

## Exchange-driven ferric low-spin high-spin transition in iron-doped $\text{YBa}_2\text{Cu}_3\text{O}_7$

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Mössbauer Zeeman measurements at 4.2 K on  $\text{YBa}_2\text{Cu}_{3-x}\text{Fe}_x\text{O}_{7-\delta}$  ( $\delta \approx 0$ ) with  $x = 0.1, 0.2,$  and  $0.4$  establish that the major feature at  $x = 0.1$  corresponds to a low-spin (LS)  $3d^5$  ( $S = \frac{3}{2}$ ) configuration, but that for  $x \geq 0.2$  an increasing fraction of this LS spectrum transforms to a high-spin (HS)  $3d^5$  ( $S = \frac{5}{2}$ ) counterpart. An explanation is given in terms of a LS-HS transition driven by  $\sigma$ -bonded superexchange interactions between nearest-neighbor ferric ions in their HS states.

The superconducting orthorhombic  $O$  phase of  $\text{YBa}_2\text{Cu}_3\text{O}_7$  is known to be only marginally stable with respect to an anionically disordered semiconducting tetragonal  $T$  phase of equal composition. One method of inducing the  $O$ -to- $T$  phase transition is via cation doping in the fashion  $\text{YBa}_2\text{Cu}_{3-x}\text{M}_x\text{O}_7$  with a small trivalent dopant such as  $M = \text{Fe}$  or  $M = \text{Al}$ .<sup>1</sup> These ions substitute very dominantly in the chainar [or Cu(1)] sites of the  $O$  phase,<sup>2,3</sup> breaking up the Cu(1)-O chains via electrostatic forces which prefer a higher  $M$ -site oxygen coordination  $z$  than the  $z = 4$  available without anion disordering.

Our earlier room-temperature Mössbauer study of  $\text{YBa}_2\text{Cu}_{3-x}\text{Fe}_x\text{O}_{7-\delta}$  ( $\delta \approx 0, 0.01 \leq x \leq 0.2$ ) (Ref. 2) deduced that, although the  $O$  and  $T$  phases coexist over a wide range of  $x$ , the structure is already quite dominantly  $T$  phase at  $x = 0.1$ . In this oxygen-disordered  $T$  phase the Cu(1)-substituted ferric ions reside in sites of only two different local ligand coordinations,  $z = 5$  (capped tetragonal, labeled  $V_5$ ) and  $z = 2$  (axial,  $V_2$ ), with the  $V_5$  sites being increasingly preferred as  $x$  increases.<sup>2</sup> In this same phase magnetic susceptibility measurements<sup>1</sup> between 50 and 300 K exhibit an iron contribution of Curie-Weiss form  $C/(T + \theta)$  with a Curie amplitude  $C = Ng^2\mu_B^2 \times S(S+1)$  (in conventional magnetic notation) in which  $S = 1.5 \pm 0.2$ , indicative of a spin- $\frac{3}{2}$  or low-spin (LS) quantum state for  $\text{Fe}^{3+}(3d^5)$ .

In an effort to confirm the presence of the LS quantum state by direct observation, using Mössbauer Zeeman spectroscopy, we have uncovered a new and intriguing phenomenon. Thus, while a Zeeman-split Mössbauer spectrum is observed at 4.2 K for all iron concentrations  $x \geq 0.1$ , and a characteristic LS spectrum does dominate the response for  $x \leq 0.2$ , an additional feature—in the form of a strong high-spin (HS) Zeeman component—rapidly develops for  $x \geq 0.2$  to dominate the spectrum at  $x = 0.4$  (Fig. 1). The results suggest the development of a LS-HS transition at low  $T$  as a function of  $x \geq 0.2$ . The only other possibility, that iron for  $x > 0.2$  suddenly begins to populate a new site [Cu(2)?] with a permanent HS configuration can be excluded since, from Fig. 1(c), fully 75% of the iron sites are HS at  $x = 0.4$ , leaving significantly fewer LS sites at this concentration than at

$x = 0.2$ . Additional evidence that iron substitutes only for Cu(1) at least to  $x = 0.23$  is available from recent neutron and electron diffraction studies by Bardet *et al.*<sup>4</sup>

