

with the fact that their average between particles in very different states (different shells) is relatively small. The coupling between unlike particles in different shells is then expected to be weak compared to the like-particle interaction within a shell, giving ($L_\pi L_\nu S_\pi S_\nu$) coupling. Since two-thirds of the known μ_I correspond to neutron excess greater than ten, one may tentatively ascribe the observed regularity to this effect. The frequent occurrence of negative spin-orbit coupling (making $I=L-\frac{1}{2}$) is also plausibly ascribed to a remnant of shell structure in actual nuclei.

V

Since the Hartree model has more meaning for the lighter nuclei,^{10a} its shell structure might be expected to make the moments of a few light nuclei much simpler than the more general case considered above. The nucleus ${}_{19}\text{K}^{39}$ seems to be quite simple. Its position on Fig. 1 ($I=3/2$, $\mu_I=0.36$) indicates that it has the sign of spin-orbit coupling⁴ corresponding to an almost-closed shell. This is explicable on the basis of a zero-order (fictitious!) potential^{10a} somewhat narrower toward the bottom than a harmonic oscil-

lator potential (as is reasonable for so light a nucleus), making¹⁴ the order of single-particle states $1s, 2p, 2s, 3d, 3p$. We have then the configuration $(3d^9 {}^2D)_\pi(3d^{10} {}^1S)_\nu, {}^2D_{3/2}$. The two additional neutrons in the isotopic nucleus ${}_{19}\text{K}^{41}$ would be $3p^2$ with 1S_0 lowest,^{5a} leaving the ground state unaltered except for the admixture of new higher states. The lowest of these admixed states is $({}^2D)_\pi(3p^2 {}^1D)_\nu, {}^2D_{3/2}$, which would reduce g_L (by polluting L with neutrons) and hence would reduce the total magnetic moment, as is observed: for ${}_{19}\text{K}^{41}$ one has $\mu_I=0.20$. (It would also reduce the doublet splitting slightly, but this has not yet been observed.) The other new state of interest is $({}^2D)_\pi(3p^2 {}^3P)_\nu, {}^2D_{3/2}$, which would tend to increase μ_I , but only slightly since it is quite high and is only admixed by unlike-particle spin coupling. It may be regretted that the interesting isotopic pairs Cu, Re, and Tl, each having $\mu_I \sim (\text{mass})$ quite exactly,¹⁵ may not be treated so simply.

Discussion with Dr. Feenberg has been appreciated.

¹⁴ Compare the term orders for square, parabolic (reference 2(d), page 173) and Coulomb potentials.

¹⁵ Schüler and Korsching, *Zeits. f. Physik* **105**, 168, 495 (1937).

The First Spark Spectrum of Manganese

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The analysis of the Mn II spectrum has been extended to include a classification of over seven hundred lines arising from combinations between terms belonging to the quintet and septet systems. From four members of the $3d^5({}^6S)nf^2$ series an ionization potential of 126,147 wave numbers has been calculated by means of a Ritz formula. Pictures have been taken and measurements made covering the range from approximately 800Å to 6000Å. A hollow cathode discharge was used as a source, with each of the three gases, helium, argon and neon, as conducting media.

HISTORY

IT was in the manganese spectra, arc and first spark, that Catalan first noted groups of lines of a more complicated structure than could be attributed to triplet-triplet combinations.¹

Among the enhanced lines he called attention to the groups which were later identified independently by Russell² and by Black and Duffendack³ as being $3d^5 4s {}^7S - 3d^5 4p {}^7P$, $3d^5 4s {}^5S - 3d^5 4p {}^5P$, $3d^6 {}^5D - 3d^5 4p {}^5P$ and $3d^5 4p {}^7P - 3d^5 4d {}^7D$, all based on the 6S ion. Intersystem lines were found

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¹ Catalan, *Phil. Trans. Roy. Soc.* **A223**, 127 (1922).

² Russell, *Astrophys. J.* **66**, 233 (1927).

³ Black and Duffendack, *Science* **66**, 402 (1927).

connecting the septet and quintet systems. Russell added the second member of the 7S series, and Catalan⁴ later located the corresponding 5S . This completed the analysis as far as it had been carried until the present investigation was undertaken.

APPARATUS AND OBSERVATIONS

A Schuler tube, similar in design to that used by A. G. Shenstone for the production of the Cu II spectrum⁵ has proved quite satisfactory as a source for the manganese ion. The lines obtained are extremely sharp. The degree of excitation of the once ionized atom can be controlled to a considerable extent by the use of different noble gases; and, provided helium or neon is used, lines originating in high energy levels, which are either extremely diffuse or absent entirely in the spark, are here present with considerable intensity.

