

## Cross sections and equilibrium charge fractions when $D_2^+$ is incident on Cs vapor\*

F. W. Meyer and L. W. Anderson

*Department of Physics, University of Wisconsin, Madison, Wisconsin 53706*

(Received 16 September 1974)

The total cross section for charge exchange or breakup when  $D_2^+$  is incident on Cs has been measured in the energy range 3.0–23 keV. The cross section has a value of  $(1362 \pm 80) \times 10^{-17} \text{ cm}^2$  at 3 keV and falls rapidly with increasing energy, reaching a value of  $(594 \pm 40) \times 10^{-17} \text{ cm}^2$  at 23 keV. The equilibrium fraction of  $D^-$  obtained when  $D_2^+$  is incident on Cs has also been measured. The equilibrium fraction of  $D^-$  is  $(10.5 \pm 2.0)\%$  at 3 keV,  $(7.3 \pm 1.6)\%$  at 5 keV,  $(3.4 \pm 0.7)\%$  at 11.5 keV,  $(2.0 \pm 0.4)\%$  at 17.3 keV, and  $(1.5 \pm 0.3)\%$  at 23 keV. The equilibrium fraction of  $D^-$  obtained when  $D_2^+$  is incident on Cs at an energy  $E$  is shown experimentally to be the same as the equilibrium fraction of  $D^-$  obtained when  $D^+$  is incident on Cs at an energy  $\frac{1}{2}E$ . The angular distribution of the reaction products when  $D_2^+$  ions are incident on Cs includes appreciable scattering into angles which are larger than  $1^\circ$ . An explanation of these large scattering angles is offered.

### I. INTRODUCTION

An understanding of the atomic collision processes involved in the formation of  $D^-$  ions is of great interest in the areas of accelerator technology and controlled thermonuclear reaction research. In the production of high-energy  $D^+$  beams by tandem accelerators, for example, an intense  $D^-$  ion source is required. In the controlled thermonuclear reaction (CTR) program, the injection of fast  $D^0$  atoms has been proposed as a method of heating plasmas. The fast  $D^0$  beam can be obtained in the following sequence: (i) production of  $D^-$  ions at low energy, (ii) subsequent acceleration of the  $D^-$  ions to high energy, and (iii) formation of  $D^0$ 's by electron stripping of the fast  $D^-$  ions.

One method of producing  $D^-$  ions is by charge exchange with a  $D^+$ ,  $D_2^+$ , or  $D_3^+$  ion beam incident on a gas target. The total and differential cross sections involved in producing  $D^-$  ions, and the equilibrium fraction of  $D^-$  ions emerging from the target determine in part the intensity and emittance of the  $D^-$  ion beam produced in the target.

The total charge-exchange cross sections and equilibrium fractions for the reactions that occur when  $D^+$  (or  $H^+$ ) are incident on Cs vapor have been measured by numerous workers.<sup>1-8</sup> These experiments have shown that the equilibrium fractions of  $D^-$  (or  $H^-$ ), when  $D^+$  (or  $H^+$ ) is incident on Cs vapor at energies less than 5 keV, are very large. Cs vapor is thus an attractive charge-exchange medium for the production of  $D^-$  (or  $H^-$ ) ions. Similar experiments have not previously been reported for  $D_2^+$  or  $D_3^+$  incident on Cs.

The Barnett report<sup>9</sup> on the atomic and molecular data needs for the CTR program points out the immediate need for measurements of the total cross sections, differential cross sections, and equilib-

rium fractions for the formation of  $D^-$  when  $D_2^+$  and  $D_3^+$  are incident on Cs vapor. The present paper reports experimental values of the total charge-exchange cross sections and equilibrium fractions for  $D^-$  when  $D_2^+$  is incident on Cs vapor. An interpretation of the results is offered in the final section of the paper.

### II. EXPERIMENTAL APPARATUS AND ANALYSIS

The experimental setup used is identical to that used previously by Meyer and Anderson<sup>10</sup> except that the number of suppressed Faraday cups in the detection chamber downstream of the Cs target has been increased from two to four, to permit simultaneous measurement of the currents of the  $D_2^+$ ,  $D^+$ ,  $D^-$ , and  $D_2^-$  ions produced in the target. The Faraday cups each subtend an angle of approximately  $1^\circ$  as seen from the target, and are positioned symmetrically to the left and right of the beam axis at  $\pm 4^\circ$  and  $\pm 8^\circ$  with respect to the center of the analyzing magnetic field located between the Cs target and the detection chamber. The magnetic field momentum analyzes the beam emerging from the target, thus spatially separating the beam into its constituent ionic species. Since all the ions leave the target with very nearly the same velocity, the magnetic field which is required to deflect the  $D_2^+$  beam component emerging from the target into the Faraday cup located at  $+4^\circ$  with respect to the magnet center, also deflects each of the  $D^+$ ,  $D^-$ , and  $D_2^-$  beam components into the remaining Faraday cups located at  $+8^\circ$ ,  $-8^\circ$ , and  $-4^\circ$ , respectively. The fast  $D^0$  and  $D_2^0$  particles emerging from the target strike a secondary emission detector also located in the detection chamber along the beam axis. The electrons ejected by the incidence of the fast neutral particles on the sec-

ondary emission detector are collected by a positively biased ring.

