

## Ionization of Pure Gases and Mixtures of Gases by 5-Mev Alpha Particles

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In this experiment the charge produced in a large ionization chamber, by the complete stopping of  $\text{Pu}^{239}$  alpha particles, was measured using an accurately calibrated capacitor in series with a potentiometer. An electrometer connected across both the capacitor and potentiometer was used as a null indicator. From the charge produced the number of ion pairs  $n$  was deduced and  $W$ , defined by the equation  $W = E/n$  where  $E$  is the energy used in forming the  $n$  ion pairs, was computed.

For pure gases, we found the following values of  $W$  (in ev per ion pair): A,  $26.4 \pm 0.3$ ;  $\text{BF}_3$ ,  $36.0 \pm 0.4$ ;  $\text{C}_4\text{H}_{10}$ ,  $26.4 \pm 0.3$ ;  $\text{CO}_2$ ,  $34.3 \pm 0.3$ ;  $\text{C}_2\text{H}_4$ ,  $28.0 \pm 0.3$ ; He,  $46.0 \pm 0.5$ ;  $\text{H}_2$ ,  $37.0 \pm 0.4$ ;  $\text{CH}_4$ ,  $29.4 \pm 0.3$ ;  $\text{N}_2$ ,  $36.3 \pm 0.4$ ;  $\text{O}_2$ ,  $32.2 \pm 0.3$ ;  $\text{SF}_6$ ,  $35.7 \pm 0.4$ ; air,  $35.0 \pm 0.3$ ; freon 12,  $29.5 \pm 0.3$ .

Our results for  $W$  for a mixture of gases are described by the formula

$$\frac{1}{W_m} = \left( \frac{1}{W_1} - \frac{1}{W_2} \right) z + \frac{1}{W_2}$$

where  $z = P_1/(P_1 + aP_2)$ , and  $W_m$  is the  $W$  for the gas mixture having two components of pressure  $P_1$  and  $P_2$  with  $W$  values for the pure gases equal to  $W_1$ , and  $W_2$ , respectively. For the following mixture  $a$  has the values shown:  $\text{N}_2\text{-H}_2$ , 0.28;  $\text{N}_2\text{-A}$ , 0.53;  $\text{N}_2\text{-O}_2$ , 1.06; He-A, 0.75; He- $\text{H}_2$ , 3.55; He- $\text{N}_2$ , 8.47; He- $\text{CH}_4$ , 0.68; A- $\text{H}_2$ , 0.56;  $\text{H}_2\text{-CH}_4$ , 4.03.

In the case of He the  $W$  of 46.0 is not used in the above equation, since small traces of impurities reduce  $W(\text{He})$  to 30.0 electron volts, and this latter value is appropriate for using in the formula for gas mixtures.

### INTRODUCTION

SOME of the practical radiation dosimetry units are defined in terms of the energy delivered by the radiation to a gram of soft tissue. Methods of measuring dose, on the other hand, involve the use of Bragg-Gray cavities filled with various gases in which ionization is collected. Thus, to have a consistent system of definitions and measurements, the value of  $W$  (electron volts required to produce an ion pair) must be known. It is known that the value of  $W$  depends, in general, on the mass and energy of the ionizing particle, and the gas used. It is the purpose of this work to study a large number of gases and gas mixtures, using a fixed particle and energy; namely,  $\text{Pu}^{239}$  alpha particles. Many of

these gases have been studied previously, but unfortunately some of the work has been hampered by impure gases and other difficulties.

### APPARATUS AND METHOD

The method used for measuring the ionization produced by alpha particles is shown in Fig. 1. The parallel plate ionization chamber is enclosed in a steel case which may be held at positive pressures so that the range of alpha particles will be entirely inside the collecting volume even for gases such as hydrogen or helium. The rate of ionization in the chamber is measured by the voltage change on an accurately calibrated capacitor. The voltage change is determined

