

# Magnetic-field modulation of the Josephson effect between $\text{UPt}_3$ and a conventional superconductor

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Josephson critical current  $I_c$  between a single-crystal  $\text{UPt}_3$  and Al has been measured for the junctions on the mirror-flat  $\text{UPt}_3$  surface perpendicular to the  $b$  and  $c$  axes. A dominant maximum peak at zero magnetic field has been observed in the magnetic field dependence of  $I_c$ , suggesting that most of the Josephson currents that flow through various parts of the junction are in phase and the sum of them is observed when no magnetic field is applied. This result raises questions about the  $E_{2u}$  scenario for the odd-parity order parameter in  $\text{UPt}_3$ , in which the energy gap has nodes and the Josephson effect is forbidden for both the  $b$ - and the  $c$ -axis directions.

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## I. INTRODUCTION

The heavy-fermion superconductor  $\text{UPt}_3$  has been attracted much attention in recent years, since a wide variety of physical properties suggest its unconventional superconductivity. A power law behavior in the temperature dependence of specific heat,<sup>1</sup> NMR relaxation rate,<sup>2</sup> and ultrasound attenuation<sup>3</sup> suggests a gap function vanishing on the Fermi surface, which means that the pairing state has a lower spatial symmetry than a conventional  $s$ -wave state. A possibility of an odd-parity pairing state has been suggested by the NMR Knight shift<sup>4</sup> and the equilibrium magnetization measurements.<sup>5</sup> Furthermore, it possesses a complex field-temperature (H-T) phase diagram.<sup>6</sup> In order to explain these properties, many candidates are proposed for the odd-parity order parameter  $\hat{\Delta}(\mathbf{k})$  of  $\text{UPt}_3$ , which is described by the  $\mathbf{d}$  vector as  $\hat{\Delta}(\mathbf{k}) = i[\mathbf{d}(\mathbf{k}) \cdot \boldsymbol{\sigma}] \sigma_y$ , where  $\sigma_x$ ,  $\sigma_y$ , and  $\sigma_z$  are Pauli matrices. Among them, the two-dimensional  $E_{2u}$  scenario<sup>7</sup> or the spin scenario,<sup>8</sup> is widely used for the understanding of the experimental results. It is still an open question as to what scenario explains the unconventional superconductivity in  $\text{UPt}_3$  most successfully.

The Josephson effect between a conventional and an odd-parity superconductor gives direct information about the order parameter of the odd-parity superconductor. The ordinary Josephson effect caused by the usual (second-order) processes is forbidden if the tunneling Hamiltonian does not change the spin,<sup>9</sup> and it can occur along  $\mathbf{n}$  direction due to the spin-orbit coupling in the odd-parity superconductor when  $[(\mathbf{n} \times \mathbf{k}) \cdot \mathbf{d}(\mathbf{k})] \neq 0$ , where  $\mathbf{n}$  and  $\mathbf{k}$  are the surface normal vector and the momentum of quasiparticles, respectively.<sup>10</sup> The observation of the Josephson effect along a certain direction of an odd-parity superconductor implies that the  $\mathbf{d}$  vector has a component perpendicular to that direction.

In our previous paper, we have reported the Josephson effect between  $\text{UPt}_3$  and Nb for current flow parallel and perpendicular to the  $c$  axis.<sup>11</sup> This result contradicts the candidates with the  $\mathbf{d}$  vector along the  $c$  axis. However, we

cannot exclude the possibility that the roughness of the  $\text{UPt}_3$  surface causes a contribution of the current, of which direction is other than the nominal one. Actually, the magnetic field dependence of  $I_c$ , which should be a Fraunhofer diffraction pattern when the Josephson current flows uniformly through the junction, is found to be an oscillating function with no definite period, suggesting that the Josephson coupling of the junction is inhomogeneous for some reason. In this paper, an attempt to improve the quality of the junction is described and the possibility of the existence of the Josephson effect in particular directions of  $\text{UPt}_3$  is discussed.