The Cs density in the target is measured by two hot wire gauges, one inside the target and the other in an auxiliary chamber as described in Ref. 10. The gauge in the target (called hot wire gauge 2 in Ref. 10) is used to measure directly the Cs density at low densities. The gauge in the auxiliary chamber (called hot wire gauge 1 in Ref. 10) is used to measure the Cs density at high densities where the hot wire gauge 2 is space charge limited. The gauge in the auxiliary chamber is calibrated against the gauge inside the target as described in Ref. 10.

Experimentally, at a particular energy of the incident  $D_2^+$  beam, we measure the  $D_2^+$  ion current before the Cs target, the ion currents to the various Faraday cups in the detection chamber downstream of the Cs target, and the electron current in the secondary emission detector for various values of the Cs ion current in the hot wire detector (i.e., for various values of the Cs target thickness).

The currents measured in the Faraday cups downstream of the Cs target are  $I_1 = N_1 e$ ,  $I_2 = N_2 e$ , and  $I_3 = N_3 e$ , where  $I_1$ ,  $I_2$ , and  $I_3$  are respectively the  $D_2^+$  ion current, the  $D^+$  ion current, and the  $D^-$  current;  $N_1$ ,  $N_2$ , and  $N_3$  are respectively the number of  $D_2^+$  ions,  $D^+$  ions, and  $D^-$  ions emerging per second from the target and being collected in the Faraday cups; and  $e$  is the electronic charge. We observe no  $D_2^-$  current for any values of the energy and Cs-target thickness investigated in this paper. The current in the  $D_2^-$  Faraday cup is less than  $10^{-5}$  of the incident ion current and was not measurable with a Keithley electrometer. The current to the neutral detector is  $I_0 = I_4 + I_5 = R_4 N_4 e + R_5 N_5 e$ , where  $I_4$  and  $I_5$  are respectively the secondary electron currents in the neutral detector produced by the incidence of fast  $D^0$  and  $D_2^0$  particles on the neutral detector,  $N_4$  and  $N_5$  are respectively the number of  $D^0$  and  $D_2^0$  particles emerging per second from the target and striking the neutral detector, and  $R_4$  and  $R_5$  are respectively the number of secondary electrons emitted from the neutral detector per incident  $D^0$  and  $D_2^0$  particle. The current to the Faraday cup located before the Cs target is  $I_s = N_s e$ , where  $N_s$  is the number of  $D_2^+$  particles incident on the target.

The total number of deuterium atoms incident on the target is  $2N_s$ . These atoms must either be detected after the target or be scattered in the target so that they do not strike the detectors downstream of the target. Stray electric and magnetic fields may also deflect the charged particles so that they do not strike the detectors. Thus we find that

$$2N_s = \frac{2N_1}{T_1} + \frac{N_2}{T_2} + \frac{N_3}{T_3} + \frac{N_4}{T_4} + \frac{2N_5}{T_5}, \quad (1)$$

where  $T_{1-5}$  are factors that take into account that a particle may acquire a sufficient amount of transverse velocity in the production process, by scattering, or by deflection due to stray electric and magnetic fields that it misses the Faraday cup. Thus the different  $T$ 's are all less than or equal to one. We shall call  $T_1$ ,  $T_2$ ,  $T_3$ ,  $T_4$ , and  $T_5$  transmission factors for the  $D_2^+$ ,  $D^+$ ,  $D^-$ ,  $D^0$ , and  $D_2^0$  particles, respectively. The factors of 2 stem from the fact that the deuterium molecule contains two atoms.  $T_{1-5}$  may all be different since the angular distribution of each of the reaction products when  $D_2^+$  collides with Cs may be different. Rewriting Eq. (1) in terms of the currents, we obtain

$$2I_s = \frac{2I_1}{T_1} + \frac{I_2}{T_2} + \frac{I_3}{T_3} + \frac{I_4}{R_4 T_4} + \frac{2I_5}{R_5 T_5}. \quad (2)$$

