

# Irreversibilities in low-field magnetization of site-disordered $\text{Ni}_{75}\text{Al}_{25}$

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(Received 18 November 2002; revised manuscript received 21 February 2003; published 17 July 2003)

The results of extensive “zero-field-cooled” ( $M_{ZFC}$ ) and “field-cooled” ( $M_{FC}$ ) magnetization and hysteresis measurements performed in the magnetic field ( $H$ ) and temperature ( $T$ ) ranges  $2.5 \text{ Oe} \leq H \leq 3 \text{ kOe}$  (10 kOe) and  $14 \text{ K} \leq T \leq 1.4T_C$  (Curie temperature) on  $\text{Ni}_{75}\text{Al}_{25}$  samples with varying degree of site disorder and on samples with composition in the range  $\text{Ni}_{74.31}\text{Al}_{24.69}$  to  $\text{Ni}_{75.98}\text{Al}_{24.02}$  having the same degree of site disorder, are presented and discussed in the light of the existing theoretical models. The difference,  $M_{irr}(T) = M_{FC}(T) - M_{ZFC}(T)$ , is taken to be the direct measure of irreversibility in magnetization. As the temperature is lowered from  $T \gg T_C$ ,  $M_{irr}$  as a function of temperature at a fixed  $H$ , (i) deviates from zero at a temperature  $T_{WI}$  (which marks the onset of weak irreversibility), (ii) goes through a *peak* at  $T_P$  (a *new feature*, to our knowledge not reported in the literature so far, observed in all the samples except for the quenched one), and (iii) exhibits a *steep* increase below  $T_{SI}$  (the temperature at which a crossover to strong irreversibility occurs). While the occurrence of a peak in  $M_{irr}(T)$  has not been theoretically addressed yet, the observed variations of  $T_{WI}$  and  $T_{SI}$  with  $H$  as well as the observation that  $T_{WI} \gg T_C$  and  $T_{SI} \approx T_C$  are in conflict with the predictions based on the mean-field vector-spin models. By establishing a clear link between the magnetic field variations of  $T_{WI}$ ,  $T_P$ , and  $T_{SI}$  and the temperature dependences of  $H_C$  (coercive field), the present work asserts that the pinning of domain walls at the magnetic (exchange) inhomogeneities present in the samples under consideration is at the root of the observed irreversibilities in magnetization.

DOI: 10.1103/PhysRevB.68.024410

PACS number(s): 75.30.Kz, 75.60.Ej, 75.50.Cc

## I. INTRODUCTION

Systems with widely different types of magnetic order such as spin glasses, ferromagnets, antiferromagnets, and ferrites exhibit irreversibilities in the low-field magnetization at temperatures below the ordering temperature regardless of whether they are crystalline or amorphous, metallic or insulating. A phenomenon so widespread has, however, received selective attention among magnetic materials: more in spin glasses and relatively less in ferromagnets/antiferromagnets. Thus, it is not surprising that more progress has been made in understanding this phenomenon in spin glasses than in other magnetic systems.

Mean-field (MF) vector spin models<sup>1,2</sup> predict *finite-temperature* phase transition in *zero* as well as *finite* magnetic fields for both Ising (spin dimensionality  $n=1$ ) and Heisenberg ( $n=3$ ) spin-glass (SG) systems. In an Ising SG system, this transition in the field-temperature ( $H$ - $T$ ) phase diagram occurs along the de Almeida–Thouless (AT) line<sup>1</sup>

$$\tau_f^3(h) = \{1 - [T_f(H)/T_f(0)]\}^3 = (3/4)h^2 \quad (1)$$

[where the *reduced* field  $h = g\mu_B H/k_B T_f(0)$  is *small* and  $T_f(0)$  is the SG freezing temperature at  $H=0$ ] and is signaled by an irreversibility in the magnetization. In an *isotropic* spin glass system composed of vector spins with  $n$  components, transitions in the  $H$ - $T$  plane occur at *low* fields along two phase transition lines<sup>2</sup>: the Gabay-Toulouse (GT) line<sup>2</sup>

$$\tau_{GT}(h) = 1 - [T_{GT}(H)/T_f(0)] = Ch^2 \quad (2)$$

with  $C = (n^2 + 4n + 2)/4(n + 2)^2$ , followed at lower temperatures by another line,<sup>2</sup>

$$\tau_{AT}^3(h) = \{1 - [T_{AT}(H)/T_f(0)]\}^3 = C'h^2, \quad (3)$$

with  $C' = (n+1)(n+2)/8$ , which reduces to the AT form, [Eq. (1)], for  $n=1$ . The GT line marks the onset of weak irreversibility in the magnetization brought about by the freezing of spin degrees of freedom *transverse* to the field direction while the AT line signals a *crossover* from *weak* to *strong* irreversibility caused by the freezing of spin degrees of freedom *along* the field direction. In spin glass systems with random anisotropy (resulting from anisotropic Dzyaloshinsky-Moriya interactions), Kotliar and Sompolinsky<sup>3</sup> (KS) contended that random anisotropy significantly alters both the form and nature of the finite-field transition even when the anisotropy is so weak as to practically have no effect on the zero-field transition. The KS model<sup>3</sup> predicts that in the *strong anisotropy regime*, the transition is of the AT type, in that the transition line is described by Eq. (3) but with  $C'$  replaced by  $C'' = (n+2)/4n$ , whereas in the *weak-anisotropy limit*, the transition is identical to the GT one, i.e., Eq. (2), but the zero-field transition temperature  $T_f(0)$  shifts to lower temperatures by an amount<sup>4</sup> that depends on the magnitude of anisotropy. According to the KS model, the magnetic field should induce a crossover from the AT to GT irreversibility lines. A number of experiments have confirmed the existence<sup>5–8</sup> of GT and AT irreversibility lines in the  $H$ - $T$  phase diagrams of several spin-glass systems and a field-induced AT  $\rightarrow$  GT crossover<sup>6–8</sup> at a certain field-dependent temperature as the temperature is lowered, as predicted by the MF vector spin models.<sup>1–4</sup> However, such a behavior is not universal in the sense that, in some spin glasses, irreversibility lines do not obey Eq. (3). The deviations from the AT behavior have been understood in terms of a non-mean-field scaling theory.<sup>9</sup>

According to mean-field vector spin models,<sup>2,10</sup> in ferromagnets, the GT and AT lines are associated with the formation of the reentrant phase, which is essentially a canted ferromagnet with transverse spin-glass order and a longitudinal spontaneous magnetization  $M_S$ , and the external magnetic field ( $H$ ) leaves the functional dependence of  $T_{AT}$  on  $h$ , i.e., Eq. (3), *unaltered* but *changes* the field dependence of  $T_{GT}$  from  $T_{GT} \sim h^2$ , i.e., Eq. (2), to<sup>10</sup>

$$\tau_{GT}(h) = 1 - [T_{GT}(H)/T_{GT}(0)] = (2^{3/2}C)h, \quad (4)$$

where  $T_{GT}(0) \equiv T_{GT}(H=0)$  is the GT transition temperature in the absence of  $H$ . Equation (4) is valid for  $H \ll M_S$ . An unambiguous correlation between the observed irreversibility lines in the  $H$ - $T$  phase diagram of ferromagnets exhibiting a reentrant behavior at low temperatures with the GT and AT phase boundaries could not be established<sup>10-12</sup> so far.

