



and focused ( $\leq \sim 1 \text{ mm}^2$ ) into a 5-cm-long differentially pumped cell filled with 99.996% pure  $^4\text{He}$  gas.

The ejected electrons were detected at  $0^\circ$  with respect to the beam direction by a tandem spectrometer composed<sup>12</sup> of an entrance and exit  $45^\circ$  parallel-plate electrostatic analyzer, subtending an effective solid angle of  $\sim 2.2 \times 10^{-4}$  sr. The measured yields were due to Auger electrons ejected at an angle of  $0^\circ$  in the emitter frame from the decay of projectile autoionizing states ( $2l n l'$ ), corresponding to an electron energy range of 32–42 eV in the emitter rest frame. A final resolution of about 120 meV (in the projectile rest frame) was attained by decelerating all detected electrons to 7 eV between the two

analyzers. The kinematic broadening caused by the finite acceptance (half)-angle of the spectrometer<sup>7,8</sup> ( $\Delta\theta \sim 1^\circ$ ) was only about 30 meV (projectile frame) for a projectile energy  $E_p = 500$  keV (worst case) and was neglected. Beam currents ranged between 0.030–1.5  $\mu\text{A}$  for  $E_p$  between 150–500 keV, respectively.

In Fig. 1, high-resolution electron spectra are shown resulting from  $\text{He}^{2+} + \text{He}$  collisions. The measured yields are shown after subtraction of background continuum electrons and transformation to the projectile rest frame. Only spectral lines resulting from the decay of autoionizing states with  $n=2$  are shown, i.e.  $(2s^2)^1S$ ,  $(2s2p)^3P$ ,  $(2p^2)^1D$ , and  $(2s2p)^1P$ , these being well resolved in the overall electron spectra. The  $^1S$ ,  $^1P$ , and  $^1D$  states can be formed by DEC. However, the  $^3P$  state cannot be formed by DEC, since this would require one of the two captured electrons to spin flip in order for a spin triplet to be produced. Such spin-flipping processes should be weak in low- $Z$  systems where the spin-orbit interaction is small.

The  $^3P$  state is assumed to be formed by successive one-electron capture events taking place in two collisions. Evidence for this is demonstrated in Fig. 2, where the target pressure ( $P_t$ ) dependence for the different states is shown in a typical case of 300 keV  $\text{He}^{2+} + \text{He}$  collisions. In this figure, a linear dependence of the yields on pressure, implying single collision conditions, is depicted as a straight line parallel to the pressure axis. Deviations from such behavior indicate the existence of multiple collision contributions. The three singlet states,  $^1S$ ,  $^1D$ , and  $^1P$ , are seen to be well fitted by straight lines parallel to the pressure axis over most of the lower-pressure region, clearly demonstrating their single-collision production origin. However, this is clearly not so for the  $^3P$  state which shows a strong quadratic behavior. For the  $^3P$  state, it appears (see Fig. 2) that when  $P_t \geq 1$  mTorr both collisions take place in the target gas, while for  $P_t < 1$  mTorr, the first collision takes place predominantly within the beam line before the scattering chamber. This was further verified by making a small leak in the beam line (normally at  $5 \times 10^{-7}$  Torr) at the lowest  $P_t$  studied (0.15 mTorr). Only the  $^3P$  yield relative to the other three states was increased, thus ruling