The fractions of the total number of incident deuterium atoms at the end of the target in the forms  $D_2^+$ ,  $D^+$ ,  $D^-$ ,  $D^0$ , and  $D_2^0$  are given respectively by

$$F_1 = \frac{I_1}{T_1 I_s}, \quad F_2 = \frac{I_2}{2T_2 I_s}, \quad F_3 = \frac{I_3}{2T_3 I_s},$$

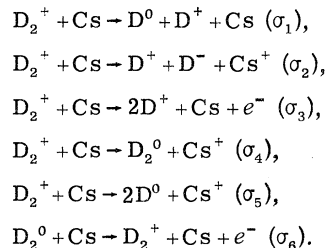
$$F_4 = \frac{I_4}{2T_4 R_4 I_s}, \quad \text{and} \quad F_5 = \frac{I_5}{T_5 R_5 I_s}.$$

From Eq. (2) it follows that  $F_1 + F_2 + F_3 + F_4 + F_5 = 1$ . The total neutral beam fraction is  $F_0 = F_4 + F_5$ .

The differential equation describing the beam fraction  $F_1$  is given by

$$\frac{dF_1}{d\pi} = -(\sigma_1 + \sigma_2 + \sigma_3 + \sigma_4 + \sigma_5)F_1 + \sigma_6 F_5, \quad (3)$$

where  $\pi$  is the target thickness in atoms per  $\text{cm}^2$ . The cross sections  $\sigma_{1-6}$  refer to the reactions



We ignore charge-exchange reactions which involve two or more electron pick up such as  $D_2^+ + Cs \rightarrow D^0 + D^- + Cs^{++}$ , and we recognize explicitly in the differential equation that once the molecule or molecular ion is broken up the probability for two fast deuterium atoms or ions reuniting is negligible. Thus the reaction  $D^+ + D^0 \rightarrow D_2^+$  does not occur in the fast beam. There are similar differential

equations for the beam fractions  $F_2$ ,  $F_3$ ,  $F_4$ , and  $F_5$ .

### III. EXPERIMENTAL RESULTS AND INTERPRETATION

The transmission factor  $T_1$  of the  $D_2^+$  beam through the target is greater than 95% when  $\pi=0$  for all the energies of the incident  $D_2^+$  ions investigated in this paper. This indicates that deflection of the ions by stray electric and magnetic fields is negligible. The value of  $I_1/I_s$  falls from one to zero almost exponentially as  $\pi$  increases from zero to large values as shown in Fig. 1. We interpret this as indicating that any fast  $D_2^0$  molecules formed are broken up into fast  $D^0$  atoms or into  $D^+$  and  $D^-$  ions before they can be stripped of an electron and regenerate a  $D_2^+$  ion [i.e., the term  $\sigma_6 F_5$  in Eq. (3) is negligible]. We believe that the elastic scattering of the  $D_2^+$  ion into an angle not accepted by the  $D_2^+$  ion Faraday cup (i.e., an angle greater than  $1^\circ$ ) is small. The angular spread of the beam can be estimated from the variation of the current to the Faraday cup as a function of the analyzing magnetic field. If the beam is broad the current will change gradually as a function of the magnetic field. The measured  $D_2^+$  ion current is observed to be insensitive to the analyzing magnetic field when this field is varied by as much as  $\pm 10\%$  about the value required to center the  $D_2^+$  beam into its Faraday cup. The ion current falls sharply to zero outside this range in magnetic field indicating that the  $D_2^+$  beam is deflected so that it entirely misses the Faraday cup. Therefore we conclude that the effect of elastic scattering on the angular divergence of the  $D_2^+$  beam is small. Furthermore,

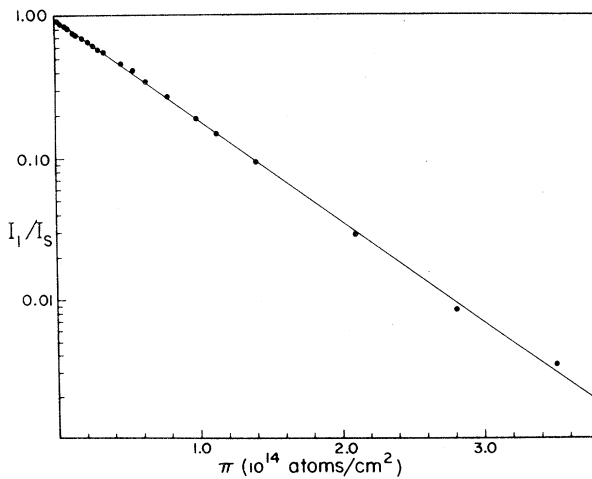


FIG. 1. Ratio of the  $D_2^+$  current emerging from the target  $I_1$  and the source current  $I_s$  as a function of the target thickness  $\pi$  for  $D_2^+$  incident on Cs at 3 keV. The curve through the data points is drawn for clarity only.