Irreversibilities in the magnetization of reentrant ferromagnetic or antiferromagnetic systems have also found alternative interpretations<sup>12-15</sup> in terms of the non-mean-field models that include the phenomenological models, proposed independently by Coles *et al.*<sup>16</sup> and Kaul,<sup>17</sup> and invoke the mechanism of thermally activated depinning of domain walls. Unlike mean-field models, the models due to Coles *et al.*<sup>16</sup> and Kaul<sup>17</sup> assert that the irreversibility lines do not represent true thermodynamic phase transition lines (for details, see Refs. 12 and 18). However, even among the interpretations of such irreversibilities offered by various non-mean-field models, there is no general agreement.

Varied explanations for the phenomenon of irreversibility in magnetization in spin systems with long-range magnetic order calls for a deeper study of such systems than attempted hitherto. To this end, an extensive investigation of irreversibilities in the magnetization of weak itinerant-electron ferromagnets  $Ni_{75 \pm x}Al_{25 \mp x}$  ( $x=0,1$ ), “prepared” in different states of site disorder, has been undertaken. The rationale behind the choice of these samples is that they are devoid of the complications arising from the presence of a spin glass or a reentrant phase at low temperatures and permit determination of the role of site disorder, if any, in affecting irreversibilities in the magnetization.

## II. EXPERIMENTAL DETAILS

Since details of the preparation and characterization of some of the samples are given elsewhere,<sup>19,20</sup> only the essential ones are briefly described here. Starting with the high-purity (99.999%) raw materials nickel and aluminum, polycrystalline alloys with a nominal composition  $Ni_{75 \pm x}Al_{25 \mp x}$  ( $x=0,1$ ) and a single crystal of nominal composition  $Ni_{75}Al_{25}$  were prepared under a high-purity (99.999%) argon gas inert atmosphere by radio frequency induction and zone refining techniques, respectively. Spheres of 3-mm diameter (a cylinder with cylindrical axis parallel to the easy direction of magnetization, i.e., [111] direction) were spark cut from the polycrystalline rods (single crystal rod). One of the  $Ni_{75}Al_{25}$  spheres was annealed at 520 °C for 16 days in a quartz tube evacuated to a pressure of  $10^{-6}$  Torr and subsequently water quenched. A portion of the polycrystalline  $Ni_{75}Al_{25}$  rod was melt quenched<sup>20</sup> onto a rotating cop-

TABLE I. Nominal and actual composition, and Curie temperature of the samples under consideration.

Sample	Nominal composition		Actual composition		Curie temperature
	Ni (at %)	Al (at %)	Ni (at %)	Al (at %)	$T_C$ (K)
$S_1$	75.00	25.00	75.08(17)	24.92(10)	56.377(5)
$S_2$	75.00	25.00	75.08(17)	24.92(10)	36.002(5)
$S_{74}$	74.00	26.00	74.31(17)	25.69(19)	47.60(5)
$S_{75}$	75.00	25.00	74.73(17)	25.27(19)	56.240(5)
$S_{76}$	76.00	24.00	75.98(9)	24.02(10)	76.298(5)
$Z_{75}$	75.00	25.00	74.33(16)	25.67(15)	41.00(10)

per wheel to form long thin ribbons of a width of 2 mm and a thickness of 30  $\mu\text{m}$ . The samples of the alloy series  $Ni_{75 \pm x}Al_{25 \mp x}$ , in the “as-prepared” condition, are labeled as  $S_{74}$ ,  $S_{75}$ , and  $S_{76}$ . The annealed, quenched, and *polycrystalline* samples, and the *single crystal* of nominal composition  $Ni_{75}Al_{25}$ , are henceforth referred to as  $S_1, S_2$ , and  $Z_{75}$ , respectively. The pieces remaining after spark cutting samples  $S_1, S_{74}, S_{75}, S_{76}$  and  $Z_{75}$  as well as ribbon pieces of the sample  $S_2$  were analyzed for chemical composition using the x-ray fluorescence technique and inductively-coupled-plasma optical emission spectroscopy. The actual composition of these samples is given in Table I.

Extensive x-ray diffraction measurements, using  $\text{CuK}\alpha$  radiation, have been performed at room temperature on these samples over the angle,  $2\theta$ , in a range of  $10^\circ \leq 2\theta \leq 100^\circ$  with a view to accurately determine<sup>20</sup> lattice parameters and the long-range atomic order parameter, which is a direct measure of the degree of site disorder present. The values of the Curie temperatures,  $T_C$ , for the samples in question (Table I) have been determined using an elaborate critical-point analysis<sup>20</sup> of the bulk magnetization and ac susceptibility data taken on them previously.

Each of the samples  $S_1, S_2, Z_{75}, S_{74}, S_{75}$ , and  $S_{76}$  was cooled down to 14 K in a zero external magnetic field from temperatures as high as  $2T_C$  and, using the EG&G Princeton Applied Research 4500 Vibrating Sample Magnetometer, the zero-field-cooled magnetization ( $M_{ZFC}$ ) was measured at constant (to within  $\pm 5$  mK) temperatures 0.5 K apart in the heating cycle from 14 K to  $T \approx T_C + 10$  K after a static magnetic field ( $H$ ) of *fixed* magnitude in the range  $2.5 \text{ Oe} \leq H \leq 1 \text{ kOe}$  was applied. The samples were then cooled in the same field without changing the configuration and the static magnetization [ $M_{FC}(T)$ ] was measured at fixed (0.5 K) temperature steps in the cooling run [i.e., in the field-cooled (FC) mode]. Such magnetization curves at different but fixed values of the field, representative of the samples in question, are shown in Fig. 1.

