Probing charge density wave phases and the Mott transition in 1*T* **-TaS₂ by inelastic light scattering**

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We present a polarization-resolved, high-resolution Raman scattering study of the three consecutive charge density wave (CDW) regimes in 1*T*-TaS₂ single crystals, supported by *ab initio* calculations. Our analysis of the spectra within the low-temperature commensurate (C-CDW) regime shows P_3 symmetry of the system, thus excluding the previously proposed triclinic stacking of the "star-of-David" structure, and promoting trigonal or hexagonal stacking instead. The spectra of the high-temperature incommensurate (IC-CDW) phase directly project the phonon density of states due to the breaking of the translational invariance, supplemented by sizable electron-phonon coupling. Between 200 and 352 K, our Raman spectra show contributions from both the IC-CDW and the C-CDW phases, indicating their coexistence in the so-called nearly commensurate (NC-CDW) phase. The temperature dependence of the symmetry-resolved Raman conductivity indicates the stepwise reduction of the density of states in the CDW phases, followed by a Mott transition within the C-CDW phase. We determine the size of the Mott gap to be $\Omega_{\text{gap}} \approx 170{\text -}190$ meV, and track its temperature dependence.

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I. INTRODUCTION

Quasi-two-dimensional transition metal dichalcogenides (TMDs), such as the various structures of TaSe₂ and TaS₂, have been in the focus of various scientific investigations over the last 30 years, mostly due to the plethora of charge density wave (CDW) phases [\[1,2\]](#page-7-0). Among all TMD compounds 1*T* - $TaS₂$ stands out because of its unique and rich electronic phase diagram [\[3–6\]](#page-7-0). It experiences phase transitions at relatively high temperatures, making it easily accessible for investigation and, mainly for the hysteresis effects, attractive for potential applications such as data storage [\[7\]](#page-7-0), information processing [\[8\]](#page-7-0), or voltage-controlled oscillators [\[9\]](#page-7-0).

The cascade of phase transitions as a function of temperature includes the transition from the normal metallic to the incommensurate CDW (IC-CDW) phase, the nearly commensurate CDW (NC-CDW) phase, and the commensurate CDW (C-CDW) phase occurring at around $T_{\text{IC}} = 554$ K, $T_{\text{NC}} =$ 355 K, and in the temperature range from T_{C} = 180 K to $T_{C\uparrow} = 230$ K, respectively. Recent studies indicate the possibility of yet another phase transition in $1T$ -TaS₂ at $T_H = 80$ K, named the hidden CDW state [\[10–12\]](#page-7-0). This discovery led to a new boost in attention for $1T$ -TaS₂.

Upon lowering the temperature to $T_{\text{IC}} = 554$ K, the normal metallic state structure, described by the space group $\overline{P}3m1$ (D_{3d}^d) [\[13\]](#page-8-0), transforms into the IC-CDW state. As will be

demonstrated here, the IC-CDW domains shrink upon further temperature reduction until they gradually disappear, giving place to the C-CDW ordered state. This region in the phase diagram between 554 and roughly 200 K is characterized by the coexistence of the IC-CDW and C-CDW phases and is often referred to as NC-CDW. At the transition temperature T_C , IC-CDW domains completely vanish $[14]$ and a new lattice symmetry is established. There is a general consensus about the formation of "star-of-David" clusters with in-plane $\sqrt{13}a \times \sqrt{13}a$ lattice reconstruction, whereby 12 Ta atoms are grouped around the 13th Ta atom $[15,16]$. In the absence of any external strain fields, this can be achieved in two equivalent ways (by either clockwise or counterclockwise rotations) thus yielding domains [\[17\]](#page-8-0). Despite extensive investigations, both experimental and theoretical, it remains an open question whether the stacking of star-of-David clusters is triclinic, trigonal, hexagonal, or a combination thereof [\[15,16,18–20\]](#page-8-0). The C-CDW phase is believed to be an insulator $[3,21-23]$ $[3,21-23]$ with a gap of around 100 meV [\[13\]](#page-8-0). Very recent theoretical studies based on density-functional theory (DFT) find an additional ordering pattern along the crystallographic *c* axis. The related gap has a width of approximately 0.5 eV along k_z and becomes gapped at the Fermi energy E_F in the C-CDW phase [\[24,25\]](#page-8-0).

Nearly all of the previously reported results for optical phonons in $1T$ -TaS₂ are based on Raman spectroscopy on the C-CDW phase and on temperature-dependent measurements in a narrow range around the NC-CDW to C-CDW phase transition $[13,15,18-20]$. In this paper we present temperature-dependent polarization-resolved Raman

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measurements in the temperature range from 4 to 370 K covering all three CDW regimes of $1T$ -TaS₂. Our analysis of the C-CDW phase confirms the symmetry to be $\overline{P3}$, while the NC-CDW phase is confirmed as a mixed regime of commensurate and incommensurate domains. The Raman spectra of the IC-CDW phase mainly project the phonon density of states due to the breaking of translation invariance and sizable electron-phonon coupling. The growth of the CDW gap upon cooling, followed by the opening of the Mott gap, is traced via the initial slope of the symmetry-resolved spectra. The size of 170–190 meV and the temperature dependence of the Mott gap are directly determined from high-energy Raman data.