$$I_1/I_s = T_1 F_1 = T_1 e^{-\pi(\sigma_1 + \sigma_2 + \sigma_3 + \sigma_4 + \sigma_5)}.$$

Here we recognize that  $F_1=1$  at  $\pi=0$ . From the experimental linear dependence (see Fig. 1) of  $\ln(I_1/I_s)$  upon  $\pi$  for all values of  $\pi$ , we obtain  $T_1$  and the total cross section for charge exchange or breakup of  $D_2^+$  ions in Cs,  $\sigma_T = \sigma_1 + \sigma_2 + \sigma_3 + \sigma_4 + \sigma_5$ . Experimentally we observe that the fraction of  $D^+$  or  $D^-$  ions emerging from the target at low values of  $\pi$  is much smaller than the neutral fraction emerging so that  $\sigma_T \approx \sigma_4 + \sigma_5$ . The values obtained for  $\sigma_T$  at the energies investigated are shown in Fig. 2.

We now discuss the beam fractions in the limit of high Cs density, i.e., when  $\pi$  is large. The beam fractions in the limit of very thick targets are called the equilibrium fractions and we denote them by  $F_1^\infty$ ,  $F_2^\infty$ ,  $F_3^\infty$ ,  $F_4^\infty$ , and  $F_5^\infty$ . There are numerous processes by which a  $D_2^+$  ion or a  $D_2^0$  molecule may be broken up. However, the probability of two fast atoms or ions recombining to produce a fast  $D_2^+$  or  $D_2^0$  particle is essentially zero. Thus after passage through a thick target there remain only atoms and atomic ions (i.e.,  $F_1^\infty=0$  and  $F_5^\infty=0$ ). Consequently the equilibrium fractions for  $D_2^+$  incident on Cs are expected to be the same as the equilibrium fractions when  $D^+$  is incident on Cs, provided that the velocity of the incident  $D^+$  ions is the same as that of the incident  $D_2^+$  ions. In addition, for a thick target, each emerging particle will have undergone several charge changing collisions so that the transmission factor of each charge component will be the same (i.e.,  $T_2=T_3=T_4=T$ ). The total fraction transmitted  $T$  is a function of the energy  $E$  of the incident particle and the target thickness  $\pi$ . Thus when  $\pi$  is suffi-

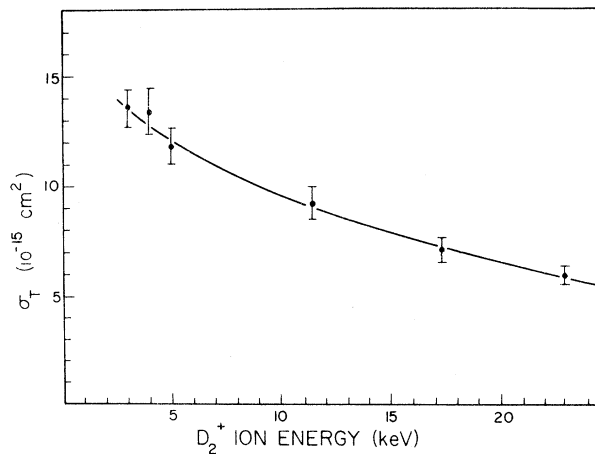


FIG. 2. Total cross section for charge exchange or breakup  $\sigma_T$  for  $D_2^+$  incident on Cs as a function of the incident ion energy. The curve through the data points is hand drawn for clarity only.

ciently large

$$I_0 = I_4 = TR_4 N_4 e$$

and

$$2I_s = \frac{1}{T} \left( I_2 + I_3 + \frac{I_0}{R_4} \right).$$

The equilibrium beam fractions then are

$$F_2^\infty = \frac{I_2}{2TI_s}, \quad F_3^\infty = \frac{I_3}{2TI_s}, \quad \text{and} \quad F_0^\infty = \frac{I_0}{2R_4 TI_s}.$$