The explanation can be found by deriving the  $d$ -electron eigenorbitals in capped tetragonal oxygen ligand coordination (on which  $V_5$  sites the vast majority of ferric ions reside for  $x \geq 0.1$ ).<sup>1,5</sup> Not only are the LS ( $S = \frac{3}{2}$ ) and HS ( $S = \frac{5}{2}$ ) configurations for  $3d^5$  found to be close in energy but, of these two, only the HS one possesses a magnetically active  $\sigma$ -bonded  $d$  orbital, giving rise to

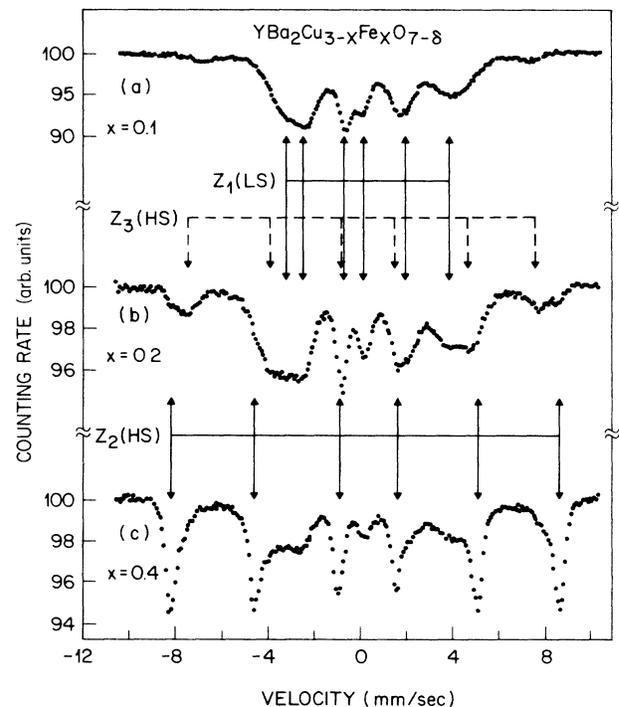


FIG. 1. 4.2-K Mössbauer Zeeman spectra for  $\text{YBa}_2\text{Cu}_{3-x}\text{Fe}_x\text{O}_{7-\delta}$  for iron concentrations (a)  $x = 0.1$ , (b)  $x = 0.2$ , (c)  $x = 0.4$ . We show the positions of the six Zeeman lines  $L_i$  of Eq. (1) for each of the three spectra  $Z_i$  ( $i = 1-3$ ) defined in Table I.

large (antiferromagnetic) exchange interactions  $2JS_i \cdot S_j$  between Cu(1)-plane nearest-neighbor (NN) iron spins (details follow). Therefore, some HS energy levels,  $E(\text{HS})$ , but not their LS counterparts  $E(\text{LS})$ , are dramatically lowered by (antiparallel) paramagnetic NN spin correlations  $\langle S_i \cdot S_j \rangle$  which can reach values approaching saturation, viz.,  $-S(S+1)$ , in disordered two-dimensional lattices<sup>6</sup> at low temperatures  $T$ . If  $E(\text{LS}) < E(\text{HS})$  in the absence of the exchange terms, then a LS-HS can occur as  $T$  is lowered, driven by two-dimensional paramagnetic spin correlations, provided that the iron concentration  $x$  is large enough.

The  $^{57}\text{Fe}$  Mössbauer absorption spectra were obtained in a standard transmission geometry with a  $^{57}\text{Co}$ -in-Rh source. Details about the absorber preparation using enriched  $^{57}\text{Fe}$  were given in Ref. 1. The 4.2-K Mössbauer Zeeman spectra for  $\text{YBa}_2\text{Cu}_{3-x}\text{Fe}_x\text{O}_{7-\delta}$  for  $x=0.1, 0.2$ , and 0.4 are given in Fig. 1.

A single-site Zeeman spectrum for  $^{57}\text{Fe}$  contains, in general, six component lines  $L_i (i=1-6)$  which, in order of increasing velocity, are positioned to lowest order in field gradient at<sup>7</sup>

$$\begin{aligned} L_1 &= \Delta_{\text{IS}} - g_1 \mu_N H + u, \\ L_2 &= \Delta_{\text{IS}} - g_2 \mu_N H - u, \\ L_3 &= \Delta_{\text{IS}} - g_3 \mu_N H - u, \\ L_4 &= \Delta_{\text{IS}} + g_3 \mu_N H - u, \\ L_5 &= \Delta_{\text{IS}} + g_2 \mu_N H - u, \\ L_6 &= \Delta_{\text{IS}} + g_1 \mu_N H + u, \end{aligned} \quad (1)$$

in which  $g_1=0.2448$ ,  $g_2=0.1418$ ,  $g_3=0.0388$ ;  $\Delta_{\text{IS}}$  is the isomer shift,  $H$  is the hyperfine field, and  $u$  is the first-order quadrupole shift.

