## Kondo insulator description of spin state transition in FeSb<sub>2</sub>

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The thermal expansion and heat capacity of FeSb<sub>2</sub> at ambient pressure agrees with a picture of a temperature induced spin state transition within the Fe  $t_{2g}$  multiplet. However, high pressure powder diffraction data show no sign of a structural phase transition up to 7 GPa. A bulk modulus B=84(3) GPa has been extracted and the temperature dependence of the Grüneisen parameter has been determined. We discuss here the relevance of a Kondo insulator description for this material.

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FeSb<sub>2</sub> is a small gap semiconductor whose magnetic properties strongly resemble FeSi. The magnetic susceptibility of FeSi evolves from a high temperature maximum to a flat van-Vleck-type behavior as  $T \rightarrow 0$  with a Curie tail which is sample dependent and attributed to defects and impurities. Aeppli and Fisk have pointed out that the underlying physics of FeSi is similar to the physics of Kondo insulators with localized magnetic moments.1 This picture was also supported by other measurements as well.<sup>2,3</sup> All Kondo insulator materials are cubic with the exception of CeRhSb and CeNiSn and are all 4f intermetallics, except FeSi, RuAl<sub>2</sub>, and Fe<sub>2</sub>VAl.<sup>1,4,5</sup> A simple model that explains their properties involves a flat f band hybridizing with a broad conduction band with two electrons per unit cell. At T=0 the electrons populate a lower hybridized band, and with the increase of T the electrons start populating the higher band, resulting in a thermally activated Pauli susceptibility. The Anderson Kondo lattice model with two electrons per site with one f and one conduction band thus captures the important physics. Cubic structures are more favorable for this scenario since the requirement of just one band crossing the Fermi level is more likely.

Another way to think about FeSi is based on the picture of a nearly magnetic semiconductor in an itinerant model.  $^{6,7}$  This picture was supported by local density approximation (LDA) band structure calculations.  $^{8,9}$  An important question to answer is if the itinerant picture is correct or if the framework of the Anderson model with a reduced on-site Coulomb repulsion U better describes the physics of FeSi. Other possible model systems containing 3d metals where these scenarios can be studied are therefore highly sought after.

The small gap semiconductor FeSb<sub>2</sub> crystallizes in the marcasite-type FeS<sub>2</sub> structure [Fig. 1(a)]. The basic structural unit is made out of Fe ions surrounded by deformed Sb octahedra. The Sb octahedra share edges along the c axis [Fig. 1(b)]. According to "classical" ligand field theory, the Fe  $t_{2g}$  orbitals are further split into two lower lying  $\Lambda$  orbitals with  $d_{yz}$  and  $d_{xz}$  symmetries and higher lying  $\Xi$  orbitals with  $d_{xy}$  symmetry, which are directed toward near-neighbor cations along the c-axis of the crystal. One type of marcasite the so-called "anomalous marcasite" phase is formed with cations having  $d^n$  configurations for  $n \ge 6$  and a large c/a

ratio of 0.73–0.75 in which the  $d_{xy}$  orbitals are doubly occupied. The other so-called "regular marcasite" structure is formed with  $n \le 4$  for smaller c/a ratios of 0.53–0.57 because the  $d_{xy}$  orbitals are empty.<sup>12,13</sup> Consequently, the Fe-

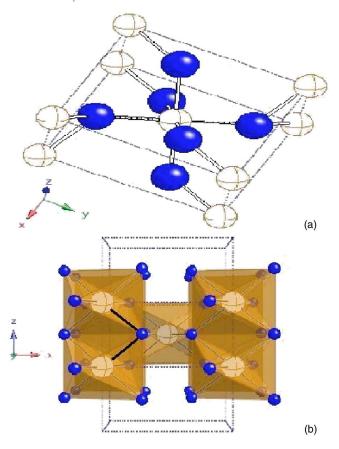


FIG. 1. (Color online) (a) Crystal structure of FeSb<sub>2</sub> showing Fe (open, brown crosses) surrounded by Sb (full blue) octahedra. The two short Fe-Sb bond distances are shown in black and white. The  $d_{xy}$  orbital is oriented in between short Fe-Sb bond distances along the z-axis (the c-axis of the unit cell). (b) The Fe-Sb-Fe bond angle  $\alpha$  associated with the edge sharing octahedra along the c-axis of the unit cell. Note that increased occupancy of  $d_{xy}$  orbitals is reflected in the increase of  $\alpha$ .