## II. EXPERIMENTAL

The single crystals of  $\text{UPt}_3$  have been grown by the Czochralski pulling-method in a tetra-arc furnace. They had already been used in our previous investigations.<sup>11</sup> A clear double superconducting transition was observed in a specific heat measurement.<sup>12</sup> The residual resistivity ratio was above 500, which indicates the sample quality is sufficiently good. The crystal was cut to the cubic shape with edges of about 3 mm along the  $a$   $[11\bar{2}0]$ ,  $b$   $[10\bar{1}0]$ , and  $c$   $[0001]$  axes to use as a substrate. The SNS' junctions were fabricated on the surface perpendicular to the  $b$  and  $c$  axes. Throughout this paper, the junctions are denoted as  $I\|b$  or  $I\|c$ , based on the assumption that the preferred current direction is perpendicular to the surface.

In order to eliminate the roughness of the surface, the sample was polished with diamond polish down to a grain size of 1  $\mu\text{m}$ , resulting in a flat mirrorlike surface. After the sample was set in a sputtering apparatus, the surface was rf sputter-etched by Ar ion and then Cu/Zn alloy (brass),  $\text{SiO}_2$ , and Al were deposited by rf sputtering technique, as shown in Fig. 1(a). The difference between the previous and the present junctions is the use of Cu/Zn alloy and Al instead of Cu and Nb, respectively.<sup>11</sup> The purpose of these changes are discussed below.

The sample was set in a small solenoid coil, which was linked to the mixing chamber of a dilution refrigerator and

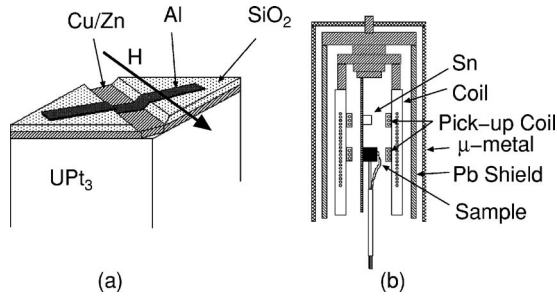


FIG. 1. (a) Sample arrangement of  $\text{UPt}_3$ -Cu/Zn-Al junctions. The arrow indicates the direction of an applied magnetic field. (b) Schematic of the experimental setup.

cooled down to 70 mK, as shown in Fig. 1(b). The current leads were attached to one end of the Al strip and  $\text{UPt}_3$ , and the voltage leads to the other end of the Al strip and  $\text{UPt}_3$ . The dc voltage was measured using a SQUID (superconducting quantum interference device) voltmeter, which is constructed with a series combination of a standard resistor ( $1.85 \mu\Omega$ ) and an inductance coupled to the SQUID. The voltage resolution was about  $10^{-12}$  V.

The earth magnetic field in the sample region was reduced to  $10^{-4}$  Gauss by a three-layered  $\mu$ -metal shield. This value is more than an order of magnitude smaller than that in the previous work in which a single  $\mu$ -metal shield was used, and is critical to obtain reproducible data on the magnetic field dependence of  $I_c$ . In order to measure the residual magnetic field, a pair of pickup coils was wound around the sample and a standard superconductor (Sn), and the dc susceptibility was measured by means of a flux transformer method using another SQUID detector. The external magnetic field at which the susceptibility change at  $T_c$  of Sn vanishes was determined and defined as the residual-field component  $H_{\text{res}}$  along the coil axis.

### III. RESULTS AND DISCUSSION

We show in Fig. 2 the typical temperature dependence of the junction resistance  $R$  and the Josephson critical current  $I_c$  for the junction with  $I \parallel b$ , where  $R$  is measured by flowing a direct current of  $10 \mu\text{A}$ . Below the critical temperature of Al,  $R$  is the sum of the resistance of Al-Cu/Zn boundary, Cu/Zn, Cu/Zn- $\text{UPt}_3$  boundary, and  $\text{UPt}_3$ . As the temperature is lowered, a decrease in  $R$  due to the superconducting transition of  $\text{UPt}_3$  is observed at 0.54 K, followed by a slow decrease, then  $R$  becomes zero due to the Josephson effect between Al and  $\text{UPt}_3$ . In the inset, representative current-voltage characteristics indicate that a continuous rise in voltage is seen above a critical value  $I_c$  and no hysteresis is observed, which is typical of SNS' junctions. As the temperature is lowered, the Josephson critical current  $I_c$  increases rapidly.

