# Electronic excitations of substitutional transition-metal ions in II-VI semiconductors: CdTe:Fe<sup>2+</sup> and CdSe:Fe<sup>2+</sup>

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The near-infrared electronic transitions of substitutional  $Fe^{2+}$  in the tetrahedral environment in the zinc-blende II-VI semiconductor CdTe and in the trigonal environment in its wurtzite counterpart CdSe are studied with Fourier-transform spectroscopy. In CdTe:Fe<sup>2+</sup>, the transitions correspond to initial states in the  ${}^{5}\Gamma_{3}$  orbital multiplet whose separation involve  $\sigma = (|\lambda|/\Delta)$  and  $(\lambda^{2}/\Delta)$ , where  $\lambda$  is the spin-orbit coupling and  $\Delta$ , the crystal-field splitting. The final states are sublevels of the  ${}^{5}\Gamma_{5}$  orbital multiplet, lying  $\Delta$  above  ${}^{5}\Gamma_{3}$ ; their separations are in the main fixed by the magnitude of  $\lambda$ . The appearance and the increasing intensity of several electronic transitions, as the temperature is changed from 2.0 to  $\sim 12.0$  K, can be account defore in terms of the magnetic levels which lie above the nonmagnetic  $\Gamma_{1}$  ground state, taking into account their increasing thermal population as well as their degeneracies. The corresponding energy levels in CdTe:Fe<sup>2+</sup> and CdSe:Fe<sup>2+</sup> show additional splittings and polarization effects associated with the trigonal symmetry. Phonon-assisted electronic transitions are observed in both CdTe:Fe<sup>2+</sup> and CdSe:Fe<sup>2+</sup>.

## I. INTRODUCTION

In the tetrahedrally coordinated II-VI diluted magnetic semiconductors<sup>1</sup> (DMS) a fraction of the group-II ions are replaced by magnetic ions such as  $Mn^{2+}$ ,  $Co^{2+}$ , or Fe<sup>2+</sup> from the transition-metal group. The II-VI DMS's most extensively studied<sup>1</sup> are those in which  $Mn^{2+}$  ions are incorporated in various  $A^{II}B^{VI}$  hosts, e.g.,  $Zn_{1-x}Mn_xTe$ ,  $Cd_{1-}, Mn, Te,$  $Cd_{1-x}Mn_xSe$ ,  $Zn_{1-x}Mn_x$ Se, and  $Hg_{1-x}Mn_x$ Te. The composition ranges in which these ternary  $A_{1-x}^{II}Mn_xB^{VI}$  alloys can occur in a homogeneous phase and the crystal structure they display depend on the crystal structure of the parent  $A^{II}B^{VI}$  material.<sup>1</sup> The unique magnetic properties of Mn-based DMS alloys can be traced to the magnetic behavior of the  $Mn^{2+}$  ion, viz., (1) the interaction between the manganese spins and the spins of the conductionand/or valence-band electrons, known as the sp-d exchange interaction and (2) the  $Mn^{2+}-Mn^{2+}$  antiferromagnetic coupling  $(J_{ii})$  between the manganese spins. Mnbased II-VI DMS's have been intensively studied for the following reasons: (1)  $Mn^{2+}$  can be incorporated over a large composition range in the  $A^{II}B^{VI}$  host without affecting its crystal structure, and (2)  $Mn^{2+}$  possesses a <sup>6</sup>S<sub>5/2</sub> ground state with a very small crystal-field splitting<sup>2</sup> permitting a complete theoretical analysis of experimental results. Recently the interest in DMS alloys has extended to other magnetic ions besides  $Mn^{2+}$ . Bulk crystal growth of DMS's incorporating  $Co^{2+}$  and  $Fe^{2+}$ has been accomplished in a limited composition range,<sup>3</sup> e.g.,  $x \leq 0.13$  for  $Cd_{1-x}Fe_x$ Se. On the other hand, by using molecular-beam epitaxy (MBE), single-crystal epilayers of  $Zn_{1-x}Fe_xSe$  (Ref. 4) and  $Zn_{1-x}Co_xSe$  (Ref. 5) have been grown on GaAs substrates over a significantly larger composition range, viz.,  $0 \le x \le 0.22$  and

 $0 \le x \le 0.10$ , respectively. There are significant differences between the electronic configurations of  $Mn^{2+}$ ,  $Fe^{2+}$ , and  $Co^{2+}$  when incorporated into the II-VI semiconductors; thus the magnetic properties traced to these differences in the resulting DMS's are of considerable physical interest.

The focus of the present paper is the near-infrared transitions of  $Fe^{2+}$  in CdTe and CdSe observed at low temperatures with a Fourier transform spectrometer as a function of temperature. They are interpreted in the context of the electronic level structure calculated by Villeret, Rodriguez, and Kartheuser<sup>6</sup> incorporating the crystal field (tetrahedral in CdTe and trigonal in CdSe) and the spin-orbit interaction.

## **II. EXPERIMENTAL PROCEDURE**

Single crystals of CdTe:Fe<sup>2+</sup> and of CdSe:Fe<sup>2+</sup> were grown by the vertical Bridgman technique<sup>7</sup> from presynthesized binary compounds; prior to the synthesis, Cd, Te, and Se were purified by double vacuum sublimation and Fe was outgassed in vacuum at 1050 °C; all the starting constituents are of 99.9999% purity. Single crystals with nominal concentrations of iron lower than  $\sim 5 \times 10^{18}$  cm<sup>-3</sup> were grown using a two-step procedure in which pure CdTe (CdSe) was added to single crystals of CdTe:Fe<sup>2+</sup> (CdSe:Fe<sup>2+</sup>) of significantly higher concentration of Fe<sup>2+</sup>. Throughout the remainder of the paper only the nominal Fe<sup>2+</sup> concentration of the samples is specified.

The optical surfaces of samples were prepared by grinding with carborundum of successively finer grit, followed by polishing with  $3-\mu m$  diamond paste and  $0.05-\mu m$  alumina. For polarization measurements on CdSe:Fe<sup>2+</sup>, a crystal with wurtzite symmetry, the samples were prepared with the *c* axis parallel to the polished

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faces.

The infrared adsorption spectra were recorded with a BOMEM DA.3 Fourier transform spectrometer<sup>8,9</sup> with an unapodized maximum resolution of  $0.0026 \text{ cm}^{-1}$ . In order to improve the signal-to-noise ratio each spectrum was coadded 20-50 times. Typical resolutions used in our measurements were 0.1 and 0.5 cm<sup>-1</sup>, with the spectrometer operated in the vacuum mode. For the spectral range of interest a liquid-nitrogen-cooled InSb detector<sup>10</sup> was used. For polarization measurements an AgBr wire grid polarizer was used to select the electric vector **E** along a desired direction.

