterizable, at least up to now. Therefore, our research concentrates on Heusler compounds.

High Curie temperatures, magnetic moments, and large minority gaps are desirable for applications. For room temperature devices, in particular, one needs to prevent a reduction of the spin polarization and other magnetic properties by thermal effects. In this context it should be noted that the  $\text{Co}_2$  based Heusler compounds exhibit the highest Curie temperature [985 K,  $\text{Co}_2\text{MnSi}$  (Ref. 5)] and the highest magnetic moment [ $5.54\mu_B$  per unit cell,  $\text{Co}_2\text{FeGe}$  (Ref. 5)] being reported up to now. The HMF character of  $\text{Co}_2\text{MnZ}$  compounds was first reported by Ishida *et al.*<sup>6</sup> Recently,  $\text{Co}_2\text{MnSi}$  (Ref. 7) and  $\text{Co}_2\text{MnGe}$  (Ref. 8) were used to build

first thin film devices. The present work reports about  $\text{Co}_2\text{FeSi}$ . It will be shown that this compound may be one of the most promising candidates for spintronic applications.

## II. THEORETICAL MODELS

There exist several rules counting the number of valence electrons that are used to predict the magnetic moments in Heusler and other magnetic compounds from the number of valence electrons. These rules are based on particular numbers of valence electrons starting with the semiconducting compounds where one has 18 valence electrons in half Heusler compounds,<sup>9</sup> or 24 in full Heusler compounds. Rules that are not general but depend on the composition of the sample are, somehow, not satisfactory. Therefore, it may be helpful to start more basically. Pauling<sup>10</sup> pointed already on the Heusler alloys in his basic work on the dependence of the magnetic moments in alloys on the number of valence electrons per atom.

Slater<sup>11</sup> and Pauling<sup>10</sup> found that the magnetic moments ( $m$ ) of  $3d$  elements and their binary alloys can be described by the mean number of valence electrons per atom ( $n_V$ ). The rule distinguishes the dependence of  $m(n_V)$  into two regions (see Fig. 1). In the second part ( $n_V \geq 8$ ), one has closed packed structures (fcc, hcp) and  $m$  decreases with increasing  $n_V$ . This is called the region of itinerant magnetism. According to Hund's rule, it is often favorable that the majority  $d$  states are fully occupied ( $n_{d\uparrow} = 5$ ). The magnetic valence is defined by  $n_M = 2n_{d\uparrow} - n_V$ , such that the magnetic moment per atom is given by  $m = n_M + 2n_{sp\uparrow}$ . A plot of  $m$  versus magnetic

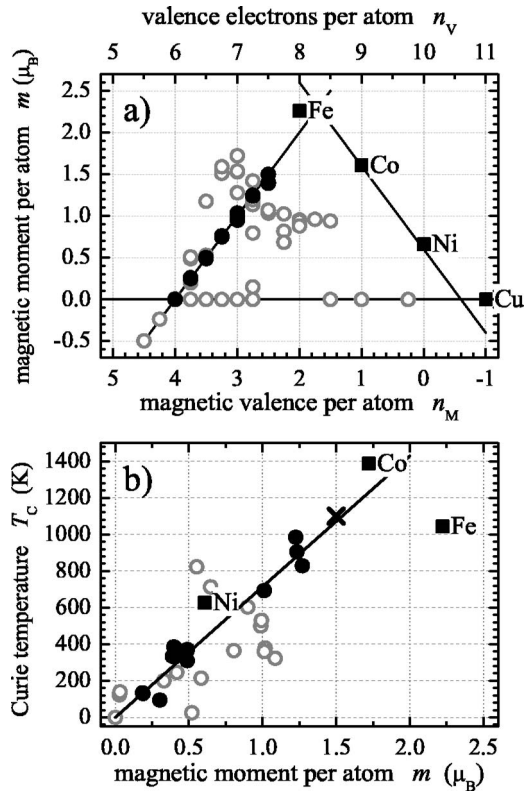


FIG. 1. Magnetic moments (a) and Curie temperature (b) of Heusler compounds. The heavy  $3d$  transition metals are given for comparison. Full dots assign  $\text{Co}_2$  based and open circles assign other Heusler compounds. The lines in (a) assign the Slater-Pauling curve. The line in (b) is found from a linear fit for  $\text{Co}_2$  based compounds. The cross in (b) assigns  $\text{Co}_2\text{FeSi}$  as measured in this work.

valence  $[m(n_M)]$  is called the generalized Slater-Pauling curve (see Refs. 12 and 13). In the first region ( $n_V \leq 8$ ),  $m$  increases with increasing  $n_V$ . This part is attributed to localized moments, where Fe (bcc) is a borderline case. Here, the Fermi energy is pinned in a deep valley of the minority electron density. This constrains the number of minority  $d$ -electrons  $n_{d\downarrow}$  resulting in  $m = n_V - 2n_{d\downarrow}$ . For Fe and its binary alloys (Fe-Mn, Fe-Cr, and partially Fe-Co) one has an average of approximately three minority electrons occupied with the result  $m \approx n_V - 6$ . Many Heusler compounds exhibit an increase of  $m$  with increasing  $n_V$ , and thus they may belong to the first region of the Slater-Pauling curve.