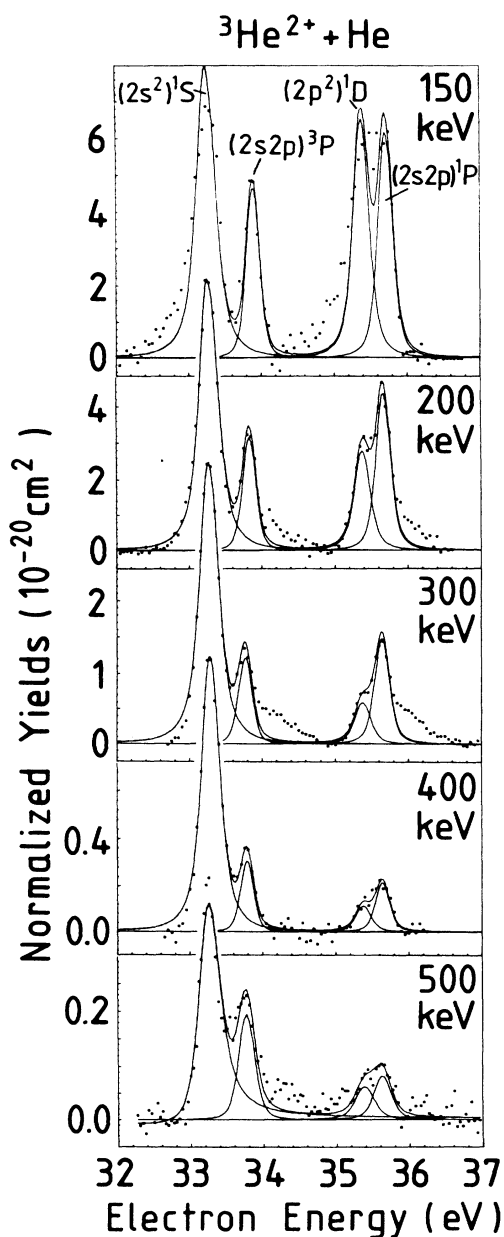


FIG. 1. Electron spectra (projectile rest frame) produced in  $^3\text{He}^{2+} + \text{He}$  collisions at different projectile energies.

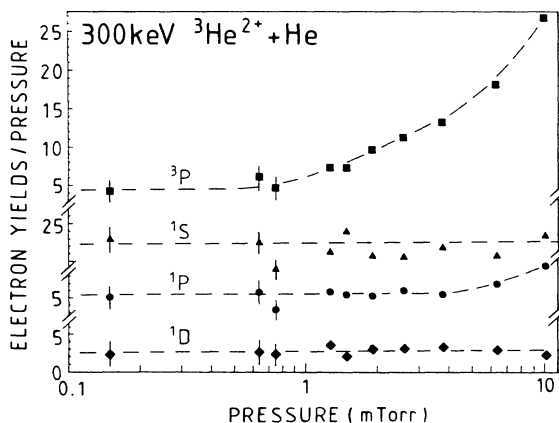


FIG. 2. Target pressure dependence of the  $^1S$ ,  $^3P$ ,  $^1D$ , and  $^1P$  states. Statistical errors are indicated.

out the possible observation of spin flip. The quadratic and linear pressure dependence of the triplet and singlet states, respectively, was checked and confirmed for all projectile energies studied.

Absolute differential cross sections for DEC were extracted directly from the measured electron yields in the single collision region ( $P_1 \approx 0.68$ – $2$  mTorr) using methods described elsewhere.<sup>12</sup> It can be readily shown that for the states studied here total SSDEC cross sections  $\sigma_{20}(^1L)$  can be obtained by multiplying the differential cross sections measured at  $0^\circ$  (Fig. 1) by  $4\pi$ ,  $4\pi/3$ , and  $4\pi/5$  for the  $^1S$ ,  $^1P$ , and  $^1D$  states, respectively, to account for the angular dependence of the  $M=0$  substrates which are predominantly selected<sup>7</sup> by observing the electrons at  $0^\circ$ . These DEC cross sections are shown in Fig. 3. Only statistical errors are indicated. Absolute errors are estimated to be smaller than about 30%. The  $^1S$  state is seen to be dominantly populated,  $\sigma_{20}(^1D)$  and  $\sigma_{20}(^1P)$  being about 6–20 times smaller than  $\sigma_{20}(^1S)$ . DEC to the  $^1P$  state is slightly larger than to the  $^1D$ . The projectile energy dependence of the three states is seen to be quite similar at the higher energies.

To date, no calculations exist for SSDEC. Recently, Salin, Bachau, and Gayet<sup>13</sup> calculated SSDEC cross sections into the  $^1S$ ,  $^1D$ , and  $^1P$  autoionizing states for this system by extending the independent electron model of Gayet, Rivarola, and Salin.<sup>14</sup> These states were described through a configuration interaction treatment<sup>15</sup> using antisymmetrized hydrogenic orbitals. This model assumes that the electron-electron interaction is switched off during the transition. Each electron is then captured independently to a final  $\text{He}^+(nlm)$  state with amplitude  $a_{nlm}(b)$ , computed in a continuous distorted wave (CDW) approximation<sup>16</sup> and a total amplitude  $A(LMS)$  for DEC is obtained from the product of the single-electron amplitudes, i.e.,

$$A^{LMS} \propto \sum_{n_1 l_1 m_1} \sum_{n_2 l_2 m_2} \langle l_1 l_2 m_1 m_2 | LM \rangle a_{n_1 l_1 m_1}(b) a_{n_2 l_2 m_2}(b),$$

from which cross sections

$$\sigma_{20}(LMS) = 2\pi \int b db |A^{LMS}(b)|^2$$

are obtained. The most important impact parameters  $b$  range between 0–1 a.u. Calculations break down below  $\sim 250$  keV, as the limit of validity of the CDW method is reached.