Since helium alone of the noble gases has an ionization potential sufficient to excite the complete Mn II spectrum, it was used to cover the complete range of wave-lengths from 800A to 6200A. Pictures of certain regions were also taken with argon and with neon in the tube, and wherever feasible, arc and spark pictures were also obtained.

In the region above 2250A the Princeton 21-foot concave grating (ruled by Professor R. W. Wood) was used. For wave-lengths between 2000A and 2400A only the strongest lines were obtainable with reasonable exposures with this grating, so supplementary measurements were made from plates taken on an Hilger E1 quartz prism instrument. Through the kindness of Professor J. C. Boyce, the author was permitted to use the two-meter normal incidence vacuum spectrograph of the Carnegie Institution of Washington, which is located in the Spectroscopy Laboratory of the Massachusetts Institute of Technology.⁶ The plates taken with this spectrograph extended the observations to about 800A. Later the vacuum region was retaken on the two meter spectrograph at Princeton with neon and argon in the tube instead of helium.

⁴ Catalan, An. Soc. Espan. 26, 67 (1928).

⁵ Shenstone, Phil. Trans. Roy. Soc. 235, 195 (1936).

⁶ Compton and Boyce, Rev. Sci. Inst. 5, 218 (1934).

THE ANALYSIS

Positions of the low configurations

To the closed shell completed in argon, one must add six electrons to obtain the structure of once-ionized manganese. The possible low electron configurations are thus $3d^6$, $3d^54s$, and $3d^44s^2$. Series limits of Mn I determine the relative positions of the high multiplicity terms of $3d^6$ and $3d^54s$ —the former limit being predicted higher by about 14,300 wave numbers.² From the height of $3d^44s$ above $3d^5$ in Mn III,⁷ and from homologous terms of the neighboring first spark spectra, the $3d^44s^2$ configuration should be found rather high in the spectrum—between 55,000 and 60,000 wave numbers above the normal state. The positions (centers of gravity) of the lowest terms of these configurations are actually

$$\begin{aligned} 3d^54s \quad {}^7S &= 0 \\ 3d^6 \quad {}^5D &= 14550 \\ 3d^44s^2 \quad {}^5D &= 55364. \end{aligned}$$

Details of the configurations

$3d^54s$.—Consider the possible terms in the doubly ionized atom which form limits of the first spark spectrum. Because of Pauli's exclusion principle, $3d^5$ can give rise to only one sextet, 6S , but there are many allowable quartet terms.

Upon the addition of a $4s$ electron one obtains ${}^7, {}^5S$ from the sextet, the septet being the normal state. Based upon each quartet are metastable quintet and triplet terms. The arc spectra of Mn and Cr indicate that the lowest of these should be 5G , 5P , and 5D . These have been located in Mn II and their term values (centers of gravity) compare with the corresponding terms of Mn I and Cr I as follows:

$3d^54s$	Mn II	$3d^54s^2$	Mn I	$3d^54s$	Cr I
5G	27571.3	4G	25278.4	5G	20521.3
5P	29911.6	4P	27230.4	5P	21846.3
5D	32828.3	4D	30397.0	5D	24292.1

The remaining quintet term of this configuration is 5F . This has not been found, probably because of its weak inter-limit combinations.

$3d^6$ and $3d^44s^2$.—The only quintet terms possible from these configurations are the 5D terms previously mentioned.

⁷ Gilroy, Phys. Rev. 38, 2217 (1931).

$3d^54p$.—The expected ${}^7, {}^5P$ terms, based upon 6S , are those found earlier by other investigators.

Associated with each of the even terms 5G , 5P , and 5D should be a triad of odd ones. It is thought that all of these nine terms have been located; however, there is some doubt as to whether those assigned to $3d^5({}^4P)4p {}^5D$ and 5S have been correctly named. The assignment is here made difficult because these levels undoubtedly mix characteristics with those of $3d^5(4G)4p {}^5F$. All three terms occur quite close together and are the only terms that have been found which show strong transitions which involve a change in L other than ± 1 or 0. The z^5F combines with a^5P , and the terms designated as z^5S and z^5D both combine with 5G terms. Of the levels with the same j values in the three terms, the ones with the lowest j values are closest together. One might then expect that the transfer of characteristics would be greatest in these cases. This is borne out by the fact that the strongest combinations in the anomalous multiplets are between levels of low j values, while the intensities in the proper multiplets drop off more rapidly than might ordinarily be expected. The intensities of the lines in the a^5P-z^5D and a^5P-z^5S multiplets are not at all what would be predicted by theory. However, if one calculates the sums of the intensities for these two multiplets and compares them with the sums of the actual intensities of the lines to the a^5P term the agreement is quite good considering that only visual estimates of the lines have been made.