II. EXPERIMENTAL AND NUMERICAL METHODS

The preparation of the studied $1T$ -TaS₂ single crystals is described elsewhere [\[26–29\]](#page-8-0). Calibrated customized Raman scattering equipment was used to obtain the spectra. Temperature-dependent measurements were performed with the sample attached to the cold finger of a He-flow cryostat. The sample was cooled down to the lowest temperature and then heated. In either case the rates were less than ± 1 K/min. All measurements were performed in a high vacuum of approximately 5×10^{-5} Pa.

The 575-nm laser line of a diode-pumped Coherent GEN-ESIS MX-SLM solid state laser was used as an excitation source. Additional measurements with the 458- and 514-nm laser lines were performed with a Coherent Innova 304C argon ion laser. The absorbed power was set at 4 mW. All spectra shown are corrected for the sensitivity of the instrument and the Bose factor, yielding the imaginary part of the Raman susceptibility $R\chi''$, where *R* is an experimental constant. An angle of incidence of $\Theta_i = 66.0 \pm 0.4$ [°] and atomically flat cleaved surfaces enable us to measure at energies as low as 5 cm^{-1} without a detectable contribution from the laser line since the directly reflected light does not reach the spectrometer. The corresponding laser spot has an area of roughly $50 \times 100 \ \mu m^2$ which prevents us from observing the possible emergence of the domains [\[17,30\]](#page-8-0). The inelastically scattered light is collected along the surface normal (crystallographic *c* axis) with an objective lens having a numerical aperture of 0.25. In the experiments presented here, the linear polarizations of the incident and scattered light are denoted as **e**ⁱ and **e**s, respectively. For **e**ⁱ horizontal to the plane of incidence there is no projection on the crystallographic *c* axis. For the low numerical aperture of the collection optics \mathbf{e}_s is always perpendicular to the c axis. Low-energy data up to 550 cm⁻¹ were acquired in steps of $\Delta \Omega = 1$ cm⁻¹ with a resolution of $\sigma \approx 3$ cm⁻¹. The symmetric phonon lines were modeled using Voigt profiles where the width of the Gaussian part is given by σ . For spectra up to higher energies the step width and resolution were set at $\Delta \Omega = 50 \text{ cm}^{-1}$ and $\sigma \approx 20 \text{ cm}^{-1}$, respectively. The Raman tensors for the *D*3*^d* point group are given in Table I. Accordingly, parallel linear polarizations project both A_{1g} and E_g symmetries, while crossed linear polarizations only project E_g . The pure A_{1g} response then can be extracted by subtraction.

We have performed DFT calculations as implemented in the ABINIT package $[31]$. We have used the Perdew-Burke-Ernzerhof (PBE) functional, an energy cutoff of 50 Ha for the

TABLE I. Raman tensors for trigonal systems (point group *D*3*^d*).

				$A_{1g} = \begin{pmatrix} a & 0 & 0 \\ 0 & a & 0 \\ 0 & 0 & b \end{pmatrix} \quad {}^1E_g = \begin{pmatrix} c & 0 & 0 \\ 0 & -c & d \\ 0 & d & 0 \end{pmatrix} \quad {}^2E_g = \begin{pmatrix} 0 & -c & -d \\ -c & 0 & 0 \\ -d & 0 & 0 \end{pmatrix}$	

plane-wave basis, and we have included spin-orbit coupling by means of fully relativistic Goedecker pseudopotentials [\[32,33\]](#page-8-0), where Ta- $5d^36s^2$ and $S-3s^23p^4$ states are treated as valence electrons. The crystal structure was relaxed so that forces on each atom were below 10 μ eV/Å and the total stress on the unit cell below 1 bar, yielding lattice parameters $a = 3.44$ Å and $c = 6.83$ Å. Subsequently, the phonons and the electron-phonon coupling (EPC) were obtained from density-functional perturbation theory (DFPT) calculations, also within ABINIT [\[34\]](#page-8-0). Here, we have used an $18 \times 18 \times 12$ **k**-point grid for the electron wave vectors and a $6 \times 6 \times 4$ **q**-point grid for the phonon wave vectors. For the electronic occupation we employed Fermi-Dirac smearing with broadening factor $\sigma_{FD} = 0.01$ Ha, which is sufficiently high to avoid unstable phonon modes related to the CDW phases.

III. RESULTS AND DISCUSSION

A. Lattice dynamics of the charge-density wave regimes

Temperature-dependent symmetry-resolved Raman spectra of $1T$ -TaS₂ are presented in Fig. [1.](#page-2-0) It is obvious that their evolution with temperature is divided into three distinct ranges (IC-CDW, NC-CDW, and C-CDW) as indicated. The lattice dynamics for each of these ranges will be treated separately in the first part of the section. In the second part we address the electron dynamics.