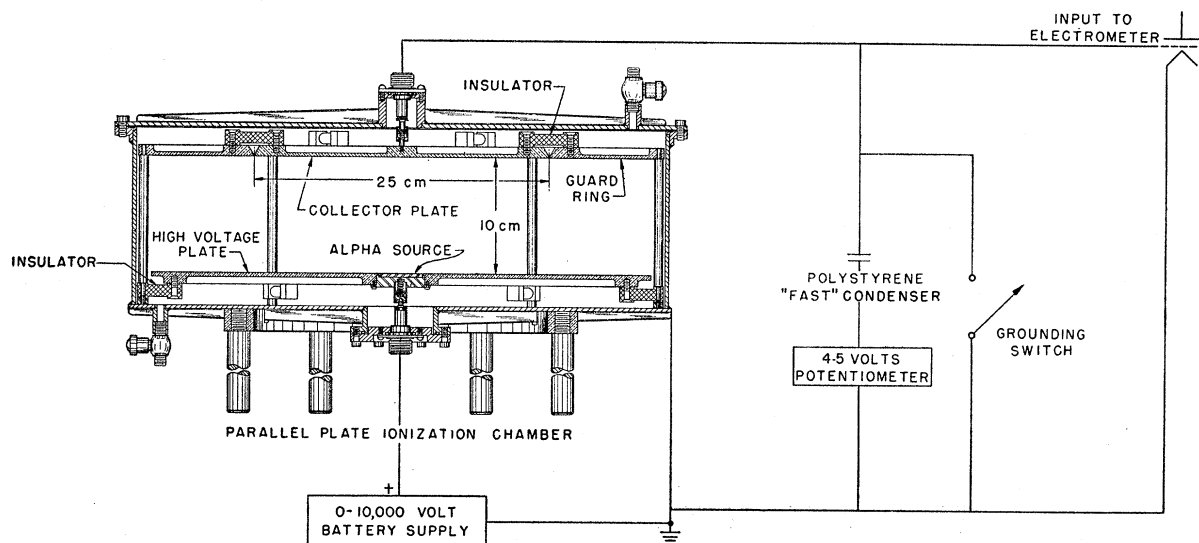


Fig. 1. Block diagram of the apparatus for measuring  $W$  for alpha particles.

with a potentiometer, using an ac-operated electrometer<sup>1</sup> as a null indicator. The capacitor is of such size that the readings are several hundred millivolts per minute, a rate of drift which is much greater than that due to the inherent variations in the electrometer. For this system, the formula appropriate for computing  $W$  is:

$$W = N \times E \times 1.59 \times 10^{-19} / CV, \quad (1)$$

where  $N$  = counts per minute of alpha source with  $2\pi$  geometry,  $E$  = energy of alpha particles in electron volts,  $C$  = capacitance of the condenser in farads,  $V$  = rate of drift of the condenser (volts/minute), and  $1.59 \times 10^{-19}$  = charge of the electron in coulombs. An alpha source of  $\text{Pu}^{239}$  is electroplated on platinum and calibrated by counting with a methane flow proportional counter connected to a linear amplifier and discriminator circuit. The source plate is used without a collimator since with a collimator some ionization is formed in the sensitive volume by alpha particles which terminate

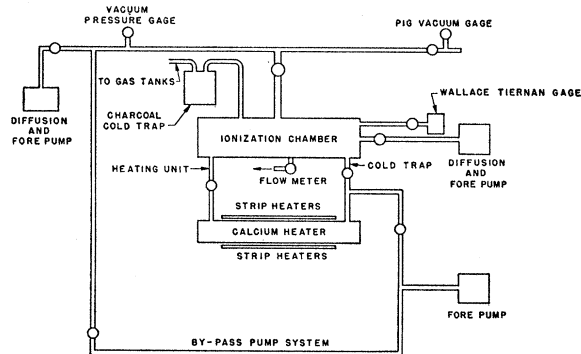


FIG. 2. Block diagram of gas filling and purification system. All circles, unless otherwise designated, are cut-off valves.

in the collimator wall without losing all their energy in the gas. These pulses would not be detected with the proportional counter but do contribute to the ionization.

An extremely stable high-voltage supply is required and for this reason a series of 300-volt batteries, connected by resistors for safety, is mounted in a polystyrene box. This system gives results that are reproducible to within 0.1 percent.