Half-metallic ferromagnets (HMF) are supposed to exhibit a real gap in the minority density of states and the Fermi energy is pinned inside of the gap. From this point of view, the Slater-Pauling rule is strictly fulfilled with

$$m_{\text{HMF}} = n_V - 6 \quad (1)$$

for the magnetic moment per atom, as the number of occupied minority states  $n_{\downarrow}$  must be integer. The distribution of the minority electrons on different bands, however, must be found from electronic structure calculations.

For ordered compounds with different kind of atoms it is, indeed, more convenient to work with all atoms of the unit

cell. In the case of four atoms per unit cell, as in full Heusler (FH) compounds, one must subtract 24 (6 multiplied by the number of atoms) from the accumulated number of valence electrons in the unit cell  $N_V$  ( $s, d$  electrons for the transition metals and  $s, p$  electrons for the main group element) to find the magnetic moment per unit cell,

$$m_{\text{FH}} = N_V - 24. \quad (2)$$

This valence electron rule<sup>45</sup> is strictly fulfilled for HMF only, as was first noted in Ref. 13 for half Heusler (HH) compounds with three atoms per unit cell ( $m_{\text{HH}} = N_V - 18$ ). In both cases the magnetic moment per unit cell becomes strictly integer (in multiples of Bohr magnetons) for HMF, what may be seen as an advantage of the valence electron rule compared to the original Slater-Pauling law [Eq. (1)] even so it suggests the existence of different laws.

The Slater-Pauling rule relates the magnetic moment with the number of valence electrons per atom,<sup>10,11</sup> but does not, per se, predict a half-metallic behavior. The gap in the minority states of Heusler compounds must be explained by details of the electronic structure (for examples see Refs. 14 and 15 and references therein).

Self-consistent-field calculations were performed in order to investigate the Slater-Pauling-type behavior of Heusler compounds in more detail (for details see Sec. III). The electronic structure of most known Heusler compounds was calculated in order to find their magnetic moments and magnetic type. The calculations were performed for overall 107 reported Heusler compounds from which 59 are based on  $X$  and  $Y$  being  $3d$  metals, 17 with only  $X$  and 28 with only  $Y$  being a  $3d$  metal. The remaining ones contain  $4d$  and  $4f$  metals on the  $X$  and  $Y$  sites, respectively. In addition calculations were performed for 50 reported half Heusler compounds.

It turned out that nearly all (if not simple metals)  $\text{Co}_2$  based compounds should exhibit half-metallic ferromagnetism. It is also found that the calculated magnetic moments of the  $\text{Co}_2$  based compounds follow the Slater-Pauling curve as described above [see Fig. 1(a)]. Some small deviations are possibly caused by inaccuracies of the numerical integration.

Inspecting the other transition metal based compounds, one finds that compounds with magnetic moments above the expected Slater-Pauling value are  $X = \text{Fe}$  based. Those with lower values are either  $X = \text{Cu}$  or  $X = \text{Ni}$  based, with the Ni based compounds exhibiting higher moments compared to the Cu based compounds at the same number of valence electrons. Moreover, some of the Cu or Ni based compounds are not ferromagnetic independent of the number of valence electrons. Besides  $\text{Mn}_2\text{VAI}$ , only compounds containing both, Fe and Mn, were found to exhibit HMF character with magnetic moments according to the Slater-Pauling rule. No attempts have been made to perform calculations for compounds that turn out to be chemically uncharacterizable.

Inspecting the magnetic data of the known Heusler compounds in more detail (see data and references in Refs. 16 and 17), one finds a very interesting aspect. Seemingly, a linear dependence is obtained for  $\text{Co}_2$  based Heusler compounds when plotting the Curie temperature ( $T_C$ ) of the known,  $3d$  metal based Heusler compounds as function of

their magnetic moment [see Fig. 1(b)]. According to this plot,  $T_C$  is highest for those half-metallic compounds that exhibit a large magnetic moment, or equivalent for those with a high valence electron concentration as derived from the Slater-Pauling rule.  $T_C$  is estimated to be above 1000 K for compounds with  $6\mu_B$  by an extrapolation from the linear dependence.

$\text{Co}_2\text{FeSi}$  was revisited as a practical test for the findings above. This compound was previously reported to have a magnetic moment of only  $5.18\mu_B$  per unit cell and a Curie temperature of above 980 K.<sup>18,19</sup> One expects, however,  $m = 6\mu_B$  and  $T_C$  to be above 1000 K, from the estimates given above.

### III. CALCULATIONAL DETAILS

As starting point, self-consistent first-principle calculations were performed using the linearized muffin tin orbital (LMTO) method,<sup>20</sup> as this method is very fast. Using the experimental lattice parameter ( $a_{\text{exp}} = 5.64 \text{ \AA}$ , see Sec. V A), the results predicted  $\text{Co}_2\text{FeSi}$  to be a regular ferromagnet with a magnetic moment of  $5.08\mu_B$  per formula unit. The latter value is much too small compared to the experimental one of  $6\mu_B$  (see Sec. V B).

More detailed calculations were performed to check if the too low value is the result of a particular method or the parametrization of the energy functional. The Korringa-Kohn-Rostocker method as provided by Akai<sup>21</sup> was chosen as this program allows calculations in the muffin tin (MT) and the atomic sphere (ASA) approximations. Additionally, it provides the coherent potential approximation (CPA) to be used for disordered systems. This method was used to estimate the influence of disorder on the magnetic structure.

