ably not adequate to describe the motion of a charged meson in orbits of radius comparable to $r_0 = e^2/\mu c^2$, because the reaction of the meson to its own field becomes important at such distances. Apart from this possibility, however, there is a formal method of saving the solutions for the meson wave. Suppose the elementary nudeon to have a mass, M, and a magnetic moment in the direction of its spin of ν characteristic magnetons, ($\nu e \hbar / 2$ Mc). If we put the vector potential due to this moment in the Proca equations, we may analyze the solutions by methods and approximations previously used on Dirac's equations.⁵ This has been done for the $S+D$ meson wave alluded to above, with the result that Eq. (1) is replaced by one for the *lower* eigenvalue:

$$
d^2/dr^2 \to \frac{1}{2}(\nu e^2/\text{Mc}^2)^2/r^4 \text{ as } r \to 0 \tag{2}
$$

for all states of finite energy. Thus the mesons face a *repulsive* potential at very small values of r , and a complete set of acceptable solutions should exist.

Depending upon the value of ν and M and the more exact evaluation of the radiation reaction on the meson, the magnetic forces may be of importance in determining the nature of the bound meson-nucleon states. In par-'ticular, such forces often lead to r^{-3} attractive potential at intermediate radii and, in the case of Dirac's equations in the field of an uncharged magnetic dipole, one bound state has been found due to them, under the approximations made {reference 5). It appears possible, therefore, to make an explicit model for bound meson-nucleons systems that would lead to the type of nuclear forces proposed by Landau and Tamm,³ i.e., those of purely electromagnet type, without first evaluating the radiation reaction. Owing to attractive magnetic forces, the elementary nucleon may possibly bind more than one meson, so that the proton could be a composite system as well as the neutron.

¹ I. Tamm, Phys. Rev. **58**, 952 (1940).
² H. C. Corben and J. Schwinger, Phys. Rev. **58**, 953 (1940).
³ L. Landau and I. Tamm, Phys. Rev. **58**, 1006(L) (1940).
⁴ L. Landau, Phys. Rev. **58**, 1006(L) (1940).
⁵ C. L

Erratum: Transition from Classical to Quantum Statistics in Germanium Semiconductors at Low Temperature

[Phys. Rev. 71, 374 (1947)]

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& HE following corrections should be made in our Letter to the Editor of the above title:

(1) The sentence at the end of the first paragraph should read ". . . between impurity centers, while the constant D is to be determined from the experiments."

(2) The last equation should read

$\rho_I = 6270 n^{-\frac{1}{3}}$ ohm-cm.

(3) The sentence reading "Thus the transition from classical to quantum statistics leads to a constant residual resistance due to impurity scattering in degenerate samples, in agreement with experiment," which appears below Table I, should have been the last sentence of the text.

Electrostatic Field Strengths in Molecules and Nuclear Quadrupole Moments

C. H. TOWNES Bell Telephone l.aboratories, Murray Hil/, New Jersey May 21, 1947

'HE magnitude of coupling between nuclear quadrupole moments and electric fields in certain molecules, as determined from microwave spectroscopy, has been given.¹⁻³ Since the quadrupole coupling involves the product of the nuclear quadrupole moment and the second derivative of the electric potential at the nucleus, excluding the effect of charge in a small sphere around the nucleus, $\left[\frac{eQ(\partial^2 V/\partial z^2)}{e\partial z^2}\right]$, a knowledge of $\partial^2 V/\partial z^2$ is necessary in order to determine the quadrupole moment, Q; Nordsieck' has calculated this quantity for the hydrogen molecule, but a similar calculation for other molecules appears very tedious. It is here proposed that $\partial^2 V/\partial z^2$ may be determined in many cases from atomic data. In determining this quantity, the distortion of the spherical atomic electron distribution around each nucleus due to its proximity to other nuclei must be considered for molecules such as H2 and the alkali halides. However, in case a heavy nucleus is covalently bonded in a molecule by use of one or two ϕ electrons, the effect of the resulting non-spherical distribution of charge inside of the valence shell is very large, and contributions to $\partial^2 V / \partial z^2$, because of distortion of the atomic electron distribution, are negligible by comparison. In such cases $\partial^2 V / \partial z^2$ is large and is easily calculable by the same method as is used for determination of quadrupole moments from atomic spectra.⁵ If, on the other hand, the atomic state which is approximated by an atom in a molecule has a spherical distribution of electrons, then $\partial^2 V / \partial z^2$ is small and much more difficult to calculate.