Magnetic hysteresis loops have been recorded at fixed temperatures (stable to  $\pm 10$  mK) ranging from 14K to temperatures well above  $T_C$  in the field range  $-3 \text{ kOe} \leq H \leq 3 \text{ kOe}$  (in some cases in the range  $-10 \text{ kOe} \leq H \leq 10 \text{ kOe}$  as well) using the following modes of measurement. In the first mode of measurement [the so-called zero-

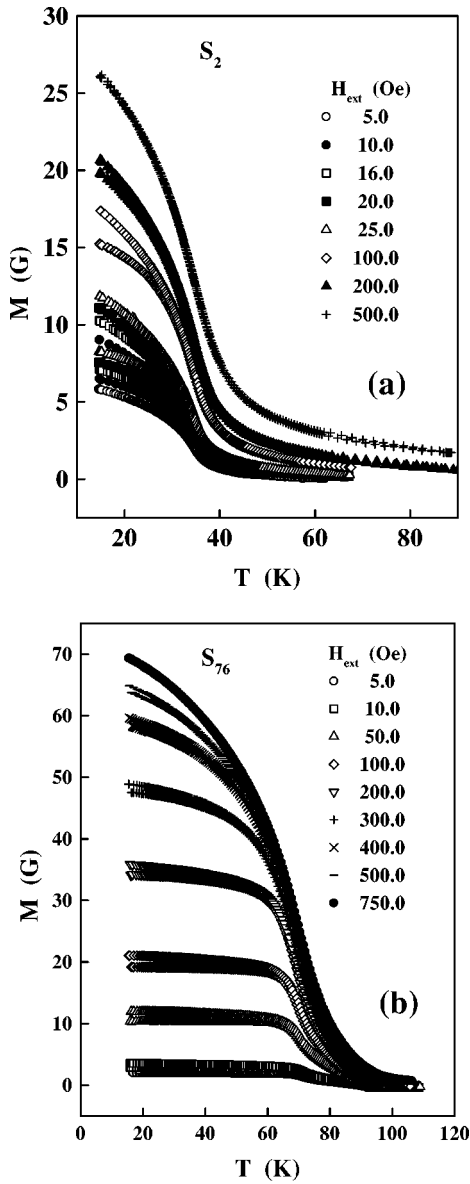


FIG. 1. Temperature variations of the “zero-field-cooled” (lower curves) and “field-cooled” (upper curves) magnetizations at different but fixed values of external magnetic field for samples (a)  $S_2$  and (b)  $S_{76}$ .

field-cooled (ZFC) mode], the sample was cooled to the measuring temperature in zero-field from  $T \approx 2T_C$  before recording the  $M$ - $H$  loops. In the second mode (the so-called field-history mode), the sample was cooled to the lowest measuring temperature ( $\approx 14$  K) in zero-field from  $T \approx 2T_C$  and the  $M$ - $H$  hysteresis loops were recorded in the heating cycle after holding the sample temperature constant at different values in the range  $14\text{K} \leq T \leq 1.5T_C$ . In this mode, sample has the memory of field cycling it was subjected to at the previous value of temperature. Both types of measurements yield identical hysteresis loops (which are symmetric and centered at the origin  $H=0$  and  $M=0$ ) at a given temperature in the range covered in the present experiments for all the samples *except* for the quenched sample  $S_2$  for  $T > T_C$ . To elucidate this point further, in sample  $S_2$ , the hys-

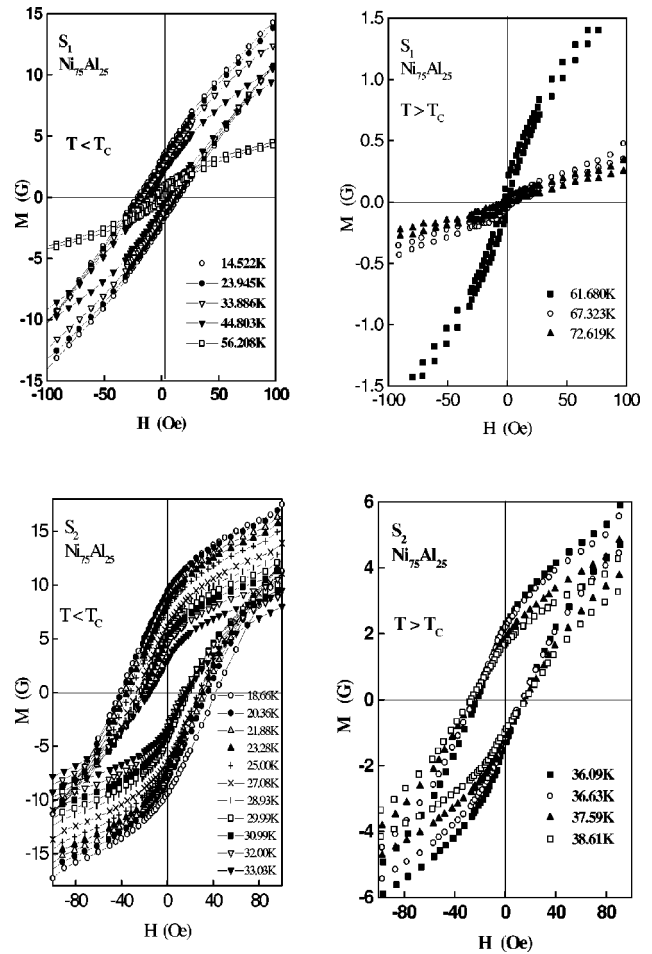


FIG. 2.  $M$ - $H$  hysteresis loops at temperatures below and above Curie temperature for samples  $S_1$  and  $S_2$ .

teresis loops are identical and centered (centred) at the origin in both the modes of measurement (only in the ZFC mode) for  $T < T_C$  ( $T > T_C$ ); in the case of the “field-history” mode, the center of the hysteresis loops shifts progressively to negative fields as the temperature is raised above  $T_C$ , as is evident from Fig. 2.

### III. RESULTS

#### A. Magnetic irreversibility

From the data presented in Fig. 1, it is observed that the  $M_{ZFC}(T)$  and  $M_{FC}(T)$  curves do not fall on each other for temperatures below a certain characteristic temperature which depends on  $H$ . The difference between  $M_{FC}$  and  $M_{ZFC}$  at a given temperature and field is a *direct measure* of irreversibility in the magnetization [ $M_{irr}(H, T)$ ] at that temperature and field. The plots of [ $M_{FC}(T) - M_{ZFC}(T)$ ] versus temperature at different but fixed values of  $H$  are shown for samples  $S_2$  and  $S_{76}$  in Fig. 3. The *representative*  $M_{irr} = [M_{FC} - M_{ZFC}]$  curves (taken at fixed  $H$ ) depicted in Fig. 3 present the following striking features. The difference [ $M_{FC} - M_{ZFC}$ ] =  $M_{irr}$  (i) deviates from zero below the temperature  $T_{WI}(H) > T_C$  (the Curie temperature) which marks the onset of *weak irreversibility* (WI) in the magnetization,