1. C-CDW phase

At the lowest temperatures $1T$ -TaS₂ exists in the commensurate C-CDW phase. Here, the atoms form so-called star-of-David clusters. Different studies report either triclinic stacking of these clusters leading to $P\bar{1}$ unit cell symmetry $[16]$, or trigonal or hexagonal stacking and $P\bar{3}$ unit cell symmetry [\[15,18–20\]](#page-8-0). A factor group analysis predicts 57 *Ag* Raman-active modes with an identical polarization dependence for $P\bar{1}$ unit cell symmetry, and alternatively 19 $A_g+19 E_g$ Raman-active modes for $\overline{P3}$ unit cell symmetry [[13\]](#page-8-0) Our polarized Raman scattering measurements at $T = 4$ K, measured in two scattering channels, together with the corresponding cumulative fits are shown in Fig. [2.](#page-2-0) As it can be seen, we have observed modes of two different symmetries in the related scattering channels. This result indicates trigonal or hexagonal stacking of the star-of-David clusters. The symmetric phonon lines can be described by Voigt profiles, the best fit of which is shown as blue (for parallel light polarizations) and red (crossed polarizations) lines. After fitting Voigt profiles to the Raman spectra, 38 phonon modes were singled out. Following the selection rules for A_{ϱ} and E_{ϱ} symmetry modes, 19 were assigned as A_g and 19 as E_g symmetry, meaning all expected modes could be identified. The contribution from each mode to the cumulative fit is presented in Fig. [2](#page-2-0) as green

FIG. 1. Symmetry-resolved Raman spectra of $1T$ -TaS₂ at temperatures as indicated. Both C-CDW (blue lines) and IC-CDW (red lines) domains yield significant contributions to the Raman spectra of the NC-CDW phase (green lines).

TABLE II. A_{1g} and E_g Raman mode energies experimentally obtained at $T = 4$ K.

n_{o}	ω_{A_g} (cm ⁻¹)	ω_{E_g} (cm ⁻¹)
1	62.6	56.5
\overline{c}	73.3	63.3
3	83.4	75.3
4	114.9	82.0
5	121.9	90.5
6	129.5	101.1
7	228.7	134.8
8	244.1	244.0
9	271.9	248.9
10	284.2	257.5
11	298.6	266.6
12	307.2	278.3
13	308.2	285.0
14	313.0	292.9
15	321.2	300.5
16	324.2	332.7
17	332.0	369.2
18	367.2	392.6
19	388.4	397.7

FIG. 2. Raman spectra at $T = 4$ K, i.e., in the C-CDW phase, for parallel and crossed light polarizations. Red and blue solid lines represent fits of the experimental data using Voigt profiles. Spectra are offset for clarity. The short vertical lines depict central frequencies obtained from the data analysis. The exact energy values are presented in Table II.

lines, whereas the complete list of the corresponding phonon energies can be found in Table II.

2. IC-CDW phase

At the highest experimentally accessible temperatures 1*T* - Ta S_2 adopts the IC-CDW phase. Data collected by Raman scattering at $T = 370$ K, containing all symmetries, are shown as a blue solid line in Fig. $3. As 1T-TaS₂$ $3. As 1T-TaS₂$ is metallic in this phase [\[25\]](#page-8-0) we expect the phonon lines to be superimposed on a continuum of electron-hole excitations which we approxi-mate using a Drude spectrum shown as a dashed line [\[35,36\]](#page-8-0).

Since the IC-CDW phase arises from the normal metallic phase, described by space group $\overline{P3}m1$ [\[13,37\]](#page-8-0), it is interesting to compare our Raman results on the IC-CDW phase to an *ab initio* calculation of the phonon dispersion in the normal phase, shown as an inset in Fig. [3.](#page-3-0) Four different optical modes were obtained at Γ : E_u at 189 cm⁻¹ (double degenerate), E_g at 247 cm⁻¹ (double degenerate), A_{2u} at 342 cm−1, and *A*1*^g* at 346 cm−1. A factor group analysis shows that two of these are Raman active, namely E_g and A_{1g} [\[13\]](#page-8-0).

We observe that the calculated phonon eigenvalues of the simple metallic phase at Γ do not closely match the observed peaks in the experimental spectra of the IC-CDW phase. Rather, these correspond better to the calculated phonon density of states (PDOS), depicted in Fig. [3.](#page-3-0) There are essentially three different ways to project the PDOS in a Raman

FIG. 3. Raman response for parallel light polarizations in the IC-CDW phase at 370 K (blue line). The dashed line depicts the possible electronic continuum. The contributions of the Ta (dark brown) and S atoms (light brown) to the calculated PDOS (gray area) are shown below. The inset shows the calculated phonon dispersion of $1T$ -TaS₂ in the simple metallic phase, with the electron-phonon coupling (λ) of the optical branches indicated through the color scale.