TABLE I. FeSb<sub>2</sub> variable temperature refinements. Space group Pnnm, Fe atom at 2a site at (000), Sb atom at 4g site at (xy0), sample contains  $\sim$ 8 wt. % of Sb impurity. Other values are available upon request.

T(K)	20	100	150	200	250	300	400	500
<i>a</i> (Å)	5.82117(6)	5.82333(11)	5.82480(8)	5.82626(8)	5.82755(8)	5.82764(9)	5.82957(8)	5.83298(7)
b (Å)	6.50987(7)	6.51336(12)	6.51738(9)	6.52304(9)	6.52911(9)	6.53345(10)	6.54221(9)	6.55077(8)
c (Å)	3.16707(4)	3.17035(6)	3.17525(5)	3.18218(5)	3.18977(5)	3.19630(5)	3.20785(5)	3.21926(4)
$V(Å^3)$	120.016(2)	120.249(5)	120.540(3)	120.939(3)	121.367(3)	121.698(4)	122.342(3)	123.010(3)
Sb(x)	0.1875(1)	0.1872(2)	0.1875(2)	0.1882(2)	0.1882(2)	0.1887(2)	0.1894(2)	0.1901(2)
Sb(y)	0.3554(1)	0.3549(2)	0.3550(2)	0.3551(2)	0.3558(2)	0.3557(2)	0.3564(2)	0.3574(1)
$\chi^2$	6.740	9.606	8.822	7.671	8.842	9.145	8.186	7.671
Fe-Sb $\times$ 2 (Å)	2.5583(7)	2.5558(9)	2.5586(10)	2.5628(10)	2.5691(9)	2.5708(10)	2.5800(11)	2.5904(9)
Fe-Sb $\times$ 4 (Å)	2.5889(6)	2.5931(8)	2.5935(8)	2.5934(8)	2.5944(8)	2.5951(9)	2.5948(8)	2.5945(7)
Fe-Sb-Fe (°)	128.95(2)	128.99(3)	128.99(3)	128.98(3)	128.83(3)	128.86(3)	128.74(3)	128.58(3)

Sb-Fe bond angle  $\alpha$  between the neighboring cations in edge-sharing octahedra along the c-axis is  $\alpha < 90^\circ$  in regular and  $\alpha > 90^\circ$  in anomalous marcasites [see Fig. 1(b)]. <sup>11</sup> Thus, if the  $d^n$  configuration of transition metal atom has n > 4, then it implies electrons in  $\Xi$  orbitals. Repulsive forces along the c-axis will consequently increase the angle  $\alpha$ . For example, FeS<sub>2</sub> with a  $d^6$  configuration has  $\alpha = 97.5^\circ$  as opposed to FeAs<sub>2</sub> with a  $d^4$  configuration and  $\alpha = 72.5^\circ$ . Therefore the angle  $\alpha$  should increase monotonically with the number of  $\Xi$  electrons from a  $d^4$  configuration ( $\Xi$  empty) to a  $d^6$  configuration ( $\Xi$  filled). <sup>11</sup>

The ionic configuration of iron in FeSb<sub>2</sub> is  $d^4$  and its ground state at low temperatures is the low spin state Fe<sup>4+</sup> ( $t_{2g}^4 e_g^0$ ) with the  $\Lambda$  orbital filled and the  $\Xi$  orbital empty. If Indeed, at low temperature the magnetic susceptibility of FeSb<sub>2</sub> results entirely from the core diamagnetism and shows little temperature dependence. If Similarly to FeSi, above 100 K the susceptibility is paramagnetic. If Similarly to FeSi, above 100 K the susceptibility is paramagnetic susceptibility is a spin state transition of the Fe ions. If It is not uncommon that in transition metal alloys the crystal field energy marginally exceeds the Hund's exchange energy and therefore energies of the order of 1 meV can produce excitations across a spin gap. What makes anomalous marcasites unusual is the

existence of a band of itinerant electronic states due to the overlap of higher lying  $\Xi$  orbitals along the c-axis. <sup>11</sup> In this work, structural, thermodynamic and magnetic studies were carried out in an effort to further elucidate the structure-property relation in this material since a spin state transition within the 3d multiplet might couple to the lattice.

