Optical studies of the quasi-one-dimensional charge-density-wave state in $[Pt(en)_2][Pt(en)_2Cl_2] (ClO_4)_4$ (en = ethylenediamine) under hydrostatic pressure

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We have measured optical absorption, photoinduced absorption, and Raman scattering in the quasi-one-dimensional mixed-valence complex $[Pt(en)_2][Pt(en)_2Cl_2](ClO_4)_4$ (where "en" is an abbreviation for "ethylenediamine"), under hydrostatic pressure up to 3 GPa at temperatures in the range 110—300 K. Analyzing the results by use of the Morse potential, we have evaluated the Peierls gap E_g , the electron-phonon coupling constant β , the Peierls distortion of Cl ions, u, and the supertransfer energy t_0 : $E_g = 3.0 \text{ eV}, \beta = 1.94 \text{ eV/A}$, and $t_0 = 0.52 \text{ eV}$ at atmospheric pressure; E_g , β , and $|u|$ decrease with increasing pressure because t_0 is enhanced significantly by the contraction of the Pt-Pt distance, and hence the $5d_{2^2}$ electrons of Pt ions are delocalized. It has been established that the intragap absorption which is enhanced by pressure and photoexcitation arises from the solitonto-band transitions mediated by neutral solitons with a coherence length of only one Pt-Pt distance: The absorption band exhibits two peaks, A and B , at 1.68 and 2.0 eV, corresponding to the van Hove singularities of quasi-one-dimensional conduction and valence bands. Such a small coherence length of the soliton is crucial for an understanding of this novel double-peak spectrum.

I. INTRODUCTION

 $[Pt(en)_2][Pt(en)_2Cl_2] (ClO_4)_4$ ("en" is short for "ethylenediamine") is one of the halogen-bridged mixedvalence platinum complexes (HMPC's) which consist of quasi-one-dimensional chains of Pt^{2+} and Pt^{4+} ions bridged by halogen ions as shown in Fig. 1. Hereafter, the complexes which contain ethylenediamine and $ClO₄$ as anions are denoted as $(Pt; X)$ for simplicity, where $X = Cl$, Br, or I. In this quasi-one-dimensional chain, the halogen ion is located not at the midpoint between Pt^{2+} and Pt^{4+} ions, but at a point closer to the Pt^{4+} ion. The periodically alternating valence of Pt ions can be regarded as a commensurate charge-density wave (CDW) with a commensurability index of 2.

A commensurate CDW system may support a soliton excitation which corresponds to the formation of a domain wall connecting two degenerate phases. The possibility of the solitonlike excitation in HMPC has been investigated theoretically by Ichinose on the basis of the Hamiltonian which consists of the site-diagonal electronphonon interaction and the electron transfer between neighboring Pt ions.¹ Subsequently, Onodera² has shown that, in the continuum limit, the Hamiltonian proposed by Ichinose corresponds to the Takayama-Lin-Liu-Maki Hamiltonian³ which has been developed to described the soliton states in *trans-polyacetylene*. These theoretical works suggest that soliton excitations similar to those in trans-polyacetylene may take place in HMPC, as well. An example of such excitations is illustrated in Fig. 1. Recently, Baeriswyl and $Bishop⁴$ have discussed electronic levels and lattice distortions associated with intrinsic defect states in HMPC assuming a strong electron-phonon coupling. They have dealt with solitons, polarons, bipolarons, and excitons, showing that these de-

feet states give rise to electronic levels inside the Peierls gap. In particular, solitons accompany localized levels near the middle of the gap.

The first experimental evidence for the presence of the midgap state has been obtained by Kuroda et al .⁵ from a measurement of the optical absorption in (Pt;Cl) under hydrostatic pressure. The A band which at atmospheric pressure appears at 1.68 eV in the absorption spectrum is shifted and enhanced reversibly by pressure, indicating that this band originates from an intrinsic defect. It has been assigned to the soliton-to-band optical transition on the basis of the relationship of the pressure-induced energy shift between the A and the charge-transfer (CT) absorption bands.

Matsushita et $al.^6$ have found that an intragap absorption band in $[Pt(en)_2] [Pt(en)_2I_2] (SO_4)_2.6H_zO$ is enhanced remarkably by photoexcitation of the CT band at 4.2 K. They have assigned it to the optical transition at a solitonlike mismatch

$$
\cdots Pt^{4+} Pt^{2+}Pt^{4+}Pt^{4+}Pt^{2+}Pt^{2+}Pt^{4+}Pt^{2+} \cdots,
$$

which is created by failure of the recombination of electron and hole of a CT exciton (see Sec. IVD). Kurita et al .⁷ have observed similar photoinduced enhancement for A and B bands in (Pt;Cl), where the latter appears at 2.0 eV at low temperatures. These experiments confirm that some intrinsic defect can be produced by photoexcitation in HMPC. The internal structure of the defect, however, is still controversial at present. For instance, Kurita et al. have interpreted their results in terms of the polaron model on the basis of the theory of Baeriswyl and Bishop.