$3d^44sp$.—This configuration should give rise to a septet and a quintet triad based on 6D and a quintet and triplet triad based on 4D . Terms w^5F and w^5D have been allotted to the 4D ion structure. Probably either w^5P or v^5P is the remaining member of this triad. It is suggested that the x^5P belongs to the group based on the sextet term. The separations of its levels are comparatively large as one would expect, and it falls in the right region. However, it exhibits two rather peculiar features. Its combinations with the b^5D are extremely weak and it shows marked enhancements when helium is used in the Schuler tube. Such enhancements do not occur with neighboring terms and cannot be explained as due to a metastable state of helium. Unfortu-

nately, the normal state is the only low state with which septets may combine without inter-system combinations. Thus one would expect only the 7P to be apparent. z^7P has been tentatively assigned to this configuration instead of $5p^7P$ since the latter shows combinations with $7s^7S$. Either assignment indicates a perturbation.

$3d^54d$.—The ${}^7, {}^5D$ based on 6S are known, and 5I and 5H based on 4G have been found.

Series members and ionization potential

Certain higher members of the low terms discussed in the foregoing paragraphs have been found. These are listed below.

Configuration	Term	Total quantum number of excited electron.
$3d^5({}^6S)ns$	7S	$n=4, 5, 6, 7, 8, 9, 10.$
$3d^5({}^6S)ns$	5S	$n=4, 5, 6, 7, 8.$
$3d^5({}^6S)np$	7P	$n=4, 5.$
$3d^5({}^6S)np$	5P	$n=4, 5.$
$3d^5({}^6S)nd$	7D	$n=4, 5, 6, 7.$
$3d^5({}^6S)nd$	5D	$n=4, 5, 7.$
$3d^5({}^6S)nf$	7F	$n=4, 5, 6, 7.$
$3d^5({}^6S)nf$	5F	$n=4, 5, 6, 7, 8.$
$3d^5({}^4G)ns$	5G	$n=4, 5.$

The levels of the fourth member of the nd^5D series are slightly perturbed but otherwise show the correct characteristics for this assignment. $6f^5F$ is also slightly perturbed by t^5F .

The best value of the ionization potential can be obtained from the nf^7F series. These terms are fixed by combinations with $4d^7D$, which in turn depends upon $4p^7P$. All of the lines used to place these levels occur in the region above 2400A where the measurements are most reliable. The series shows no perturbations and the last member is within 9000 wave numbers of the limit. A Ritz formula adequately represents the series and gives an ionization potential of 126,147 wave numbers. This value is substantiated by a value of 126,148 obtained from the last five members of the ns^7S series.

TERM VALUES

In Table I the values of the terms are listed. Their absolute values are given with respect to the normal state, $4s^7S$. Although the levels belonging to configurations $3d^54s$ and $3d^54p$ and based on quartet ion structures are consistent among themselves to within a few hundredths of a wave number, their absolute values with

TABLE I. Absolute term values in the first spark spectrum of manganese with respect to the normal state. Column 1, discoverer (R, Russell; D, Duffendack and Black; C, Catalan; A, Curtis). Column 2, electron configuration. Column 3, term designation. Column 4, term value.