Turning now for a moment to the case where  $D^+$  ions are incident on a very thick Cs target at an energy  $\frac{1}{2}E$ , we have, by arguments similar to those presented in the previous paragraph,

$$I'_s = \frac{1}{T'} \left( I'_2 + I'_3 + \frac{I'_0}{R_4} \right),$$

where  $I'_s$  is the current of  $D^+$  ions incident on the Cs target,  $I'_2$ , and  $I'_3$  are the currents of  $D^+$  and  $D^-$ , respectively, emerging from the target and entering the "+" and "-" Faraday cups,  $I'_0$  is the electron current to the neutral detector, and  $T'$  is the fraction of the incident ion beam transmitted through the target and into the detector Faraday cups.  $R_4$  is the number of electrons emitted from the neutral detector per incident  $D^0$  atom and thus  $R_4$  is the same for  $D_2^+$  incident at an energy  $E$  and for  $D^+$  incident at the energy  $\frac{1}{2}E$ . The equilibrium beam fractions when  $D^+$  is incident on a very thick Cs target are

$$F_2^\infty = \frac{I'_2}{T'I'_s}, \quad F_3^\infty = \frac{I'_3}{T'I'_s}, \quad \text{and} \quad F_0^\infty = \frac{I'_0}{R_4 T' I'_s}.$$

If our assertion that the equilibrium fractions are the same when  $D_2^+$  is incident on Cs at an energy  $E$  as when  $D^+$  is incident at an energy  $\frac{1}{2}E$  is correct, we should find that when  $\pi$  is very large  $I_3/I_0 = I'_3/I'_0$ . As a test of our theory, the following experiment was performed. Using a very thick Cs target we have measured  $I_3$  and  $I_0$  with  $D_2^+$  incident at an energy  $E$ . We then rapidly switch to a  $D^+$  ion beam of energy  $\frac{1}{2}E$  and measure  $I'_3$  and  $I'_0$ . This experiment was carried out at energies  $E = 3, 5, 11.5, 17.3, \text{ and } 23 \text{ keV}$ . At all these energies we find that  $I_3/I_0 = I'_3/I'_0$  with reasonable accuracy. For example with  $E = 23 \text{ keV}$  ( $\frac{1}{2}E = 11.5 \text{ keV}$ ) we find  $I_3/I_0 = 0.00739$  and  $I'_3/I'_0 = 0.00732$  and with  $E = 11.5 \text{ keV}$  ( $\frac{1}{2}E = 5.75 \text{ keV}$ ) we find  $I_3/I_0 = 0.0255$  and  $I'_3/I'_0 = 0.0236$ . The results of this experiment indicate experimentally that to a reasonable degree of accuracy the equilibrium fractions for  $D_2^+$  incident at the energy  $E$  on Cs are the same as the equilibrium fractions when  $D^+$  is incident on Cs at the energy  $\frac{1}{2}E$ . This experiment is consistent with the result that  $T = T_2 = T_3 = T_4$  and that  $R_4$  is the same for both sets of measure-

ments. This experiment is especially important since it does not depend on knowing  $T$ ,  $T'$ , or  $R_4$ .

We observe  $R_4$  to change slowly with time. The measurements of  $I_3$ ,  $I_0$ ,  $I'_3$  and  $I'_0$  are made very quickly ( $\sim 2 \text{ min.}$  for measurement of  $I_3$ ,  $I_0$ ,  $I'_3$ , and  $I'_0$  at a given energy). On this time scale  $R_4$  does not change significantly. In order to know the actual values of  $F_2^\infty$ ,  $F_3^\infty$ , and  $F_0^\infty$  one must measure  $R_4$ . This measurement requires more time and  $R_4$  may change somewhat on this time scale. Thus the actual values of  $F_3^\infty$  we obtain are somewhat less accurate than our determination that the equilibrium fractions are the same when  $D_2^+$  and  $D^+$  are incident on Cs with the same velocity.

In order to measure  $R_4$  we use  $D^+$  incident on a very thin target of Cs at an energy  $\frac{1}{2}E$ , and measure  $I'_2/I'_s$ ,  $I'_3/I'_s$ , and  $I'_0/I'_s$  as a function of  $\pi$ . Since  $\sigma_{+-} \ll \sigma_{+0}^+$ ,  $I'_3/I'_s$  is much smaller than  $I'_2/I'_s$ . Consequently we can use the equations  $I'_2/I'_s = T'(1 - \sigma_{+0}\pi)$  and  $I'_0/I'_s = R_4 T' \pi \sigma_{+0}$  to determine  $R_4, \sigma_{+0}, T'$  from the variation of  $I'_2/I'_s$  and  $I'_0/I'_s$  with  $\pi$ . The values of  $\sigma_{+0}$  obtained in this manner are consistent with those obtained by Schlachter *et al.*<sup>1</sup>