Tanino et $al.^{8,9}$ have measured the effect of hydrostatic pressure on absorption, luminescence, and Raman scattering spectra in several HMPC's. They have found

+4 +2 +4 +2 t4 +2 (a) --X-Pt-X—--Pt----X-Pt-X----Pt----X —Pt—X----Pt----K- +4 +2 m4 +3 +g +4 (5.--X-Pt-X----Pt--- -X- ^Pt--X--- Pt- -X- --Pt-- --X-Pt—X---—

FIG. 1. Schematic illustration of (a) the quasi-onedimensional chain of HMPC, and (b) a soliton state. X stands for a halogen ion.

from Raman scattering by the breathing mode (that is, symmetric stretching vibration of halogen ions with Pt ions at rest) that there are two types of materials: One has a positive pressure coefficient of its frequency, and the other has a negative one. This finding indicates that the chemical bonds of the CDW chain are anharmonic, and the degree of anharmonicity depends largely on the material. The anharmonicity of the bonds is closely related to electronic properties through the electron-phonon coupling in these materials. Therefore, detailed knowledge of the chemical bonding is essential for understanding the electronic properties of the CDW state and the structure of the defect state. However, only very little is known about any of these materials to date.

In the present paper, we report the results of optical studies of absorption, photoinduced absorption, and the Raman scattering in (Pt;Cl) under hydrostatic pressure up to ³ GPa. We study the anharmonicity of the Pt—Cl bonding on the basis of the behavior of the CT band and the Raman spectrum of the breathing mode under pressure. Quantitative information about the Peierls distortion, the energy gap, and the electron-phonon coupling constant is deduced from this study. This information gives insight into the nature of the CDW state in this material. We examine the origin of the intragap absorption spectrum in terms of the pressure and temperature dependences of its intensity, spectral shape, energy shift, and photoexcitation effect. In particular, the photoexcitation spectrum under pressure clarifies whether the pressure-induced and photoinduced absorption bands arise from the same defect state. The structure of the defect state responsible for these intragap bands is discussed with reference to the results of the electron paramagnetic resonance experiment of Kawamori et al.¹⁰ as well as the results of the present study.

II. EXPERIMENTAL PROCEDURES

Single crystals are grown by evaporating the saturated aqueous solution at 45'C. We use the Mao-Bell-type and clamp-type diamond anvil cells to generate hydrostatic pressure. The hydrostatic environment is obtained in a hole of a metal gasket which is sandwiched between a pair of diamonds. A mixture of kerosene and transformer oil is used as the pressure medium. The sample with a thickness of about 15 μ m and a chip of ruby crystal are sealed in this hole. In the absorption experiments, the sample is placed on a 10- μ m-thick bare sheet of a Polaroid linear polarizer. The installation of the polarizer in the pressure cell is crucial to avoid the depolarization effect due to strain in the diamonds. All the measurements are performed with the polarization parallel to the chain axis since intragap and CT-absorption bands are observable only for this polarization.^{5,11} Pressure is calibrated by measuring the wavelength shift of the R_1 luminescence line of the ruby crystal irradiated by an Ar^+ -ion laser.

The absorption spectrum is measured by the lock-in method with a microscope-spectrometer system. The diamond anvil cell is placed on the stage of an Olympus IR microscope. The light of the halogen lamp passing through a pin hole is focused to a diameter of 50 μ m on the sample. To eliminate the photoexcitation effect, we employ a glass filter which cuts off the radiation with the wavelength shorter than that of the onset of the CT band. The radiation transmitted out of the sample is collected by the microscope, and fed to a JASCO CT 25 monochromator through an optical fiber. It is detected by a Hamamatsu R666 photomultiplier, the output being stored by a microcomputer. The spectrum thus obtained is normalized with the spectrum of the polarizer alone which is measured beside the sample. To investigate the photoexcitation effect, we remove the glass filter. The intensity of the excitation light is estimated to be \sim 10 μ W. The temperature of the sample is regulated by cooling the diamond anvil cell with evaporated nitrogen gas.

The Raman scattering spectrum is measured at room temperature by the use of a conventional photon counting system with a Nalumi 1000D-WN double monochromator and a Hamamatsu R464 photomultiplier. The scattered light is observed in the backscattering geometry from a crystal surface involving the chain axis. The 488 nm line of the Ar^+ -ion laser is employed as the light source.

III. EXPERIMENTAL RESULTS

The absorption spectrum exhibits a discontinuous change at 290 K under atmospheric pressure, as shown in Fig. 2(a). The A band originally seen at 1.66 eV and the onset of the CT band around 2. ¹ eV shift towards higher energies by about 20 and 40 meV, respectively. At the same time, the intensity of the A band increases by 40—80 % depending on the sample. The spectrum changes in a very similar way if a low pressure $(< 0.01$

FIG. 2. Absorption spectra in the orthorhombic phase (dashed line) and the monoclinic phase (solid line): (a) just above and below 290 K at atmospheric pressure; (b) before and after application of low pressure at 298 K.

GPa) is applied at 300 K, as shown in Fig. 2(b). A structural transformation from orthorhombic to monoclinic phases is known to take place at 290—295 K at atmospheric pressure accompanying a decrease of volume by 1.4% .¹² The spectral changes observed are undoubtedly due to this phase transformation.

Figure 3 shows the temperature dependence of the absorption spectrum in the monoclinic phase. The intensity of the A band at 1.68 eV remains almost unchanged until \sim 200 K, and then gradually increases as the temperature is lowered. Its peak position, on the other hand, is independent of temperature. The onset of the CT band shifts to 2.2 eV at 120 K. According to the reflection measurement by Wada et al.,¹³ the spectral peak of the CT band lies at 2.72 eV. Since it has a huge oscillator strength, its Urbach tail begins to appear already at $2.1 - 2.2$ eV in the absorption spectrum. The shift of the onset energy with lowering temperature is due to a steepening of this tail. The B band becomes obvious at about 2.0 eV at temperatures below 200 K. To find the exact spectral position and the intensity of the B band, the contribution of the CT band is subtracted from each spectrum using the Urbach expression. The results are shown in Fig. 4. One finds that the ratios of amplitude and half-width of the A to the B bands are independent of temperature.