1	2	3	4	1	2	3	4	1	2	3	4
Even Terms				Even Terms				Odd Terms			
C, R, D	$3d^5(^6S)4s$	$4s^7S_3$	0.00	A	$3d^5(^6S)9s$	$9s^7S_3$	117031.1	A	$3d^44s(^4D)4p$	w^8F_5	106893.8
"	$3d^5(^6S)4s$	$4s^5S_2$	9472.86	"	$3d^5(^6S)10s$	$10s^7S_3$	119185.6	"	$3d^5(^6S)5f$	w^8P_3	107172.8
"	$3d^5$	$3d^5D_4$	14325.64	"	Odd Terms				"	$5f^7F_{6,5}$	108409.8
"	"	$3d^5D_3$	14593.62	C, R, D	$3d^5(^6S)4p$	$4p^7P_2$	38366.07	"	"	$5f^7F_4$	108410.1
"	"	$3d^5D_2$	14781.03	"	"	$4p^7P_3$	38542.96	"	"	$5f^7F_3$	108410.2
"	"	$3d^5D_1$	14901.06	"	"	$4p^7P_4$	38806.53	"	$3d^5(^6S)5f$	$5f^7F_2$	108410.3
"	"	$3d^5D_0$	14959.68	"	"	$4p^5P_3$	43370.37	"	"	$5f^7F_1$	108435.6
A	$3d^5(^6G)4s$	a^6G_6	27546.90*	"	$3d^5(^6S)4p$	$4p^5P_2$	43484.50	"	"	$5f^7F_4$	108437.2
"	"	a^6G_5	27570.95*	"	"	$4p^5P_3$	43484.50	"	"	$5f^7F_3$	108439.0
"	"	a^6G_4	27583.30*	"	"	$4p^5P_1$	43557.03	"	"	$5f^7F_5$	108441.4
"	"	a^6G_3	27588.23*	A	$3d^5(^6G)4p$	z^6G_2	64456.33*	"	"	$5f^7F_6$	108443.0
"	"	a^6G_2	27589.03*	"	"	z^6G_3	64473.13*	"	"	w^8G_3	108485.4
"	$3d^5(^4P)4s$	a^4P_3	29889.31*	"	"	z^6G_4	64493.83*	"	"	w^8G_2	108503.0
"	"	a^4P_2	29919.22*	"	"	z^6G_1	64518.57*	"	"	w^8G_4	108524.7
"	"	a^4P_1	29951.12*	"	"	z^6G_5	64549.72*	"	"	w^8G_5	108550.7
"	"	a^4D_4	32787.60*	"	"	z^6G_6	64549.72*	"	"	w^8G_6	108587.9
"	$3d^5(^4D)4s$	a^4D_3	32818.10*	"	$3d^5(^6G)4p$	z^6H_3	65482.66*	"	"	w^8P_1	108726.4
"	"	a^4D_2	32836.40*	"	"	z^6H_4	65565.68*	"	"	w^8P_2	108974.7
"	"	a^4D_1	32856.95*	"	"	z^6H_5	65658.30*	"	"	w^8F_1	108994.0
"	"	a^4D_0	32858.84*	"	"	z^6H_6	65754.61*	"	"	w^8F_2	109045.7
"	$3d^44s^2$	b^6D_0	54846.0	"	"	z^6H_7	65846.61*	"	"	w^8F_3	109122.4
"	"	b^6D_1	54938.1	"	$3d^5(^6G)4p$	z^6F_5	66542.26*	"	"	w^8D_0	109167.7
"	"	b^6D_2	55115.8	"	"	z^6F_4	66643.01*	"	"	w^8F_4	109221.1
"	"	b^6D_3	55371.3	"	"	z^6F_1	66644.78*	"	"	w^8D_1	109235.3
"	"	b^6D_4	55696.5	"	"	z^6F_2	66676.56*	"	"	w^8F_5	109327.1
R	$3d^5(^6S)5s$	$5s^7S_3$	74559.91	"	"	z^6F_3	66686.45*	"	"	w^8D_2	109343.7
C	$3d^5(^6S)5s$	$5s^5S_2$	76374.56	"	$3d^5(^4P)4p$	z^6D_1	66893.79*	"	"	w^8P_3	109378.9
C, R, D	$3d^5(^6S)4d$	$4d^7D_1$	79540.76	"	"	z^6D_2	66901.14*	"	"	w^8D_3	109476.3
"	"	$4d^7D_2$	79544.51	"	$3d^5(^4P)4p$	$z^6S_2?$	66929.22*	"	"	w^8D_4	109607.8
"	"	$4d^7D_3$	79550.28	"	"	z^6D_3	67008.93*	"	$3d^44s(^4D)4p$	w^8D_0	109958.0
"	"	$4d^7D_4$	79558.38	"	"	z^6D_4	67295.16*	"	"	w^8D_1	109994.3
"	"	$4d^7D_5$	79561.10	"	$3d^5(^4P)4p$	z^6P_3	68284.38*	"	"	w^8D_2	110068.5
A	$3d^5(^6S)4d$	$4d^5D_4$	82136.30	"	"	z^6P_2	68417.34*	"	"	w^8D_3	110204.9
"	"	$4d^5D_3$	82144.34	"	"	z^6P_1	68496.37*	"	"	w^8D_4	110428.7
"	"	$4d^5D_2$	82151.07	"	$3d^5(^4D)4p$	y^6F_1	70150.39*	"	"	w^8H_3	110547.5
"	"	$4d^5D_1$	82155.72	"	"	y^6F_2	70231.07*	"	"	w^8H_4	110602.0
"	"	$4d^5D_0$	82158.16	"	"	y^6F_3	70342.58*	"	"	w^8H_5	110692.2