In the spectra of Fig. 1, parts or all of three separate Zeeman spectra  $Z_i (i=1-3)$  can be discerned, with the respective  $\Delta_{\text{IS}}$ ,  $H$ , and  $u$  values as given in Table I. The components  $Z_i (L_i)$  are shown in the figure. Spectrum  $Z_1$ , which completely dominates at small  $x \approx 0.1$ , has a hyperfine field essentially equal to that expected for  $S = \frac{3}{2}$  in the absence of any significant supertransferred<sup>8</sup> component  $H_{\text{ST}}$  (viz.  $H \approx 150S + H_{\text{ST}}$  for  $\Delta_{\text{IS}} \approx +0.1$ ,<sup>9</sup>  $H$  in kOe). Spectrum  $Z_2$ , which develops rapidly for  $x \gtrsim 0.2$ , has a hyperfine field corresponding to HS  $3d^5$  configuration  $S = \frac{5}{2}$  together with a significant additional supertransferred component  $\approx 75$  kOe ( $H \approx 180S + H_{\text{ST}}$  for  $\Delta_{\text{IS}} \approx 0.4$ ).<sup>9</sup> Spectrum  $Z_3$ , which is a minor but recognizable feature at all  $x$ , is evidently also  $S = \frac{5}{2}$  but with

TABLE I. The Zeeman hyperfine parameters associated with the three discernable component spectra  $Z_i (i=1-3)$  in the 4.2-K Mössbauer spectra of Figs. 1(a), 1(b), and 1(c). Isomer shifts (IS) given with respect to iron metal at room temperature.

$i$	LS or HS	$H$ (kOe)	$u$ (mm/s)	$\Delta_{\text{IS}}$ (mm/s)
1	LS	$225 \pm 5$	$+0.3 \pm 0.1$	$+0.1 \pm 0.05$
2	HS	$525 \pm 5$	$0.05 \pm 0.05$	$+0.4 \pm 0.05$
3	HS	$460 \pm 10$	$0.1 \pm 0.1$	$+0.4 \pm 0.1$

essentially zero  $H_{\text{ST}}$ .

The minor spectrum  $Z_3$  seems not to be involved in the LS-HS transition and we tentatively associate it with a small concentration of Fe replacing Cu(2) in  $\text{CuO}_2$  planes, the condition  $H_{\text{ST}} \approx 0$  then reflecting the fact that NN iron pairs in these sites are rare if Fe enters in a quasirandom fashion.

The LS-HS transition therefore involves spectra  $Z_1$  and  $Z_2$ , which are to be associated with Cu(1)-substituted iron at the overwhelmingly dominant  $V_5$  oxygen coordination (Fig. 2). The electronic states of iron  $d$  electrons in arbitrary ligand coordinations can be derived<sup>10</sup> by standard crystal-field methods.<sup>11,12</sup> In Fig. 2 we show these levels  $E_i$  not only for  $V_5$ , but for the minority  $V_2$  site and (for reference) an octahedral  $V_6$  site as well. The five  $d$ -electron energies  $E_d$  are expressed, for each  $V_n$ , with respect to an absolute zero  $\sum_d E_d = 0$  and in the commonly used<sup>13</sup>  $Dq$  units, defined such that the octahedral splitting is  $10Dq$ . The actual levels in twofold and fivefold oxygen coordination in the  $T$  phase of  $\text{YBa}_2\text{Cu}_3\text{O}_{7-\delta}$  will not correspond precisely to the model adopted, which presupposes an exactly equal chemistry for each ligand and uses free-ion values for the  $d$  orbital radial dimensions, but should have at least semiquantitative validity.