Figure 3 shows the temperature dependence of Josephson critical current density  $J_c$  for the  $\text{UPt}_3$ -Cu/Zn-Al (UCA) and the previous  $\text{UPt}_3$ -Cu-Nb (UCN) junctions, where  $J_c$  is defined simply as  $J_c = I_c/S$ . Although the UCA junctions use a dirty normal metal (Cu/Zn) and a conventional superconductor with lower  $T_c$ ,  $J_c$  is not so small as compared with the

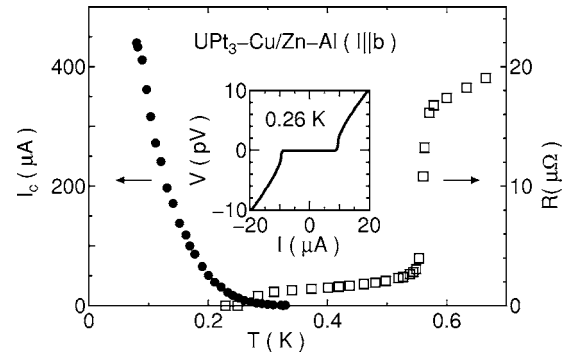


FIG. 2. Typical temperature dependence of junction resistance  $R$  and Josephson critical current  $I_c$ , where  $I \parallel b$  and the current used for  $R$  measurement was  $10 \mu\text{A}$ . Inset: the  $I$ - $V$  characteristic showing the Josephson critical current.

previous one. This result at least indicates that the polishing process in the present research does not suppress the Josephson effect. The anisotropy  $J_c(I \parallel c) > J_c(I \parallel b)$  observed in the UCA junctions is less pronounced than that in the previous work.<sup>11</sup> Even if this anisotropy is reproducible, we cannot relate it to the unconventional superconductivity of  $\text{UPt}_3$ , since a number of extrinsic effects, such as the surface conditions of  $\text{UPt}_3$ , affect the magnitude of  $J_c$ .

The quality of the junctions is demonstrated in the magnetic field dependence of  $I_c$  in Fig. 4. If a magnetic field is applied to a uniform junction whose width normal to the field is smaller than the Josephson penetration depth  $\lambda_J$ , a Fraunhofer diffraction pattern should be observed. In the three junctions, estimated  $\lambda_J$  is larger than the width of the junction when  $I_c$  does not exceed  $200 \mu\text{A}$ . Comparing with the UCN junction, the  $H$ - $I_c$  characteristics of the UCA junctions approach a Fraunhofer diffraction pattern in the sense that a global maximum of  $I_c$  at  $H=0$  is dominant in comparison to the other local maximums.

The improvement of  $H$ - $I_c$  curve in the present work is achieved by two methods: one is to reduce the spatial variation of the Josephson coupling and the other to eliminate the effects of flux trapping. The former is realized by obtaining a flat surface. It eliminates not only the contribution of the current of which direction is other than the nominal one, but also the spatial variation of the thickness of the N layer covering the undulating surface. The use of a “dirty” normal

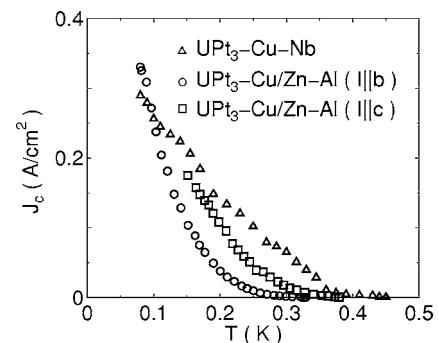


FIG. 3. Temperature dependence of Josephson critical current density  $J_c$  for three junctions.