"	$3d^5(^6S)6s$	$6s^7S_3$	97728.0	"	"	y^6F_4	70497.44*	"	"	w^8H_6	110795.0
"	$3d^5(^6S)6s$	$6s^5S_2$	98410.1	"	"	y^6F_5	70657.18*	"	"	w^8H_7	110926.0
"	$3d^5(^6S)5d$	$5d^7D_2$	99892.5	"	$3d^5(^4D)4p$	y^6P_1	71263.92*	"	"	w^8F_1	111017.5
"	"	$5d^7D_3$	99894.8	"	"	y^6P_2	71323.15*	"	"	w^8F_2	111060.5
"	"	$5d^7D_4$	99898.6	"	"	y^6P_3	71390.14*	"	"	w^8F_3	111115.4
"	"	$5d^7D_5$	99903.1	"	$3d^5(^4D)4p$	y^6D_4	72010.75*	"	"	w^8F_4	111159.2
"	"	$5d^7D_6$	100682.3	"	"	y^6D_3	72247.38*	"	"	w^8F_5	111160.5
"	"	$5d^6D_3$	100688.1	"	"	y^6D_2	72306.81*	"	"	w^8P_1	111162.3
"	"	$5d^6D_2$	100692.6	"	"	y^6D_1	72320.62*	"	"	w^8P_2	111178.8
"	"	$5d^6D_1$	100695.3	"	"	y^6D_0	72322.07*	"	"	w^8P_3	111212.8
"	$3d^5(^6G)5s$	a^6G_6	101467.58*	"	$3d^44s(^6D)4p?$	z^7P_2	83255.1	"	"	w^8G_3	113181.7
"	"	a^6G_5	101489.31*	"	"	z^7P_3	83375.0	"	"	w^8G_4	113250.8
"	"	a^6G_4	101499.03*	"	"	z^7P_4	83529.6	"	"	w^8G_5	113323.0
"	"	a^6G_3	101499.84*	"	$3d^5(^6S)5p?$	$5p^7P_2$	85895.1	"	"	w^8F_3	113641.4
"	"	a^6G_2	101501.30*	"	"	$5p^7P_3$	85960.6	"	"	w^8F_4	113645.0
"	"	a^6H_3	106157.4	"	"	$5p^7P_4$	86057.4	"	"	w^8F_5	113645.5
"	$3d^5(^6G)4d$	a^6H_4	106164.2	"	$3d^5(^6S)5p$	$5p^6P_3$	86897.7	"	"	w^8F_6	113646.7
"	"	a^6H_7	106167.7	"	"	$5p^6P_2$	86936.9	"	"	w^8F_7	113658.0
"	"	a^6H_5	106168.9	"	"	$5p^6P_1$	86960.8	"	"	$6f^7F_6$	113840.0
"	"	a^6H_6	106169.9	"	$3d^44s(^6D)4p?$	x^6P_1	88839.6	"	$3d^5(^6S)6f$	$6f^7F_5$	113840.1
"	$3d^5(^6G)4d$	a^6I_1	106508.1	"	"	x^6P_2	89078.9	"	"	$6f^7F_4$	113840.2
"	"	a^6I_4	106512.1	"	"	x^6P_3	89428.8	"	"	$6f^7F_3$	113840.3
"	"	a^6I_3	106519.1	"	$3d^5(^6S)4f$	$4f^7F_6$	98423.5	"	"	$6f^7F_2$	114024.5
"	"	a^6I_7	106519.8	"	"	$4f^7F_5$	98423.7	"	"	$6f^7F_1$	114025.5
"	"	a^6I_6	106522.5	"	"	$4f^7F_4$	98423.8	"	"	$6f^7F_5$	114026.4
"	$3d^5(^6S)7s$	$7s^7S_3$	108126.2	"	"	$4f^7F_3$	98424.0	"	"	$6f^7F_4$	114027.8
"	$3d^5(^6S)7s$	$7s^5S_2$	108447.6	"	"	$4f^7F_2$	98424.1	"	"	$7f^7F_6$	114026.9
"	$3d^5(^6S)6d$	$6d^7D_3$	109242.3	"	$3d^5(^6S)4f$	$4f^6F_1$	98461.76	"	"	$7f^7F_5$	117112.9
"	"	$6d^7D_4$	109244.4	"	"	$4f^6F_2$	98462.34	"	"	$7f^7F_4$	117113.0
"	"	$6d^7D_5$	109248.2	"	"	$4f^6F_3$	98463.16	"	"	$7f^7F_4, 3$	117113.1
"	"	$8s^7S_3$	113697.0	"	"	$4f^6F_4$	98464.14	"	"	$7f^7F_5$	117148.3
"	$3d^5(^6S)8s$	$8s^5S_2$	113895.2	"	"	$4f^6F_5$	98465.15	"	"	$7f^7F_4$	117137.8
"	$3d^5(^6S)7d$	$7d^7D$	114347.0	"	$3d^44s(^4D)4p$	w^8P_1	106265.3	"	"	s^6P_1	117164.7
"	"	$7d^5D_4$	114932.2	"	"	w^8P_2	106373.7	"	"	s^6P_2	117231.7
"	"	$7d^5D_3$	114943.9	"	"	w^8P_1	106479.2	"	"	s^6F_3	117314.6
"	"	$7d^5D_2$	114951.9	"	$3d^44s(^4D)4p$	w^8F_3	106525.8	"	"	s^6F_4	117399.3
"	"	$7d^5D_1$	114956.5	"	"	w^8F_4	106707.3	"	"	s^6F_5	117483.2
"	"	$7d^5D_0$	114958.1	"	"	w^8P_2	106750.0	"	"	$8f^5I'$	119253.