The calculations were started with the most common parametrizations of the exchange-correlation functional as given by Moruzzi, Janak, and Williams<sup>22</sup> (MJW), von Barth and Hedin<sup>23</sup> (vBH), and Vosco, Wilk, and Nussair<sup>24,25</sup> (VWN). The generalized gradient approximation (GGA) was used in the form given by Perdew *et al.*<sup>26</sup> To include nonlocal effects, the VWN parametrization with additions by Perdew *et al.*<sup>27-29</sup> was used (PYVWN). The so-called exact exchange is supposed to give the correct values for the gap in semiconductors using local density approximation. Here it was used in the form given by Engel and Vosko<sup>30</sup> (EV).

The results of the calculations using different approximations for the potential as well as the parametrization of the exchange-correlation part are summarized in Table I. The calculated total magnetic moments range from  $\approx 4.9\mu_B$  to  $\approx 5.7\mu_B$ , thus they are throughout too low compared to the experiment. They include, however, the value of  $5.27\mu_B$  found in Ref. 15 by means of the full potential KKR method.

In the next step, the full potential linear augmented plane wave (FLAPW) method as provided by Wien2k (Ref. 31) was used to exclude that the observed deviations are due to the spherical approximation for the potential (MT or ASA) as used in the above methods.

First, the exchange-correlation energy functional being parametrized within the generalized gradient approximation was used. The energy convergence criterion was set to  $10^{-5}$ .

TABLE I. Magnetic moments of  $\text{Co}_2\text{FeSi}$  calculated for spherical potentials. The calculations were carried out by means of KKR in muffin tin (MT) and atomic sphere (ASA) approximations for  $a = 5.64 \text{ \AA}$ . All values are given in  $\mu_B$ . Total moments are given per unit cell and site resolved values are per atom.

KKR	MT			ASA		
	$m_{\text{tot}}$	$m_{\text{Co}}$	$m_{\text{Fe}}$	$m_{\text{tot}}$	$m_{\text{Co}}$	$m_{\text{Fe}}$
MJW	5.03	1.19	2.69	5.17	1.27	2.68
vBH	4.88	1.15	2.64	5.03	1.22	2.62
VWN	4.99	1.18	2.68	5.15	1.26	2.67
GGA	5.22	1.22	2.85	5.18	1.27	2.69
EV	5.19	1.24	2.77	5.15	1.26	2.68
PYVWN	5.03	1.19	2.72	5.67	1.25	3.23

Simultaneously, the charge convergence was monitored and the calculation was restarted if it was larger than  $10^{-3}$ . For  $k$ -space integration, a  $20 \times 20 \times 20$  mesh was used resulting in 256  $k$ -points in the irreducible part of the Brillouin zone. In cases of doubt about convergence or quality of the integration, the number of irreducible  $k$ -points was doubled.

The calculated magnetic moments for most known Heusler compounds are summarized in Fig. 1 and discussed in Sec. II. It turned out, however, that the magnetic moment of  $\text{Co}_2\text{FeSi}$  is still too small compared to the experimental value.

Comparing the result for  $\text{Co}_2\text{FeSi}$ , the magnetic moments found by the different calculational schemes are very similar (compare Tables I and II), implying that Co and Fe atoms are aligned parallel independent of the method used. The small, induced moment at the Si atom (not given in Table I) is aligned antiparallel to that at the transition metal sites. As for KKR, the use of the EV parametrization of the energy functional did not improve the magnetic moment, the result was only  $5.72\mu_B$ .

Other than the LMTO or KKR methods (spherical potentials), the FLAPW (full symmetry potential) calculations revealed a very small gap in the minority states, but being located below the Fermi energy. Figure 2 shows the band structure and density of states calculated by FLAPW for the experimental lattice parameter.

The electronic structure shown in Fig. 2 reveals a very small indirect gap in the minority states at about 2 eV below  $\epsilon_F$ . The fact that the Fermi energy cuts the minority bands

TABLE II. Magnetic moments of  $\text{Co}_2\text{FeSi}$  calculated for full symmetry potentials. The calculations were carried out by means of FLAPW for  $a = 5.64 \text{ \AA}$ . All values are given in  $\mu_B$ . Total moments are given per unit cell and site resolved values are per atom.  $m_{\text{int}}$  is the part of the magnetic moment that cannot be attributed to a particular site.

	$m_{\text{tot}}$	$m_{\text{Co}}$	$m_{\text{Fe}}$	$m_{\text{Si}}$	$m_{\text{int}}$
LDA (VWN)	5.59	1.40	2.87	-0.01	-0.07
LDA (EV)	5.72	1.45	2.94	-0.003	-0.11
LDA+ $U$	6	1.54	3.30	-0.13	-0.25