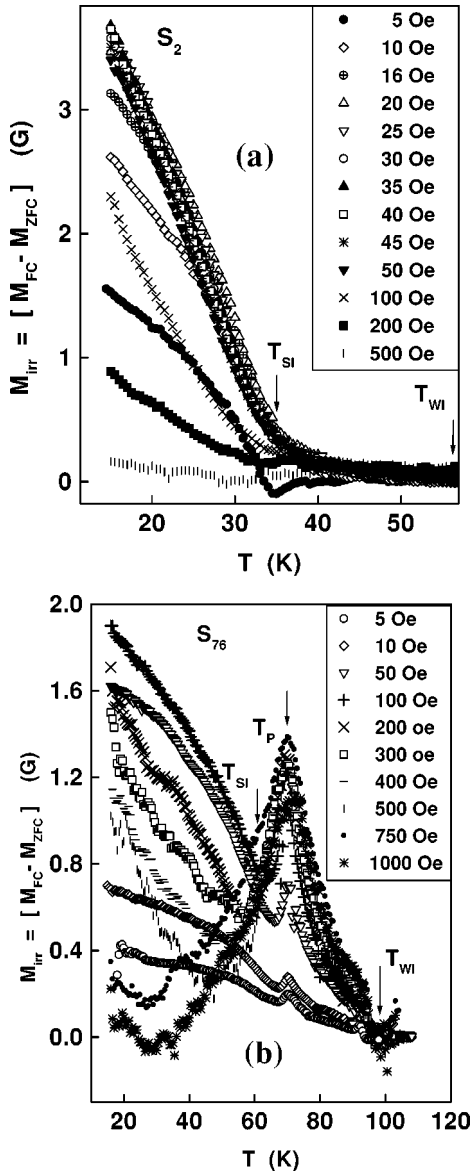


FIG. 3. The difference between field-cooled ( $M_{FC}$ ) and zero-field-cooled ( $M_{ZFC}$ ) magnetizations as a function of temperature at fixed values of external magnetic field for the samples (a)  $S_2$  and (b)  $S_{76}$ .

(ii) goes through a peak (observed in all the samples except for the quenched sample  $S_2$ ) at the temperature  $T_P(H)$  ( $\approx T_C$ ), and (iii) increases steeply below the temperature  $T_{SI}(H)$  ( $\leq T_C$ ) which signals the onset of *strong irreversibility* (SI) in the magnetization. The irreversibility lines [loci of  $T_{WI}(H)$ ,  $T_P(H)$ , and  $T_{SI}(H)$  temperatures] in the  $T$ - $H$  phase diagrams of the samples  $S_1, Z_{75}, S_{74}, S_{75}$ , and  $S_{76}$  follow, at low fields ( $H \leq H^{**}$ ), the relations (Figs. 4–6)

$$\tau_{WI}(H) \equiv 1 - [T_{WI}(H)/T_{WI}(0)] = -H/H_{WI}^*, \quad (5)$$

$$\tau_P(H) \equiv 1 - [T_P(H)/T_P(0)] = H/H_P^*, \quad (6)$$

and

$$\tau_{SI}(H) \equiv 1 - [T_{SI}(H)/T_{SI}(0)] = H/H_{SI}^*, \quad (7)$$

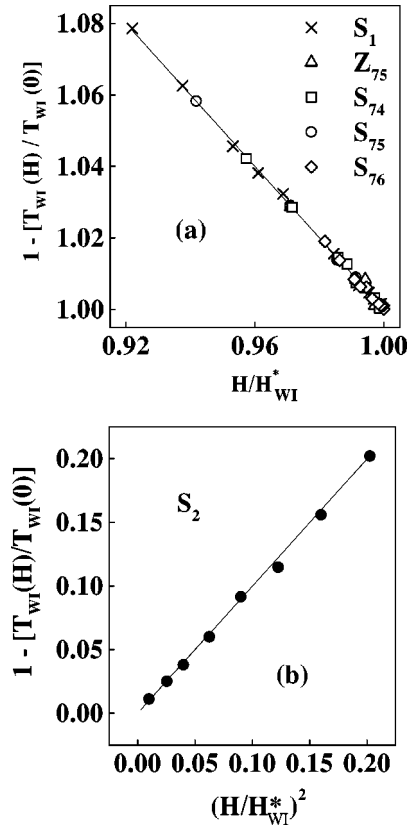


FIG. 4. Scaling of the reduced weak irreversibility temperature with the (a) reduced field for samples  $S_1, Z_{75}, S_{74}, S_{75}$ , and  $S_{76}$  and (b) reduced field squared for sample  $S_2$ .

By comparison, in the quenched sample ( $S_2$ ), the relation  $\tau_{SI}(H) \sim H$  [i.e., Eq. (7)], as in other cases, is *obeyed*, the  $\tau_P$ - $H$  irreversibility line does not exist, and the weak irreversibility line is described by the expression

$$\tau_{WI}(H) \equiv 1 - [T_{WI}(H)/T_{WI}(0)] = (H/H_{WI}^*)^2 \quad (8)$$

[which is at variance with Eq. (5), as is notable from the data presented in Fig. 4(b)]. In these expressions, the characteristic field  $H^*$  varies from sample to sample and hence depends on the degree of site disorder or chemical disorder present.

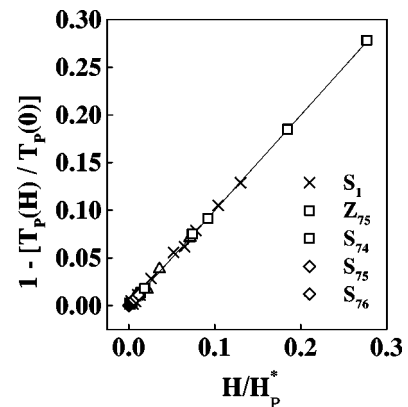


FIG. 5. Scaling of the reduced peak irreversibility temperature with the reduced field.



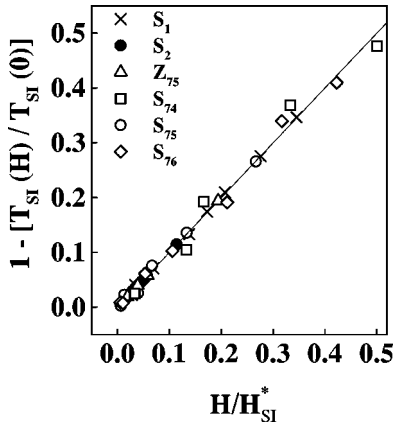


FIG. 6. Scaling of the reduced strong irreversibility temperature with the reduced field.