experiment and to overcome the $q \approx 0$ selection given by the small momentum of visible light: (i) scattering on impurities [\[38\]](#page-8-0), (ii) enhanced electron-phonon coupling [\[39\]](#page-8-0), and (iii) breaking of the translational symmetry in the IC-CDW phase. (i) We rule out chemical impurity scattering, expected to exist at all temperatures, as the low-temperature spectra (Fig. [2\)](#page-2-0) show no signs thereof. (ii) The additional scattering channel may come from the electron-phonon coupling (EPC). The calculated EPC, λ , in the optical modes (inset of Fig. 3) is limited, yet not negligible, reaching maxima of ∼0.2 in the lower optical branches around the Brillouin zone (BZ) points and *A*. The calculated atom-resolved PDOS shows the acoustic modes to be predominantly due to Ta and the optical modes due to S, as a result of their difference in atomic mass. The acoustic modes display several dips that are signatures of the latent CDW phases, for which the EPC cannot be reliably determined. Significant EPC in the optical modes of $1T$ -TaS₂ is furthermore supported by experimental results linking a sharp increase in the resistivity above the IC-CDW transition temperature to the EPC [\[37\]](#page-8-0). It also corroborates calculated [\[14\]](#page-8-0) and experimentally obtained [\[13\]](#page-8-0) values of the CDW gap, which correspond to intermediate to strong EPC [\[37\]](#page-8-0). (iii) Although EPC certainly contributes we believe that the majority of the additional scattering channels can be traced back to the incommensurate breaking of the translational invariance upon entering IC-CDW. Thus the "weighted" PDOS is projected into the Raman spectrum [see Figs. $1(a)$ and $1(b)$]. These "weighting" factors depend on the specific symmetries along the phonon branches as well as the "new periodicity" and go well beyond the scope of this paper.

3. NC-CDW phase

The nearly commensurate phase is seen as a mixed phase consisting of regions of commensurate and incommensurate CDWs [\[40,41\]](#page-8-0). This coexistence of high- and low-temperature phases is observable in our temperature-dependent data as shown in Fig. [1.](#page-2-0) The spectra for the IC-CDW (red curves) and C-CDW phase (blue curves) are distinctly different, as also visible in the data shown above (Figs. [2](#page-2-0) and 3). The spectra of the NC-CDW phase (235 K \lt *T* \lt 352 K) comprise contributions from both phases. As 352 K is the highest temperature at which the contributions from the C-CDW phase can be observed in the spectra, we suggest that the phase transition temperature from IC-CDW to NC-CDW phase is somewhere in between 352 and 360 K. This conclusion is in good agreement with experimental results regarding this transition [\[4–6\]](#page-7-0).

B. Gap evolution

The opening of a typically momentum-dependent gap in the electronic excitation spectrum is a fundamental property of CDW systems which has also been observed in $17 - \text{TaS}_2$ [\[13,37,42\]](#page-8-0). Here, in addition to the CDW, a Mott transition at the onset of the C-CDW phase leads to an additional gap opening in the bands close to the Γ point [\[21,43\]](#page-8-0). Symmetry-resolved Raman spectroscopy can provide additional information here using the momentum resolution provided by the selection rules. To this end, we look at the initial slopes of the electronic part of the spectra.

As shown in Figs. $4(a) - 4(c)$, different symmetries project individual parts of the BZ [\[36,44\]](#page-8-0). The vertices given by the hexagonal symmetry of $1T$ -TaS₂ are derived in Appendix [C.](#page-6-0) The A_{1g} vertex mainly highlights the area around the Γ point while the E_g vertices predominantly project the BZ boundaries. The opening of a gap at the Fermi level reduces N_F , leading to an increase of the resistivity in the case of $1T$ -TaS₂. This reduction of N_F manifests itself also in the Raman spectra which, to zeroth order, are proportional to N_F [\[35,44\]](#page-8-0). As a result, the initial slope changes as shown Figs. [4\(d\)](#page-4-0) and $4(e)$, which zoom in on the low-energy region of the spectra from Fig. [1.](#page-2-0) The initial slope of the Raman response is $R \lim_{\Omega \to 0} \frac{\partial \chi''}{\partial \Omega}$ $\frac{\partial X}{\partial \Omega} \propto N_{\rm F} \tau_0$, where *R* incorporates only experimen-tal factors [\[44\]](#page-8-0). The electronic relaxation $\Gamma_0^* \propto (N_F \tau_0)^{-1}$ is proportional to the dc resistivity $\rho(T)$ [\[45\]](#page-8-0). If a gap opens up there is vanishing intensity at $T = 0$ below the gap edge for an isotropic gap. At finite temperature there are thermally excited quasiparticles which scatter. Thus, there is a linear increase at low energies [\[35\]](#page-8-0). The black lines in Figs. $4(d) - 4(g)$ represent the initial slopes and their temperature dependences. The lines comprise carrier relaxation and gap effects, and we focus only on the relative changes.