Similar measurements have been performed at various pressures. Figure 5 shows the temperature dependence of the integrated intensity of the intragap bands \vec{A} and \vec{B} at various pressures, while Fig. 6 shows an example of the

FIG. 3. Absorption spectra in the monoclinic phase at various temperatures.

FIG. 4. Net intragap absorption spectra at various temperatures obtained from experimental spectra shown in Fig. 3.

FIG. 5. Temperature dependence of integrated absorption intensity of the intragap absorption bands at various pressures.

FIG. 6. Pressure dependence of the integrated intensity of the intragap absorption bands at room temperature.

pressure dependence of the intensity at room temperature. The intensities of the intragap bands increase continuously with pressure after increasing by a factor of 2—3 during the phase transition at a low pressure. On release of pressure, the intensity passes through a hysteresis loop. The hysteresis is very small if the pressure is released from ¹ GPa or lower; otherwise, the intensity does not recover to the initial value even though the pressure is completely released. It recovers gradually if the sample is kept at ambient conditions for a few weeks.

Figure. 7 shows the absorption spectra at 150 K under various pressures. The pressure dependence of spectral positions of A , B , and CT bands at 150 K is shown in Fig. 8, along with the data for the monoclinic phase at

FIG. 7. Absorption spectra under various pressures at 150 K.

FIG. 8. Pressure dependence of spectral positions of A and B bands and the edge of CT band at 150 K (solid circles) and 295 K (open circles).

295 K. Since the slope of the absorption edge of the CT band is independent of pressure, we show the inhuence of pressure to this band by plotting the photon energy at which the absorption coefficient is 2.0×10^3 cm⁻¹. The A and CT bands shift significantly towards lower energies with increasing pressure, while the B band shifts very little.

Figure 9 shows the photoinduced absorption spectra observed under various pressures at 170 K. The spectra at atmospheric pressure and 0.69 GPa show that both A and B bands are enhanced by the photoexcitation. At

FIG. 9. Photoinduced absorption spectra at 170 K under several values of pressure. Solid and dashed lines on the left column are the spectra after and before the pumping, respectively. The photoinduced differential spectra are shown on the right column.

FIG. 10. Raman scattering spectra at various pressures at room temperature.

0.96 GPa, the A band is clearly enhanced. Unfortunately, it is impossible to observe the photoexcitation effect on the B band at this pressure because the CT band comes down to overlap the B band. However, the present results verify satisfactorily that the photoinduced and the pressure-induced intragap bands originate from the same defect state.

Figure 10 shows the Raman scattering spectra under various pressures at room temperature. The feature at about 310 cm^{-1} is the breathing mode, and those at about 620 and 930 cm^{-1} are the twofold and the threefold overtones of the breathing mode, respectively. No changes, due to the application of pressure, are observed

FIG. 11. The pressure dependence of the frequency of the breathing mode of Cl ions.

in the spectrum apart from slight shifts of these features. This result suggests that no crystallographic change occurs in the pressure range examined. Figure 11 shows the plot of the frequency of the fundamental breathing mode as a function of pressure. The frequency decreases nonlinearly with increasing pressure up to 3 GPa, and then begins to increase.

IV. DISCUSSION

1.31 A. Characterization of the CDW state

The on-site Coulomb repulsion energy U , and the nearest-neighbor Coulomb repulsion energy V , as well as the electron-phonon coupling energy have been recognized to be important for determining the character of the ground state in HMPC. According to the theoretical examination by Nasu¹⁴ in terms of the extended Peierls-Hubbard model, the ground state must be either the CDW or the SDW (spin-density-wave) state. In brief, if U is lower than the sum of V and the electron-phonon coupling energy, the CDW state is stable as it is in the present material. Otherwise, the SDW state is realized to form an antiferromagnetic $-Pt^{3+}-X-Pt^{3+}-X-Pt^{3+}$ -chain.

The optical excitation of a charge-transfer excitation in the CDW state corresponds to transferring an electron from a Pt^{2+} ion to the neighboring Pt^{4+} ion. Taking the change of valences of the Pt ions resulting from the optical transition into account (see Fig. 17), the optical excitation energy, E_{CT} , of an exciton is given by

$$
E_{\rm CT} = E_g + 3V - U \tag{1}
$$

where E_g is the Peierls gap. The Peierls gap of the CDW state is determined by the electron-phonon coupling. It can be expressed as

$$
E_g = 4\beta |u| \tag{2}
$$

where β is the electron-phonon coupling constant and u the Peierls distortion of Cl ions from the midpoint between Pt^{2+} and Pt^{4+} ions.

Upon making an analogy with the treatment of Baerswyl and Bishop,⁴ the energy, G , of the CDW state per Pt^{2+} -Cl⁻-Pt⁴⁺ bond measured from the undistorted state is written as a function of u in the form

$$
G(u) = \Phi(u) - 2\beta |u| + U/2 - V , \qquad (3)
$$

where the first term, $\Phi(u)$, refers to the elastic energy due to the Peierls distortion of Cl ions, the second term to the energy gain due to the electron-phonon coupling, and the rest to the total difference of the Coulomb energy. $\Phi(u)$ is directly related to the lattice-dynamical properties. The stretching force constant usually increases upon contraction of the bond length. The softening of the breathing mode in (Pt;Cl) under pressure indicates that $\Phi(u)$ is strongly anharmonic.

