

**Erratum: Multiphoton processes in a hydrogen atom**  
**[Phys. Rev. A 4, 1896 (1971)]**

Y. Gontier and M. Trahin

Except for two-photon transition between atomic bound S states, Eq. (11b) must be replaced by Eq. (3). The transition matrix element is computed by choosing the unit polarization vector  $\vec{\epsilon}$  along the  $x$  axis and the propagation vector  $\vec{k}$  of the incoming photon in the  $z$  direction. The angular contribution to  $\mathfrak{M}^{(N)}(E_s, E_p)$  depends on the angular coordinates  $(\psi, \eta)$  specifying the direction of the emitted photon; it can be written

$$G_\nu(l_1, m_1; \dots; l_\nu, m_\nu; \dots; L, M) \\
= \frac{1}{2}[Q_+(l_1, l)\delta(m_1, m+1) + Q_-(l_1, l)\delta(m_1, m-1)] \dots \\
\times \left[ \frac{1}{2}(1 - i \cos\psi)e^{-i\eta}Q_+(l_{\nu+1}, l_\nu)\delta(m_{\nu+1}, m_\nu + 1) - \frac{1}{2}(1 + i \cos\psi)e^{i\eta}Q_-(l_{\nu+1}, l_\nu)\delta(m_{\nu+1}, m_\nu - 1) \right. \\
\left. + i \sin\psi Q_0(l_{\nu+1}, l_\nu)\delta(m_{\nu+1}, m_\nu) \right] \dots \frac{1}{2}[Q_+(L, l_{N-1})\delta(M, m_{N-1} + 1) + Q_-(L, l_{N-1})\delta(M, m_{N-1} - 1)]$$

and must be used instead of Eq. (17) which is only valid for  $\nu=0$ . To compare with our previous results, some data pertaining to the  $1S \rightarrow 1S$  and  $1S \rightarrow 2S$  transitions are shown here in Figs. 1 and 2. The differences between our new result and the preceding one can be understood in noting that our former procedure eliminates some channels and only includes transitions with  $\Delta m=0$ . Now, the values of the  $I_S$  threshold defined in the conclusions of the paper are modified: At 6943 Å for  $1S \rightarrow 2P$  transitions  $I_S = 2 \times 10^8$  W/cm<sup>2</sup>; at 5300

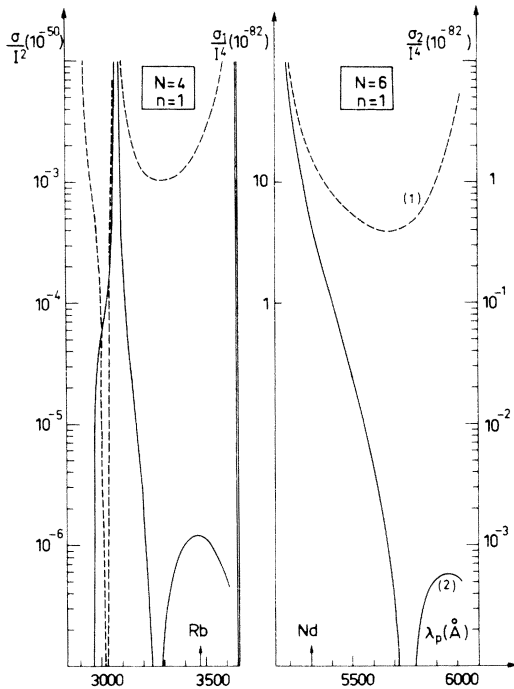


FIG. 1. Transition rate  $\sigma/I^{N-2}$  for  $1S \rightarrow 1S$  (broken lines) and  $1S \rightarrow 2S$  transition (solid lines) with  $N=4$  and 6.

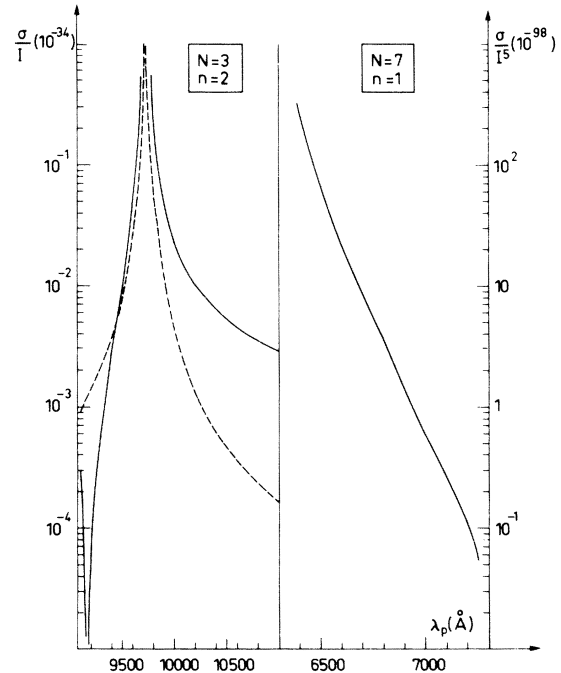


FIG. 2. Transition rate  $\sigma/I^{N-2}$  for  $2S \rightarrow 2P$  (solid line) and  $2S \rightarrow 3P$  transition (broken line) with  $N=3$ . The curve on the right-hand side gives results for the  $1S \rightarrow 2P$  transition with  $N=7$ .

