

## New Terms in Fe I, II, and III and Additional Far Ultraviolet Standards\*

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The iron spectrum excited in the Schüller discharge in He and Ne and the iron arc and spark in nitrogen have been studied in the ultraviolet from  $\lambda 2300$  to  $\lambda 600$ . New terms have been identified in Fe I, II, and III and in addition a number of unclassified levels have been found in Fe II. Lists of all the lines identified from new or previously known levels are given. These lists include a number of lines in the region  $\lambda 2225$  to  $\lambda 1550$  whose wave-length can be accurately calculated by the combination principle from levels whose positions are determined by measures at longer wave-lengths. These lines will be useful as standards.

THE iron spectrum has been investigated in the far ultraviolet from  $\lambda 2300$  to  $\lambda 600$ . Plates have been taken, on the Princeton two-meter vacuum spectrograph, of the iron spectrum excited in the Schüller discharge in He and Ne and of the iron arc and spark in nitrogen. A large amount of laboratory work, which will be described elsewhere, has been devoted to the development of the Schüller tube technique to the point where the discharge becomes an effective source for the iron spectrum.

### Fe I

Three new terms forming a  ${}^5(PDF)$  triad, a separate  ${}^5P$ ,<sup>†</sup> and one new unidentified level have been found in Fe I; they are listed in Table I. The electron configuration is given in the first column, the term designation in the second, the  $J$  value in the third, the height of the level above  $a^5D_4$  in the fourth, the interval in the fifth, and the number of combinations which the level makes in the sixth. An intensity diagram is given, Table II. The intensities of the lines arising from transitions down to  $a^5D$  are taken from the author's lists of the arc in nitrogen; the rest are from Burns and Walters<sup>1</sup> with the exception of those followed by  $B$ , Burns;<sup>2</sup>  $S$ , Schumacher;<sup>3</sup>  $K$ , Kayser.<sup>4</sup> The  $v^5D_1^0$  level is not

well established but nothing else in the region can be made to serve any better. An unusual distribution of intensity analogous to that in the  $a^5D-v^5D^0$  multiplet has been found by Findlay<sup>5</sup> in the  $d^74s\ {}^5F-d^74p\ {}^5F^0$  of Co II.

The question arises whether the new triad is in series with the upper or lower of the two known  ${}^5(PDF)$  triads. The lower triad is usually attributed to  $3d^64s({}^6D)4p$  and the upper to  $3d^64s({}^4D)4p$ . There is no proof that this is correct and the reverse assignment seems equally probable. However if for the moment we assume the first assignment, we can predict the position of the second triad in each series. The results are rough since series involving a running  $p$  electron are very rarely regular in many-electron spectra.

TABLE I. *New terms in Fe I.*

CONFIGURATION	TERM DESIG.	$J$	LEVEL	INTERVAL	NO. OF COMB.
	$58^0$	1	48350.65		9
$3d^64s({}^6D)5p$	$v^5F^0$	5	51016.71		3
$3d^64s({}^6D)5p$	$v^5F^0$	4	51381.51	-364.80	5
$3d^64s({}^6D)5p$	$v^5F^0$	3	51619.14	-237.63	7
$3d^64s({}^6D)5p$	$v^5F^0$	2	51827.62	-208.48	7
$3d^64s({}^6D)5p$	$v^5F^0$	1	51945.86	-118.24	5
$3d^64s({}^6D)5p$	$v^5D^0$	4	51076.67		6
$3d^64s({}^6D)5p$	$v^5D^0$	3	51361.46	-284.79	8
$3d^64s({}^6D)5p$	$v^5D^0$	2	51630.06	-268.60	8
$3d^64s({}^6D)5p$	$v^5D^0$	1	51836.8	-206.7	2
$3d^64s({}^6D)5p$	$v^5D^0$	0	51941.76	-105.0	3
$3d^64s({}^6D)5p$	$u^5P^0$	3	51692.2		5
$3d^64s({}^6D)5p$	$u^5P^0$	2	51945.1	-252.9	4
$3d^64s({}^6D)5p$	$u^5P^0$	1	52110.6	-165.5	6
	$t^5P^0$	3	53388.68		4
	$t^5P^0$	2	54112.28	-723.60	7
	$t^5P^0$	1	54271.12	-158.84	9

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† These three levels were identified as  ${}^5P$  by Professor H. N. Russell.

<sup>1</sup> K. Burns and F. M. Walters, Publication of the Allegheny Observatory 8, No. 4.

<sup>2</sup> K. Burns, Lick Obs. Bull., No. 247 (1913).

<sup>3</sup> Schumacher, Zeits. f. Wiss. Photogr. 19, 149 (1919).

<sup>4</sup> Kayser, *Handbuch der Spectroscopie* 6, 892 and 7, 405.

<sup>5</sup> J. H. Findlay, Phys. Rev. 36, 5 (1930).

TABLE II. Intensities of lines in Fe arc.

	$a^5D$					$a^5F$					$a^5P$		
	4	3	2	1	0	5	4	3	2	1	3	2	1
$t^5P^0$	1 2 3		5 15	2 8	5 1	2		1uS 1uS			4 2	3B 2	1K 3
$u^5P^0$	1 2 3		25 25	20 25*	25 30*	20*		45	12	1S		5	1aK
$v^5D^0$	0 1 2 3 4			20* 10	15 0					9			1
			30 30	25 20	1 0		45	8 15	9 15*	9 5	1S	1K 6	2K 3 2K
$v^5F^0$	1 2 3 4 5			25* 25	30* 25	25			10	9b 8	4 10		1K
			25 2	25 30	20		25 15†	40 3	3	15*		1K	1K 1K
$58_1^0$				15	20	30				2	12		4B 2B

\* These lines are used twice.

† An examination of an arc plate suggests that this intensity is in error. The line is definitely considerably stronger than  $a^5F_4 - v^5F_4^0$ .

It is found that the second triad built on  ${}^6D$  should lie about 2000 wave numbers below the new triad and the one built on  ${}^4D$  about 7000 above it. If we assume the reverse assignment, we would expect the second member of the series built on  ${}^6D$  about 1600 wave numbers above the new triad and the one built on  ${}^4D$  about 3500 above the new triad. It appears therefore that the new triad is probably built on  ${}^6D$  but it is impossible to say at present with which of the lower triads it is in series. A comparison of the intensities of the transitions between the three triads and low  ${}^5D$ ,  ${}^5F$  and  ${}^5P$  also fails to tell us which of the previously known groups goes to the  ${}^6D$  limit. The possibility that the triad should be assigned to  $d^6({}^5D)4s4p({}^1, {}^3P)$  or  $d^6({}^5D)4p({}^6, {}^4P, D, F)4s$  instead of  $d^6({}^5D)4s({}^6, {}^4D)4p$  was considered. The term intervals for these various possibilities were calculated by the rule of Goudsmit and Humphreys.<sup>6</sup> However in no case was the agreement between the predicted and observed values sufficiently good to warrant an assignment.

Table III contains the new identifications in Fe I. The columns are as follows: column one, the wave-length in vacuum up to  $\lambda 2200$  and in

<sup>6</sup> S. Goudsmit and C. J. Humphreys, Phys. Rev. **31**, 960 (1928).

air for longer wave-lengths. When this is poorly determined, it is followed by a small "p." If the wave-length of a line below  $\lambda 2200$  can be calculated by means of the combination principle from measures made above  $\lambda 2240$ , the calculated decimal is given in the second column. Column three contains the intensity in the arc; column four, the intensity in the He Schüller tube; a "b" after the intensity means that the line is a blend. Column five gives the observer, where *G* stands for Green, *BW* for Burns and Walters, *B* for Burns, *S* for Schumacher, and *K* for Kayser. Column six contains "s" if the line is regarded as especially suitable as a standard. The final column gives the identification; where this is regarded as uncertain it is followed by a question mark.

## Fe II

In the tables below are listed all the new even and odd levels which have been found in Fe II together with six which were previously found by Dobbie<sup>7</sup> and which have been given new assignments on the basis of additional material. The following information is contained in the columns of the tables: in the first, the electron configuration; in the second, the term symbol; in the

<sup>7</sup> J. C. Dobbie, Proc. Roy. Soc. London **A151**, 703 (1935).