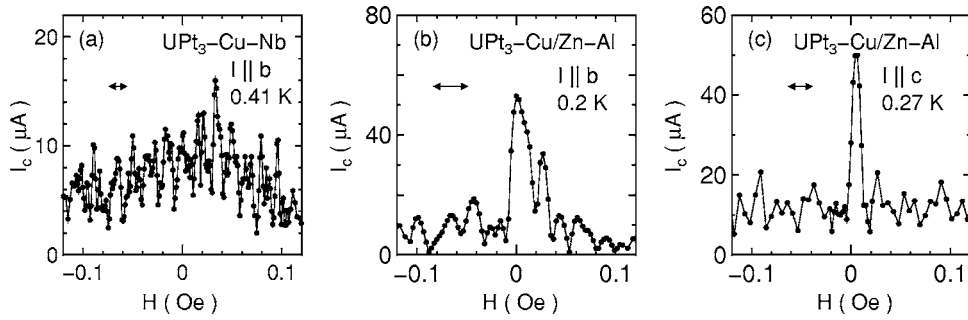


FIG. 4. Magnetic field dependence of Josephson critical current  $I_c$  for three junctions. The solid line through the data points is a guide to the eye. The arrows indicate  $\Delta H$  in the text.

layer Cu/Zn makes the current flow insensitive to the SN-interface conditions such as atomic migrations or oxidation.<sup>13</sup>

In order to reduce trapped flux, a type I superconductor Al is used instead of Nb as a counter electrode. However, this is obviously insufficient, since most of magnetic vortices are trapped in  $\text{UPt}_3$ , as shown in Fig. 5(a). The pickup coil in Fig. 1 was used to measure the dc magnetic susceptibility of  $\text{UPt}_3$ . The sample was first cooled below  $T_c$  in zero field, then a dc magnetic field was applied and the diamagnetism (shielding effect) was observed. The sample was then warmed to temperatures above  $T_c$  to measure the change in the diamagnetic susceptibility (zero-field cooled susceptibility). In the same field, the sample was cooled again to observe the Meissner effect (field-cooled susceptibility). In contrast to the full diamagnetism, the Meissner effect, which is measured by the field-cooled method, is as low as 3%, indicating that most of the magnetic flux threading of the sample is trapped below  $T_c$ . Consequently, it is of critical importance to decrease the residual field as low as possible, as demonstrated in Fig. 5(b).

Before measuring the magnetic field dependence of  $I_c$  at certain field intervals, the continuous but qualitative variation of  $I_c$  has been always measured to avoid missing a fine structure of  $H$ - $I_c$  curve: A current, which was a little larger than the maximum of  $I_c$ , was passed through the junction, and the voltage was recorded continuously as a function of magnetic field. Typical results are shown in Fig. 5(b); the true  $I_c$  variation corresponding to curve A is already given in Fig. 4(c). Curves B and C are the data taken when the two-layered shield was used and  $H_{\text{res}}$  was 0.9 mG; after curve B was taken, the sample was warmed up above  $T_c$ , then cooled down to the same temperature again, and curve C was recorded. When the sample was cooled down below  $T_c$ , the field component along the coil axis was always reduced below the sensitivity limit ( $\sim 0.05$  mG) by flowing a compensational current through the solenoid. Nevertheless, extra peaks and troughs are observed in curves B and C, and a change in structure is seen between curve B and curve C. This result suggests that magnetic shielding is crucial to obtain reliable results, because the remaining magnetic field perpendicular to the coil axis affects the data.

If we refer to a coordinate system with the  $z$  axis along the current direction and apply an external magnetic field  $H$  in the  $y$  direction, the total current  $I$  in the junction is given by

$$I = \iint dx dy J_c(x, y) \sin\left(\frac{2\pi d}{\Phi_0} Hx + \psi_0\right), \quad (1)$$

where  $J_c(x, y)$  is the local Josephson critical current density,  $\Phi_0$  is the flux quantum, and  $\psi_0$  is the phase difference between two superconductors;  $d$  is given by  $d = d_N + \lambda_S + \lambda_{S'}$ , where  $\lambda_S$  and  $\lambda_{S'}$  are the penetration depths of the superconductors S and S', respectively.<sup>14</sup> This equation indicates that  $I$  has a global maximum value  $\iint dx dy J_c(x, y)$  at zero magnetic field, even if  $J_c(x, y)$  is not a constant;  $I$  becomes small when the external magnetic field is applied and the Joseph-