Purification of the different gases is accomplished by means of the apparatus in Fig. 2. Gases which condense in a trap of liquid nitrogen are redistilled, while others are run through activated charcoal at liquid nitrogen temperature. Figure 2 also shows a calcium trap attached by one-inch stainless steel tubes to the ion chamber. Convection of the gas through the calcium trap and the chamber was increased by placing a heating coil on one of the chamber outlets, which was kept at  $300^\circ\text{C}$  and by a liquid nitrogen trap on the other chamber port. If the gas itself does not unite with hot

<sup>1</sup> F. M. Glass, *Nucleonics* **10**, No. 2, 36 (1952).

TABLE I.  $W$  values (electron volts per ion pair) for nonelectronegative gases.

Gas	Our result	Reference result
Argon	$26.4 \pm 0.3$	$26.4^a$
Boron trifluoride	$36.0 \pm 0.4$	
Butane	$26.4 \pm 0.3$	
Carbon dioxide	$34.3 \pm 0.3$	$34.5^a$
Ethylene	$28.0 \pm 0.3$	$28.0^a$
Helium	$46.0 \pm 0.5$	$42.7^a$
Hydrogen	$37.0 \pm 0.4$	$37.0^b$
Methane	$29.4 \pm 0.3$	$29.0^b$
Nitrogen	$36.3 \pm 0.4$	$36.3^c$

<sup>a</sup> See reference 3.

<sup>b</sup> See reference 4.

<sup>c</sup> See reference 2.

calcium, this method of purification is often used to remove certain impurities. In the case of helium, the calcium is kept at a temperature of  $400^\circ\text{C}$  and proved to be very effective in removing oxygen. Argon contamination is removed by flowing through a trap of charcoal at liquid nitrogen temperature.

#### RESULTS WITH PURE NONELECTRONEGATIVE GASES

Nonelectronegative gases are defined as those in which the probability of electron attachment to form a heavy negative ion is small. Thus, the chances of columnar recombination are small at moderate electric fields, and the ionization current *versus* voltage curve quickly saturates. Table I shows the  $W$  values obtained for pure gases.<sup>2-4</sup>

Helium requires very careful purification; with no purification grade A helium<sup>5</sup> taken from different tanks gave a spread of  $W$  values from 31 to 43 electron volts. Two different methods of purification gave  $W$  for helium equal to  $46.0 \pm 0.4$  electron volts. One method consisted of flowing helium over coconut charcoal at

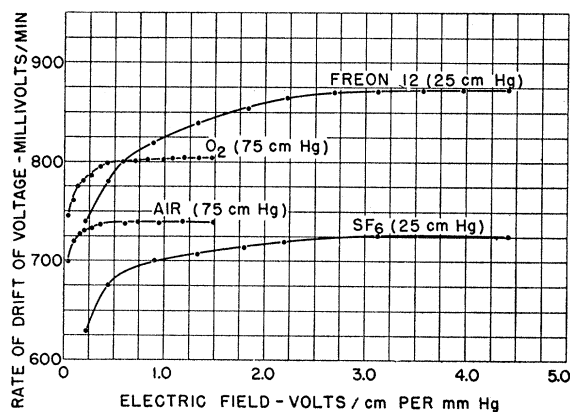


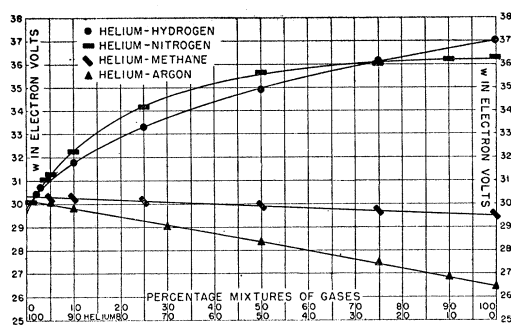
FIG. 3. Saturation curves for  $\text{SF}_6$ , air,  $\text{O}_2$ , and freon 12.

<sup>2</sup> Alder, Huber, and Metzger, *Helv. Phys. Acta* **20**, 234 (1947).

<sup>3</sup> W. P. Jesse, and J. Sadauskis, *Phys. Rev.* **90**, 1120 (1953).

<sup>4</sup> J. M. Valentine and S. C. Curran, *Phil Mag.* **43**, 964 (1952).

<sup>5</sup> According to information supplied by Dr. M. M. Deaton, Chief, Research Branch, Helium Division, Region IV, Bureau of Mines, grade A helium has a purity of 99.9+ percent when bottled.

FIG. 4.  $W$  for mixtures of He with  $H_2$ ,  $N_2$ ,  $CH_4$ , and A.