A variable-temperature stainless-steel optical cryostat<sup>11</sup> was used for measurements over a desired temperature range. The temperature of the sample was monitored with a calibrated thermometer installed at the sample mount and controlled by an automatic temperature controller allowing the temperature of the sample to be varied from 4.2 up to, say, 300 K, with a temperature stability of better than 0.1 K. For measurements requiring temperatures below 4.2 K, the sample chamber is first filled with liquid helium and then pumped. The optical windows of the cryostat consisted of a pair of epoxy sealed "clear tran"<sup>12</sup> at helium temperature (inner windows) and a pair of cesium iodide at room temperature (outer windows).

## **III. THEORETICAL CONSIDERATIONS**

# A. Energy state of $Fe^{2+}$ in a site of tetrahedral ( $T_d$ ) symmetry

The experimental results described in this paper are interpreted in terms of the energy levels of doubly ionized iron in a zinc-blende semiconductor such as CdTe where Fe<sup>2+</sup> substitutes Cd<sup>2+</sup> at random sites with  $T_d$  symmetry. The lowest term of the Fe<sup>2+</sup> ion is <sup>5</sup>D; from Hund's rules the lowest level of the free ion is  ${}^{5}D_{4}$ . In a crystal field of symmetry  $T_d$  the <sup>5</sup>D term splits into an orbital doublet  ${}^{5}\Gamma_{3}$  and an orbital triplet  ${}^{5}\Gamma_{5}$ . It can be shown<sup>13</sup> that the  ${}^{5}\Gamma_{3}$  states lie below the orbital triplet separated by  $\Delta$ , the crystal-field splitting. The spin-orbit interaction,  $\lambda \mathbf{L} \cdot \mathbf{S}$ , splits the 10-fold  ${}^{5}\Gamma_{3}$  and the 15-fold  ${}^{5}\Gamma_{5}$  multiplets as indicated on the left of Fig. 1 (see also Ref. 14). In Fe<sup>2+</sup>, the strength of the spin-orbit coupling,  $\lambda$ , is negative. In addition it mixes the states associated with the  ${}^{5}\Gamma_{3}$  and  ${}^{5}\Gamma_{5}$  orbital states giving rise to corrections to the energies proportional to powers of the parameter  $\sigma = |\lambda| / \Delta$ . Since the operator  $\lambda \mathbf{L} \cdot \mathbf{S}$  is invariant under all the operations of  $T_d$ , only states with the same symmetry can be mixed by this interaction. Therefore, it is sufficient to consider matrix elements between states belonging to identical rows of each irreducible representation reducing the problem to the diagonalization of two  $3 \times 3$  and two  $2 \times 2$  matrices. These have been given elsewhere<sup>15</sup> in connection with the study of the magnetic properties of Fe-based DMS's. We have extended the calculations of Ref. 15 to include corrections to the excited-state energies up to order  $\sigma^4$ . The eigenvalues obtained from perturbation calculation with  $\sigma$  as the small parameter are shown in Table I. An exact diagonalization of the matrices has also been performed.

# B. Energy states of $Fe^{2+}$ in a site of trigonal ( $C_{3v}$ ) symmetry

In a crystal with wurtzite symmetry the tetrahedron of atoms surrounding the iron impurity is slightly distorted along the [111] direction and the site symmetry is  $C_{3v}$ . The trigonal distortion has to be included in the calculation of the energies of the levels. For this purpose it would be useful to know the strength of the trigonal distortion compared to the tetrahedral part of the crystal potential and to the spin-orbit interaction. If the trigonal field is small compared to the latter, perturbation theory is appropriate. Such an approach was used in Ref. 6. The corrections to the energies of the  ${}^{5}\Gamma_{3}$  and  ${}^{5}\Gamma_{5}$  states caused by the trigonal field are given in Tables VII and VIII of Ref. 6 in terms of two parameters b and c; the resulting energy levels are shown on the right in Fig. 1. Note that the ordering of the  $\Gamma_1$  and  $\Gamma_3$  levels originating from the two  $\Gamma_5$  sublevels of  ${}^5\Gamma_5$  multiplet of  $T_d$  is reversed with respect to that in Fig. 4 of Ref. 6. The ordering shown in Fig. 1 takes into account the experimentally determined parameters obtained in the present study. If no assumption is made regarding the relative strengths of the tetrahedral potential, the spin-orbit interaction, and the trigonal distortion, then one must diagonalize exactly the  $25 \times 25$  Hamiltonian matrix. It is easily seen, from symmetry considerations, that this matrix splits into a  $5 \times 5$ , a  $4 \times 4$ , and two  $8 \times 8$  submatrices corresponding to the  $\Gamma_1$ ,  $\Gamma_2$ , and  $\Gamma_3$  states, respectively, as shown in Ref. 16.



FIG. 1. Schematic diagram of the electronic energy levels of the  ${}^{5}D$  term of Fe<sup>2+</sup> in  $T_d$  and  $C_{3v}$  fields taking into account the crystal field and the spin-orbit interaction. For clarity, the energy separations in the diagram are *not* to scale. The ordering of the sublevels of Fe<sup>2+</sup> in CdSe correspond to the parameters displayed in the last column of Table VII. The crystal-field splittings  $\Delta$ ,  $\Delta_1$ , and  $\Delta_3$  are defined in Eqs. (55)–(57) in Ref. 6.

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Site symmetry $T_d$	Level	Energy eigenvalue
Γ,	$\Gamma_1$	$(-24\lambda^2/\Delta)[1-2\sigma-20\sigma^2+\cdots]$
5	$\Gamma_{4}$	$(-18\lambda^2/\Delta)[1-\sigma-15\sigma^2+\cdots]$
	$\Gamma_3$	$(-12\lambda^2/\Delta)[1+\sigma-11\sigma^2+]$
	$\Gamma_{5}$	$(-6\lambda^2/\Delta)[1+\sigma+\sigma^2+\cdots]$
	$\Gamma_2^{J}$	0
$\Gamma_{5}$	Γ,	$\Delta + 3\lambda + (18\lambda^2/5\Delta)[1 + (63\sigma/25) + (4003\sigma^2/625) + \cdots]$
5	Γ́₄	$\Delta + \lambda + (6\lambda^2/\Delta)[1 - 3\sigma - 5\sigma^2 + \cdots]$
	$\Gamma_3$	$\Delta + \lambda + (12\lambda^2/\Delta)[1 + \sigma - 11\sigma^2 + \cdots]$
	$\Gamma_{5}$	$\Delta - 2\lambda + (12\lambda^2/5\Delta)[1 - (32\sigma/25) - (4442\sigma^2/625) + \cdots]$
	$\Gamma_4$	$\Delta - 2\lambda + (12\lambda^2/\Delta)[1 - 20\sigma^2 + \cdots]$
	$\Gamma_1$	$\Delta - 2\lambda + (24\lambda^2/\Delta)[1 - 2\sigma - 20\sigma^2 + \cdots]$

TABLE I. The energy eigenvalues of the Fe<sup>2+</sup> levels corresponding to the  ${}^{5}\Gamma_{3}$  and  ${}^{5}\Gamma_{5}$  states.  $\Delta$  is the crystal-field splitting parameter,  $\lambda$  is the spin-orbit coupling parameter, and  $\sigma = |\lambda| / \Delta$ .