High quality FeSb<sub>2</sub> single crystals have been grown from excess Sb flux. <sup>14</sup> Variable temperature and high pressure experiments were performed at the beamline X7A of the National Synchrotron Light Source at the Brookhaven National Laboratory. A closed-cycle He-refrigerator and a diamondanvil cell were used to control the sample environment, and monochromatic synchrotron x-ray and gas-proportional position-sensitive detector were used to measure the powder diffraction data. <sup>16</sup> Magnetization and specific heat were measured in Quantum Design MPMS and PPMS instruments. Single crystals of FeSb<sub>2</sub> were thoroughly ground to a fine powder. Rietveld refinements were performed using GSAS. <sup>17</sup> The results of fits were summarized in Tables I and II.

Figure 2 shows the temperature evolution of several structural parameters. Linear coefficients of thermal contraction  $\alpha$  in the paramagnetic state  $\alpha$  in the paramagnetic state  $\alpha$  are:  $\alpha_a = 4.2 \cdot 10^{-6} \text{ K}^{-1}$ ,  $\alpha_b = 1.3 \cdot 10^{-5} \text{ K}^{-1}$ , and  $\alpha_c = 3.4 \cdot 10^{-5} \text{ K}^{-1}$ . Individual Fe-Sb

TABLE II. FeSb<sub>2</sub> high pressure refinements. Space group Pnnm, Fe atom at 2a site at (000), Sb atom at 4g site at (xy0), sample contains  $\sim 8$  wt. % % of Sb impurity.

P (GPa)	Ambient	0.79	1.98	2.91	3.75	4.15	5.93	7.14
<i>a</i> (Å)	5.82788(9)	5.8207(2)	5.8042(2)	5.7933(2)	5.7843(2)	5.7740(2)	5.7583(2)	5.7432(3)
b (Å)	6.53336(9)	6.5198(2)	6.4907(2)	6.4733(2)	6.4599(2)	6.4456(2)	6.4217(2)	6.3986(3)
c (Å)	3.19626(5)	3.1799(1)	3.1570(1)	3.1423(1)	3.1312(2)	3.1201(1)	3.1012(1)	3.0857(2)
V (Å3)	121.699(4)	120.676(6)	118.933(6)	117.843(5)	117.001(6)	116.118(4)	114.677(5)	113.394(6)
Sb(x)	0.1887(1)	0.1858(4)	0.1854(4)	0.1857(3)	0.1839(4)	0.1850(3)	0.1842(4)	0.1842(4)
Sb(y)	0.3561(1)	0.3552(4)	0.3537(3)	0.3518(3)	0.3527(3)	0.3558(3)	0.3585(4)	0.3502(4)
$\chi^2$	6.681	2.625	2.394	6.126	4.001	19.91	22.06	12.89
Fe-Sb $\times$ 2 (Å)	2.5733(7)	2.556(2)	2.535(2)	2.519(2)	2.515(2)	2.530(2)	2.535(2)	2.478(2)
Fe-Sb×4 (Å)	2.5942(5)	2.601(2)	2.594(2)	2.589(2)	2.588(2)	2.570(1)	2.557(2)	2.567(2)
Fe-Sb-Fe (°)	128.79(2)	128.79(7)	129.07(6)	129.45(6)	129.19(7)	128.80(6)	128.35(6)	129.75(7)

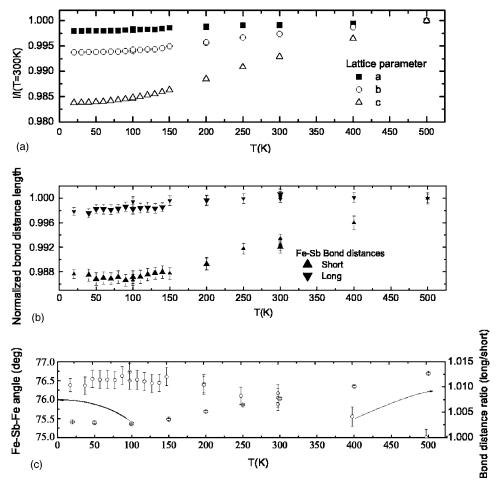


FIG. 2. Temperature dependence of (a) normalized unit cell parameters, (b) bond distance lengths, and (c) Fe-Sb-Fe angle  $\alpha$  between edge sharing octahedra and bond distance ratio (long/short). Note the increase of angle  $\alpha$  above  $T_{crossover}$  (see text) and the presence of two regions of the Fe-Sb normalized short bond distance length contraction around it.