respect to $4s^7S$ may be incorrect by several tenths. This is because the only lines connecting this group with levels fixed accurately with respect to the normal state fall in the region below 2000A where measurements cannot be relied upon to better than a few tenths of a

wave number. Levels of this type are listed to hundredths and followed by an asterisk.

CLASSIFIED LINES

Table IIA contains the classified lines from 2000A to 6200A. All lines were observed with the

TABLE IIA. Classified lines from 2000A to 6200A. Lines whose wave-lengths are followed by an asterisk were photographed with a quartz prism instrument. Columns 1, 2, and 3, visual estimates of intensities in spark, helium Schuler tube, and arc. Column 4, wave-length in air. Column 5, wave number. Column 6, classification.

Table with 6 columns: 1, 2, 3 (intensities); 4 (wave-length in air); 5 (wave number); 6 (classification). The table lists various spectral lines with their corresponding wave-lengths, wave numbers, and classifications (e.g., 4d5D3-4f5F1, 4d5D1-4f5F1, etc.).

21-foot grating except those whose wave-lengths are followed by an asterisk. The latter were taken from plates photographed with the quartz prism instrument. All wave-lengths are air wave-lengths.

The lines below 2000A are given in Table IIB. The vacuum spectrographs were necessarily employed for this region, and only vacuum wave-lengths are recorded.

It is perhaps worth noting that the number of lines in this list which originate in levels near 114,000 wave numbers, and which occur in the neon but not in the helium Schuler tube pictures,

illustrates the enhancements that are obtained by the use of different noble gases.

CONCLUSION

Although most of the strong lines have been classified, there remain many unidentified. Large numbers of these are undoubtedly due to triplet-triplet combinations. There are, however, striking omissions among the quintet terms, of which the most notable are the $3d^5(^4F)4s\ ^5F$ and its triad of odd terms, and the two remaining terms of $3d^4(^6D)4sp$.

A few of the triplet terms have been dis-

TABLE IIA.—Continued.