#### C. Selection rules and relative intensities of transitions

Table II shows the allowed electric dipole transitions for both  $T_d$  and  $C_{3v}$  symmetries deduced from group theory. The assignment of the experimentally observed absorption lines to the theoretically allowed transitions is complemented by a study of their intensities. A calculation of the absolute intensities of transitions requires a knowledge of the energy eigenstates including mixings with excited configurations such as  $3d^{5}4p$  or  $3d^{5}4f$ , due to the odd-parity part of the crystal potential. But we content ourselves by calculating relative intensities only obtained from symmetry considerations alone. This is accomplished by making use of the theory of group representations to study the transitions between states of  $Fe^{2+}$ in a site of  $T_d$  symmetry. We first note that the transition between the  ${}^{5}\Gamma_{3}$  and  ${}^{5}\Gamma_{5}$  orbital states is allowed in the electric dipole approximation and that the matrix elements of the electric dipole moment operator, d, between initial and final states belonging to these orbital multiplets can be expressed in terms of a single parameter, since  $\Gamma_5 \times \Gamma_3 = \Gamma_4 + \Gamma_5$  contains  $\Gamma_5$  only once. Following Villeret, Rodriguez and Kartheuser<sup>14</sup> we designate by  $u_i$ (i=1,2) the  $\Gamma_3$  ground-state orbital wave functions and by  $v_{\kappa}$  ( $\kappa = +, 0, -$ ) the eigenstates of the  $\Gamma_5$  orbital multiplet. These wave functions are taken to be normalized and behave as  $(2z^2-x^2-y^2,\sqrt{3}(x^2-y^2))$  and  $(-2^{-1/2}(x+iy),z,2^{-1/2}(x-iy))$ , respectively, under the operations of  $T_d$ . Here x, y, and z are projections of the

TABLE II. Selection rules for electric dipole transitions showing the allowed transitions for both  $T_d$  and  $C_{3v}$  site symmetries.

$T_d$				
Initial state	Final state	Initial state		Final state
			E∥c	E⊥c
$\Gamma_1$	$\Gamma_5$	$\Gamma_1$	$\Gamma_1$	$\Gamma_3$
$\Gamma_2$	$\Gamma_4$	$\Gamma_2$	$\Gamma_2$	$\Gamma_3$
$\Gamma_3$	$\Gamma_4, \Gamma_5$	$\Gamma_3$	$\Gamma_3$	$\Gamma_1, \Gamma_2, \Gamma_3$
$\Gamma_4$	$\Gamma_2, \Gamma_3, \Gamma_4, \Gamma_5$			
Γ <sub>5</sub>	$\Gamma_1, \Gamma_3, \Gamma_4, \Gamma_5$			
				·······

position vector **r** on the cubic axes of the crystal. The combinations of the components of **d** and the functions  $u_1, u_2$  belonging to  $\Gamma_4$  and  $\Gamma_5$  are obtained from the Clebsch-Gordan coefficients for  $T_d$ . These allow us to express the matrix elements of **d** between  $u_i$  and  $v_{\kappa}$  in terms of a single parameter, say  $d_0$ . They are

$$\langle v_{\kappa} | \mathbf{d} | u_{i} \rangle = \frac{d_{0}}{2} \begin{bmatrix} 2^{-1/2} (\hat{\mathbf{x}} - i\hat{\mathbf{y}}) & -(\frac{3}{2})^{1/2} (\hat{\mathbf{x}} + i\hat{\mathbf{y}}) \\ 2\hat{\mathbf{z}} & 0 \\ -2^{-1/2} (\hat{\mathbf{x}} + i\hat{\mathbf{y}}) & (\frac{3}{2})^{1/2} (\hat{\mathbf{x}} - i\hat{\mathbf{y}}) \end{bmatrix}.$$
(1)

The total intensity of the electric dipole transition from  ${}^{5}\Gamma_{3}$  to  ${}^{5}\Gamma_{5}$  in the absence of the spin-orbit interaction is obtained from Eq. (1) adding the squares of the magnitudes of the matrix elements incoherently and multiplying by the spin degeneracy to yield  $I_{0}=15|d_{0}|^{2}$ . We calculate the intensities of transitions between the spin-orbit-split states in terms of  $d_{0}$ , using Eq. (1) and the wave functions for the spin-orbit-split levels given in Tables VI and VIII of Ref. 14. The relative intensities are obtained dividing the calculated matrix elements, properly squared, by  $I_{0}$ . The results are displayed in Table III; for transitions between degenerate states, the squares of the magnitudes of the matrix elements of **d** are added incoherently.

### **IV. EXPERIMENTAL RESULTS**

## A. CdTe:Fe<sup>2+</sup>

Figure 2 shows the optical-absorption spectrum of  $Fe^{2+}$  in CdTe at the temperature T=5.7 K and  $n(Fe^{2+})$ , the concentration of  $Fe^{2+}$ , of  $5 \times 10^{17}$  cm<sup>-3</sup>. In addition to the very strong and sharp absorption lines between 2250 and 2300 cm<sup>-1</sup>, several additional weak and broad features appear at higher wave numbers. We first focus on the features labeled  $X_1, Y, I, II, \ldots$  As the temperature is raised in small increments, from 2.0 to 8.8 K (see Fig. 3), I and  $X_1$  become broader, whereas II in-

TABLE III. The normalized relative intensity of the allowed electronic transitions of Fe<sup>2+</sup> in CdTe. According to the energy diagram shown in Fig. 1, the allowed transitions are labeled as  $(A \rightarrow B)$ , where A and B are shown after the colon in the designation of the irreducible representations of each energy level, i.e., A = 1, 2, 3, 4, 5 and B = 1, 2, 3, 4, 5, 6.