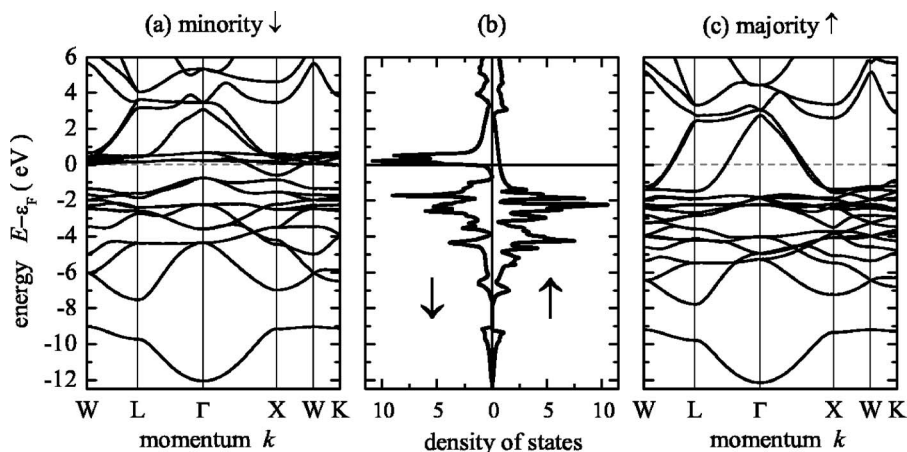


FIG. 2. LDA band structure and DOS of  $\text{Co}_2\text{FeSi}$ . The calculation was performed by Wien2k using the experimental lattice parameter.

above the gap has finally the result that the magnetic moment is too low and not integer, as would be expected for a half-metallic ferromagnet.

A structural refinement was performed to check if the experimental lattice parameter minimizes the total energy. The dependence of the energy with lattice parameter  $a$  revealed that the minimum occurs at the experimentally observed lattice parameter  $a_{\text{exp}}$ . From the lattice parameter dependent calculations it showed up that the experimentally found magnetic moment appears at larger values of  $a$ . At the same time the size of the gap increased. Inspecting the band structure, one finds that the Fermi energy is inside of the gap for lattice parameters being enlarged by about 7.5% to 12%. Figure 3 shows the dependence of the extremal energies of the lower (valence) band and the upper (conduction) band of the minority states enveloping the gap.

The magnetic moment is integer ( $6\mu_B$ ) in the region where  $\epsilon_F$  falls into the gap (gray shaded area in Fig. 3), that is the region of half-metallic ferromagnetism. The reason for the integer value is clear, the number of filled minority states is integer and thus the magnetic moment, too.

Usually, Heusler compounds are attributed to exhibit localized moments. In that case, electron-electron correlation may play an important role. The LDA+ $U$  scheme<sup>32</sup> was used for calculation of the electronic structure to find out whether the inclusion of correlation resolves the discrepancy between the theoretical and measured magnetic moment. In Wien2k, the effective Coulomb-exchange interaction ( $U_{\text{eff}}=U-J$ , where  $U$  and  $J$  are the Coulomb and exchange parameter) is used to account for double-counting corrections. It turned out that values of  $U_{\text{eff}}$  from 2.5 eV to 5.0 eV for Co and simultaneously 2.4 eV to 4.8 eV for Fe result in a magnetic moment of  $6\mu_B$  and a gap in the minority states.

Figure 4 shows the band structure and density of states calculated using the LDA+ $U$  method. The effective Coulomb-exchange parameters were set to  $U_{\text{eff,Co}}=4.8$  eV and  $U_{\text{eff,Fe}}=4.5$  eV at the Co and Fe sites, respectively. These values are comparable to those found in Ref. 33 for bcc Fe (4.5 eV) and fcc Ni (5 eV).

The minority DOS (Fig. 4) exhibits a clear gap around  $\epsilon_F$ , confirming the half-metallic character of the material. The high density below  $\epsilon_F$  is dominated by  $d$ -states being located at Co and Fe sites. Inspecting the majority DOS one finds a small density of states near  $\epsilon_F$ . This density is mainly derived from states located at Co and Si sites.

The distribution of the charge density on the atoms and states with different orbital momentum is given in Table III. (Note that two Co atoms count for the sum of the charge in the unit cell.)

From Table III it is found that in average three minority states per atom are occupied ( $2n_{\downarrow}=6$ ) as required by the Slater-Pauling rule for the range of increasing magnetic moments with an increasing number of valence electrons (see Sec. II). It is worthwhile to note that the same is true for the other Heusler compounds shown in Fig. 1 exhibiting half-metallic ferromagnetism. However, the electrons are distributed in a different way across the X, Y, and Z sites.

#### IV. EXPERIMENTAL DETAILS

$\text{Co}_2\text{FeSi}$  samples were prepared by arc melting of stoichiometric quantities of the constituents in an argon atmosphere ( $10^{-4}$  mBar). Care was taken to avoid oxygen contamination. This was established by evaporation of Ti inside of the vacuum chamber before melting the compound as well as additional purification of the process gas. Afterwards, the

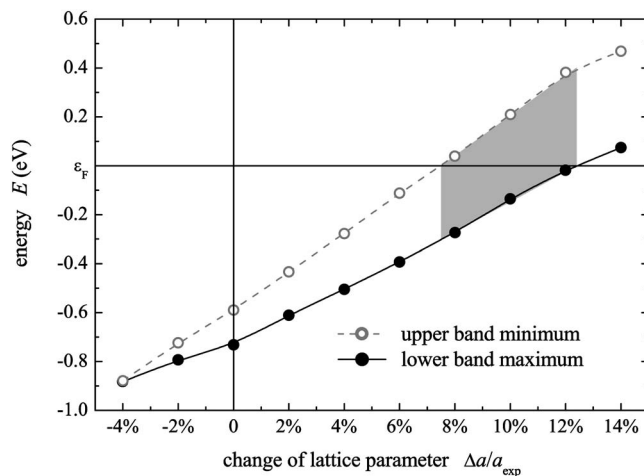


FIG. 3. Minority gap in  $\text{Co}_2\text{FeSi}$ . Shown are the positions of the extremal energies of the upper and lower bands depending on the lattice parameter ( $a_{\text{exp}}=5.64$  Å). Energies are given with respect to the Fermi energy. The gray shaded area marks the domain of HMF character (lines are drawn to guide the eye).