1	2	3	4	5	6	1	2	3	4	5	6
28	30	10	2618.144	38183.61	$a^5G_5 - z^5H_6$	5	3	0	2531.804	39485.67	$a^5D_1 - y^5D_0$
4	2u	1	2616.489	38207.76	$a^5G_6 - z^5H_6$	7	4		2530.725	39502.50	$a^5D_0 - y^5D_1$
30	30	10	2610.207	38299.71	$a^5G_6 - z^5H_7$	1			2517.39	39711.9	$a^5G_4 - z^5D_4$
75	30	30	2605.696	38366.01	$4s^7S_3 - 4p^7P_{2,3}$	4	2u		2516.600	39724.20	$a^5G_5 - z^5D_4$
15	4	3	2603.727	38395.02	$a^5P_2 - z^5P_2$	1u	5		2479.346	40321.04	$z^5H_7 - e^5H_7$
3	3	2	2603.045	38405.08	$a^5P_3 - z^5P_3$		1		2473.64*	40414.1	$z^5H_6 - e^5H_5$
5	2	1	2601.526	38427.50	$a^5D_2 - y^5P_1$		3		2473.560	40415.35	$z^5H_6 - e^5H_6$
4	1	0	2600.285	38445.85	$a^5D_1 - y^5P_1$		2		2467.753	40510.45	$z^5H_5 - e^5H_5$
6	1	1	2599.036	38464.32	$a^5D_0 - y^5P_1$		2		2462.407	40598.39	$z^5H_4 - e^5H_4$
15	6	3	2598.910	38466.18	$a^5D_2 - y^5P_2$		0		2462.12*	40603.1	$z^5H_4 - e^5H_5$
					$a^5P_1 - z^5P_2$	2u	10		2458.583	40661.52	$z^5H_7 - e^5I_8$
					$a^5D_3 - y^5P_2$		0		2457.885	40673.07	$z^5H_7 - e^5I_7$
2u			2597.56	38486.2	$a^5D_1 - y^5P_2$		1		2457.785	40674.74	$z^5H_3 - e^5H_3$
3			2596.76	38498.1	$a^5P_2 - z^5P_2$	1u	8	0	2453.620	40743.76	$4p^7P_4 - 4d^7D_3$
6	3	2	2594.736	38528.06	$a^5P_3 - z^5P_2$	3u	15	1	2453.133	40751.85	$4p^7P_4 - 4d^7D_4$
0	0		2594.404	38532.98	$a^5D_3 - y^5P_3$	7u	25	2	2452.488	40762.57	$4p^7P_4 - 4d^7D_5$
90	50	50	2593.731	38542.98	$4s^7S_3 - 4p^7P_{3,3}$		5		2452.323	40765.31	$z^5H_6 - e^5I_7$
7	3	2	2591.432	38577.17	$a^5P_1 - z^5P_1$		0		2452.172	40767.72	$z^5H_6 - e^5I_6$
5	4	1	2590.229	38594.05	$a^5P_2 - z^5P_1$		1		2446.592	40860.79	$z^5H_5 - e^5I_5$
			2589.987	38598.70	$4p^5P_1 - 4d^5D_2$		6		2446.385	40864.25	$z^5H_5 - e^5I_6$
					$4p^5P_1 - 4d^5D_1$		0		2441.475	40946.42	$z^5H_4 - e^5I_4$
10	2	2	2589.824	38601.13	blend?		5		2441.059	40953.40	$z^5H_4 - e^5I_5$
3u	5	2	2589.729	38602.54	$4p^5P_1 - 4d^5D_0$	3u	10	0	2438.192	41001.56	$4p^7P_3 - 4d^7D_2$
2u	4	1	2588.889	38659.86	$a^5D_4 - y^5P_3$	4u	15	1	2437.848	41007.34	$4p^7P_3 - 4d^7D_3$
1u	2	0	2588.440	38666.57	$4p^5P_2 - 4d^5D_3$	5u	20	1	2437.368	41015.42	$4p^7P_3 - 4d^7D_4$
4u	10	3	2578.813	38765.93	$4p^5P_2 - 4d^5D_2$	1u	5		2436.539	41029.37	$z^5H_3 - e^5I_4$
2u	7	1	2578.280	38773.95	$4p^5P_3 - 4d^5D_1$	4u	10	1	2437.939	41174.69	$4p^7P_3 - 4d^7D_1$
100	50	50	2577.84	38780.6	$4p^5P_3 - 4d^5D_2$	4u	8	1	2427.719	41178.42	$4p^7P_3 - 4d^7D_2$
1	20	2	2576.113	38806.56	$4p^5P_3 - 4d^5D_3$	3u	7	1	2427.379	41184.18	$4p^7P_3 - 4d^7D_3$
10	20	2	2566.035	38958.96	$4s^7S_3 - 4p^7P_4$		1		2419.81	41313.0	$a^5P_1 - y^5P_1$