Populating these  $V_n$  levels with the five  $d$  electrons of the ferric ion ( $3d^5$ ), each enters with spin parallel to the resultant of those already present so long as the "Hunds rule" energy  $E_H$  is larger than the difference in energy between the competing "parallel-spin" and "paired-spin" crystal-field levels. Experimentally,  $Dq$  for  $\text{Fe}^{3+}$  in  $V_6$  oxygen coordination is known to be  $\approx 14000 \text{ cm}^{-1}$  ( $\pm 10\%$ ) (Refs. 13 and 14) while  $E_H$  is of order 30000

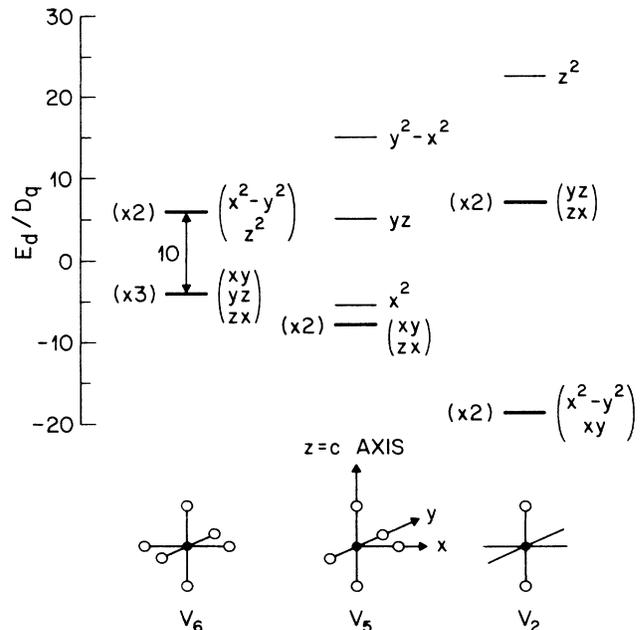


FIG. 2. The  $d$  electron eigenstates and energy levels  $E_d$  of iron in sixfold, fivefold, and twofold oxygen coordination, with axes  $x, y, z$  as sketched on the schematic ligand configuration for  $V_5$ . Energy units  $Dq$  are chosen such that the triplet-doublet splitting in  $V_6$  octahedral coordination is  $10Dq$  by definition.

$\text{cm}^{-1}$ . Thus,  $R = E_H/Dq \approx 22$  for  $V_6$ . In other ligand coordinations  $R$  is less precisely known but is probably within the range  $15 < R < 30$ . From Fig. 2, we estimate the possible ground-state configurations for  $V_5$  and  $V_2$

$$V_5: S = \frac{3}{2} \text{ if } R < 23; S = \frac{5}{2} \text{ if } R > 23; \quad (2)$$

$$V_2: S = \frac{1}{2} \text{ if } R < 26; S = \frac{3}{2} \text{ if } R > 26. \quad (3)$$

Since the room temperature  $\Delta_{\text{IS}}$  for both these  $T$ -phase sites is essentially the same,<sup>2</sup> the correct spin state at this temperature must be LS ( $S = \frac{3}{2}$ ) for both, implying that  $R$  is larger for axial than capped tetragonal chemistry.<sup>15</sup>

The LS-HS transition can now be rationalized provided only that the two closely spaced  $d$  levels (viz. the singlet  $x^2$  and doublet  $xy, zx$ ) are reversed at the Cu(1)-plane  $V_5$  site from that depicted in Fig. 2. Consider a NN pair of  $V_5$ -site ferric ions in the Cu(1) plane. With the singlet  $x^2$  orbital lowest, the LS state has its Cu(1)-plane  $\sigma$  orbitals either empty ( $y^2 - z^2$ ) or doubly occupied ( $x^2$ ); and both consequently nonmagnetic. LS exchange interactions are consequently weak, in agreement with the small  $H_{\text{ST}}$  of  $Z_1$ . However, in the HS state, all five  $d$  orbitals are singly occupied and magnetic. As a result, strong antiferromagnetic exchange can now take place via  $\sigma$ -bonded orbitals in both the  $x$  and  $y$  directions, to as many as three NN irons, if they are present. It also follows that the LS state local  $d$  electrons contribute extensively to electric field gradients for both  $V_5$  and  $V_2$ , probably dominating lattice contributions.<sup>16</sup> We note only that for the dominant  $V_5$  site, for which the local  $d$ -electron contribution is expected to be negative and parallel to  $x$  (see Fig. 2), the  $u$  shift of  $+0.3 \pm 0.1$  (Table I) is consistent with these conditions and with the known pure quadrupole splitting magnitude of 1.04 mm/s (Ref. 2) if the magnetic moment tends to order perpendicular to  $x$  (almost certainly parallel to  $z$ , i.e., the  $c$  axis) as  $T \rightarrow 0$ .