The Morse potential is one of the most appropriate expressions for phenomenologically describing such an anharmonic bonding.¹⁵ A Cl ion participates in both Pt^{2+} —Cl and Pt^{4+} —Cl⁻ bondings, so that the adiabatic potential at a Cl ion can be written as

$$
\Phi(u) = D [(1 - e^{\lambda u})^2 + (1 - e^{-\lambda u})^2], \qquad (4)
$$

where D and λ are positive constants which measure the depth and the anharmonicity of the potential well, respectively.

Let M be the mass of a Cl ion, and ω the frequency of the breathing mode. Then, the force constant, $K = M\omega^2$, for the breathing mode is given by

$$
K = \Phi''(u) = f[(2e^{\lambda u} - 1)e^{\lambda u} + (2e^{-\lambda u} - 1)e^{-\lambda u}], \qquad (5)
$$

with $f = 2D\lambda^2$.

In the complex (Pt;I), |u| is 0.12 Å, and ω is known to increase significantly with increasing hydrostatic pressure.⁹ It is evident that $\lambda |u| \ll 1$, and thus ω is determined primarily by f in the case of (Pt;I). This character of the Pt—I bonding allows us to obtain the value of f in (Pt;Cl) by scaling from (Pt;I). According to Guggenheimer, ' by scaling from (r, t) . According to Ouggenhei-
f varies with the bond length, d, as $d^{-8/3}$. With lattice constants 11.65 and 10.80 \AA in (Pt;I) and (Pt;Cl), respectively, and $\omega = 123$ cm⁻¹ and $f = 5.66 \times 10^4$
respectively, and $\omega = 123$ cm⁻¹ and $f = 5.66 \times 10^4$ dyn/cm in (Pt;I) at atmospheric pressure, we find $f = 6.96 \times 10^4$ dyn/cm in (Pt;Cl). We have $\omega = 311$ cm⁻¹, $K = 2.02 \times 10^5$ dyn/cm, and $|u| = 0.39$ Å in (Pt;Cl) at atmospheric pressure. Solving Eq. (5) with these parameters, we obtain λ = 0.90 Å $^{-}$

As evident from Eq. (5), the change of ω under pressure is determined by the competition between the sure is determined by the competition between the
changes of f and $\lambda |u|$. In (Pt;Cl), ω decreases distinctly with increasing pressure, indicating that $\lambda |u|$ decreases so much as to overcome the effect of the increase of f. This property will be discussed quantitatively in Sec. IV C.

The minimization of the ground-state energy, $G(u)$, with respect to u leads to

$$
\beta = (f/2\lambda)[(e^{\lambda u}-1)e^{\lambda u}+(1-e^{-\lambda u})e^{-\lambda u}]. \tag{6}
$$

Substituting the values of f, u, and λ into Eq. (6), we obtain β = 1.94 eV/Å in (Pt;Cl) at atmospheric pressure.

Figure 12 shows $\Phi(u)$ and $G(u) - U/2 + V$ as a function of u . Note that the electron-phonon coupling causes G(u) – U/2+V to have double minima with depth of
 -0.81 eV. The Cl ions fall into either of these minima -0.81 eV. The Cl ions fall into either of these minima

FIG. 12. The Morse potential, $\Phi(u)$, and the ground-state energy, $G(u)$, as a function of the Peierls distortion, u, of Cl ions.

inducing a CDW state with a Peierls gap $E_g = 4\beta |u| = 3.0$ eV. Since $E_{CT} = 2.72 \text{ eV}$, ¹³ Eq. (1) yields $3V - U = -0.3$ eV. The minimum value of \bar{G} amounts to -0.5 eV if $U = 1.2$ eV and $V = 0.3$ eV are chosen as a reasonable set of U and V . This potential well is deep enough to stabilize the CDW state under usual conditions.

B. The origin of A and B bonds

It appears from the above estimation that the halfvalue of E_g , 1.52 eV, is fairly close to the spectral energy, 1.68 eV, of the A band. This fact supports our interpretation that the A band arises from the optical transition between a soliton state and the conduction and/or the valence bands.⁵ A soliton state should lie near the middle of the energy gap at any pressure. As a consequence, the A band should shift under pressure towards lower energies with its rate equal to about half that of the shrinkage of the energy gap. Since E_{CT} should decrease as E_g decreases, the rate of the shift of the A band is expected to be about half that of the CT band.

In fact, our experiments show that the amount of the shift of the A band is 0.37 times that of the CT band over the whole pressure range examined. The discrepancy from 0.5 is reasonable because V might be reduced by delocalization of the charge on the Pt ions under pressure. From the amount of the pressure-induced shift of A and CT bands, we may estimate $dV/dP \simeq -0.015$ eV/GPa. The effect of delocalization of the charge will be discussed in more detail in Sec. IV C in relation to the pressure dependence of the electron-phonon coupling.

The A and CT bands also shift synchronously upon the structural transformation from the orthorhombic to the monoclinic phases around 290 K at atmospheric pressure, as seen in Fig. 2(a). The lattice constant along the chain axis increases by 0.3% upon this transformation.¹² Consequently, the A and CT bands shift towards higher energies by 21 ± 5 and 39 ± 1 meV, respectively. The ratio is equal to 0.54 ± 0.14 in good agreement with 0.5. Probably the change of $|u|$ determines the shift of the CT band in this transformation.