bonds also change as the temperature is lowered and temperature effects on bond distance lengths normalized to 500 K are shown in Fig. 2(b). We observe two regions of bond contraction with a crossover near 100 K. The thermal contraction of the long Fe-Sb bond distances (in the octahedral plane) becomes marginally stronger below 300 K, whereas the short (apical) Fe-Sb bond distances contract significantly between 500 K and 100 K. The contraction of the short Fe-Sb bond distances is finished at 100 K and below this temperature we observe no further thermal contraction on cooling down to the lowest measured temperature of 20 K. We can estimate the bond distance contraction by calculating the mean coefficient of contraction between 500 K and 20 K:  $\bar{\alpha}_{T_1,T_2} = 2/(i_1 + i_2)[(i_1 - i_2)/(T_2 - T_1)] (T_1 = 20 \text{ K}, T_2 = 500 \text{ K}; i = \text{short,long}): \bar{\alpha}_{20\ 500}^{\text{short}} = 1.16 \cdot 10^{-5} \ K^{-1}, \ \bar{\alpha}_{20\ 500}^{\text{long}}$ =2.6· $10^{-5}$  K<sup>-1</sup>, indicating relatively large differences in the distortion of the octahedra. Both the bond distance ratio and the Fe-Sb-Fe angle  $\alpha$  associated with the shared octahedralsite edges along the c-axis [Fig. 2(c)] change the slope below 100 K. The change in the bond distance ratio implies maximum distortions for the Fe-Sb octahedra around the  $T_{\rm crossover} \sim 100$  K. The value of the Fe-Sb-Fe bond angle at 300 K (76.028±0.02°) agrees well with the previously reported value of 76.0°.13,19 Figure 2(c) shows that the Fe-Sb-Fe bond angle  $\alpha$  has little or no temperature dependence for T < 100 K and increases above  $T_{\text{crossover}} \sim 100$  K.

The lattice parameters contract smoothly with pressure to smaller values above 3 GPa than the ones obtained by ther-

mal contraction down to 20 K (Figs. 3(a) and 4). Individual lattice parameter compressibilities  $\beta_0^i = -(1/i)(\partial i/\partial P)_T$  (i =a,b,c) are quite different:  $\beta_0^a = 0.00223(4) \text{ GPa}^{-1}, \beta_0^b$ =0.00339(3) GPa<sup>-1</sup>, and  $\beta_0^c$ =0.00655(5) GPa<sup>-1</sup>. The ratio of the c and a axes compressibilities is as much as  $(\beta_c/\beta_a)_T$ =2.9. When compared with a ratio of thermal contraction  $(\alpha_c/\alpha_a)_P=8$ , it follows that structural changes are more anisotropic with temperature. Both temperature and pressure compress the c-axis which is the direction of higher lying  $\Xi$ orbitals associated with  $d_{xy}$  symmetry rather strongly, whereas the b and a axes are less compressible. The ratios of contraction to compressibility are also highest for the c-axis:  $(\alpha/\beta)^a = 1.88 \cdot 10^{-3} \text{ GPa K}^{-1}, (\alpha/\beta)^b = 3.83 \cdot 10^{-3} \text{ GPa K}^{-1},$ and  $(\alpha/\beta)^c = 1.15 \cdot 10^{-2}$  GPa K<sup>-1</sup>. We see no evidence for the formation of a high pressure polymorph up to (7.14±0.1) GPa, as was established in the cases of CrSb<sub>2</sub> and NiSb<sub>2</sub>.<sup>20</sup> The uncertainty in Rietveld refinement and the errors of the bond distances at high pressures limit our conclusions on the bond distance ratio and the Fe-Sb-Fe octahedral angle between neighboring cations in edge-sharing octahedra. However, preliminary measurements indicate that there is no change in the pressure dependence of the Fe-Sb bond distances and the angle  $\alpha$  in contrast to their thermal contraction. Their ratio remains constant under pressure. Figure 3(b) shows the normalized unit cell volume as a function of pressure. We obtain the value of bulk modulus  $B_0$ =84(3) GPa and B'=5(1) by fitting a Birch-Murnagham equation of state.<sup>21</sup>

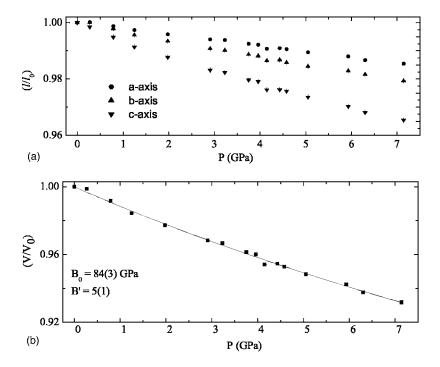


FIG. 3. Pressure dependence of (a) normalized unit cell parameters and (b) unit cell volume of FeSb<sub>2</sub>.