Having determined  $R_4$ , we subsequently use a  $D_2^+$  ion beam incident on a very thick Cs target at an energy  $E$ . We determine  $T$  using the equation  $2I_s = (1/T)(I_2 + I_3 + I_0/R_4)$ . Knowing  $R_4$  and  $T$  we obtain the equilibrium fractions  $F_2^\infty = I_2/2TI_s$ ,  $F_3^\infty = I_3/2TI_s$ , and  $F_0^\infty = I_0/2R_4 TI_s$  from measurements of  $I_2/I_s$ ,  $I_3/I_s$ , and  $I_0/I_s$  when  $\pi$  is very large. Using this procedure we have measured  $F_3^\infty$  for  $D_2^+$  energies 3, 5, 11.5, 17.3, and 23 keV and for  $D^+$  energies of 1.5, 2.5, 5.75, 8.65, and 11.5 keV. The values of  $F_3^\infty$  for both  $D_2^+$  and  $D^+$  incident on Cs are shown in Fig. 3 and are tabulated in Table I for the energies investigated. The value of  $\pi$  necessary to obtain the value of  $F_3^\infty$  which is 90% of the  $F_3^\infty$ , is called  $\pi^\infty$ . We find that for  $D_2^+$  incident on Cs,  $\pi^\infty$  is in the range  $5 \times 10^{15} - 10^{16} \text{ atoms/cm}^2$  for all the energies investigated. It should be noted that, while the equilibrium fractions with  $D_2^+$  incident on Cs are equal to the equilibrium fractions when  $D^+$  is incident on Cs with the same velocity, the values of  $\pi^\infty$  can not be determined from measurements using  $D^+$  incident on Cs, but instead must be measured using  $D_2^+$  incident on Cs. It is observed that the maximum negative fraction occurs at high density and is the equilibrium fraction. The equilibrium fractions  $F_3^\infty$  when  $D_2^+$  is incident on Cs with an energy  $E$  are in reasonably good agreement with the results of Schlachter *et al.*<sup>1</sup> and Gruebler *et al.*<sup>2</sup> on the equilibrium fractions of  $H^-$  when  $H^+$  is incident on Cs at an energy  $\frac{1}{4}E$ . It seems reasonable to assume that if  $D_3^+$  ions were incident on Cs with an energy  $E$ , the equilibrium fractions would be

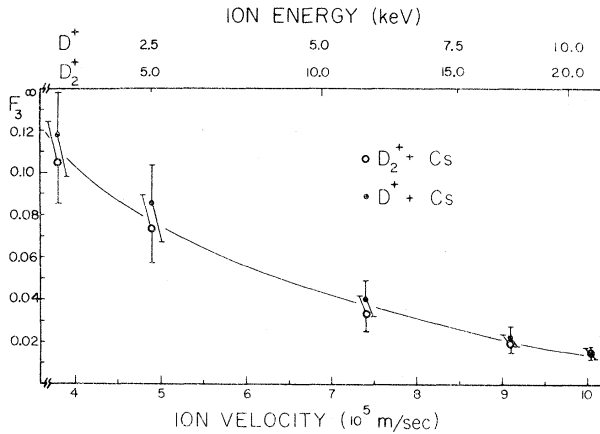


FIG. 3. Equilibrium fraction of  $D^-$ ,  $F_3^\infty$ , for  $D_2^+$  incident on Cs (open circles), and for  $D^+$  incident on Cs (solid circles) as a function of the incident ion energy. The curve through the data points is hand drawn for clarity only. Note that within experimental uncertainty the equilibrium fraction of  $D^-$  when  $D_2^+$  is incident on Cs at an energy  $E$  is equal to the equilibrium fraction of  $D^-$  when  $D^+$  is incident on Cs at an energy  $\frac{1}{2}E$ .

the same as those for  $D^+$  incident on Cs at an energy  $\frac{1}{3}E$ .

The measurements of  $T$  when  $D_2^+$  is incident on a very thick target of Cs show that  $T$  is small and that  $T$  decreases as  $\pi$  increases. Also  $T$  is smaller when the incident beam has a low energy than when the incident beam has a high energy. The small value of  $T$  implies that the range of angles into which the reaction products are scattered exceeds the  $1^\circ$  angle which the Faraday cups in the detection chamber subtend as seen from the center of the Cs target. We speculate that the cause of this large angular scattering is twofold. The first cause is the transverse velocity acquired by the product atoms or ions when a fast  $D_2^0$  molecule breaks up; the second is the additional transverse velocity acquired in numerous small angle scatterings of the atomic products formed when the molecular ion breaks up. This causes  $T$  to fall as  $\pi$  increases.

TABLE I. Equilibrium fractions of  $D^-$  for  $D_2^+$  and  $D^+$  incident on Cs as functions of the incident ion energy (keV) and velocity ( $10^5$  m/sec). The equilibrium fraction of  $D^-$  is denoted by  $F_3^\infty$  (in percent).