The energy dispersions of the conduction and the valence bands of a one-dimensional CDW system in which the electron-phonon coupling is of site-diagonal type can be expressed as

$$
E_{\pm} = \pm [4t_0^2 \sin^2(kb) + \Delta^2]^{1/2} \tag{7}
$$

where the gap parameter Δ is defined as

$$
\Delta = E_g / 2 \tag{8}
$$

In Eq. (7), E_+ and E_- refer to the conduction and the valence bands, respectively, t_0 is the supertransfer energy between the nearest Pt^{2+} and Pt^{4+} ions, b is the distance between the two Pt ions, and k is the momentum along the chain axis measured from the position of the Peierls gap. A soliton has a dual character of conduction and valence bands.¹⁷ Since it is localized spatially, its wave function is composed of the Bloch states of the whole conduction and valence bands. In principle, therefore, if the interband optical transition is allowed at a certain

critical point, the direct optical transition between the soliton state and both the conduction and the valence bands is allowed at any position in momentum space.

In the present material, the optical transition between the valence and the conduction bands is forbidden by parity at the Γ point, but allowed at the Z point of the zone edge along the chain axis where the Peierls gap opens.¹⁸ This is also the case in *trans-polyacetylene*.¹ The squared optical matrix element, $|M(k)|^2$, for the transition from a soliton to conduction and valence bands is given in the continuum approximation by 18

$$
|M(k)|^2 = \frac{\pi^2 \xi}{4L} \operatorname{sech}^2\left(\frac{\pi}{2} k \xi\right),\tag{9}
$$

where ξ is the coherence length of a soliton, that is, half the width of a kink, and L the length of the chain. The squared sech function in Eq. (9) takes its half-value at $|\vec{\pi k}\xi/2| \approx 0.9$, and extends beyond $|\vec{\pi k}\xi/2| \approx 2$. One may safely say that optical transitions are significant in the range $|k| \lesssim 1/\xi$. Consequently, the probability of the soliton-to-band optical transition should be finite even at the Γ point if ξ is comparable with the distance, b, between Pt^{2+} and Pt^{4+} ions.

The density of states of an electronic band diverges at both the critical points as shown in Fig. 13. The dispersion of a band given by Eq. (7) gives rise to a greater singularity at the Γ point than the Z point. This serves to intensify the transition at the Γ point, although it would be still weaker than the transition at the Z point. On account of the relative intensities of the A and B bands observed in our pressure-induced and photoinduced absorption experiments, we attribute the B band to the soliton-to-band transition at the Γ point.

Within the framework of this interpretation, the difference in energy between A and B bands is equal to the width of the conduction and the valence bands, which is given by

$$
W = (4t_0^2 + \Delta^2)^{1/2} - \Delta \tag{10}
$$

We have $W = 0.32$ eV at atmospheric pressure from our experiment, and thus we obtain $t_0=0.52$ eV from Eq. (10). The Takayama-Lin-Liu-Maki model gives 3

$$
\xi = (2t_0/\Delta)b \tag{11}
$$

It follows from Eq. (11) that $\xi=0.7b$. Indeed we obtain $1/\xi \simeq \pi/(2b)$, ensuring that the soliton-to-band transition has an appreciable intensity at the Γ point.

Optical transitions mediated by a soliton with such a small coherence length gives rise to the absorption spectrum, $\alpha(h\nu)$,

$$
\alpha(h\nu) = A \int_0^{\pi/(2b)} |M(k)|^2 dk [\delta(h\nu - E_+) + \delta(h\nu + E_-)]
$$

= $A' \text{sech}^2 \left[\frac{\pi \xi}{2b} \sin^{-1} \left[\frac{[(h\nu)^2 - \Delta^2]^{1/2}}{2t_0} \right] \right]$

$$
\times \{ [(h\nu)^2 - \Delta^2] [4t_0^2 + \Delta^2 - (h\nu)^2] \}^{-1/2}, \qquad (12)
$$

where $h\nu$ is the photon energy; A and A' are constants. Figure 14 shows the theoretical spectrum for $\xi = b$ in comparison with the experimental absorption spectrum at 126 K. The structure corresponding to the B band appears clearly in the theoretical spectrum in accord with the experimental spectrum. The double-peak structure due to the Van Hove singularities has been observed for the first time in the soliton-to-band optical absorption.
The above arguments give the energy gap

 $E_g + 2W = 3.6$ eV at the Γ point. Since the dispersion of a band is very small in comparison with the energy gap, the value of $3V-U$ may be rather independent of the momentum. We have deduced $3V-U = -0.3$ eV in the preceding subsection, Thus the energy of the CT exciton at the Γ point is expected to be \sim 3.3 eV. Correspondngly, Wada et al.²⁰ have recently found a parityforbidden exciton absorption band at 3.4 eV from an electroreflectance experiment.

FIG. 13. A schematic illustration of the density of states of the conduction and valence bands and the soliton state. The soliton-to-band optical transitions corresponding to the A and B bands are shown by vertical arrows, A and B , respectively.

FIG. 14. Theoretical (dashed line) and experimental (solid line) absorption spectra of the soliton-to-band transition. The amplitude of the theoretical absorption spectrum has not been adjusted to fit the experimental spectrum.