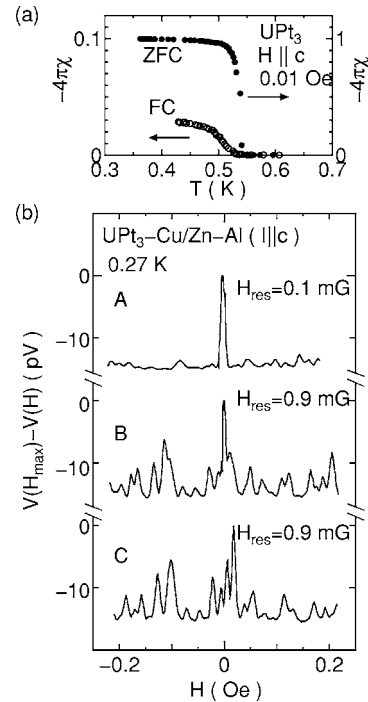


FIG. 5. (a) Temperature dependence of dc magnetic susceptibility of  $\text{UPt}_3$  obtained by the field cooled (FC) and zero-field cooled (ZFC) methods. (b)  $V(H_{\text{max}}) - V(H)$  as a function of  $H$ , where  $V(H)$  is the voltage measured by passing a constant current slightly larger than the maximum value of  $I_c(H)$  observed at  $H = H_{\text{max}}$ , reflecting the modulation of  $I_c(H)$  qualitatively. After curve B was taken, the sample was warmed up above  $T_c$  and cooled down again to measure curve C. The residual-field component  $H_{\text{res}}$  along the coil axis in Fig. 1 was always reduced below the sensitivity limit ( $\sim 0.05$  mOe) by flowing a compensational current through the solenoid when the sample was cooled down below  $T_c$ .

son currents flowing through various parts cancel out. However, if the spatial variation of the phase difference  $\tilde{\psi}(x,y)$  exists ( $\psi_0 \rightarrow \psi_0 + \tilde{\psi}(x,y)$ ), the peak at zero magnetic field is expected to become less dominant. One of the origins of such a variation is magnetic flux trapping that generates local magnetic fields. Another is the anisotropic order parameter of  $\text{UPt}_3$ , of which phase depends on directions, the fluctuation of local current directions caused by the roughness of  $\text{UPt}_3$  surface leads to the spatially varying  $\tilde{\psi}(x,y)$ .

If the Josephson effect between  $\text{UPt}_3$  and an *s*-wave superconductor is allowed for the *c*- and the *b*-axis directions, the present result in Fig. 4 that the magnetic field dependence of  $I_c$  is not an ideal Fraunhofer pattern. Yet a global maximum of  $I_c$  at  $H=0$  is dominant in comparison to the other local maximums; it may be explained by the spatial variation of  $J_c(x,y)$  in Eq. (1). Then, the selection rule  $[(\mathbf{n} \times \mathbf{k}) \cdot \mathbf{d}(\mathbf{k})] \neq 0$  leads to the result that the  $\mathbf{d}$  vector has components perpendicular to the *c*- and the *b*-axis directions. The spin scenario, in which two-component  $\mathbf{d}$  vector is assumed, does not contradict with the present result.<sup>15</sup>

Even if the Josephson effect in the direction perpendicular to the surface is forbidden and only the Josephson currents that flow in other directions through some narrow paths at the interface are observed, it is possible that the present  $H$ - $I_c$  curve is observed in a certain case, as demonstrated in Fig. 6. In order to simplify the calculation, the Josephson currents flowing due to the roughness of the surface are regarded as those flowing through the narrow windows in a flat insulating interface, as shown in Fig. 6(a). All the windows are assumed to have the same width ( $10^{-3}$  of the junction width), the same critical current  $i_c$ , and to be distributed at random. The  $I_c(H)$  curves are calculated for both the case in which the phase difference at each window is the same and the case in which it varies randomly by  $\pi$  [ $\psi_0$  or  $\psi_0 + \pi$  in Eq. (1)]; the latter occurs when the anisotropic order parameter changes the relative sign according to the direction.