The Fe-Sb long and Fe-Sb short bond lengths in Fe-Sb octahedra involve Fe  $a_{\sigma}$  bonding orbitals ( $e_g$  in origin) and Sb  $sp^3$  hybrid orbitals, as pointed out by Goodenough and Fan. <sup>11,15</sup> Bond distance lengths in Fe-Sb octahedra influence the large energy gap between  $t_{2g}$  and  $e_g$  derived states. The gap within the  $t_{2g}$  multiplet is caused by mixing of  $\Xi$  cation and  $\sigma$  bonding anion orbitals, and the strength of this mixing is governed by the Fe-Sb-Fe angle  $\alpha$  that measures the deviation from an ideal tetrahedral angle. <sup>11</sup> Starting from the diamagnetic state at low temperatures, the increase of the Fe-Sb-Fe angle  $\alpha$  between neighboring cations [Figs. 1(b) and 2(c)] above  $T_{\text{crossover}} \sim 100 \text{ K}$  indicates a thermally in-

duced population of higher lying  $\Xi$  orbitals ( $d_{xy}$  in origin). Since  $T_{\text{crossover}}$  coincides with the temperature of diamagnetic to paramagnetic transition in FeSb<sub>2</sub>, we conclude that the spin state transition observed in Ref. 14 occurs within the Fe  $t_{2g}$  multiplet.<sup>14</sup>

Goodenough's description of the energy bands of FeSb<sub>2</sub> can be connected with the electronic and magnetic properties of Kondo insulators. Transitions within the  $t_{2g}$  multiplet involves the population of a  $d_{xy}$ -derived band of itinerant states. In the case of a Kondo insulator we expect to describe the magnetic susceptibility with a model of a metallic spin paramagnetism, albeit with a large renormalization of the

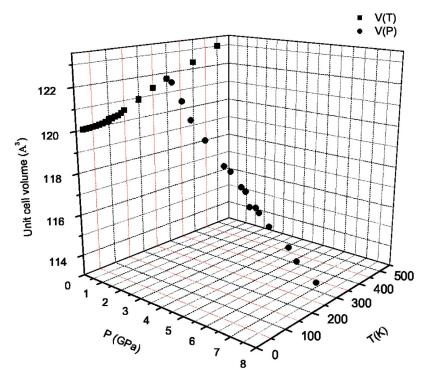


FIG. 4. (Color online) The effects of pressure and temperature on the unit cell volume. The 8 GPa of pressure reduce the unit cell volume by 1.4%, 4.6 times exceeding the ambient pressure compression for 6.5% by temperature decrease from 300 K to 20 K.

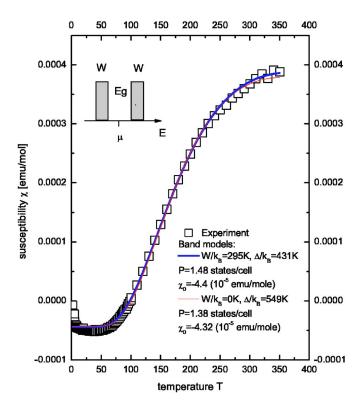


FIG. 5. (Color online) Magnetic susceptibility of FeSb<sub>2</sub> (data taken from Ref. 14). Note much smaller low temperature Curie tail than in FeSi. Solid and dashed lines represent fits using the model density of states shown in the inset.

noninteracting bands. Thus, we used the model proposed by Jaccarino. The temperature dependence of the magnetic susceptibility should be explained with a model of two narrow bands (peaks) at the density of states of width W and separated by  $E_g = 2\Delta$  (see inset in Fig. 5). This model has been successfully applied to show the validity of Kondo insulator picture in seminal work on the thermodynamics of FeSi.  $^3$ 