The results of these calculations for  $\sigma_{20}(LMS)$ , with  $M=0$ , are also included in Fig. 3. The CDW SSDEC cross sections are seen in general to be much larger than the measured ones by factors ranging from 6 for the  $^1S$  state up to 75 for the  $^1P$  state. A more sophisticated calculation in which the first electron is captured into a  $\text{He}^{2+}$  ion and the second into the remaining  $\text{He}^+$  ion, rather than both electrons being captured into a  $\text{He}^{2+}$  ion (as assumed above), should lead to smaller DEC cross sections, since  $\sigma_{10}$  can be about an order of magnitude smaller<sup>17</sup> than  $\sigma_{21}$ . Furthermore, electron correlation effects<sup>11</sup> not treated by this independent particle calculation should partially account for some of this discrepancy.

In conclusion, state-selective double-electron capture

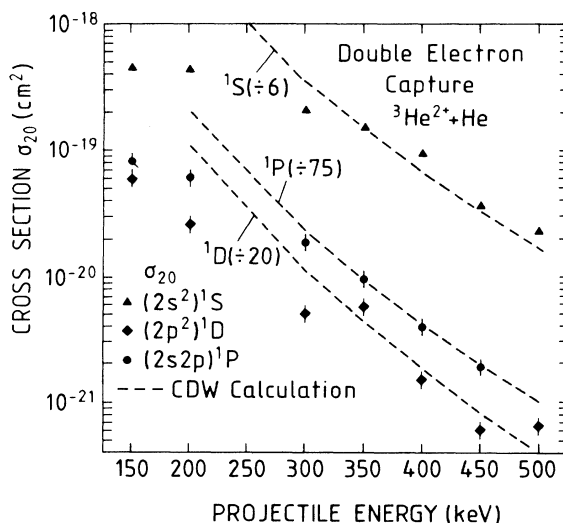


FIG. 3. Absolute SSDEC cross sections  $\sigma_{20}$  for the  $^1S$ ,  $^1D$ , and  $^1P$  states. Only statistical errors are indicated. Absolute errors  $\leq 30\%$ . Dashed lines: CDW calculation (Ref. 10) with  $M=0$  already divided by numbers in parentheses.

(SSDEC) into autoionizing states of  $\text{He}^{**}(2ln'l')$  was studied for  $\text{He}^{2+} + \text{He}$  collisions at different projectile energies between 150–500 keV. Using the simplicity and high-resolution capabilities of  $0^\circ$  Auger spectroscopy, the three lowest doubly excited projectile states of He, i.e., the  $(2s^2)^1S$ ,  $(2s2p)^1P$ , and  $(2p^2)^1D$  states, were clearly resolved and SSDEC cross sections into these states were measured with excellent statistics. These were found to be of the same order of magnitude as the transfer-excitation cross sections measured for  $\text{He}^+ + \text{He}$  collisions.<sup>12</sup> The only available SSDEC calculation,<sup>13</sup> an independent particle CDW approximation, was found to overestimate SSDEC cross sections by large factors ranging from 6 to 75, pointing to the lack of adequate understanding of SSDEC even for the simplest existing two-electron system. These and other such measurements could be an important testing ground for newly developed more sophisticated formalisms that include electron-electron interactions,<sup>11</sup> such as time-dependent Hartree-Fock<sup>9</sup> or atomic-orbital coupled-channel<sup>10</sup> calculations which are expected to be quite accurate in the intermediate velocity regime and should soon be available for the study of SSDEC.

*Note added in proof.* Improved agreement (about a factor of 2 or better than the CDW calculation) with our SSDEC's has very recently been obtained by an independent particle coupled-channel approach (AO+) valid over the entire 100–500-keV energy range.

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