$v$	$D^+$		$D_2^+$	
	Energy	$F_3^\infty$	Energy	$F_3^\infty$
3.79	1.5	$11.8 \pm 2.0$	3.0	$10.5 \pm 2.0$
4.89	2.5	$8.5 \pm 1.8$	5.0	$7.3 \pm 1.6$
7.44	5.8	$4.1 \pm 0.8$	11.5	$3.4 \pm 0.7$
9.08	8.6	$2.3 \pm 0.4$	17.3	$2.0 \pm 0.4$
10.5	11.5	$1.5 \pm 0.2$	23.0	$1.5 \pm 0.3$

The ion source in our experiment is a duoplasmatron. The  $D_2^+$  is extracted directly from the ion source. If the  $D_2^+$  is produced in an ionizing collision of an electron and a ground-state  $D_2^0$  molecule in the ion source plasma, the Franck-Condon principle indicates that most of the  $D_2^+$  should be in vibrational levels with  $\nu=2, 3$ , or 4. The  $D_2^+$  incident on the target might make a collision with a Cs atom and be neutralized producing a fast  $D_2^0$  molecule. The  $D_2^0$  could be in the repulsive  $b^3\Sigma_u^+2p\sigma$  state or in a state such as the  $a^3\Sigma_g^+2s\sigma$  state that can radiatively decay to the  $b^3\Sigma_u^+$  state.<sup>11</sup> In either case the Franck-Condon principle indicates that the two deuterium atoms would come apart with a total energy of about 6–8 eV or 3–4 eV per atom produced. The atoms would therefore acquire a transverse velocity and be distributed in angle about the incident direction up to angles like

$$\theta = \frac{v_\perp}{v_\parallel} = \left( \frac{4}{E/2} \right)^{1/2},$$

where  $E$  is the energy of the incident  $D_2^+$  particle in eV so that  $\frac{1}{2}E$  is the energy of each individual  $D^0$  atom. As a numerical example if  $E=3$  keV, then  $\theta \approx 3^\circ$ . If the fast  $D_2^0$  molecule is produced in a singlet state, then a subsequent spin exchange collision may leave the molecule in the repulsive  $b^3\Sigma_u^+$  state. The  $D_2^+$  ion may also pick up two electrons in a single collision. The resulting  $D_2^-$  ion might be in the repulsive  $b+e^{-2}\Sigma_g^+$  state<sup>11</sup> producing a  $D^-$  ion and a  $D^0$  atom. We observe a few  $D^+$  ions produced at low Cs density. In the energy range 3–23 keV we find  $F_2 \approx 0.01F_0$  when  $\pi$  is low. At 3 keV  $F_2^\infty$  is very small so that  $F_2$  increases, reaches a maximum of less than 1%, and then falls to almost zero as  $\pi$  increases from 0 to  $5 \times 10^{15}$  atoms/cm<sup>2</sup>. The  $D^+$  ions may arise by collision of a  $D_2^+$  ion with a Cs atom such that the Cs atom hits one end of the  $D_2^+$  ion and leaves the ion in a high enough vibration rotation state to dissociate the molecular ion into a  $D^+$  and  $D^0$  pair. Another possibility is that the collision of a  $D_2^+$  ion is such that the center of mass of the Cs atom passes between the two nuclei of the  $D_2^+$  ion snapping the bonding orbital. Both of these processes might produce a large angular deflection. After the molecule breaks up the atomic products formed undergo subsequent charge exchange collisions which produce further small angle scattering.

In general we see there are many ways of breaking up the fast incident  $D_2^+$  ion or a fast  $D_2^0$  molecule into two atoms or ions. Most of these processes will produce an appreciable angle of scattering (i.e.,  $\theta \approx 3^\circ$ ). Thus it is clear why the transmission is low. This interpretation is strengthened by the experimental observation that the beam com-

ponents  $D^+$  and  $D^-$  both have broad distributions in angle. The existence of these distributions is determined by varying the magnetic field that deflects these beams into their Faraday cups. However, the exact angular distribution was not obtained. The currents to these Faraday cups show broad peaks and drop to zero slowly as the  $D^+$  and  $D^-$  beams are swept across their respective Faraday cups. The slow drop to zero indicates a beam width appreciably greater than the  $1^\circ$  angle subtended by the Faraday cups. The beam divergence of greater than  $1^\circ$  for the  $D^+$  and  $D^-$  beams was observed for all values of  $\pi$  and for all the energies investigated. This distribution in angle is not observed at any values of  $\pi$  for the  $D_2^+$  particles emerging from the Cs target.