TABLE III. *New identifications in Fe I. In the column S, the source is given and in column st, those lines are designated which are especially suitable as standards.*

λ VAC		INTENSITY		S	st	IDENTIFICATION	λ VAC		INTENSITY		S	st	IDENTIFICATION
OBS.	CALC.	ARC	S.T.				OBS.	CALC.	ARC	S.T.			
1862.318	0.324	5	15	G	s	$a^5D_3 - \beta^5P_2^0$	λ AIR						
1866.815	.817	2	10	G		$a^5D_2 - \beta^5P_1^0$	2264.390		45		BW		$a^5F_5 - \beta^5D_4^0$
1872.359	.369	8	15	G	s	$a^5D_2 - \beta^5P_2^0$	2265.60		1		S		$a^5F_2 - u^5P_1^0$
1873.052	.056	8	12	G		$a^5D_4 - \beta^5P_3^0$	2266.903		10		BW		$a^5F_3 - \beta^5F_2^0$
1873.259	.256	5	15	G		$a^5D_1 - \beta^5P_1^0$	2267.465		15		BW		$a^5F_6 - \beta^5F_3^0$
1876.421	.417	2	10	G		$a^5D_0 - \beta^5P_1^0$	2271.778		40		BW		$a^5F_4 - \beta^5F_4^0$
1878.849	.846	1	2	G	s	$a^5D_1 - \beta^5P_2^0$	2272.816		8		BW		$a^5F_4 - \beta^5D_3^0$
1887.761	.763	15	20	G		$a^5D_3 - \beta^5P_3^0$	2274.087		9		BW		$a^5F_2 - \beta^5F_1^0$
1934.528		25	25	G		$a^5D_4 - u^5P_3^0$							$a^5D_2 - 12^0$
1937.274	.266	25	35	G		$a^5D_4 - \beta^5F_3^0$	2277.094		9		BW		$a^5F_3 - \beta^5D_2^0$
1940.649		25	25	G		$a^5D_3 - u^5P_2^0$	2277.663		12		BW		$a^5F_3 - \beta^5F_2^0$
1945.070	.083	10	20 <sup>b</sup>	G		$a^5D_3 - \beta^5F_2^0$	2280.222		8		BW		$a^5F_2 - \beta^5F_2^0$
1945.294		20	25	G		$a^5D_2 - u^5P_1^0$	2282.861		4		BW		$a^5F_1 - \beta^5F_1^0$
1946.219	.225	2	10	G	s	$a^5D_4 - \beta^5F_4^0$	2283.079		9		BW		$a^5F_1 - \beta^5D_0^0$
1946.978	.986	30	25	G	s	$a^5D_4 - \beta^5D_3^0$	2287.628		15		BW		$a^5F_4 - \beta^5D_4^0$
1950.223		25	20	G		$a^5D_3 - u^5P_3^0$	2289.032		10		BW		$a^5F_1 - \beta^5F_2^0$
1951.556	.529	25	25	G		$a^5D_2 - \beta^5F_4^0$	2290.064		3		BW		$a^5F_3 - \beta^5F_4^0$
						$a^5D_2 - u^5P_2^0$	2290.546		9		BW		$a^5F_2 - \beta^5D_2^0$
1952.262		25	20	G		$a^5D_1 - u^5P_1^0$	2290.771		3		BW		$a^5F_4 - \beta^5F_3^0$
1952.596	.586	25	30	G	s	$a^5D_3 - \beta^5D_3^0$	2291.117		15		BW		$a^5F_3 - \beta^5D_3^0$
1952.997	3.002	25	20	G		$a^5D_3 - \beta^5F_3^0$							$a^5F_2 - \beta^5F_3^0$
1955.690		20	20	G		$a^5D_2 - \beta^5D_1^0$	2299.42		1		S		$a^5F_1 - \beta^5D_2^0$
						$a^5D_0 - u^5P_1^0$	2304.727		5		BW		$a^5F_2 - \beta^5D_3^0$
1956.026	.043	25	30	G	s	$a^5D_2 - \beta^5F_2^0$	2306.164		2		BW		$a^5F_3 - \beta^5D_4^0$
1957.831	.841	30	25	G	s	$a^5D_4 - \beta^5D_4^0$	2476.654		2		BW		$a^5F_2 - 58^0$
1958.598	.567	30	30	G		$a^5D_1 - \beta^5F_1^0$	2487.064		12		BW		$a^5F_1 - 58^0$
						$a^5D_1 - u^5P_2^0$	2734.266		4		BW		$a^5F_2 - \beta^5P_2^0$
1958.739	.724	15	15	G	s	$a^5D_1 - \beta^5D_0^0$	2735.611		3		B		$a^5F_2 - \beta^5P_1^0$
1960.129	.142	30	25	G	s	$a^5D_4 - \beta^5F_3^0$	2747.553		2		BW		$a^5F_2 - \beta^5P_2^0$
1961.236		25	20	G		$a^5D_2 - u^5P_3^0$	2750.72		1		K		$a^5F_1 - \beta^5F_1^0 ?$
1962.031 <sup>p</sup>	.023	25	30	G		$a^5D_0 - \beta^5F_1^0$	2762.770		3		BW		$a^5F_1 - \beta^5P_2^0$
1962.100 <sup>p</sup>	.108	30	30	G		$a^5D_3 - \beta^5F_3^0$	2789.477		2		BW		$a^5F_3 - \beta^5P_2^0$
1962.746		0	15	G		$a^5D_1 - \beta^5D_0^0$	2907.518		5		BW		$a^5F_2 - u^5P_1^0$
1962.871	.881	20	20	G	s	$a^5D_3 - \beta^5D_3^0$	2920.3		1		K		$a^5F_0 - \beta^5P_1^0$
1963.110	.113	25	25	G	s	$a^5D_1 - \beta^5F_3^0$	2924.6		1 <sup>u</sup>		K		$a^5F_1 - u^5P_2^0$
1963.629	.631	10	15	G	s	$a^5D_2 - \beta^5F_2^0$	2928.11		2		K		$a^5F_3 - u^5P_2^0$
1964.043	.052	20	20	G		$a^5D_3 - \beta^5F_3^0$	2934.4		1		K		$a^5F_3 - \beta^5P_2^0$
1970.771	.757	—	0	G	s	$a^5D_1 - \beta^5D_1^0$	2939.072		1		BW		$a^5F_1 - \beta^5D_0^0$
1973.911	.915	0	1	G	s	$a^5D_4 - \beta^5D_4^0$	2948.69		2		K		$a^5F_2 - \beta^5D_0^0$
1974.059	.043	—	1	G	s	$a^5D_2 - \beta^5D_2^0$	2948.94		1		K		$a^5F_1 - \beta^5F_2^0$
2098.759	.783	15	25 <sup>b</sup>	G		$a^5D_2 - 58^0$	2949.8		1		K		$a^5F_2 - \beta^5F_2^0$
2106.931	.926	20	15	G	s	$a^5D_1 - 58^0$	2956.7		1		K		$a^5F_2 - \beta^5D_0^0$
2110.910	.926	30	25	G		$a^5D_0 - 58^0$	2966.23		2		K		$a^5F_1 - \beta^5D_0^0$
2155.820	.906	1 <sup>u</sup>	10 <sup>b</sup>	S		$a^5F_3 - \beta^5P_2^0 ?$	2972.277		3		BW		$a^5F_2 - \beta^5D_0^0$
2189.997	90.071	1 <sup>u</sup>	12 <sup>b</sup>	S		$a^5F_3 - \beta^5P_3^0 ?$	2981.852		6		BW		$a^5F_2 - \beta^5D_0^0$
							3264.522		4		B		$a^5P_2 - 58^0$
							3286.026		2		B		$a^5P_1 - 58^0$
							3339.588		1 <sup>b</sup>		B		$c^3P_2 - \beta^5P_1^0$
							3388.966		1 <sup>b</sup>		B		$c^3P_1 - \beta^5P_1^0$
λ AIR							3935.31		2		K		$b^3P_1 - 58^0$
2248.855		25		BW		$a^5F_3 - \beta^5F_4^0$	4804.6		1		K		$a^1P_1 - 58^0 ?$
2255.859		45		BW		$a^5F_4 - u^5P_3^0$							
2260.860		12		BW		$a^5F_3 - u^5P_2^0$							

TABLE IV. *New even levels in Fe II.*

CONFIG.	DESIG.	J	LEVEL	INTERVAL	NO. OF COMB.	POSSIBLE DESIG.	DOBBIE'S DESIG.
$d^6(^6D)4d$	$e^6F$	$5\frac{1}{2}$	82853.5	-125.4	3		
$d^6(^6D)4d$	$e^6F$	$4\frac{1}{2}$	82978.9	-157.6	6		$f^6D_{4\frac{1}{2}}$
$d^6(^6D)4d$	$e^6F$	$3\frac{1}{2}$	83136.5	-171.9	7		$f^6D_{3\frac{1}{2}}$
$d^6(^6D)4d$	$e^6F$	$2\frac{1}{2}$	83308.4	-151.3	8		$f^6D_{2\frac{1}{2}}$
$d^6(^6D)4d$	$e^6F$	$1\frac{1}{2}$	83459.7	-98.8	7		
$d^6(^6D)4d$	$e^6F$	$\frac{1}{2}$	83558.5		4		
$d^6(^6D)4d?$	30	$3\frac{1}{2}$	83713.3		4	$^6D$	
$d^6(^6D)4d?$	31	$4\frac{1}{2}$ or $3\frac{1}{2}$	83726.2		4	$^6D$	
$d^6(^6D)4d?$	32	$2\frac{1}{2}$	83812.1		6	$^6D$	$e^6P_{3\frac{1}{2}}$
$d^6(^6D)4d?$	33	$1\frac{1}{2}$	83989.7		4	$^6D$	
$d^6(^6D)4d?$	34	$\frac{1}{2}$ or $1\frac{1}{2}$	84131.2		3	$^6D$	
$d^6(^6D)4d?$	35	$2\frac{1}{2}$	84266.9		6		$e^6P_{2\frac{1}{2}}$
$d^6(^6D)4d?$	36	$2\frac{1}{2}$	84327.0		5		$e^6P_{1\frac{1}{2}}$