Starting in the IC-CDW phase at $T = 370$ K [Fig. [4\(d\)\]](#page-4-0) the initial slope is higher for the E_g spectrum than for A_{1g} symmetry. While the CDW gap started to open already at

FIG. 4. Evolution of the gaps. (a)–(c) Squared Raman vertices and Fermi surface of $1T$ -TaS₂ for the indicated symmetries in the normal phase above T_{IC} . The derivation of Raman vertices is presented in Appendix [C.](#page-6-0) (d)–(g) Low-energy Raman spectra for *A*1*^g* symmetry (blue) and E_g symmetries (red) at temperatures as indicated. The spectra shown are zooms on the data shown in Fig. [1.](#page-2-0) The black lines highlight the initial slope of the spectra. (h) High-energy spectra at 4 K. Vertical dashed lines and colored bars indicate the approximate size and error bars of the Mott gap for the correspondingly colored spectrum. (i) Temperature dependence of the Mott gap Δ_{μ} ($\mu = A_{1g}, E_{g}$).

554 K around the *M* points [\[43\]](#page-8-0), which are highlighted by the E_g vertex, the Fermi surface projected by the E_g vertex continues to exist. Thus, we may interpret the different slopes as a manifestation of a momentum-dependent gap in the IC-CDW phase and assume overall intensity effects to be symmetry independent for all temperatures. At $T = 352$ K [Fig. 4(e)] the slope for E_g symmetry is substantially reduced to below the A_{1g} slope due to a strong increase of the CDW gap in the commensurate regions [\[43\]](#page-8-0) which emerge upon entering the NC-CDW phase. Further cooling also decreases the slope for the A_{1g} spectrum, as the Mott gap around the Γ point starts to open within the continuously growing C-CDW domains [\[40,41\]](#page-8-0). Below $T = 270$ K the initial slopes are identical for both symmetries and decrease with temperature. Apparently, the Mott gap opens up on the entire Fermi surface in direct correspondence with the increase of the resistivity by approximately an order of magnitude [\[3\]](#page-7-0). Finally, at the lowest temperature close to 4 K the initial slopes drop to almost zero

FIG. 5. Raman spectra up to high energies for (a) parallel and (b) crossed polarizations of the incident and scattered light at temperatures as given in the legend.

[Fig. $4(g)$], indicating vanishing conductivity or fully gapped bands in the entire BZ.

Concomitantly, and actually more intuitive for the opening of a gap, we observe the loss of intensity in the Raman spectra below a threshold at an energy Ω_{gap} . Below 30 cm⁻¹ the intensity is smaller than 0.2 counts(mW s)⁻¹ [Fig. 4(g)] and still smaller than 0.3 counts(mW s)⁻¹ up to 1500 cm⁻¹ [Fig. 4(h)]. For a superconductor or a CDW system the threshold is given by 2Δ , where Δ is the single-particle gap, and a pileup of intensity for higher energies, $\Omega > 2\Delta$ [\[44\]](#page-8-0). A pileup of intensity cannot be observed here. Rather, the overall intensity is further reduced with decreasing temperature as shown in Figs. 5 and [6](#page-5-0) in Appendixes A and B. In particular, the reduction occurs in distinct steps between the phases and continuous inside the phases with the strongest effect in the C-CDW phase below approximately 210 K (Fig. 5). In a system as clean as $1T$ -TaS₂ the missing pileup in the C-CDW phase is surprising and argues for an alternative interpretation.

In a Mott system, the gap persists to be observable but the pileup is not a coherence phenomenon and has not been observed yet. In fact, the physics is quite different, and the conduction band is split symmetrically about the Fermi energy E_F into a lower and a upper Hubbard band. Thus in the case of Mott-Hubbard physics the experimental signatures are more such as those expected for an insulator or semiconductor having a small gap, where at $T = 0$ there is a range without intensity and an interband onset with a band-dependent shape. At finite temperature there are thermal excitations inside the gap. For $1T$ -TaS₂ at the lowest accessible temperature, both symmetries exhibit a flat, nearly vanishing electronic continuum below a slightly symmetrydependent threshold (superposed by the phonon lines at low energies). Above the threshold a weakly structured increase is observed. We interpret this onset as the distance of the lower

FIG. 6. Luminescence contribution to the Raman data. (a), (b) Intensity as a function of the absolute frequency for (a) $T = 330$ K and (b) $T = 4$ K. The approximate peak maximum of the contribution attributed to luminescence is highlighted by the gray shaded area. (c), (d) Raman susceptibility calculated from (a) and (b), respectively, shown as a function of frequency (Raman) shift. The luminescence peak appears at different Raman shifts depending on the wavelength of the laser light. At $T = 4$ K the spectra are identical up to 1600 cm−¹ for all laser light wavelengths.

