<sup>1</sup>N. F. Mott and H. S. W. Massey *The Theory of Atomic Collisions*, 3rd ed. (Clarendon, Oxford, 1971), Chap. 19, Sec. 4.1.

<sup>2</sup>L. D. Landau and E. M. Lifschitz, *Quantum Mechanics* (Pergamon, New York, 1979).

<sup>3</sup>R. S. Mulliken, Phys. Rev. 36, 1440 (1930).

<sup>4</sup>S. Geltman, Topics in Atomic Collision Theory (Academic, New

## Erratum: Frequency dependence of a ring laser with backscattering [Phys. Rev. A 34, 3932 (1986)]

W. R. Christian and L. Mandel

We wish to draw attention to an error in our paper. The steady-state solution to the Fokker-Planck equation for the ring laser given by Eqs. (14)-(16), and then used subsequently, is not exact under all conditions as claimed, but only under some conditions. However, when it is not exact, it is usually a good approximation to the correct solution, at least for a symmetric ring laser.

When Eqs. (14)–(16) are substituted back into the Fokker-Planck equation (13), the result is not zero but

$$= \frac{1}{2} \frac{p_s}{g_r} \{ [a_1 - a_2 + (I_1 - I_2)f_r(\xi - 1)] \operatorname{Re}[E_1 E_2^* (R_2 - R_1^*)] + (I_1 - I_2)f_i(\xi - 1) \operatorname{Im}[E_1 E_2^* (R_2 + R_1^*)] + \frac{1}{2}(I_1 - I_2)(|R_1|^2 - |R_2|^2) \} .$$
(1)

The following conclusions can be drawn.

(a) The solution represented by Eqs. (14)–(16) is exact in the absence of backscattering  $(R_1=0=R_2)$ .

(b) The solution represented by Eqs. (14)-(16) is exact in the absence of detuning  $(\xi = 1)$  when  $|R_1| = |R_2|$  and  $a_1 = a_2$ .

(c) In other cases the solution represented by Eqs. (14)-(16) is not correct. But even when backscattering and detuning are both present, for a symmetric ring laser with  $a_1 = a_2$ ,  $|R_1| = |R_2|$ , Eqs. (14)-(16) are expected to be a good approximation to the correct solution for small relative detuning  $[(\Delta\omega/\gamma)^2 \ll 1]$ , because  $f_r(\xi-1)$  is of order  $(\Delta\omega/\gamma)^2$  and  $f_i(\xi-1)$  is of order  $(\Delta\omega/\gamma)^3$ . We have compared Eqs. (14)-(16) with Monte Carlo solutions of the original equations of motion (9) and found very good agreement under these conditions. Presumably that is why the theory based on Eqs. (14)-(16) received such good confirmation in our recent experiments. It is not difficult to show generally that, within the domain in which the third-order laser theory is valid,  $(\Delta\omega/\gamma)^2$  has to be small if the laser is not to shut off.

The errors in the "solution" given by Eqs. (14)–(16) are most significant for an asymmetric ring laser, when  $|R_1| \neq |R_2|$  and  $a_1 \neq a_2$ . We have compared the form of the joint probability density  $\mathcal{P}(I_1, I_2)$  given by Eq. (20) with computer solutions of the equations of motion in several cases, and find that the difference is generally in the form of a translation of  $\mathcal{P}(I_1, I_2)$  along the  $I_1$  or  $I_2$  axis, with little change of shape. This implies that Eq. (20) will yield a reasonable approximation to  $\langle (\Delta I_1)^2 \rangle$ ,  $\langle (\Delta I_2)^2 \rangle$ , and  $\langle \Delta I_1 \Delta I_2 \rangle$ , but not to  $\langle I_1 \rangle$  and  $\langle I_2 \rangle$ .

We are indebted to Professor Dr. Peter Hänggi for drawing our attention to the error in Eqs. (14)-(16).

## Erratum: Electron-impact excitation of the resonance transition in Be<sup>+</sup>: An *ab initio* treatment of core-correlation and -polarization effects [Phys. Rev. A 34, 4777 (1986)]

F. A. Parpia, D. W. Norcross, and F. J. da Paixao

Several entries in Table VIII are incorrect. The widths ( $\Gamma$ ) of the resonance in the rows denoted "Present calculation" should be, from top to bottom:  $1.7 \times 10^{-5}$ ,  $7.8 \times 10^{-8}$ ,  $1.0 \times 10^{-5}$ , and  $4.88 \times 10^{-4}$ . The position of the resonance ( $\epsilon$ ) in the five-state calculation should be 0.0248 Ry. The conclusions drawn in the paper are in no substantial way affected by these corrections.

- York, 1969), Chap. 3, p. 23ff. <sup>5</sup>G. Herzberg, Spectra of Diatomic Molecules, 2nd ed. (Van Nos-
- trand Reinhold, New York, 1950), pp. 237-239.
- <sup>6</sup>F. Grein and S. Peyerimhoff (private communication).
- <sup>7</sup>R. Ahlrichs (private communication).