Figures 6(b)–6(d) show the examples of the resultant  $I_c(H)$  curves. Although the patterns depend on the distribution of the windows, two characteristic features are observed: i. The central peak becomes dominant over other peaks, when the phase difference at each window is the same and the number of windows is large because the contribution of each window in Eq. (1) tend to cancel each other at finite magnetic fields. ii. Oscillating curves are always observed, when the phase difference at each window varies randomly by  $\pi$ ;  $I_c(H)$  shows either a peak or a dip at  $H=0$  and does not show a global maximum. It should be noted that similar results have been reported for the faceting (110) face of  $\text{YBa}_2\text{Cu}_3\text{O}_{7-x}$  superconductor, where the faceting causes a variation of the relative sign of the *d*-wave order parameter.<sup>16</sup>

These calculations suggest that it is difficult to explain the  $I_c(H)$  curves in Fig. 4(b) and Fig. 4(c) by assuming the two-dimensional  $E_{2u}$  scenario  $\mathbf{d}(\mathbf{k}) \sim (k_x + ik_y)^2 k_z \hat{z}$  for the order parameter in  $\text{UPt}_3$ , since it prohibits the Josephson effect for the *b*- and the *c*-axis directions.<sup>17</sup> The phase of the order parameter varies sensitively with the deviation from both directions; the order parameter acquires a phase change of  $2\pi/3$  under a  $\pi/3$  rotation about the *c* axis, and a change of sign under reflection in the basal plane. Even if the junctions

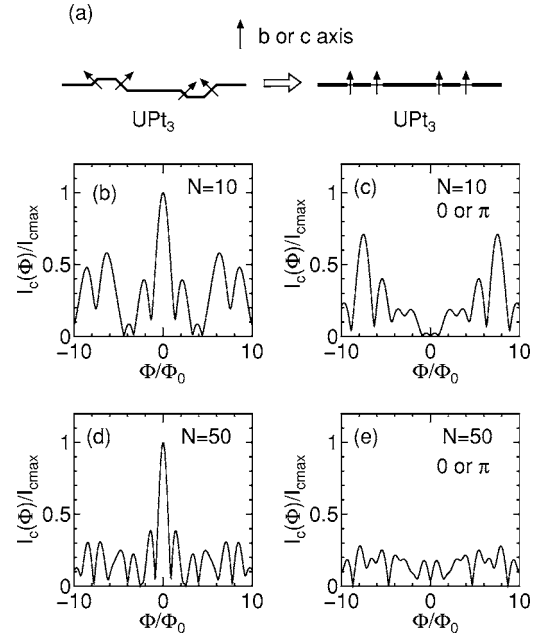


FIG. 6. (a) Schematic of the relationship between the simulation model and the case in which the Josephson effect in the direction perpendicular to the nominal surface is prohibited and yet  $I_c$  is observed by the roughness. (b)–(e) Examples of the calculated magnetic field dependence of  $I_c$  for junctions containing  $N$  windows which have the same critical current  $i_c$  and the same width ( $10^{-3}$  of the junction width), where  $I_{c,\max} = Ni_c$  and  $\Phi_0$  and  $\Phi$  are the flux quantum and the magnetic flux through the junction, respectively. The distributions of the windows in (c) and (e) are the same as those in (b) and (d), respectively. The phase difference of 0 or  $\pi$  is added at random for each window in (c) and (e).

on the surface perpendicular the *b* or *c* axis may show the Josephson effect by the currents in the directions other than both axes, those currents should not be in phase at  $H=0$  as long as their directions are at random.

For a rectangular SNS' junction in Fig. 1, the magnetic flux through the junction is expressed as  $\Phi = Hw(d_N + \lambda_{\text{UPt}_3} + \lambda_{\text{Al}}$  or  $\lambda_{\text{Nb}})$ , where  $w$  is the width of the junction perpendicular to the field direction. Considering that  $\lambda_{\text{Al}}$  and  $\lambda_{\text{Nb}}$  are much smaller than  $d_N = 0.8 \mu\text{m}$  or  $\lambda_{\text{UPt}_3} \sim 0.7 \mu\text{m}$ ,<sup>18</sup>  $\lambda_{\text{Al}}$  and  $\lambda_{\text{Nb}}$  are neglected, and the oscillation period  $\Delta H$  corresponding to one flux quantum  $\Phi_0$  threading the junction is estimated. The  $\Delta H$  values are listed in Table I and indicated by arrows in Fig. 4. Although  $I_c$  does not seem to oscillate with a single period in three junctions, the result  $\Delta H_{\text{UCN}} < \Delta H_{\text{UCA}(I\parallel c)} < \Delta H_{\text{UCA}(I\parallel b)}$  agrees with the periodicity in Fig. 4, at least qualitatively. The estimated  $\Delta H$  in such junctions is supposed to correspond to the shortest period in the  $I_c(H)$  structure. If we take the central peak as a representative one, the  $H$  interval between the global maximum and the nearest local minimum of  $I_c$  is 0.015 Oe ( $I\parallel b$ ) and 0.012 Oe ( $I\parallel c$ ), which is less than half of the estimated value for each junction. This discrepancy may be ascribed to flux focusing by the superconducting crystal and film; the magnetic field  $H_j$  at the junction is larger than the applied field  $H_{\text{ext}}$ . Although it is difficult to estimate  $H_j$ , it should be of the order of the field at the surface of the cube-shaped superconductor and com-