Allowed transition	Label	Relative intensity	Allowed transition	Label	Relative intensity
$(1\rightarrow 1)$	Ι	$\frac{1}{25}$	(4→1)	IV	$\frac{3}{100}$
(1→4)		$\frac{3}{50}$	(4→2)		$\frac{1}{60}$
$(2\rightarrow 1)$	II	<u>9</u> 100	(4→3)		$\frac{2}{15}$
(2→2)		$\frac{1}{20}$	(4→4)		$\frac{1}{50}$
(2→3)		0	(4→5)		$\frac{1}{30}$
(2→4)		$\frac{3}{50}$	(4→6)		$\frac{1}{15}$
(2→5)		1	(5→2)		$\frac{1}{15}$
$(3\rightarrow 1)$	III	$\frac{1}{25}$	(5→5)		$\frac{1}{30}$
(3→2)		1			
(3→4)		3 50			
(3→5)		<u>1</u> <u>30</u>			

creases in intensity significantly and broadens above 8.8 K; Y is noticeably broader than the other lines at all temperatures. The behavior of II is a clear signature of a transition originating from a level lying above the ground state, but separated from it by a small energy; its initial state is thus increasingly populated with increasing temperature. The temperature dependence of II is further il-



FIG. 2. Transmission spectrum of  $Fe^{2+}$  in CdTe with  $Fe^{2+}$  concentration,  $n(Fe^{2+})=5\times10^{17}$  cm<sup>-3</sup>, sample thickness t=0.291 cm, and temperature T=5.7 K. The various electronic transitions are labeled I, II,  $X_{I}$ , and Y. The vertical scale in the inset has been expanded in order to highlight the various phonon assisted transitions which are indicated by the vertical arrows: LA, TO, and LO are the phonons involved with the electronic transitions I,  $X_{I}$  and Y.

lustrated in Fig. 4, where the results on a sample with a higher concentration of  $Fe^{2+}$  are displayed; II is significantly stronger, consistent with the higher concentration of Fe<sup>2+</sup> and its striking temperature dependence is again clearly evident. Figures 3 and 4 also show the temperature and concentration dependence of  $X_{II}$ , similar to that of II, again indicating a transition originating from a level lying above the ground state. However,  $X_{II}$ is not as sharp as II reflecting its association with  $X_1$ , as will be discussed later. Additional lines III and IV are also observed in this sample. Figure 3(a) shows the transmission spectrum at T = 2.0 K. Lines I,  $X_{I}$ , and Y remain very strong, but lines II,  $X_{II}$ , III, and IV, present in Fig. 4, are now obliterated. The absence of these lines at 2.0 K, strongly corroborates the assignments for II, III, and IV in which the initial states are the higher-lying levels of the split orbital ground state  ${}^{5}\Gamma_{3}$ .

In Table IV, column 3, we list the experimental values for the energies of lines I-IV and the assignments based on their temperature and concentration dependence, interpreted in the context of the theoretical calculations. In column 4 we list the values obtained from the perturbation results of Table I whereas those obtained from an exact diagonalization of the Hamiltonian are listed in column 5. Following the energy diagram shown in Fig. 1, we label the transitions as  $(A \rightarrow B)$ , where A and B are shown after the colon in the designation of the irreducible representations of each energy level, i.e., A = 1, 2, 3, 4, 5 and B = 1, 2, 3, 4, 5, 6.



FIG. 3. Transmission spectra of  $Fe^{2+}$  in CdTe with  $n(Fe^{2+})=5\times10^{17}$  cm<sup>-3</sup>, t=0.291 cm, and (a) T=2.0 K, (b) T=4.6 K, (c) T=7.5 K, and (d) T=8.8 K.



FIG. 4. Transmission spectra of  $Fe^{2+}$  in CdTe with  $n(Fe^{2+})=5\times10^{18}$  cm<sup>-3</sup>, t=0.160 cm, and (a) T=4.5 K, (b) T=5.5 K, (c) T=7.0 K, and (d) T=10.2 K. Additional electronic transitions III and IV are observed in these spectra.

We compare the relative intensities of I, II, and III at 4.5 K predicted from Table III and observed in Fig. 4 by taking due account of the Boltzmann factor,  $\exp(-\Delta E/k_BT)$ , controlling the thermal population of  $\Gamma_4$ :2 and  $\Gamma_3$ :3 levels of the  ${}^5\Gamma_3$  multiplet. The intensities of I, II, and III were determined by calculating the area under the curve representing absorption coefficient versus wave number. For line I a curve fitting was necessary due to its strong absorption leading to almost zero transmission close to the peak position. The experimental value for the ratio of the intensities of I and II =1.1×10<sup>2</sup>; of I and III =4.3×10<sup>3</sup>; and of II and III=38.0, while theoretically these ratios are expected to be  $1.9\times10^2$ ,  $5.4\times10^3$ , and 28.4, respectively. The experimental results and the theoretical values are in reasonable agreement.

The transition from the  $\Gamma_1$ :1 ground state to the  $\Gamma_5$ :4 excited state should also appear at the lowest temperature for the same reason as does line I and with comparable intensity as can be seen from Table III. It should appear at an energy  $\sim 5\lambda$  above that of line I. We have made a search for this transition  $\sim 2800 \text{ cm}^{-1}$  but failed to observe any indication of it. Its absence is puzzling. We note that Baranowski, Allen, and Pearson<sup>19</sup> also did not report any feature in this energy range which could be ascribed to this transition [see Fig. 1(c) in their paper].

The origin of  $X_I$ ,  $X_{II}$ , and Y is not yet clear.  $X_I$  and Y appear in conjunction with I, at all temperatures, indicating that they too originate from a ground state. According to Fig. 1, at the lowest temperature, with  $\Gamma_1:1$  alone populated, only  $\Gamma_1:1 \rightarrow \Gamma_5:1$  and  $\Gamma_1:1 \rightarrow \Gamma_5:4$  are expected to appear in the absorption spectrum, but with a separation of  $\sim 5\lambda$ ,  $\lambda$  being the spin-orbit coupling parameter. As shown in Table IV, we ascribe I to  $\Gamma_1:1 \rightarrow \Gamma_5:1$ , thus allowing no assignments for  $X_I$ ,  $X_{II}$ , and Y consistent with the energy level scheme;  $\Gamma_1:1 \rightarrow \Gamma_5:4$  should be separated from I by  $\sim 500 \text{ cm}^{-1}$  with  $|\lambda| \sim 100 \text{ cm}^{-1}$ . Thus  $X_I$ ,  $X_{II}$ , and Y do not appear to be associated with an isolated Fe<sup>2+</sup> ion. It is therefore of interest to explore if they could arise from Fe<sup>2+</sup> complexes such as pairs of Fe<sup>2+</sup>.