Assuming, then, a heavy nucleus bonded in a molecule with a simple covalent p bond, the value of $\frac{\partial^2 V}{\partial z^2}$ is fairly accurately given by $(8e\Delta\nu/15Z_1R\alpha^2a_0^3)$ e.s.u., where standard spectroscopic notation is used, and $\Delta \nu$ is the fine structure separation for an isolated atom in the same state. Actual values of $\partial^2 V / \partial z^2$, of quadrupole couplings,¹ and of quadrupole moments for Cl and Br nuclei, are collected in Table I. The sign of $\partial^2 V/\partial z^2$ corresponds to an excess posi-

tive charge located on the molecular axis. The Br quardupole moments obtained here are consistent with a rough estimate which can be made from atomic spectra.⁶ In further justification of the procedure used, it should be observed that effects caused by distortion of the atomic wave functions and proximity of other nuclei will be of the order of magnitude of the contribution of one electron charge place 1A from the nucleus, or 1×10^{15} , which is much smaller than the p electron contribution for heavy atoms as may be seen from the table. For H_2 , these effects produce a contribution⁴ of 1.13×10^{15} .

It may happen, of course, that the atom in question is not bonded by a pure p bond, but its bonding electron is in a state represented by a combination of p and s wave functions. In most cases, the contribution to $\partial^2 V / \partial z^2$ of the p wave function would still predominate. If the nuclear quadrupole moment is known, the value of $\partial^2 V/\partial z^2$ determined from the quadrupole coupling would then give a measure of the importance of the p state in the complete wave function for the molecule. For example, a large quadrupole coupling for halide nuclei in alkali halide molecules would indicate the occurrence of resonance between ionic and covalent bonding.

Both BrCN and C1CN resonate between a state represented by a single p bond and one represented by two p bonds to the halide,7 the double-bond character of the bond being 30 percent or less. Both of these states produce the same deviation from a spherical p shell, hence the presence of this resonance should not invalidate the calculation of $\partial^2 V / \partial z^2$ given here.

The nitrogen quadrupole coupling in $NH₃$ and ClCN does not allow such a simple interpretation, since it is not clear whether or not the p shell is spherically filled around. the N in these molecules, and also because the contribution of a ρ electron would not completely predominate for this light nucleus. A single p electron would contribute a value of approximately 4×10^{13} to $\partial^2 V / \partial z^2$. If the N atom is surrounded by four tetrahedral bonds' of which one is unoccupied, the resulting contribution would be 3×10^{13} . If it is bonded by three pure p bonds, then the p shell is spherically filled, and the contribution to $\partial^2 V / \partial z^2$ by the undistorted atomic electron distribution is zero. With this information about $\partial^2 V / \partial z^2$, it can only be said that the magnitude of the N'4 quadrupole moment is probably between 0.1×10^{-24} and 0.01×10^{-24} cm².

¹ C. H. Townes, A. N. Holden, J. Bardeen, and F. R. Merritt, Phys \mathbb{R}^2 , P. 1044 (1947).

² B. P. Dailey, R. L. Kyhl, M. W. P. Strandberg, J. H. Van Vleck

and E. B. Wilson, Jr., Phys. Rev. 70, 984 (1946).

² D.

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Laboratory, Bethesda, Maryland May 10, 1947

STUDIES on the properties of fine grained silver bromid
Semulsions as recording media for localized alpha TUDIES on the properties of fine grained silver bromide radiation' revealed a 90 percent loss in photographic density after a 20-day delay in the development of the latent image. Marked fading effects have also been observed in plates of diverse European manufacture by Blau,² Lauda,³

FIG. 1. Relationship between fractional loss of photographic density

(Do-De)/Do and time of delayed development for alpha-particles of

radium in equilibrium.

I. Low silver halide emulsion. II. High silver halide emulsion.

FIG. 2. Dark field photo-micrographs at 2000 X magnification, showing
progressive deterioration of track structures on delayed development
I. Low silver halide emulsion

and more recently by Occhialini.⁴ In view of the importanc of this factor in experiments of long duration, such as cosmic-ray studies, and in the measurement of low levels of alpha-ray activity, comparative data between the old and new types of Eastman alpha-particle emulsions are of interest.

The emulsions characterized in Table I were exposed to a Aux of 5000 alpha-particles per sec. per cm' for 2 hours, and development was delayed for measured periods of time. The source of radiation was a thin film of equilibrated barium-radium sulfates separated by ¹ mm of air from the