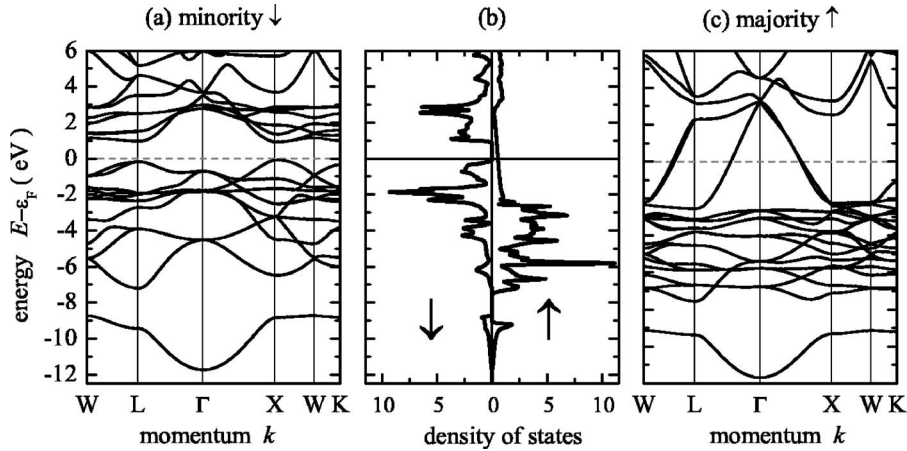


FIG. 4. LDA+ $U$  band structure and DOS of  $\text{Co}_2\text{FeSi}$ . The calculation was performed by Wien2k using the experimental lattice parameter.

polycrystalline ingots were annealed in an evacuated quartz tube at 1300 K for 20 days. This procedure resulted in samples exhibiting the correct Heusler type  $L2_1$  structure.

Flat disks were cut from the ingots and polished for spectroscopic investigations at bulk samples. For powder investigations, the remaining part was crushed by hand using a mortar. It should be noted that pulverizing in a steel ball mill results in strong perturbation of the crystalline structure.

X-ray photoemission (ESCA) was used to verify the composition and to check the cleanliness of the samples. No impurities were detected by means of ESCA after removal of the native oxide from the polished surfaces by  $\text{Ar}^+$  ion bombardment.

The geometrical structure was investigated by x-ray diffraction (XRD) using excitation by  $\text{Cu-K}\alpha$  or  $\text{Mo-K}\alpha$  radiation. Extended x-ray absorption fine structure (EXAFS) measurements were performed at the XAS beamline of LNLS (Campinas, Brazil) for additional structural investigation, in particular to explain the site specific short range order. Powder samples were investigated in transmission mode using two ion chambers, bulk samples were investigated by the total yield technique.

Magnetostructural investigations were carried out by means of Mössbauer spectroscopy in transmission geometry using a constant acceleration spectrometer. A  $^{57}\text{Co}(\text{Rh})$  source with a linewidth of 0.105 mm/s was used for excitation.

The magnetic properties were investigated at low temperatures using a superconducting quantum interference de-

vice (SQUID, Quantum Design MPMS-XL-5). The high temperature magnetic properties were investigated by means of a vibrating sample magnetometer (Lake Shore Cryotronics, Inc., VSM Model 7300) equipped with a high temperature stage. For site specific magnetometry, x-ray magnetic circular dichroism (XMCD) in photoabsorption (XAS) was performed at the *First Dragon* beamline of NSRRC (Hsinchu, Taiwan).

## V. RESULTS

### A. Structural properties

The correct  $L2_1$  structure of the  $\text{Co}_2\text{FeSi}$  compound was verified by XRD. The lattice constant was determined to be 5.64 Å. The lattice parameter is obviously smaller than the one reported before (compare Ref. 34) and a lower degree of disorder is observed in the present work.

A disorder between Co and Fe atoms ( $\text{DO}_3$ -type disorder) can be excluded from the Rietveld refinement of the XRD data, as well as from neutron scattering data (not shown here). A small (<10%) disorder between Fe and Si atoms ( $B2$ -type disorder) cannot be excluded by either of these methods, particularly due to the low intensities of the (111) and (200) diffraction peaks in XRD.

For further site specific structural information, EXAFS measurements were carried out. A powder sample, as used for XRD, was investigated in transmission mode.

The absorption spectra collected at the Fe and Co  $K$ -edges are shown in Fig. 5 after removal of a constant background. The ATOMS (Ref. 35) program was used to generate the structural input for the EXAFS data analysis. The scattering parameter for all possible scattering paths were calculated using FEFF6.<sup>36</sup> The analysis of the EXAFS data was finally performed using the IFEFFIT (Refs. 37 and 38) program package. The best fitting of the Fourier transform modulus considering the  $L2_1$  structure are also displayed in Fig. 5. It was not possible to fit the experimental data to a structural model including  $\text{DO}_3$ -type disorder, as expected.  $B2$ -type disorder can hardly be detected by means of EXAFS as the distances in the first coordination shell of Co and Fe are the same as in  $L2_1$ .