The Hamiltonian of an  $Fe^{2+}$ - $Fe^{2+}$  pair can be written as the sum of two Hamiltonians of the form given in Eq. (1), Ref. 6, one for each of the ions plus a term expressing the antiferromagnetic exchange interaction between the two ions. The  $Fe^{2+}$ - $Fe^{2+}$  pair wave function is then taken as a linear combination of products of the single-ion wave functions. A detailed picture of the energy levels associated with the  $Fe^{2+}$  pairs in CdTe requires the diagonalization of a  $625 \times 625$  matrix corresponding to  ${}^{5}\Gamma_{3} \times {}^{5}\Gamma_{3}$ ,  ${}^{5}\Gamma_{3} \times {}^{5}\Gamma_{5}$ , and  ${}^{5}\Gamma_{5} \times {}^{5}\Gamma_{5}$ . In the absence of exchange interaction, the levels arising from  ${}^{5}\Gamma_{3} \times {}^{5}\Gamma_{5}$  and  ${}^{5}\Gamma_{5} \times {}^{5}\Gamma_{3}$  are degenerate and separated

TABLE IV. The near-infrared absorption lines of  $Fe^{2+}$  in CdTe. The assignment of the observed transitions follows the nomenclature  $(A \rightarrow B)$ , where A is one of the levels of the split orbital ground state  ${}^{5}\Gamma_{3}$  and B is one of the levels of  ${}^{5}\Gamma_{5}$  excited orbital state, as illustrated in the energy level diagram depicted in Fig. 1. The theoretical values were calculated using  $\Delta = 2470 \text{ cm}^{-1}$  and  $\lambda = -91 \text{ cm}^{-1}$ . ( $\Delta$  and  $\lambda$  were selected in order to achieve the best fit between the experimental data and the theoretically calculated values for the energies of the various transitions.)

		Experimental values	Calculated values (	$cm^{-1}$ )
Line no.	Assignment	$(cm^{-1})$	Perturbation theory	Exact
Ι	$(1 \rightarrow 1)$	2282.8	2282.6	2283.2
II	$(2\rightarrow 1)$	2264.1	2267.2	2267.3
III	(3→1)	2256.3	2251.4	2251.3
IV	(4→1)	2231.9	2231.2	2231.1
XI	Fe <sup>2+</sup> complex	2293.8		
X <sub>II</sub>	Fe <sup>2+</sup> complex	2275.1		
<u>Y</u>	Fe <sup>2+</sup> complex	2309.0		

from the ground orbital states  ${}^{5}\Gamma_{3} \times {}^{5}\Gamma_{3}$  by  $\Delta$ , equal to the crystal-field splitting in the single ion. The exchange interaction removes this degeneracy causing shifts of the order of  $2J_{NN}$ , the constant defining the antiferromagnetic coupling of nearest neighbors (NN), typically  $\sim 10$  $cm^{-1}$  in the diluted magnetic semiconductors.<sup>17</sup> The Fe<sup>2+</sup>-Fe<sup>2+</sup> antiferromagnetic interaction may be visualized to arise in a manner not unlike the van der Waals interaction between spherically symmetric noble-gas atoms. Analogous to the virtual excitations to p states resulting in fluctuating electric dipole moment of each noble-gas atom, interaction between the two nonmagnetic  $Fe^{2+}$ ions could have their origin in fluctuations in the magnetic dipole moment of one causing a similar fluctuation in the other. This model needs to be explored quantitatively. The levels  ${}^{5}\Gamma_{5} \times {}^{5}\Gamma_{5}$  lie at an energy 2 $\Delta$  above the orbital ground states. The exchange interaction is much smaller than  $\Delta$  and in first approximation we can infer that transitions between the ground state and the excited states of the Fe<sup>2+</sup> pair will occur at energies close to those for the single  $Fe^{2+}$  ions. The energies associated with  $X_1$  and Y are 2293.8 and 2309.0 cm<sup>-1</sup>, respectively. From the argument presented above for the  $Fe^{2+}$ - $Fe^{2+}$ pairs, we tentatively attribute  $X_{I}, X_{II}$  and Y to electronic transitions associated with complexes such as pairs of  $Fe^{2+}$  in CdTe. More specifically, one could identify  $X_{I}$ and  $X_{II}$  as the counterparts of I and II of isolated Fe<sup>2+</sup> in an  $Fe^{2+}$  complex, viz., as transitions originating from a ground state of an  $Fe^{2+}$  complex and a level lying above this ground state and terminating in a common final state, with  $X_{II}$  disappearing at the lowest temperatures. For a sample with  $n(Fe^{2+}) = 1.3 \times 10^{17} \text{ cm}^{-3}$ , Fig. 5(a) shows the dramatic decrease of  $X_{I}$  and the disappearance of Y, while I remains distinctly visible, with an intensity consistent with the lower concentration of  $Fe^{2+}$ . This result indicates that  $X_{I}$  and Y are related to  $Fe^{2+}$  complexes and not to single  $Fe^{2+}$  ions.

We now turn our attention to the various broad and weak absorption features occurring for wave numbers larger than  $\sim 2300$  cm<sup>-1</sup> (Fig. 2). These absorption features are present even at the lowest temperatures indicating that they are related to I,  $X_{I}$ , and Y. A close inspection reveals that the energies of the weak absorption features exceed those of I,  $X_{I}$ , and Y by fixed values, consistent with the phonon energies of CdTe. We therefore ascribe these weak absorption features to phonon-assisted transitions, as already pointed out by Slack and coworkers.<sup>18,19</sup> We list in Table V the various phonons occurring in CdTe at the center of the Brillouin zone, at the  $\Gamma$  point, as well as at zone boundaries, L and X points. The observation of these zone boundary phonons in CdTe has been attributed to impurities (intentionally or unintentionally introduced in the crystal) and also to the naturally occurring isotopes in the DMS which act as simple mass defects. We note here that the experimental data for phonons at the zone boundary are somewhat sparse. The energies of the various observed phononassisted electronic transitions in Fig. 2 are tabulated in Table VI. The calculated values in Table VI, obtained by adding the phonon energies listed in Table V to the experimentally observed energies of lines I,  $X_{I}$ , and Y are in



FIG. 5. Transmission spectra of  $Fe^{2+}$  in (a) CdTe with  $n(Fe^{2+})=1.3\times10^{17}$  cm<sup>-3</sup>, t=0.220 cm, T=4.9 K, and (b) CdSe with  $n(Fe^{2+})=1.0\times10^{17}$  cm<sup>-3</sup>, t=0.126 cm, and T=5.1 K.

good agreement with the experimental values.