TABLE V. *New odd levels in Fe II.*

CONFIG.	DESIG.	J	LEVEL	INTERVAL	NO. OF COMB.	POSSIBLE DESIG.
3d <sup>5</sup> 4s( )4p	y <sup>6</sup> P <sup>0</sup>	1½	61974.9	+74.1	3	
3d <sup>5</sup> 4s( )4p	y <sup>6</sup> P <sup>0</sup>	2½	62049.0	+122.7	3	
3d <sup>5</sup> 4s( )4p	y <sup>6</sup> F <sup>0</sup>	3½	62171.7		3	
3d <sup>5</sup> 4s( <sup>5</sup> S)4p	x <sup>4</sup> P <sup>0</sup>	2½	69102.4	-199.7	3	
3d <sup>5</sup> 4s( <sup>5</sup> S)4p	x <sup>4</sup> P <sup>0</sup>	1½	69302.1	-124.7	3	
3d <sup>5</sup> 4s( <sup>5</sup> S)4p	x <sup>4</sup> P <sup>0</sup>	½	69426.8		2	
3d <sup>5</sup> 4s( )4p	x <sup>6</sup> P <sup>0</sup>	1½	79244.6		3	
3d <sup>5</sup> 4s( )4p	x <sup>6</sup> P <sup>0</sup>	2½	79284.7	+40.1	4	
3d <sup>5</sup> 4s( )4p	x <sup>6</sup> P <sup>0</sup>	3½	79331.2	+46.5	4	
3d <sup>5</sup> ( <sup>5</sup> D)5p	x <sup>6</sup> F <sup>0</sup>	5½	87340.4	-130.4	1	
3d <sup>5</sup> ( <sup>5</sup> D)5p	y <sup>6</sup> F <sup>0</sup>	4½	87470.8	-66.1	2	
3d <sup>5</sup> ( <sup>5</sup> D)5p	y <sup>6</sup> F <sup>0</sup>	3½	87536.9	-34.9	3	
3d <sup>5</sup> ( <sup>5</sup> D)5p	y <sup>6</sup> F <sup>0</sup>	2½	87571.8	-30.1	3	
3d <sup>5</sup> ( <sup>5</sup> D)5p	y <sup>6</sup> F <sup>0</sup>	1½	87601.9	-33.3	3	
3d <sup>5</sup> ( <sup>5</sup> D)5p	y <sup>6</sup> F <sup>0</sup>	½	87635.2		2	
	1 <sup>0</sup>	3½	88208.6		4	<sup>6</sup> P <sup>0</sup>
	2 <sup>0</sup>	3½	89127.7		3	<sup>6</sup> P <sup>0</sup>
	3 <sup>0</sup>	2½	89443.7		3	<sup>6</sup> P <sup>0</sup>
	4 <sup>0</sup>	1½	89625.0		3	<sup>6</sup> P <sup>0</sup>
	5 <sup>0</sup>	3½	90300.0		4	
	6 <sup>0</sup>	4½ or 3½	90385.5		4	
	8 <sup>0</sup>	½ or 1½	90828.4		2	<sup>4</sup> P <sup>0</sup>
	9 <sup>0</sup>	1½	90898.2		3	<sup>4</sup> P <sup>0</sup>
	10 <sup>0</sup>	2½ or 1½	90981.5		2	<sup>4</sup> P <sup>0</sup>
	11 <sup>0</sup>	2½	91067.1		6	
	w <sup>6</sup> P <sup>0</sup>	3½	91167.3		4	
	w <sup>6</sup> P <sup>0</sup>	2½	91574.8	-407.5	4	
	w <sup>6</sup> P <sup>0</sup>	1½	91843.1	-268.3	4	
	13 <sup>0</sup>	3½	93986.9		4	
	14 <sup>0</sup>	2½	94210.1		5	
	15 <sup>0</sup>	3½	94762.3		4	
	16 <sup>0</sup>	3½	106863.2		6	
	17 <sup>0</sup>	3½ or 2½	107165.6		5	
	18 <sup>0</sup>	2½	107196.2		4	
	20 <sup>0</sup>	3½	107886.6		6	<sup>6</sup> D <sup>0</sup>
	21 <sup>0</sup>	4½ or 3½	107964.7		4	<sup>6</sup> D <sup>0</sup>
	22 <sup>0</sup>	2½	108130.6		4	<sup>6</sup> D <sup>0</sup>
	23 <sup>0</sup>	1½	108191.6		3	<sup>6</sup> D <sup>0</sup>
	24 <sup>0</sup>	3½	108239.2		4	
	25 <sup>0</sup>	1½	108371.7		4	
	26 <sup>0</sup>	3½	108373.8		6	
	27 <sup>0</sup>	1½	108780.0		6	
	28 <sup>0</sup>	1½	109780.0		4	
	29 <sup>0</sup>	2½	111929.0		4	

third, the *J* value; in the fourth, the level value; in the fifth, the interval; in the sixth, the number of combinations which the level makes; in the seventh, a possible term symbol for some of the unclassified levels; in the eighth, the designation previously assigned to the level by Dobbie. Numbers have been given to the unclassified levels. When two *J* values are possible the more probable one is listed first.

Since there is no place for y<sup>6</sup>P<sup>0</sup> or x<sup>6</sup>P<sup>0</sup> in the 3d<sup>5</sup>4p configuration, they have been assigned to 3d<sup>5</sup>4s4p, which is the only other odd configuration between 60,000 and 80,000. On the other hand, x<sup>4</sup>P<sup>0</sup> could be the missing 3d<sup>5</sup>(<sup>3</sup>D)4p<sup>4</sup>P<sup>0</sup>, were it not for the fact that it combines strongly with a<sup>4</sup>D. Since neither the <sup>4</sup>D nor the <sup>4</sup>F from 3d<sup>5</sup>(<sup>3</sup>D)4p combines with a<sup>4</sup>D, x<sup>4</sup>P<sup>0</sup> has also been assigned to 3d<sup>5</sup>4s4p. The three terms now appear in the same order as in the isoelectronic spectrum of Mn I; they have also the same arrangement of *J* values, that is, the sextets are normal and the quartet inverted. An attempt was made to determine by the rule of Goudsmit and Humphreys,<sup>6</sup> whether these terms arise from 3d<sup>5</sup>4s(<sup>7</sup>, <sup>5</sup>S)4p, or 3d<sup>5</sup>(<sup>6</sup>S)4s4p(<sup>3</sup>, <sup>1</sup>P), or 3d<sup>5</sup>4p(<sup>7</sup>, <sup>5</sup>P)4s. However, in none of the three cases was the agreement between the predicted and observed intervals sufficiently good to warrant an assignment.

The sextet triad of 3d<sup>5</sup>(<sup>5</sup>D)5p would be expected to lie about 88,000 wave numbers above a<sup>6</sup>D. The term found in this region appears to be <sup>6</sup>F rather than <sup>6</sup>D. The corresponding triad from 3d<sup>5</sup>(<sup>5</sup>D)6p would be expected in the

TABLE VI. *Intensities of lines in Fe spark.*

DOBBIE'S DESIG.	DESIG.	J	<sup>z6</sup> D <sup>0</sup>					<sup>z6</sup> F <sup>0</sup>					<sup>z6</sup> P <sup>0</sup>		
			4½	3½	2½	1½	½	5½	4½	3½	2½	1½	½	3½	2½
<sup>6</sup> P <sub>1½</sub>	36	2½			4	8			10					1	10
<sup>6</sup> P <sub>2½</sub>	35	2½		10	5	20			0				6	20	
	34	½ or 1½				4	6								6
	33	1½			10	1	4								0
	32	2½		20	2	10							10	5	5
<sup>6</sup> P <sub>3½</sub>	31	4½ or 3½	30	30				8					20		
	30	3½	20		30				0				25		
	e <sup>6</sup> F	½				8	30								
	e <sup>6</sup> F	1½			20	25	8							0	
	e <sup>6</sup> F	2½		25	30	10								2	
<sup>6</sup> D <sub>2½</sub>	e <sup>6</sup> F	3½			25					10	8	15	1		
<sup>6</sup> D <sub>3½</sub>	e <sup>6</sup> F	4½	20	35					10	10	5		8		
<sup>6</sup> D <sub>4½</sub>	e <sup>6</sup> F	4½	45	50				20	25	15			3		
	e <sup>6</sup> F	5½	80					40	25						

TABLE VII. Identified Fe II lines. In the column *S*, the source is given and in column *st*, those lines are designated which are especially suitable as standards.