The numerical values of the quantities  $T_{WI}(0)$ ,  $H_{WI}^*$ ,  $T_P(0)$ ,  $H_P^*$ ,  $T_{SI}(0)$ ,  $H_{SI}^*$ , and  $H^{**}$  are listed in Table II.

Beyond a threshold field  $H_{cr}$  (whose value varies from sample to sample, as is evident from the magnitudes of  $H_{cr}$  displayed in Table II), the  $M_{FC}(T)$  and  $M_{ZFC}(T)$  curves coincide with one another down to the lowest measuring temperature, i.e., 14 K. This implies that  $H_{cr}$  is the field strength at and above which the irreversibilities cease to exist for  $T \geq 14$  K. Representative  $T_{WI}-H$ ,  $T_P-H$  and  $T_{SI}-H$  plots, shown in Fig. 7 serve to highlight the finding that all the characteristic temperatures  $T_{WI}$ ,  $T_P$ , and  $T_{SI}$  for irreversibility in magnetization suddenly drop even for fields well below  $H_{cr}$ . That the height of the peak in  $M_{irr}(T)$ ,  $m(H)$ , initially increases with the field  $H$ , reaches a maximum  $m_{max}$  at a certain value of  $H$  (which is sample-dependent), and drops to zero at the critical field  $H_{cr}$ , is shown in Fig. 8. This figure also serves to demonstrate that the ratio  $m/m_{max}$ , when plotted against  $H/H_{cr}$  for all the samples, causes the  $m(H)$  curves to fall onto one universal curve.

### B. Magnetic hysteresis loops

Figure 2 demonstrates that, irrespective of temperature, the hysteresis loops are much broader (i.e., an order of magnitude higher  $H_C$ ) in the case of the quenched sample  $S_2$

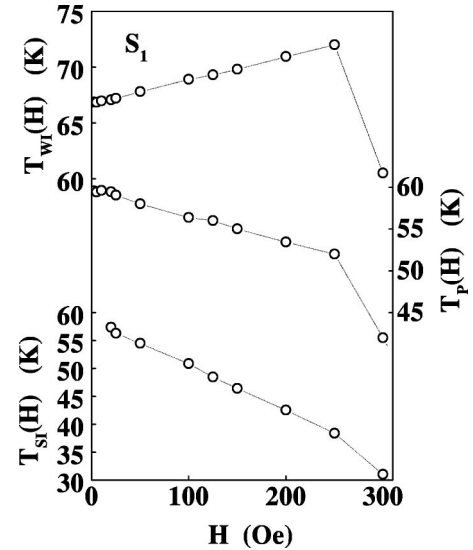


FIG. 7. Representative plots of the weak irreversibility, peak irreversibility and strong irreversibility temperatures  $T_{WI}$ ,  $T_P$  and  $T_{SI}$  vs field.

than in other samples. The hysteresis loops for the samples in question in the “field-history” mode are depicted in Fig. 2 in a narrow field range of  $-100 \text{ Oe} \leq H \leq 100 \text{ Oe}$  because the coercive fields ( $H_C$ ) are of the order of a few Oe. The variations of the remanent magnetization ( $M_r$ ) and  $H_C$  with temperature for all the samples are shown in Figs. 9 and 10. Note that the  $H_C$  values at  $T > T_C$  for the sample  $S_2$  (solid triangles in Fig. 10) refer to the centers of the hysteresis loops depicted in Fig. 2. It is noticed from the data presented in these figures that (i)  $M_r(T)$  almost mimics the temperature variation of the spontaneous magnetization [ $M_S(T)$ ] for  $T \leq T_C$  but does not go to zero at  $T_C$  as  $M_S(T)$  does; and (ii)  $H_C(T)$ , like  $M_r(T)$ , does not vanish at  $T_C$  but remains finite even for temperatures well above  $T_C$ .

## IV. DISCUSSION

The mean-field vector-spin models, applicable to ferromagnets exhibiting a reentrant behavior at low temperatures, predict that at low fields  $\tau_{WI}(H) \sim H$  [Eq. (4)], and  $\tau_{SI}(H) \sim H^{2/3}$  [Eq. (3)]. The theoretically predicted field depen-

TABLE II. Fit parameters  $T_{WI}(0)$ ,  $H_{WI}^*$ ,  $T_P(0)$ ,  $H_P^*$  and  $T_{SI}(0)$ ,  $H_{SI}^*$  in Eqs. (5)–(8) and the corresponding values of  $H^{**}$  and  $H_{cr}$  for samples  $S_1$ ,  $S_2$ ,  $Z_{75}$ ,  $S_{74}$ ,  $S_{75}$ , and  $S_{76}$ .

Sample	Weak irreversibility			Peak			Strong irreversibility			
	$T_{WI}(0)$ (K)	$H_{WI}^*$ (kOe)	$H_{WI}^{**}$ (Oe)	$T_P(0)$ (K)	$H_P^*$ (kOe)	$H_P^{**}$ (Oe)	$T_{SI}(0)$ (K)	$H_{SI}^*$ (kOe)	$H_{SI}^{**}$ (Oe)	$H_{cr}$ (Oe)
$S_1$	66.75(2)	3.20(3)	250	59.70(6)	1.92(3)	250	58.66(15)	0.725(11)	250	500
$S_2$	56.03(13)	0.100(1)	45	-	-	-	35.01(1)	0.874(4)	100	500
$Z_{75}$	68.92(8)	3.5(2)	100	49.68(1)	7.1(2)	100	49.76(2)	0.515(2)	100	-
$S_{74}$	70.67(3)	3.51(7)	150	61.11(5)	0.541(3)	150	51(1)	0.30(2)	150	600
$S_{75}$	68.09(2)	3.43(3)	200	63.45(22)	1.4(1)	100	49.77(28)	0.749(32)	200	800
$S_{76}$	94.89(3)	55(2)	1000	70.16(1)	8.7(1)	1000	68.62(52)	0.946(18)	500	3000

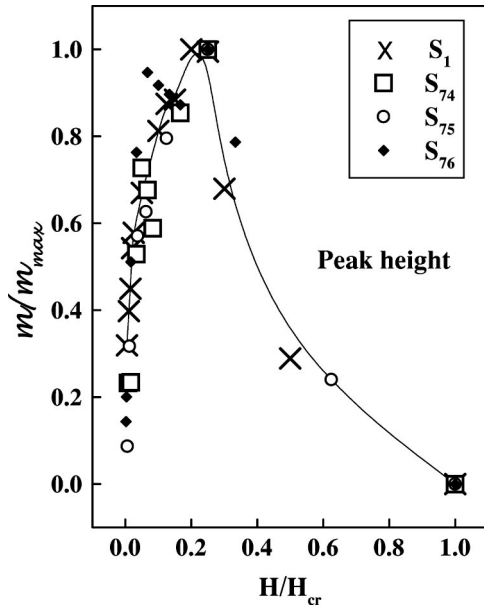


FIG. 8. Reduced peak height  $m/m_{max}$  vs the reduced field,  $H/H_{cr}$ .