Finally, we record an unusual splitting exhibited by line II as the temperature is lowered from 4.9 to 2.0 K shown in Fig. 6. A similar behavior is observed for  $X_{II}$ . The absence of such a splitting for I indicates that it must be associated with the initial state of II, i.e.,  $\Gamma_4$ . Whether this effect is associated with a Jahn-Teller distortion needs to be established with further experiments.

TABLE V. Phonon energies for CdTe in  $cm^{-1}$ .

		and the second se	the second s	the second se	
Assignment	а	b	с	d	e
LO(Γ)	169.3		171.0	180.0	173
$TO(\Gamma)$	140.0		140.0	140.0	147
LO(L)	144.3				
TO(L)	144.3				
LA(L)	108.3	104.5		105.0	
TA(L)	29.3	36.0		65.0	
TO(X)	148.7				
TA(X)	35.0	46.0			

<sup>a</sup>Rowe et al. (Ref. 20).

<sup>b</sup>Slack, Roberts and Vallin (Ref. 19).

<sup>c</sup>Mooradian and Wright (Ref. 21).

<sup>d</sup>Slack, Ham, and Chrenko (Ref. 18).

<sup>e</sup>Peterson (Ref. 22).

Experimental		Calculated values $(cm^{-1})$		
values $(cm^{-1})$	Assignment	а	b	с
2388.3	I+LA	2391.1	2387.8	
2398.1	$X_{I} + LA$	2402.1	2398.8	
2414.1	Y + LA	2417.3	2414.0	
2420.7	I+TO	2422.8	2422.8	2429.8
2430.9	$X_{I} + TO$	2433.8	2433.8	2440.8
2447.6	Ŷ+TO	2449.0	2449.0	2456.0
2464.5	I+LO	2452.1	2462.8	2455.8
2474.7	$X_1 + LO$	2463.1	2473.8	2466.8

TABLE VI. Phonon-assisted transition of Fe<sup>2+</sup> in CdTe.

<sup>a</sup>Rowe et al. (Ref. 20).

<sup>b</sup>Slack, Ham, and Chrenko (Ref. 18).

<sup>c</sup>Peterson (Ref. 22).

## B. CdSe:Fe<sup>2+</sup>

The optical-absorption spectrum of  $Fe^{2+}$  in CdSe at 4.5 K with  $n(Fe^{2+})=5\times 10^{18}$  cm<sup>-3</sup> is displayed in Fig. 7. A close resemblance between Figs. 2 and 7 is immediately evident. Following the notation used for  $Fe^{2+}$  with  $T_d$ site symmetry, here we also label the sharp lines as X, Y, I, II, and so on. In order to keep the labeling of the optical transitions for both tetrahedral and trigonal fields consistent, we use the following notation: (a) the energy levels which do not undergo further splitting under trigonal field have the same label for both  $T_d$  and  $C_{3v}$ ; (b) the levels which split under the trigonal crystal field are la-



FIG. 6. Transmission spectra of  $Fe^{2+}$  in CdTe with  $n(Fe^{2+})=1.0\times10^{19}$  cm<sup>-3</sup>, t=0.195 cm, and (a) T=4.9 K, and (b) T=2.0 K.



FIG. 7. Transmission spectrum of  $Fe^{2+}$  in CdSe with  $n(Fe^{2+})=5\times10^{18}$  cm<sup>-3</sup>, t=0.060 cm, and T=2.0 K. In addition to the electronic transitions I, X, and Y, phonon-assisted transitions are identified as combinations of LO or TO phonons with I, X, or Y.

beled by a number indicating the original tetrahedral level to which it is correlated (e.g., 1,2,3,...) followed by a letter according to the number of split levels (e.g.,  $a,b,c,\ldots$ ). For example, in Fig. 1 for  $C_{3v}$ , the transitions  $(1 \rightarrow 1a)$  and  $(1 \rightarrow 1b)$  correspond to those with  $\Gamma_1$  of the orbital multiplet  ${}^5\Gamma_3$  as the initial state and the lowest  $\Gamma_3(C_{3v})$  and  $\Gamma_1(C_{3v})$  of the excited multiplet  ${}^5\Gamma_5$  as the final states.

Figure 8 shows the temperature dependence of I, IIa, IIb, X, and Y. There is a dramatic increase in absorption for lines IIa and IIb as the temperature changes from 2.0 to 8.1 K; further increase in temperature broadens the lines. The temperature dependence of IIa and IIb indicates that they could correspond to electronic transitions originating from  $\Gamma_2:2a$  and  $\Gamma_3:2b$  and terminating at  $\Gamma_3:1a$  or  $\Gamma_1:1b$ . The absence of IIa and IIb in the spectrum at 2.0 K, shown in Fig. 8(a), confirms that their initial states lie above  $\Gamma_1$ :1. The selection rules for the allowed transitions of  $Fe^{2+}$  for  $C_{3v}$  site symmetry are  $\Gamma_1 \rightarrow \Gamma_1$ ,  $\Gamma_2 \rightarrow \Gamma_2$ , and  $\Gamma_3 \rightarrow \Gamma_3$  for  $E \parallel c$ , and  $\Gamma_1 \rightarrow \Gamma_3$ ,  $\Gamma_2 \rightarrow \Gamma_3$ , and  $\Gamma_3 \rightarrow \Gamma_1, \Gamma_2, \Gamma_3$  for E1c. Polarization measurements, with E parallel and perpendicular to c, are presented in Fig. 9. The occurrence of I at the same energy for both  $E \parallel c$  and  $E \perp c$  implies that the lowest states  $\overline{\Gamma}_3$ :1*a* and  $\overline{\Gamma}_1$ :1*b* of the orbital multiplet  ${}^5\Gamma_5$  are coincident within the resolution of the experiment. Similarly IIb can be ascribed to  $\Gamma_3:2b \to \Gamma_1:1b$  expected for **E**1c and  $\Gamma_3:2b \to \Gamma_3:1a$ , expected for E1c and E||c, respectively, the coincidence of the final-state energies resulting in a single line as in the case of I. The values of  $\lambda$ ,  $\Delta$ , b, and c are obtained from the positions of the experimentally observed transitions I, IIa, and IIb, taken together with the coincidence of the final states  $\Gamma_1$  and  $\Gamma_3$ . These parameters obtained from the data are displayed in Table VII us-



FIG. 8. Transmission spectra of  $Fe^{2+}$  in CdSe with  $n(Fe^{2+})=5\times10^{18}$  cm<sup>-3</sup>, t=0.060 cm, and (a) T=2.0 K, (b) T=4.5 K, (c) T=5.6 K, and (d) T=8.1 K.

ing the perturbation theory and the exact diagonalization. We note that the parameters were initially obtained using the perturbation theory and subsequently refined in the exact diagonalization procedure.