Å for 1S → 1S transitions  $I_s = 3.4 \times 10^6$  W/cm<sup>2</sup>; at 3471 Å for 1S → 1S and 1S → 2S transitions,  $I_s = 3.0 \times 10^7$  W/cm<sup>2</sup> and  $1.7 \times 10^4$  W/cm<sup>2</sup>, respectively.

For the usual laser intensities, the ionization process remains the dominant one.

We are indebted to Dr. A. Maquet for bringing this error to our attention. [See also Y. Heno, A. Maquet, and R. Schwarz, this issue, Phys. Rev. A 14, 1936 (1976).]

**Erratum: Cross section profiles of resonances in the photoionization continuum  
of krypton and xenon (600–400 Å)  
[Phys. Rev. A 4, 2263 (1971)]**

David L. Ederer

Equation (4) in this paper is incorrect. It should read

$$\sigma(E) = C(E) + \frac{2\sigma_a q (\Gamma/2)(E - E_r) + \sigma_a (q^2 - 1)(\Gamma/2)^2}{(E - E_r)^2 + (\Gamma/2)^2}. \quad (4)$$

Unfortunately the incorrect form of the cross section was inadvertently used to transform the pa-

rameters from the Fano representation to the Shore representation, consequently, some of the parameter values listed in Tables I and II are incorrect. The corrected tables appear below. The change in some of the  $a_i$ 's will slightly effect the cross-section profiles of the resonances shown in Figs. 1 and 2.

The author is indebted to P.C. Kemeny and A. Starace for bringing these inconsistencies to his attention.

TABLE I. Parameters for resonances in krypton. The quantities  $a$ ,  $b$ ,  $C$ ,  $\Gamma$ , and  $\Delta E$  define the resonance profile according to Eq. (2), while the profile index  $q$  and the correlation index  $\rho^2$  are evaluated when the resonance was treated as a single noninteracting resonance. The bracket in the number-of-runs column encloses the number of resonances included in the group analyzed.

Code <sup>a</sup>	$\lambda$ (Å)	$E$ (eV)	$\Delta E$ (meV)	$b$ (cm <sup>-1</sup> )	$a$ (cm <sup>-1</sup> )	$C$ (cm <sup>-1</sup> )	$\Gamma^c$ (meV)	$q$	$\rho^2$	No. of runs
1	501.23	24.735	...	-260 ± 80	-115 ± 15	815 ± 70	4.0 ± 0.5	-0.22 ± 0.03	0.34 ± 0.03	4
3			67.0 ± 0.6 <sup>b</sup>	-450 ± 55	280 ± 60		19.04 ± 0.54			} 7
4			38.9 ± 0.03	-500 ± 45	0 ± 40	750 ± 70	7.50 ± 0.70			
5	496.07	24.992	0.0	-430 ± 45	-300 ± 70		22.8 ± 0.8			
6	492.52	25.173	...	-295 ± 75	-60 ± 24	770 ± 90	3.9 ± 0.3	-0.10 ± 0.06	0.39 ± 0.02	3
9	472.26	26.253	0.0	-60 ± 120	350 ± 150		1.58 ± 0.28			} 8
10			44.4 ± 0.4	-220 ± 100	320 ± 20	680 ± 70	7.36 ± 0.80			
11			55.3 ± 2.5	-515 ± 65	-150 ± 85		13.2 ± 0.5			
14	462.71	26.794	...	-385 ± 80	90 ± 30	635 ± 60	7.8 ± 0.6	0.11 ± 0.03	0.62 ± 0.02	5
15	461.83	26.864	...	-132 ± 80	-110 ± 40	635 ± 60	3.5 ± 0.8	-0.38 ± 0.06	0.24 ± 0.03	3
18		27.036	42.0 ± 1.5	-55 ± 30	130 ± 15	650 ± 50	6.8 ± 0.8			} 7
19	457.86	27.078	0.0	-105 ± 40	-370 ± 25		7.18 ± 0.32			

<sup>a</sup> The code number and the wavelength are taken from Ref. 9.

<sup>b</sup> The quoted error for the parameters of these resonances corresponds to the standard deviation.

<sup>c</sup> In addition to the statistical quoted, the parameters  $a$ ,  $b$ ,  $\Gamma$ ,  $q$ , and  $\rho^2$  are subject to a systematic error due to the uncertainty in the width of the slit function ( $2.0 \pm 0.2$  meV). This systematic error amounts to approximately 10% of the parameter value for resonances whose width is equal to the slit function width and decreases proportionately as the slit width to resonance width ratio decreases.