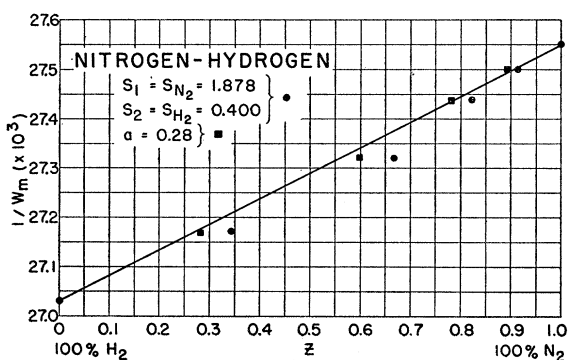
liquid nitrogen temperature; the ionization being measured during flow. Stopping the flow results in a rapid decrease in  $W$  (increase in ionization) after a few minutes. This was probably due to outgassing of the chamber even though no gas other than helium had been in the chamber for over 90 days. The second method of purification consisted of a continuous convection of the helium over metallic calcium held at  $400^\circ C$ .

TABLE II.  $W$  values for electronegative gases.

Gas	$W$ in ev
$O_2$	$32.2 \pm 0.3$
$SF_6$	$35.7 \pm 0.4$
Air	$35.0 \pm 0.3$
Freon 12	$29.5 \pm 0.3$

## RESULTS WITH ELECTRONEGATIVE GASES

For electronegative gases columnar recombination is quite appreciable even with high electric fields in the ionization chamber. Results of ionization current *versus* electric field (in volts per cm per mm Hg) are shown in Fig. 3 for  $SF_6$ ,  $O_2$ , freon 12, and air. The curve shown for air was the same for dry air (made by mixing  $N_2$  and  $O_2$ ) and air taken from the atmosphere at 53 percent relative humidity. An extrapolation of the saturation curves by means of the Jaffe theory<sup>6</sup> resulted

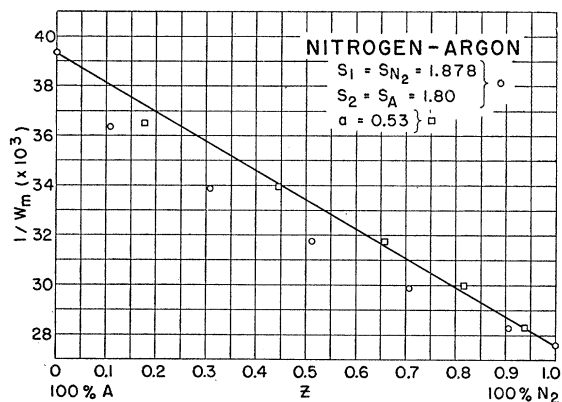
FIG. 5.  $1/W_m$  as function of  $z$  for  $N_2$ - $H_2$  mixture.

<sup>6</sup> G. Jaffe, Ann. Physik 42, 303 (1913). A convenient application was made by H. Zanstra, Physica 2, 817 (1935).

in only a very minor increase in current above its value at the highest fields; thus the chamber was known to be very near saturation. Values for  $W$  can be computed using the upper value for the current, and these values for electronegative gases are given in Table II.

## RESULTS WITH GAS MIXTURES

Since the  $W$  for He depends so critically on the amount of gas impurity it is of interest to obtain  $W$  curves as a function of gas mixture for He with several other gases. In Fig. 4 these values are shown for  $H_2$ ,  $N_2$ ,  $CH_4$ , and A, in helium. In each case the  $W$  is reduced from 46.0 ev for pure He to approximately 30 ev by the addition of small traces (less than one percent) of the contaminating gas. This behavior is consistent with the suggestion by Jesse and Sadauskis<sup>7</sup> that the low reported values for  $W$  of He are due to the fact that the energy in the well-known metastable state in He

FIG. 6.  $1/W_m$  as function of  $z$  for  $N_2$ -A mixture.

(19.7 volts) can be transferred to a contaminating gas and produce extra ionization in gases where the ionization potential is less than the metastable potential.