The radial distribution function  $\chi(R)$  (FT magnitude) is produced by forward Fourier transform of the EXAFS spec-

TABLE III. Distribution of the valence states in  $\text{Co}_2\text{FeSi}$ . The number of occupied states was calculated by means of FLAPW using LDA+ $U$  for  $a=5.64$  Å. The muffin tin radii were set for all sites to  $r_{\text{MT}}=1.22$  Å. This results in a space filling of 67% by the atomic spheres, the remainder is taken as interstitial (int).

	Majority	Minority
Co	4.887	3.343
Fe	5.063	1.766
Si	1.247	1.373
int	1.915	2.176
sum $\text{Co}_2\text{FeSi}$	18	12

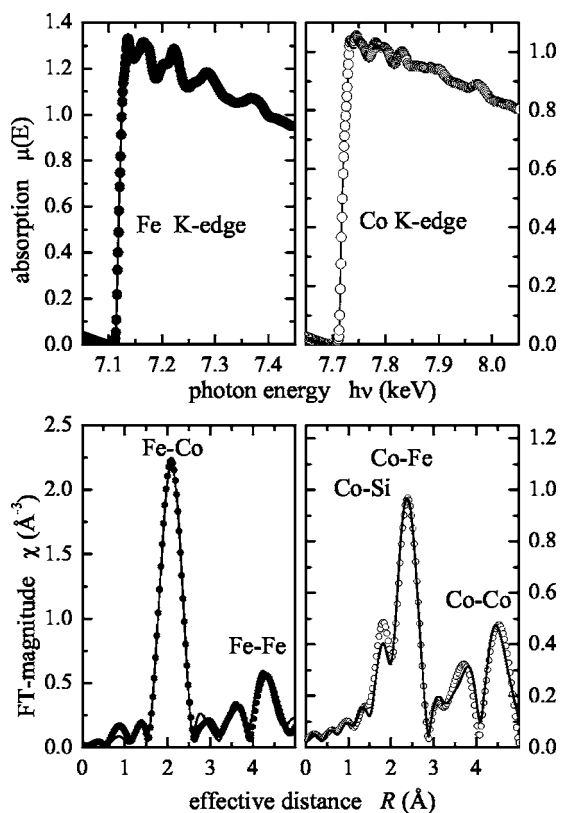


FIG. 5. EXAFS results for  $\text{Co}_2\text{FeSi}$ . The x-ray absorption spectra (with constant background removed) were taken at the K-edges of Co and Fe. The radial distribution functions derived from the spectra (symbols) are compared to the ones calculated (lines) using the best fit data.

tra after background subtraction. It is given as function of the effective distance  $R$ . Note that  $R$  includes not only the interatomic distances  $kR_j$  but also the scattering phase shifts  $\delta_j \exp(kR_j + \delta_j)$ . The high intensity of  $\chi(R)$  in the first coordination shell of Fe points on the cubic environment consisting of eight Co atoms, as expected for a well-ordered Heusler compound. The peak of  $\chi(R)$  for the first coordination shell of Co exhibits a clear splitting being due to the different scattering phases of Fe and Si, although the distance between these atoms and the Co is the same. The Fe induced intensity of  $\chi(R)$  is about half of that observed in the Fe K-edge spectra. This confirms the tetragonal environment at the Co sites with respect to Fe sites, as the scattering factors for both types of atoms is nearly the same. Thus, the EXAFS measurements corroborate the XRD results even at the short-range order for both Co and Fe.

For additional magnetostructural investigation, Mössbauer spectroscopy was performed. The measurements were carried out at 85 K using powder samples. The observed six-line pattern of the spectrum (see Fig. 6) is typical for a magnetically ordered system. The observed  $^{57}\text{Fe}$  Mössbauer linewidth of 0.15 mm/s is characteristic for a well-ordered system. The value is comparable to 0.136 mm/s observed from  $\alpha\text{-Fe}$  at 4.2 K.

In detail, the Mössbauer spectrum shown in Fig. 6 exhibits a sextet with an isomer shift of 0.23 mm/s and a hyper-

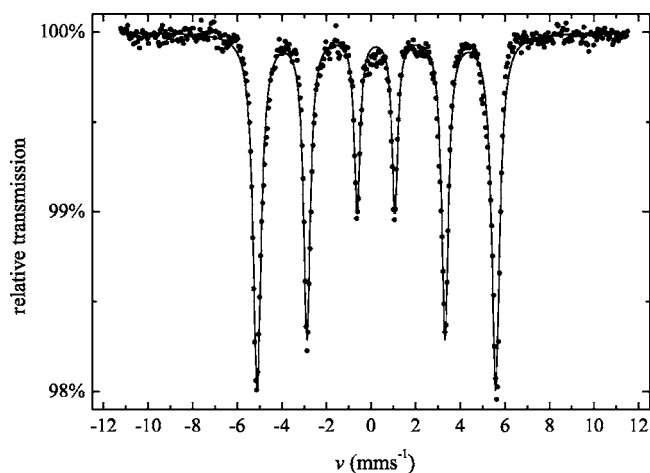


FIG. 6. Mössbauer spectrum of  $\text{Co}_2\text{FeSi}$ . The spectrum was excited by  $^{57}\text{Co}$  and measured from a powder sample in transmission geometry at  $T=85$  K.

fine magnetic field of  $26.3 \times 10^6$  A/m. No paramagnetic line was observed. Further, no quadrupole splitting was detected in accordance with the cubic symmetry of the local Fe environment. A  $\text{DO}_3$ -type disorder can be definitely excluded by comparing measured and calculated hyperfine fields in ordered and disordered structures.