λ VAC		INTENSITIES				<i>st</i>	IDENTIFICATION	λ VAC		INTENSITIES				<i>st</i>	IDENTIFICATION
OBS.	CALC.	Ne S.T.	He S.T.	SPARK	OBS.			CALC.	Ne S.T.	He S.T.	SPARK				
896.504		1	—				$a^6D_{3/2} - 29_{23}^0$	1128.530			10h			$a^6S_{2/2} - 29_{23}^0$	
898.776		0	—				$a^6D_{3/2} - 29_{23}^0$	1128.909			20			$a^6D_{1/2} - 3_{23}^0$	
900.360		5	—				$a^6D_{1/2} - 29_{23}^0$	1129.777			12			$a^4F_{4/2} - 6_{41}^0$	
918.118		—	1				$a^6D_{1/2} - 28_{13}^0$	1130.428			25b			$a^6D_{3/2} - 2_{23}^0$	
919.095		—	0				$a^6D_{1/2} - 28_{13}^0$	1130.874			2			$a^4F_{4/2} - 5_{31}^0$	
923.884		30	—				$a^6D_{3/2} - 24_{31}^0$	1133.413			25			$a^4F_{2/2} - 11_{31}^0$	
924.970		15	—				$c^6D_{2/2} - 27_{13}^0$	1133.678			25			$a^6D_{3/2} - 1_{31}^0$	
926.220		60	20				$a^6D_{3/2} - 21_{41}^0$	1138.039			5			$a^4F_{2/2} - 5_{31}^0$	
926.618		10	—				$a^6D_{1/2} - 27_{13}^0$	1138.642			25			$a^6D_{3/2} - 1_{31}^0$	
926.900		25	—				$a^6D_{3/2} - 20_{31}^0$	1142.334			25			$a^6D_{3/2} - 3_{31}^0$	
927.176		30	2				$a^6D_{3/2} - 24_{31}^0$							$a^6D_{3/2} - 1_{31}^0$	
927.632		8	—				$a^6D_{3/2} - 27_{13}^0$	1143.235			25			$a^6D_{3/2} - 3_{31}^0$	
928.107		30	1				$a^6D_{3/2} - 22_{21}^0$	1144.946			35hb			$a^6D_{3/2} - 3_{31}^0$	
928.470		20	—				$a^6D_{3/2} - 25_{13}^0$	1146.963			15			$a^6D_{3/2} - 3_{31}^0$	
929.538		30	1				$a^6D_{3/2} - 21_{41}^0$	1147.413			25			$a^6D_{3/2} - 3_{31}^0$	
929.612		30	—				$a^6D_{3/2} - 24_{31}^0$	1148.295			30			$a^6D_{3/2} - 3_{31}^0$	
930.030		30	1				$a^6D_{3/2} - 23_{13}^0$	1150.292			20			$a^6D_{3/2} - 3_{31}^0$	
930.165		30	—				$a^6D_{1/2} - 25_{13}^0$	1150.689			20			$a^6D_{3/2} - 3_{31}^0$	
930.219		30	1				$a^6D_{3/2} - 20_{31}^0$	1151.163			25			$a^6D_{3/2} - 3_{31}^0$	
930.558		30	—				$a^6D_{3/2} - 22_{21}^0$	1152.440			15			$a^6D_{1/2} - 3_{31}^0$	
931.142		25	—				$a^6D_{3/2} - 25_{13}^0$	1152.882			20			$a^6D_{1/2} - 3_{31}^0$	
931.709		10	—				$a^6D_{1/2} - 23_{13}^0$	1153.281			20			$a^6D_{1/2} - 3_{31}^0$	
932.244		30	0				$a^6D_{1/2} - 22_{21}^0$	1153.955			15			$a^6D_{3/2} - 3_{31}^0$	
932.687		30	0				$a^6D_{3/2} - 23_{13}^0$	1154.401			20			$a^6D_{3/2} - 3_{31}^0$	
		0	—				$a^6D_{3/2} - 20_{31}^0$	1156.575			2			$a^6S_{2/2} - 28_{13}^0$	
935.783		8	—				$a^6D_{3/2} - 16_{31}^0$	1159.347			20			$a^4D_{3/2} - 14_{31}^0$	
936.484		10	—				$a^6D_{3/2} - 17_{31}^0$	1162.351			2			$a^4D_{3/2} - 13_{31}^0$	
938.967		20	—				$a^4F_{4/2} - 26_{31}^0$	1165.269			12			$a^4D_{3/2} - 14_{31}^0$	
		12	—				$a^6D_{3/2} - 16_{31}^0$	1175.699			1			$a^6S_{2/2} - 26_{31}^0$	
939.159		5	—				$a^6D_{3/2} - 16_{31}^0$							$a^6S_{2/2} - 25_{13}^0$	
941.660		12	—				$a^4F_{4/2} - 21_{41}^0$	1213.149			20			$a^4D_{3/2} - 6_{41}^0$	
942.589		5	—				$a^4F_{4/2} - 20_{31}^0$	1213.764			20			$a^4D_{1/2} - 11_{31}^0$	
943.267		12	—				$a^4F_{4/2} - 20_{31}^0$	1214.409			10			$a^4D_{3/2} - 5_{31}^0$	
943.910		15	—				$a^4F_{2/2} - 27_{13}^0$	1220.882			5			$a^4D_{3/2} - 5_{31}^0$	
		25	<i>m</i>				$a^4F_{3/2} - 26_{31}^0$	1260.542			20			$a^6D_{1/2} - 3_{31}^0$	
945.095		0	—				$a^4F_{3/2} - 24_{31}^0$	1266.694			20			$a^6D_{3/2} - 3_{31}^0$	
946.051		1	—				$a^4F_{3/2} - 22_{21}^0$	1267.437			25			$a^6D_{3/2} - 3_{31}^0$	
947.564		0	—				$a^4F_{3/2} - 26_{31}^0$	1271.235			1			$a^6D_{3/2} - 3_{31}^0$	
		10	—				$a^4F_{3/2} - 21_{41}^0$	1272.001			25b			$a^6D_{3/2} - 3_{31}^0$	
952.470		1	—				$a^4F_{3/2} - 16_{31}^0$	1272.638			15			$a^6D_{3/2} - 3_{31}^0$	
954.496		2	—				$a^4F_{3/2} - 18_{21}^0$	1275.154			15			$a^6D_{1/2} - 3_{31}^0$	
954.786		1	—				$a^4F_{3/2} - 17_{31}^0$	1275.801			20			$a^6D_{1/2} - 3_{31}^0$	
995.829		8	—				$a^4D_{3/2} - 26_{31}^0$	1290.204			15			$a^4P_{2/2} - 10_{41}^0$	
999.003		1	—				$a^4D_{1/2} - 27_{13}^0$	1291.594			15			$a^4P_{2/2} - 9_{11}^0$	
1000.183		2	—				$a^4D_{3/2} - 26_{31}^0$	1293.543			0			$a^4P_{1/2} - 10_{41}^0$	
1000.665		1	—				$a^4D_{1/2} - 27_{13}^0$	1294.914			12			$a^4P_{1/2} - 9_{11}^0$	
		1	—				$a^4D_{3/2} - 20_{31}^0$	1296.088			20			$a^4P_{1/2} - 8_{11}^0$	
1005.082		20	—				$a^4D_{3/2} - 20_{31}^0$	1298.815			2			$a^4P_{1/2} - 9_{11}^0$	
1007.657		25	—				$a^4D_{3/2} - 18_{21}^0$	1299.984			0			$a^4P_{1/2} - 8_{11}^0$	
1007.975		25	—				$a^4D_{3/2} - 17_{31}^0$	1459.311			15			$a^6S_{2/2} - 3_{31}^0$	
1011.037		20	—				$a^4D_{3/2} - 16_{31}^0$	1465.043			20			$a^6S_{2/2} - 3_{31}^0$	
1012.088		20	—				$a^4D_{3/2} - 18_{21}^0$	1473.834			20			$a^6S_{2/2} - 3_{31}^0$	
1012.417		25	1				$a^4D_{3/2} - 17_{31}^0$	1476.054			10			$a^6S_{2/2} - 11_{31}^0$	
1015.083		10	—				$a^4D_{1/2} - 18_{21}^0$	1541.011			0			$a^6S_{2/2} - 13_{31}^0$	
1015.520		20	—				$a^4D_{3/2} - 16_{31}^0$	1550.260	0.273	1	0			$a^6S_{2/2} - 13_{31}^0$	
1038.370		1	—				$a^4P_{2/2} - 28_{11}^0$	1558.543			8		<i>s</i>	$a^4F_{4/2} - 3_{31}^0$	
1055.269		25	—				$a^6D_{3/2} - 15_{31}^0$	1558.706	.691	8	10			$a^4F_{4/2} - 3_{31}^0$	
1059.571		20	—				$a^6D_{3/2} - 15_{31}^0$	1559.106	.084	25	20	2	<i>s</i>	$a^4F_{4/2} - 3_{31}^0$	
1062.758		20	—				$a^6D_{3/2} - 15_{31}^0$	1563.790	.788	25	25	2	<i>s</i>	$a^4F_{4/2} - 3_{31}^0$	
1063.982		15	—				$a^6D_{3/2} - 13_{31}^0$	1566.825	.821	20	20	1	<i>s</i>	$a^4F_{4/2} - 3_{31}^0$	
1068.356		30	—				$a^6D_{3/2} - 13_{31}^0$	1568.031	.017	5	8		<i>s</i>	$a^4F_{4/2} - 3_{31}^0$	
1069.038		15	—				$a^6D_{3/2} - 14_{21}^0$	1569.670	.674	10	12		<i>s</i>	$a^4F_{4/2} - 3_{31}^0$	
1071.260		5	—				$a^6D_{1/2} - 14_{21}^0$	1570.248	.244	20	20	1	<i>s</i>	$a^4F_{4/2} - 3_{31}^0$	
1071.596		30	—				$a^6D_{3/2} - 13_{31}^0$	1572.750	.754	5	1		<i>s</i>	$a^4F_{4/2} - 3_{31}^0$	
1076.556		2	—				$a^4F_{4/2} - 15_{31}^0$	1573.831	.826	2	5		<i>s</i>	$a^4F_{4/2} - 3_{31}^0$	
1096.616		20	—				$a^6D_{3/2} - 3_{31}^0$	1574.778	.769	0	0		<i>s</i>	$a^4F_{4/2} - 3_{31}^0$	
1096.793p		20	—				$a^6D_{3/2} - 3_{31}^0$	1574.931	.921	20	20	1	<i>s</i>	$a^4F_{4/2} - 3_{31}^0$	
1096.886p		30	—				$a^6D_{3/2} - 3_{31}^0$	1577.158	.167	1	1		<i>s</i>	$a^4F_{4/2} - 3_{31}^0$	
1097.782		2	—				$a^4F_{1/2} - 14_{21}^0$	1580.635	.627	20	25b	1		$a^4F_{4/2} - 3_{31}^0$	
1099.117		25h	—				$a^6D_{1/2} - 3_{31}^0$	1581.293	.268	20	8			$a^4F_{4/2} - 3_{31}^0$	
1100.026		20	—				$a^6D_{3/2} - 3_{31}^0$	1584.954	.949	20	15	1	<i>s</i>	$a^4F_{4/2} - 3_{31}^0$	
1100.525p		20	—				$a^6D_{3/2} - 3_{31}^0$	1588.295	.288	8	10	1		$a^4F_{4/2} - 3_{31}^0$	
1101.538		20	—				$a^6D_{3/2} - 3_{31}^0$	1608.446		40	35	15		$a^6D_{3/2} - 3_{31}^0$	
1102.385		8	—				$a^6D_{1/2} - 3_{31}^0$	1610.933	.922	8	15h	1		$a^6D_{3/2} - 3_{31}^0$	
1102.758		1	—				$a^6D_{3/2} - 11_{21}^0$	1612.814	.805	20	20	8	<i>s</i>	$a^4F_{4/2} - 3_{31}^0$	
1104.978		1	—				$a^6D_{3/2} - 3_{31}^0$	1618.464		25	25	2		$a^6D_{3/2} - 3_{31}^0$	
1106.215		15	—				$a^6D_{3/2} - 11_{21}^0$	1621.685		30	30	10		$a^6D_{3/2} - 3_{31}^0$	
1106.362		5	—				$a^6D_{3/2} - 6_{41}^0$	1623.102	.09						