If it is assumed that the presence of a second gas does not contribute ionization to the first, then a formula may be written for the  $W$  of a gas mixture. Such a formula,<sup>8</sup> based on the energy lost to the two gases according to the partial pressures  $P_1$  and  $P_2$ , and the molecular stopping powers  $S_1$  and  $S_2$ , may be written as:

$$\frac{1}{W} = \left( \frac{1}{W_1} - \frac{1}{W_2} \right) z + \frac{1}{W_2}, \quad (2)$$

where

$$z = S_1 P_1 / (S_1 P_1 + S_2 P_2).$$

Plotting the measured values of  $1/W$  as a function of  $z$  should give a straight line according to Eq. (2). Our results for several gas mixtures are shown in Figs.

<sup>7</sup> W. P. Jesse and J. Sadauskis Phys. Rev. 88, 417 (1952).

<sup>8</sup> Huber, Baldinger, and Haerberli, Helv. Phys. Acta, 23, Suppl. III (1949).

5-13, where it is seen that using reported<sup>9</sup> values for (RaC alpha) molecular stopping powers gives large deviations (small circle in figures) for almost all cases except for N<sub>2</sub>-O<sub>2</sub> and H<sub>2</sub>-CH<sub>4</sub> mixtures. In a subsequent article, Haerberli, Huber, and Baldinger<sup>10</sup> noticed small deviations from Eq. (2) for mixtures N<sub>2</sub>-He and He-A. Our difference for the He-A mixture is much larger and is not due entirely to the fact that we use S<sub>He</sub>=0.308 while they use a relative value of 0.430.

In order to account for the small differences in theory and experiment, Haerberli *et al.*, assumed that a certain

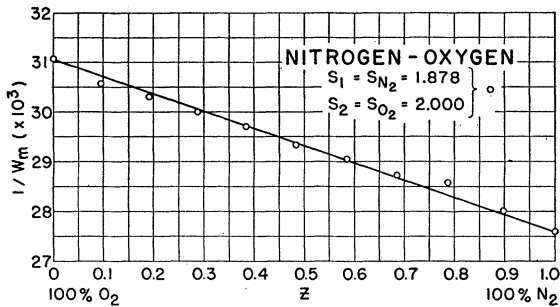


FIG. 7.  $1/W_m$  as function of  $z$  for N<sub>2</sub>-O<sub>2</sub> mixture.

portion  $E_s$  of the alpha-particle energy is used in forming delta rays, and that the delta-ray energy is divided between the two gas components in proportion to the stopping powers of the two gases for delta rays ( $\sigma_1, \sigma_2$ ). The amount of ionization produced by the secondary electrons (delta rays) is proportional to  $E_s$  and inversely proportional to the  $W$  values for delta rays ( $W_{s1}, W_{s2}$ ). These assumptions lead to a modified

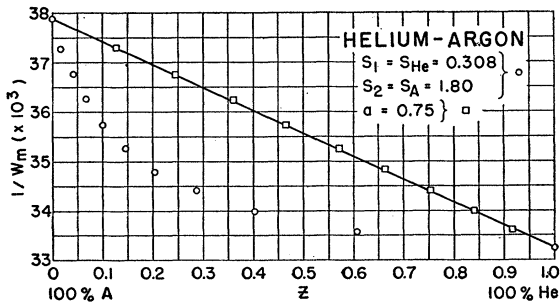


FIG. 8.  $1/W_m$  as function of  $z$  for He-A mixture.

formula for the  $W$  of a gas mixture:

$$\frac{1}{W_m} = \left( \frac{1}{W_1} - \frac{1}{W_2} \right) z + \frac{1}{W_2} + \Delta, \quad (3)$$

where

$$\Delta = \left( \frac{1}{W_{s1}} - \frac{1}{W_{s2}} \right) \frac{(k_2 - k_1 \gamma_{12}) z(1-z)}{\gamma_{12} + z(1-\gamma_{12})}$$

<sup>9</sup> H. R. von Taubenberg, Z. Physik 2, 268 (1920).

<sup>10</sup> Haerberli, Huber, and Baldinger, Helv. Phys. Acta, 26, 145 (1953).