C. Pressure dependences of the supertransfer energy, the Peierls distortion, the electron-phonon coupling strength, and the ground-state energy

We can deduce the pressure dependence of t_0 by the use of experimental values of W and Δ under pressure, where we evaluate the pressure dependence of Δ from the energy shift of the A band. It turns out that t_0 increases linearly with pressure at a rate of 0.055 eV/GPa. This value gives the Grüneisen parameter of t_0 to be \sim 3.5 on account of the compressibility of a chain, ~ 0.03 (1/GPa), in HMPC's. In general, the Griineisen parameter of a supertransfer energy may be appreciably larger than unity because it is determined by short range integrals. There is very little known about the Grüneisen parameter of supertransfer energy. Weber, however, has calculated the supertransfer energy between Cu ions in high- T_c superconducting materials as a function of Cu —O—Cu bond length.²¹ His calculation gives its Grüneisen parameter to be 6.0, which is of the same order of magnitude as our value.

The photon energy of the B band is given by $(4t_0^2 + \Delta^2)^{1/2}$. We have shown that Δ decreases, but t_0 increases, under pressure. These opposite behaviors of Δ and t_0 constrain the spectral position of the B band to be rather insensitive to pressure. Whangbo and Foshee have theoretically studied the electronic band structure in HMPC by the extended Hückel method.²² They have calculated widths of conduction and valence bands as a function of the $Pt^{2+}-Pt^{4+}$ distance to see how these bands vary under pressure. Their calculation shows that the top of the conduction band and the bottom of the valence band stay almost at constant energies if measured from the midpoint of the Peierls gap, though the central positions and widths of both bands depend strongly on the $Pt^{2+} - Pt^{4+}$ distance. This theoretical prediction is supported well by our experimental result.

Another interesting aspect of the results of the band calculation of Whangbo and Foshee is that a contraction of the $Pt^{2+}-Pt^{4+}$ distance accompanies the reduction of the Peierls gap and the Peierls distortion. On the basis of a consideration of the total energy of the system, they argue that the reduction of the Peierls distortion, $|u|$, might be so large as to induce some lengthening of the Pt^{4+} —Cl⁻ bond. It is of great interest to examine this property in terms of our spectroscopic data. Besides, a knowledge of the behavior of the electron-phonon coupling constant, β , under pressure is crucial to understand the nature of the CDW state in HMPC.

Again, we scale f under pressure by the $d^{-8/3}$ law us-
Again, we scale f under pressure by the $d^{-8/3}$ law using the compressibility data of Walffram's red salt²³ which belongs to the HMPC family. Then, with the aid of Eqs. (2), (5), and (6), our experimental data of the Raman scattering by the breathing mode and the absorption spectrum of the A band enable us to evaluate u, β , and λ at any pressure. The results are shown in Figs. 15 and 16. The Peierls distortion, $|u|$, is found to decrease with pressure at a rate of -0.013 Å/GPa in accordance with the argument of Whangbo and Foshee. The rate, however, is not high enough to lengthen the Pt^{4+} -Cl⁻ bond. β also decreases with pressure. We have $d \ln |u| /$

FIG. 15. The pressure dependence of u, β , and λ .

 $dP \approx -0.03$ GPa⁻¹ and $d \ln \beta / dP \approx -0.015$ GPa⁻¹, so that u and β contribute nearly equally to the decrease of $E_{g}^{}$.

The electron-phonon coupling in this substance is of a site-diagonal type. Therefore, the energy of the $5d_z^2$ state of a Pt ion is determined by the electrostatic interaction with Cl ions. We have shown that the supertransfer energy, t_0 , of the $5d_z²$ state of Pt ions increases remarkably with pressure. The increase of t_0 causes delocalization of the charge on Pt^{2+} ions retransferring a portion of the charge to Pt^{4+} ions. As a consequence, the electrostatic interaction between Pt and Cl ions, and thus β , is reduced. As can be readily seen from Fig. 12, the reduction of β results in a reduction of $|u|$ at which $G(u)$ takes its

FIG. 16. The pressure dependence of E_g and G_{min} .

minimum value, G_{min} . Note that the energy dip at G_{min} becomes shallower if β is reduced. This fact implies that the COW state tends to be unstable as the pressure increases.

D. Internal structure of solitons

The oscillator strength of the A band scales with the density of solitons.^{19,24,25} As shown in our previous paper,⁵ an as-grown crystal contains $\sim 3(\xi/b)^{-1} \times 10^{-4}$ solitons/molecule at atmospheric pressure and room temperature. This gives a soliton density of $\sim 4 \times 10^{17}$ cm⁻³ since we have $\xi \approx b$. The density increases discontinuously by 40—80% upon the structural transformation from orthorhombic to monoclinic phases around 290 K as seen in Fig. 2(a). The absorption intensity at temperatures below the transition point is shown in Fig. 5. Under atmospheric pressure, the soliton density remains nearly unchanged until \sim 200 K, and then it increases gradually as the temperature is lowered.

Kawamori et al. have measured the electron paramagnetic resonance (EPR) in this material.¹⁰ They have found unpaired electrons in the density of $\sim 5 \times 10^{17}$ cm^{-3} at 295 K. They also have observed a discontinuous change in the intensity of the resonance absorption by about 30% as the temperature is changed across the transition point. 26 The intensity remains unchanged if the temperature is lowered down to 200 K. This temperature dependence of the resonance intensity is quantitatively in good accord with that of the soliton density which has been deduced from our optical measurements. It is very likely that the A and B bands originate from solitons with spin, that is, neutral solitons.