30	50	6	2565.219	38971.35	$a^5G_4 - z^5F_5$		1		2417.94	41344.9	$a^5P_2 - y^5P_1$
1	1	1	2563.641	38995.34	$a^5G_5 - z^5F_5$	2	4		2416.35	41372.2	$a^5P_1 - y^5P_2$
2	2	2	2559.737	39054.81	$a^5G_6 - z^5F_5$	1	2		2412.74	41434.1	$a^5P_3 - y^5P_2$
10	10	3	2559.676	39055.73	$a^5G_3 - z^5F_4$	3	4		2410.57	41471.1	$a^5P_2 - y^5P_3$
25	20	5	2559.413	39059.75	$a^5G_2 - z^5F_4$	0	1		2408.85	41501.0	$a^5P_3 - y^5P_3$
?	2		2557.597	39087.51	$a^5G_1 - z^5F_4$		5		2402.071	41618.07	$z^5G_6 - e^5H_7$
()					$a^5G_2 - z^5F_2$		1		2401.946	41620.23	$z^5G_6 - e^5H_6$
15	6	2	2557.540	39088.35	$a^5G_5 - z^5F_4$		0		2400.211	41650.31	$z^5G_5 - e^5H_5$
()	0		2556.942	39097.49	$a^5G_2 - z^5F_2$		4		2400.150	41651.37	$z^5G_5 - e^5H_6$
()					$a^5G_3 - z^5F_3$		0		2399.050	41670.47	$z^5G_4 - e^5H_4$
12	8	2	2556.893	39098.24	$a^5G_3 - z^5F_2$		3		2398.789	41675.00	$z^5G_4 - e^5H_5$
20	15	4	2556.571	39103.17	$a^5G_2 - z^5F_3$		0		2398.23*	41684.7	$z^5G_3 - e^5H_3$
5	5	0	2553.263	39153.83	$a^5G_3 - z^5F_3$		2		2397.866	41691.04	$z^5G_3 - e^5H_4$
15	15	3	2548.752	39223.12	$a^5G_4 - z^5F_3$	3	2		2397.286	41701.13	$z^5G_2 - e^5H_3$
13	15	3	2543.461	39304.70	$a^5G_4 - z^5F_4$		4		2373.36	42121.5	$a^5P_3 - y^5D_4$
?	4		2542.984	39312.08	$a^5D_3 - y^5D_4$	2	1		2361.76	42328.4	$a^5P_2 - y^5D_3$
()					$a^5D_4 - y^5D_4$	1	2		2360.24*	42355.5	$a^5P_1 - y^5D_2$
12	10	3	2542.928	39312.94	$a^5G_2 - z^5D_1$	1	1		2360.10	42358.1	$a^5P_3 - y^5D_3$
()	2		2541.168	39340.17	$a^5G_2 - z^5D_2$		2		2359.44*	42369.9	$a^5P_1 - y^5D_1$
8	6	1	2541.115	39340.99	$a^5G_3 - z^5D_2$		0		2359.37*	42371.1	$a^5P_1 - y^5D_0$
8	6	1	2538.047	39388.54	$a^5G_2 - z^5D_2$		0		2358.46	42387.6	$a^5P_2 - y^5D_2$
10	10	1	2537.926	39390.42	$a^5G_2 - z^5D_3$		0		2357.65*	42402.1	$a^5P_2 - y^5D_1$
5	3		2535.980	39420.65	$a^5G_3 - z^5D_3$		0		2356.78*	42417.7	$a^5P_3 - y^5D_2$
7	5		2535.660	39425.62	$a^5G_4 - z^5D_3$		2		2348.82*	42561.5	$a^5G_2 - y^5F_1$
7	8	1	2534.223	39447.97	$a^5D_2 - y^5D_3$		3		2344.32*	42643.2	$a^5G_3 - y^5F_2$
7	4	0	2534.102	39449.86	$a^5D_3 - y^5D_3$		0		2338.21*	42754.6	$a^5G_2 - y^5F_3$
1	0u		2533.463	39459.79	$a^5G_3 - z^5D_3$		1u		2337.96*	42759.2	$a^5G_4 - y^5F_3$
7	5	0	2533.336	39461.80	$a^5G_4 - z^5D_3$						also Fe
8	6	0	2532.782	39470.42	$a^5D_2 - y^5D_1$				2329.50*	42914.5	$a^5G_4 - y^5F_4$
4	1		2531.897	39484.21	$a^5D_1 - y^5D_2$				2328.83*	42926.9	$a^5G_3 - y^5F_4$
					$a^5D_1 - y^5D_1$				2320.20*	43086.4	$a^5G_2 - y^5F_5$
									2318.89*	43110.8	$a^5G_1 - y^5F_5$
									2305.010	43370.40	$4s^7S_3 - 4p^7P_3$
									2298.95	43484.6	$4s^7S_3 - 4p^7P_2$