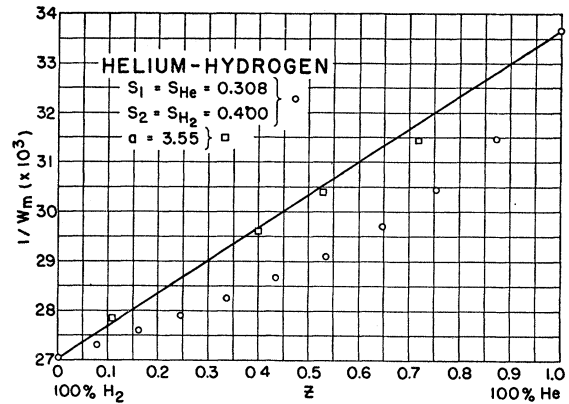


FIG. 9.  $1/W_m$  as function of  $z$  for He-H<sub>2</sub> mixture.

with  $\gamma_{12} = s_1 \sigma_2 / s_2 \sigma_1$ ;  $k_2$  and  $k_1$  are defined by  $E_s = k_1 E_1 + k_2 E_2$ , where  $E_1 = z E_0$ ,  $E_2 = (1-z) E_0$ , and  $E_0$  is the initial energy of the alpha particle. For a given gas mixture, the  $\Delta$  term should depend on pressure (or  $z$ ) as

$$\Delta = A \frac{z(1-z)}{\gamma + z(1-\gamma)}, \quad (4)$$

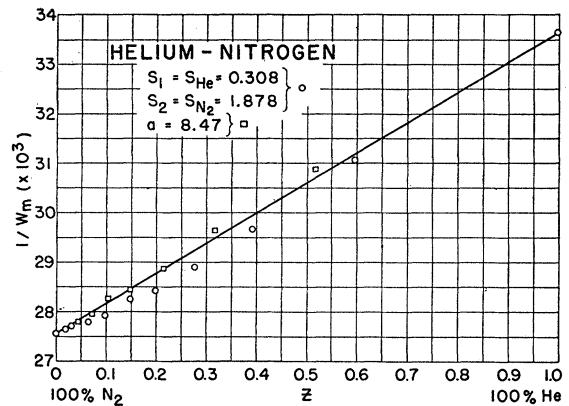


FIG. 10.  $1/W_m$  as function of  $z$  for He-N<sub>2</sub> mixture.

where  $A$  is a constant for a given mixture. Thus, the difference in theory and experiment is accounted for by using the appropriate values for  $\gamma$  and  $A$ .

If it were assumed that the "effective" stopping power for insertion in  $z$  in Eq. (2) is not the actual

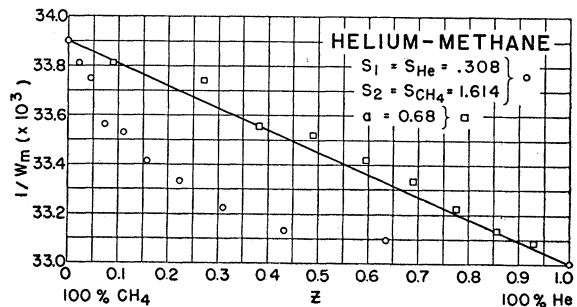
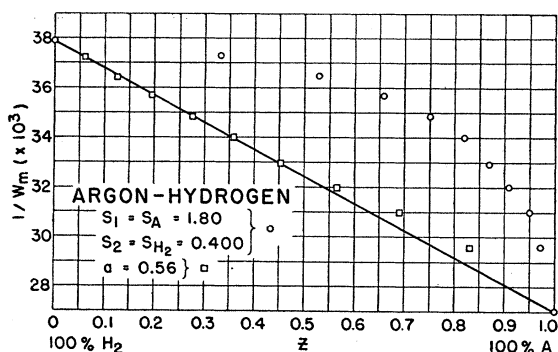


FIG. 11.  $1/W_m$  as function of  $z$  for He-CH<sub>4</sub> mixture.