dences do not conform to the observed ones as is evident from the following remarks. If  $\tau_{WI}$  ( $\tau_{SI}$ ) is identified with  $\tau_{GT}$  ( $\tau_{AT}$ ), according to the theoretical predictions, i.e., Eqs. (4) and (3),  $\tau_{WI}$  and  $\tau_{SI}$  should increase with magnetic field as  $H$  and  $H^{2/3}$ , respectively. However, in the samples  $S_1$ ,  $S_{75}$ ,  $S_{74}$ ,  $S_{75}$ , and  $S_{76}$ ,  $\tau_{WI}$ , instead of increasing, decreases linearly with  $H$  [Fig. 4(a)] as contrasted with the sample  $S_2$  in which  $\tau_{WI}$  increases with magnetic field not as  $H$  but as  $H^2$  [Fig. 4(b)], while  $\tau_{SI}$  does not increase as  $H^{2/3}$  but increases linearly with  $H$  (Fig. 6) for all the samples. None of the existing theories predicts a peak in the magnetic irreversibility versus temperature (i.e.,  $[M_{FC} - M_{ZFC}]$  vs  $T$ ) curves. Moreover, in sharp contrast with the theoretical prediction<sup>16</sup> that in ferromagnets with reentrant behavior at low temperatures, the Gabay-Toulouse irreversibility line lies well below the Curie temperature  $T_C$  and is followed at lower temperatures by the Almeida-Thouless instability line, weak

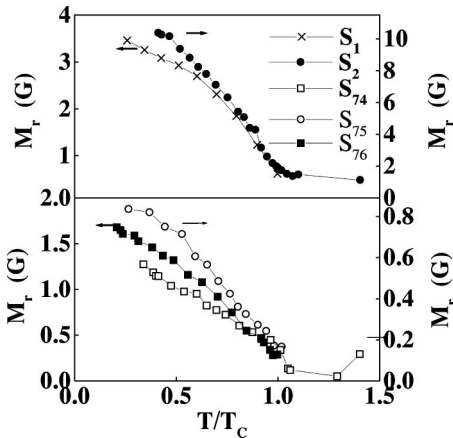


FIG. 9. Remanent magnetization as a function of reduced temperature.

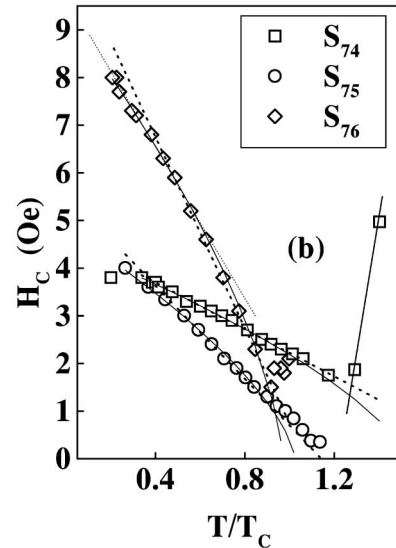
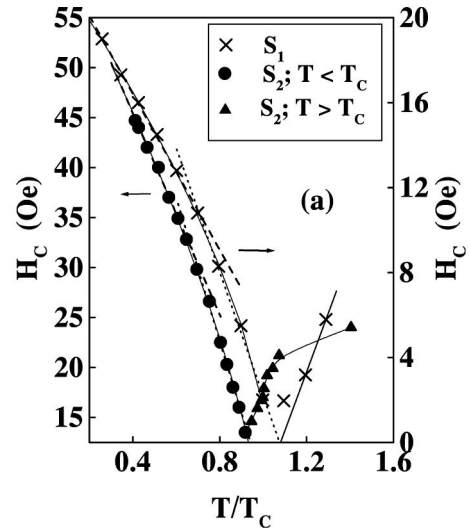


FIG. 10. Coercive field as a function of reduced temperature for samples (a)  $S_1$  and  $S_2$  and (b)  $S_{74}$ ,  $S_{75}$ , and  $S_{76}$ .

irreversibility line  $T_{WI}(H)$  lies well above  $T_C$  while the strong irreversibility line  $T_{SI}(H)$  is located close to  $T_C$  for all the samples under consideration. Such a wide disparity between the theoretical predictions and experimental observations may not be surprising in view of the fact that the presently investigated systems do not exhibit a reentrant or spin glass behavior.

In conventional ferromagnets, irreversibility in the magnetization at low fields, and temperatures well below  $T_C$ , is normally attributed to the progressive stiffening of domain walls (alternatively, to the increase in magnetic viscosity) as the temperature is lowered through  $T_C$  to low temperatures. By contrast, in the samples of the  $Ni_{75}Al_{25}$  alloy that vary either in the degree of site disorder or slightly in composition, irreversibility in the magnetization at low fields is first observed at temperatures well above  $T_C$ . The occurrence of irreversibility at  $T > T_C$  suggests that the above mechanism may not be relevant to the present case. Nevertheless, an

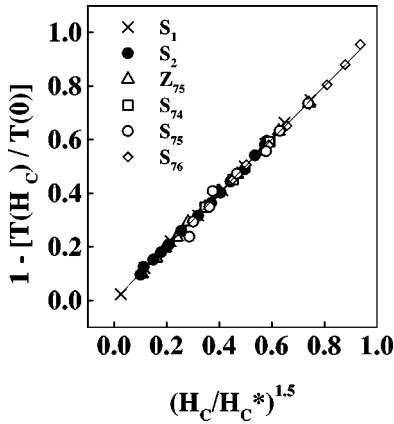


FIG. 11. Reduced temperature vs reduced coercive field,  $(H_C/H_C^*)^{1.5}$ .

attempt is made to ascertain if anisotropy and/or inhomogeneities and/or pinning effects are at the root of the observed irreversibility. To this end, an extensive study of magnetic hysteresis in the samples under consideration was undertaken, as detailed in Sec. II.