The unit cell of the orthorhombic phase contains two nonequivalent chains, of which one has the Peierls distortion of $|u|$ and the other $-|u|$. The transformation to the monoclinic phase unifies these distortions either $|u|$ the monochine phase unlies these distortions either $|u|$
or $-|u|$, ¹² reversing the sign of the distortion of one of the two chains. Usually the first-order structural transformation produces domains in the low-temperature phase. Neutral solitons produced in the monoclinic phase of this material are domain walls resultant from mismatch of the sign of the Peierls distortion between neighboring portions of a chain. Our experiment shows that there is a mechanism to produce domain walls at a higher density in the transformation driven by pressure than the transformation driven by temperature.

The lowering of temperature in the range of 295—200 K causes a broadening of the EPR spectrum, indicating that the unpaired electrons are moving about rapidly by thermal activation. At temperatures below 150 K, the spectrum splits into hyperfine and superhyperfine structures because the thermal motion of the unpaired electron slows down. From a detailed analysis of the hyperfine spectrum with the isotope effect of Pt ions taken into account, Kawamori et al. have identified that each unpaired electron resides at a pair of Pt ions spending its time equally at either of the two Pt ions. They have assigned the $Pt^{2+}-Pt^{3+}$ valence state as the site of the unpaired electron. Therefore, the valences of these Pt ions can be regarded as 2.5.

The hyperfine splitting of the EPR spectrum for the magnetic field normal to the chain axis consists of five lines with intensity ratios of 1:8:18:8:1. It is this fact that has led Kawamori et al. to identify the valence state of the defect as cited above. Instead, the polarons shown in Fig. 17 would exhibit the hyperfine structure consisting of three components with intensity ratios of $1:4:1$. If the orbit of the unpaired electron or hole of the polarons extends to the Pt^{2+} or Pt^{4+} ions on both sides of the central Pt^{3+} ion, each line would be split further into five lines with intensity ratios of 1:8:18:8:1. However, the experimental EPR spectrum cannot be reproduced by any choice of the hyperfine interaction constants of these Pt ions.

The order parameter of an intrinsic defect state must be either an even or an odd function of the distance from its center; the former is a polaron, and the latter a soliton.²⁷ In the present case, the order parameter can be deduced from the ordering of valences of the Pt ions. The ordering of valences of the Pt ions postulated by the EPR spectrum is

$$
\cdots Pt^{2+} Pt^{4+} Pt^{2.5+} Pt^{2.5+} Pt^{4+}Pt^{2+} \cdots
$$

Comparing it with the regular ordering of valences of a chain

$$
\cdots Pt^{4+} Pt^{2+} Pt^{4+} Pt^{2+} Pt^{4+} Pt^{2+} \cdots
$$

we find that the order parameter varies in the way

$$
\cdot -1 -1 -0.5 \ 0.5 \ 1 \ 1 \ \cdots
$$

 $\ddot{}$

This spatial variation of the order parameter evidently shows that the defect state is the neutral soliton. The spatial variation can be described well by $tanh(x/\xi)$ with $\xi=b$, in good accord with our analysis of the intragap ab-

(Ground) (state)	4	2	4	2	4	$\overline{2}$	4	$\mathbf{2}$	4
(CT exciton) 4		2	◉	O з	з	© 2		$\overline{2}$	4
$($ @ $)$	4	s.	\mathfrak{D}	4	3	2) $\widetilde{\mathsf{S}}$	4	2	4
$($ \circledcirc $)$	4	2	4	St	2	2) ້<ົ	4	2	4
$($ © $)$	4	2	4	3) P	4	2	$\mathbf{3}$	2	4

FIG. 17. Processes for producing a CT exciton and a pair of (a) neutral solitons S_0 and \tilde{S}_0 , (b) charged solitons S^+ and \tilde{S}^- , and (c) polarons P^+ and P^- , by photoexcitation of a uniform chain in the ground state. Numerical numbers 2, 3, and 4 refer to the valences of Pt ions. $h\nu$ and an arc arrow denote a photon and the transfer of an electron, respectively.

sorption spectrum. One finds that the relaxation of the $Pt^{2+}-Pt^{3+}$ valence state to the $Pt^{2.5+}-Pt^{2.5+}$ state results in a magnification of the total domain size from $\sim 2b$ to \sim 3b. This magnification of the domain size probably works to lower the formation energy of a soliton.

The photoexcitation effect of the optical absorption indicates that a bound state, that is, a breather of a neutral soliton and its antisoliton is created by a failure of the electron-hole recombination during the relaxation of a CT exciton. Figure 17 shows how intrinsic defect states can be created from a CT exciton. It is clear from the preceding arguments that the breather of neutral solitons S_0 and \tilde{S}_0 shown in Fig. 17 eventually has the structure

$$
\cdots \quad Pt^{4+} \quad Pt^{2.5+} \quad Pt^{2.5+} \quad Pt^{4+} \quad Pt^{2.5+} \quad Pt^{2.5+} \quad Pt^{4+} \quad \cdots
$$

So far, we have ignored the interaction between chains. However, the Pt^{2+} and Pt^{4+} ions in the crystal are ordered within the plane normal to the chain axis as well. In other words, the interaction between chains is significant. In this sense, two phases of the CDW state of a chain are not strictly degenerate. Suppose that a breather is unbound into a pair of solitons in a uniform crystal of the monoclinic phase. Then, the sign of the Peierls distortion in between the soliton and its antisoliton on the chain is reversed relative to that of neighboring chains. The lattice energy increases more and more as the distance between the two solitons increases. There is no doubt that the energy of a soliton is lowest if it is bound closely with its antisoliton like the form presented above. We are probably observing these breathers rather than unbound solitons, particularly in the photoexcitation experiment at low temperatures.