The Pauli susceptibility of an itinerant electron system with N(E) density of states is

$$\chi(T) = -2\mu_B^2 \int_{c\text{-band}} N(E) \frac{\partial f(E, \mu, T)}{\partial E} dE,$$

where  $\mu_B$  is the Bohr magneton and  $f(E,\mu,T)=(\exp[(E-\mu)/k_BT]+1)^{-1}$ . The factor 2 in the above equation is due to the holes in the valence band that contribute to  $\chi$  in the same way as electrons in the conduction band.<sup>23</sup> Taking N(E)=Np/W and  $\mu=W+\Delta$ , where p is the number of states/cell, and N number of unit cells, we obtain

$$\chi(T) = -2\mu_B^2 \frac{Np}{W} \frac{\exp(\beta \Delta)(1 - \exp(\beta W))}{(1 + \exp(\beta \Delta))(1 + \exp(\beta (\Delta + W)))} + \chi_0.$$

By fitting magnetic susceptibility data we obtain allowable values for parameters:  $0 \text{ K} < W/k_B < 400 \text{ K}$  and 850 K  $< E_g/k_B < 1100 \text{ K}$ , comparable to parameter values obtained for FeSi.<sup>3</sup>

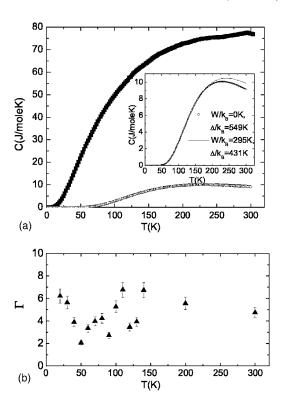


FIG. 6. (a) Heat capacity  $C_P$  of FeSb<sub>2</sub>. Inset shows contribution to heat capacity from the model density of states used to model magnetic susceptibility (see text). (b) Grüneisen parameter  $\Gamma$  of FeSb<sub>2</sub>.

The accumulation of states at the gap edges should in principle be observed in other thermodynamic properties, such as the thermal expansion  $\alpha$  and the heat capacity  $C_P$ . Unfortunately, there is no  $MSb_2$  diamagnetic member with M=3d transition metal element with the marcasite structure that we could use in order to extract the electronic contribution to  $\alpha$  and  $C_P$ . A similar difference has been obtained for FeSi using CoSi as a reference. CoSb<sub>2</sub> forms in a distorted monoclinic structure  $P2_1/c$  at ambient temperature and NiSb<sub>2</sub>, contrary to previously reported, is not diamagnetic. From the low temperature specific heat [Fig. 6(a)]  $C \sim BT^3$ , where

$$B = \frac{12}{5} nR \pi^4 \left(\frac{T}{\theta_D}\right)^3,$$

we estimate the Debye temperature as  $\theta_D$ =(256±6) K, a smaller value than previously reported ( $\theta_D$ =380 K) based on vapor transport grown samples. Using the same range of parameters obtained from the magnetization fit, we have calculated spin state transition contribution to specific heat  $C_P$ =( $\partial U/\partial T$ ) with U given by the contributions from valence and conduction band

$$\begin{split} U &= \int_0^W \frac{Np}{W} \frac{EdE}{\exp(\beta(E-W-\Delta))+1} \\ &+ \int_{W+2\Delta}^{2W+2\Delta} \frac{Np}{W} \frac{EdE}{\exp(\beta(E-W-\Delta))+1} \,. \end{split}$$

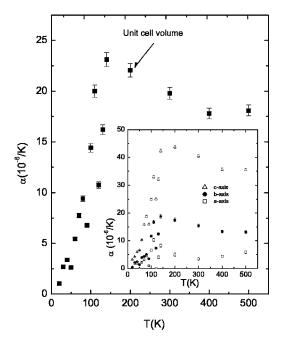


FIG. 7. Thermal expansion  $\alpha = (1/V)(\partial V/\partial P)_P$  of the unit cell volume of FeSb<sub>2</sub>. Weak temperature dependence of the unit cell volume introduces some noise in thermal expansion data below 100 K. Inset shows the thermal expansion coefficient of the individual axes  $\alpha = 1/l(\partial l/\partial P)_P$  (l=a,b,c).