TABLE VII.—Continued.

λ VAC		INTENSITIES					st	IDENTIFICATION	λ VAC		INTENSITIES					st	IDENTIFICATION
OBS	CALC	Ne S.T.	He S.T.	SPARK		OBS			CALC	Ne S.T.	He S.T.	SPARK					
1637.400	0.398	20	15	2		s	$a^4F_{43} - x^2D_{33}^0$	1904.784	.785		15	5		s	$a^2D_{23} - x^2F_{33}^0$		
1639.403		25	30	2			$a^6D_{33} - y^6P_{13}^0$	1910.150	.147		1	—			$a^4H_{33} - w^2H_{33}^0?$		
1640.167	.150	12	12	2		s	$a^4F_{13} - y^4G_{23}^0$	1917.337	.321		15b	8b			$a^2G_{43} - y^2H_{43}^0$		
1641.761		20	25	8			$a^4D_{23} - x^2P_{13}^0$	1918.114	.100		2	—			$a^2D_{23} - w^4D_{33}^0$		
1643.588	.576	15	15	2		s	$a^4F_{33} - x^2D_{23}^0$	1922.234	.268		0	—			$a^4H_{43} - w^2H_{43}^0?$		
1646.187		10	20	1			$a^4D_{13} - x^2P_{13}^0$	1922.797	.794		20b	30b			$a^2D_{23} - w^4D_{13}^0$		
1647.161		10	25	1			$a^4D_{23} - x^2P_{23}^0$	1925.987	.986		20b	25b			$a^2H_{23} - x^2H_{33}^0$		
1649.444	.423	12	15b	1			$a^4F_{23} - x^2D_{13}^0$	1927.481	.485		1hb	—			$a^2D_{13} - y^2P_{13}^0$		
1649.583		12	20	1			$a^4D_{13} - x^2P_{13}^0$		.548			—			$a^2D_{13} - y^2P_{33}^0$		
1650.709		15	20	1			$a^4D_{13} - x^2P_{13}^0$	1929.194	.191		1	—			$a^2D_{23} - w^4F_{33}^0?$		
1652.489	.482	1	0	—		s	$a^4F_{33} - x^2D_{33}^0$	1932.477	.483		15	2			$a^2D_{13} - x^2F_{23}^0$		
1654.105		20b	5	—			$a^4D_{13} - x^2P_{13}^0$	1935.296	.297		15	2			$a^2G_{43} - y^2H_{43}^0$		
1654.484	.476	10	5	1		s	$a^4F_{13} - x^2D_{13}^0$	1936.781	.805		20b	1b			$a^2G_{33} - y^2H_{43}^0$		
1655.042		—	1	—			$a^4D_{13} - x^2P_{23}^0$	1938.899	.899		8b	25b			$b^4F_{13} - x^2D_{23}^0?$		
1658.785	.771	10	15	2		s	$a^4F_{43} - y^4F_{43}^0$	1948.372	.383		10b	5			$a^2H_{43} - x^2H_{43}^0$		
1659.487	.479	20	20	10		s	$a^4F_{33} - y^4D_{23}^0$	1958.121	.086		5	—			$a^4H_{43} - w^4D_{33}^0?$		
1662.369	.357	—	0	—			$a^4F_{13} - x^2D_{23}^0$		.135			—			$a^4H_{43} - w^4D_{33}^0?$		
1663.226	.220	15	15	2		s	$a^4F_{23} - y^4D_{13}^0$	1963.110	.093			25b	—		$a^4H_{33} - w^4F_{33}^0?$		
1670.759	.746	20	25	20			$a^4F_{43} - y^4D_{33}^0$		.142			—			$a^4H_{33} - w^4D_{33}^0?$		
1671.010	70.990	0	1	—		s	$a^4F_{13} - y^4D_{23}^0$	1964.330	.339		12	—			$a^4H_{33} - w^4D_{33}^0?$		
1673.470	.466	15	15	15		s	$a^4F_{23} - y^4D_{13}^0$	1975.542	.547		1	1			$a^4H_{33} - y^4H_{33}^0$		
1674.258	.254	10	2	1		s	$a^2G_{43} - w^2F_{43}^0$	1993.289	.298		8b	15b			$a^2G_{43} - x^2F_{43}^0$		
1676.871	.854	1	1	—			$a^4F_{33} - y^4F_{43}^0$	1994.857	.908		20	1h			$b^2P_{13} - w^2F_{33}^0?$		
1679.388	.379	8	15	10		s	$a^2F_{33} - w^2F_{33}^0$	1999.430	.411		10	25			$b^4F_{43} - w^4D_{33}^0$		
1683.953	.952	8	5	1		s	$a^2G_{33} - w^2F_{23}^0$		.462			—			$b^4F_{43} - w^4F_{43}^0$		
1685.457	.454	2	8	1		s	$a^4F_{23} - y^4D_{23}^0$	1999.727	.681		1	1			$a^2G_{43} - x^2F_{43}^0?$		
1686.717	.690	1	2	—			$a^4F_{33} - y^4D_{13}^0$		.730			—			$a^2D_{23} - x^2G_{33}^0$		
1689.821	.832	2	10b	—			$a^4P_{23} - w^4D_{23}^0?$	2001.019	.025		30	30		s	$a^2H_{23} - x^2G_{43}^0$		
1690.781	.755	2	8	—			$a^4P_{23} - w^4D_{23}^0?$	2004.533	.556		2	—			$a^4P_{13} - x^2D_{13}^0$		
1691.289	.272	5	8	1		s	$a^4F_{13} - y^4F_{13}^0$	2007.665	.658		12	5			$b^4F_{13} - w^4D_{23}^0$		
1693.477	.475	0	0	—			$a^4P_{23} - w^4D_{13}^0$	2008.105	.088		15b	2			$a^4P_{23} - x^2D_{23}^0$		
1693.961	.935	0	0	—			$a^4F_{13} - y^4F_{23}^0$	2008.364	.356		12	5			$a^4P_{13} - x^2D_{13}^0$		
1696.800	0.794	2	8	—			$a^4F_{13} - y^4F_{23}^0$	2011.341	.348		25	30		s	$a^2H_{43} - x^2G_{33}^0$		
1698.190	.134	—	0	—			$a^4F_{43} - x^2G_{43}^0$	2011.635	.602		0	1			$a^2G_{43} - x^2H_{43}^0$		
1699.199	.195	1	2	—			$a^4F_{23} - y^4D_{33}^0?$	2013.921	.908		15	5		s	$a^2P_{13} - x^2D_{13}^0$		
1701.952	.938	1	2	—			$a^4P_{13} - w^4D_{13}^0$	2014.318	.365		1b	1			$a^2G_{33} - x^2F_{43}^0?$		
1702.045	.044	25	25	25		s	$a^4P_{13} - w^4D_{13}^0$	2016.154	.136		20	20		s	$a^2P_{13} - x^2D_{23}^0$		
1706.179	.144	2	1	—			$a^4F_{43} - x^2G_{33}^0$	2016.746	.728		10	1			$b^4F_{23} - w^4D_{13}^0$		
1708.627	.621	8	8	2			$a^4F_{33} - x^2G_{33}^0$	2017.744	.743		15	5		s	$a^4P_{13} - x^2D_{13}^0$		