FIG. 12.  $1/W_m$  as function of  $z$  for A-H<sub>2</sub> mixture.

stopping power reported in the literature, but differs from  $S_1$  by an amount  $\Delta S$ , then we would write

$$\Delta\left(\frac{1}{W_m}\right) = \frac{1}{W_m} - \left(\frac{1}{W_1} - \frac{1}{W_2}\right)z - \frac{1}{W_2} = \left(\frac{1}{W_1} - \frac{1}{W_2}\right)\Delta z, \quad (5)$$

where

$$\Delta z = \frac{(S_1 + \Delta S_1)P_1}{(S_1 + \Delta S_1)P_1 + S_2P_2} - \frac{S_1P_1}{S_1P_1 + S_2P_2},$$

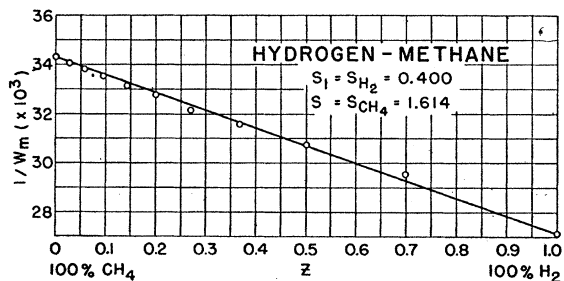
if it is assumed that  $S_1$  is changing while  $S_2$  is fixed.

Now we may write for  $\Delta z$ ,

$$\Delta z = \frac{\Delta S_1 P_1}{S_1 P_1 + S_2 P_2} - \frac{S_1 P_1}{S_1 P_1 + S_2 P_2} \cdot \frac{\Delta S_1 P_1}{S_1 P_1 + S_2 P_2 + \Delta S_1 P_1} = \frac{(\Delta S_1 P_1)^2}{(S_1 P_1 + S_2 P_2)(S_1 P_1 + S_2 P_2 + \Delta S_1 P_1)}, \quad (6)$$

and if the term in  $(\Delta S_1)^2$  is neglected,

$$\Delta z = \frac{\Delta S_1}{S_1} \times \frac{z(1-z)}{1 + (\Delta S_1/S_1)z}, \quad (7)$$

FIG. 13.  $1/W_m$  as function of  $z$  for H<sub>2</sub>-CH<sub>4</sub> mixture.

and

$$\Delta\left(\frac{1}{W_m}\right) = \left(\frac{1}{W_1} - \frac{1}{W_2}\right) \times \frac{\Delta S_1}{S_1} \times \frac{z(1-z)}{1 + (\Delta S_1/S_1)z} = \frac{Bz(1-z)}{1 + bz}, \quad (8)$$

where

$$B = \left(\frac{1}{W_1} - \frac{1}{W_2}\right) \frac{\Delta S_1}{S_1} \quad \text{and} \quad b = \frac{\Delta S_1}{S_1}.$$

The form of Eq. (8) is precisely the same as Eq. (4) with  $B = A/\gamma$  and  $b = [(1-\gamma)/\gamma]$ . The facts that the form of Eqs. (8) and (4) are identical and that Eq. (4) was used to account for differences in  $W$  values due to delta rays while Eq. (8) was used to account for differences in the effective stopping powers (due either to fact that the arithmetic average values for a given initial energy in a particular gas is not correct for insertion into Eq. (2) for gas mixtures, or that errors exist in reported values) suggests that a general

TABLE III. Values of  $a$  compared to  $S_2/S_1$ .

Mixture	Figure	$S_2/S_1$	$a$
N <sub>2</sub> -H <sub>2</sub>	5	0.21	0.28
N <sub>2</sub> -A	6	0.95	0.53
N <sub>2</sub> -O	7	1.06	1.06
He-A	8	5.85	0.75
He-H <sub>2</sub>	9	1.30	3.55
He-N <sub>2</sub>	10	6.10	8.47
He-CH <sub>4</sub>	11	5.24	0.68
A-H <sub>2</sub>	12	0.22	0.56
H <sub>2</sub> -CH <sub>4</sub>	13	4.03	4.03

formula (which will include both of the above effects) can be written for the  $W$  of a gas mixture as follows:

$$\frac{1}{W_m} = \left(\frac{1}{W_1} - \frac{1}{W_2}\right)z + \frac{1}{W_2},$$

where

$$z = P_1/(P_1 + aP_2). \quad (9)$$

The constant  $a$  is determined empirically for every mixture and is equal to  $S_2/S_1$  in cases where Eq. (2) holds.

As seen from the curves in Figs. 5-13, the agreement between measurements and Eq. (9) is good when the correct value of  $a$  is used. Comparisons of  $a$  with  $S_2/S_1$  are made in Table III. It should be noted that for He the  $W$  for "contaminated He" was used as 30.0 ev.