In order to facilitate a comparison between  $H_C(T)$  and the characteristic irreversibility temperatures  $T_{WI}(H)$ ,  $T_P(H)$  and  $T_{SI}(H)$ ,  $H_C(T)$  data are converted into  $T(H_C)$  data such that  $T(H_C)$  denotes the temperature corresponding to a given value of  $H_C$ . Figure 11 clearly demonstrates that the  $T(H_C)$  data, so obtained, follow the relation

$$\tau(H_C) = 1 - [T(H_C)/T(0)] = (H/H_C^*)^{1.5} \quad (9)$$

for  $T \leq T_C$ , or equivalently, for  $H_C \geq H_C^{**}$ , regardless of the degree of site disorder present or the alloy ( $\text{Ni}_x\text{Al}_{100-x}$ ) composition in the range  $74.31 \leq x \leq 75.98$  at %. The values for  $T(0)$ ,  $H_C^*$ , and  $H_C^{**}$  are listed in Table III. The best least-squares fits based on Eq. (9) are depicted in Fig. 10 by the continuous curves. A comparison of Eq. (9) with Eqs. (5)–(8) reveals that the field dependence of  $\tau$  does not conform to the variations of  $\tau_{WI}$ ,  $\tau_P$ , and  $\tau_{SI}$  with  $H$ . At the first sight, this disparity may be taken to indicate that different mechanisms are responsible for the irreversibility in the magnetization and coercivity. However, close scrutiny reveals that within the temperature range wherein the values of  $\tau_P(H)$  and  $\tau_{SI}(H)$  for a given sample fall,  $H_C$  decreases linearly with increasing temperature (dotted straight lines in

TABLE III.  $T(0)$ ,  $H_C^*$  and  $H_C^{**}$  values for the samples  $S_1$ ,  $S_2$ ,  $S_{74}$ ,  $S_{75}$ , and  $S_{76}$ . The typical errors in the values of  $H_C^{**}$  is  $\pm 0.5$  Oe.

Sample	$T(0)$ (K)	$H_C^*$ (Oe)	$H_C^{**}$ (Oe)
$S_1$	59.19(38)	22.76(14)	2
$S_2$	36.77(12)	63.42(20)	14.5
$S_{74}$	73.26(65)	4.50(3)	2.3
$S_{75}$	56.31(29)	4.89(3)	1.1
$S_{76}$	73.31(47)	9.40(5)	1.5

TABLE IV.  $T$  range,  $T(0)$ ,  $H_0$  and  $H_C^+$  values for samples  $S_1$ ,  $S_2$ ,  $S_{74}$ ,  $S_{75}$ , and  $S_{76}$ . The typical errors in the values of  $H_C^+$  is  $\pm 0.5$  Oe.

Sample	Temperature range (K)	$T(0)$ (K)	$H_0$ (Oe)	$H_C^+$ (Oe)	$T_P(0)$ [ $T_{SI}(0)$ ] (K)
$S_1$	44.8-56.2	59.64(5)	0.0	35.57	59.70(6)
$S_2$	28.93-33.03	39.25(5)	0.0	85.76	[35.01(10)]
$S_{74}$	26.10-46.70	61.13(6)	1.59	3.06	61.11(5)
$S_{75}$	20.68-50.67	63.38(7)	0.32	4.9	63.45(22)
$S_{76}$	33.10-70.00	70.00(8)	1.60	9.15	70.16(10)

Fig. 10). In view of this observation, the  $H_C(T)$  data in the specified temperature ranges (Table IV) have been recast in the form  $\tau(H_C)$  and least-squares fitted to the expression

$$\tau(H_C) = 1 - [T(H_C)/T(0)] = (H_C - H_0)/H_C^+ \quad (10)$$

The outcome of this exercise, shown in Fig. 12, asserts that for all the samples under consideration,  $\tau$  indeed has the same dependence on field as  $\tau_P(H)$  and  $\tau_{SI}(H)$  have. Moreover, from the values of the parameters  $T(0)$ ,  $H_0$  and  $H_C^+$ , listed in Table IV, a perfect agreement between the values of  $T(0)$  and  $T_P(0)$  [ $T_{SI}(0)$ ] for the samples  $S_1$ ,  $S_{74}$ ,  $S_{75}$ , and  $S_{76}$  (sample  $S_2$  is clearly noticed. As far as the weak irreversibility is concerned, the linear increase in  $H_C$  with temperature for  $T > T_C$  (indicated by the scanty data in Fig. 10) in the case of samples  $S_1$ ,  $S_{74}$ ,  $S_{75}$ , and  $S_{76}$  augurs well with the linear decline in  $\tau_{WI}$  with increasing  $H$  [Eq. (5)], observed in these samples at  $T > T_C$  [Fig. 4(a)]. The above agreement suggests that the same underlying mechanism may be responsible for both  $\tau(H_C)$  and  $\tau_P(H)$  or  $\tau_{SI}(H)$  [ $\tau(H_C)$  and  $\tau_{WI}(H)$ ] for  $T \leq T_C$  ( $T > T_C$ ).

Now that there are strong indications that  $H_C$  and the irreversibilities in the magnetization may have a common origin to start with, we focus our attention on the temperature dependence of  $H_C$  (Fig. 10). The  $H_C(T)$  data shown in Fig. 10 demonstrate that  $H_C$  decreases linearly with increasing temperature up to a temperature  $T^*$  (which varies from  $\approx 0.6T_C$  to  $T_C$  depending on the sample), and for  $T > T^*$  the

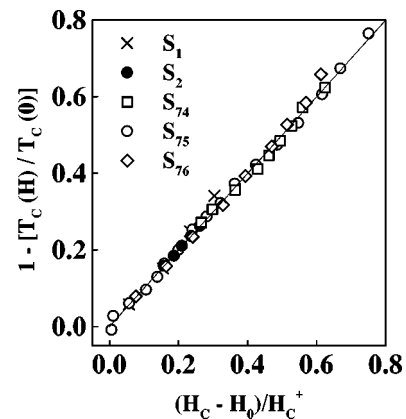


FIG. 12. Reduced temperature vs reduced coercive field,  $(H_C - H_0)/H_C^+$ .

rate of decline in  $H_C$  is faster. The theory due to Guant<sup>21</sup> considers domain-wall pinning by sample inhomogeneities as the main mechanism for remanence and coercivity in real magnetic materials. In the conventional terminology, *pins* are impediments to domain-wall motion that locally decrease the wall energy. According to this theory, the temperature dependence of the coercive field is given by the expression

$$H_C(T) = H_C(0)[1 - (25k_B/31\gamma b^2)T], \quad (11)$$

where  $\gamma$  is the domain-wall energy per unit area and  $4b$  is the range of interaction between the domain wall and the pin. For weak pinning, the domain wall breaks away simultaneously from many pins and the statistical fluctuations of pin density essentially determine the value of  $H_C$  at  $T=0K$ , i.e.,  $H_C(0)$ . The linear temperature dependence of  $H_C$  predicted by Eq. (11), when the product  $\gamma b^2$  remains *constant*, conforms well with the observed  $H_C(T)$  for  $T < T^*$  (Fig. 10). The departure from the linear temperature dependence of  $H_C$  for  $T > T^*$  (Fig. 10) thus basically reflects the fact that the product  $\gamma b^2$  is no longer independent of temperature. For a  $180^\circ$  domain wall in a ferromagnet with uniaxial anisotropy, domain-wall energy<sup>21</sup> is  $\gamma = 4\sqrt{AK_1}$  and the wall width<sup>21</sup> is  $4b = 4\sqrt{A/K_1}$ , where  $A$  is the exchange energy per unit length and  $K_1$  is the leading uniaxial anisotropy constant. Since both  $A$  and  $K_1$  are temperature dependent, the product  $\gamma b^2$  need not be independent of temperature in the entire temperature range  $0 \leq T \leq T_C$ .