TABLE I. Properties of SNS' junctions. The junction area  $S$  is expressed as  $S=w*t$ , where  $w$  and  $t$  are the width between the  $\text{SiO}_2$  banks and the width of the Al strip, respectively. The three junctions have the same thickness  $d_N$  of N(normal metal) layer.

Substrate	$S'$	N	$d_N$	$S(\text{mm}^2)$	$\Delta H(\text{Oe})$
$I  b(\text{unpolished})^a$	Nb	Cu	0.8	$0.70^*0.27$	0.019
$I  b(\text{polished})$	Al	Cu/Zn	0.8	$0.38^*0.35$	0.035
$I  c(\text{polished})$	Al	Cu/Zn	0.8	$0.54^*0.36$	0.025

<sup>a</sup>Reference 11.

parable to the value  $3H_{\text{ext}}/2$  of the sphere in the equatorial plane.

In Fig. 4, asymmetry between the positive and negative field directions is observed. If this behavior is intrinsic, it means that time-reversal symmetry is broken in  $\text{UPt}_3$ . Figure 7 shows the qualitative variation of positive and negative critical current as a function of magnetic field, which was recorded in the same way as in Fig. 5(b). The true  $I_c$  variation corresponding to  $I+$  is already given in Fig. 4(b). Although a small shift of the field value at peaks and troughs is seen, both curves exhibit almost the same asymmetry with respect to the field direction. This result indicates that the asymmetry is not caused by self-field effects, which depend on the relation between the field and the measuring current directions. Since reversing both the current and the field direction corresponds to reversing time, the asymmetry in Fig. 7 may suggest that time-reversal symmetry is broken in  $\text{UPt}_3$ . However, we cannot exclude the possibility that the trapped vortices, even if the amount of them are reduced, cause such a behavior. It should be noted that dozens of magnetic vortices are still trapped inside the present  $\text{UPt}_3$  crystal when the residual field ( $\sim 0.1$  mG) and the cross section ( $\sim 0.1$  cm<sup>2</sup>) are taken into account.

#### IV. CONCLUSION

In conclusion, we have refined the investigation of the Josephson critical current  $I_c$  between  $\text{UPt}_3$  and a conven-

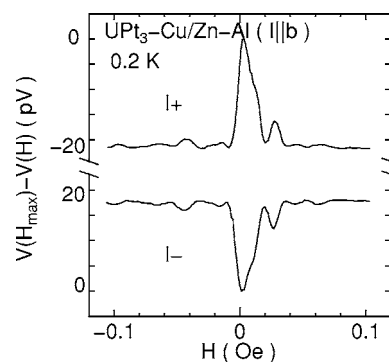


FIG. 7.  $V(H_{\text{max}})-V(H)$  as a function of  $H$ , where  $V(H)$  is the voltage measured by passing a positive or negative constant current of which absolute value is slightly larger than the maximum of  $|I_c(H)|$  observed at  $H=H_{\text{max}}$ , showing the modulation of  $I_c(H)$  qualitatively.

tional superconductor by fabricating the junction on the mirror-flat surface of a  $\text{UPt}_3$  crystal and eliminating the residual earth magnetic field. The magnetic field dependence of  $I_c$  has shown that a global maximum at zero magnetic field is dominant in comparison with other peaks. This result does not contradict the spin scenario for the odd-parity order parameter in  $\text{UPt}_3$ , while it is difficult to explain by the two-dimensional  $E_{2u}$  scenario in which the Josephson couplings along the  $b$  and  $c$  axes are forbidden.

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