Since  $V_2$  sites have no Cu(1)-plane oxygen ligands, no exchange can ever arise involving these sites and they remain LS throughout.<sup>17</sup> The LS-HS transition therefore involves only Cu(1)-plane  $V_5$  sites [each threefold oxygen coordinated in the Cu(1) plane] and, in particular, clusters of NN irons on these sites, ranging from dimers, trimers,  $n$ -mers, etc., right up to the infinite cluster if  $x$  is large enough.

The most basic model can be developed by first considering a dimer. Let the LS state  $S = S_0 = \frac{3}{2}$  be lower in energy than the HS state  $S = S_1 = \frac{5}{2}$  by an energy  $\Delta$  for the isolated monomer. Assuming a full quenching of orbital moments and ignoring dimer exchange except between HS configurations, we write a dimer spin-Hamiltonian involving spins at sites  $a$  and  $b$  in the form

$$\begin{aligned} \mathbf{H} = & (\hat{\eta}_a + \hat{\eta}_b)\Delta + 2J\hat{\eta}_a\hat{\eta}_b(\mathbf{S}_\eta)_a \cdot (\mathbf{S}_\eta)_b \\ & - g\mu_B[(S_\eta^z)_a + (S_\eta^z)_b]H^z, \end{aligned} \quad (4)$$

in which  $\hat{\eta}_a$  and  $\hat{\eta}_b$  are operators with eigenvalues  $\eta = 0, 1$ ; and  $H^z$  is an applied field parallel to  $z$ . It can be solved exactly for the magnetic response. However, here we need focus only upon the zero-field eigenstates  $E(\eta_a, \eta_b)$ , viz:

$$\begin{aligned} E(0,0) &= 0, \quad E(0,1) = E(1,0) = \Delta, \\ E(1,1) &= 2\Delta + J[S'(S'+1) - 2S_1(S_1+1)], \end{aligned} \quad (5)$$

where  $S' = 0, 1, \dots, 2S_1$ . The ground state is the LS-LS state  $E(0,0)$  if  $\Delta > JS_1(S_1+1)$ , or the singlet  $S' = 0$  HS-HS state  $E(1,1)$  if  $\Delta < JS_1(S_1+1)$ .

For larger  $n$ -mer clusters the mathematics increases in complexity, but the basic nature of the possible ground states remains clear, being fully LS or fully HS depending upon whether  $\Delta$  is  $>$  or  $<$   $mJ\mathcal{S}^2$ , respectively, where  $m$  is the mean number of exchange paths per spin (monotonically increasing from 1 to 3 as  $n$  goes from 2 to  $\infty$ ) and  $\mathcal{S}^2$  is a number between  $S_1^2$  and  $S_1(S_1+1)$ . We note, in particular, that whereas the LS state is highly (viz.  $4n$ -fold) degenerate within the model, the HS state is a singlet (even  $n$ ) or doublet (odd  $n$ ) representing basically a fully aligned spin- $\frac{5}{2}$  antiferromagnetically correlated cluster. Thus, if  $\Delta/J = m\mathcal{S}^2$  with  $m$  having some value between 1 and 3, then the exchange is large enough to produce a HS ground state for larger clusters but not for smaller ones.

The case for iron-doped  $\text{YBa}_2\text{Cu}_3\text{O}_{7-\delta}$  ( $\delta \approx 0$ ) can be semiquantitatively assessed from Fig. 1 where we see that about 8% of iron has undergone a  $Z_1 \rightarrow Z_2$  (LS-HS) transformation at 4.2 K at a concentration  $x = 0.2$ . At this concentration, we see from the room-temperature quadrupole spectra<sup>2</sup> that  $x \approx 0.17$  enters  $V_5$  sites and, hence, fills some 25% of the available sites in a complete  $V_5$  sublattice [which contains  $\frac{2}{3}$  of the cation sites in the Cu(1) layers when  $\delta = 0$ ].<sup>5</sup> Elementary statistics now tells us that if Fe enters randomly into the  $V_5$  sites, then 42% will be monomers, 24% dimers, 13% trimers, 8% tetramers, etc., and that the last  $\approx 8\%$  are filled by  $n$ -mers with  $n \geq 5$ . We conclude that it takes at least a five cluster of  $V_5$  irons to acquire sufficient exchange per iron to produce a HS ground state in this system. If iron clustering occurs at  $x = 0.2$ , as suggested by Ref. 4, then this "critical number" could be significantly larger than five.