Finally, we would like to mention the polaron model in light of our experimental results. The theory of Baeriswyl and Bishop predicts that a pair of intragap absorption bands appear in the near infrared region at energies $0.875E_g + 2V\overline{V}$ and $0.625E_g + 2V$ if polarons are created in the crystal. The former arises from the transition between valence and conduction bands at the polaron site, and the latter between the valence (conduction) band and an electron (hole) polaron. The present experiment confirms that the photo-induced and pressure-induced absorption bands are identical with each other. Therefore, if the A and B bands arise from polarons as argued by Kurita et al., $\frac{1}{l}$ the pressure-induced shifts of A and B bands must be some 0.8 and 0.6 times that of the CT band, respectively. This postulation is in disagreement with our experimental results.

Recently, Mishima and Nasu²⁸ have developed a theory which incorporates the supertransfer energy comparable to U. This theory claims that a pair of intragap absorption bands predicted by the theory of Baeriswyl and Bishop would appear at $0.8E_g$ and $0.7E_g$, that is, \sim 2.4 and \sim 2.1 eV, respectively. Mishima and Nasu attribute the B and A bands to these transitions. Note that the relative energies are reverse to what is expected from the theory of Baeriswyl and Bishop. Anyhow, this theory cannot explain our experimental results for the same reason as above. In addition, the energy difference between the two absorption bands is equal to the self-energy

of a polaron within the framework of that theory. We have shown that β and $|u|$ decrease with increasing pressure. Consequently, the self-energy of a polaron should decrease with pressure. Contrary to this prediction, our experiments show that the energy difference between A and B bands increases significantly. For these reasons, polarons are excluded as the origin of A and B bands.

Very recently, Bishop et al ²⁹ reported that another absorption band ("C peak") appears at 0.41 eV in (Pt;Cl). They interpreted the "C peak" as well as the A and B bands in terms of optical transitions due to hole polarons. One should be very careful in interpreting the infrared spectrum because there are many vibrational bands associated with anions. Indeed, in the photon energy region around 0.41 eV there is a series of absorption lines due to the stretching vibration of the ^N—^H bonds of ethylenediamine. We cannot decide if the "C peak" is this absorption band since the spectrum is not presented in Ref. 29. However, this vibrational band seems so strong that it would mask a polaron-mediated absorption even if a considerable number of polarons exist in the crystal.

V. SUMMARY AND CONCLUSIONS

The optical absorption, photoinduced optical absorption, and the Raman scattering spectra have been measured in a halogen-bridged mixed-valence platinum complex $[Pt_2(en)_2][Pt_2(en)_2Cl_2](ClO_4)_4$ under hydrostatic pressure up to 3 GPa. We have analyzed quantitatively the energy of the charge-transfer exciton absorption band and the frequency of the breathing mode employing the Morse potential which characterizes the strongly anharmonic Pt-Cl bonding. The Peierls gap, E_g , and the electron-phonon coupling constant, β , have been evaluated to be 3.0 eV and 1.94 eV/ \AA , respectively, in the monoclinic phase at atmospheric pressure. This value of E_g yields a relationship $3V-U = -0.3$ eV between the intersite and on-site Coulomb energies V and U , respectively.

Two intragap absorption bands, A and B , which appear at 1.68 and 2. ¹ eV, respectively, at atmospheric pressure have been identified as soliton-to-band transitions: The A and the B bands arise from singularities of the density of states peculiar to quasi-one-dimensional electronic bands. The whole spectrum agrees well with the theoretical spectrum calculated with a supertransfer energy, t_0 , of 0.52 eV. The width of both the conduction and valence bands turns out to be 0.32 eV, and thus the energy gap at the Γ point to be 3.6 eV. Then the parityforbidden CT exciton is predicted to appear in the electro-reflectance spectrum at $3.7 \pm 3V - U = 3.3$ eV, in good agreement with the experimental value of 3.4 eV.

The soliton state which is responsible for the intragap absorption bands is the neutral soliton. An as-grown crystal contains neutral solitons at a density of $\sim 4 \times 10^{17}$ cm^{-3} at atmospheric pressure and room temperature. The structure of the neutral soliton is represented by the ordering of the valence states of Pt ions as follows:
 \cdots Pt²⁺ Pt⁴⁺ Pt^{2.5+} Pt^{2.5+} Pt⁴⁺ Pt²⁺ \cdots . The spatial variation of the order parameter can be described well by the function tanh(x/ξ); the coherence length, ξ , is merely one Pt-Pt distance. Such a small coherence length is due to the fact that $4t_0/E_g \sim 1$. It is this situation that gives rise to the intragap absorption band with a novel double-peak structure. The optical pumping of chargetransfer excitons produces breathers of these neutral solitons quite efficiently. Crystallographic considerations lead us to conjecture that the breather is the preferential state rather than the unbound solitons.

The pressure dependences of E_g , β , t_0 , and the Peierls distortion, u , of Cl ions have been clarified from the pressure-induced shifts of optical absorption and the Raman scattering spectra. The parameters $|u|$ and β are reduced at comparable rates by pressure, so that they contribute nearly equally to the reduction of E_{φ} . On the other hand, t_0 increases appreciably with pressure as shown by the large Grüneisen parameter of 3.5. The reduction of β comes from delocalization of the $5d_z^2$ electrons of the

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Pt ions due to the increase of t_0 . The pressure dependence of the ground-state energy which is evaluated from these parameters indicates that the CDW state tends to become unstable as the pressure increases

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