Hubbard band from the Fermi energy E_F or half of the distance between the lower and the upper Hubbard band, shown as vertical dashed lines at 1350–1550 cm⁻¹ ≡ 170–190 meV [Fig. [4\(h\)\]](#page-4-0). The energy is in good agreement with gap obtained from the in-plane angle-resolved photoemission spectroscopy (ARPES) [\[43\]](#page-8-0), scanning tunneling spectroscopy [\[46\]](#page-9-0), and infrared spectroscopy [\[13\]](#page-8-0) which may be compared directly with our Raman results measured with in-plane polarizations. Upon increasing the temperature the size of the gap shrinks uniformly in both symmetries [Fig. $4(i)$] and may point to an onset above the C-CDW phase transition, consistent with the result indicated by the initial slope. However, we cannot track the development of the gap into the NC-CDW phase as an increasing contribution of luminescence (see Appendix [B\)](#page-6-0) overlaps with the Raman data.

Recently, it was proposed on the basis of DFT calculations that $1T$ -TaS₂ orders also along the *c* axis perpendicular to the planes in the C-CDW state [\[24,25\]](#page-8-0). This quasi-onedimensional (1D) coupling is unexpectedly strong and the resulting metallic band is predicted to have a width of approximately 0.5 eV. For specific relative ordering of the star of David patterns along the *c* axis this band develops a gap of 0.15 eV at E_F [\[25\]](#page-8-0), which is intriguingly close to the various experimental observations. However, since our light polarizations are strictly in plane, we have to conclude that the gap

observed here (and presumably in the other experiments) is an in-plane gap. Our experiment cannot detect an out-of-plane gap. Thus, neither a quasimetallic dispersion along the *c* axis nor a gap in this band along k_z may be excluded in the C-CDW phase. However, there is compelling evidence for a Mott-like gap in the layers rather than a CDW gap.

IV. CONCLUSIONS

We have presented a study of the various charge density wave regimes in $1T$ -TaS₂ by inelastic light scattering, supported by *ab initio* calculations. The spectra of lattice excitations in the commensurate CDW (C-CDW) phase determine the unit cell symmetry to be $\overline{P3}$, indicating trigonal or hexagonal stacking of the "star-of-David" structure. The hightemperature spectra of the incommensurate CDW (IC-CDW) state are dominated by a projection of the phonon density of states caused by either a significant electron-phonon coupling or, more likely, the superstructure. The intermediate nearly commensurate (NC-CDW) phase is confirmed to be a mixed regime of commensurate and incommensurate regions contributing to the phonon spectra below an onset temperature $T_{NC} \approx 352-360$ K, in good agreement with previously reported values. At the lowest measured temperatures, the observation of a virtually clean gap without a redistribution of spectral weight from low to high energies below $T_{\rm C}$ argues for the existence of a Mott metal-insulator transition at a temperature of order 100 K. The magnitude of the gap is found to be $\Omega_{\text{gap}} \approx 170-190 \text{ meV}$ and has little symmetry, thus momentum, dependence, in agreement with earlier ARPES results [\[37\]](#page-8-0). At 200 K, on the high-temperature end of the C-CDW phase, the gap shrinks to ∼60% of its low-temperature value. Additionally, the progressive filling of the CDW gaps by thermal excitations is tracked via the initial slope of the spectra, and indicates that the Mott gap opens primarily on the parts of the Fermi surface closest to the Γ point.

Our results demonstrate the potential of using inelastic light scattering to probe the momentum dependence and energy scale of changes in the electronic structure driven by low-temperature collective quantum phenomena. This opens perspectives to investigate the effect of hybridization on collective quantum phenomena in heterostructures composed of different 2D materials, e.g., alternating *T* and *H* monolayers as in the $4Hb$ -TaS₂ phase [\[47\]](#page-9-0).

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APPENDIX A: RAW DATA

Figure [5](#page-4-0) shows Raman spectra at temperatures ranging from $T = 4$ to 370 K for parallel [Fig. [5\(a\)\]](#page-4-0) and crossed [Fig. [5\(b\)\]](#page-4-0) in-plane light polarizations. The spectra were measured in steps of $\Delta \Omega = 50$ cm⁻¹ and a resolution of $\sigma \approx 20$ cm⁻¹. Therefore neither the shapes nor the positions of the phonon lines below 500 cm−¹ may be resolved. All spectra reach a minimum in the range from 500 to 1600 cm−1. At energies above 500 cm−¹ the overall intensities are strongly temperature dependent and decreasing with decreasing temperature. Three clusters of spectra are well separated according to the phases they belong to.

In the C-CDW phase ($T \le 200$ K, blue lines) the spectra start to develop substructures at 1500 and 3000 cm−1. The spectra at 200 K increase almost linearly with energy. The spectra of the NC- and IC-CDW phases exhibit a broad maximum centered in the region of 2200–3200 cm⁻¹ which may be attributed to luminescence (see Appendix B). For clarification we measured a few spectra with various laser lines for excitation.

APPENDIX B: LUMINESCENCE

Figure [6](#page-5-0) shows Raman spectra measured with parallel light polarizations for three different wavelengths λ_i of the incident laser light. Figures $6(a)$ and $6(b)$ depict the measured intensity *I* (without the Bose factor) as a function of the absolute frequency $\tilde{\nu}$ of the scattered light.