In the context of the above observations the electronic Raman studies of Scalbert *et al.*<sup>23</sup> on CdSe:Fe<sup>2+</sup> are of particular interest; they reported Raman lines at 13.0 and 17.6 cm<sup>-1</sup> and assigned them to transitions *within* the orbital multiplet  ${}^{5}\Gamma_{3}$ , more specifically (in the present notation) to the transitions  $\Gamma_{1}:1\rightarrow\Gamma_{2}:2a$  and  $\Gamma_{1}:1\rightarrow\Gamma_{3}:2b$ , respectively. Note that the irreducible representations  $\Gamma_{1}$ ,



FIG. 9. Transmission spectra of  $Fe^{2+}$  in CdSe with  $n(Fe^{2+})=5.1\times10^{17}$  cm<sup>-3</sup>: (a) E||c, T=6.9 K; (b) E1c, T=6.8 K; and (c) the initial and final states for I, IIa, and IIb.

 $\Gamma_2$ , and  $\Gamma_3$  of  $C_{3v}$ , the site symmetry of Fe<sup>2+</sup> in the wurtzite structure, are also labeled in the literature as  $A_1$ ,  $A_2$ , and E, respectively.<sup>24</sup> The Raman tensors relevant in the two transitions observed transform as  $\Gamma_2(A_2)$  and  $\Gamma_3(E)$ . The Raman tensor belonging to  $\Gamma_2(A_2)$  is entirely antisymmetric whereas that transforming as  $\Gamma_3(E)$  has both symmetric and antisymmetric components. They are

$$\alpha(\Gamma_1 \to \Gamma_2) : \begin{bmatrix} 0 & t & 0 \\ -t & 0 & 0 \\ 0 & 0 & 0 \end{bmatrix},$$
(2)

$$\alpha(\Gamma_1 \to \Gamma_3(X)): \begin{pmatrix} r & 0 & s \\ 0 & -r & 0 \\ s & 0 & 0 \end{pmatrix} + \begin{pmatrix} 0 & 0 & -u \\ 0 & 0 & 0 \\ u & 0 & 0 \end{pmatrix}, \quad (3)$$

TABLE VII. The near-infrared optical absorption lines of  $Fe^{2+}$  in CdSe. The assignment of the observed transitions follows the nomenclature  $(A \rightarrow B)$ , where A is one of the levels of the ground multiplet  $\Gamma_3$  and B is the lowest state of the excited multiplet  $\Gamma_1$ . Also listed are the strength of the crystalfield parameters  $\Delta$ , b, and c as well as that of the spin-orbit coupling,  $\lambda$ .

Line no.	Experimental values (cm <sup>-1</sup> )	Assignment		Perturbation theory (cm <sup>-1</sup> )	Exact theory (cm <sup>-1</sup> )
Ι	2375.4	$(1 \rightarrow 1a) + (1 \rightarrow 1b)$	Δ	2546.1	2550.6
IIa	2362.8	$(2a \rightarrow 1a)$	λ	-93.3	-94.0
IIb	2358.0	$(2b \rightarrow 1a) + (2b \rightarrow 1b)$	b	12.5	28.0
			с	-28.1	-22.0
X	2391.8	Fe <sup>2+</sup> complex			
Y	2416.4	$Fe^{2+}$ complex			

$$\alpha(\Gamma_1 \to \Gamma_3(Y)): \begin{pmatrix} 0 & -r & 0 \\ -r & 0 & s \\ 0 & s & 0 \end{pmatrix} + \begin{pmatrix} 0 & 0 & 0 \\ 0 & 0 & -u \\ 0 & u & 0 \end{pmatrix} .$$
(4)

The tensors are referred to an orthogonal coordinate axes **x**, **y**, **z** with  $\mathbf{z} \| \mathbf{c}$  and **y** normal to one of the reflection planes  $\sigma_n$ .

One of the scattering geometries employed by Scalbert et al.<sup>23</sup> involves backscattering normal to c (Fig. 3 of Ref. 23). The authors have not specified if the incident light propagates along  $\mathbf{x}$  or  $\mathbf{y}$  in the backscattering geometry. Also it is not clear if the incident light is polarized and the scattered light is analyzed. However it can be easily shown that the  $\Gamma_1 \rightarrow \Gamma_2$  line at 13.0 cm<sup>-1</sup> is forbidden in (yy), (yz), (zy), and (zz) polarizations if the incident light is along x as well as in (xx), (xz), (zx), and (zz) polarizations if it is along y. Thus the observation of the 13.0-cm<sup>-1</sup> line in the backscattering geometry may be due to the resonance conditions under which the spectrum was recorded. The  $\Gamma_1 \rightarrow \Gamma_3$  line at 17.6 cm<sup>-1</sup> is expected in (yy), (yz), and (zy) as well as in (xx), (xz), and (zx) polarizations. Its absence in the spectrum is presumably due to its low intensity.

The results for 90° scattering presented in Fig. 2 of Ref. 23 involve scattered radiation along c and incident radiation polarized either parallel or perpendicular to it. Again, in the absence of the specification of the direction of incidence and the polarization of the scattered light, one can anticipate the appearance of  $\Gamma_1 \rightarrow \Gamma_2$  in (xy) and (yx) polarizations accessible for incident light polarized perpendicular to c; the spectrum in Fig. 2(b) confirms this prediction. However, the observation of the  $\Gamma_1 \rightarrow \Gamma_2$  in Fig. 2(a), i.e., for incident light polarized along c, represents a contradiction since it is forbidden in (zx) or (zy). The appearance of  $\Gamma_1 \rightarrow \Gamma_3$  in both Figs. 2(a) and 2(b) is entirely consistent with the selection rules allowing it in (xx), (xy), (zx), and (zy) or (yy), (yx), (zy), and (zx)polarization configurations.