#### IV. CONCLUSIONS

We have measured the total cross sections for charge exchange and breakup when  $D_2^+$  is incident on Cs. The equilibrium fractions when  $D_2^+$  is incident on Cs at an energy  $E$  are experimentally very large and in fact are equal to the equilibrium fractions when  $D^+$  is incident on Cs at an energy  $\frac{1}{2}E$ . This result is encouraging for making  $D^-$  ion sources since a higher extraction energy generally gives more beam intensity with less space charge blow up. We also observed that the transmission of the reaction products out of our target is low. We explain this result in terms of the large scattering angles resulting from the breakup of  $D_2^0$  molecules produced in a repulsive state and other processes. If one wishes to use  $D_2^+$  incident on Cs to make a beam of negative ions, one probably should focus the  $D_2^+$  beam, forming a cross over in the Cs target. The Cs target should be dense but short and permit particles to leave at large angles (a few degrees). A lens following the Cs

target can focus the emerging beam and helps prevent excessive spreading. The emittance of the  $D^-$  beam leaving the Cs target will be somewhat poorer than the emittance of the  $D_2^+$  beam entering the target because of the angular scattering [ $\theta \approx (4/\frac{1}{2}E)^{1/2}$ ] unless the scattering all occurs at a point. However, for an actual ion source the higher energy (and hence higher intensity) of the incident  $D_2^+$  beam may more than compensate for the poorer final  $D^-$  emittance. The ion current from a space charge limited source is proportional to  $E^{3/2}/m^{1/2}$ , so that for the same velocity of extraction the  $D_2^+$  current from a space charge limited source is twice as intense as the  $D^+$  current. The  $D_2^+$  beam thus contains four times as many D atoms as the  $D^+$  beam. Also even for the same extraction voltage many ion sources yield larger outputs of  $D_2^+$  or  $D_3^+$  than  $D^+$ . Thus a  $D^-$  ion source using  $D_2^+$  incident on Cs may have some advantages over a  $D^-$  ion source using  $D^+$  incident on Cs.

*Note added in proof.* Two additional references concerning  $D_2^+$  incident on Cs are the following: Carmen Cisneros, C. F. Barnett, and J. A. Ray, Bull. Am. Phys. Soc. **19**, 911 (1974), and C. F. Barnett (private communication). In these two references differential scattering cross sections and equilibrium fractions of  $D^-$  when  $D_2^+$  is incident on Cs in the energy range 0.5–5 keV are reported. The equilibrium fraction reported in the above references are in satisfactory agreement with the results of our research.

#### ACKNOWLEDGMENTS

We wish to acknowledge helpful discussions with Professor W. A. Fitzsimmons, Professor W. Haeberli and Professor C. C. Lin.

\*Work supported in part by the U. S. Atomic Energy Commission.

<sup>1</sup>A. S. Schlachter, P. J. Bjorkholm, D. H. Loyd, L. W. Anderson, and W. Haeberli, Phys. Rev. **177**, 184 (1969).

<sup>2</sup>W. Grübler, P. Schmelzback, V. König, and P. Marmier, Helv. Phys. Acta. **43**, 254 (1970).

<sup>3</sup>G. Spiess, A. Valance, and P. Pradel, Phys. Lett. **31A**, 434 (1970).

<sup>4</sup>R. N. Il'ín, V. A. Oparin, E. S. Solov'ev, and N. V. Fedorenko, Zh. Eksp. Theor. Fiz. Pis'ma Red. **2**, 310 (1965) [JETP Lett. **2**, 197 (1965)].

<sup>5</sup>R. N. Il'ín, V. A. Oparin, E. S. Solov'ev, and N. V.

Fedorenko, Zh. Tekh. Fiz. **36**, 1241 (1966) [Sov. Phys.—Tech. Phys. **11**, 921 (1967)].

<sup>6</sup>V. A. Oparin, R. N. Il'ín, and E. S. Solov'ev, Zh. Eksp. Theor. Fiz. **52**, 369 (1967) [Sov. Phys.—JETP **25**, 24 (1967)].

<sup>7</sup>H. Bohlen, G. Clausmityer, and H. Wilson, Z. Phys. **208**, 159 (1968).

<sup>8</sup>C. W. Drake and R. Krotkov, Phys. Rev. Lett. **16**, 848 (1966).

<sup>9</sup>AEC Internal Report, 1974 (unpublished).

<sup>10</sup>F. W. Meyer and L. W. Anderson, Phys. Rev. A **9**, 1909 (1974).

<sup>11</sup>T. E. Sharp, At. Data **2**, 119 (1971).