Strictly speaking, the approximation made in deducing Eq. (7) is not justified in view of some of the values of  $a$  in Table III. In any case, the argument presented is not intended to be a proof that the empirical Eq. (9) holds for every mixture. However, the identical form of Eqs. (4) and (8) implies that not all the devia-

tions found by Haerberli *et al.*, should be attributed to delta-ray formation. Furthermore, Eq. (9) has some value in that it is not only an extremely simple way to represent large amounts of experimental data, but is useful in attempting to separate sudden changes (due, for example, to the discharge of metastable states) in  $(1/W)$  as a function of  $z$  from the more gradual ones that Eq. (9) is intended to represent.

#### ACKNOWLEDGMENTS

The authors are grateful for the many helpful suggestions of J. Neufeld and R. H. Ritchie of the Health Physics Division. We wish also to express appreciation to R. E. Zedler of the Instrument Department for his work in designing the ionization chamber, and to P. N. Hensley of the Engineering Department who designed parts of the gas purification system.

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### Proton Relaxation in Water

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A determination of the thermal relaxation time of protons in pure water gives the value  $3.6 \pm 0.2$  sec, in very good agreement with theory. The  $O_2$  molecule in aqueous solution seems to have a  $\mu_{\text{eff}}$  of 1.2 Bohr magnetons for the relaxation processes.

WE have recently performed a series of measurements of the thermal relaxation time of protons in pure water and in water containing oxygen in solution. The methods used are based on measurements of amplitude of the "in phase" nuclear signals caused by the total reversal of the magnetization. Two observations with different sweep frequencies and with resonance field centered with respect to the sweep, or one observation with resonance field not centered (Fig. 1), enable one to determine the relaxation time. This latter method is similar to that used by Conger and Selwood.<sup>1</sup> To obtain good accuracy with the first method, one of the two sweep periods must be several times greater than the relaxation time. We have therefore arranged a device for observation and registration of the nuclear signals with modulation frequencies of the constant field as low as 0.02 cycle/sec.

We find with both methods  $T_1 = 3.6 \pm 0.2$  sec for the thermal relaxation time of protons in water completely free of oxygen and  $T_1 = 1.4 \pm 0.1$  sec for water saturated with oxygen at a pressure of one atmosphere. The time we find for pure water is considerably different from that found by Purcell *et al.*<sup>2</sup> (2.3 sec), but it is in very good agreement with their theory if one assumes for

the rotation of the water molecule a correlation time of  $1 \times 10^{-11}$  sec and for the translational motion of two molecules separated by a distance  $r$  a correlation time equal to the time they take to travel over the distance  $r$ . Our result seems to justify this assumption.

Our measurements show that the influence of oxygen in solution, which was already noticed in the first observations of Bloch *et al.*,<sup>3</sup> is smaller than one could

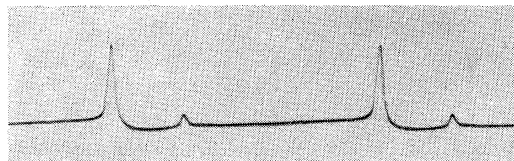


FIG. 1. "In phase" proton signals in pure water due to total reversal of the magnetization. Resonance field not centered with respect to the sweep. Sweep period, 5.7 sec.

expect from the magnetic moment of the oxygen molecule which is 2.8 Bohr magnetons. The  $\mu_{\text{eff}}$  of the  $O_2$  in the relaxation processes seems to be 1.2 Bohr magnetons. This could be caused by the formation of molecular complexes (like  $O_4$  molecules with a zero moment), or by the influence of the electronic relaxation on the correlation time. This latter process seems to influence the nuclear relaxation also in other cases.<sup>2,4</sup>

<sup>1</sup> R. L. Conger and P. W. Selwood, *J. Chem. Phys.* **20**, 383 (1952).

<sup>2</sup> Bloembergen, Purcell, and Pound, *Phys. Rev.* **73**, 679 (1948); N. Bloembergen, *Nuclear Magnetic Relaxation* (M. Nijhoff, The Hague, 1948).

<sup>3</sup> Bloch, Hansen, and Packard, *Phys. Rev.* **70**, 474 (1946).

<sup>4</sup> R. L. Conger, *J. Chem. Phys.* **21**, 937 (1953).