1709.560	.551	—	0	—			$a^4P_{13} - w^4D_{13}^0$	2018.509	.496		2	1			$b^4F_{33} - w^4F_{33}^0$		
1713.002	2.998	25	20	25		s	$a^4F_{23} - y^4P_{13}^0$	2019.427	.429		25	25		s	$a^2G_{43} - x^2H_{43}^0$		
1716.569	.576	2	2	0			$a^4F_{23} - x^2D_{23}^0$	2021.394	.399		25	25		s	$a^2P_{23} - x^2D_{23}^0$		
1718.123	.100	2	2	—		s	$a^4F_{23} - x^2D_{23}^0$	2024.370	.355		1	—			$b^4F_{13} - w^4D_{13}^0$		
1720.621	.611	20	20	20		s	$a^4F_{23} - x^2D_{23}^0$	2028.434	.427		5	1		s	$b^4F_{23} - w^4F_{23}^0$		
1724.847	.853	8	8	—			$a^4F_{13} - x^2D_{23}^0$	2029.838	.839		8	2			$a^2G_{43} - y^2G_{33}^0$		
1724.963	.962	8	1	—			$a^4F_{13} - x^2D_{23}^0$	2033.064	.060		25	25			$a^2G_{33} - x^2H_{43}^0$		
1726.394	.391	12	8	—		s	$a^4F_{13} - x^2D_{23}^0$	2035.118	.091		1	—			$b^4F_{13} - w^4F_{13}^0$		
1731.364	.337	1	1	—			$a^4F_{13} - y^4P_{23}^0$	2037.093	.089		20	25		s	$a^2D_{23} - y^2F_{43}^0?$		
1749.136	.120	1	—	—			$a^2G_{43} - w^2H_{53}^0$	2038.506	.429		0	—			$a^4P_{13} - y^4D_{13}^0?$		
1764.118	.117	1	—	—			$a^2G_{43} - x^2F_{23}^0$	2040.164	.119		2	m			$a^4P_{13} - y^4D_{13}^0?$		
1765.325	.320	0	—	—			$a^2G_{33} - x^2F_{23}^0$	2041.345	.346		25	35			$a^2P_{13} - y^2D_{23}^0$		
1772.518	.512	15	20	—			$a^2G_{43} - x^2H_{43}^0$	2049.152	.146		5	1			$a^2H_{43} - y^2F_{43}^0$		
1776.661	.649	1	—	—			$a^2G_{43} - x^2H_{43}^0$	2051.688	.689		25	30			$a^2P_{23} - y^2G_{33}^0$		
1781.529	.508	40	1	—			$a^4P_{23} - y^2F_{33}^0?$	2055.931	.922		20	20		s	$a^2P_{13} - y^2D_{23}^0$		
1785.262		1	30	—			$a^6S_{23} - x^6P_{33}^0$	2057.993	.988		12	2			$a^4P_{23} - y^4F_{43}^0$		
1786.448	.437	40	30	—			$a^4P_{13} - y^2F_{33}^0?$	2058.762	.826		0	—			$a^4P_{13} - y^4F_{13}^0?$		
1786.738		1	30	—			$a^6S_{23} - x^6P_{23}^0$	2062.747p	.774		0	—			$a^4P_{13} - y^4F_{23}^0$		
1787.997p		35	25	—			$a^6S_{23} - x^6P_{13}^0$	2064.335	.336		25hb	20			$a^2G_{43} - x^2F_{43}^0$		
1793.371	.366	10	20	—			$a^6S_{23} - x^6P_{13}^0$	2066.668	.666		15	8			$a^2G_{43} - x^2F_{43}^0$		
1815.406	.411	0	1	—			$a^6S_{23} - x^6P_{13}^0$	2068.580	.575		20	20			$a^2D_{13} - y^2F_{23}^0$		
1818.509	.516	2	1	—		s	$a^2G_{33} - x^2H_{43}^0$	2070.616	.615		10b	1			$a^2F_{23} - w^2F_{23}^0$		
1822.150	.120	1	—	0h			$a^2D_{23} - w^2F_{33}^0$	2070.994	.994		8	2		s	$a^2F_{33} - w^2F_{23}^0$		
1823.888	.869	1	1	—			$a^4D_{23} - x^4D_{23}^0$	2072.485	.449		10	2			$a^2P_{13} - x^4F_{13}^0$		
1826.991	.994	1	1	—			$a^4D_{13} - x^4D_{13}^0$		.468			—			$a^4P_{23} - y^4D_{33}^0$		
1831.261	.263	1	1	—			$a^2P_{13} - y^2P_{13}^0$	2074.860	.850		8b	2			$a^2G_{43} - y^4G_{33}^0$		
1831.724	.751	1	1	—			$a^2P_{13} - y^2P_{13}^0$	2076.348	.340		5	1		s	$a^2P_{13} - x^2F_{43}^0$		
1833.071	.073	0	—	—			$a^2P_{13} - y^2P_{13}^0$	2078.829	.824		8	5			$a^2G_{43} - y^4G_{43}^0$		
1835.869	.872	15	10	—			$a^4D_{33} - y^4D_{23}^0$	2080.912	.902		20	20			$a^2G_{33} - x^2F_{33}^0$		
1841.701	.687	10h	1	—			$a^4D_{13} - y^4D_{23}^0$	2084.178	.178		0b	10b			$a^2F_{23} - w^2F_{23}^0$		
1842.256	.238	12	2	—			$a^2G_{43} - x^2G_{43}^0$	2088.939	.940		0	—			$a^2G_{33} - x^2F_{33}^0$		
1846.581	.574	0	—	—			$a^4D_{23} - x^4D_{23}^0$	2088.194	.205		25	25			$a^2P_{13} - x^2S_{13}^0$		
1848.768	.771	12	2	—			$a^2G_{33} - x^2G_{33}^0$	2095.310	.294		1	1			$a^2P_{13} - x^2F_{13}^0$		
1851.517	.526	10	10	—			$a^2G_{33} - x^2G_{33}^0$	2095.654	.640		2	1			$a^2G_{33} - y^4G_{33}^0$		
1859.744	.744	15	10	—			$a^2D_{23} - x^2D_{23}^0$	2097.659	.686		0b	0b			$a^2P_{13} - x^2G_{23}^0$		
1860.040	.052	20	20	—			$a^2D_{23} - x^2D_{23}^0$	2098.181	.175		25b	25b			$a^2G_{33} - y^4G_{33}^0$		
1874.931	.970	0	—	—			$a^4D_{13} - y^4D_{23}^0$	2101.633	.673		5h	5			$a^2H_{53} - x^2H_{43}^0$		
1876.173	.212	8h	—	—			$a^4D_{13} - y^4D_{23}^0$	2102.363	.368		1	—		s	$b^2P_{13} - x^2D_{13}^0$		
1876.835	.836	15	10	—			$a^4D_{13} - y^4D_{23}^0$	2108.226	.222		10	10			$b^2H_{53} - w^2H_{53}^0$		
1877.462	.470	20	20	—			$a^2D_{13} - x^2D_{23}^0$	2108.529	.461		1	—			$b^2P_{13} - x^2D_{13}^0$		

TABLE VII.—Continued.