## B. Magnetic properties

Low temperature magnetometry was performed by means of SQUID to proof the estimated saturation moment. The results are shown in Fig. 7. The measured magnetic moment in saturation is  $(5.97 \pm 0.05)\mu_B$  at 5 K corresponding to  $1.49\mu_B$  per atom. An extrapolation to  $6\mu_B$  per unit cell at 0 K fits perfectly to the one estimated from the Slater-Pauling rule. The measurement of the magnetic moment reveals, as expected for a HMF, an integer within the experimental uncertainty. Regarding the result of the measurement (an integer) and the valence electron rule, it all sums up to an evidence for half-metallic ferromagnetism in  $\text{Co}_2\text{FeSi}$ . In more detail,  $\text{Co}_2\text{FeSi}$  turns out to be soft magnetic with a small remanence of  $\approx 0.3\%$  of the saturation moment and a small coercive field of  $\approx 750$  A/m, under the experimental conditions used here. The magnetic moment for  $\text{Co}_2\text{FeSi}$  was previously reported to be  $5.90\mu_B$  (Ref. 18) at 10.24 K, but with a rather high degree of disorder (11%  $B2$  and 16%  $\text{DO}_3$ ). The same group reported later<sup>34</sup> a smaller magnetic moment ( $\approx 5.6\mu_B$  interpolated to 0 K) at a lattice parameter of 5.657 Å, but still with a high degree of disorder.

The experimental magnetic moment is supported by the band structure calculations, as was shown above, revealing a HMF character with a magnetic moment of  $6\mu_B$ , if using appropriate parameters in the self-consistent-field calculations.

XMCD in photoabsorption was measured to investigate the site specific magnetic properties. The XAS and XMCD spectra taken at the  $L_{2,3}$  absorption edges of Fe and Co are shown in Fig. 8. The feature seen at 3 eV below the  $L_3$  absorption edge of Co is related to the  $L_{2,1}$  structure and

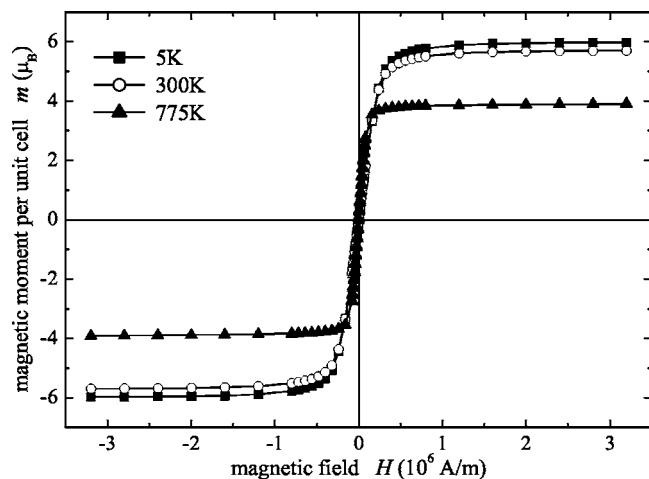


FIG. 7. Magnetic properties of  $\text{Co}_2\text{FeSi}$ . The field dependence of the magnetic moments was measured by SQUID magnetometry at different temperatures.

points on the high structural order of the sample (it vanishes for  $B2$ -type disorder). The magnetic moments per atom derived from a sum rule analysis<sup>39,40</sup> are  $(2.6 \pm 0.1)\mu_B$  for Fe and  $(1.2 \pm 0.1)\mu_B$  for Co, at  $T=300$  K and  $\mu_0 H=0.4$  T. The error arises mainly from the unknown number of holes in the  $3d$  shell and the disregard of the magnetic dipole term in the sum rule analysis. A pronounced enhancement of the orbital magnetic moments ( $m_l$ ) as in  $\text{Co}_2\text{Cr}_{1-x}\text{Fe}_x\text{Al}$  (Ref. 41) or a field dependence of  $m_l$  (Ref. 42) was not observed for  $\text{Co}_2\text{FeSi}$ .

The orbital moments were calculated using the LDA+ $U$  scheme with spin-orbit interaction (SO) and by LSDA calculations including the Brooks orbital polarization term (OP).<sup>43</sup> The LDA+ $U$  calculations with SO revealed  $r=m_l/m_s$  values of 0.05 and 0.02 for Co and Fe, respectively. These values are about a factor of 2 higher than those found from LSDA+SO calculations without  $U$ . The total magnetic moment stayed  $6\mu_B$  in this calculation as in LDA+ $U$  without SO. The