The results are shown in Fig. 6(a), where we see that phonon contribution dominates at  $T \sim T_{\rm crossover}$ . From the measured specific heat [Fig. 6(a)] and the unit cell volume temperature dependence (Fig. 4) we estimate the Grüneisen parameter  $\Gamma = 3B\alpha/C_P$  [Fig. 6(b)], where  $\alpha = (1/3V) \times (\partial V/\partial P)_P$  (Fig. 7) and B is the bulk modulus. The overall magnitude of the thermodynamic Grüneisen parameter  $\Gamma$  is comparable to the one seen in FeSi. We see that  $\Gamma$  is weakly temperature dependent with a possible minimum developing around T=50 K. Since  $\Gamma$  represents the measure of anharmonic effects in the lattice potential energy, our  $\Gamma(T)$  indicates the overall agreement with the Grüneisen assumption  $\Delta\omega/\omega = -\Gamma\Delta V/V$ .

The  $\alpha(T)$  for FeSb<sub>2</sub> (Fig. 7) is different from the case of cubic or anisotropic metals, where  $\alpha(T)$  follows the C<sub>P</sub> decrease below room temperature in accord with the Debye function. Departures are expected for large variations of  $\Gamma$ .<sup>26</sup> The electronic contribution to the specific heat of a narrow gap semiconductor is expected to show a Schottky peak, as expected for a two level electronic system separated by gap  $E_g$ =2 $\Delta$ . If the degeneracies of levels separated by  $E_g$  are equal, we expect the peak at a temperature equivalent to  $\Delta$ =2.4 $T_{\rm peak}$ .<sup>27,28</sup> While we cannot extract the electronic contribution from the phonons in C<sub>P</sub> [Fig. 6(a) shows that it is  $\sim$ 10% of the measured value of  $C_P$ ], since the Grüneisen parameter  $\Gamma$ =3 $B\alpha/C_P$  remains roughly constant, the Schottky term should be reflected in the thermal conductivity

as well. Notwithstanding that we were not able to extract the electronic contribution to  $\alpha$ , the data at Fig. 7 could be consistent with a broad peak forming at  $T_{\text{peak}} \sim (125-200) \text{ K}$ , thus giving  $\Delta/k_B \sim (300-480)$  K. This might indicate that physically meaningful values of the gap are  $850 < E_a/k_B$ < 960 K, closer to the lower limit of those obtained from the fit of the magnetic susceptibility. Anisotropic thermal expansion coefficients of the lattice constants  $\alpha_l = 1/l(\partial l/\partial P)_P$  (l =a,b,c) (Fig. 7 inset) show that the peak in the volume thermal expansion is dominated by the c-axis contribution  $\alpha_c$ , whereas we see little or no evidence for the peak formation for  $\alpha_a$  or  $\alpha_b$ . Since the  $d_{xy}$  orbitals that could be involved in a spin state transition within the  $t_{2g}$  multiplet overlap along the c-axis of the crystal, <sup>11</sup> it is likely that the electronic states involved in the Schottky peak formation are in fact of  $d_{xy}$  origin. This agrees with Goodenough's picture of a band of itinerant states within the  $t_{2g}$  multiplet and observations of enhanced conductivity in paramagnetic region. 11,14,15

In conclusion, we have shown that the experimental data for FeSb<sub>2</sub> can be viewed as a thermally induced spin state transition within the Fe  $t_{2g}$  multiplet. A simple model with two peaks at the density of states at the gap edges can explain the thermally induced paramagnetic moment, as expected for Kondo insulators. The magnetic properties correlate with the electronic conductivity in FeSb<sub>2</sub> since the resistivity in the low spin diamagnetic state at 2 K is more than four orders of magnitude larger than in the paramagnetic high spin state at room temperature. 14 This significant enhancement of the conductivity in the paramagnetic state agrees with Goodenough's hypothesis that thermal excitation populates \(\mathbb{\pi}\) orbitals which have a substantial degree of covalent mixing and itineracy, as opposed to the more localized  $\Lambda$  orbitals. 11 We see, however, that the magnetic susceptibility can be described by both a thermally induced Pauli susceptibility (Fig. 5) and a low spin to high spin transition.<sup>14</sup> Neutron scattering experiments would be very useful to quantify this and to correlate the phonon structure and frequency change with the thermally induced volume change. We conclude that the FeSb<sub>2</sub> is a promising model system to study the applicability of the Kondo insulator vs the nearly itinerant magnetic semiconductor picture for 3d intermetallic compounds, in addition to FeSi. This is further supported by preliminary optical spectroscopy measurements.<sup>29</sup>

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