At high temperature $[T = 330 \text{ K}, \text{Fig. } 6(a)]$ $[T = 330 \text{ K}, \text{Fig. } 6(a)]$ a broad peak can be seen for all λ_i which is centered at a fixed frequency of 15 200 cm−¹ of the scattered photons (gray shaded area). The peak intensity decreases for increasing λ_i (decreasing energy). Correspondingly, this peak's center depends on the laser wavelength in the spectra shown as a function of the Raman shift $[Fig. 6(c)]$ $[Fig. 6(c)]$. This behavior indicates that the origin of this excitation is likely to be luminescence where transitions at fixed absolute final frequencies are expected.

At low temperature [Fig. $6(b)$] we can no longer find a structure at a fixed absolute energy. Rather, as already indicated in the main part, the spectra develop additional, yet weak, structures which are observable in all spectra but are particularly pronounced for blue excitation. For green and yellow excitation the spectral range of the spectrometer, limited to 732 nm, is not wide enough for a deeper insight into the luminescence contributions (at energies different from those at high temperature) and no maximum common to all three spectra is observed. If these spectra are plotted as a function of the Raman shift, the changes in slope at 1500 and 3000 cm⁻¹ are found to be in the same position for all λ_i , values thus arguing for inelastic scattering rather than luminescence. Since we do currently not have the appropriate experimental tools for an in-depth study, our interpretation is preliminary although supported by the observations in Fig. $6(d)$.

As shown in the inset of Fig. $6(d)$ we propose a scenario on the basis of Mott physics. In the C-CDW phase the reduced bandwidth is no longer the largest energy and the Coulomb repulsion *U* becomes relevant [\[22\]](#page-8-0) and splits the conduction band into a lower and upper Hubbard band. We assume that the onset of scattering at 1500 cm^{-1} corresponds to the distance of the highest energy of the lower Hubbard band to the Fermi energy E_F . The second onset corresponds then to the distance between the highest energy of the lower Hubbard band and the lowest energy of the upper Hubbard band. An important question needs to be answered: Into which unoccupied states right above E_F does the first process scatter electrons? We may speculate that some DOS is provided by the metallic band dispersing along k_z or by the metallic domain walls between the different types of ordering patterns along the *c* axis observed recently by tunneling spectroscopy [\[46\]](#page-9-0). These quasi-1D domain walls would provide the states required for the onset of scattering at high energy but are topologically too small for providing enough density of states for a measurable intensity at low energy [Fig. $4(g)$] in a location-integrated experiment such as Raman scattering.

APPENDIX C: DERIVATION OF THE RAMAN VERTICES

Phenomenologically, the Raman vertices can be derived based on lattice symmetry, which are proportional to the Brillouin zone harmonics. They are a set of functions that exhibit the symmetry and periodicity of the lattice structure proposed by Allen [\[48\]](#page-9-0). These functions make the *k*-space sums and energy integrals more convenient than that of the Cartesian basis or the spherical harmonics basis, especially for those materials who have anisotropic and/or multiple Fermi pockets. The three Cartesian components of the Fermi velocity v_k are recommended to generate this set of functions since they inherit the symmetry and periodicity of the crystal lattice naturally. However, in most cases, we do not know the details of band dispersion. A phenomenological method is needed to construct such a set of basis functions. Here, we demonstrate a method based on the group theory. The Brillouin zone harmonics can be obtained by the projection operation on specific trial functions.

For a certain group *G* with symmetry elements *R* and symmetry operators \hat{P}_R , it can be described by several irreducible representations Γ_n , where *n* labels the representation. For each irreducible representation, there are corresponding basis functions $\Phi_{\Gamma_n}^j$ that can be used to generate representation matrices for a particular symmetry. Here, *j* labels the component or partner of the representations. For an arbitrary function *F*, we have

$$
F = \sum_{\Gamma_n} \sum_j f_j^{\Gamma_n} \Phi_{\Gamma_n}^j.
$$
 (C1)

According to the group theory, we can always define a projection operator by the relation [\[49\]](#page-9-0)

$$
\hat{P}^{\Gamma_n} = \frac{d}{N} \sum_R \chi^{\Gamma_n}(R) * \hat{P}_R,\tag{C2}
$$

TABLE III. Symmetry operations \hat{P}_R and corresponding character table of the D_{3d} point group.