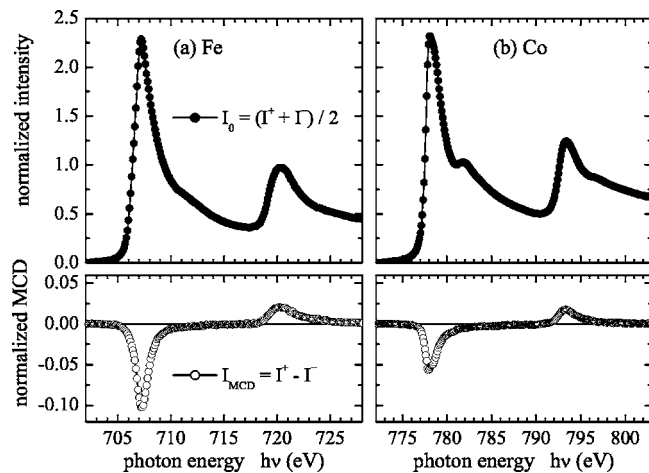


FIG. 8. Site resolved magnetic properties of  $\text{Co}_2\text{FeSi}$ . Shown are the XAS ( $I_0$ ) and XMCD ( $I_{\text{MCD}}$ ) spectra taken at the  $L_{2,3}$  absorption edges of Fe (a) and Co (b) after subtracting a constant background.

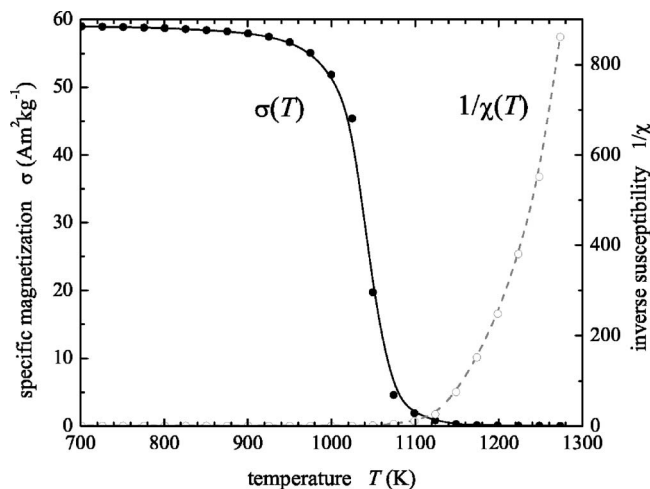


FIG. 9. Measurement of the specific magnetization as a function of temperature for  $\text{Co}_2\text{FeSi}$ . Lines are drawn to guide the eye.

OP calculations revealed slightly higher  $r$  values. The orbital to spin magnetic moment ratios determined from the XMCD measurements are about 0.05 for Fe and 0.1 for Co. All values (ratio of Co and Fe moments, as well as values extrapolated to 0 K) are in good agreement to the electronic structure calculations, keeping in mind that calculated site resolved values depend always on the RMT settings for the integration of the charge density around a particular atom.

The high temperature magnetization of  $\text{Co}_2\text{FeSi}$  was measured by means of VSM. The specific magnetization as function of the temperature is shown in Fig. 9. The measurements were performed in a constant induction field of  $\mu_0 H=0.1$  T. For this induction field, the specific magnetization at 300 K is 37% of the value measured in saturation. The ferromagnetic Curie temperature is found to be  $T_C=(1100 \pm 20)$  K. This value fits the linear behavior shown in Fig. 1 for  $\text{Co}_2$  based Heusler compounds very well.

The Curie temperature is well below the melting point being obtained by means of differential scanning calorimetry to be  $T_m=(1520 \pm 5)$  K. The paramagnetic Curie-Weiss temperature was identified to be  $\Theta \geq (1150 \pm 50)$  K from the plot of the inverse susceptibility  $\chi^{-1}$  as a function of temperature  $T$  by interpolating the curve. The nonlinearity in the  $\chi^{-1}(T)$  dependence close to  $T_C$  indicates deviations from molecular field theory. A linear dependence, however, is only expected at temperatures much higher than  $T_C$  that are not accessible here.

The highest known Curie temperature is reported for elemental Co to be 1388 K.<sup>44</sup> Only few materials exhibit a  $T_C$  above 1000 K, for example, the Fe-Co binary alloys. With a value of  $\approx 1100$  K,  $\text{Co}_2\text{FeSi}$  has a higher Curie temperature than Fe and the highest of all HMF and Heusler compounds being measured up to now.

The present work leaves, however, some important questions open. There is still no convincing theory that explains why the dependence of  $T_C$  on the magnetic moment should be linear over such a wide range of compounds with different magnetic moments. For some alloys a linear dependence is indeed found, but never over such a wide range of different composition like for the  $\text{Co}_2$  based HMF Heusler com-



pounds. An experimental challenge will be to find compounds with magnetic moments of above  $6\mu_B$  to prove whether it is possible to find even higher Curie temperatures in this class of materials.  $\text{Co}_3\text{Si}$ , which should exhibit  $7\mu_B$ , if following the valence electron rule, crystallizes in a hexagonal but not in the required Heusler structure, unfortunately.

## VI. SUMMARY AND CONCLUSION

In summary, it was shown how simple rules may be used to estimate the properties of magnetic materials, in particular for those Heusler compounds exhibiting half-metallic ferromagnetism.

As practical application of these simple rules, it was found that the Heusler compound  $\text{Co}_2\text{FeSi}$  is a half-metallic ferromagnet exhibiting the highest Curie temperature and magnetic moment. In particular, a magnetic moment of  $6\mu_B$  and a Curie temperature of 1100 K were found in  $L2_1$  ordered samples with a lattice parameter of 5.64 Å.

The experimental findings are well supported by electronic structure calculations. The comparison between experiment and calculations gives clear advise that electron-electron correlation plays an important role in Heusler compounds.

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