If we consider just the lowest two states of an  $n$ -mer with a singlet HS ground state and a  $4n$ -fold degenerate LS state at an energy  $E_0$  above it, then the percentage HS

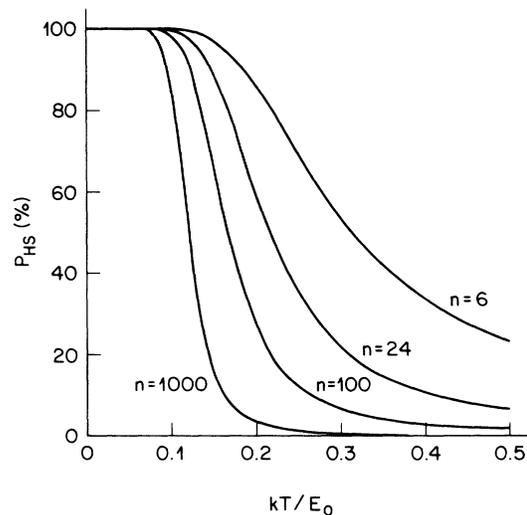


FIG. 3. The percentage of high-spin character  $p_{\text{HS}}$  as a function of temperature as calculated from Eq. (6) for  $V_5$  ferric clusters containing 6, 24, 100, and 1000 ions.

character  $p_{\text{HS}}$  at temperature  $T \lesssim E_0/k$  for this cluster is

$$p_{\text{HS}}(n) = 1/(1 + 4ne^{-E_0/kT}), \quad (6)$$

which is plotted in Fig. 3 for  $n=6, 24, 100,$  and  $1000$ . The “sharpness” of the HS  $\rightarrow$  LS transition as a function of  $T$  is seen to increase with increasing cluster size. In the

limit of the infinite cluster the transition appears to be of first order<sup>18</sup> although, of course, one cannot extrapolate to it via the two-level model of Eq. (6). Although we are not yet able to determine a value for  $J$ , it is expected to be very large, in line with that known to exist in other quasi- $\sigma$ -bonded ferric systems.<sup>19</sup>

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<sup>5</sup>For  $\delta \approx 0$ , there can be, at most,  $2N'/3$   $V_5$  sites in a Cu(1) plane with  $N'$  total cations. With  $V_5$  preferentially occupied to an increasing degree as  $x$  increases from zero, we expect the  $V_5$  sites to be filled when  $x$  is a little larger than  $\frac{2}{3}$ . Beyond this concentration, the  $V_2$  site should be filled by default, but it proves difficult to maintain  $\delta \approx 0$  (or even to obtain reproducible samples) when  $x \gtrsim 0.5$ .

<sup>6</sup>Even a fully iron-filled  $V_5$  lattice is, with a two-dimensional coordination number of only 3, unlikely to sustain a long-range order via Heisenberg interactions at any nonzero temperatures.

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<sup>15</sup>Note that the Cu(2) site is also of  $V_5$  coordination. Since  $\text{Fe}^{3+}$  in this site is HS throughout ( $Z_3$  spectrum of Table I) we infer that  $R \approx 23$  for  $V_5$ , being slightly larger at the Cu(2) than the Cu(1) ( $V_5$ ) site, possibly on account of the larger mean ligand bondlengths (i.e., smaller  $Dq$ ) at the former location.

<sup>16</sup>As suggested by the finding  $|u(\text{LS})| \gg |u(\text{HS})|$  in the  $Z_1, Z_2$  spectra of Table I.

<sup>17</sup>The fact that we cannot separately identify them in the  $Z_1$  spectra of Fig. 1 implies either that their population is not sufficiently large to see them or that their  $u$  shift is fortuitously close to that of  $Z_1$ .

<sup>18</sup>For example, this is true for an “interacting-dimer” model of the infinite  $V_5$  lattice in which the dimer spin correlations within and between dimers are calculated self-consistently.

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