So far as the presently investigated samples are concerned, site disorder and/or chemical disorder give rise to *local* compositional fluctuations (*local* atomic density fluctuations) which, according to the phenomenological model proposed earlier by Coles *et al.*<sup>16</sup> (Kaul<sup>17</sup>) result in the formation of *finite* ferromagnetic (FM) spin clusters that coexist with the *infinite* three-dimensional FM matrix at  $T < T_C$ . In the regions that surround the finite FM clusters, the exchange coupling between spins of clusters and the matrix is *weak* (because of quenched random-exchange disorder) and such regions act as pinning centers for the domain walls of the infinite FM matrix as they reduce the domain wall energy locally. Now that statistical fluctuations of the pin density, caused by site and/or chemical disorder, at the absolute zero of temperature essentially determine the value of  $H_C(0)$ ,  $H_C(0)$  varies from sample to sample.

The occurrence of strong and peak irreversibility in magnetization for temperatures in the immediate vicinity of  $T_C$  as well as of weak irreversibility in the magnetization at  $T \gg T_C$  can be *qualitatively* understood in terms of the models due to Coles *et al.*<sup>16</sup> and Kaul<sup>17</sup> as follows. According to these models, the infinite FM network *disorders* at  $T_C$  while the finite FM spin clusters, by virtue of substantially higher *local* ordering temperatures, disorder at temperatures well above  $T_C$ . Thus, for  $T > T_C$ , finite FM spin clusters coexist with a paramagnetic matrix. Finite remanent magnetization (Fig. 9) and coercivity (Fig. 10) even at temperatures well above  $T_C$  in the present case strongly suggests the existence of a *trace* minority ferromagnetic Ni-rich phase (which escaped detection in the x-ray diffraction experiments) whose Curie temperature is much higher than that of the majority

FM (Ni-poor) phase. As the temperature is raised through  $T_C$ , the domain structure of the majority phase disappears as  $T \rightarrow T_C$  but that of the minority phase remains still in tact. Normally, the strong irreversibility would have paved the way for the weak irreversibility as  $T \rightarrow T_C$  had only the majority phase been present. However, in the samples under consideration, the finite FM spin clusters belonging to the majority phase act as pinning centers for the domain walls of the minority phase at temperatures close to, and above,  $T_C$ . Consequently, the weak irreversibility in the magnetization of the main FM phase competes with the strong irreversibility in the magnetization of the minor phase FM phase to give rise to the peak in  $M_{irr}$  versus temperature curves [Fig. 3(b)] at different but fixed fields for temperatures close to  $T_C$  (the weak irreversibility in the magnetization of the major FM phase is completely masked in the process) whereas the weak irreversibility in the magnetization observed at  $T \gg T_C$  actually corresponds to the minor FM phase. Moreover, the peak height increases with magnetic field up to a field  $H \approx 0.25H_{cr}$  (Fig. 8), because the domain walls encounter an increased number of pinning centers (finite FM clusters) as they traverse larger regions of a given sample under the influence of the magnetic field. As the field is increased beyond this threshold value, pinning becomes less and less effective, with the result that the peak height is progressively suppressed. Absence of the peak in  $M_{irr}(T)$  particularly in the quenched sample [Fig. 3(d)] basically indicates that quenching does not favor the nucleation of the minor FM phase but instead leads to a fine dispersion of a large number of small-sized finite FM spin clusters (for details, see Ref. 17) in the infinite FM matrix such that the finite clusters do not (do) differ significantly in composition (atomic density) from the infinite matrix. Due to *high cluster density*, pinning of domain walls is stronger in this sample than in other samples for  $T \leq T_C$  and even at temperatures well above  $T_C$ , strong competing interactions operate between the finite FM spin clusters. This explains the much stronger irreversibility (Fig. 3) and substantially larger magnitudes of  $M_r$  and  $H_C$  (Figs. 9 and 10), for  $T \leq T_C$ , on the one hand, and the field dependence of  $\tau_{wl}$  [Fig. 4(b) and Eq. (8)] as well as the *field-history-dependent* shift in the center of the  $M$ - $H$  hysteresis loops for  $T > T_C$ , *characteristic* of spin glasses or cluster spin glasses [cf. Eq. (2)], on the other hand, in the quenched sample  $S_2$  as compared to the other samples.

## V. CONCLUSION

The “zero-field-cooled” magnetization ( $M_{ZFC}$ ) and ‘field-cooled’ magnetization ( $M_{FC}$ ) have been measured at different but fixed values of magnetic field from 14 K to temperatures well above the Curie temperature on samples of composition  $\text{Ni}_{75}\text{Al}_{25}$  with varying degrees of site disorder ( $S_1$ ,  $S_2$ , and  $Z_{75}$ ) and on samples of varied composition in the range  $\text{Ni}_{74.31}\text{Al}_{25.69}$  to  $\text{Ni}_{75.98}\text{Al}_{24.02}$  ( $S_{74}$ ,  $S_{75}$ , and  $S_{76}$ ), but with a *fixed* degree of site disorder. An elaborate analysis of such data permits an accurate determination of the weak, peak (not observed in sample 2) and strong irreversibility lines in the  $T$ - $H$  phase diagram of the samples in question. The field dependences of the weak (Gabay-Toulouse) and



strong (Almeida-Thouless) irreversibility temperatures predicted by the mean-field vector spin models for isotropic ferromagnets do not conform to those observed in the present case. A detailed comparison between the magnetic field variations of the temperatures  $T_{WI}$ ,  $T_P$ , and  $T_{SI}$ , characterizing the weak, peak, and strong irreversibilities in the mag-

netization, and the temperature dependences of the coercive field reveal that coercivity and the irreversibilities in the magnetization have a common origin in the pinning of domain walls to the regions of *weak* exchange coupling. These regions are brought about by the site and/or compositional disorder present in the alloy samples under consideration.

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