In the far infrared, electric dipole selection rules allow  $\Gamma_1:1 \rightarrow \Gamma_3:2b$  in E1c only and forbid  $\Gamma_1:1 \rightarrow \Gamma_2:2a$  in both E||c and E1c. However, the energies of these transitions can be deduced from the positions of the near-infrared transitions  $\Gamma_1:1 \rightarrow \Gamma_3:1a$  (line I),  $\Gamma_2:2a \rightarrow \Gamma_3:1a$  (line IIa), and  $\Gamma_3:2b \rightarrow \Gamma_3:1a$  (line IIb), viz., 12.6±0.1 cm<sup>-1</sup> for the energy separation between  $\Gamma_1:1$  and  $\Gamma_2:2a$  and 17.2±0.1 cm<sup>-1</sup> for the energy separation between  $\Gamma_1:1$  and  $\Gamma_3:2b$  of the  ${}^5\Gamma_3$  orbital multiplet, in good agreement with the Raman data.

We note that, besides I, X, and Y, other features observed at higher wave numbers, remain strong at the lowest temperatures. Following the analogous behavior of the corresponding lines X and Y in CdTe:Fe<sup>2+</sup>, we attribute them also to antiferromagnetically coupled Fe<sup>2+</sup> complexes. The striking decrease in the intensity of X relative to that of I and the absence of Y in Fig. 5(b) for a sample with  $n(Fe^{2+})=1\times 10^{17}$  cm<sup>-3</sup>, as compared to the results in Fig. 8 for a concentration of  $5\times 10^{18}$  cm<sup>-3</sup>, support this interpretation.

As in CdTe: $Fe^{2+}$ , absorption features occur in CdSe: $Fe^{2+}$  in the energy range expected for electronic

transitions in combination with phonons. In CdSe some of these features are sharp and intense. In Table VIII we list the zone center phonons observed in CdSe; phonon energies for other points of the Brillouin zone have not been reported in the literature. Figure 7 displays the various features attributed to phonon assisted transitions and their energies are listed in Table IX; in the table we also list the energies of I, X, and Y in combination with the various zone center phonons. A fair agreement is observed between the experimental and the calculated energies for these phonon-assisted transitions. The lines  $A_1(2438.7 \text{ cm}^{-1})$  and  $A_2(2513.2 \text{ cm}^{-1})$  occur at energies consistent with acoustic-phonon-assisted transitions; however, the lack of experimental data for such phonons prevents an unambiguous identification for these transitions.

## **V. CONCLUDING REMARKS**

The present study in conjunction with the theoretical calculations has provided the identification and ordering of the transitions from the sublevels of the ground-state orbital to those of the first excited orbital, both having experienced a crystal-field splitting. In this context, far infrared measurements are of interest as they will enable the observation of transitions within the ground-state multiplet directly. The observations reported in this paper provide an unambiguous evidence for the energy-level splitting associated with the trigonal  $(C_{3v})$  symmetry in the wurtzite structure, as opposed to the tetrahedral  $(T_d)$ symmetry in the zinc-blende structure of the host in which  $Fe^{2+}$  has been incorporated. It is of interest to note that the lowest state of  $Fe^{2+}$  is nonmagnetic and the magnetism of Fe-based DMS is an example of Van Vleck paramagnetism, in which a mixing of the higher-lying states with the lowest state is observed in the presence of a magnetic field. This problem has been explored in detail by Villeret, Rodriguez, and Kartheuser<sup>15</sup> who emphasized the anisotropy of the Van Vleck paramagnetism of even the cubic CdTe: $Fe^{2+}$ ; in CdSe: $Fe^{2+}$  the anisotropy is in the main related to the trigonal symmetry and the associated energy-level splitting. Villeret, Rodriguez, and Kartheuser<sup>16</sup> have also made a comprehensive study of the magnetic-field splitting and shifts of  $Fe^{2+}$  in DMS. The results of polarization measurements on CdSe:Fe<sup>2+</sup> indicate the coincidence of the lowest levels  $\Gamma_1$  and  $\Gamma_3$  of the excited multiplet,  $\Gamma_1$ :1b and  $\Gamma_3$ :1a in Fig. 1, thus yielding an additional constraint in the parameters involved in the theoretical calculations.

TABLE VIII. Phonons in CdSe in  $cm^{-1}$ .

Assignment	a	b
$LO(\Gamma, A_1)$	213	
$TO(\Gamma, A_1)$	169	
$LO(\Gamma, E_1)$	214	
$TO(\Gamma, E_1)$	174	
$TA(A_3)$		43.5

<sup>a</sup>Suh et al. (Ref. 25).

<sup>b</sup>Beserman (Ref. 26).

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TABLE IX. Phonon-assisted transitions of  $Fe^{2+}$  in CdSe at low temperatures.

Experimental values (cm <sup>-1</sup> )	Assignment	Calculated values <sup>a</sup> $(cm^{-1})$
2438.7		
2513.2		
2534.8	$I + TO(A_1)$	2544.4
2550.2	$X + TO(A_1)$	2560.8
2555.3	$I + TO(E_1)$	2549.4
2567.4	$X + TO(E_1)$	2565.8
2587.5	$I + LO(A_1)$	2588.4
	$I + LO(E_1)$	2589.4
2629.6	$Y + LO(A_1)$	2629.4
	$Y + LO(E_1)$	2630.4

<sup>a</sup>Suh et al. (Ref. 25).

Besides Fe-based II-VI DMS, other diluted magnetic semiconductors are worthy of study in view of the similarities and differences in the electronic level structure of the different transition-metal ions.  $Co^{2+}$  as well as  $Cu^{2+}$ have an odd number of electrons, by Kramers's theorem, all their eigenstates have even degeneracies and thus must always exhibit paramagnetism.  $Fe^{2+}$  and  $Ni^{2+}$ , on the other hand, have an even number of electrons and can have both degenerate and nondegenerate states. It turns out that in the crystals under study, the ground states of  $Fe^{2+}$  and  $Ni^{2+}$  are nondegenerate and, in the first approximation, are nonmagnetic but can exhibit Van Vleck paramagnetism because of magnetic excited states which are separated by small energies. Thus DMS based on Ni<sup>2+</sup> will provide a case analogous to Fe-based DMS. However, the large value of the spin-orbit coupling constant in Ni<sup>2+</sup> will, most likely preclude significant Van Vleck paramagnetism. In addition, the electronic spectrum of Ni<sup>2+</sup> in a  $T_d$  environment will be simpler than that of Fe<sup>2+</sup> in view of the larger  $\lambda$  of the former. The limitations imposed by bulk crystal-growth techniques in the incorporation of transition-metal ions can be circumvented in techniques based on nonequilibrium growth, e.g., MBE; it is thus of interest to exploit Fourier transform spectroscopy in the study of MBE-grown DMS's such as CdTe:Co<sup>2+</sup>, CdTe:Cu<sup>2+</sup>, or CdTe:Ni<sup>2+</sup> or their CdSe counterparts.

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