λ VAC		INTENSITIES			st	IDENTIFICATION	λ VAC		INTENSITIES			st	IDENTIFICATION
OBS	CALC	Ne S.T.	He S.T.	SPARK			OBS	CALC	Ne S.T.	He S.T.	SPARK		
2123.126	.124		0b	—		2211.643	.607		5	—		$a^2H_{63} - z^2H_{41}^0$	
2130.934	.926		15	5	s	2211.803	.784		5	1		$a^2D_{13} - x^4F_{21}^0?$	
2133.213	.208		2	—		2214.371	.342		20	25		$b^2G_{43} - w^2F_{31}^0$	
2134.666	.685		8b	1h		2214.751	.409		20	10h		$a^2H_{63} - y^4H_{41}^0$	
2135.268	.245		2	—		2215.786			10	2h		$a^2H_{63} - y^4H_{41}^0$	
	.292					2216.420			4	1h		$a^2H_{63} - y^4H_{41}^0$	
2138.412	.419		15b	0		2218.982			30	10h		$z^6D_{31}^0 - 32_{23}$	
2138.780	.723		20	0		2220.582	.584		20	15		$z^6D_{31}^0 - 33_{13}$	
2140.353	.311		25b	1		2221.081	.072		25	25		$z^6D_{31}^0 - 34_{13}$	
2141.289	.252		1	—		2222.373			6	—		$z^6D_{31}^0 - 31_{13}$	
2146.736	.720		10b	2b		2224.886			8	—		$a^2H_{63} - y^4H_{41}^0$	
2147.049	.041		1	1		2224.886			8	—		$a^2H_{63} - y^4H_{41}^0$	
2148.398	.373		15	20		2226.171			45	—		$a^2H_{63} - y^4H_{41}^0$	
2151.297	.294		20b	25		2228.388			35	—		$a^2H_{63} - z^2H_{41}^0$	
2151.441	.443		10	1		2229.456			2	—		$z^6D_{31}^0 - 34_{13}$	
2151.774	.765		25	8	s	2229.456			2	—		$z^6D_{31}^0 - 33_{13}$	
2153.053	.044		12	10	s	2232.208			10	—		$z^6D_{31}^0 - 32_{23}$	
2154.554	.578		12	10	s	2232.208			10	—		$z^6D_{31}^0 - 32_{23}$	
2156.519	.542		12	1	s	2238.283			20	—		$z^6D_{31}^0 - e^6F_{31}$	
2159.199	.198		25	—		2239.752			25	—		$z^6D_{31}^0 - e^6F_{31}$	
2159.833	.835		10b	—		2242.132			26	—		$z^6D_{31}^0 - e^6F_{31}$	
2161.453	.470		12	—		2244.886			8	—		$z^6D_{31}^0 - e^6F_{31}$	
2161.842	.836		15b	15b		2246.171			45	—		$z^6D_{31}^0 - e^6F_{31}$	
	.862					2248.388			35	—		$z^6D_{31}^0 - e^6F_{31}$	
2161.994	1.942		20b	—		2249.754			30	—		$z^6D_{31}^0 - e^6F_{31}$	
	2.084											$z^6D_{31}^0 - e^6F_{31}$	
2162.263	.218		20	—		2249.891			25	—		$z^6D_{31}^0 - e^6F_{31}$	
2162.704	.702		20	30								$z^6D_{31}^0 - e^6F_{31}$	
2164.052	3.996		20	—		2252.531			80	—		$z^6D_{31}^0 - e^6F_{31}$	
2165.021	4.990		20	20		2254.766			8	—		$z^6D_{31}^0 - e^6F_{31}$	
2165.240	.216		25	1		2256.369			50	—		$z^6D_{31}^0 - e^6F_{31}$	
	.288					2257.576			25	—		$z^6D_{31}^0 - e^6F_{31}$	
2168.084	.105		12	1		2258.468			25	—		$z^6D_{31}^0 - e^6F_{31}$	
2168.563	.550		12	10	s	2375.906			10	—		$a^4F_{13} - z^2D_{13}$	
2169.608	.591		8	1								$z^6F_{31} - 36_{23}$	
2170.114	.178		10	—		2379.264			0	—		$z^6F_{31} - 35_{23}$	
2170.633	.662		12	—		2403.182			8	—		$z^6F_{31} - 31_{13}$	
2170.876	.854		5	—		2403.355			6	—		$a^4F_{13} - z^2D_{13}$	
	.920											$z^6F_{31} - 35_{23}$	
2172.233	.247		1	—		2416.708			0	—		$z^6F_{31} - 30_{23}$	
2172.739	.726		1	—		2429.708			6	—		$z^6F_{31} - 32_{23}$	
2173.363	.352		8	—		2429.886			10	—		$z^6F_{31} - 32_{23}$	
2173.673	.661		15	8		2431.614			10	—		$z^6F_{31} - e^6F_{13}$	
2173.904	.943		20b	0		2431.974			3	—		$z^6F_{31} - e^6F_{13}$	
2175.533	.531		8	10		2433.789			1	—		$z^6F_{31} - 36_{23}$	
2176.129	.131		25	30		2434.791			15	—		$z^6F_{31} - e^6F_{23}$	
2176.708	.789		1	—		2434.968			20	—		$z^6F_{31} - 31_{13}$	
2177.048	.002		5h	—		2435.561			5	—		$z^6F_{31} - e^6F_{13}$	
2177.510	.470		20	—		2435.727			25	—		$z^6F_{31} - 30_{23}$	
2177.709	.711		10	5		2437.354			20	—		$z^6F_{31} - 35_{23}$	
2180.940	.944		12	—		2437.726			10	—		$z^6F_{31} - e^6F_{31}$	
2181.555	.610		12	—		2437.839			5	—		$z^6F_{31} - e^6F_{13}$	
2181.822	.904		8	—		2438.372			20	—		$z^6F_{31} - e^6F_{13}$	
2182.092	.034		5b	—		2440.600			8	—		$z^6F_{31} - e^6F_{23}$	
2183.987	.940		12	—		2444.583			15b	—		$z^6F_{31} - e^6F_{23}$	
2184.154	.201		8	—		2445.015			10	—		$z^6F_{31} - e^6F_{31}$	
2184.489	.472		10h	—		2445.855			40	—		$z^6F_{31} - e^6F_{31}$	
2186.308	.268		8h	—		2447.147			25	—		$z^6F_{31} - e^6F_{31}$	
2188.131	.117		12	2		2450.876			5	—		$z^6F_{31} - e^6F_{31}$	
2188.365	.367		10	2		2454.490			15	—		$z^6F_{31} - e^6F_{43}$	
2188.555	.540		15	1		2454.678			25	—		$z^6F_{31} - e^6F_{63}$	
2189.512	.503		1	—		2456.635			10	—		$z^6P_{13}^0 - 36_{23}$	
2192.622			10	5h		2459.270			1	—		$z^6P_{31}^0 - e^6F_{23}$	
2193.362	.373		5	—		2464.645			5	—		$z^6P_{31}^0 - 32_{23}$	
2197.961	.947		5h	—	s	2468.478			6b	—		$z^6P_{13}^0 - 34_{13}$	
2199.349			4	2h		2470.459			8	—		$z^6P_{31}^0 - e^6F_{31}$	
2202.284			5	5h		2477.185			0	—		$z^6P_{13}^0 - 33_{13}$	
2206.843			8	15h		2480.134			3	—		$z^6P_{31}^0 - e^6F_{43}$	
2207.272	.277		2	1		2486.245			0	—		$z^6P_{31}^0 - e^6F_{13}$	
	.278					2488.107			5b	—		$z^6P_{13}^0 - 32_{23}$	
2209.110			30	15h		2495.645			2	—		$z^6P_{23}^0 - e^6F_{23}$	
2209.740			20	10h									

neighborhood of 106,000 wave numbers. The unclassified odd levels tentatively marked  ${}^6D$  are in about the proper place.

The use of Dobbie's three even  ${}^6D$  levels as part of  $e^6F$  seems amply justified by the intensity diagram given below in Table VI. His  $e^6P_{31}$  has

been given a number in place of its name because the  $z^6D_{21}^0 - e^6P_{31}$  line is definitely not present on my plates. Since  $z^6D_{41}^0 - e^6P_{31}$  and  $z^6D_{31}^0 - e^6P_{31}$  are both of intensity 30, it is highly probable that it would appear if it existed. The assignment of  $J=2\frac{1}{2}$  instead of  $J=1\frac{1}{2}$  to level 36 ( ${}^6P_{13}$ ) depends