$\hat{P_R}$	x'	y'	z'		$\chi^{\Gamma_n}(R)$ $\frac{\chi^{\Gamma_n}(\Lambda)}{E_g}$	
				A_{1g}		
E	\boldsymbol{x}	\boldsymbol{y}	z	$\mathbf{1}$	$\overline{2}$	
	$-\frac{1}{2}x + \frac{\sqrt{3}}{2}y$ $-\frac{1}{2}x - \frac{\sqrt{3}}{2}y$	$-\frac{\sqrt{3}}{2}x - \frac{1}{2}y$ $\frac{\sqrt{3}}{2}x - \frac{1}{2}y$	\boldsymbol{z}	1	-1	
$\begin{matrix} C^1_3 \cr C^1_3\cr C'_2\cr C''_2\cr\end{matrix}$			$\ensuremath{\mathnormal{z}}$	$\frac{1}{1}$		
	\boldsymbol{x}	$-y$	$-z$	1		
	$-\frac{1}{2}x + \frac{\sqrt{3}}{2}y$ $-\frac{1}{2}x - \frac{\sqrt{3}}{2}y$	$\frac{\sqrt{3}}{2}x + \frac{1}{2}y$	$-z$	1	$\begin{bmatrix} -1 \\ 0 \\ 0 \\ 0 \\ 2 \end{bmatrix}$	
		$-\frac{\sqrt{3}}{2}x + \frac{1}{2}y$	$-z$	$\mathbf{1}$		
	$- x$	$-y$	$-z$	$\mathbf{1}$		
	$\frac{1}{2}x - \frac{\sqrt{3}}{2}y$ $\frac{1}{2}x + \frac{\sqrt{3}}{2}y$	$\frac{\sqrt{3}}{2}x + \frac{1}{2}y$	$-z$	$\mathbf{1}$	-1	
		$-\frac{\sqrt{3}}{2}x + \frac{1}{2}y$	$-z$	$\left\vert 1\right\rangle$	-1	
	$-x$ ^{$-$}		\bar{z}	$\mathbf{1}$		
			\overline{z}	$\overline{1}$		
$\begin{aligned} C_2'''\ I \\ S_6^1 \\ S_6^{-1} \\ \sigma_v'' \\ \sigma_v''' \\ \sigma_v''' \end{aligned}$	$rac{1}{2}x - \frac{\sqrt{3}}{2}y$ $rac{1}{2}x + \frac{\sqrt{3}}{2}y$	$y - \frac{\sqrt{3}}{2}x - \frac{1}{2}y$ $\frac{\sqrt{3}}{2}x - \frac{1}{2}y$	\overline{z}	$\mathbf{1}$	$\begin{array}{c} 0 \\ 0 \\ 0 \end{array}$	

that satisfies the relation

$$
\hat{P}^{\Gamma_n} F = \sum_j f_j^{\Gamma_n} \Phi_{\Gamma_n}^j,\tag{C3}
$$

where *d* is the dimensionality of the irreducible representation Γ_n , *N* is the number of symmetry operators in the group, and $\chi^{\Gamma_n}(R)$ is the character of the matrix of symmetry operator *R* in irreducible representation Γ_n . By projection operation on a certain irreducible representation Γ_n , we can directly get its basis functions $\Phi_{\Gamma_n}^j$.

The basis functions are not unique. In specific physical problems, it is useful to use physical insight to guess an appropriate arbitrary function to find the basis functions for specific

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problems. $1T$ -TaS₂ belongs to the D_{3d} point group. There are 12 symmetry operators in this group, i.e., $E, C_3^1, C_3^{-1}, C_2', C_2'',$ $C_2^{\prime\prime\prime}$, *I*, S_6^1 , S_6^{-1} , $\sigma_v^{\prime\prime}$, $\sigma_v^{\prime\prime\prime}$. The coordinate transformations after symmetry operations and the corresponding character table are listed in Table III.

In order to simulate the periodicity of the Brillouin zone, trigonometric functions are used as trial functions. According to the parity of the irreducible representations, we can choose an appropriate trigonometric function, e.g., a sine function for odd parity representation and cosine function for even parity representation. The combinations of them are also available.

Here, we use $F = \cos(k_x a)$ as a trial function, where *a* is the in-plane crystal constant. The basis function of A_{1g} can be derived as

$$
\Phi_{A_1g}(\mathbf{k}) = \frac{1}{3} \bigg[\cos(k_x a) + 2 \cos\left(\frac{1}{2} k_x a\right) \cos\left(\frac{\sqrt{3}}{2} k_y a\right) \bigg].
$$
\n(C4)

With the same method, we obtain a basis function of E_g as

$$
\Phi_{E_g^1}(\mathbf{k}) = \frac{2}{3} \bigg[\cos(k_x a) - \cos\left(\frac{1}{2} k_x a\right) \cos\left(\frac{\sqrt{3}}{2} k_y a\right) \bigg].
$$
\n(C5)

Since the E_g is a two-dimensional representation, the projection operation provides only one of the two basis functions of the corresponding subspace. The second function is found based on the subspace invariance under the symmetry operations (e.g., if we operate Φ_{E_g} with C_3^1 symmetry, the result can be presented as a linear combination of $\Phi_{E_g^1}$ and $\Phi_{E_g^2}$). Thus we obtain

$$
\Phi_{E_g^2}(\mathbf{k}) = 2 \sin\left(\frac{1}{2}k_x a\right) \sin\left(\frac{\sqrt{3}}{2}k_y a\right). \tag{C6}
$$

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