TABLE VIII, *Terms of Fe III.*

CONFIGURATION	DESIG.	LEVEL	APPROX. LEVEL	INTERVALS	NO. OF COMB.	CONFIGURATION	DESIG.	LEVEL	APPROX. LEVEL	INTERVALS	NO. OF COMB.		
$3d^6$	$a^6D_4$	0.0			2	$3d^5(^6S)4p$	$z^6P_3^0$	89083.6			4		
	$a^6D_3$	436.1		-436.1	2		$z^6P_2^0$	89333.3			-249.7	4	
	$a^6D_2$	738.1		-302.0	3		$z^6P_1^0$	89489.3			-156.0	4	
	$a^6D_1$	931.5		-193.4	2		$3d^5(^4G)4p$	$z^6G_3^0$	113584.5				2
	$a^6D_0$	1027.3		-95.8	1			$z^6G_2^0$	113603.9			+19.4	2
$3d^5(^6S)4s$	$a^6S_2$	40998.7			3	$z^6G_1^0$	113633.7			+29.8	3		
$3d^5(^4G)4s$	$a^6G_6$	63423.1			5	$z^6G_0^0$	113675.4			+41.7	2		
	$a^6G_5$	63464.4		-41.3	6	$z^6G_6^0$	113737.9			+62.5	1		
	$a^6G_4$	63484.9		-20.5	7	$3d^5(^4G)4p$	$z^6H_3^0$	114949.2				1	
	$a^6G_3$	63492.3		-7.4	6		$z^6H_2^0$	115109.9			+160.7	2	
	$a^6G_2$	63494.5		-2.2	2		$z^6H_1^0$	115288.7			+178.8	2	
$3d^5(^4P)4s$	$a^6P_3$	66463.5			2	$z^6H_0^0$	115472.8			+184.1	2		
	$a^6P_2$	66521.7		-58.2	1	$z^6H_7^0$	115640.7			+167.9	1		
	$a^6P_1$	66590.5		-68.8	0	$3d^5(^4G)4p$	$z^6F_6^0$	116315.6				5	
$3d^5(^4D)4s$	$b^6D_4$	69694.4			2		$z^6F_4^0$	116466.2			-150.6	6	
	$b^6D_3$	69835.6		-141.2	2		$z^6F_3^0$	116474.2			-8.0	5	
	$b^6D_2$	69836.8		-1.2	0	$3d^5(^6S)4s$	$a^7S_3$	0.0	30000			3	
	$b^6D_1$	69786.5		+50.3	0		$3d^5(^6S)4p$	$z^7P_2^0$	51912.8			+332.3	1
	$b^6D_0$	69746.3		+40.2	0			$z^7P_3^0$	52245.1			+512.3	1
						$z^7P_4^0$	52757.4	83000			1		

only upon the identification of the line  $\lambda 2375.906$  as  $z^6F_{3\frac{1}{2}}^0 - 36_{2\frac{1}{2}}$ . Since this line is also assigned to the transition  $a^4F_{1\frac{1}{2}} - z^4D_{\frac{1}{2}}^0$ , the evidence is inconclusive.

It is very surprising that a long search has failed to uncover the third member of the  $d^6s^6D$  series. Its position can be predicted fairly accurately, and the analogous transitions in Mn II and Cu II give strong lines. I am, therefore, unable to improve the present value of the ionization potential,<sup>8</sup> 16.16 volts.

A list of identified lines of Fe II is given in Table VII. The list is complete for wave-lengths less than  $\lambda 2220.582$  but beyond this only those lines are given which are of interest in connection with new levels and new assignments of high even terms. The first column contains the wave-length of the line in vacuum. When poorly determined, it is followed by a small "p." If the wave-length of a line below  $\lambda 2225$  can be calculated by means of the combination principle from measures made above  $\lambda 2300$ , the calculated decimal

is given in the second column. Dobbie's<sup>9</sup> level values were used for the calculations. The next three columns give the intensity as observed in the neon Schüller tube, the helium Schüller tube, and the spark. If the line occurs in a region of the plate which has not been measured, the space for the intensity is left blank. A dash in the intensity column means that the region was measured but the line was not present; "m" means that the line is masked; "h" that it is somewhat hazy; "b" that it is a blend. The great increase in the intensity of the spectrum in the neon relative to the helium Schüller tube in the neighborhood of  $\lambda 930$  is readily apparent from a glance at the first part of the list. This region is within 4000 wave numbers of the limit of excitation of Fe II by collisions of the second kind with neon atoms in the normal state of the ion. The next column of the table contains "s" if the line is regarded as especially suitable as a standard. The final column gives the identification, followed by a question mark if uncertain. All wave-

<sup>8</sup> J. C. Dobbie, Phys. Rev. 45, 76 (1934).

<sup>9</sup> J. C. Dobbie, *Annals of the Solar Physics Observatory, Cambridge* (Cambridge University Press, 1938), Vol. V, Part I.

TABLE IX. Identified Fe III lines.

WAVE-LENGTH	INT.	IDENTIFICATION	WAVE-LENGTH	INT.	IDENTIFICATION	WAVE-LENGTH	INT.	IDENTIFICATION
859.737	15	$a^5D_4-z^5F_6^0$	1892.865	1	$a^5G_4-z^5F_6^0$	1994.355 <i>p</i>	1 <i>h</i>	$a^5G_3-z^5G_4^0$
1122.551	25 <i>h</i>	$a^5D_4-z^5P_3^0$	1895.448	40	$a^7S_3-z^7P_4^0$	1995.249	15	$a^5G_4-z^5G_3^0$
1124.885	25	$a^5D_3-z^5P_2^0$	1914.036	50	$a^7S_3-z^7P_3^0$	1995.549	25	$a^5G_3-z^5G_3^0$
1126.747	8	$a^5D_2-z^5P_1^0$	1915.062	30	$a^5G_6-z^5H_7^0$	1996.408	25*	$a^5G_2-z^5G_2^0$
1128.074	25 <i>b</i>	$a^5D_3-z^5P_3^0$	1921.182	0	$a^5G_6-z^5H_6^0$			$a^5G_3-z^5G_2^0$
1128.733	20	$a^5D_2-z^5P_2^0$	1922.766	30	$a^5G_5-z^5H_6^0$	1999.570	25	$a^5D_3-z^5F_3^0$
1129.205	20	$a^5D_1-z^5P_1^0$	1926.284	40	$a^7S_3-z^7P_2^0$	1999.872	1	$a^5P_3-z^5F_4^0$
1130.428	25 <i>b</i>	$a^5D_0-z^5P_1^0$	1929.586	1	$a^5G_6-z^5H_5^0$	2001.904	5	$a^5P_2-z^5F_3^0$
1131.206	10	$a^5D_1-z^5P_2^0$	1930.361	30	$a^5G_4-z^5H_6^0$	2062.203	35	$a^5S_2-z^5P_3^0$
1131.914	8 <i>h</i>	$a^5D_2-z^5P_3^0$	1937.054	1	$a^5G_4-z^5H_4^0$	2068.899	40	$a^5S_2-z^5P_2^0$
1886.733	25	$a^5G_5-z^5F_4^0$	1937.322	30	$a^5G_3-z^5H_4^0$	2079.642	50	$a^5S_2-z^5P_3^0$
1887.174	10	$a^5G_4-z^5F_3^0$	1943.458	30	$a^5G_2-z^5H_3^0$	2138.038	1	$b^5D_4-z^5F_4^0$
1887.451	8	$a^5G_4-z^5F_4^0$	1987.486	35	$a^5G_5-z^5G_6^0$	2144.151	2	$b^5D_3-z^5F_3^0$
		$a^5G_3-z^5F_3^0$	1989.957	15	$a^5G_6-z^5G_6^0$	2144.504	0	$b^5D_3-z^5F_4^0$
1887.718	2	$a^5G_3-z^5F_4^0$	1991.595	30	$a^5G_5-z^5G_5^0$	2144.960	2	$b^5D_4-z^5F_5^0$
1890.644	30	$a^5G_6-z^5F_5^0$	1993.251	15	$a^5G_5-z^5G_4^0$			
1892.068	5	$a^5G_5-z^5F_6^0$	1994.064	25	$a^5G_4-z^5G_4^0$			

\* Measured as double in the Schüller tube.

lengths and intensities in the He Schüller tube are taken from one plate except for lines of wave-length longer than  $\lambda 2190$  arising from transitions between high and middle levels.

### Fe III

The known terms of Fe III are collected in Table VIII. The  $a^5D$ ,  $a^7S$  and  $a^5S$ , and  $z^7P^0$  and  $z^5P^0$  were found by Bowen.<sup>10</sup> The  $a^5P$  and  $b^5D$  were found by Swings and Edlén.<sup>11</sup> A search for the multiplet  $a^7S-z^5P^0$  has been unsuccessful, and the septet and quintet systems remain unconnected. In the third column of the table the position of  $z^7P^0$  is therefore given with reference to  $a^7S$  as zero. An estimate of the probable position of  $a^5G$  and  $a^5S$  relative to  $a^7S$  can be obtained from a plot of the corresponding differences in Cr I and Mn II since the major portion of the change from one spectrum to another along an isoelectronic sequence is linear with atomic number. It is found that  $a^5S$  would be expected to be about 11,000 wave numbers above  $a^7S$  and  $a^5G$  about 34,000 wave numbers above  $a^7S$ . The fourth column of the table gives

estimated term values for the septets with reference to  $a^5D$  as zero. Column six contains the number of times each of the various levels were used in identifying the lines of Table IX.

Table IX contains a list of the identified Fe III lines below  $\lambda 2200$ . Column one gives the wave-length. When this is poorly determined, it is followed by a small "*p*." Column two contains the intensity and column three the identification.

If the line is hazy or a blend, the intensity is followed by "*h*" or "*b*," respectively. The  $a^5D_4-z^5F_5^0$  line and the  $a^5D-z^5P^0$  multiplet were taken from a Schüller tube plate, the remainder of the lines from a plate of the spark in nitrogen.

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<sup>10</sup> I. S. Bowen, Phys. Rev. 52, 1153 (1937).

<sup>11</sup> P. Swings and B. Edlén, Astrophys. J. 88, 618 (1938).